COMPASS future

transverse spin and transverse momentum phenomena in SIDIS

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Opportunities with JLab Energy and Luminosity Upgrade 26 September 2022 — 30 September 2022

ECT*, Trento

Outlook



- some history
- the TSAs in SIDIS
 - a few selected results and perspectives
- the unpolarised SIDIS
 - open questions
- possible future directions







2022: 20 years of data taking



,	beam	target		
2002 2003 2004	μ,160 GeV	P deuteron (⁶ LiD)	80% L polarisation 20% T	→U
2005			acc. shut down / upgr	ade
2006	μ,160 GeV	P deuteron	100% L	→U
2007	μ,160 GeV	P proton (NH ₃)	50% L 50% T	
2008/09	hadron	LH ₂	spectroscopy, Primakoff	
2010	μ,160 GeV	P proton	100% T	
2011	μ, 200 GeV	P proton	100% L	
2012	hadron	Ni target	Primakoff & pilot DVCS	
2013			acc. shut down	
2014	π	proton	pilot Drell-Yan	
2015	π	P proton	100% T, Drell-Yan	
2016/17	μ , 160 GeV	LH ₂	DVCS, unpol. SIDIS	
2018	pion beam	P proton	100% T, Drell-Yan	
2019/20			acc. shut down	
2021	μ,160 GeV	deuteron	running in, SIDIS	
2022	μ,160 GeV	P deuteron	100% T -	> U

SIDIS off transversely polarized deuteron and proton targets

	beam	target	
2002 2003 2004	μ,160 GeV	P deuteron (⁶ LiD)	20% T
2005			acc. shut down / upgrade
2007	μ,160 GeV	P proton (NH ₃)	50% T
2010	μ,160 GeV	P proton	100% T
2022	μ,160 GeV	P deuteron	100% T



SIDIS off transversely polarized deuteron and proton targets





SIDIS off unpolarised deuteron and proton targets

	beam	target		
2004	μ,160 GeV	P deuteron (⁶ LiD)	80% L polarisation 20% T	→U
2005			acc. shut down / upgr	ade
2006	μ,160 GeV	P deuteron	100% L	→U
2016/17	μ , 160 GeV	LH ₂	DVCS, unpol. SIDIS	5
ECT Septemb	μ_160 GeV	P deuteron	100% T	→U





SIDIS off unpolarised deuteron and proton targets



	beam	target			
2004	μ,160 GeV	P deuteron (⁶ LiD)	80% L polarisation 20% T	→	results published in 2013 2014
2005			acc. shut down / upg	rade	
2006	μ,160 GeV	P deuteron	100% L	→_!	J
					results published in 2018
2016/17	μ , 160 GeV	LH ₂	DVCS, unpol. SIDI	S	first results, paper in preparation
EC 2022	160 GeV	P deuteron	100% T	→ (Anna Martin



the 2022 data taking is the last run of the COMPASS experiment, and the last of the exploratory study of the nucleon structure at CERN, COMPASS will change from "data taking" to "data analysis" and will continue for several years

the spectrometer will stay there and it will be upgraded and run by the AMBER Collaboration





Transverse Spin Asymmetries in SIDIS off transversely polarised targets



a few selected results

more results → Bakur Parsamyan

TSA in SIDIS

a long list of measurements



all to be done again using the 2022 data



TSA in SIDIS

a long list of measurements



d & p	Collins and Sivers asymmetries (1D)	several papers
d & p	di-hadron asymmetries	several papers
d & p	other TSAs	
р	multiD measurements of TSAs (x, Q^2, z, P_T) bins	
р	Sivers asymmetry in Q ² bins	PLB 770 (2017) 138
р	<i>P_T</i> - weighted Sivers asymmetries	NPB 940 (2019) 34
р	transversity induced $\Lambda / \overline{\Lambda}$ polarization	PLB 824 (2022) 136834
d & p	TSAs for high P_T pairs from PGF events	PLB 772 (2017) 85
р	J/Ψ Sivers asymmetry	
р	inclusive $ ho^0$ TSAs	paper ready

all to be done again using the 2022 data

$$\begin{split} \frac{d\sigma}{dx\,dy\,d\psi\,dz\,d\phi_{h}\,dP_{h\perp}^{2}} &= \text{SIDIS cross-section} \\ \frac{\alpha^{2}}{xyQ^{2}} \frac{y^{2}}{2(1-\varepsilon)} \left(1+\frac{\gamma^{2}}{2x}\right) \left\{ F_{UU,T} + \varepsilon F_{UU,L} + \sqrt{2\varepsilon(1+\varepsilon)}\cos\phi_{h} F_{UU}^{\cos\phi_{h}} \\ &+ \varepsilon \cos(2\phi_{h}) F_{UU}^{\cos 2\phi_{h}} + \lambda_{e} \sqrt{2\varepsilon(1-\varepsilon)}\sin\phi_{h} F_{LU}^{\sin\phi_{h}} \\ &+ S_{\parallel} \left[\sqrt{2\varepsilon(1+\varepsilon)}\sin\phi_{h} F_{UL}^{\sin\phi_{h}} + \varepsilon \sin(2\phi_{h}) F_{UL}^{\sin 2\phi_{h}} \right] \\ &+ S_{\parallel}\lambda_{e} \left[\sqrt{1-\varepsilon^{2}} F_{LL} + \sqrt{2\varepsilon(1-\varepsilon)}\cos\phi_{h} F_{LL}^{\cos\phi_{h}} \right] \\ &+ |S_{\perp}| \left[\sin(\phi_{h} - \phi_{S}) \left(F_{UT,T}^{\sin(\phi_{h} - \phi_{S})} + \varepsilon F_{UT,L}^{\sin(\phi_{h} - \phi_{S})} \right) \\ &+ \varepsilon \sin(\phi_{h} + \phi_{S}) F_{UT}^{\sin(\phi_{h} + \phi_{S})} \\ &+ \sqrt{2\varepsilon(1+\varepsilon)}\sin\phi_{S} F_{UT}^{\sin\phi_{h}} + \sqrt{2\varepsilon(1+\varepsilon)}\sin(2\phi_{h} - \phi_{S}) F_{UT}^{\sin(2\phi_{h} - \phi_{S})} \\ &+ \sqrt{2\varepsilon(1+\varepsilon)}\sin\phi_{S} F_{UT}^{\sin\phi_{S}} + \sqrt{2\varepsilon(1+\varepsilon)}\sin(2\phi_{h} - \phi_{S}) F_{UT}^{\sin(2\phi_{h} - \phi_{S})} \\ &+ \sqrt{2\varepsilon(1-\varepsilon)}\cos(2\phi_{h} - \phi_{S}) F_{LT}^{\cos(2\phi_{h} - \phi_{S})} \\ &+ \sqrt{2\varepsilon(1-\varepsilon)}\cos(2\phi_{h} - \phi_{S}) F_{LT}^{\cos(2\phi_{h} - \phi_{S})} \\ \end{bmatrix}$$

proton target - results





very clear signal in the valence region

opposite sign for h^+ and $h^$ mirror symmetry vs x

interesting z and P_T^h dependence

proton target - results



deuteron target - results





interpreted as cancellation between u and d quark contributions



deuteron target - results



all deuteron 2002-2004 data NPB765 (2007) 31



interpreted as cancellation between u and d quark contributions

large statistical errors, as compared to the proton data

only existing d data

(low statistics He3 measurement at Jlab) motivation for the 2022 COMPASS run



di-hadron asymmetry

 $A_{hh} \sim \frac{\sum_q e_q^2 h_1^q \cdot H_{1q}^2}{\sum_q e_q^2 f_1^q \cdot D_{1q}}$ **COMPASS** y $\xi_2 p_T$ φ, X \vec{R}_T $\xi_1 \vec{p}_{T2}$ $\xi_i = \frac{z_i}{z_2 p_1 + z_1 p_2}$

amplitude of the sin modulation in the distribution of the azimuthal angle $(\phi_R + \phi_S)$





proton



interplay PLB 736 (2014) 124



all the p and d HERMES and COMPASS SIDIS data, and the $e^+e^- \rightarrow hadrons$ Belle data, could be fitted to extract the transversity PDF and the corresponding spin-dependent FFs

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fits of Collins asymmetries 0.5 $x h_1(x, Q^2)$ u Z.-B. Kang et al. 0.4 0.3 $\mathbf{x} \Delta_{\mathbf{T}} \mathbf{u}(\mathbf{x})$ PRD 2016 0.3 0.2 0.2 0.1 0. ſ -0.1 Anselmino et al 0.05 PRD 2007 0.1 ſ $\mathbf{x} \Delta_{\mathbf{T}} \mathbf{d}(\mathbf{x})$ 0.05 $Q^2 = 2.4 \text{ GeV}^2$ -0.05 Ч 10 GeV² -0.1 $= 1000 \text{ GeV}^2$ -0.15 -0.1 0.4 0.6 0.8 0.2 1 0 -0.2 х 0.2 0.4 0.6 0.8 Х Q2=2.4 GeV2 0.2 ΔT U 0 M. Anselmino et al. PRD 2015 0 ΔT d -0.2 2013 2015 -0.4 0.001 0.01 0.1 ECT*, September 30, 2022

х

fits of di-hadron asymmetries



all the p and d HERMES and COMPASS SIDIS data, and the $e^+e^- \rightarrow hadrons$ Belle data, could be fitted to extract the transversity PDF and the corresponding spin-dependent FFs

fits of **Collins asymmetries**



fits of **di-hadron asymmetries**



very important results: the TMD framework allows to well describe all the existing SIDIS and e^+e^- data

work ongoing, adding the new pp data . . .

alternative extraction: taking advantage of the fact that the COMPASS Collins asymmetries on p and d are measured in the same kinematic region with the same x binning, one can measure the **transversity PDF in each** x **bin**, using COMPASS and BELLE results

A.M., V. Barone, F. Bradamante PRD 91 (2015) 1, 014034

using the Gaussian Ansatz for the TM distributions, analytical solution:

$$\begin{split} xh_1^{u_v} &= \frac{1}{5} \frac{1}{\widetilde{a}_P^h (1 - \widetilde{\alpha})} \left[(xf_p^+ A_p^+ - xf_p^- A_p^-) + \frac{1}{3} (xf_d^+ A_d^+ - xf_d^- A_d^-) \right] \\ xh_1^{d_v} &= \frac{1}{5} \frac{1}{\widetilde{a}_P^h (1 - \widetilde{\alpha})} \left[\frac{4}{3} (xf_d^+ A_d^+ - xf_d^- A_d^-) - (xf_p^+ A_p^+ - xf_p^- A_p^-) \right] \end{split}$$

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$$xh_{1}^{d_{v}} = \frac{1}{5} \frac{1}{\widetilde{a}_{P}^{h}(1-\widetilde{\alpha})} \left[\frac{4}{3} (xf_{d}^{+}A_{d}^{+} - xf_{d}^{-}A_{d}^{-}) - (xf_{p}^{+}A_{p}^{+} - xf_{p}^{-}A_{p}^{-}) \right]$$

combinations of unpolarised PDFs and FFs, known

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COMPASS Collins asymmetriv data

 \rightarrow very close results in the 4 cases

ECT*, September 30, 2022

 \widetilde{a}_P^h

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alternative extraction: taking advantage of the fact that the COMPASS Collins asymmetries on p and d are measured in the same kinematic region with the same x binning, one can measure the **transversity PDF in each** x **bin**, using COMPASS and BELLE results

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$$xh_{1}^{\bar{u}} = \frac{1}{15} \frac{1}{\tilde{a}_{P}^{h}(1-\tilde{\alpha}^{2})} \left[(1-4\tilde{\alpha}) xf_{p}^{+}A_{p}^{+} + (4-\tilde{\alpha}) xf_{p}^{-}A_{p}^{-} - xf_{d}^{+}A_{d}^{+} + \tilde{\alpha} xf_{d}^{-}A_{d}^{-} \right],$$

$$xh_{1}^{\bar{d}} = \frac{1}{15} \frac{1}{\tilde{a}_{P}^{h}(1-\tilde{\alpha}^{2})} \left[(4\tilde{\alpha}-1) xf_{p}^{+}A_{p}^{+} - (4-\tilde{\alpha}) xf_{p}^{-}A_{p}^{-} - 4\tilde{\alpha} xf_{d}^{+}A_{d}^{+} + 4xf_{d}^{-}A_{d}^{-} \right],$$

alternative extraction: results

A.M., V. Barone, F. Bradamante PRD 91 (2015) 1, 014034



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similar procedure for the di-hadron asymmetries (no Gaussian Ansatz)



alternative extraction: results

A.M., V. Barone, F. Bradamante PRD 91 (2015) 1, 014034



curves: M. Anselmino ett al PRD 87, 094019 (2013) Soffer bound.

similar procedure for the di-hadron asymmetries (no Gaussian Ansatz)

simple and direct model-independent extraction

possible thanks to the fact of having SIDIS p and d data in the same kinematics:

to be considered in the future experiments!





from the existing SIDIS data, it is clear that

- u- and d-quark transversity PDFs have opposite sign
- d-quark PDF much worse determined than u-quark PDF because of the scarcity of deuteron (neutron) data



approved: one year of data taking with the transversely polarized deuteron (⁶LiD) target in the same conditions of the 2010 proton run **ongoing**: beginning of June – mid November 2022

impact on the Collins asymmetry



same improvement for all the other TSA

impact on transversity



projected: all p and 2022 d data $xh_1 \stackrel{0.4}{\underset{0.2}{\overset{0.2}{\overset{0.1}{\overset{0.2}}{\overset{0.2}}{\overset{0.2}{\phantom$

10⁻¹

1

х

 10^{-2}

impact on transversity

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impact on transversity



and tensor charge

 Ω_{χ} : 0.008 ÷ 0.210

	$\boldsymbol{\delta_{u}} = \int_{\Omega_{\mathrm{X}}} dx h_{1}^{u_{v}}(x)$	$\boldsymbol{\delta_d} = \int_{\Omega_{\mathrm{x}}} dx h_1^d(x)$	$g_T = \delta_u - \delta_d$
present	0.201 ± 0 . 032	−0.189 ± 0 . 108	0.390 ± 0 . 087
projected	0.201 ± 0 . 019	−0.189 ± 0 . 040	0.390 ± 0 . 044

impact on transversity

the work will not be over with the COMPASS measurements !

precise measurements are needed asap, in particular at larger x

measurements at Jlab 12 and 20+ are complementary for a more precise measurement of the tensor charge

projected: all p and 2022 d data





Sivers asymmetry

$$\begin{split} \frac{d\sigma}{dx\,dy\,d\psi\,dz\,d\phi_h\,dP_{h\perp}^2} &= \text{SIDIS cross-section} \\ \frac{\alpha^2}{xyQ^2} \frac{y^2}{2(1-\varepsilon)} \left(1+\frac{\gamma^2}{2x}\right) \left\{ F_{UU,T} + \varepsilon F_{UU,L} + \sqrt{2\varepsilon(1+\varepsilon)} \cos\phi_h F_{UU}^{\cos\phi_h} \right. \\ &+ \varepsilon \cos(2\phi_h) F_{UU}^{\cos 2\phi_h} + \lambda_e \sqrt{2\varepsilon(1-\varepsilon)} \sin\phi_h F_{LU}^{\sin\phi_h} \\ &+ S_{\parallel} \left[\sqrt{2\varepsilon(1+\varepsilon)} \sin\phi_h F_{UL}^{\sin\phi_h} + \varepsilon \sin(2\phi_h) F_{UL}^{\sin 2\phi_h} \right] \\ &+ S_{\parallel} \lambda_e \left[\sqrt{1-\varepsilon^2} F_{LL} + \sqrt{2\varepsilon(1-\varepsilon)} \cos\phi_h F_{LL}^{\cos\phi_h} \right] \\ &+ |S_{\perp}| \left[\sin(\phi_h - \phi_S) \left(F_{UT,T}^{\sin(\phi_h - \phi_S)} + \varepsilon F_{UT,L}^{\sin(\phi_h - \phi_S)} \right) \right] \\ &+ \varepsilon \sin(\phi_h + \phi_S) F_{UT}^{\sin(\phi_h + \phi_S)} + \varepsilon \sin(3\phi_h - \phi_S) F_{UT}^{\sin(3\phi_h - \phi_S)} \\ &+ \sqrt{2\varepsilon(1+\varepsilon)} \sin\phi_S F_{UT}^{\sin\phi_S} + \sqrt{2\varepsilon(1+\varepsilon)} \sin(2\phi_h - \phi_S) F_{UT}^{\sin(2\phi_h - \phi_S)} \\ &+ \sqrt{2\varepsilon(1+\varepsilon)} \cos(2\phi_h - \phi_S) F_{LT}^{\cos(\phi_h - \phi_S)} + \sqrt{2\varepsilon(1-\varepsilon)} \cos\phi_S F_{LT}^{\cos\phi_S} \\ &+ \sqrt{2\varepsilon(1-\varepsilon)} \cos(2\phi_h - \phi_S) F_{LT}^{\cos(2\phi_h - \phi_S)} \right] \right\}, \end{split}$$





proton results

clearly positive for h^+ compatible with zero (but last *x* point) for h^-

2010 data PLB 717 (2012) 383

Sivers asymmetry



the first extractions of the **Sivers PDFs** from these p and d Sivers asymmetries **in the TMD framework** came very soon, in 2005, after the publication of the first HERMES p results and COMPASS d results

both the HERMES and COMPASS data could be well described

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both the HERMES and COMPASS data could be well described



an important step forward !! a big success of the new TMD framework

an interesting measurement from several points of view

at leading twist and leading order in QCD it is

$$A_{Siv}(x, z, P_T) = \frac{\sum_{q} e_q^2 x C \left[\frac{P_T \cdot k_T}{M P_T} f_{1T}^{\perp q}(x, k_T^2) D_1^q(z, p_{\perp}^2) \right]}{\sum_{q} e_q^2 x C \left[f_1^q(x, k_T^2) D_1^q(z, p_T^2) \right]}$$

 P_T final state hadron in the GNS k_T intrinsic transverse momentum p_{\perp} transverse momentum of the hadron with respect to the struck quark

the convolution cannot be analytically evaluated in the general case:

to disentangle f_{1T}^{\perp} and D_1 , and **extract the Sivers function** assumptions for the transverse-momentum dependence of the distribution and fragmentation functions are needed

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 P_T final state hadron in the GNS k_T intrinsic transverse momentum p_{\perp} transverse momentum of the hadron with respect to the struck quark

the convolution cannot be analytically evaluated in the general case:

to disentangle f_{1T}^{\perp} and D_1 , and extract the Sivers function **assumptions** for the transverse-momentum dependence of the distribution and fragmentation functions are needed

when assuming the usual Gaussian dependence and integrating over P_T :

$$A_{Siv,G}(x,z) = \frac{a_G \sum_q e_q^2 x f_{1T}^{\perp(1)q}(x) z D_1^q(z)}{\sum_q e_q^2 x f_1^q(x) D_1^q(z)} \qquad a_G = \frac{\sqrt{\pi}M}{\sqrt{\langle p_T^2 \rangle + z^2 \langle k_T^2 \rangle_S}} \simeq \frac{\pi M}{2 \langle P_T \rangle}$$
$$a_G = \frac{1}{\sqrt{\langle p_T^2 \rangle + z^2 \langle k_T^2 \rangle_S}} \approx \frac{\pi M}{2 \langle P_T \rangle}$$
$$a_G = 1 \text{ for the Collins asymmetry}$$

but the assumption can introduce a bias into the extraction of the Sivers function

the problem can be avoided measuring the P_T –weighted asymmetries:

$$w = P_T / zM \qquad A_{Siv}^w(x, z) = \frac{\sum_q e_q^2 x \int d^2 P_T \frac{P_T}{zM} C \left[\frac{P_T \cdot k_T}{MP_T} f_{1T}^{\perp q}(x, k_T^2) D_1^q(z, p_T^2) \right]}{\sum_q e_q^2 x f_1^q(x) D_1^q(z)}$$
$$= 2 \frac{\sum_q e_q^2 x f_{1T}^{\perp(1)q}(x) D_1^q(z)}{\sum_q e_q^2 x f_1^q(x) D_1^q(z)}$$

. .

$$w' = P_T / M \qquad A_{Siv}^{w'}(x,z) = 2 \frac{\sum_q e_q^2 x f_{1T}^{\perp(1)q}(x) z D_1^q(z)}{\sum_q e_q^2 x f_1^q(x) D_1^q(z)}$$

$$\frac{A_{Siv}^{w'}(x,z)}{A_{Siv,G}(x,z)} = \frac{4\langle P_T \rangle}{\pi M}$$



the trends of the weighted and unweighted asymmetries are similar both for positive and negative hadrons

in agreement with the expectation

results for $A_{Siv}^{w}(z) = 2 \frac{\sum_{q} e_{q}^{2} D_{1q}(z) \int C(x) f_{1T}^{\perp(1)q}(x) dx}{\sum_{q} e_{q}^{2} D_{1q}(z) \int C(x) f_{1}^{q}(x) dx}$



from 2010 proton data NPB 940 (2019) 34



positive hadrons: almost constant values vs z u-quark dominance: supports the idea that factorisation works down to small z in our kinematic range

negative hadrons: at small z the asymmetry increases

and several other results: nothing at variance with expectations

extraction of $f_{1T}^{\perp(1)}(x)$



 P_T/zM weighted asymmetries for positive e negative hadrons:

$$\begin{aligned} A_{Siv}^{w,\pm}(x) &= 2 \frac{\sum_{q} e_{q}^{2} x f_{1T}^{\perp(1)q}(x) \widetilde{D}_{1}^{q,\pm}}{\sum_{q} e_{q}^{2} x f_{1}^{q}(x) \widetilde{D}_{1}^{q,\pm}} \qquad \widetilde{D}_{1}^{q,\pm} = \int_{z_{min}}^{z_{max}} dz D_{1}^{q,\pm}(z) \\ f_{1}^{q}, \widetilde{D}_{1}^{q,\pm} \text{from parametrisations (CTEQ5D and DSS)} \end{aligned}$$

having only the proton data, we had to neglect the **sea-quark** Sivers distributions, it is

$$A_{Siv}^{w,\pm} = 2 \frac{4x f_{1T}^{\perp(1)u_v} \widetilde{D}_1^{u,\pm} + x f_{1T}^{\perp(1)d_v} \widetilde{D}_1^{d,\pm}}{\delta^{\pm}} \qquad \delta^{\pm} = 9 \Sigma_q e_q^2 x f_1^q \widetilde{D}_1^q$$

and

$$xf_{1T}^{\perp(1)u_{v}} = \frac{1}{8} \frac{\delta^{+}A_{Siv}^{w,+}\widetilde{D}_{1}^{d,-} - \delta^{-}A_{Siv}^{w,-}\widetilde{D}_{1}^{d,+}}{\widetilde{D}_{1}^{u,+}\widetilde{D}_{1}^{d,-} - \widetilde{D}_{1}^{d,+}\widetilde{D}_{1}^{u,-}}$$
$$xf_{1T}^{\perp(1)d_{v}} = \frac{1}{2} \frac{\delta^{-}A_{Siv}^{w,-}\widetilde{D}_{1}^{u,+} - \delta^{+}A_{Siv}^{w,+}\widetilde{D}_{1}^{u,-}}{\widetilde{D}_{1}^{u,+}\widetilde{D}_{1}^{d,-} - \widetilde{D}_{1}^{d,+}\widetilde{D}_{1}^{u,-}}$$

extraction of $f_{1T}^{\perp(1)}(x)$





previous point-by-point extraction [A.M., F.Bradamante, V.Barone, PRD95, 2017] using pion Sivers asymmetries from the COMPASS p and d data, (no assumptions on the Sivers function of the sea quarks, Gaussian ansatz) slightly different trend for $f_{1T}^{\perp(1)d_v}$

we checked that the difference is only due to the fact that here we had to neglect the sea-quark contribution

using the p data only and imposing the sea-quark Sivers functions to be zero, both the central values and the uncertainties become very similar to the present ones

unpolarised SIDIS



COMPASS results → Andrea Moretti talk

unpolarised SIDIS - P_T^2 distributions

they give access to k_T distributions, a hot topic

COMPASS measurements using

- 2004 and 2006 deuteron data published EPJC 73 (2013) 2531 PRD 97 (2018) 032006
- 2016 proton data paper in preparation

 \rightarrow smooth dependencies on the kinematic variables,

other recent SIDIS measurements by HERMES and JLab experiments

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presently, phenomenological analysis can descibe only a limited kinematic region

... no clear indications on how SIDIS experiments can further contribute

they give access to $\langle k_T^2 \rangle$, Boer-Mulders function, higher twist

COMPASS measurements using

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quite difficult to interpret

only a few attempts of phenomenological analyses

 \rightarrow Boer-Mulders function still unknown

insight should come from a direct comparinon of the results at COMPASS, HERMES, JLab12 ... and, in future, JLab20+



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main motivation for the proposal of a new project

unpolarised SIDIS

Progetti di Riecra di Interesse Nazionale (PRIN) 2022

ECOS 2022 (Experimental COllaboration for the study of the nucleon Structure)

Trieste, Frascati, Ferrara, Genova

submitted March 31, 2022



- **Aim** build a collaboration among the Italian groups involved in different experiments in order to perform coherent measurements and studies of key observables in SIDIS off unpolarised targets over the entire kinematic region accessed by the existing data.
- The project is **focused on the azimuthal asymmetries**, with the goal of
- revising the measurements and the related analyses as well as the extraction methods, and
- performing multidimensional measurements by choosing common kinematic variables, selections and binning, to direct compare the results over the full kinematic range.

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not an easy project: it requires (partial) data sharing but we are convinced that it could be the way out for the azimuthal asymmetries, and the starting point of new and wider projects

is it the direction where to go in the future, in order to fully exploit complementarity?

thank you !

