

# Hard Exclusive Measurements at COMPASS

Katharina Schmidt

On behalf of the COMPASS Collaboration

KEK theory center workshop  
March 13 - 16, 2015, Tsukuba, Japan



bmb+f - Förderschwerpunkt  
**COMPASS**  
Großgeräte der physikalischen  
Grundlagenforschung

# COMPASS experiment

240 physicists  
24 institutions

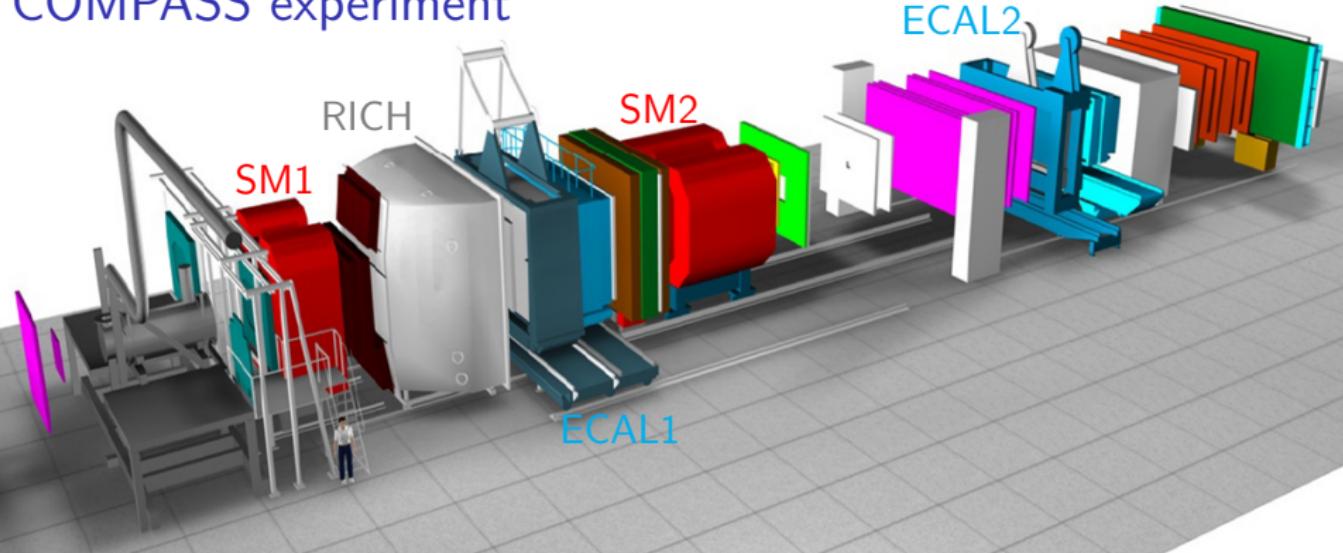


Katharina Schmidt

On behalf of the COMPASS Collaboration

Hard Exclusive Measurements at COMPASS

# COMPASS experiment



Two-stage spectrometer → large angular & momentum acceptance

- ▶  $\mu$  or  $\pi$ ,  $K$ ,  $p$  beam from CERN SPS
- ▶ Beam energies about 200 GeV
- ▶ Variety of tracking detectors, particle identification
- ▶ Transversely/longitudinally polarized target

# Hard exclusive measurements at COMPASS

- |                   |  |
|-------------------|--|
| <b>2002</b>       | First measurement<br>transversely polarized ${}^6\text{LiD}$ target                      |
| <b>2003-2004</b>  | Hard Exclusive Meson Production (HEMP)<br>transversely polarized ${}^6\text{LiD}$ target |
| <b>2007</b>       | HEMP<br>transversely polarized $\text{NH}_3$ target                                      |
| <b>2008, 2009</b> | Deep Virtual Compton Scattering (DVCS)<br>10 days pilot run                              |
| <b>2010</b>       | HEMP<br>transversely polarized $\text{NH}_3$ target                                      |
| <b>2012</b>       | 1 month DVCS measurement (COMPASS-II)  |

# Hard exclusive measurements at COMPASS

... and COMPASS is even more ...

**$\mu$  beam + longitudinally polarized target**

gluon and quark helicities

**$\mu$  beam + transversely polarized target**

Transversity and Transverse Momentum Dependent distributions

**hadron beam**

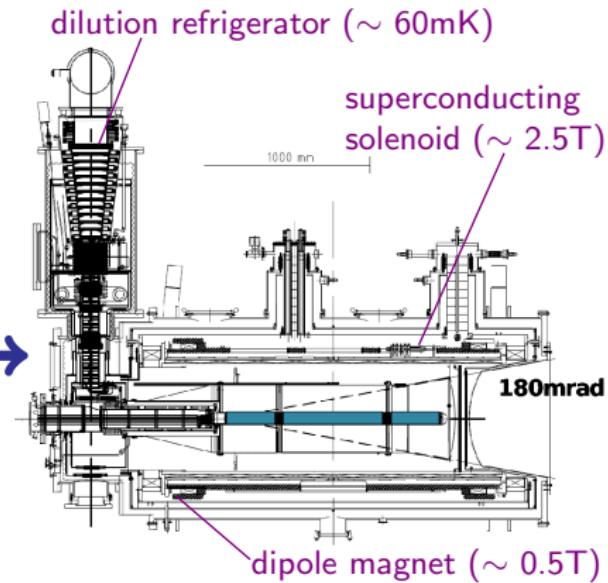
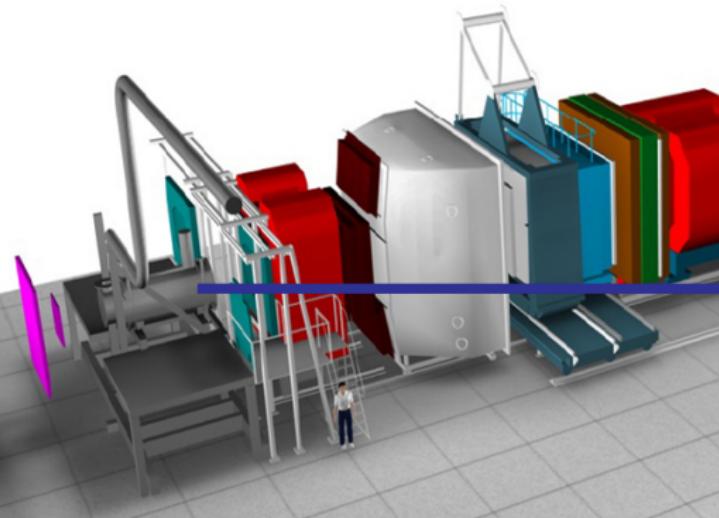
light meson spectroscopy, pion polarisability

**hadron beam + transversely polarized target**

Drell-Yan

# HEMP measurements at COMPASS

# COMPASS experiment



## Transversely polarized target

- ▶ Target material:  $\text{NH}_3$ ,  ${}^6\text{LiD}$
- ▶ 2 magnets: solenoid 2.5 T and dipole 0.5 T
- ▶ Acceptance:  $\pm 180$  mrad upstream edge (since 2006)
- ▶  ${}^3\text{He} - {}^4\text{He}$  dilution refrigeration (60mK)

# Hard exclusive meson production - cross section

$$\left[ \frac{\alpha_{\text{em}}}{8\pi^3} \frac{y^2}{1-\varepsilon} \frac{1-x_B}{x_B} \frac{1}{Q^2} \right]^{-1} \frac{d\sigma}{dx_B dQ^2 d\phi d\psi} = \frac{1}{2} (\sigma_{++}^{++} + \sigma_{++}^{--}) + \varepsilon \sigma_{00}^{++} - \varepsilon \cos(2\phi) \operatorname{Re} \sigma_{+-}^{++}$$

$$- \sqrt{\varepsilon(1+\varepsilon)} \cos \phi \operatorname{Re} (\sigma_{+0}^{++} + \sigma_{+0}^{--}) - P_\ell \sqrt{\varepsilon(1-\varepsilon)} \sin \phi \operatorname{Im} (\sigma_{+0}^{++} + \sigma_{+0}^{--})$$

$$- S_L \left[ \varepsilon \sin(2\phi) \operatorname{Im} \sigma_{+-}^{++} + \sqrt{\varepsilon(1+\varepsilon)} \sin \phi \operatorname{Im} (\sigma_{+0}^{++} - \sigma_{+0}^{--}) \right]$$

$$+ S_L P_\ell \left[ \sqrt{1-\varepsilon^2} \frac{1}{2} (\sigma_{++}^{++} - \sigma_{++}^{--}) - \sqrt{\varepsilon(1-\varepsilon)} \cos \phi \operatorname{Re} (\sigma_{+0}^{++} - \sigma_{+0}^{--}) \right]$$

transversely  
polarized  
target

$$- S_T \left[ \underline{\sin(\phi - \phi_S) \operatorname{Im} (\sigma_{++}^{+-} + \varepsilon \sigma_{00}^{+-})} + \frac{\varepsilon}{2} \underline{\sin(\phi + \phi_S) \operatorname{Im} \sigma_{+-}^{+-}} + \frac{\varepsilon}{2} \underline{\sin(3\phi - \phi_S) \operatorname{Im} \sigma_{+-}^{--}}$$

transversely  
polarized  
target

$$+ \sqrt{\varepsilon(1+\varepsilon)} \underline{\sin \phi_S \operatorname{Im} \sigma_{+0}^{+-}} + \sqrt{\varepsilon(1+\varepsilon)} \underline{\sin(2\phi - \phi_S) \operatorname{Im} \sigma_{+0}^{--}}$$

$$+ S_T P_\ell \left[ \sqrt{1-\varepsilon^2} \underline{\cos(\phi - \phi_S) \operatorname{Re} \sigma_{++}^{+-}} - \sqrt{\varepsilon(1-\varepsilon)} \underline{\cos \phi_S \operatorname{Re} \sigma_{+0}^{+-}}$$

Diehl & Sapeta

$$- \sqrt{\varepsilon(1-\varepsilon)} \underline{\cos(2\phi - \phi_S) \operatorname{Re} \sigma_{+0}^{--}}$$

Eur.Phys.J.C 41 (2005)

$\varepsilon$  = virtual photon polarization parameter

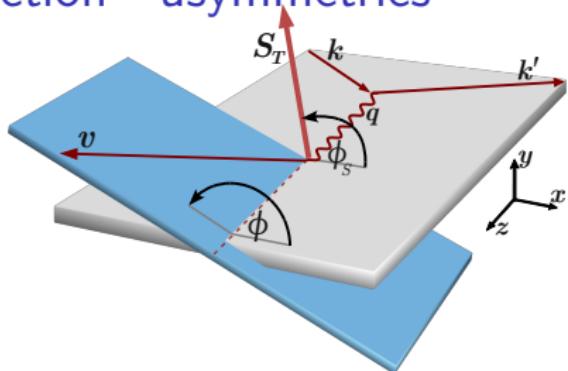
$\sigma_{mn}^{ij}$  = spin dependent photoabsorption cross sections,  
interference terms

m,n = virtual-photon helicity

i,j = target nucleon helicity

# Hard exclusive meson production - asymmetries

$$\begin{aligned}\epsilon &= \frac{1-y-\frac{1}{4}y^2\gamma^2}{1-y+\frac{1}{2}y^2+\frac{1}{4}y^2\gamma^2} \\ \gamma &= \frac{2x_{Bj}M_P}{Q}\end{aligned}$$



$$A_{\text{UT}}^{\sin(\phi-\phi_s)} = -\frac{\text{Im}(\sigma_{++}^{+-} + \varepsilon \sigma_{00}^{+-})}{\sigma_0}$$

$$A_{\text{LT}}^{\cos(\phi-\phi_s)} = \frac{\text{Re} \sigma_{++}^{+-}}{\sigma_0}$$

$$D_{NN}^{\sin(\phi-\phi_s)} = 1$$

$$A_{\text{UT}}^{\sin(\phi+\phi_s)} = -\frac{\text{Im} \sigma_{+-}^{+-}}{\sigma_0}$$

$$A_{\text{LT}}^{\cos(\phi_s)} = -\frac{\text{Re} \sigma_{+0}^{+-}}{\sigma_0}$$

$$D_{NN}^{\sin(\phi+\phi_s), \sin(3\phi-\phi_s)} = \frac{\epsilon}{2}$$

$$A_{\text{UT}}^{\sin(3\phi-\phi_s)} = -\frac{\text{Im} \sigma_{+-}^{-+}}{\sigma_0}$$

$$A_{\text{LT}}^{\cos(2\phi-\phi_s)} = -\frac{\text{Re} \sigma_{+0}^{-+}}{\sigma_0}$$

$$D_{NN}^{\sin(\phi_s), \sin(2\phi-\phi_s)} = \sqrt{\varepsilon(1+\varepsilon)}$$

$$A_{\text{UT}}^{\sin(2\phi-\phi_s)} = -\frac{\text{Im} \sigma_{+0}^{-+}}{\sigma_0}$$

$$D_{NN}^{\cos(\phi-\phi_s)} = \sqrt{1-\varepsilon^2}$$

$$A_{\text{UT}}^{\sin(\phi_s)} = -\frac{\text{Im} \sigma_{+0}^{+-}}{\sigma_0}$$

$$D_{NN}^{\cos \phi_s, \cos(2\phi-\phi_s)} = \sqrt{\varepsilon(1-\varepsilon)}$$

# Hard exclusive meson production - GPDs

- Allow extraction of 8 asymmetries
- They are sensitive to different combinations of GPDs e.g.:

$$A_{UT}^{\sin(\phi - \phi_S)} \propto \text{Im} (\mathcal{E}^* \mathcal{H})$$

- $\mathcal{E}$  &  $\mathcal{H}$  are convolution integrals of hard scattering kernels and the subprocess amplitude  $\gamma^* \rightarrow \rho^0$  with GPDs  $E$  &  $H$  where:

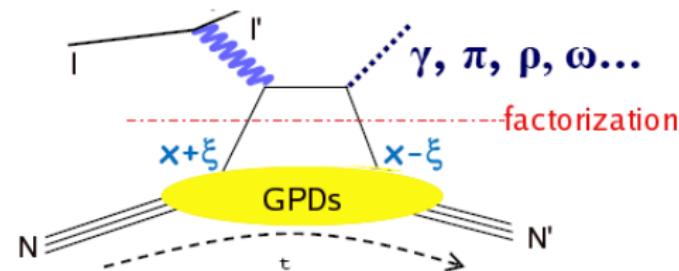
$$E_{\rho^0} = \frac{1}{\sqrt{2}} \left( \frac{2}{3} E^u + \frac{1}{3} E^d + \frac{3}{4} E^g \right)$$

$$E_\omega = \frac{1}{\sqrt{2}} \left( \frac{2}{3} E^u - \frac{1}{3} E^d + \frac{1}{4} E^g \right)$$

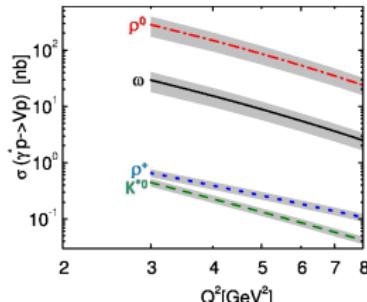
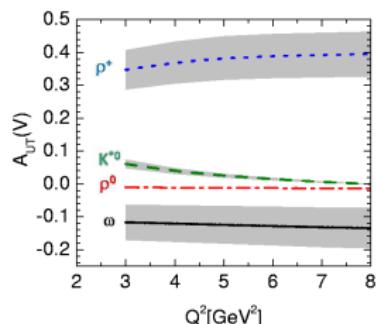
- 8 GPDs for quarks and gluons:  
 $H, \tilde{H}, E, \tilde{E}, H_T, \tilde{H}_T, E_T, \tilde{E}_T$

Goloskokov & Kroll

Eur.Phys.J.C 59 (2009)



→ Constrain GPD  $E$



# Exclusive $\rho^0$ production at COMPASS

All measurements done with  $\mu^+$  160 GeV beam with polarization  $\langle P_B \rangle \sim 80\%$  and a transversely polarized solid state target

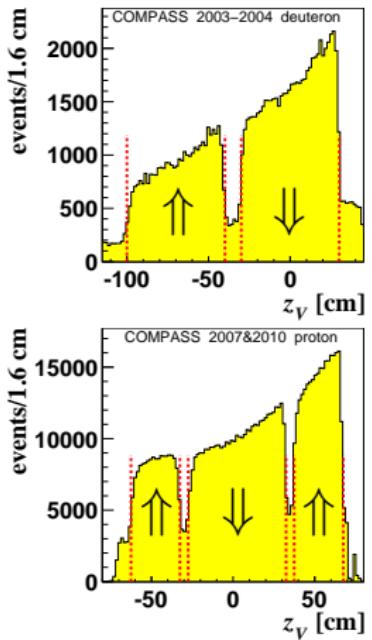
${}^6\text{LiD}$  target (polarized deuterons) 2003&2004

- Dilution factor  $\langle f \rangle \sim 0.45$
- Polarization  $\langle P_T \rangle \sim 50\%$

$\text{NH}_3$  target (polarized protons) 2007&2010

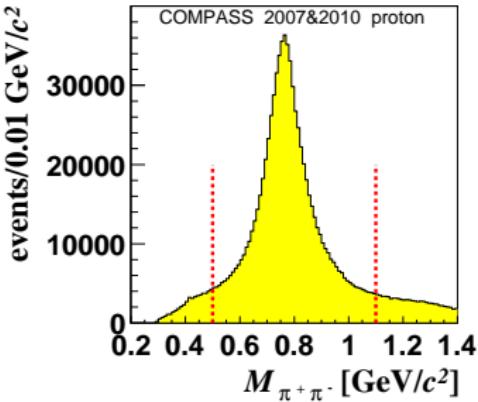
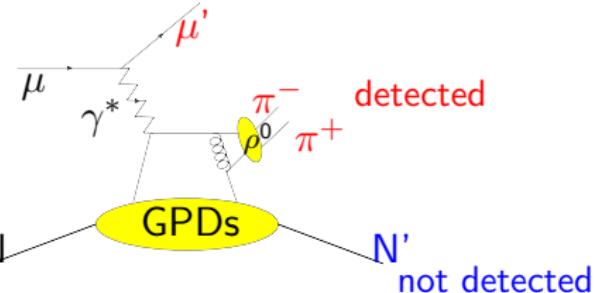
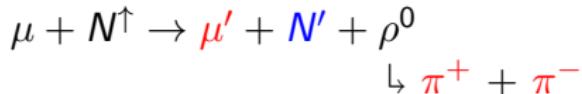
- Dilution factor  $\langle f \rangle \sim 0.25$
- Polarization  $\langle P_T \rangle \sim 80\%$

$\rho^0$  analysis includes all data measured with a transversely polarized target at COMPASS

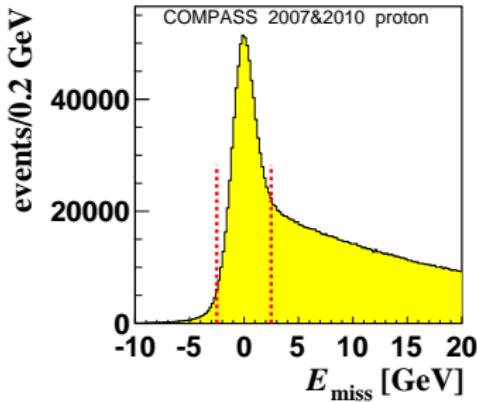


change of polarization  
~ weekly

# Exclusive $\rho^0$ production - event selection



► Peak at  $\rho^0$  mass  $\sim 0.775$  GeV/ $c^2$



► Signature for exclusivity  $E_{\text{miss}} \sim 0$

$$E_{\text{miss}} = \frac{(p + q - \rho)^2 - p^2}{2 \cdot M_p} = \frac{M_X^2 - M_\rho^2}{2 \cdot M_p}$$

# Concept of semi-inclusive background correction

## 1.) Parametrisation of MC:

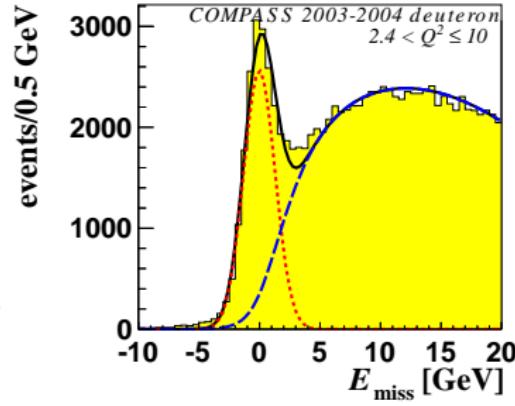
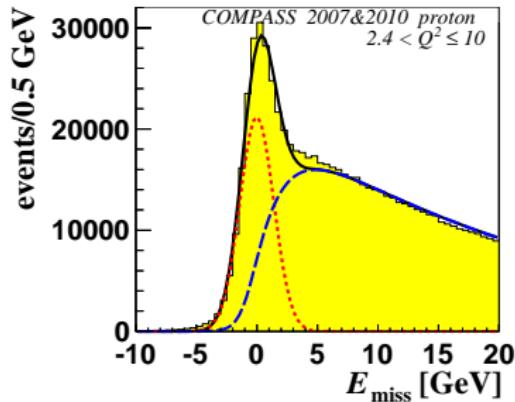
- MC weighted with the like sign sample

$$w = \frac{N_{\text{data}}^{h^+ h^+}(E_{\text{miss}}) + N_{\text{data}}^{h^- h^-}(E_{\text{miss}})}{N_{\text{MC}}^{h^+ h^+}(E_{\text{miss}}) + N_{\text{MC}}^{h^- h^-}(E_{\text{miss}})}$$

- Parametrise the  $E_{\text{miss}}$  shape of weighted MC

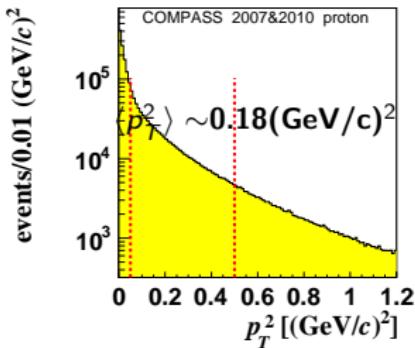
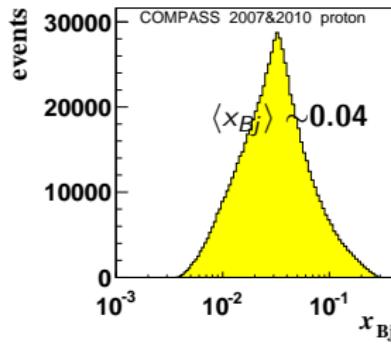
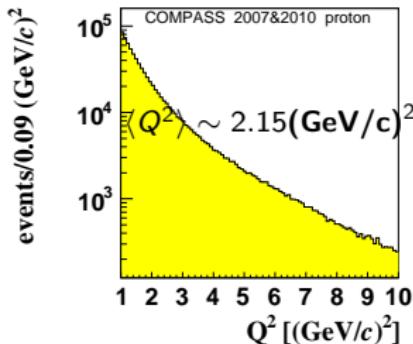
## 2.) Fit to data:

- Two component fit with: signal (Gauss) + background (parametrised from MC)
- Binning appropriate for asymmetry extraction ( $x_{Bj}$ ,  $Q^2$  or  $p_T^2$ , target cell)
- Total amount of SIDIS background: 18% ( ${}^6\text{LiD}$ ), 22% ( $\text{NH}_3$ )
- Asymmetry extraction with corrected  $\phi$ ,  $\phi_S$  distribution

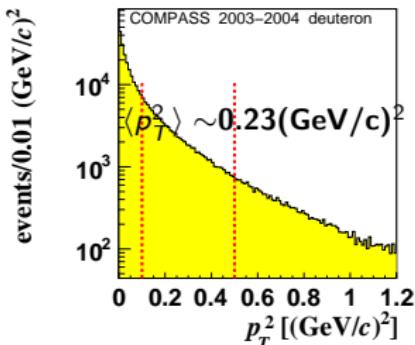
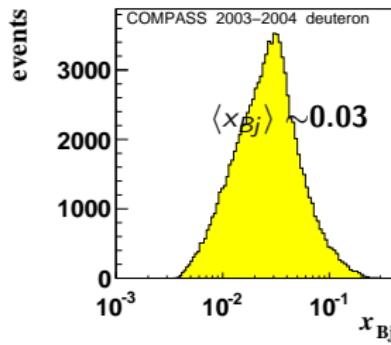
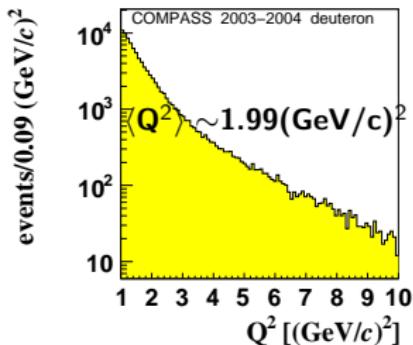


# Exclusive $\rho^0$ production - kinematical distributions

protons



deuterons



# Extraction of asymmetries

Example: 3 target cells

$$N_{ncell}^{\pm}(\phi, \phi_S) = a_{ncell}^{\pm} (1 \pm A(\phi, \phi_S))$$

$$a_{ncell}^{\pm} = F \cdot N \cdot \sigma_0 \cdot \alpha_n^{\pm}$$

$\sigma_0$  = spin-averaged cross section

$F$  = the muon flux

$N$  = number of target nucleons

$\alpha_n^{\pm}$  = the acceptance

$$\begin{aligned} A(\phi, \phi_S) = & A_{\text{UT,raw}}^{\sin(\phi - \phi_S)} \sin(\phi - \phi_S) + A_{\text{UT,raw}}^{\sin(\phi + \phi_S)} \sin(\phi + \phi_S) \\ & + A_{\text{UT,raw}}^{\sin(3\phi - \phi_S)} \sin(3\phi - \phi_S) + A_{\text{UT,raw}}^{\sin(2\phi - \phi_S)} \sin(2\phi - \phi_S) \\ & + A_{\text{UT,raw}}^{\sin(\phi_S)} \sin(\phi_S) + A_{\text{LT,raw}}^{\cos(\phi - \phi_S)} \cos(\phi - \phi_S) \\ & + A_{\text{LT,raw}}^{\cos(\phi_S)} \cos(\phi_S) + A_{\text{LT,raw}}^{\cos(2\phi - \phi_S)} \cos(2\phi - \phi_S) \end{aligned}$$



$\pm$  = periods with different target polarizations

$ncell = U+D, C1+C2$  (outer cells summed up)

$$A_{\text{UT}} = A_{\text{UT,raw}} / F_{\text{UT}}$$

$$F_{\text{UT}} = \langle f | P_{\text{T}} | D_{NN} \rangle$$

$$A_{\text{LT}} = A_{\text{LT,raw}} / F_{\text{LT}}$$

$$F_{\text{LT}} = \langle f | P_{\text{T}} | P_{\text{B}} D_{NN} \rangle$$

# Extraction of asymmetries

Example: 3 target cells

$$N_{ncell}^{\pm}(\phi, \phi_S) = a_{ncell}^{\pm} (1 \pm A(\phi, \phi_S))$$

$$a_{ncell}^{\pm} = F \cdot N \cdot \sigma_0 \cdot \alpha_n^{\pm}$$

$\sigma_0$  = spin-averaged cross section

$F$  = the muon flux

$N$  = number of target nucleons

$\alpha_n^{\pm}$  = the acceptance

$$\begin{aligned} A(\phi, \phi_S) = & A_{\text{UT,raw}}^{\sin(\phi - \phi_S)} \sin(\phi - \phi_S) + A_{\text{UT,raw}}^{\sin(\phi + \phi_S)} \sin(\phi + \phi_S) \\ & + A_{\text{UT,raw}}^{\sin(3\phi - \phi_S)} \sin(3\phi - \phi_S) + A_{\text{UT,raw}}^{\sin(2\phi - \phi_S)} \sin(2\phi - \phi_S) \\ & + A_{\text{UT,raw}}^{\sin(\phi_S)} \sin(\phi_S) + A_{\text{LT,raw}}^{\cos(\phi - \phi_S)} \cos(\phi - \phi_S) \\ & + A_{\text{LT,raw}}^{\cos(\phi_S)} \cos(\phi_S) + A_{\text{LT,raw}}^{\cos(2\phi - \phi_S)} \cos(2\phi - \phi_S) \end{aligned}$$



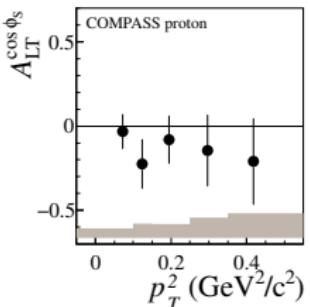
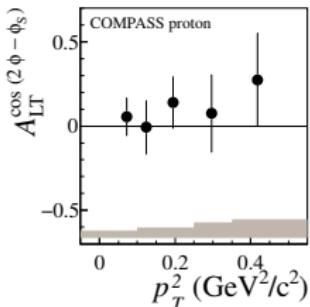
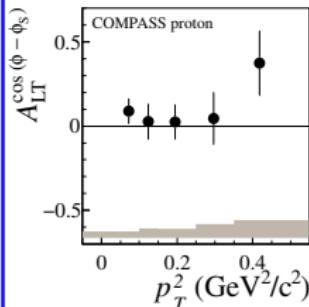
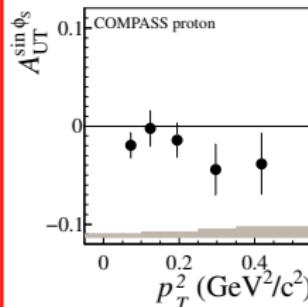
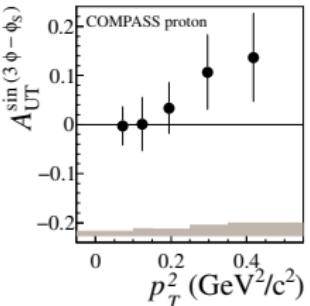
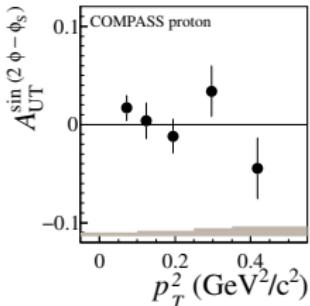
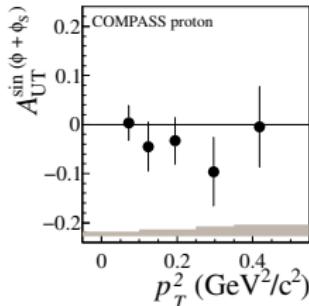
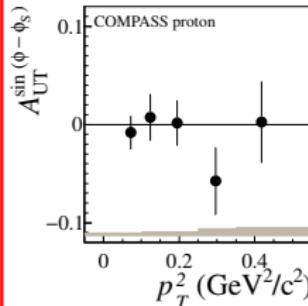
$\pm$  = periods with different target polarizations

ncell = U+D, C1+C2 (outer cells summed up)

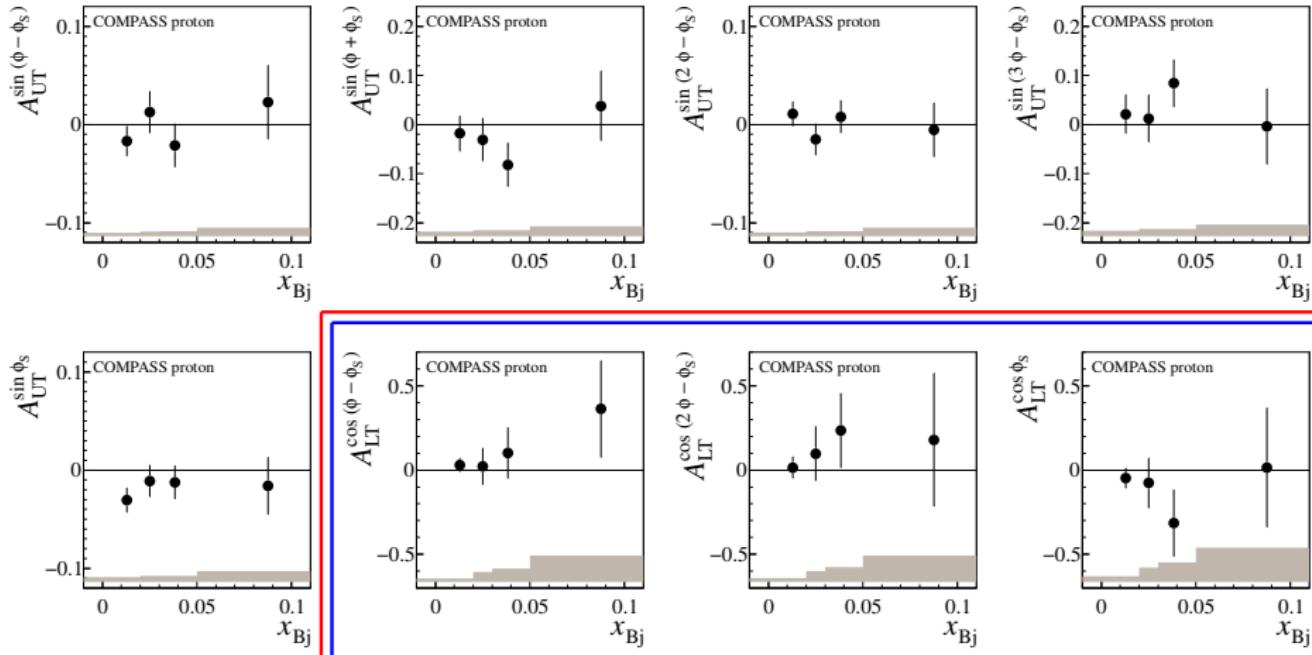
Asymmetries are extracted using a 2D binned maximum likelihood fit after subtracting the SIDIS background

# Asymmetry $A_{UT,LT}$ - NH<sub>3</sub> target (2007&2010)

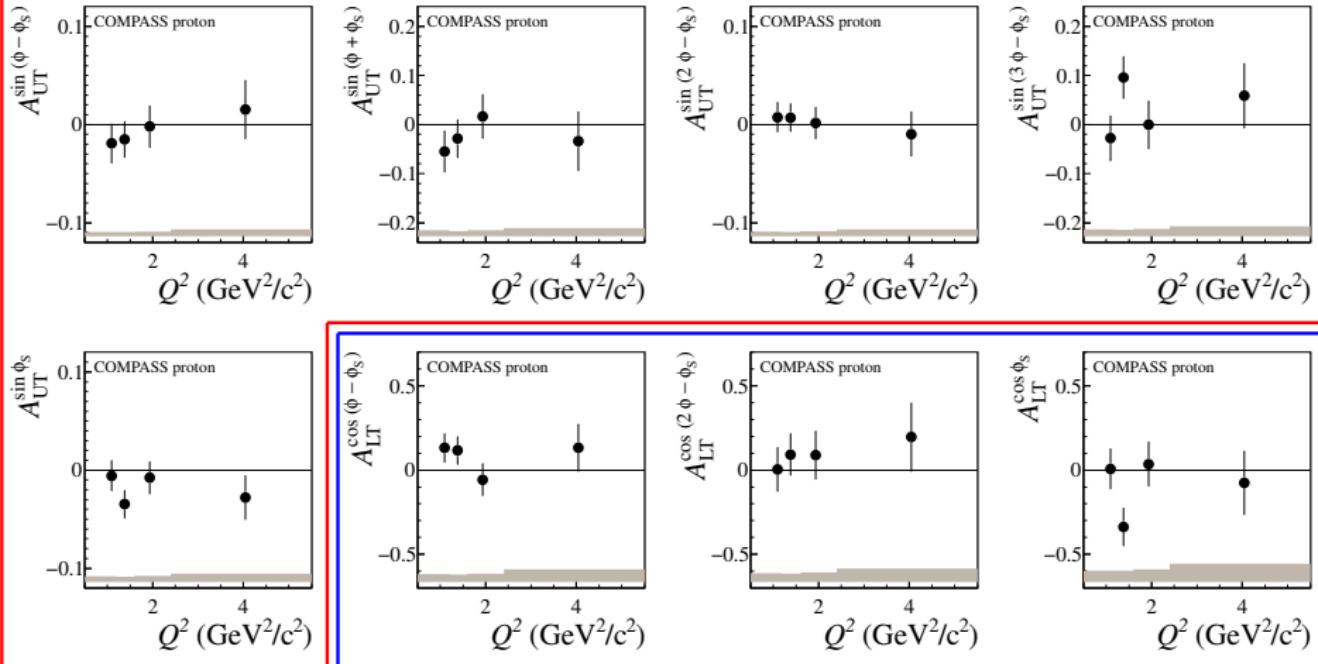
## as a function of $p_T^2$



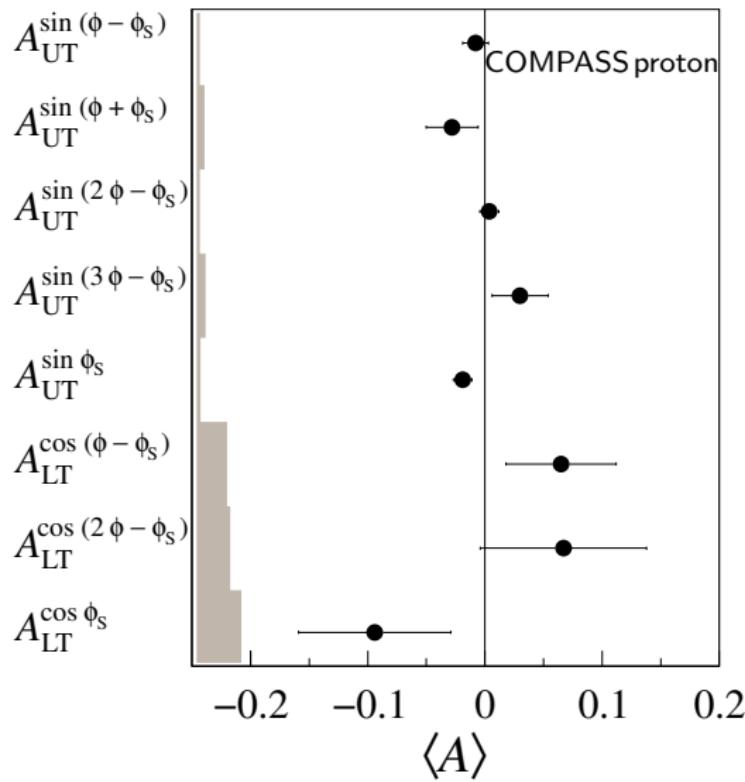
# Asymmetry $A_{UT,LT}$ - NH<sub>3</sub> target (2007&2010) as a function of $x_{Bj}$



# Asymmetry $A_{UT,LT}$ - NH<sub>3</sub> target (2007&2010) as a function of $Q^2$



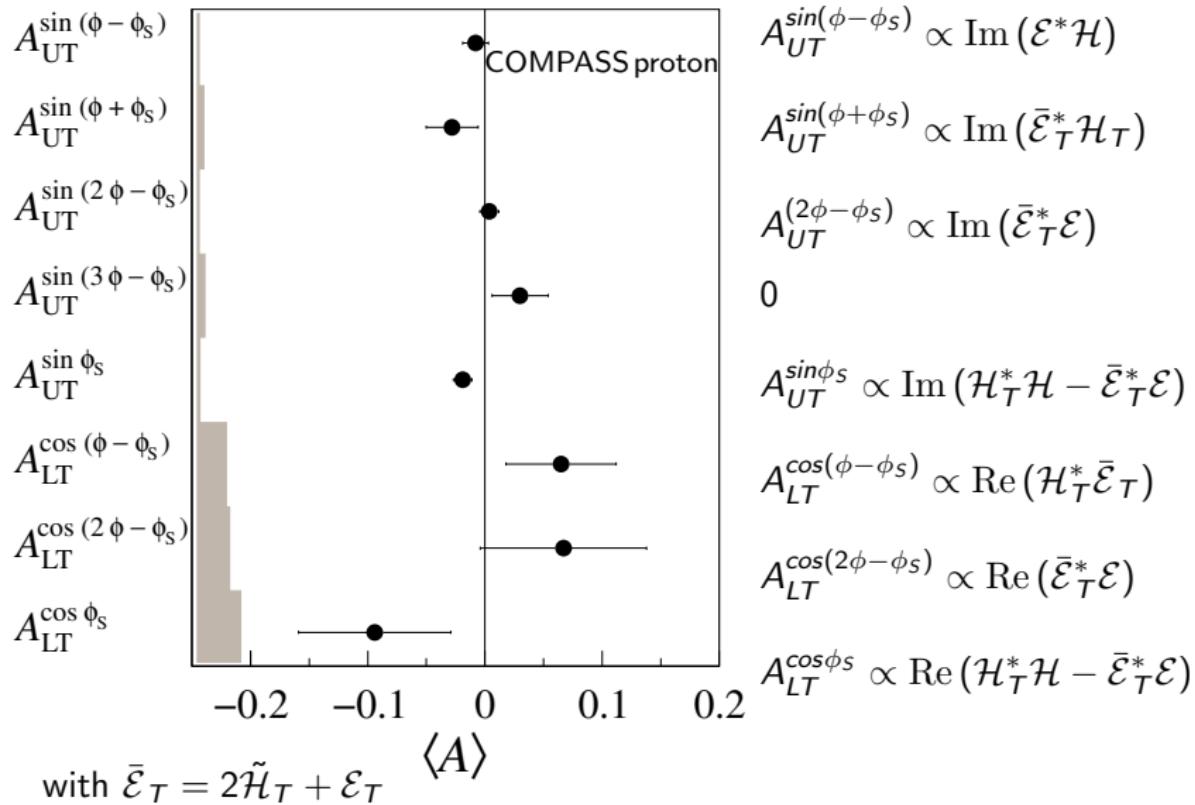
# Mean asymmetries - NH<sub>3</sub> target



Phys.Lett. B731 (2014) 19-26

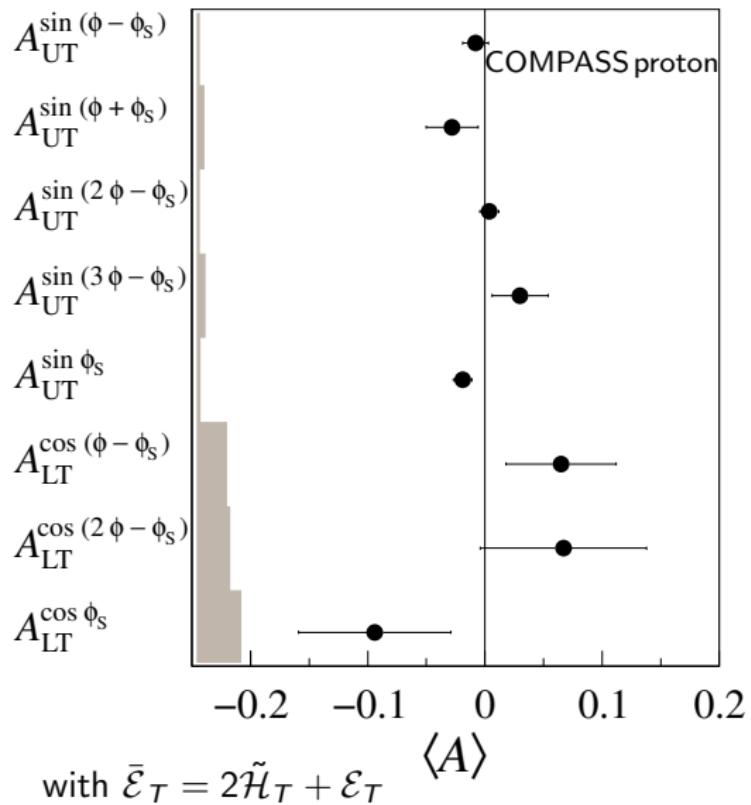
# Mean asymmetries - NH<sub>3</sub> target

Goloskokov & Kroll  
Eur.Phys.J. C74 (2014)



# Mean asymmetries - NH<sub>3</sub> target

Goloskokov & Kroll  
Eur.Phys.J. C74 (2014)



- $A_{UT}^{\sin(\phi - \phi_s)} \propto \text{Im} (\mathcal{E}^* \mathcal{H})$
- $A_{UT}^{\sin(\phi + \phi_s)} \propto \text{Im} (\bar{\mathcal{E}}_T^* \mathcal{H}_T)$
- $A_{UT}^{(2\phi - \phi_s)} \propto \underline{\text{Im} (\bar{\mathcal{E}}_T^* \mathcal{E})}$
- $A_{UT}^{\sin\phi_s} \propto \underline{\text{Im} (\mathcal{H}_T^* \mathcal{H} - \bar{\mathcal{E}}_T^* \mathcal{E})}$
- $A_{LT}^{\cos(\phi - \phi_s)} \propto \text{Re} (\mathcal{H}_T^* \bar{\mathcal{E}}_T)$
- $A_{LT}^{\cos(2\phi - \phi_s)} \propto \text{Re} (\bar{\mathcal{E}}_T^* \mathcal{E})$
- $A_{LT}^{\cos\phi_s} \propto \text{Re} (\mathcal{H}_T^* \mathcal{H} - \bar{\mathcal{E}}_T^* \mathcal{E})$

► Evidence for existence of  $H_T$

# GPDs vs. TMDs

$$\Delta = 0 \quad \swarrow \quad \text{GTMDs}(x, \xi, k_{\perp}, t) \quad \searrow \int dk_{\perp}^2 \quad \text{GPD}(x, \xi, \Delta)$$

Nucleon polarization

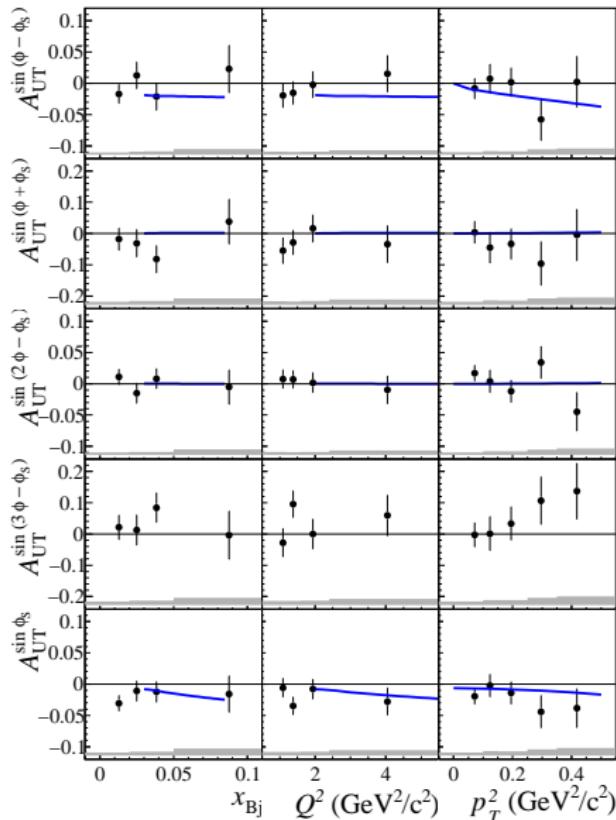
		U	T	L
Parton polarization	U	$f_1$	$h_1^{\perp}$	
	T	$f_{1T}^{\perp}$	$h_1 \cdot h_{1T}^{\perp}$	$g_{1T}$
	L		$h_{1L}^{\perp}$	$g_{1L}$

Nucleon polarization

		U	T	L
Parton polarization	U	$H$	$E_T$	
	T	$E$	$H_T, \tilde{H}_T$	$\tilde{E}$
	L		$\tilde{E}_T$	$\tilde{H}$

Transverse GPDs require an helicity flip between the emitted and reabsorbed quark

# Comparison with a phenomenological GPD-based model

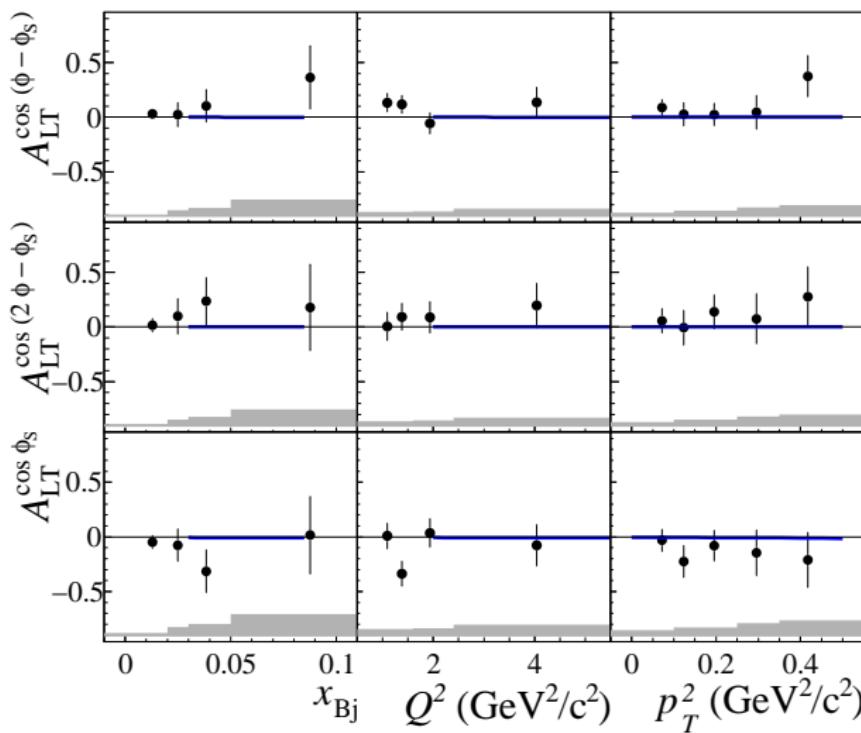


COMPASS proton

- ▶ Blue line: Model from Goloskokov and Kroll
- ▶ Phenomenological ‘handbag’ approach
- ▶ Includes twist-3  $\rho^0$  meson wave functions
- ▶ Includes contributions from  $\gamma_L^*$  and  $\gamma_T^*$

Phys.Lett. B731 (2014) 19-26

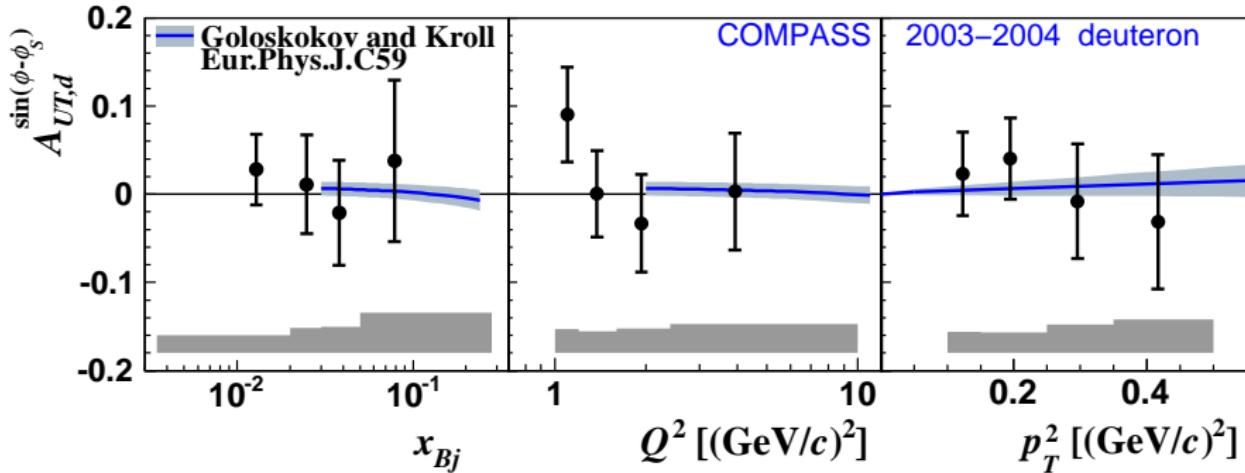
# Comparison with a phenomenological GPD-based model



COMPASS proton

- ▶ Predictions for COMPASS kinematic:  
 $W = 8.1 \text{ GeV}/c^2$ ,  
 $p_T^2 = 0.2 (\text{GeV}/c)^2$ ,  
 $Q^2 = 2.2 (\text{GeV}/c)^2$

# Asymmetry $A_{UT,d}^{\sin(\phi - \phi_s)}$ - ${}^6\text{LiD}$ target (2003&2004)



- ▶ Contribution from GPDs  $E^u$  and  $E^d$  approx. cancel in exclusive  $\rho^0$  production
- ▶ But this is different for exclusive  $\omega$  production

# Exclusive $\omega$ production - event selection

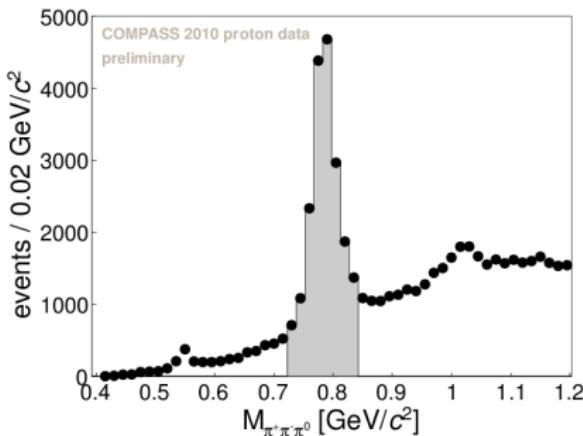
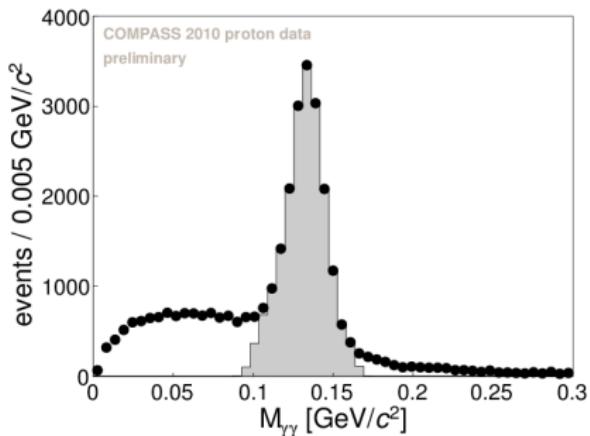
$$\mu + N^\uparrow \rightarrow \mu' + N' + \omega$$

$$\downarrow \pi^+ + \pi^- + \pi^0$$

BR: 89%

$$\downarrow \gamma + \gamma$$

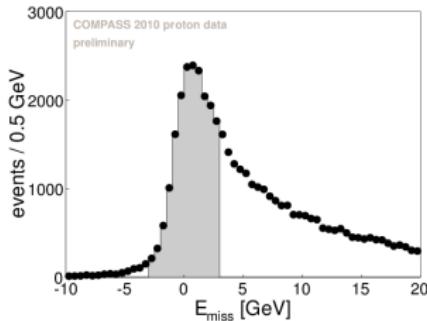
NH<sub>3</sub> target 2010



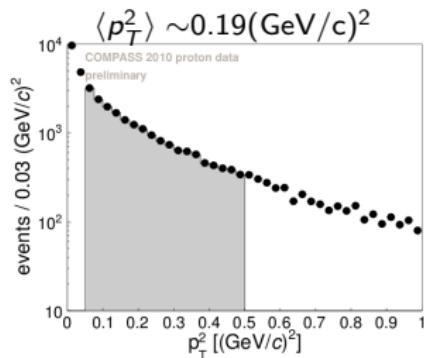
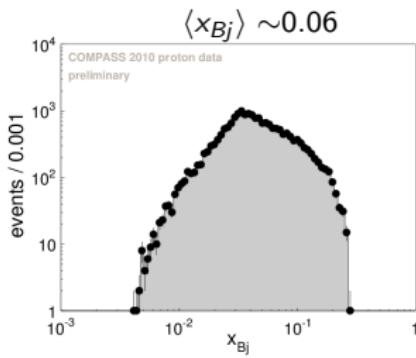
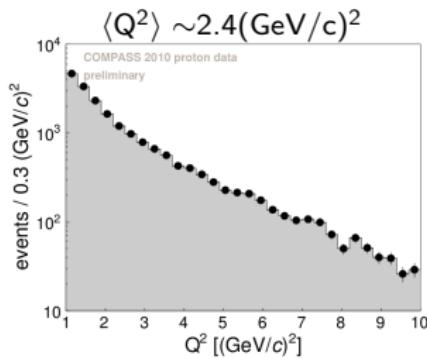
- ▶ Reconstruction of  $\gamma$ 's with ECAL1&ECAL2
- ▶ Energy dependent cut on  $M_{\gamma\gamma}$

- ▶  $|M_\omega^{\text{PDG}} - M_\omega^{\text{recon}}| < 3 \cdot 0.02 \text{ GeV}/c^2$

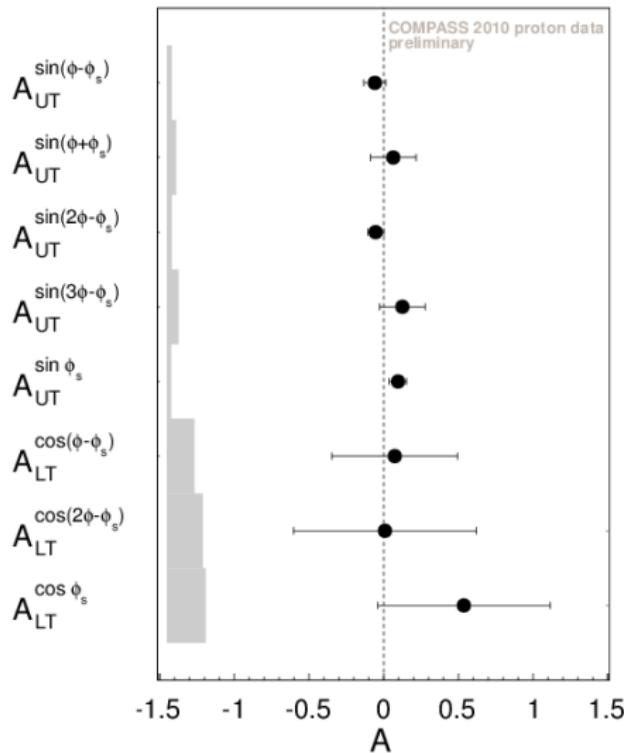
# Exclusive $\omega$ production - event selection



- ▶ Cut:  $|E_{\text{miss}}| < 3 \text{ GeV}$
- ▶ Comparable concept of semi-inclusive background correction as for  $\rho^0$  analysis
- ▶ Total amount of SIDIS background: 34%

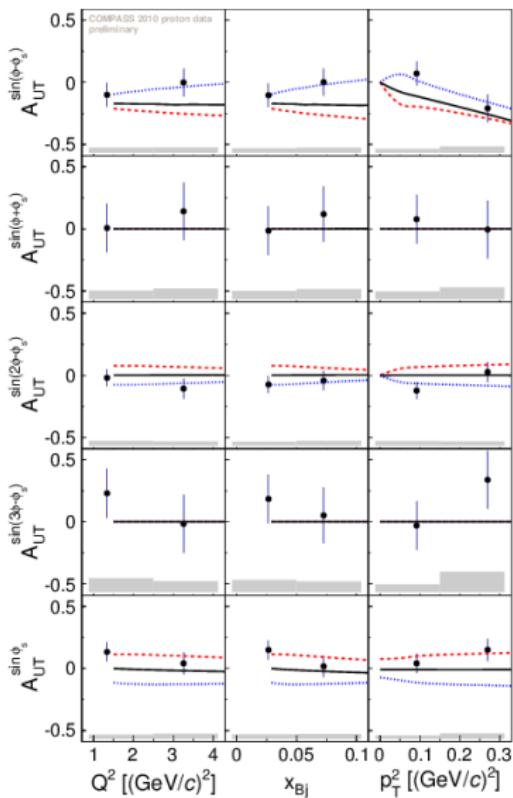


# Mean asymmetries

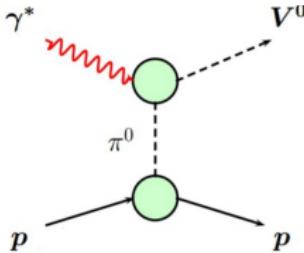


- ▶ Asymmetries are extracted using an unbinned maximum likelihood estimator
- ▶ Different weight for signal and background

# Single-spin asymmetries



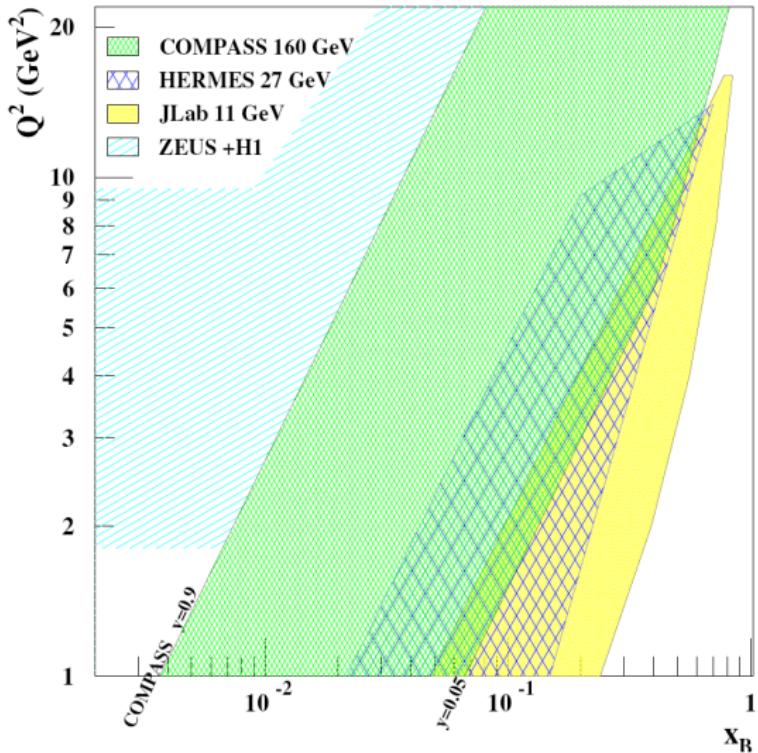
- are extracted with 2 bins in  $Q^2$ ,  $x_{Bj}$  and  $p_T^2$
- GK model predictions
  - positive  $\pi\omega$  form factor
  - no pion pole
  - negative  $\pi\omega$  form factor
- Contribution from pion pole is
  - small for  $\rho^0$  production
  - sizable for  $\omega$  production



Goloskokov & Kroll  
Eur.Phys.J. A50 (2014) 9, 164  
& private communication

# DVCS at COMPASS-II

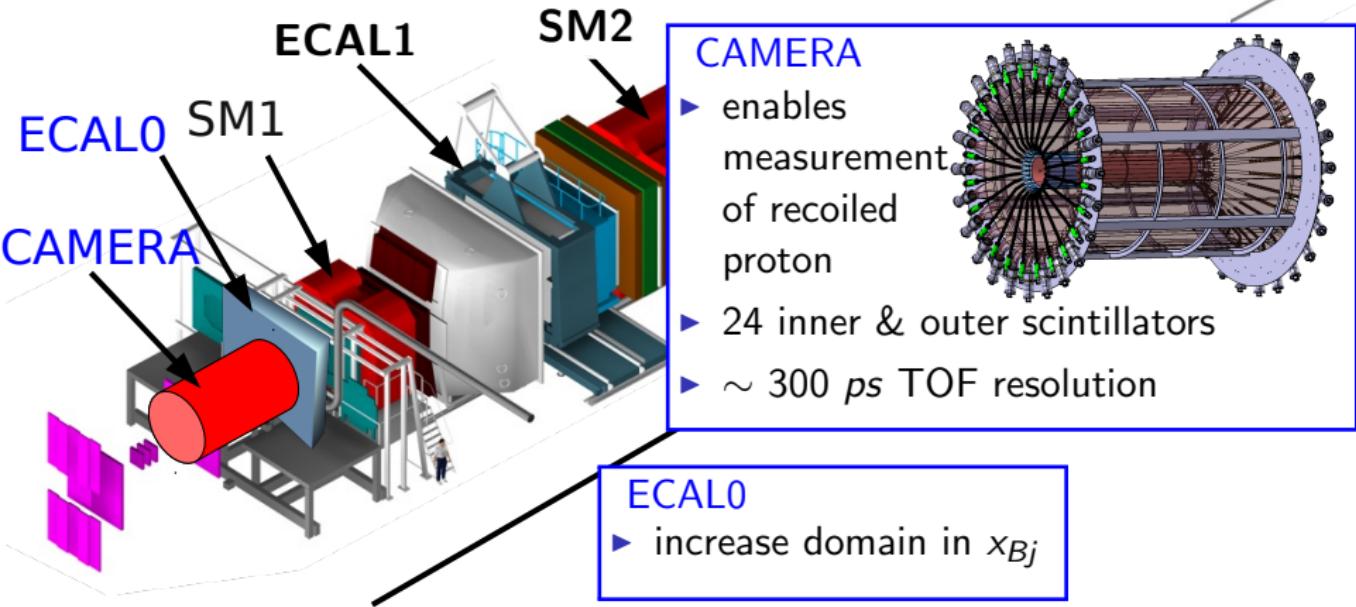
# DVCS at COMPASS-II



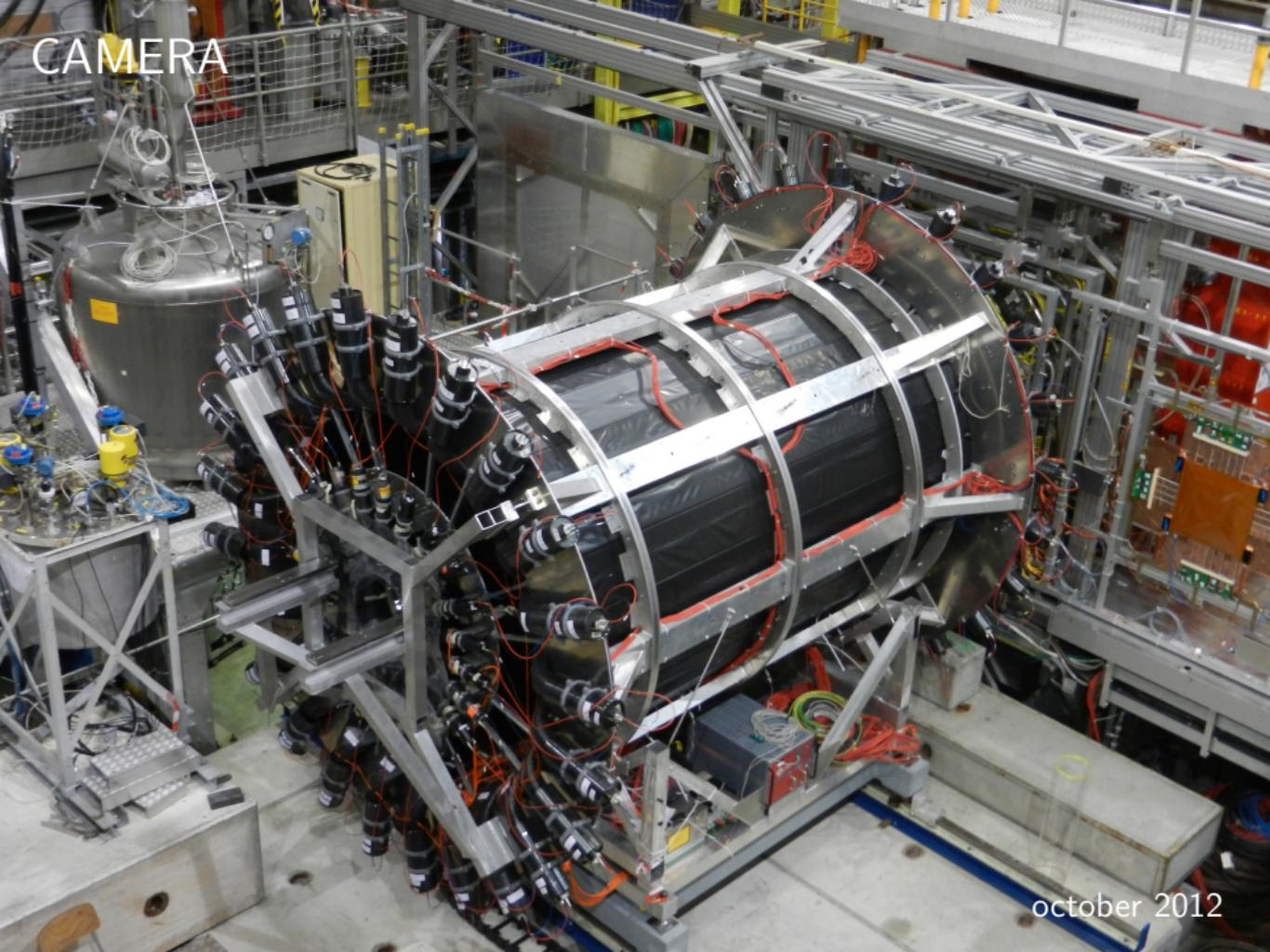
- ▶  $\mu^+$  and  $\mu^-$  beam with opposite polarization
- ▶ Momentum: 100-190 GeV/c
- ▶ Polarized beam:  $\sim 80\%$
- ▶ Luminosity:  
 $\mathcal{L} = 10^{32} \text{ cm}^{-1} \text{ s}^{-1}$
- ▶ Unpolarized target  
→ sensitive to GPD  $H$
- ▶ Coverage of intermediate  $x_B$
- ▶ Unexplored region between the collider ( $H1+ZEUS$ ) and fixed target ( $HERMES+JLAB$ ) experiments

# DVCS at COMPASS-II

- ▶ 2008/09: first pilot run
- ▶ 2012: pilot run, 2,5m LH2 target and CAMERA detector
- ▶ 2016/17: measurement foreseen including a third ECAL



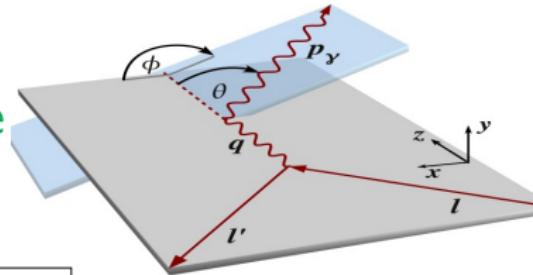
CAMERA



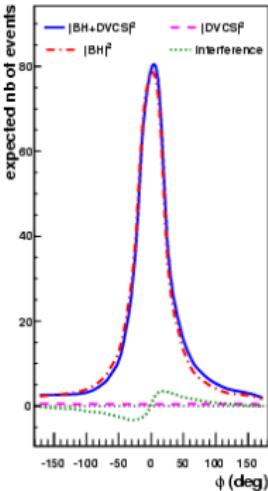
october 2012

# DVCS and BH

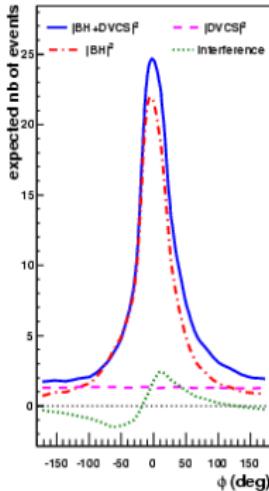
$$d\sigma \propto |\mathcal{T}^{\text{BT}}|^2 + |\mathcal{T}^{\text{DVCS}}|^2 + \text{interference term}$$



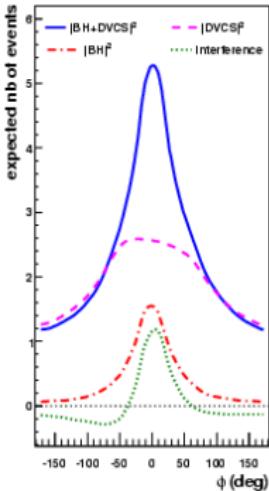
$0.005 < x_{Bj} < 0.01$



$0.01 < x_{Bj} < 0.03$



$x_{Bj} > 0.03$



$0.005 < x_{Bj} < 0.01$   
BH dominates

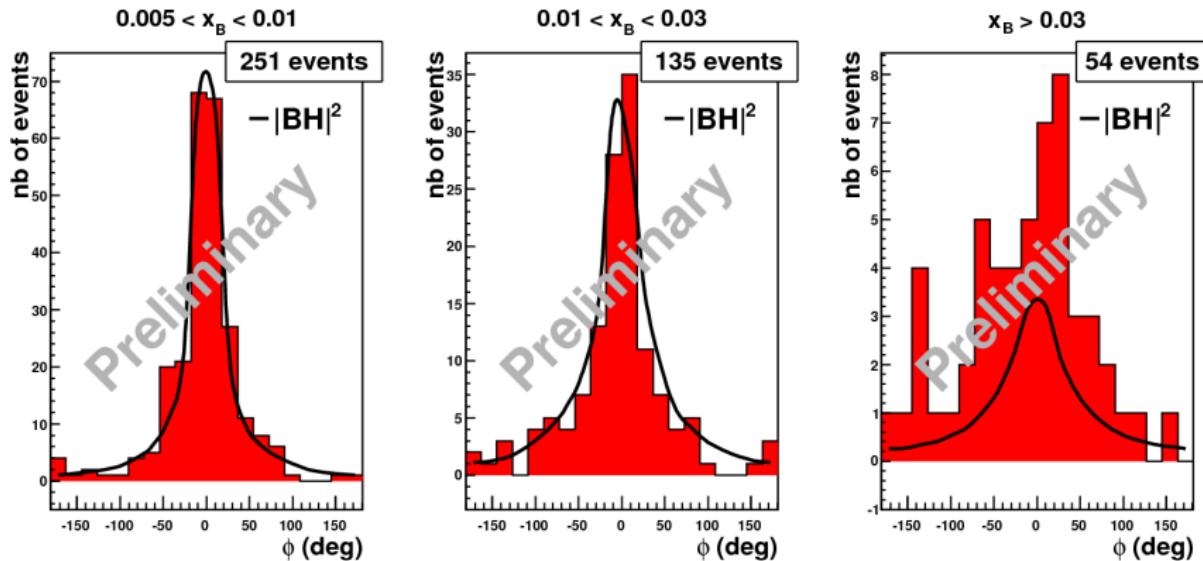
$0.01 < x_{Bj} < 0.03$   
study interference

$x_{Bj} > 0.03$   
DVCS dominates

Bethe-Heitler (BH)

Monte-Carlo Simulation for COMPASS only with ECAL1+2

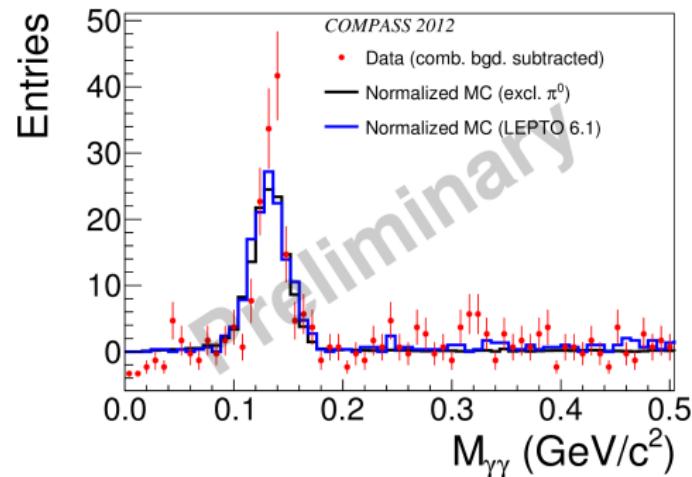
# First measurements - pilot run 2009



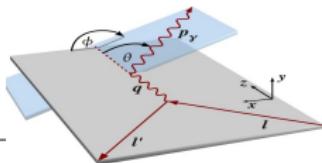
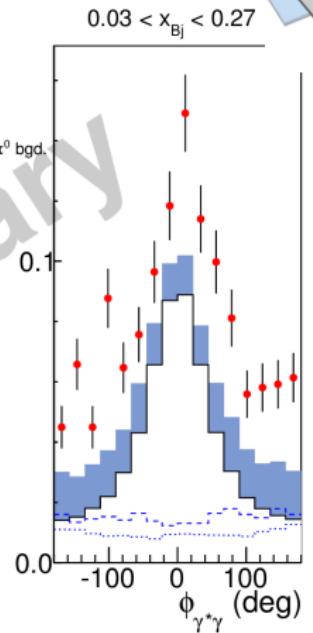
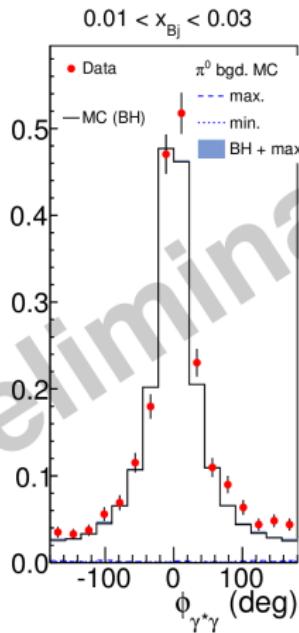
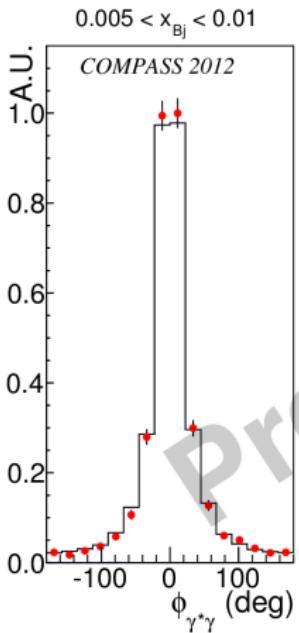
- ▶ 10 days data taking
- ▶ Shorter recoil proton detector and target length
- ▶ Global efficiency:  $\epsilon_{\text{global}} \approx 0.13$
- ▶  $x_{Bj} > 0.03$ : 54 events  $\approx 20 \text{ BH} + 34$  (DVCS and  $\gamma$  from  $\pi^0$ )

# $\pi^0$ Background estimation

- ▶ Two possible cases:
  - ▶ visible: both  $\gamma$  detected
  - ▶ invisible: one  $\gamma$  lost  $\rightarrow$  estimate with MC
- ▶ Consider limits (for the invisible part):
  - ▶ Fully semi-inclusive Background  $\rightarrow$  estimate with LEPTO
  - ▶ Fully exclusive Background  $\rightarrow$  HEPGEN/ $\pi^0$  (GK model)  
 $\rightarrow$  Gives lower and upper limits
- ▶ LEPTO&HEPGEN/ $\pi^0$  MC normalized to  $M_{\gamma_{excl}\gamma_{bgd}}$  peak from real data (visible  $\pi^0$ )

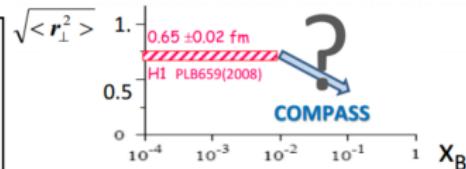
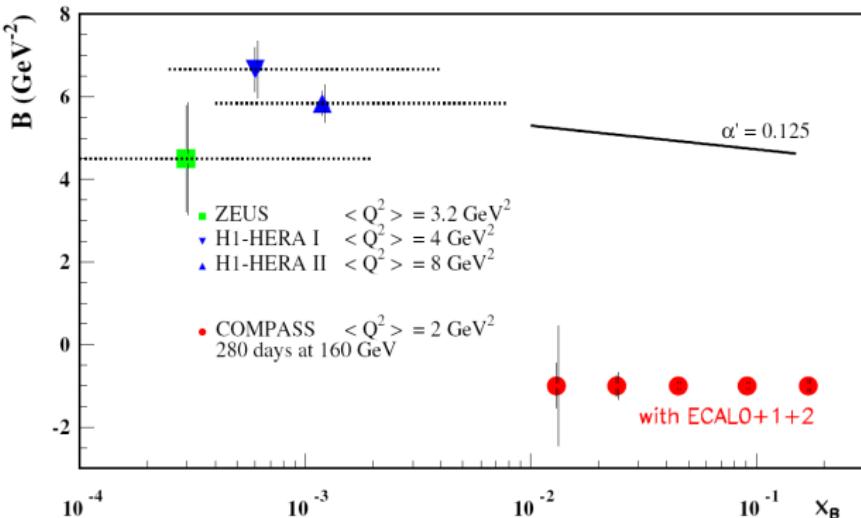


# Measurement 2012



- ▶ 4 weeks data taking
- ▶ BH contribution is normalized to lowest  $x_{Bj}$  bin
- ▶  $x_{Bj} > 0.03$ : 1268 events

# Beam charge & spin sum - MC prediction



Ansatz at small  $x_{Bj}$ :

$$B(x_{Bj}) = B_0 + 2\alpha' \ln\left(\frac{x_0}{x_{Bj}}\right)$$

$$\alpha = 0.125 \text{ GeV}^{-2}$$

$$B_0 = 5.83 \text{ GeV}^{-2}, x_0 = 0.0012$$

→ inspired by HERA

$$S_{CS,U} = d\sigma(\mu^{+\leftarrow}) + d\sigma(\mu^{-\rightarrow}) \propto d\sigma^{BH} + d\sigma_{unpol}^{DVCS} + e_\mu P_\mu \text{Im } I$$

► BH subtraction and integration of  $\phi \rightarrow d\sigma_{unpol}^{DVCS}$

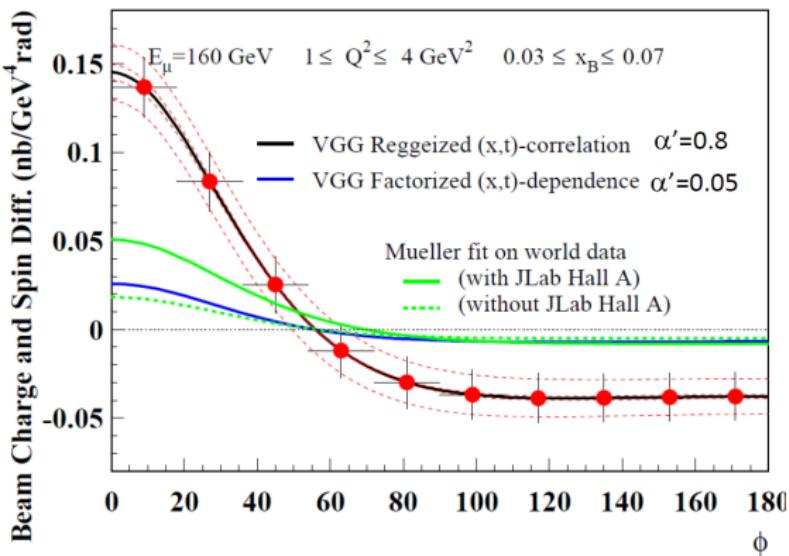
→  $d\sigma^{DVCS}/dt \sim \exp(-B|t|)$

→ Study transverse size of the nucleon:  $\langle r_\perp^2(x_{Bj}) \rangle \approx 2B(x_{Bj})$

H1 data  
Phys. Lett. B659 (2008)  
Eur. Phys. J. C44 (2005)

ZEUS data  
JHEP 05 (2009)

# Beam charge & spin difference - MC prediction

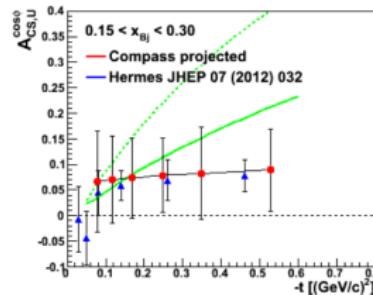
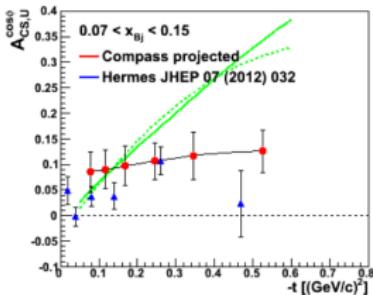
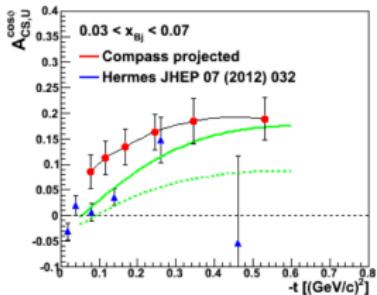
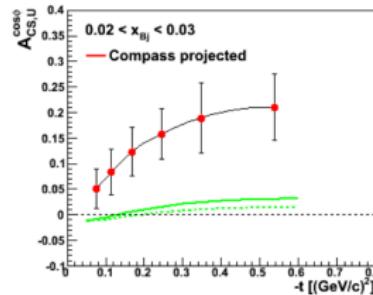
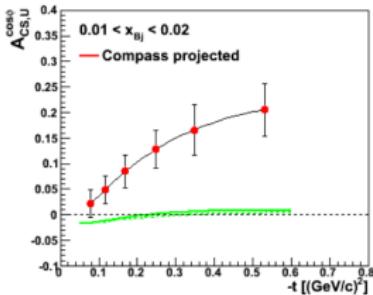
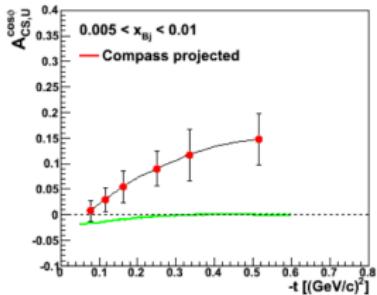


$$D_{CS,U} = d\sigma(\mu^{+\leftarrow}) - d\sigma(\mu^{-\leftarrow}) \propto c_0^{Int} + c_1^{Int} \cos\phi$$

- ▶ coefficients  $c_n$  are related to combinations of Compton Form Factors (CFFs)
- ▶  $c_{0,1}^{int} \sim \operatorname{Re} \mathcal{H}$

VGG model  
Phys. Rev. D60 (1999) 094011  
Mueller fit  
Nucl.Phys. B841 (2010) 1-58

# Beam charge & spin asymmetry - MC prediction

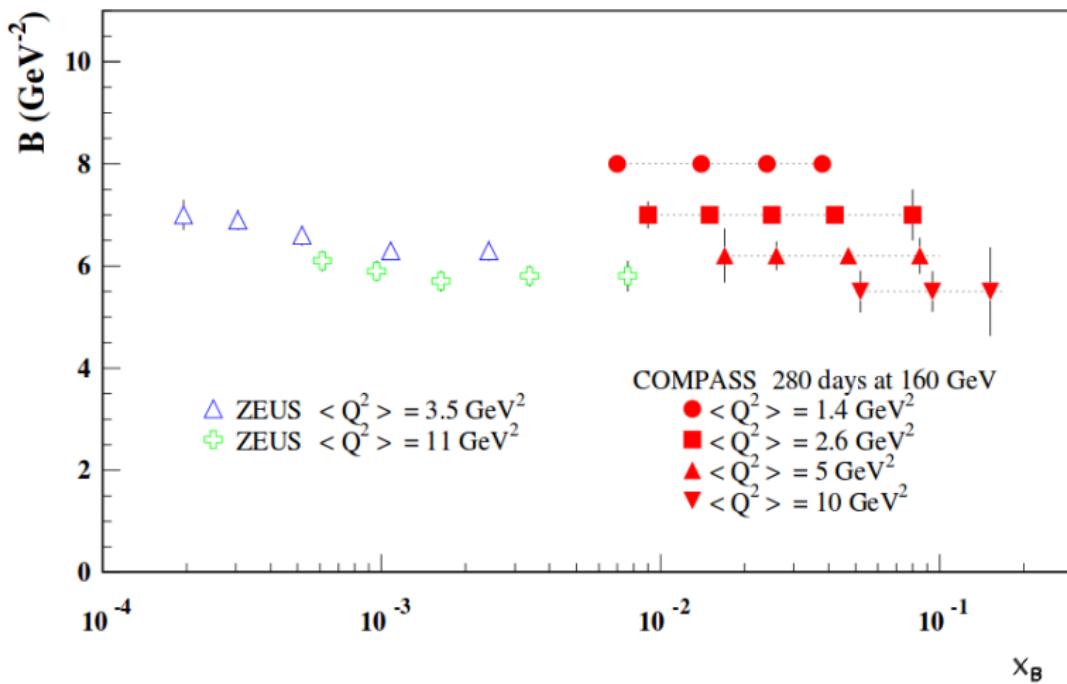


Predictions from VGG and D.Mueller

$$A_{CS,U}^{\cos\phi} \text{ related to } c_1^{\text{Int}} \sim \text{Re } \mathcal{H}$$

VGG model  
Phys. Rev. D60 (1999) 09401  
Mueller fit  
Nucl.Phys. B841 (2010) 1-58

# Exclusive $\rho^0$ production - MC prediction



- ▶ Sensitiv to nucleon transverse size + meson transverse size
- ▶ Ongoing analysis on 2012 data: DVCS,  $\rho^0$ ,  $\pi^0$

ZEUS data  
PMC Phys. A1 (2007)

## Summary - HEMP

- ▶ Exclusive  $\rho^0$  production in high energy muon scattering off transversely polarized protons and deuterons was studied
- ▶ Exclusive  $\omega$  production in high energy muon scattering off transversely polarized protons was studied
- ▶ Results for 5 transverse target single-spin asymmetries  $A_{UT,p}$  and 3 transverse target double-spin asymmetries  $A_{LT,p}$  for transversely polarized protons were presented
- ▶ Most of the modulations are small, consistent with 0 within experimental uncertainties
- ▶ Sensitiv to:
  - ▶ GPD  $E \rightarrow$  orbital angular momentum
  - ▶ GPD  $H_T \rightarrow$  transversity
- ▶ Future: exclusive  $\phi$ ,  $J/\psi$ , ...

## Summary & outlook - DVCS

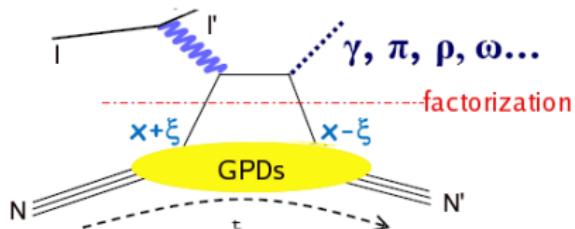
- ▶ Unique: frequent change of beam charge and polarization
- ▶ Dominant BH process visible at small  $x_{Bj}$
- ▶ Excess over BH+background observed at large  $x_{Bj}$
- ▶ Analysis for 2012 ongoing: DVCS,  $\rho^0$ ,  $\pi^0$
- ▶ Future: study nucleon transversal dimension as a function of  $x_{Bj}$  and  $D_{CS,U}$ ,  $S_{CS,U}$
- ▶ Next DVCS measurement 2016 and 2017
- ▶ Long-term future:  
DVCS & HEMP with transversely polarized target and recoil detector ( $\gamma$ ,  $\rho^0$ ,  $\omega$ ,  $\phi$ ,  $J/\psi$ , ...)

# BACKUP

# Generalized parton distributions - basic facts

- ▶ Factorisation in hard and soft part
  - ▶ Soft part can be parametrized with GPDs
  - ▶ 8 GPDs for each quarks and gluons:  
4 chiral-even GPDs:  $H, \tilde{H}, E, \tilde{E}$   
4 chiral-odd GPDs:  $H_T, \tilde{H}_T, E_T, \tilde{E}_T$
  - ▶ Two possible processes:  
HEMP and DVCS
- Both measurable at COMPASS

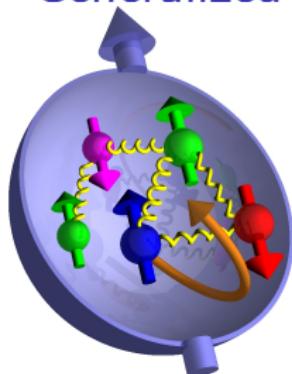
$$\begin{aligned} I + N &\rightarrow I' + N' + M \text{ (HEMP)} \\ \text{or} \\ I + N &\rightarrow I' + N' + \gamma \text{ (DVCS)} \end{aligned}$$



$$M = \rho^0, \omega, \phi, \pi, \dots$$

$x$  = average long. momentum fraction of the parton  
 $t = \Delta^2 = (N' - N)^2$   
 $2\xi$  = long. momentum fraction of  $\Delta$

# Generalized parton distributions - application



$$\frac{1}{2} = \frac{1}{2} \Delta\Sigma + \Delta G + \mathcal{L}$$

(Jaffe&Manohar Nucl.Phys.B337 (1990))

- ▶  $\frac{1}{2} \Delta\Sigma \sim 0.15$  known from DIS/SIDIS
- ▶  $|\Delta G| \sim 0.2$  first indications from DIS/pp
- ▶  $\mathcal{L}$  unknown

**Ji's sum rule** connects the Generalized Parton Distributions (GPDs)  $H(x, \xi, t)$  and  $E(x, \xi, t)$  with the total angular momentum  $J^{q,g}$

$$J^q = \frac{1}{2} \lim_{t \rightarrow 0} \int_{-1}^{+1} x [H^q(x, \xi, t) + E^q(x, \xi, t)] dx$$

(Phys.Rev.Lett.78 (1997))

$x$  = average long. momentum fraction of the parton  
 $t = \Delta^2 = (N'-N)^2$   
 $2\xi$  = long. momentum fraction of  $\Delta$

# Comparison with a phenomenological GPD-based model

Goloskokov & Kroll

- ▶ phenomenological ‘handbag’ approach Eur.Phys.J.C 59 (2009)
- ▶ based on  $k_\perp$  factorisation
- ▶ includes twist-3 meson wave functions
- ▶ includes contributions from  $\gamma_L^*$  and  $\gamma_T^*$

$$\sigma_{\mu\sigma}^{\nu\lambda} = \sum \mathcal{M}_{\mu'\nu',\mu\nu}^* \mathcal{M}_{\mu'\nu',\sigma\lambda}$$

$$A_{UT}^{\sin(\phi - \phi_s)} \sigma_0 = -2\text{Im} \left[ \epsilon \mathcal{M}_{0-,0+}^* \mathcal{M}_{0+,0+} + \mathcal{M}_{+-,++}^* \mathcal{M}_{++,++} + \frac{1}{2} \mathcal{M}_{0-,++,0+}^* \mathcal{M}_{0+,++,0+} \right]$$

$$A_{UT}^{\sin(\phi_s)} \sigma_0 = -\text{Im} \left[ \mathcal{M}_{0-,++,0+}^* \mathcal{M}_{0+,0+} - \mathcal{M}_{0+,++,0-}^* \mathcal{M}_{0-,0+} \right]$$

$$A_{UT}^{\sin(2\phi - \phi_s)} \sigma_0 = -\text{Im} \left[ \mathcal{M}_{0+,++,0-}^* \mathcal{M}_{0-,0+} \right]$$

$$A_{LT}^{\cos(\phi_s)} \sigma_0 = -\text{Re} \left[ \mathcal{M}_{0-,++,0+}^* \mathcal{M}_{0+,0+} - \mathcal{M}_{0+,++,0-}^* \mathcal{M}_{0-,0+} \right]$$

$\mathcal{M}_{\delta\gamma,\beta\alpha}$  = helicity amplitudes  
 $\alpha$  = initial-state proton helicity  
 $\beta$  = virtual-photon helicity  
 $\gamma$  = final-state proton helicity  
 $\delta$  = meson helicity

## Comparison with a phenomenological GPD-based model

Up to now mainly used to describe DVCS and HEMP:  
chiral-even GPDs

$$\gamma_L^* \rightarrow \rho_L^0 \quad \mathcal{M}_{0+,0+} \sim H; \mathcal{M}_{0-,0+} \sim E \quad \text{dominant}$$

$$\gamma_T^* \rightarrow \rho_T^0 \quad \mathcal{M}_{++,++} \sim H; \mathcal{M}_{+-,++} \sim E \quad \text{suppressed}$$

Recently introduced: chrial-odd (transverse) GPDs

$$\gamma_T^* \rightarrow \rho_L^0 \quad \mathcal{M}_{0-,++} \sim H_T; \mathcal{M}_{0+,++} \sim \bar{E}_T = 2\tilde{H}_T + E_T$$

$\gamma_L^* \rightarrow \rho_T^0$ ,  $\gamma_T^* \rightarrow \rho_{-T}^0$  known to be suppressed, neglected in the model