



Review of results on polarized glue from fixed-target DIS experiments

G. K. Mallot

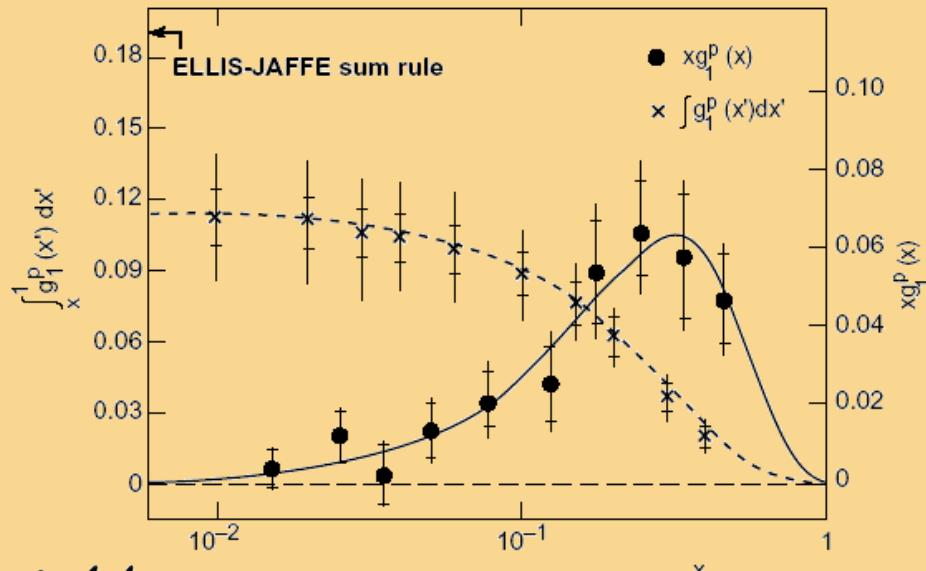
CERN/PH



APS Meeting, St. Louis, MO, 12-15 April , 2008



EMC 1987/88



20TH ANNIVERSARY

Lepton-Photon 1989

To summarise, let us return to the fit of Fig. 7 and 8. At $Q^2=10\text{GeV}^2$ this corresponds to $\Delta g=6.3$ and so the proton helicity is given by

$$\begin{aligned}\frac{1}{2} &= \frac{1}{2}\Delta\Sigma + \Delta g + L_Z \\ &= 0.35 + 6.3 - 6.15\end{aligned}$$

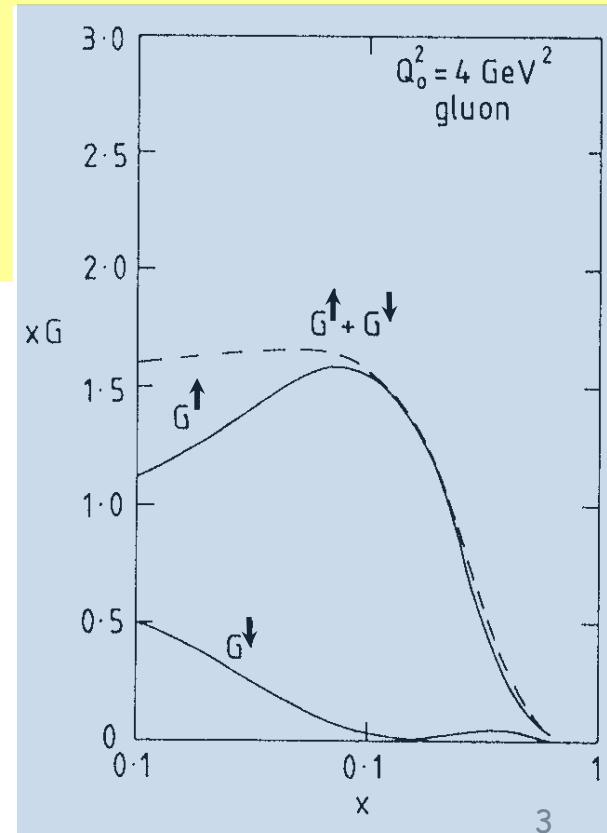
G. Ross 1989

possible scenario:

$$\Delta G \approx 6 \quad (Q^2=10\text{ GeV}^2)$$

$$\Delta g/g(x) = 1 \quad \text{for } x_g > 0.1$$

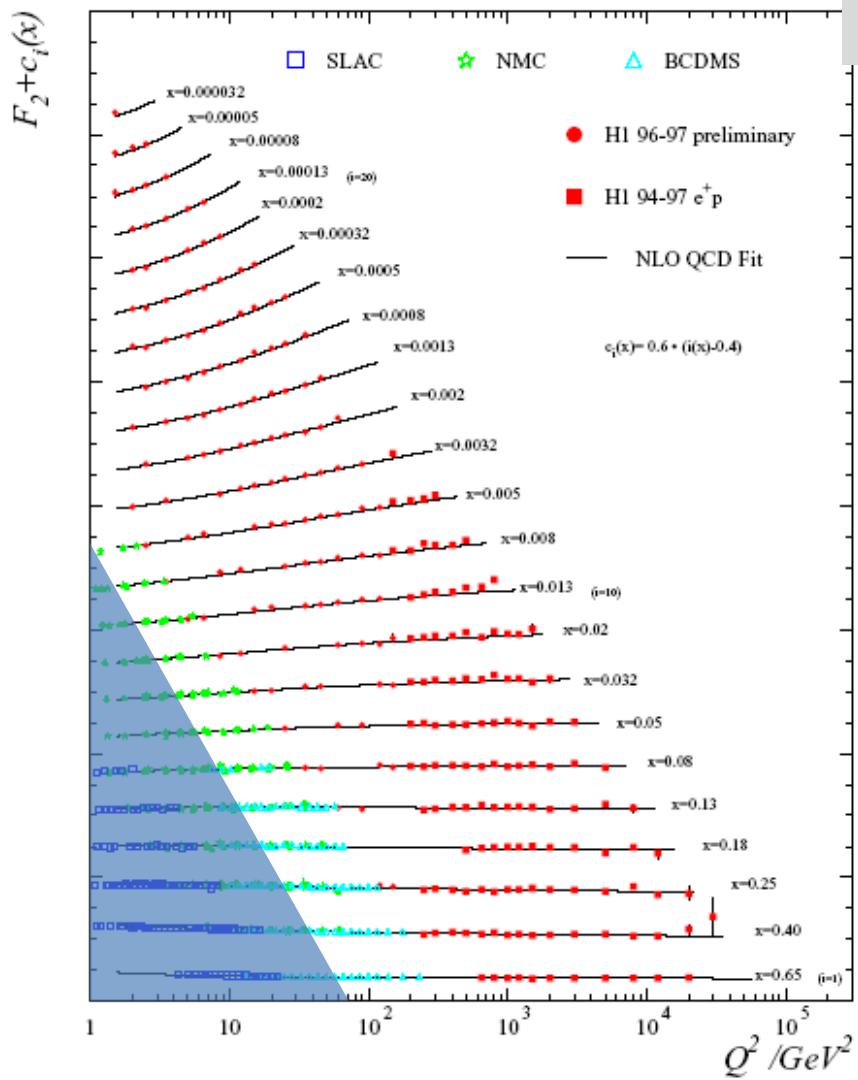
Let's measure it!



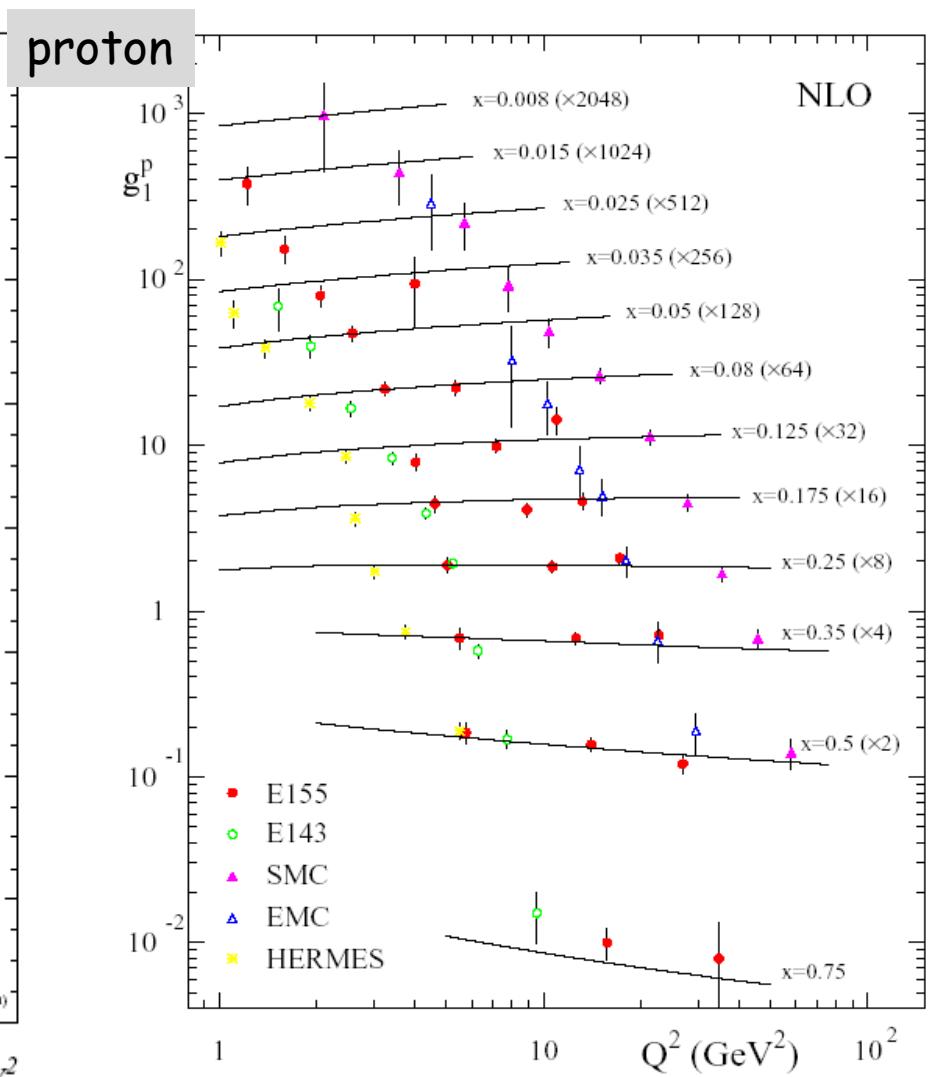
Δg in fixed-target DIS exp.

- scaling violations of g_1
 - inclusive DIS EMC, SMC, SLAC, HERMES, COMPASS, JLab
- hadron production via PGF
 - hadron pairs SMC, HERMES, COMPASS
 - single hadrons HERMES, (COMPASS)
 - charmed hadrons COMPASS

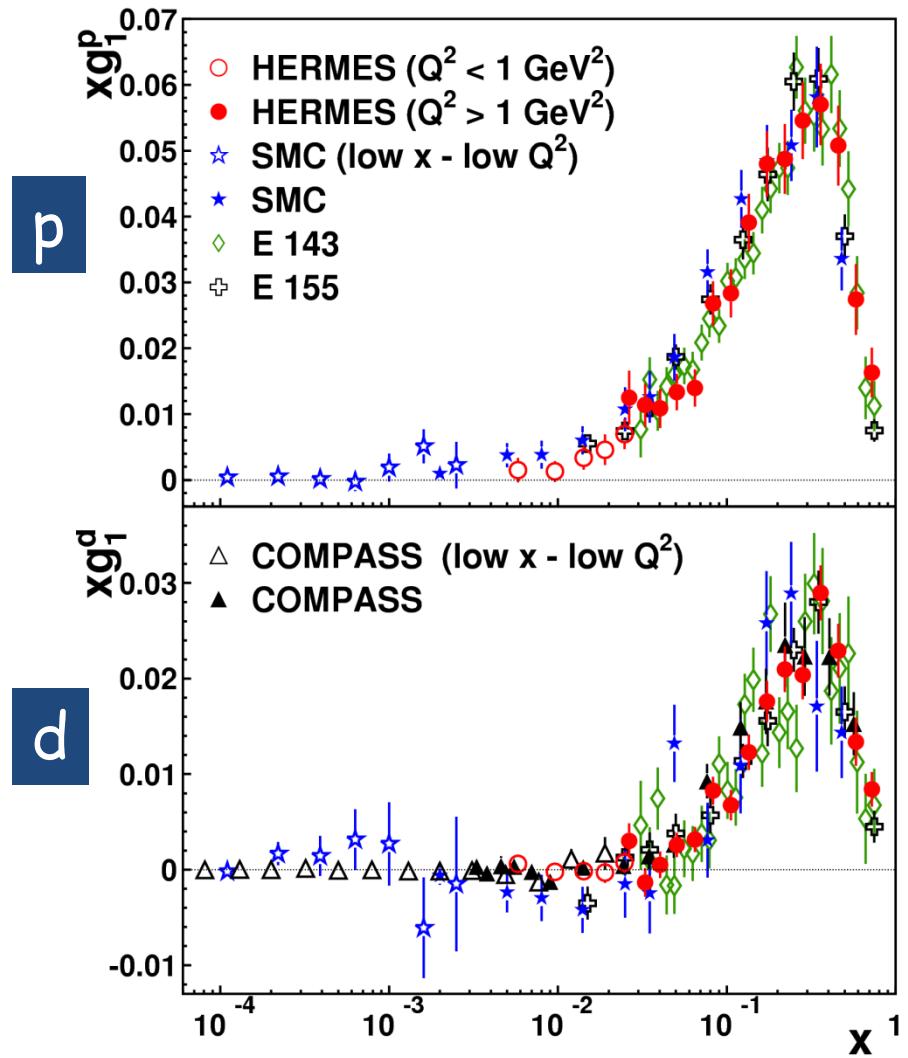
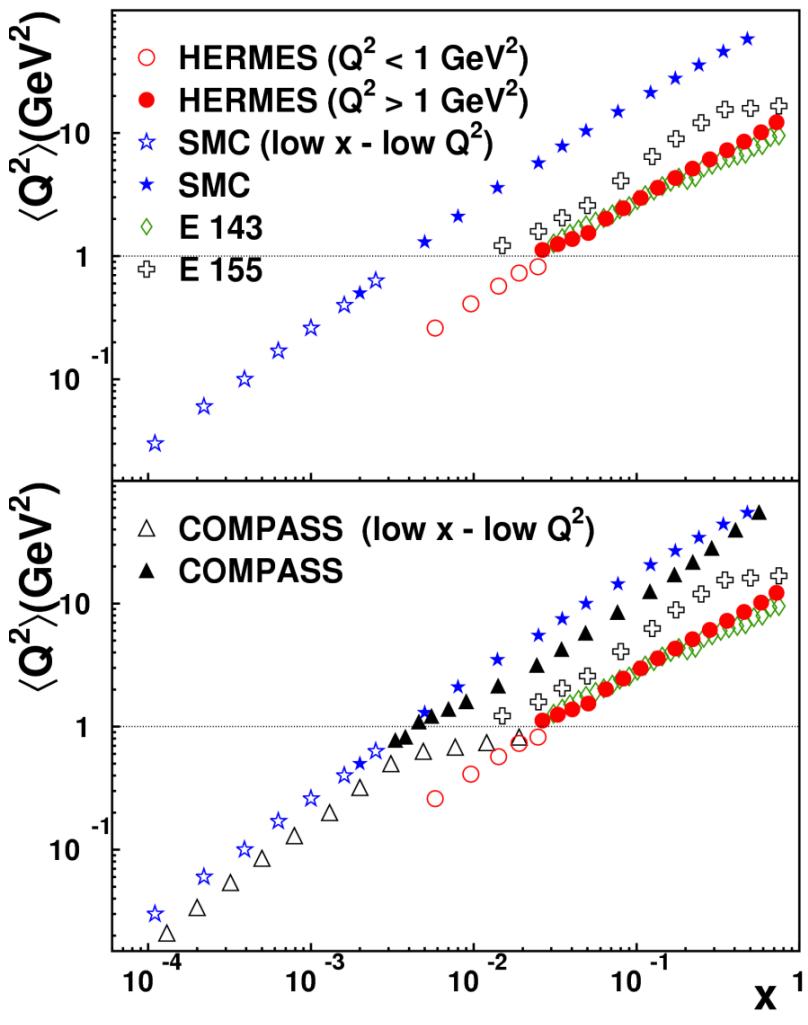
$F_2(x, Q^2)$



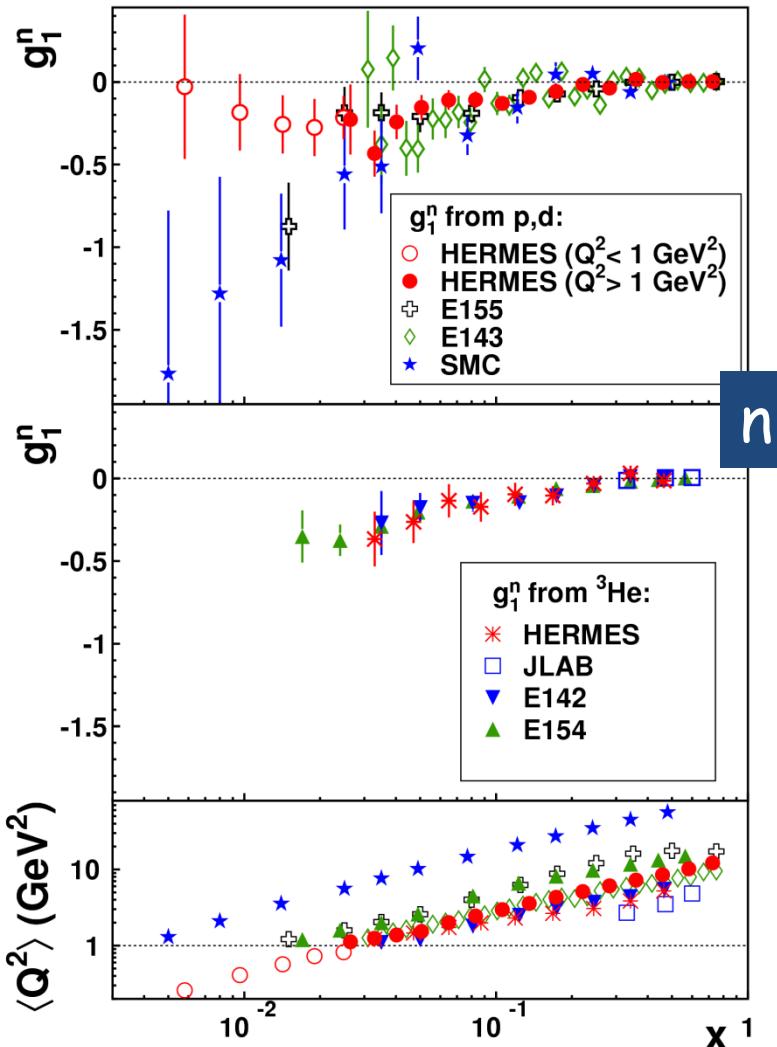
$g_1(x, Q^2)$



World data on $xg_1(x, Q^2)$



World data on neutron g_1



from p and d

$$g_1^n = \frac{2}{1 - \frac{3}{2}\omega_D} g_1^d - g_1^p$$

from ${}^3\text{He}$

Scaling violations: QCD fits

NLO DGLAP:

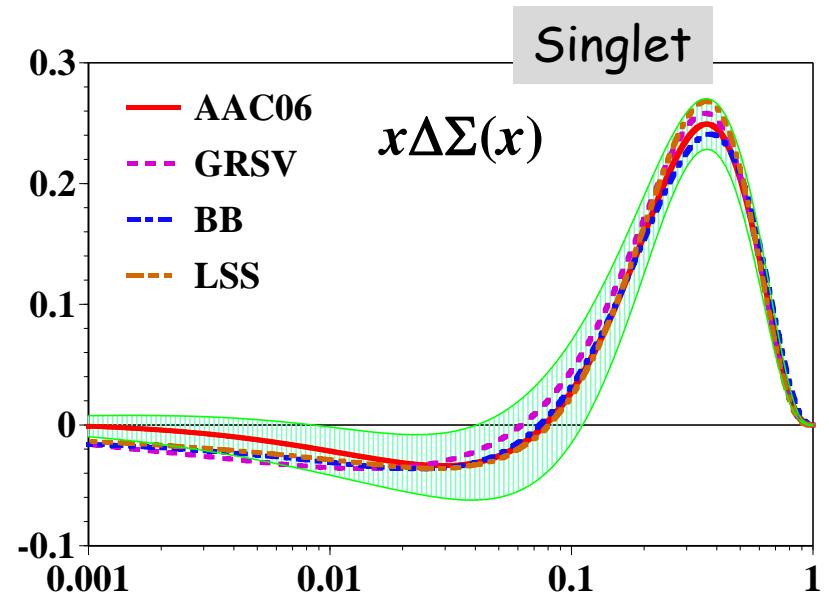
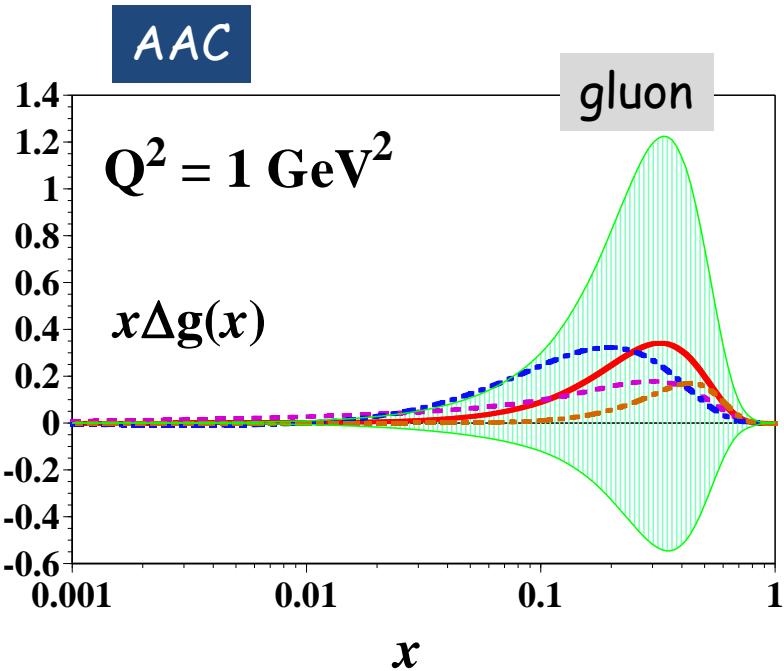
$$\frac{d}{d \ln Q^2} \Delta q^{\text{ns}} = \Delta \mathcal{P}_{qq}^{\text{ns}} \otimes \Delta q^{\text{ns}}$$

$$\frac{d}{d \ln Q^2} \begin{pmatrix} \Delta q^S \\ \Delta g \end{pmatrix} = \begin{pmatrix} \Delta \mathcal{P}_{qq}^S & \Delta \mathcal{P}_{qg}^S \\ \Delta \mathcal{P}_{gq}^S & \Delta \mathcal{P}_{gg}^S \end{pmatrix} \otimes \begin{pmatrix} \Delta q^S \\ \Delta g \end{pmatrix}$$

- choose scheme $\overline{\text{MS}}, \text{AB}, \text{jet and } Q_0^2$
- optionally fix ns moments from hyperon decays (a_3, a_8)
- fit PDFs for quark **non-singlet** and **singlet** and **gluon** to g_1 data
- functional form of PDFs biases error band
- extra problems in polarized case:
 - no positivity condition, no momentum sum rule
- higher twist, ...

QCD fits

- many groups performing World Data fits
- most recent and complete DSSV → De Florian
- here: AAC, LSS06, COMPASS

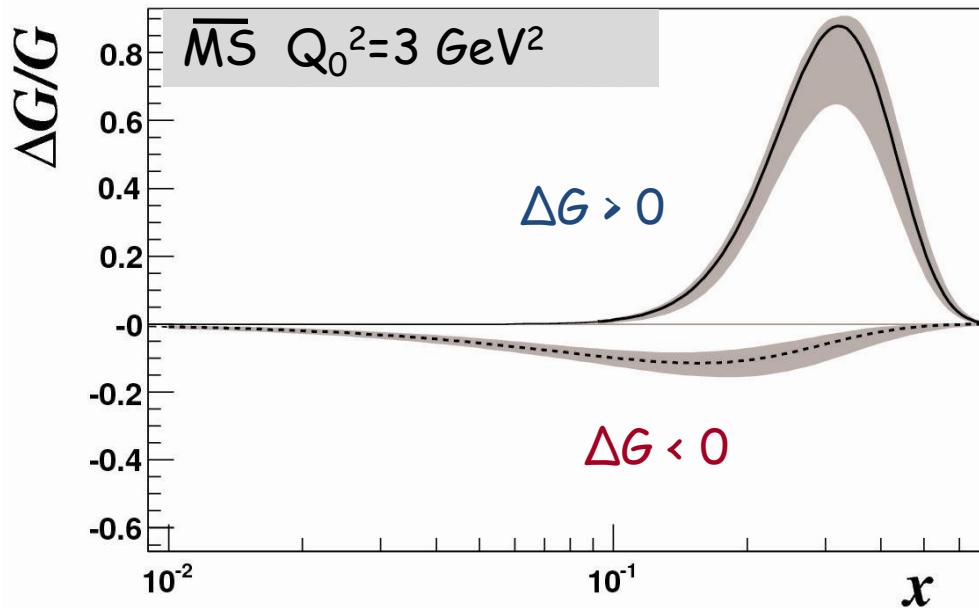


note: errors of AAC account for simultaneous deviation of all parameters

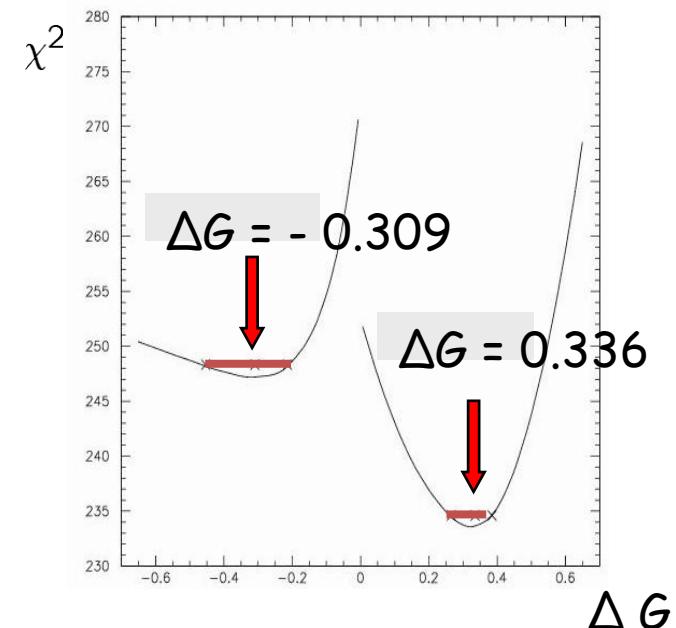


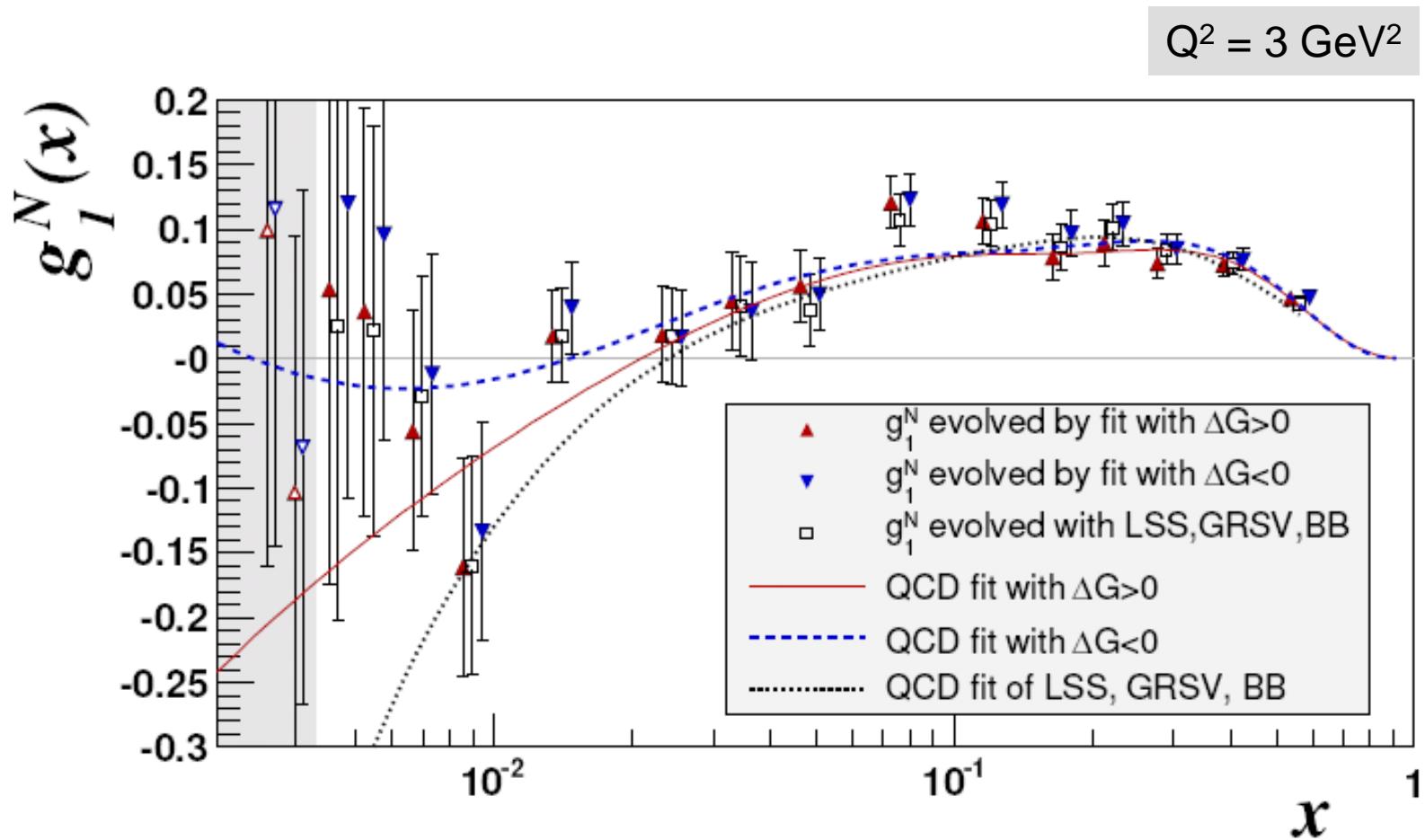
Fit with new deuteron g_1

- two solutions with $\Delta G > 0$ and $\Delta G < 0$
- uncertainty due to parametrization not included



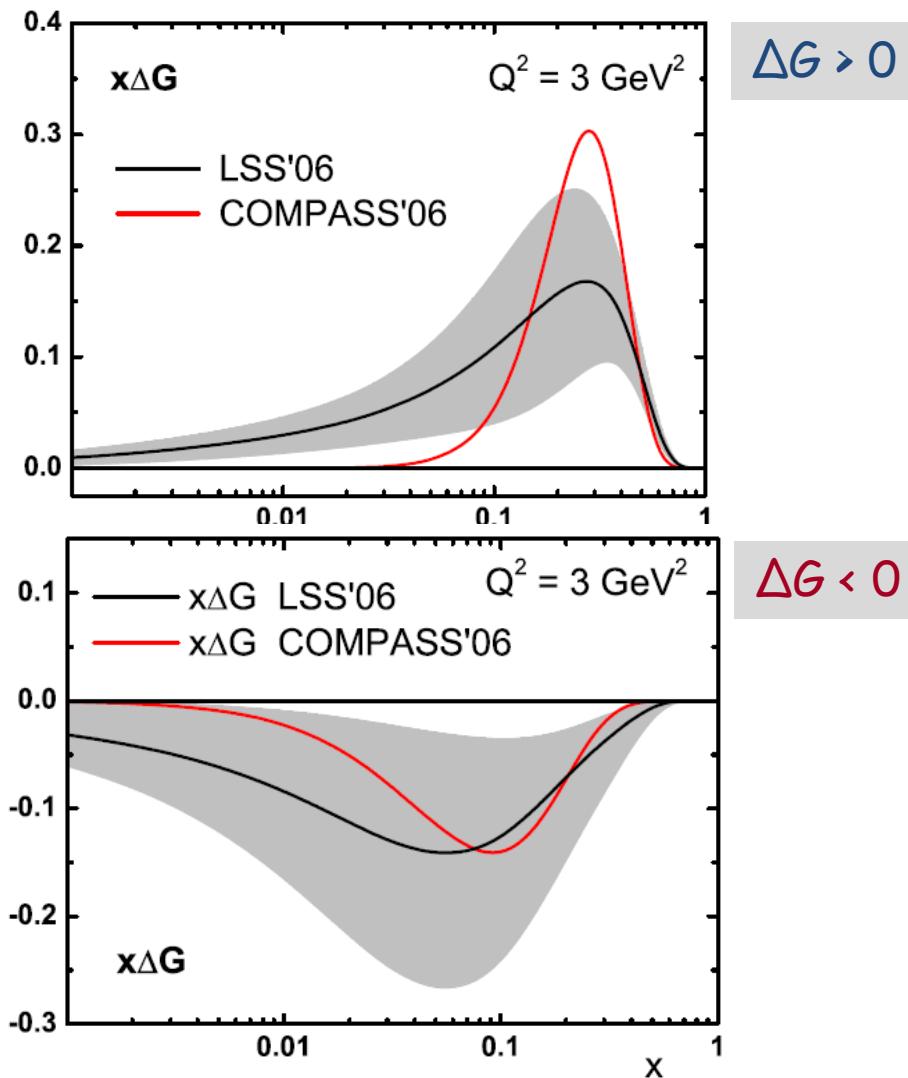
PLB 647 (2007) 8-17



COMPASS deuteron g_1 

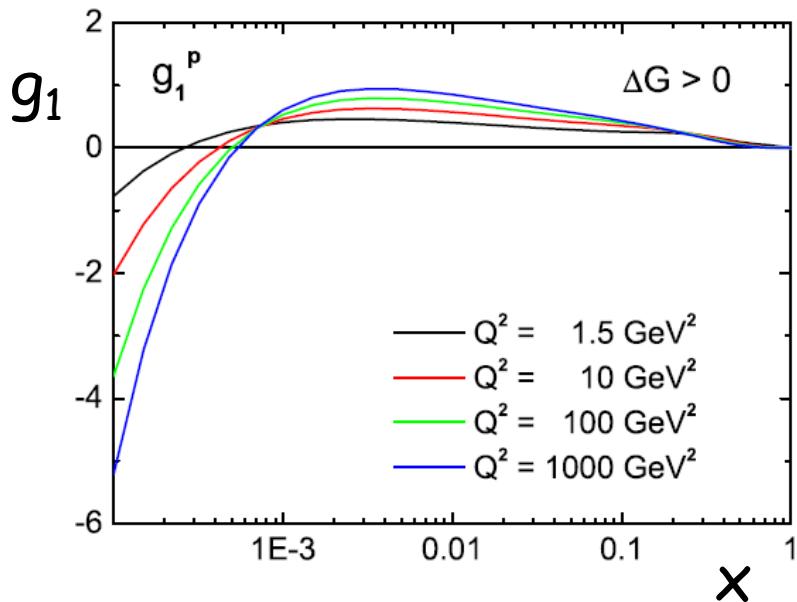
LSS06 / COMPASS06

- LSS06 also finds two solutions with small $\Delta G > 0$ and $\Delta G < 0$
- includes HT and Clas data
- How to tell sign of ΔG ?

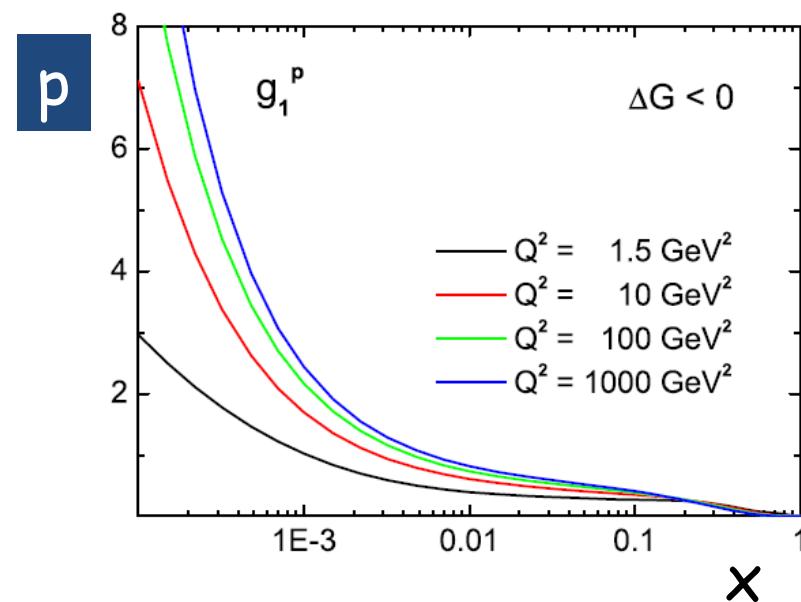


Sign of ΔG and low g_1 at small x

$\Delta G > 0$



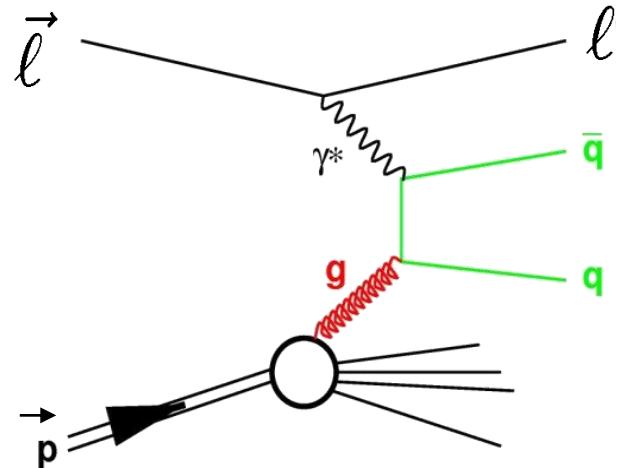
$\Delta G < 0$



measurable at a polarized ep collider (EIC)

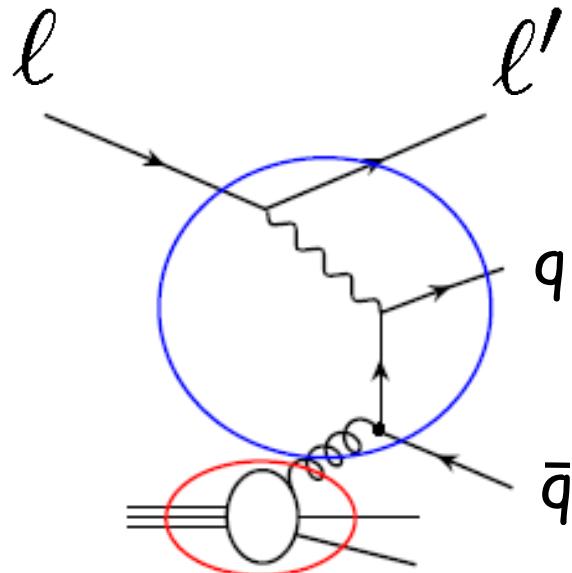
$\Delta g/g$

from hadron production in DIS



Hadron production in DIS via PGF

Principle: Gluon polarization enters via
photon-gluon fusion (PGF)



$$A_{\parallel} = R_{pgf} \langle \hat{a}_{pdf} \rangle \left\langle \frac{\Delta g}{g} \right\rangle$$

- measure A_{\parallel}
- calculate R_{pgf} , $\langle \hat{a}_{pgf} \rangle$ and background by Monte Carlo

Analysed channels

analysed data sets:

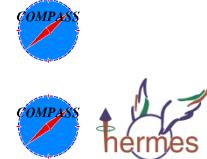
- high- p_T hadron pairs (no ID, pions/kaons)

- $Q^2 > 1 \text{ GeV}^2$

- LEPTO

- $Q^2 < 1 \text{ GeV}^2$ or unmeasured

- PYTHIA



- high- p_T single hadron

- small Q^2 or unmeasured

- PYTHIA



- single charmed meson

- quasi-real photons

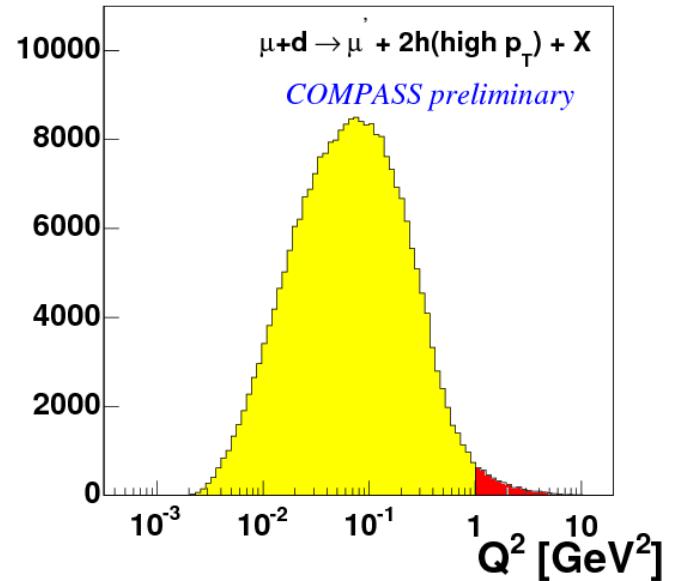
- AROMA, RAPGAP



All analyses in LO till now (plus parton showers)

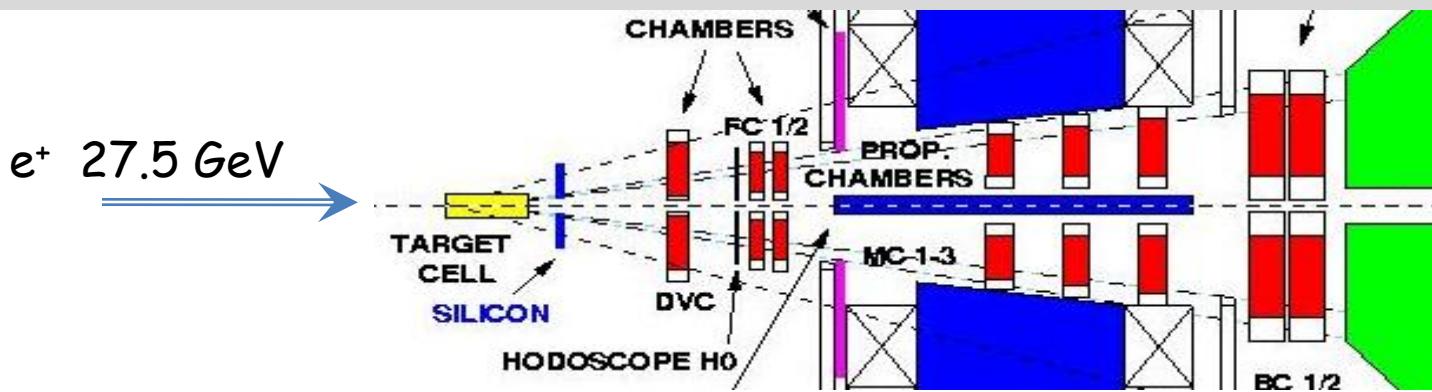
Why is small Q^2 interesting

- much larger cross section
- Hermes cannot measure Q^2 for most events
 - scattered e out of acceptance
 - dominated by small Q^2
- hard scale given by
 - high- p_T hadrons: $\sum p_T^2$
 - charmed hadron: $4m_C^2$





Hermes high- p_T hadrons



scattered electron:

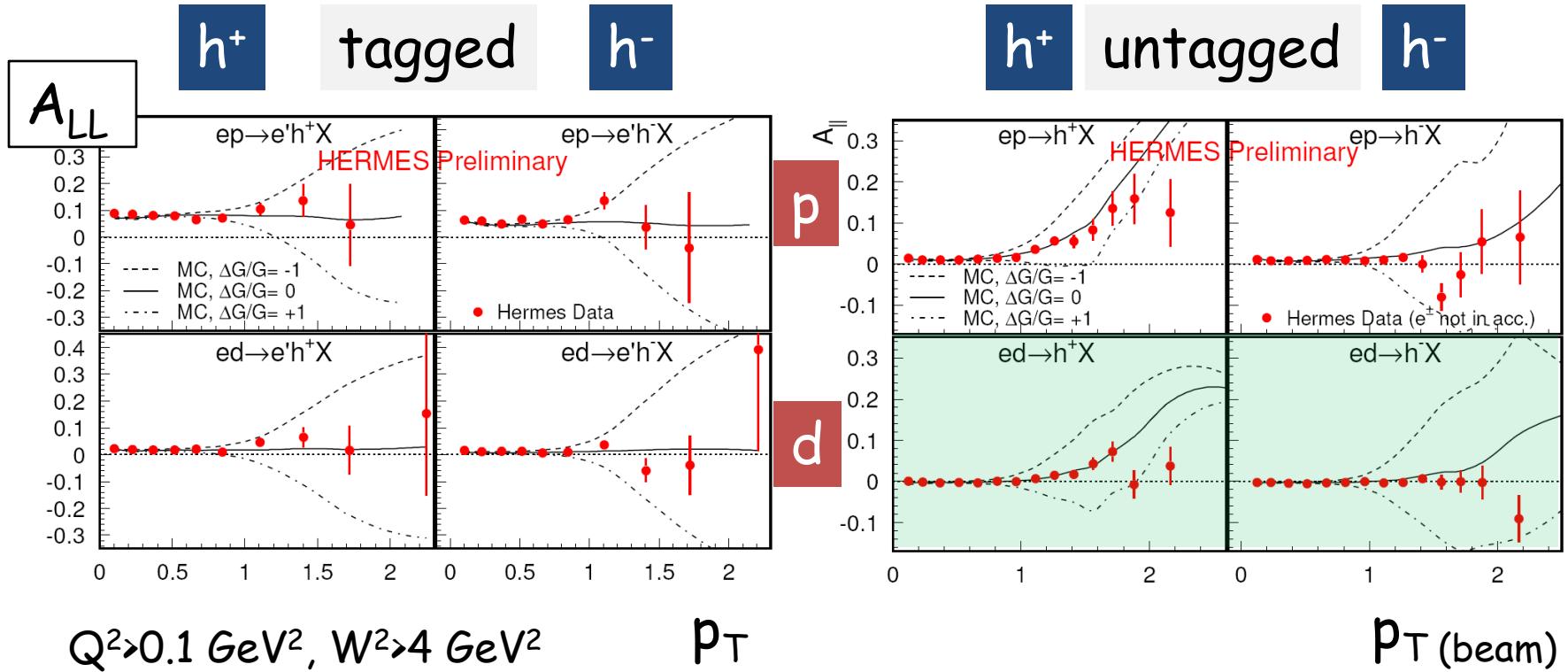
- "tagged"
 - inside acceptance
 - Q^2 measured
 - p_T wrt γ^*
- "anti-tagged"
 - outside acceptance
 - Q^2 small, unmeasured
 - p_T wrt beam

3 samples for p/d, h⁺/h⁻:

- single hadrons
 - tagged ~ 4%
 - anti-tagged ~ 92%
- hadron pairs
 - combined ~ 4%

rough percentages for events after
respective cuts: $p_T > 1 \text{ GeV}/c$

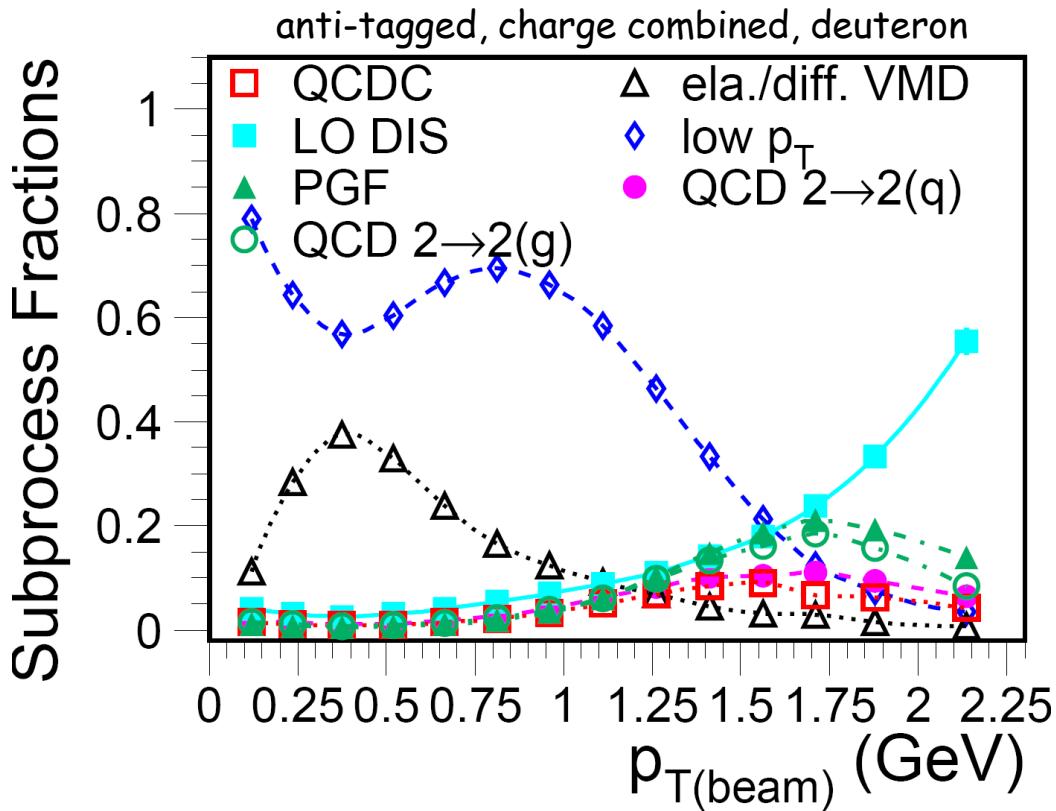
A_{LL} for single hadrons



MC plus asymmetry model with $\Delta g/g(x) = -1, 0, 1$ for upper, middle and lower curve

Subprocesses in MC

PYTHIA 6.2



VMD (elast.+diffr., soft low- p_T):
decreasing with p_T

DIS:
increasing (dominating) with p_T

QCDC/QCD2 \rightarrow 2(q):
increasing with p_T

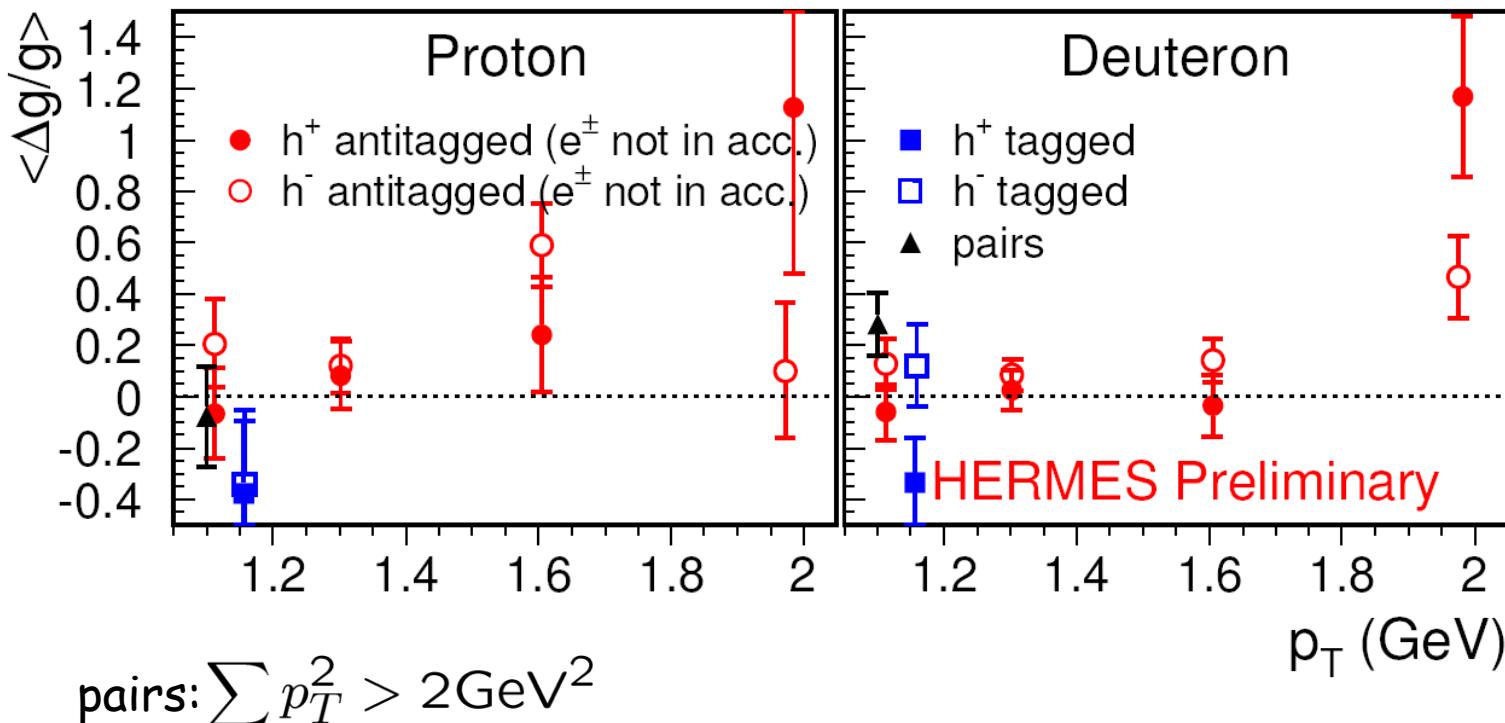
Signal processes are PGF and
QCD2 \rightarrow 2(g) (resolved photon)

Direct Method (I)

$$\left\langle \frac{\Delta g}{g} \right\rangle = \frac{1}{R_{sig} \langle \hat{a} \rangle} \left\{ A_{||}^{meas} - R_{bg} A_{bg} \right\}$$

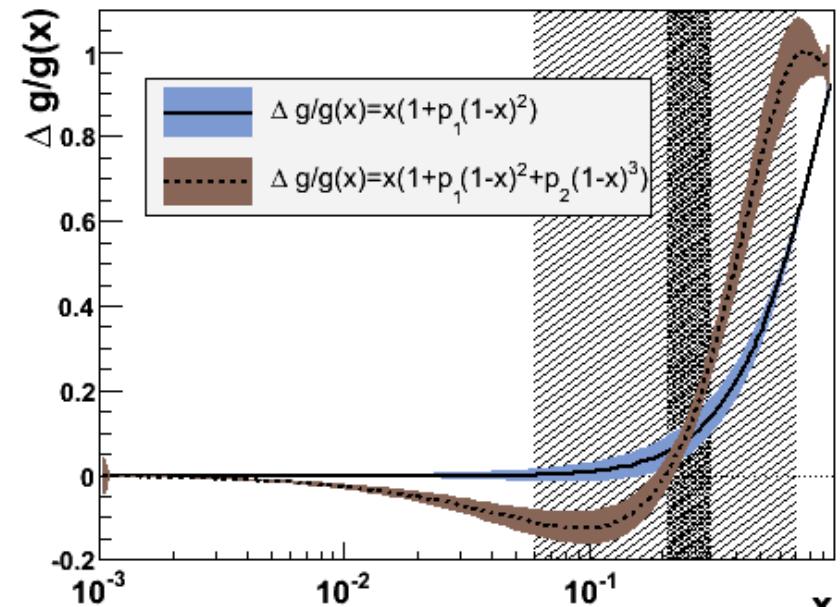
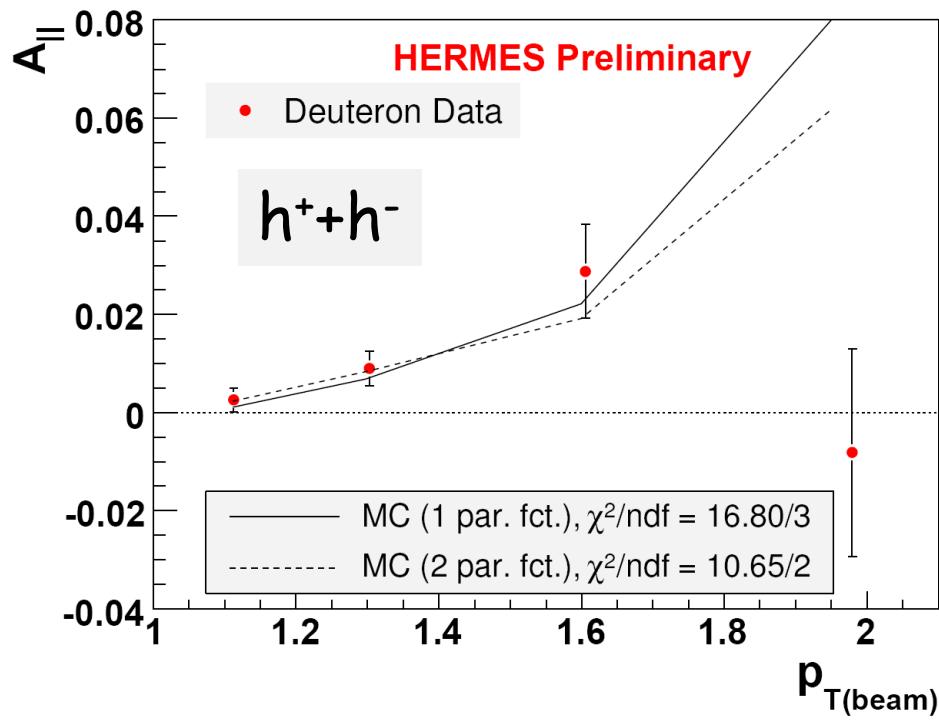
from Monte Carlo

statistical errors only

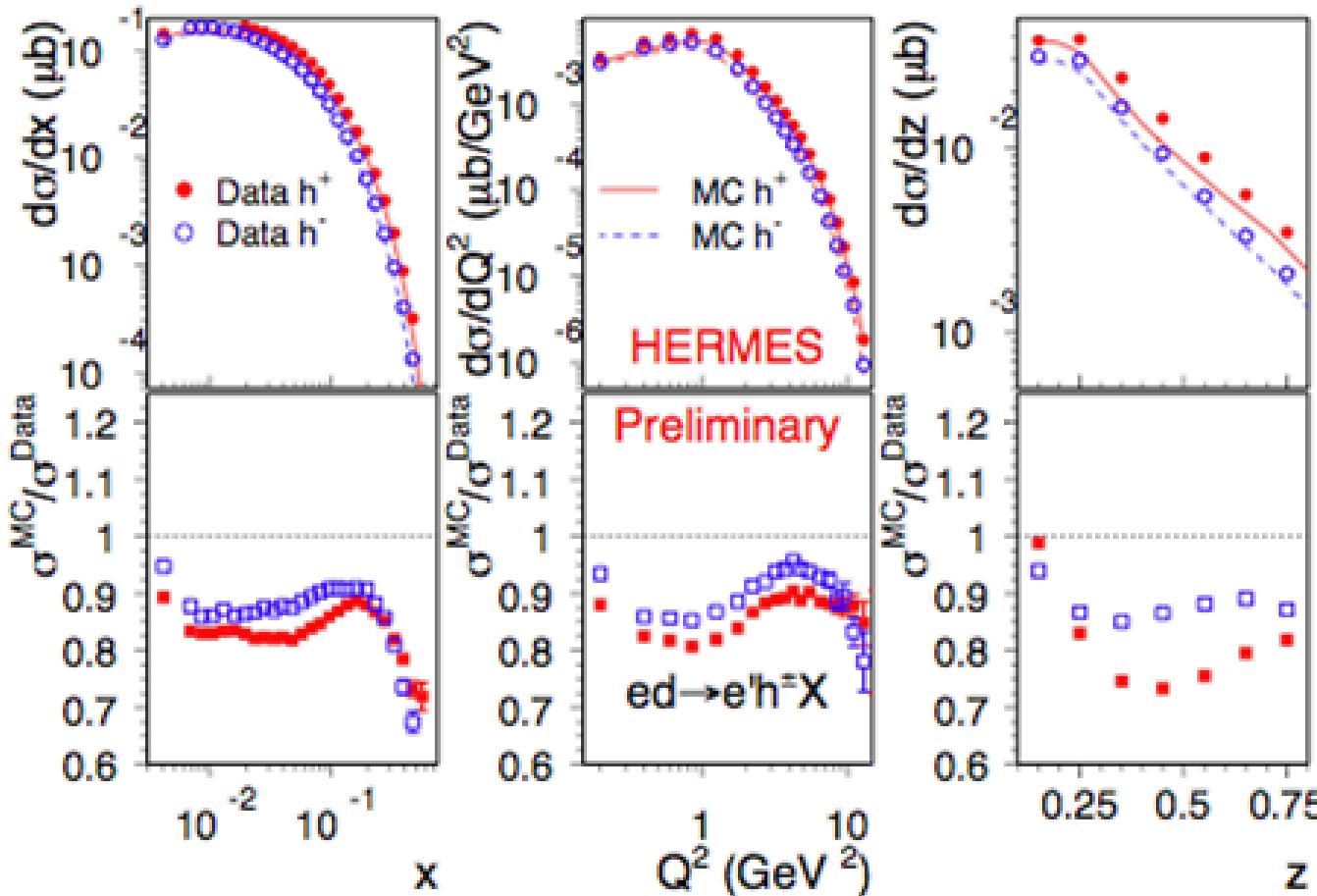


Indirect Method (II)

Fit parameters of polynomial function to A_{\parallel} using MC



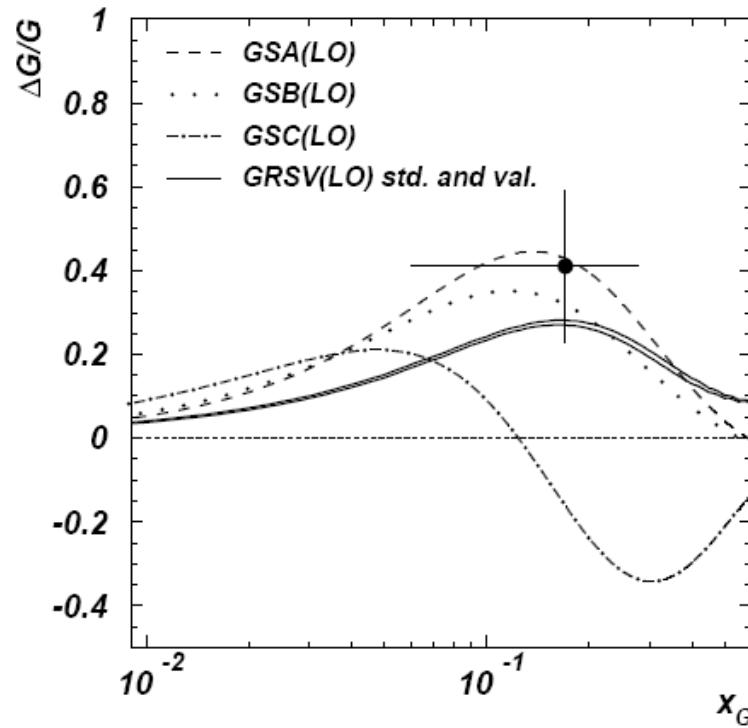
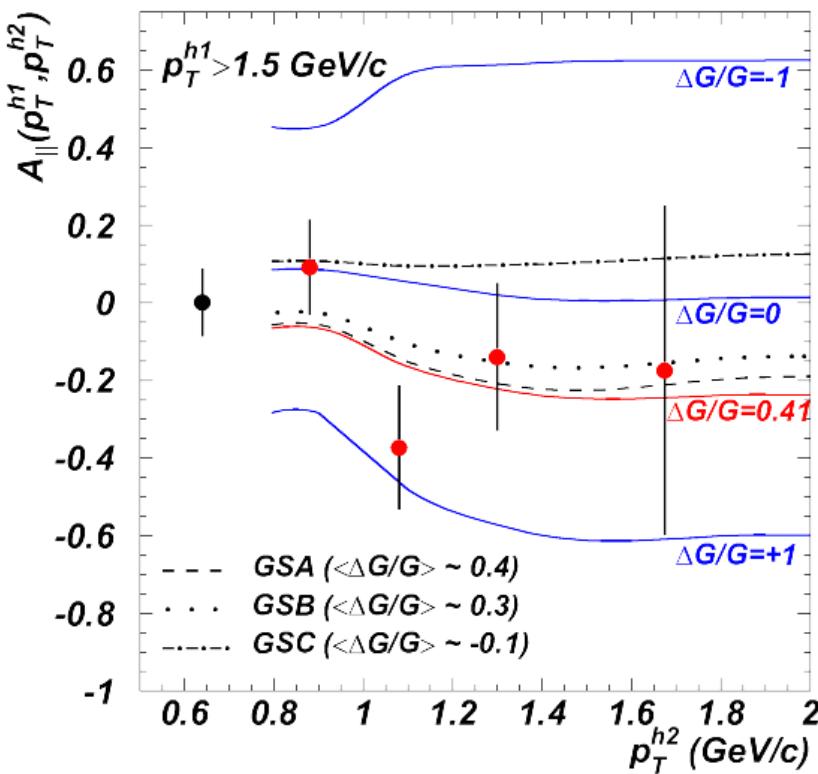
MC tuning/systematics



varied: MC parameters, PDFs, low p_T asymmetry

Original HERMES measurement

- proton data only, high- p_T pairs
- missing generator processes (Pythia 5.7 vs 6.3)





Results for $\Delta g/g$

Method I

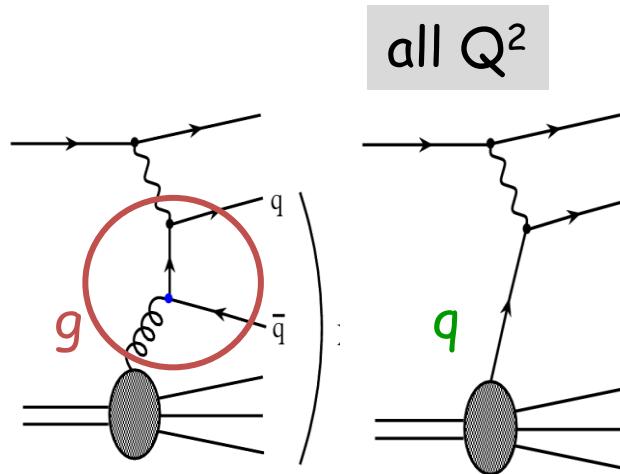
$$\Delta g/g(x, \mu^2) = 0.078 \pm 0.034(\text{stat}) \pm 0.011(\text{syst-exp})^{+0.125}_{-0.082} (\text{syst-model})$$

Method II

$$\Delta g/g(x, \mu^2) = 0.071 \pm 0.034(\text{stat}) \pm 0.010(\text{syst-exp})^{-0.127}_{-0.105} (\text{syst-model})$$

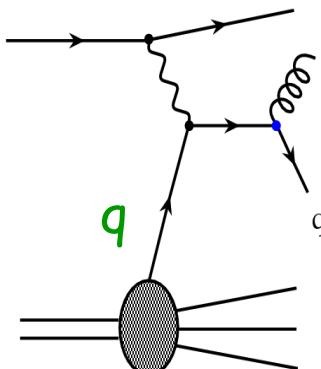


$\Delta G/G$ from high- p_T pairs

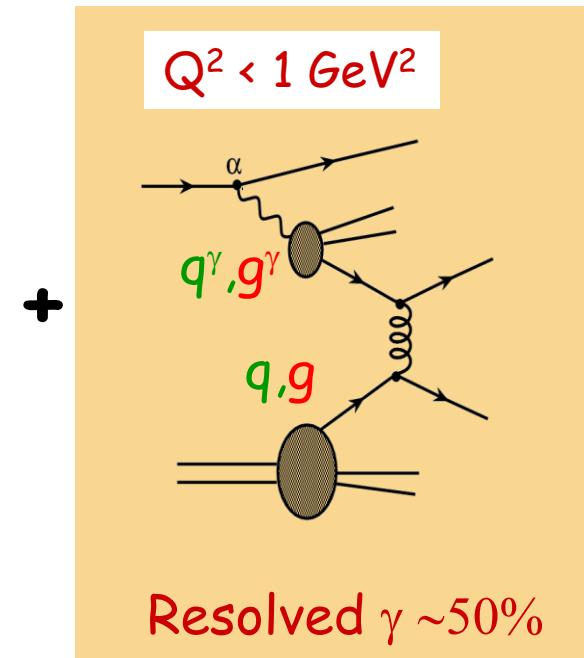


Photon Gluon
Fusion ~ 30%

Leading Order



QCD Compton



Resolved $\gamma \sim 50\%$

$$A_{LL}^{2h} = R_{pgf} a_{LL}^{pgf} \frac{\Delta g}{g}(x_g) + R_{LO} D A_1^{LO}(x_{Bj}) + R_C a_{LL}^C A_1^{LO}(x_C)$$

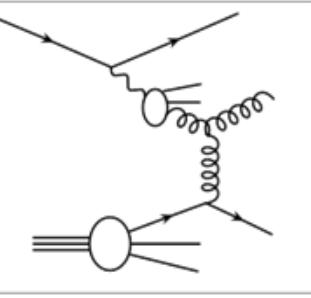
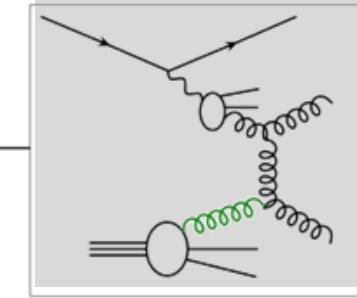
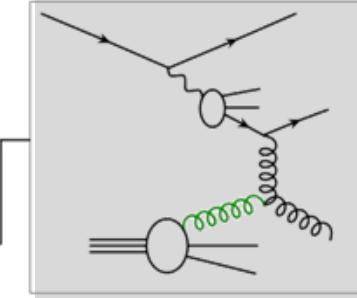
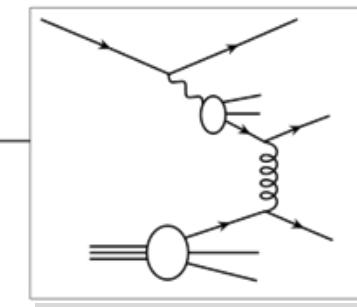
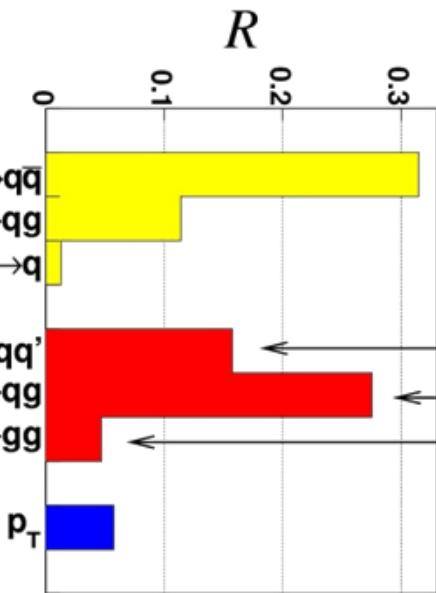
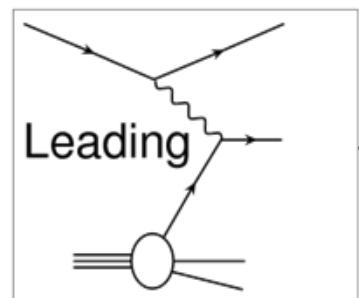
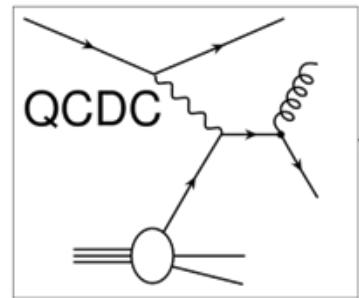
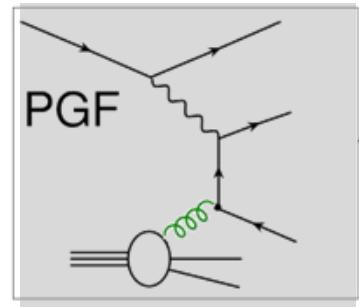
use also inclusive A_{LL}



High- p_T pairs, low Q^2

Ratios for hadron pairs with for $Q^2 < 1$

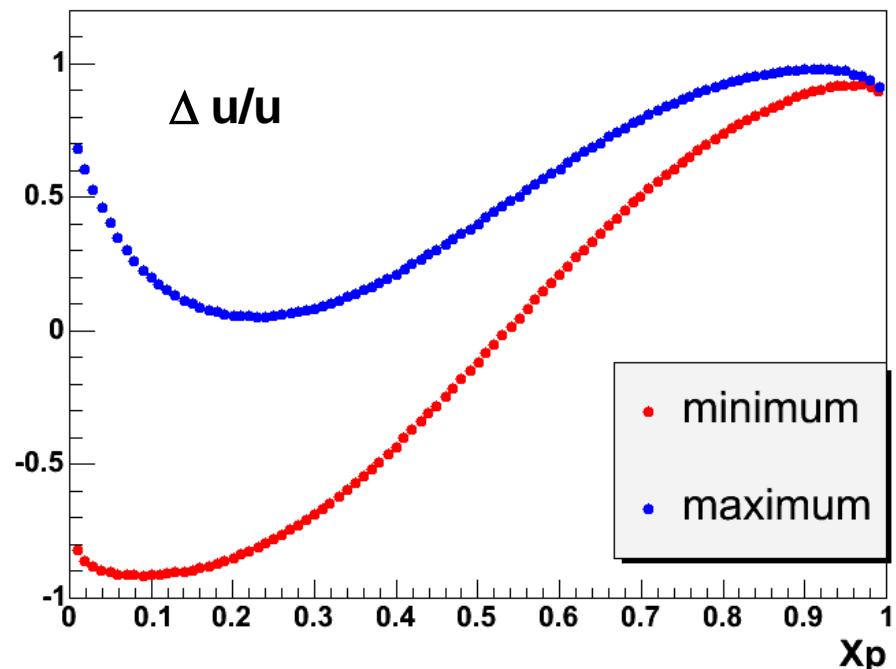
Resolved photons



signal

Resolved photons

- More than 50%, however assuming a min and max scenario, shows little difference.
- Probing photon at large x , where photon PDF rather well determined



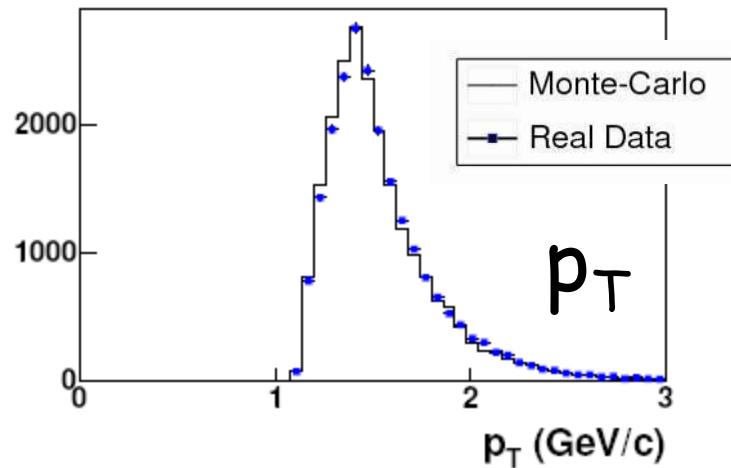
Glück, Reya, Sieg

G.K. Mallot



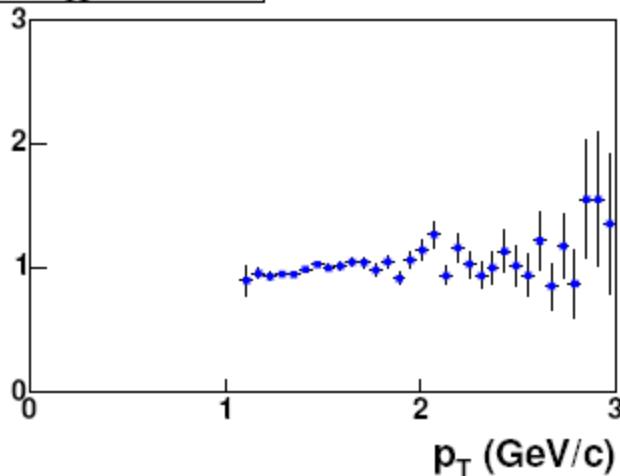
Data versus MC, low Q^2

Ladder trigger, 1st hadron



- excellent to good agreement for all kinematics variables

Ladder trigger, 1st hadron

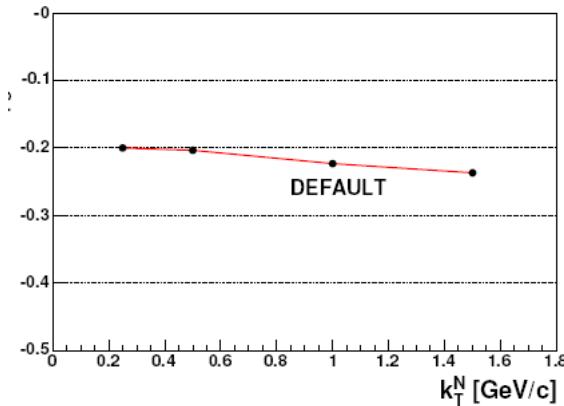




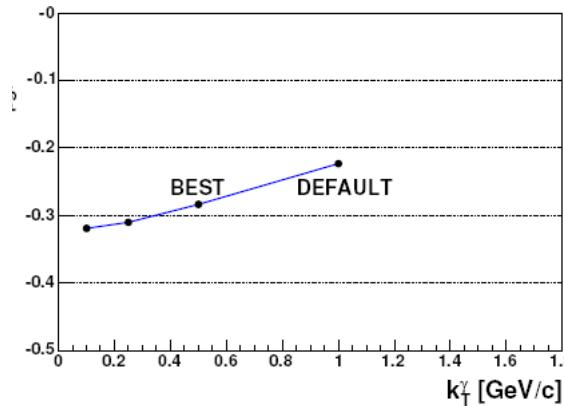
Systematics: e.g. k_T tuning, low Q^2

$$R_{pgf} \left\langle \frac{\hat{a}_{pgf}}{D} \right\rangle$$

nucleon



photon



- systematic error:
 - determined using 15 independent MC simulations
 - exploring the parameter space
 - in k_T of nucleon and photon
 - fragmentation functions
 - parton shower on/off,
 - renormalization scale



$\Delta g/g$ from high- p_T hadron pairs, low Q^2

- 2002 - 2004 data: high- p_T , $Q^2 < 1 \text{ GeV}^2$

$$\Delta G/G = 0.016 \pm 0.058 \text{ (stat)} \pm 0.055 \text{ (syst)}$$

@ $\langle x_g \rangle = 0.085$, $\mu^2 = 3 \text{ GeV}^2$



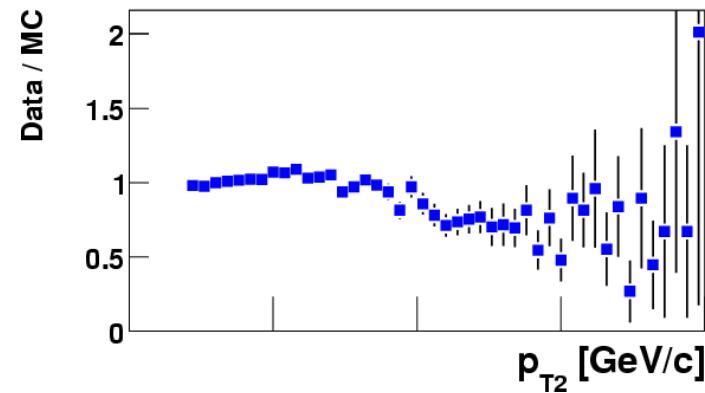
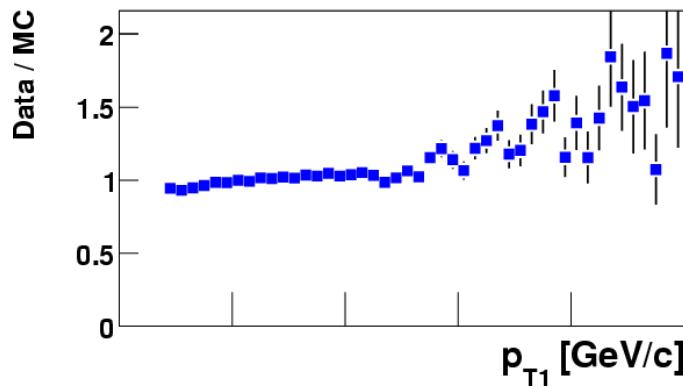
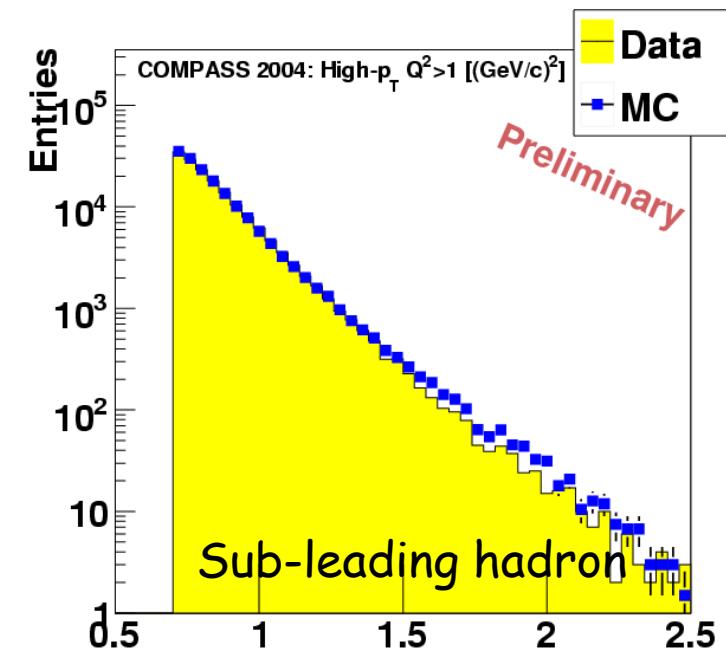
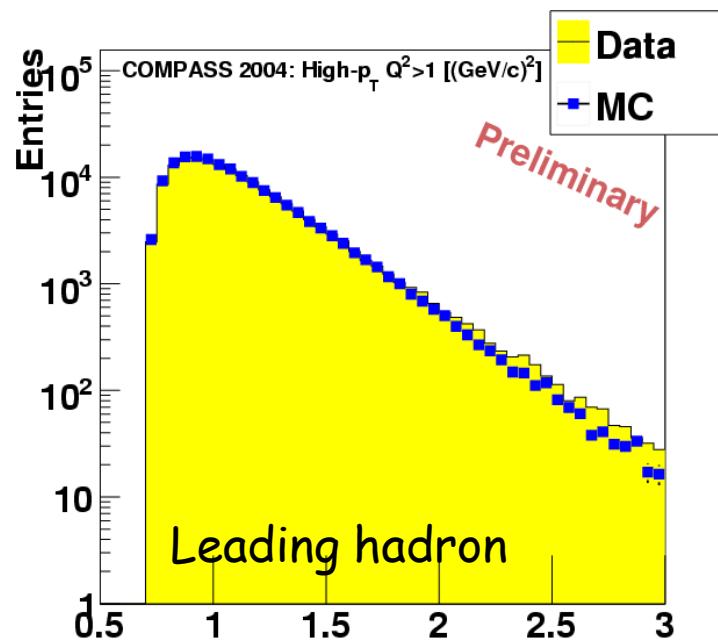
High- p_T pairs, $Q^2 > 1 \text{ GeV}^2$

$$A_{LL}^{2h} = R_{pgf} a_{LL}^{pgf} \frac{\Delta g}{g}(x_g) + R_{LO} D A_1^{LO}(x_{Bj}) + R_C a_{LL}^C A_1^{LO}(x_C)$$

- tune MC (Lepto) to reproduce data
- estimate relative fractions R on event-by-event basis using NN trained with MC events (kin. variables)
- use in NN output as event weight
- looser cuts possible
 - $Q^2 > 1 \text{ GeV}^2$
 - $p_{T1,2} > 0.7 \text{ GeV}$
 - $x_F > 0$, inv. mass $2h > 1.5 \text{ GeV}^2$
- for details see **M. Stolarski DIS2008**

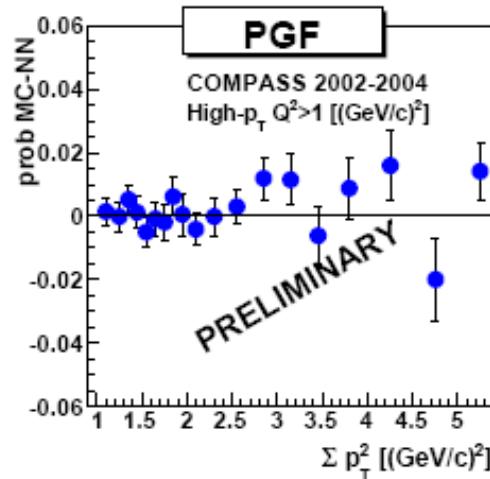
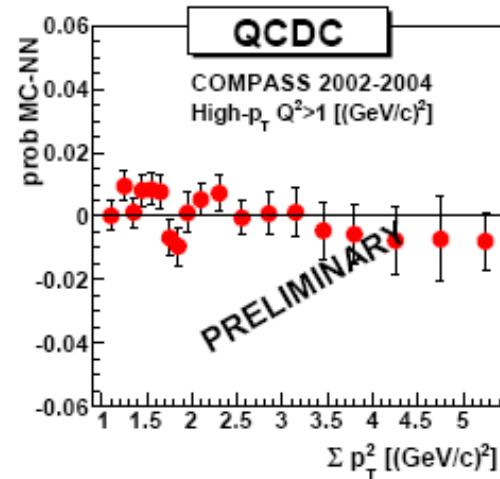
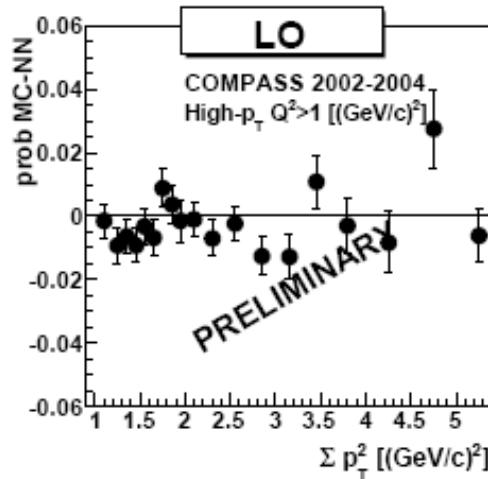
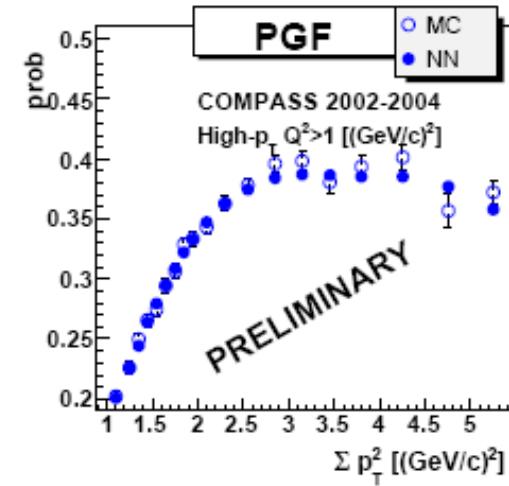
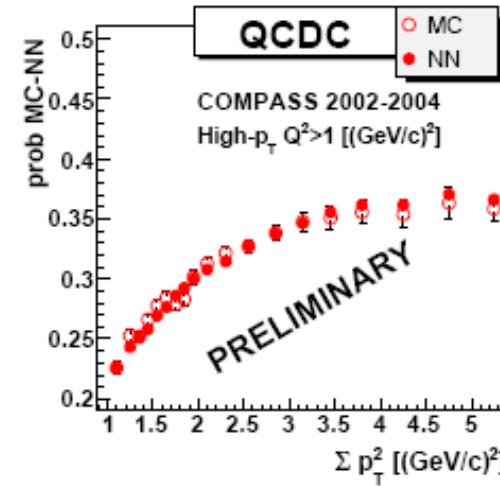
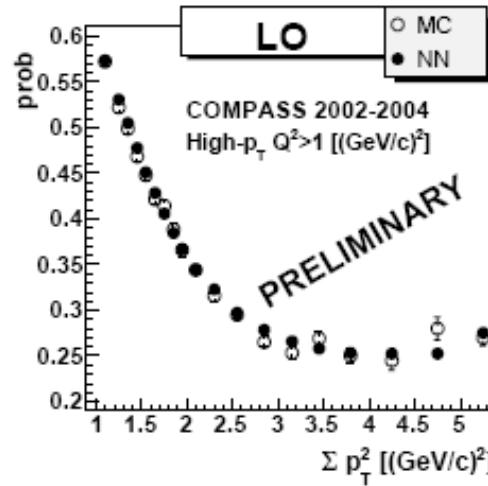


Monte Carlo





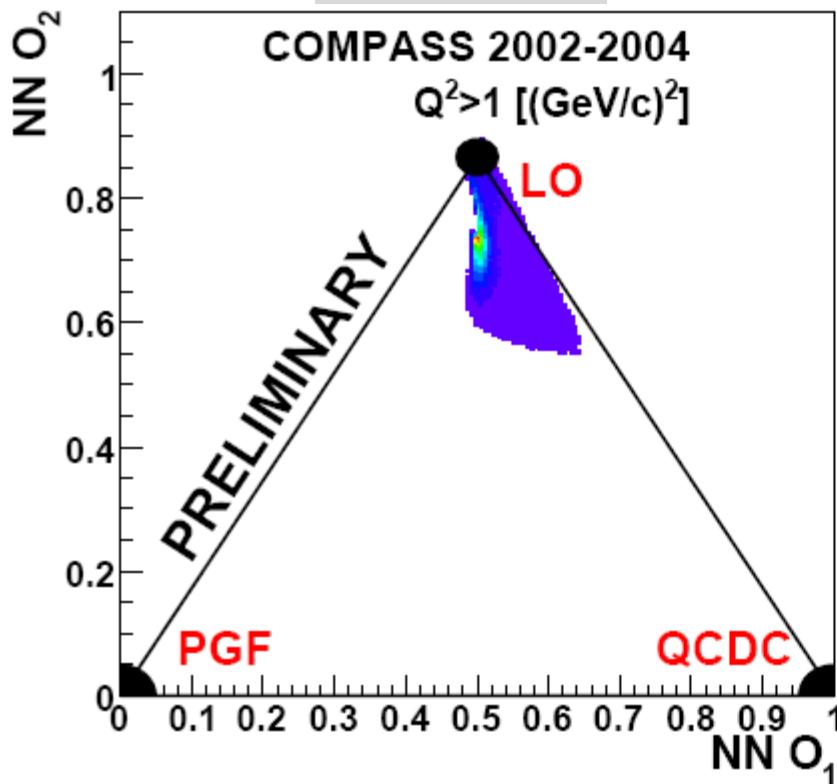
NN description



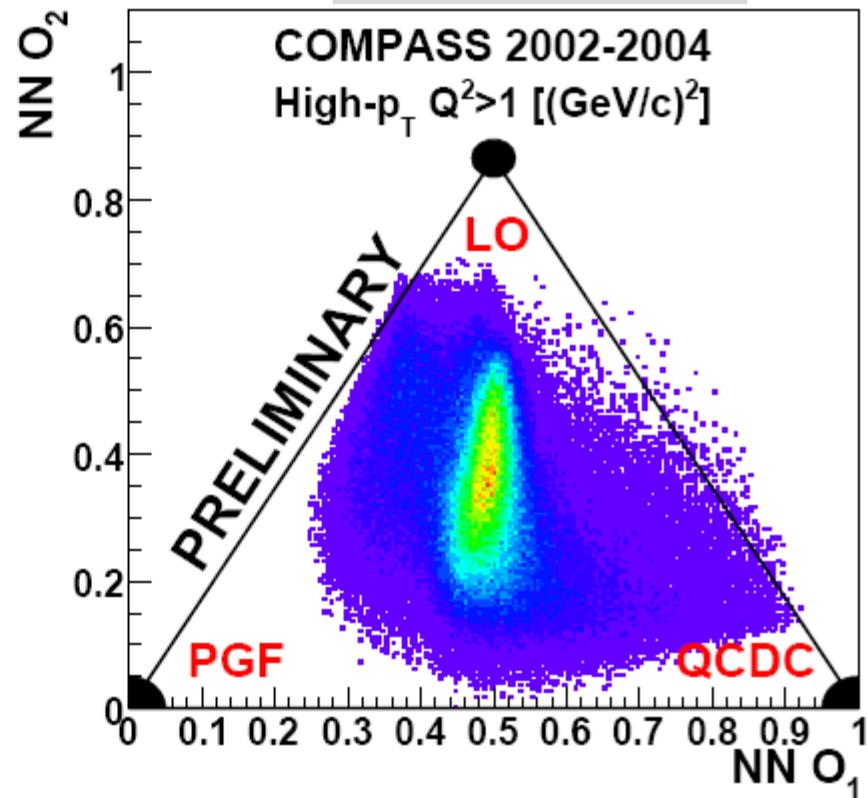


NN output

inclusive



hadron pairs



$$R_{PGF} = 1 - o_1 - \frac{1}{\sqrt{3}} o_2$$

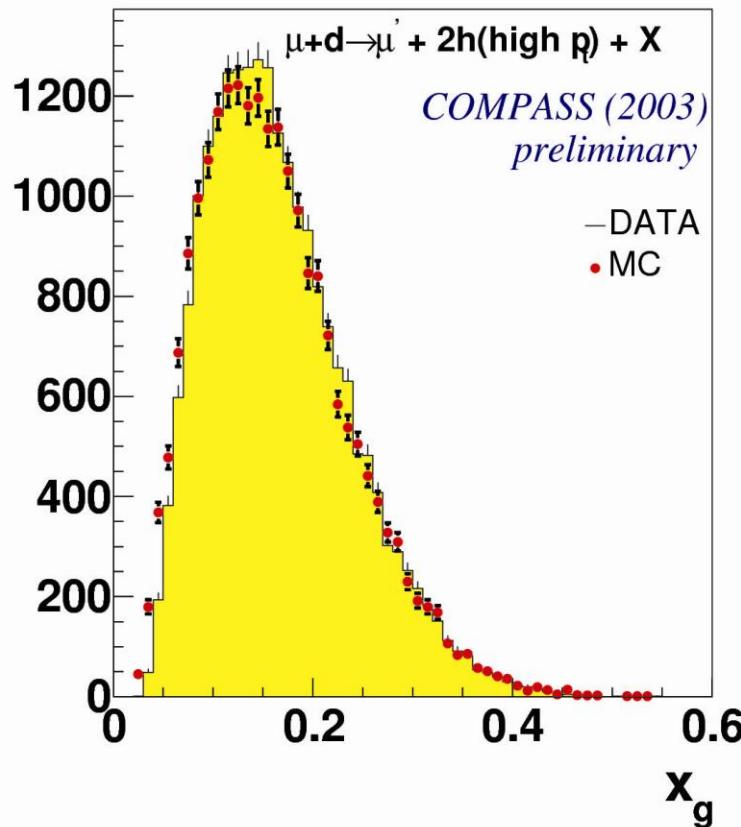
$$R_C = o_1 - \frac{1}{\sqrt{3}} o_2$$

$$R_L = \frac{2}{\sqrt{3}} o_2$$

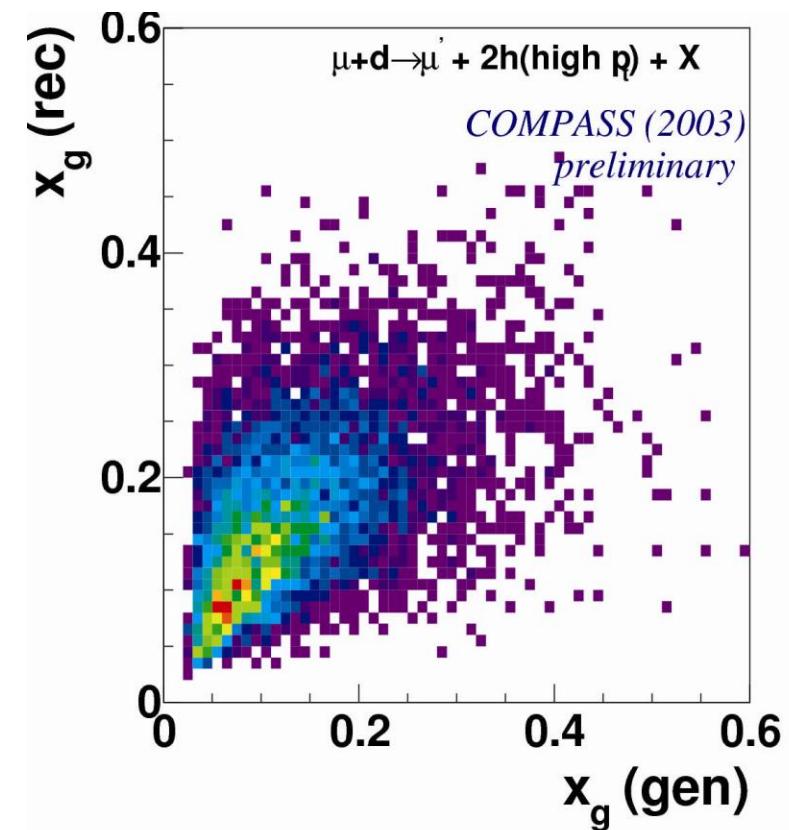


Can we learn about x_g ?

here Lepto and Q2>1



All processes



PGF events (MC)



$\Delta g/g$ from high- p_T hadron pairs

- 2002 - 2004 data: High p_T , $Q^2 > 1 \text{ GeV}/c^2$

$$\Delta G/G = 0.08 \pm 0.10 \text{ (stat)} \pm 0.05 \text{ (syst)}$$

@ $\langle x_g \rangle = 0.082$, (range: 0.055 - 0.123) $\mu^2 \sim 3 \text{ (GeV}/c)^2$



$\Delta g/g$ from open charm

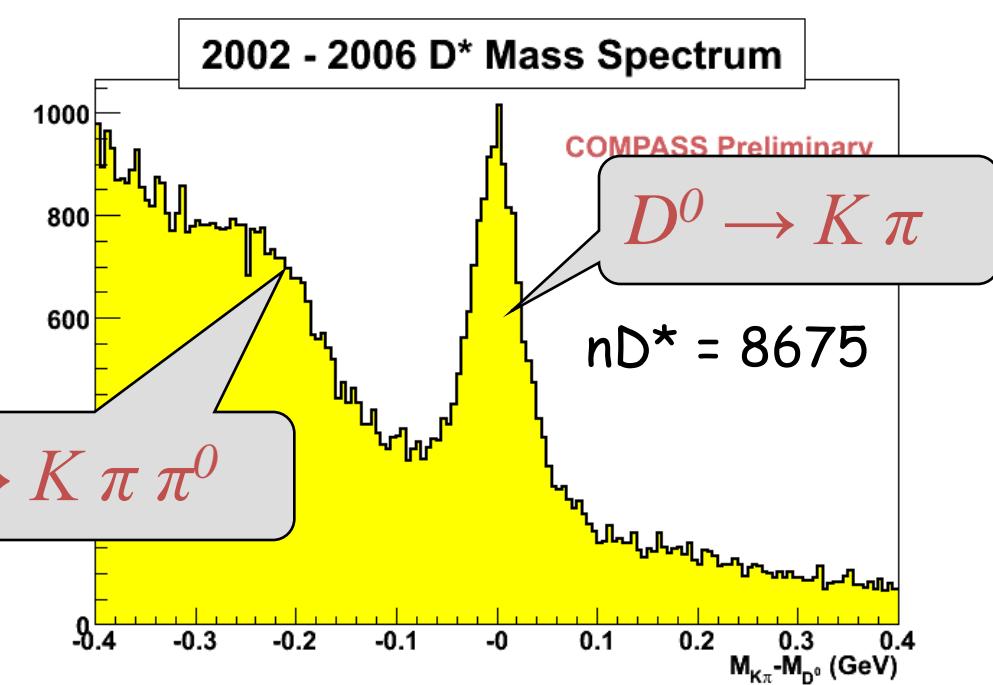
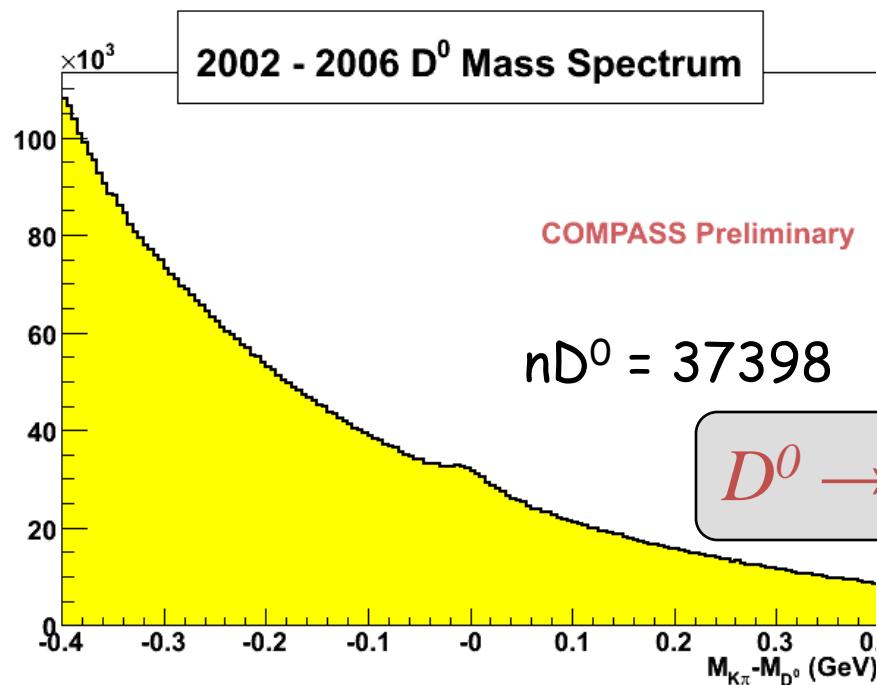
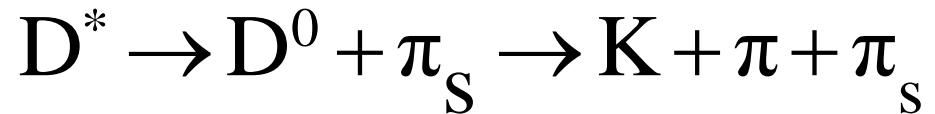
- cleanest process ("golden channel")
 - no or little physics background (LO, QCDC)
- observe asymmetry in D meson production
 - strongly statistics limited
 - only one D meson via $D \rightarrow \pi K$ ($BR \sim 4\%$)
 - combinatorial background large
 - drastically reduced when looking to D^* decay in **coincidence** with slow pion

$$D^* \rightarrow D^0 + \pi_S \rightarrow K + \pi + \pi_S$$

- for details see **F. Robinet DIS2008**



D mass spectra



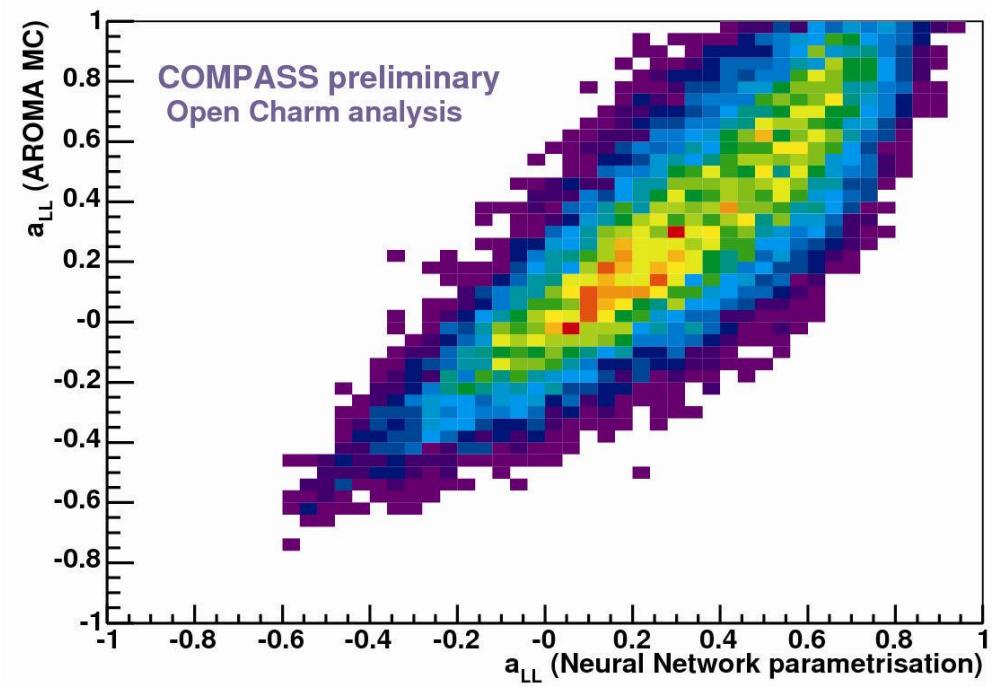
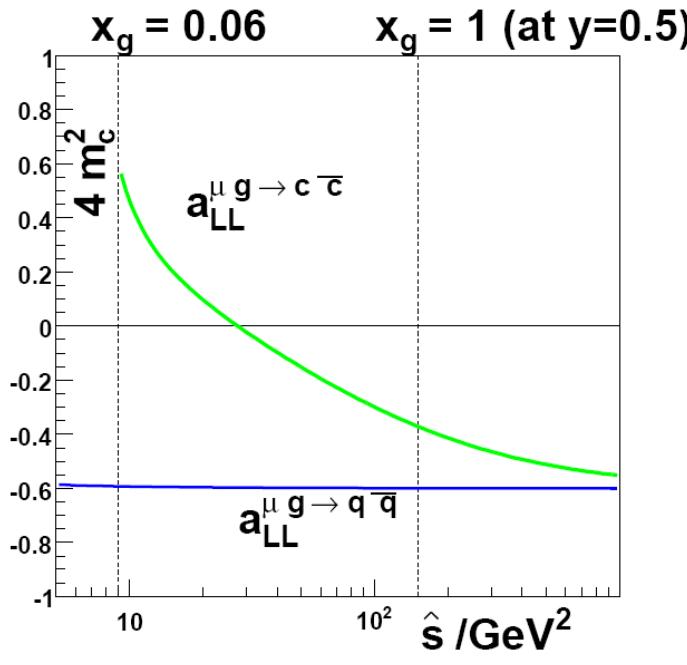
$\Delta G/G$ from open charm

$$A_{LL}/D \simeq \frac{S}{S+B} a_{LL} \frac{\Delta g}{g}(x_g)$$

- Analysis uses both a_{LL} and $S/(S+B)$ weighting
- a_{LL} obtained from Neural Network trained on MC (AROMA) using: Q^2 , x_{bj} , y , p_T , z_D
- $S/(S+B)$ given by a parameterization in $fP_\mu a_{LL}$, p_K , θ_K , z_D , $\cos\theta^*$, p_T , RICH likelihoods
- weighting brings significant improvement in statistics due to large variations of a_{LL} and $S/(S+B)$ in phase-space

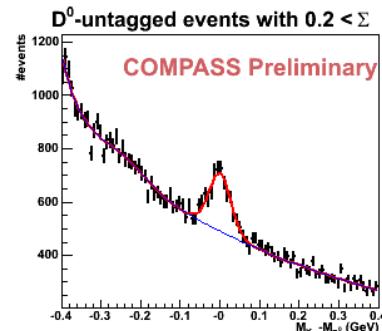
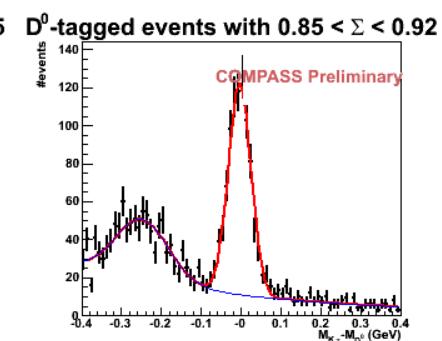
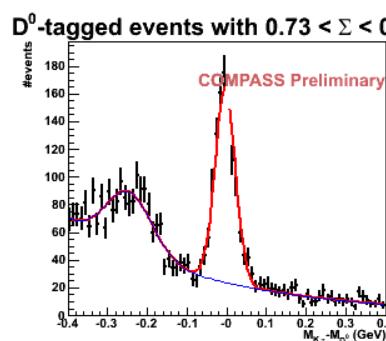
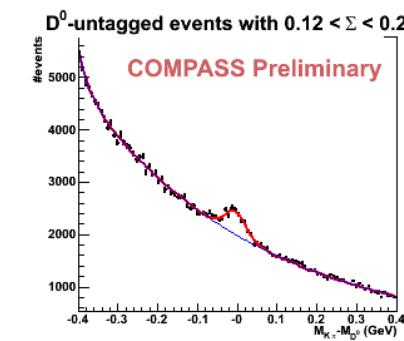
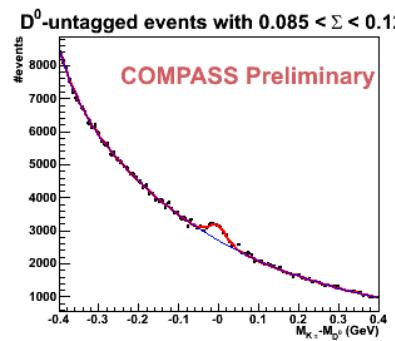
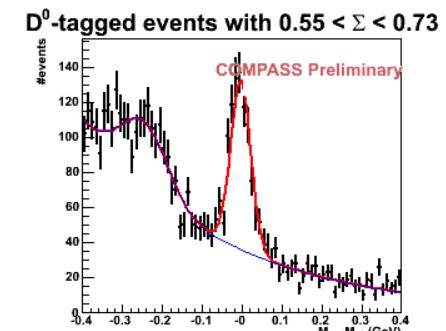
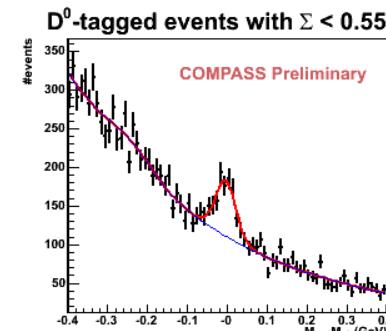
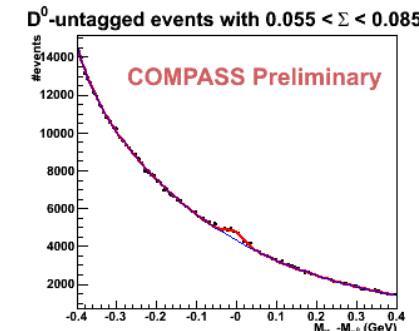
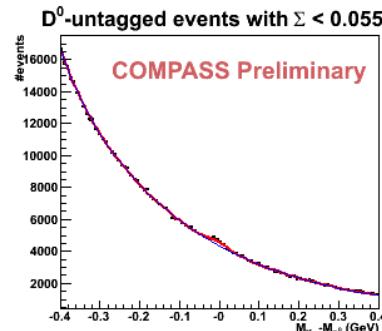


a_{LL} variation

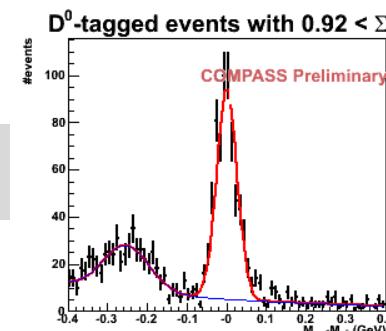




S/S+B weighting



D⁰ -untagged



D^{*} -tagged

$$5 \text{ bins in } \Sigma = S/(S+B)$$

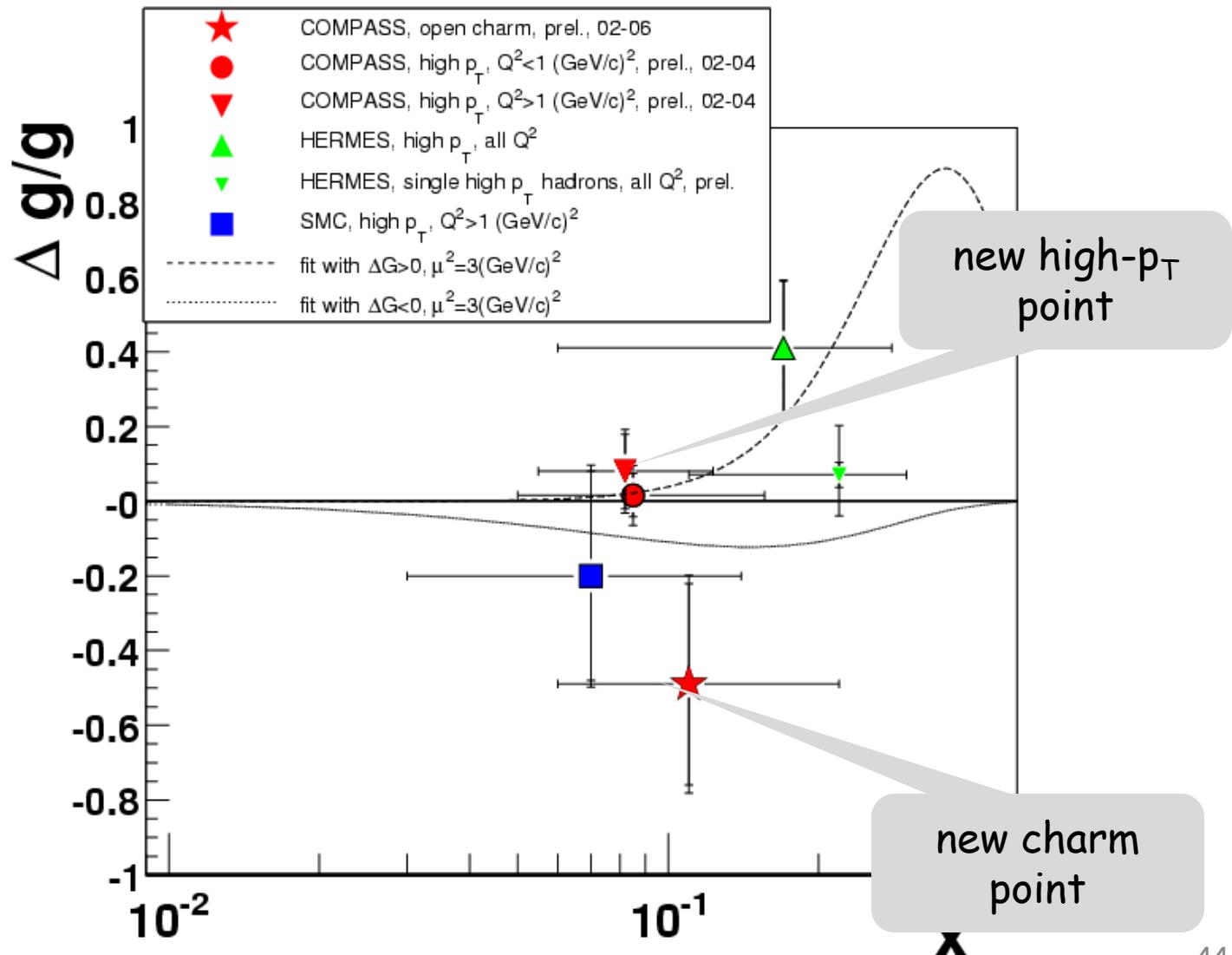
$\Delta G/G$ from open charm

- 2002 - 2006 data $D^0 + D^*$

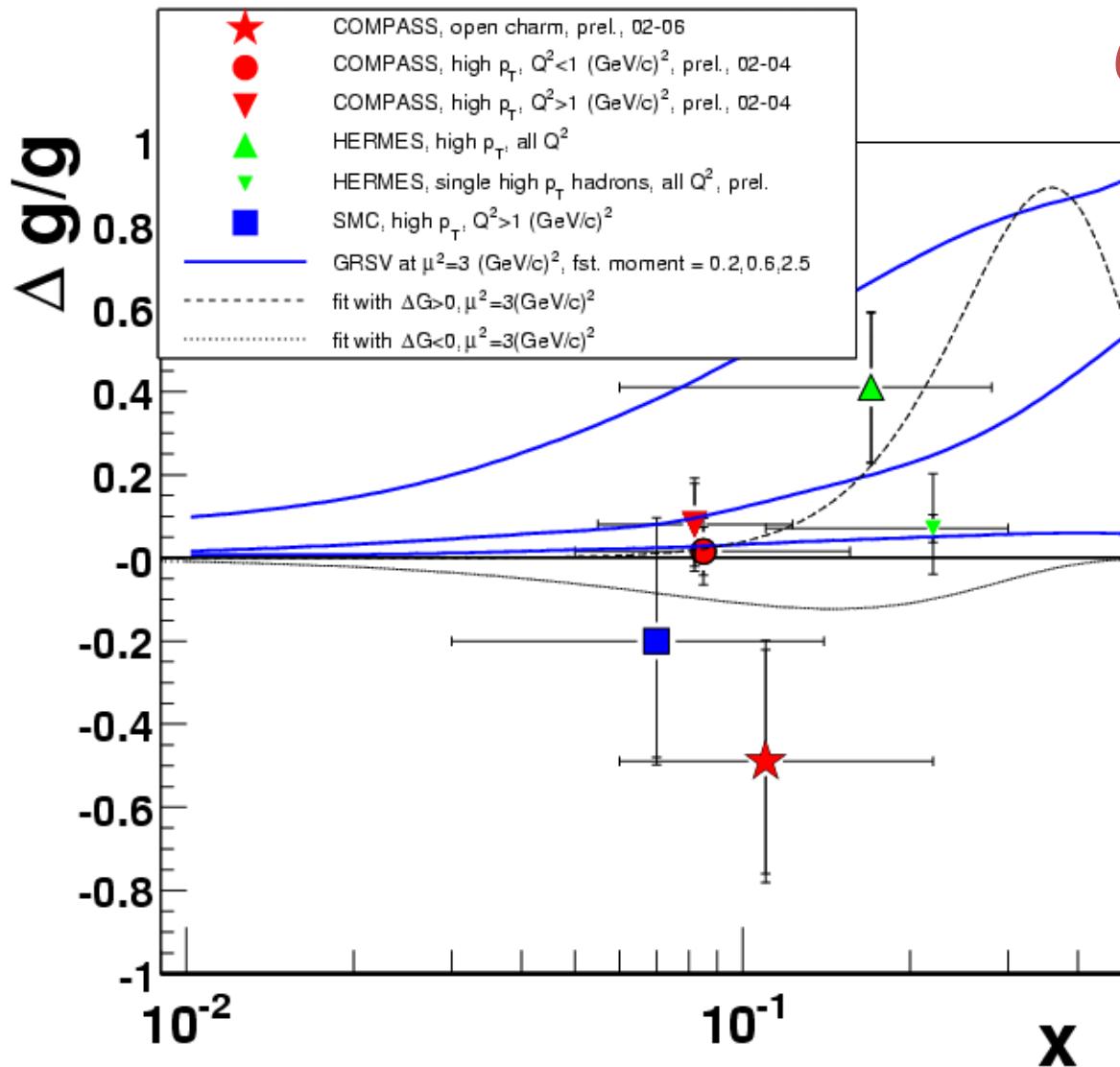
$$\Delta G/G = -0.49 \pm 0.27 \text{ (stat)} \pm 0.11 \text{ (syst)}$$

@ $\langle x_g \rangle \sim 0.11, \langle \mu^2 \rangle \sim 13 \text{ (GeV/c)}^2$

Summary of results



DIS-FT $\Delta G/G$ measurements



Summary

- all results point to small $\Delta g/g$
- DIS results are very precise
- NLO analysis urgently needed
- use results in global fits