



Prospects for measurements of Generalized Parton Distributions at COMPASS

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on behalf of the COMPASS collaboration

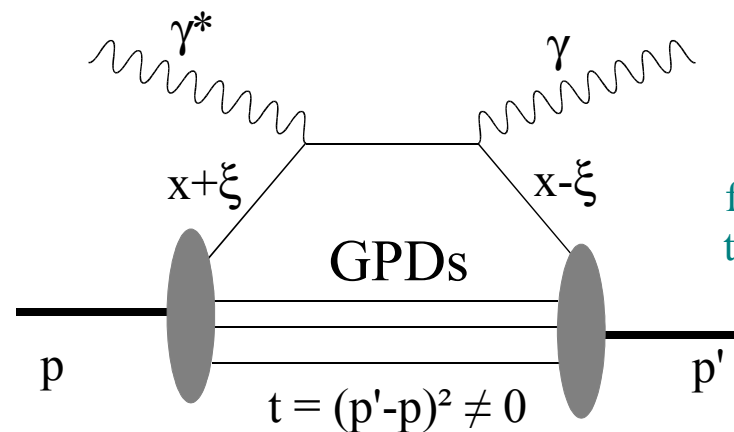
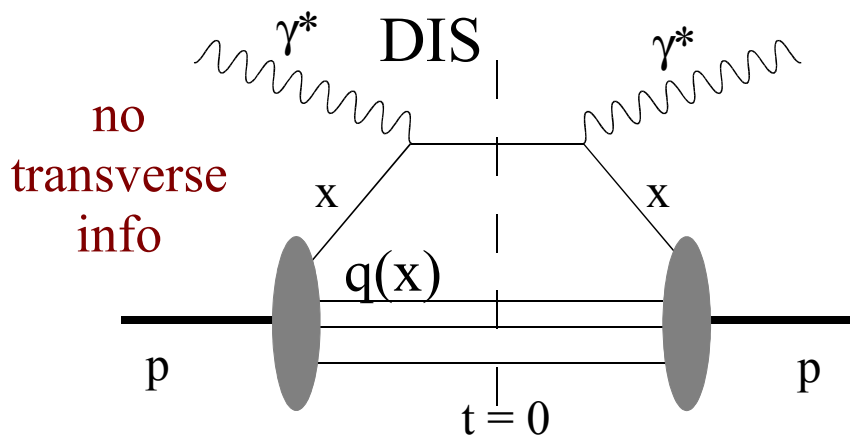
CEA-Saclay

DSM/DAPNIA/SPhN

- Concept of GPDs
- DVCS measurement at Compass
- Detectors upgrades
- Results we can expect



Generalized parton distributions



Parton transverse positions given by Fourier transform of $t_{\perp} = (p'-p)_{\perp}^2$
 → « 3D like » view of the nucleon

4 Generalized parton distribution: $H, E, \tilde{H}, \tilde{E}(x, \xi, t)$

GPDs linked to usual parton densities, form factors, and also q angular momentum:

$$H(x, 0, 0) = q(x)$$

$$\tilde{H}(x, 0, 0) = \Delta q(x)$$

$$\sum_q e_q \int_{-1}^1 dx H^q(x, \xi, t) = F_1(t)$$

$$\frac{1}{2} \sum_q e_q \int_{-1}^1 dx x (H^q(x, \xi, 0) + E^q(x, \xi, 0)) = J^{quarks}$$

Ji's sum rule



“3D” nucleon description

Chiral dynamics (Strikman et al.)

Nucleon includes pion cloud at large transverse position

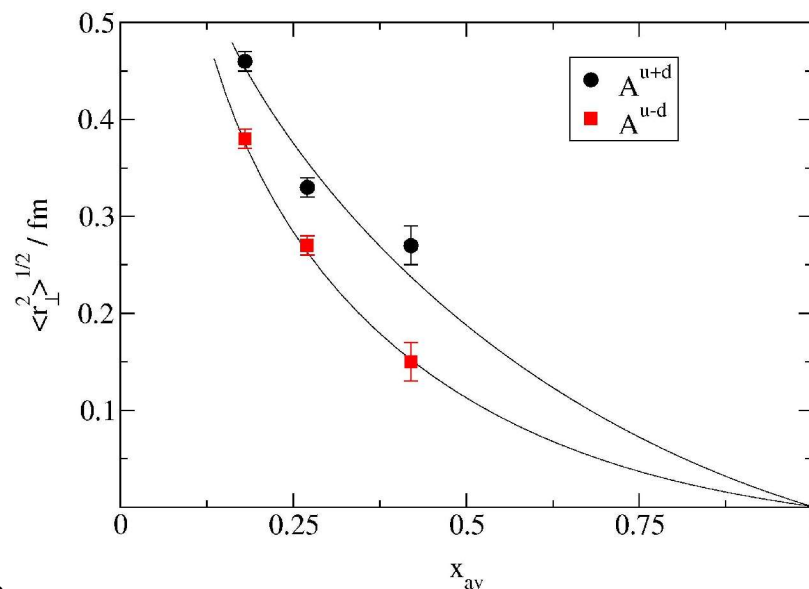
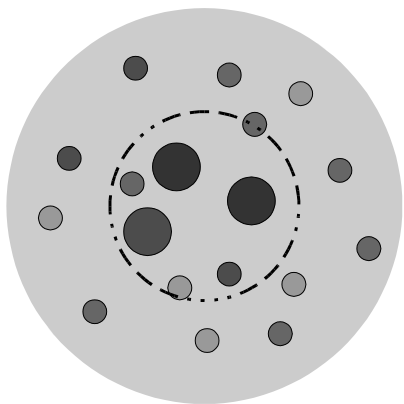
→ nucleon transverse size increases at low x_{Bj} ($< m_\pi/m_p$)

This can be tested within Compass kinematic domain

Lattice computations (Negele et al., Gökeler et al.)

nucleon = small valence quarks core (fast partons close to the center)

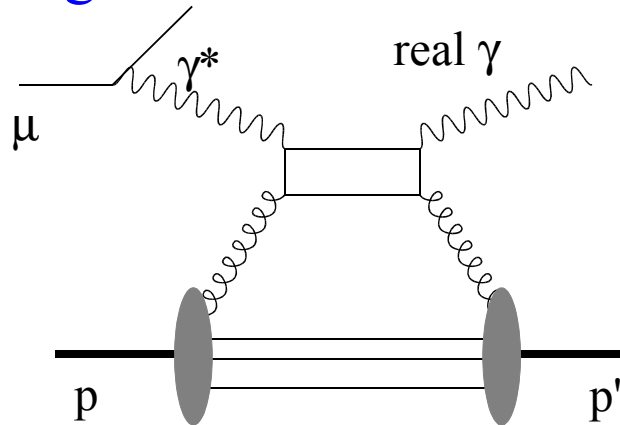
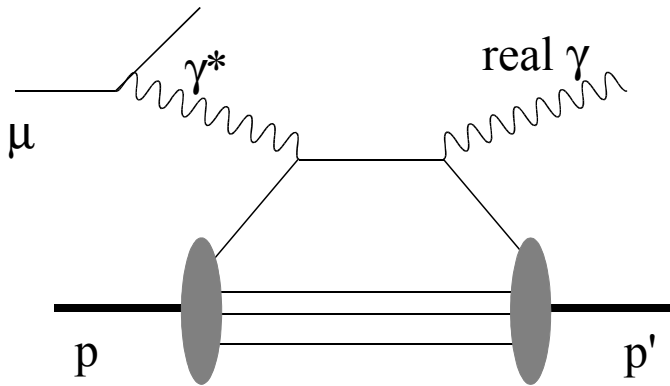
+ large quark/gluon sea (slower partons in whole nucleon)





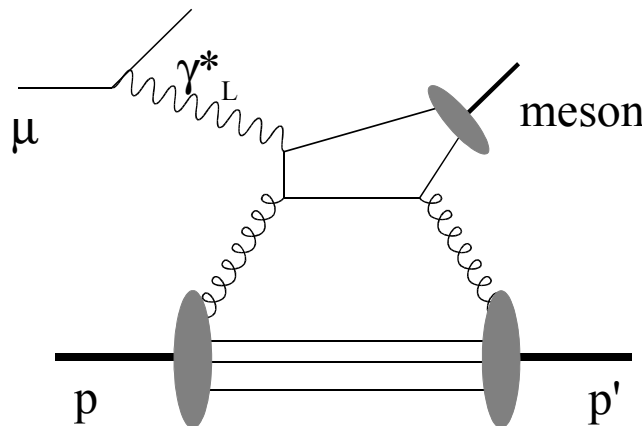
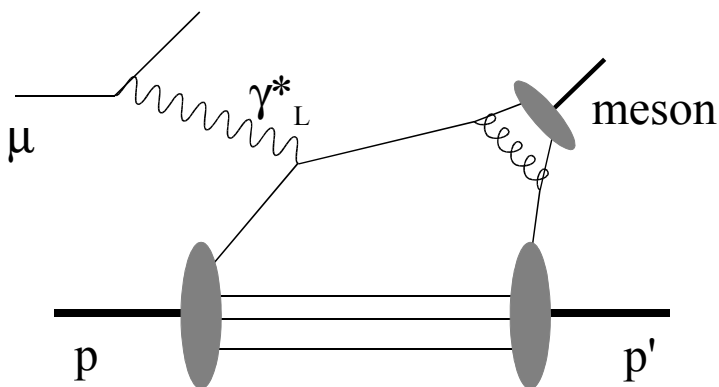
How to measure GPDs at COMPASS ?

Deeply Virtual Compton Scattering:



Direct and clean processes

Hard exclusive meson production:

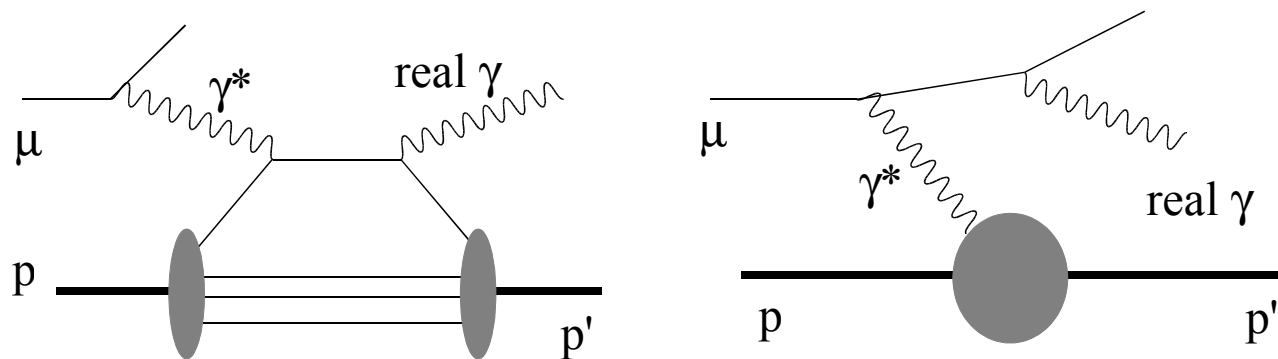


Access to GPD with vector and pseudo-scalar mesons
 More complex
 Factorizable if γ^* longitudinal

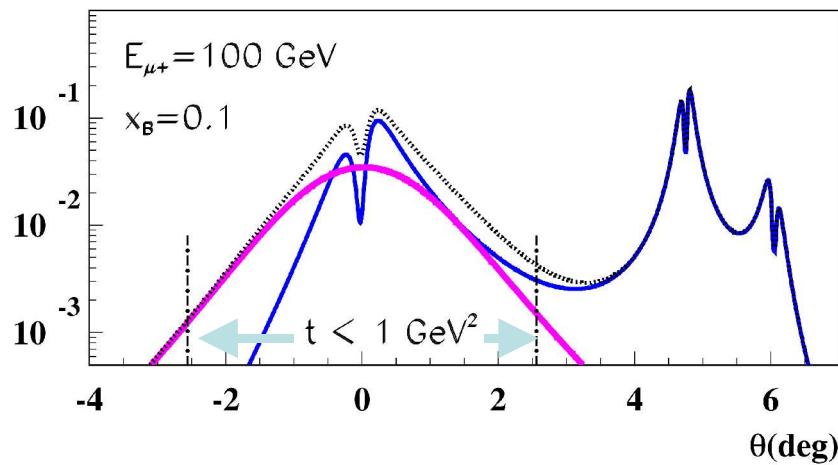
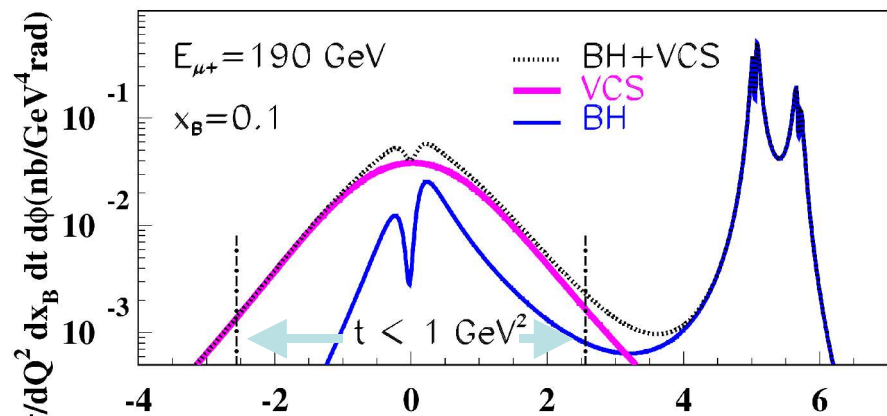


GPD measurements with DVCS

2 competing processes:
DVCS and Bethe-Heitler



$Q^2 = 4 \text{ GeV}^2$



Relative amplitude depends of $1/y$

$$1/y = 2 m_p E_{beam} x_B / Q^2$$

DVCS dominant at high $E_{beam} = 190 \text{ GeV}$

→ access to DVCS cross section

DVCS-BH interference at low $E_{beam} = 100 \text{ GeV}$

→ access to DVCS amplitude



DVCS amplitude extraction

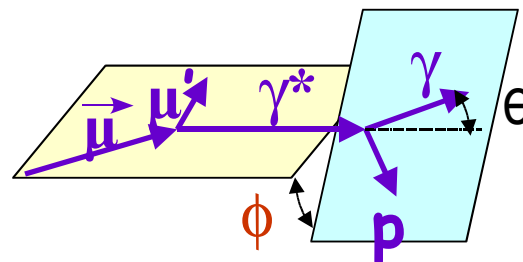
$$\frac{d\sigma(\mu p \rightarrow \mu p \gamma)}{d\phi} = A_{interf}(\cos n\phi) \left[e_{\mu} (c_1 \cos\phi \Re e A^{DVCS}(\gamma_T^*) + \dots) + e_{\mu} P_{\mu} (s_1 \sin\phi \Im m A^{DVCS}(\gamma_T^*) + \dots) \right] + \frac{d\sigma_{DVCS}(\cos n\phi, P_{\mu} \sin\phi)}{d\phi} + \frac{d\sigma_{BH}(\cos n\phi)}{d\phi}$$

$A^{DVCS}(\gamma_T^*)$ DVCS amplitude

ϕ angle between leptonic and hadronic planes

e_{μ}, P_{μ} beam charge and polarization

$d\sigma_{BH}, A_{interf}, c_i, s_i$ are known



Using $\mu^{+\rightarrow}$ and $\mu^{-\leftarrow}$ beam and ϕ dependence we can disentangle real and imaginary parts of $A(\gamma_T^*)$

$$E_{\mu}=190\text{GeV:} \quad [A_{\xi \sim x_{Bj}/2}^{DVCS}(\mu p \rightarrow \mu p \gamma)]^2 \sim \left[P \int_{-1}^1 dx \frac{H(x, \xi, t)}{x - \xi} - i\pi H(x = \xi, \xi, t) \right]^2$$

$$E_{\mu}=100\text{GeV:} \quad \sigma(\mu^{+\rightarrow}) - \sigma(\mu^{-\leftarrow}) \sim \Re e A(\gamma_T^*) \sim P \int_{-1}^1 dx \frac{H(x, \xi, t)}{x - \xi}$$

$$\sigma(\mu^{+\rightarrow}) + \sigma(\mu^{-\leftarrow}) \sim \Im m A(\gamma_T^*) \sim -i\pi H(x = \xi, \xi, t)$$



Requirements on experimental set-up and how COMPASS can fulfill them

CERN M2 muon beam:

tunable beam energy (100 - 190 GeV ok)

μ^+ and μ^- beam with same current and opposite polarization ($|P_\mu| = 80\%$)

highest available intensity $2 \cdot 10^8 \mu/\text{spill}$

Proton target:

liquid hydrogen target, 2.5 m long, 3 cm diameter: to be built

luminosity $L = 1.3 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$

Luminosity determination:

needed for cross section measurement

already done by NMC collab. at 1% accuracy, using random beam sampling and hodoscopes techniques

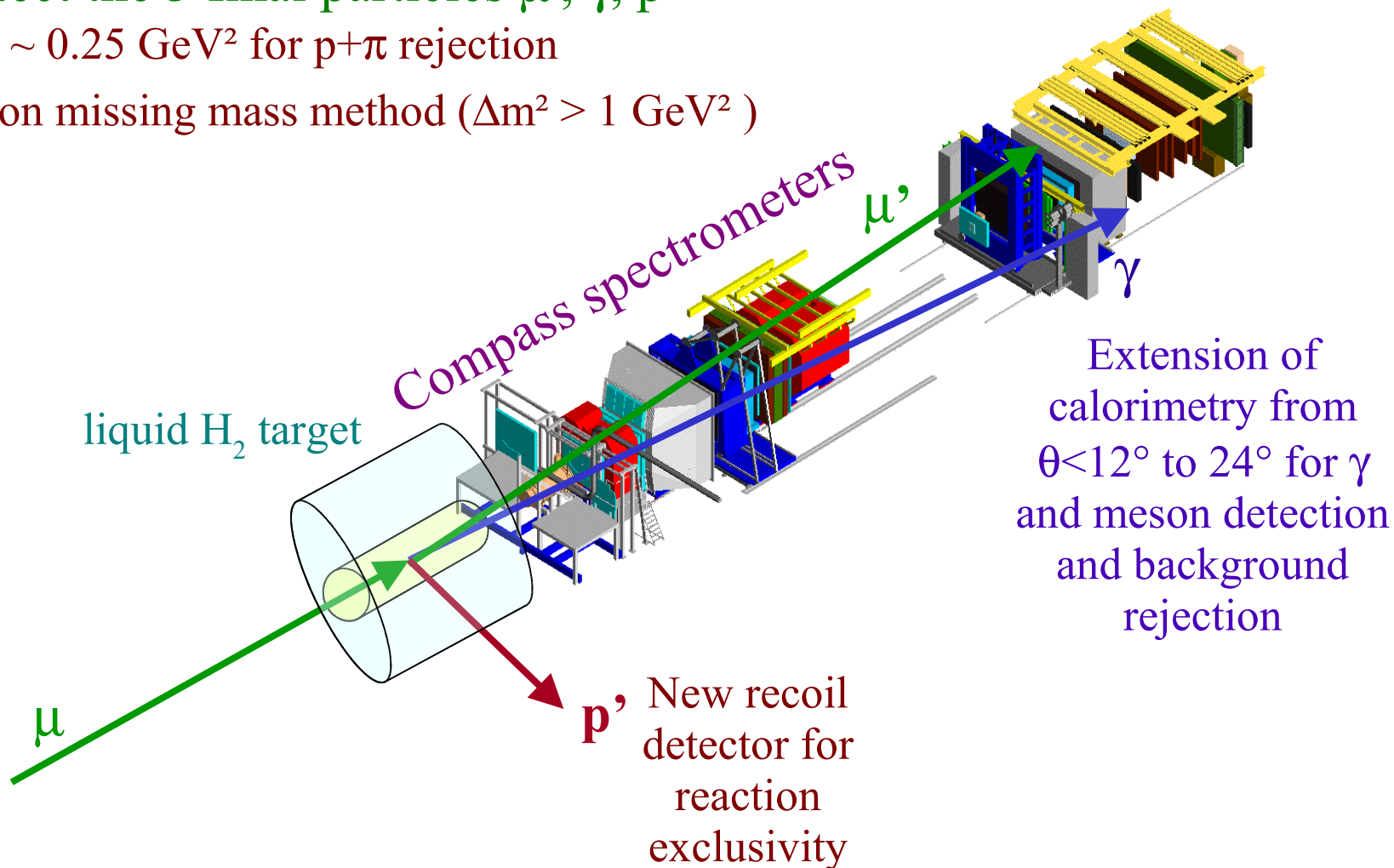


Requirements on detection

Need to detect the 3 final particles μ' , γ , p

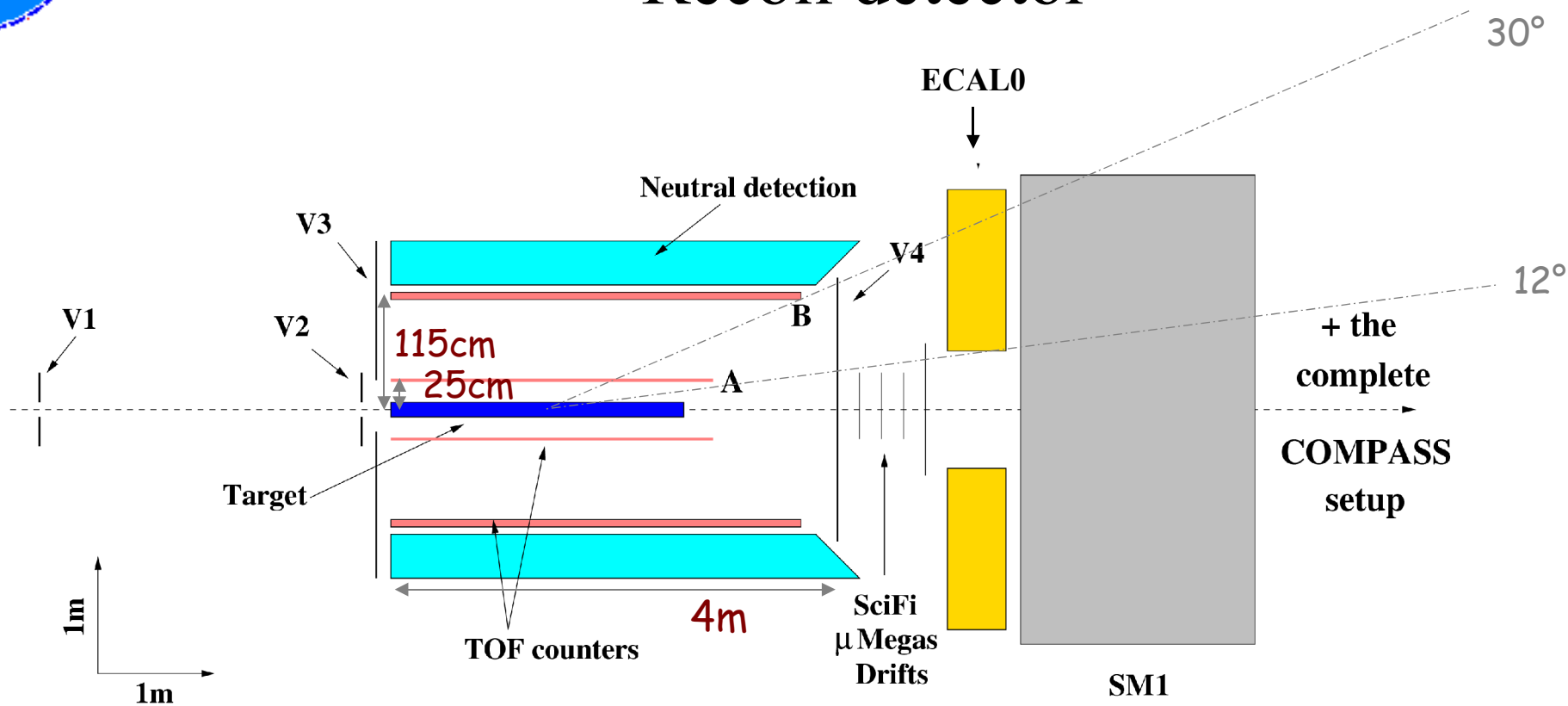
$\Delta m_{p \text{ required}}^2 \sim 0.25 \text{ GeV}^2$ for $p+\pi$ rejection

can't rely on missing mass method ($\Delta m^2 > 1 \text{ GeV}^2$)





Recoil detector



Proton detection on 250-750 MeV

TOF measurement on 2 barrels of 24 scintillators read at both sides
time resolution needed 200 ps with analog ring sampler or multi-sample ADC
veto scintillators on not covered angular regions for hermeticity

Prototype actually under test (financed by European FP6)



Electromagnetic Calorimetry

2 existing calorimeter ECAL1 and ECAL2

cover θ from 0.4° to 12° (ECAL2 $0.4-2^\circ$, ECAL1 $2-12^\circ$)

lead glass blocks, 90% signal in 50 ns

good energy resolution $\sigma E/E = 0.055/\sqrt{E} + 0.015$ with $\sim 20\text{MeV}$ threshold

good position resolution $\sigma_x = 6/\sqrt{E} + 0.5$ mm

New calorimeter ECAL0 foreseen for large angle particles (up to 24°)

increase angular coverage

$\pi^0 \rightarrow 2\gamma$ background rejection

crowded environment, magnetic fringe field

New ECAL0 calorimeter under study



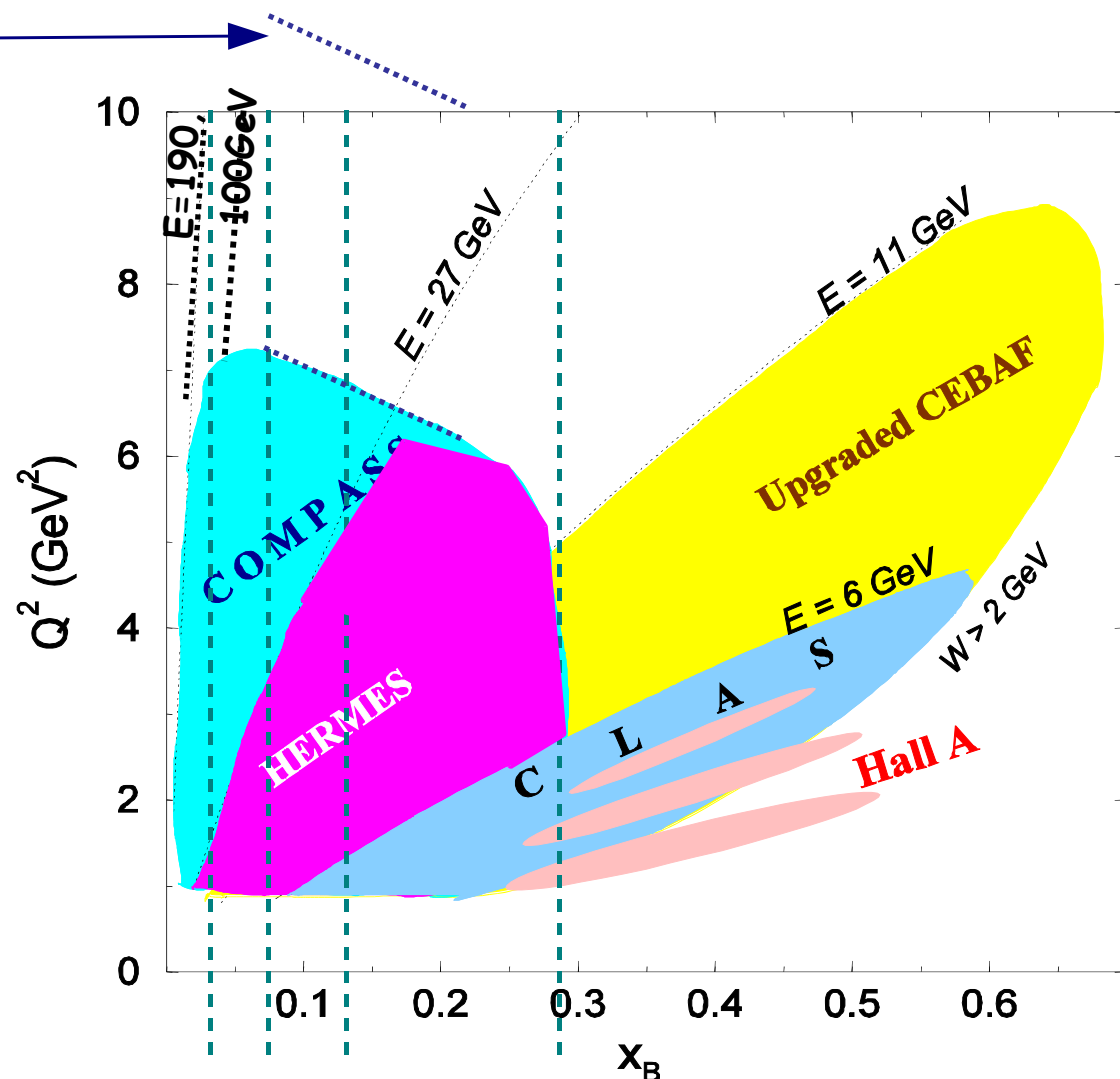
Kinematic domain covered for DVCS

Kinematic limit if $N_\mu \times 2$ →

Large range of Q^2 (1.5 – 7.5 GeV^2) in 6 bins for $E_\mu = 100 \text{ GeV}$

x_{Bj} from 0.03 to 0.27 in 3 bins

Q^2 range can be extended to 11 GeV^2 if beam intensity $\times 2$





DVCS beam charge ($\mu^+ - \mu^-$) asymmetry measurements

Projected results with 150 days of data taking
 at $E_\mu = 100$ GeV with 25% efficiency
 3 bins in x , 6 bins in Q^2

Model 1: simple model using form factor

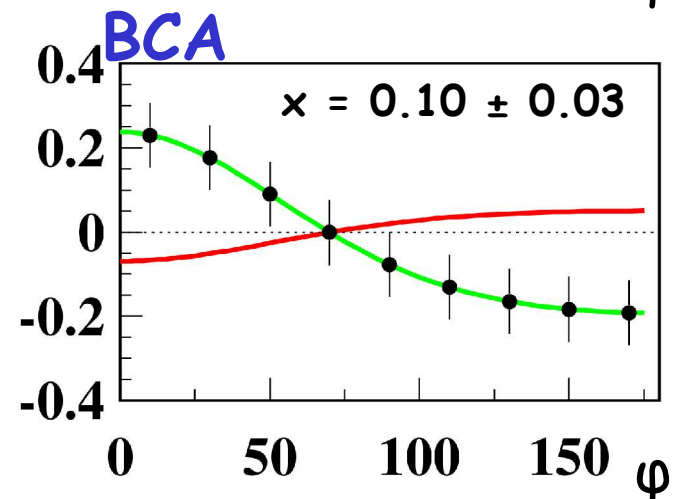
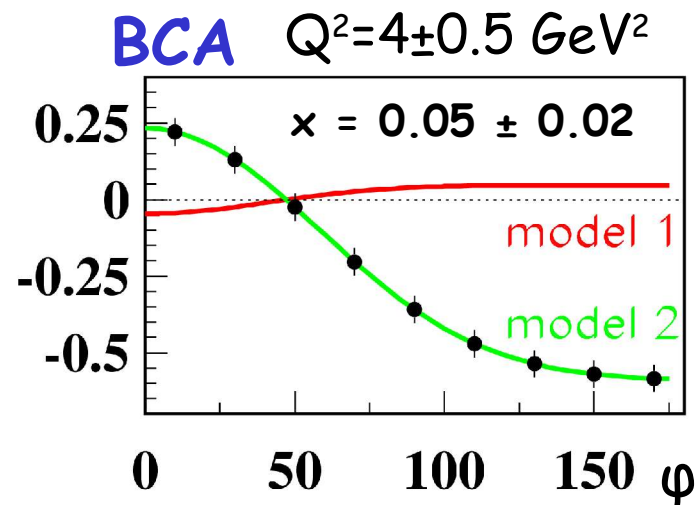
$$H(x, \xi, t) \sim q(x) F(t)$$

Model 2: more realistic model, with fast partons in small valence core

$$H(x, 0, t) \sim q(x) e^{t \langle b_\perp^2 \rangle} \text{ where } \langle b_\perp^2 \rangle = \alpha \ln 1/x$$

Models from Vanderhaeghen, Guichon, Guidal, with inputs from Goeke, Polyakov, Vanderhaeghen

Comparisons with more sophisticated models are under study





Project roadmap

- 2005 expression of interest SPSC-EOI-005
- 2006 test of a prototype of the recoil detector
- 2007 proposal submitted
- 2007-9 construction of recoil detector, ECAL0, liquid H₂ target
- 2010 first DVCS data taking (also used for HEMP)
- ongoing: analysis of ρ^0 production, Φ ,...