

# **COMPASS results on the spin**

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## **structure function $g_1^d$**

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*On behalf of the COMPASS collaboration*

**Dubna-Spin05**

Sept.27-Oct.1,2005

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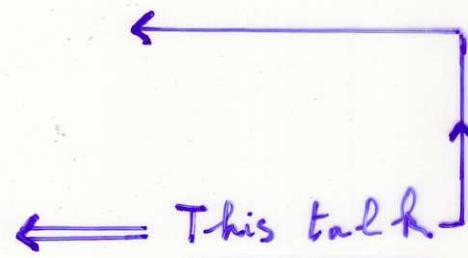
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## COMPASS at CERN

- Approved 1997
- Data taking started in 2002
- One of the few fixed target exp. running at CERN
- Extended muon and hadron program

### Spin physics with $\mu$ beam and polarised target

- Transverse  $P_T$
- Longitudinal  $P_T$ 
  - Main topic:  $\Delta G$
  - Exclusive channels
  - Semi-inclusive channels
  - Inclusive  $\mu$  interactions:  $A_1^d, g_1^d$



## Reference:

COMPASS, E.S. Ageev et al., Phys. Lett. B **612** (2005) 154-  
164

- Experimental layout
- DIS data
- Extraction of  $A_1^d$ , systematic errors
- $A_1^d$  at low  $x$ , COMPASS vs. SMC
- $g_1^d$  from COMPASS
- QCD analysis of world  $g_1$  data

# The COMPASS spectrometer

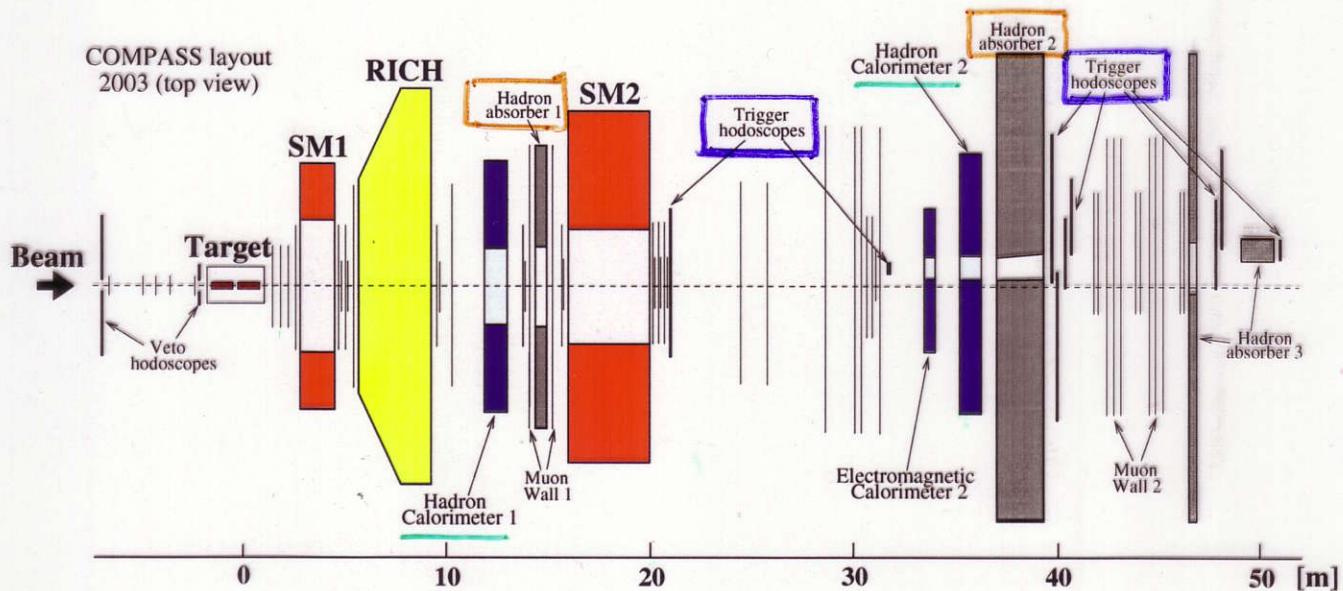


Figure 1: The COMPASS spectrometer.

Beam:  $\mu^+$   $E = 160 \text{ GeV}$   $\langle P_T \rangle = -0.76$

$I = 2 \cdot 10^8 \mu/\text{spill}$  (4 spills/min.)

Polarised target:  ${}^6\text{LiD}$   $|P_T| \approx 0.50$

2 cells:  $\ell = 60 \text{ cm}$   $\Delta = 3 \text{ cm}$

Spectrometer: 2 stages

2 dipole magnets: SM1  $\left\{ \begin{array}{l} \int B \cdot d\ell = 1 \text{ Tm} \\ P > 0.4 \text{ GeV/c} \end{array} \right.$

SM2  $\left\{ \begin{array}{l} \int B \cdot d\ell = 4.4 \text{ Tm} \\ P > 4 \text{ GeV/c} \end{array} \right.$

$\mu\text{ID}$  : 2 hadron absorbers

Hadron detection: 2 calorimeters

Large variety of trackers (adapted to part. rate)

## The COMPASS trigger system

### \* 3 types of triggers:

- Inclusive triggers: direction of scattered  $\mu$  behind SM2  
(from coincidence signals in hodoscopes)
- Semi-inclusive triggers:  
 $\mu$  energy loss (from trigger hodoscopes)  
+  
hadron signal in HCAL
- Calorimeter trigger: (Not <sup>installed</sup> yet in 2002)  
Hadron signal in calorimeter  
(No condition on scattered  $\mu$ )

### \* Software requirements:

- in all cases: beam  $\mu$  + scattered  $\mu$  + interaction point inside target cells
- for semi-incl. and calor? triggers:  
in addition, at least one hadron at interaction point

\*\* Setup mainly for quasi-real photon interactions  
Only a small fraction of triggers for DIS

DIS data2002 + 2003

$$Q^2 > 1 \text{ GeV}^2$$

$$0.1 < \gamma < 0.3$$

$$140 < P_\mu < 180 \text{ GeV/c}$$

34.  $10^6$  events

( $\frac{2}{3}$  from 2003)

2004 data

Not analysed yet for DIS events

Expect  $\approx$  same statistics as (2002 + 2003)

## Fraction of various trigger types

in DIS sample vs.  $x$  and  $Q^2$

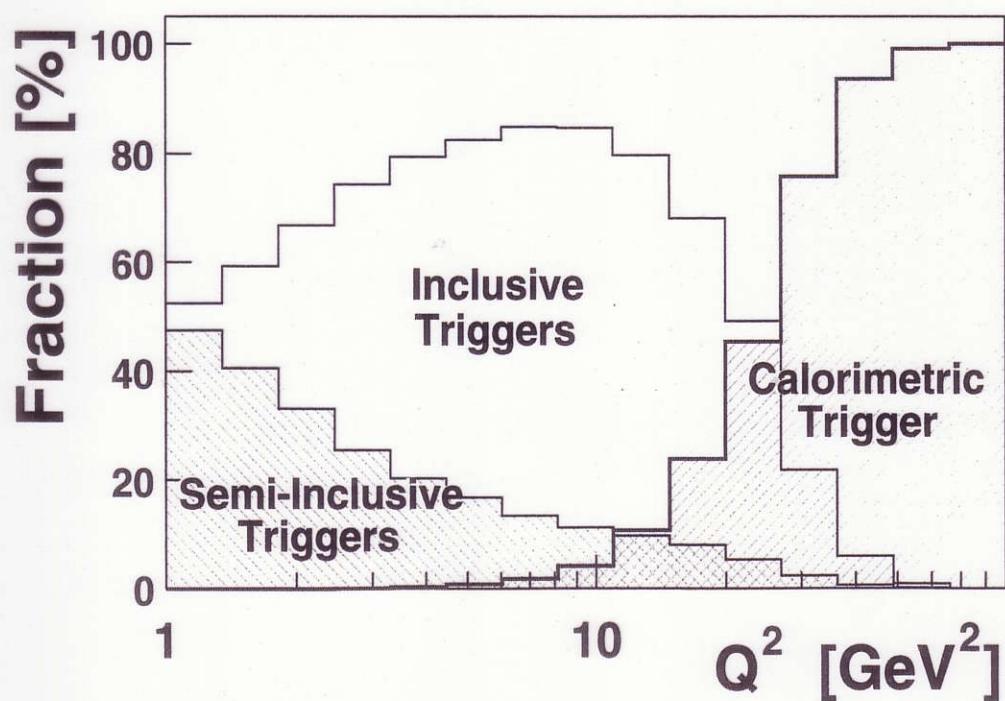
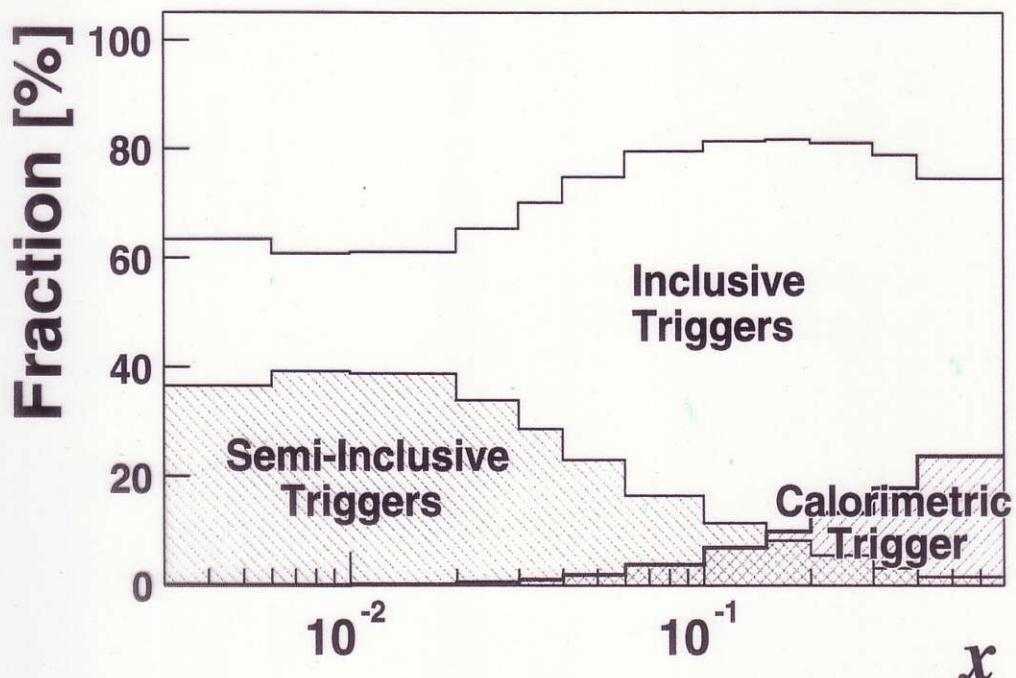


Figure 1: Fraction of inclusive, semi-inclusive and calorimetric triggers in the final data sample (2002–2003) as a function of  $x$  and  $Q^2$ . Events are counted with the weight they carry in the asymmetry calculation.

## Asymmetries and spin-structure function

### \* Cross-section asymmetry

$$A^d = \frac{\sigma_{\uparrow\downarrow} - \sigma_{\uparrow\uparrow}}{\sigma_{\uparrow\downarrow} + \sigma_{\uparrow\uparrow}}$$

### \* Longitudinal $\gamma^*$ -lepton asymmetry

$$A_1^d = \frac{\sigma_0^T - \sigma_2^T}{2\sigma^T}$$

$\sigma_J^T = \begin{cases} \text{transverse cross-section} \\ \text{total spin proj. on } J \cdot \text{dir} = J \end{cases}$

with  $\sigma^T = \frac{1}{3} (\sigma_0^T + \sigma_1^T + \sigma_2^T)$

### \* $A_1^d$ vs. $A^d$

$$A^d = D (A_1^d + \eta A_2^d)$$

$\eta, D \rightarrow$  event kinematics

(+  $R = \sigma_L/\sigma_T$  for  $D$ )

Compass kinematics:  $\eta, A_2^d$  small

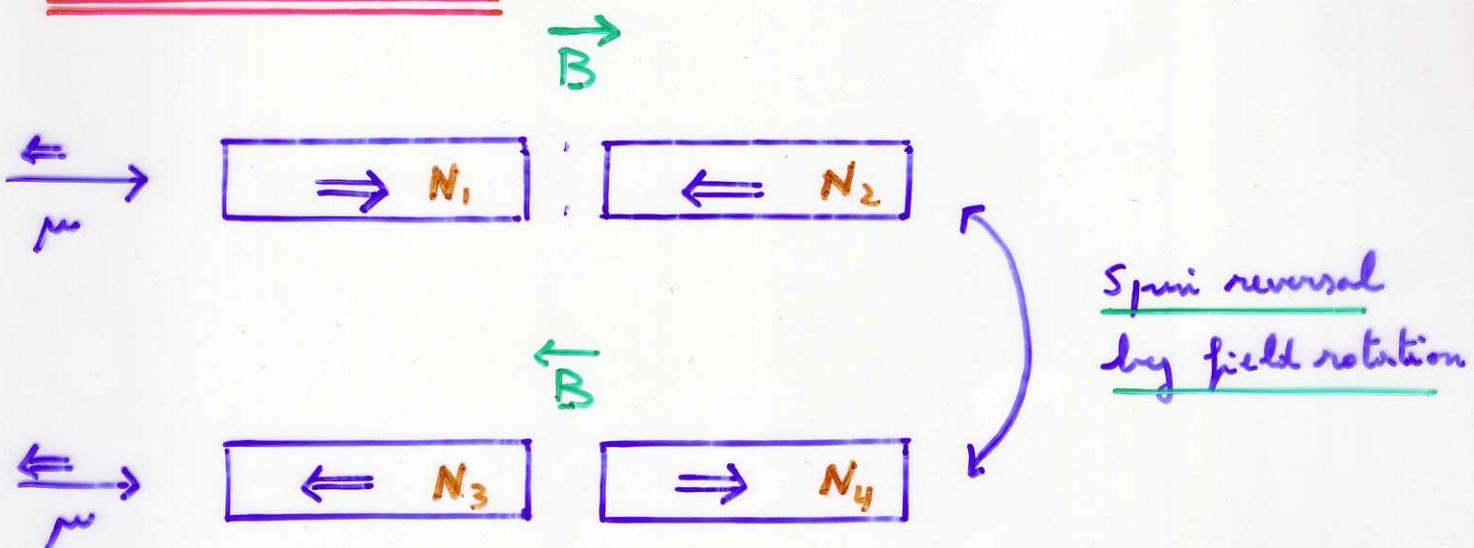
$\Rightarrow$

$$A_1^d \approx A^d / D$$

$$g_1^d = \frac{F_2^d}{2x(1+R)} A_1^d$$

$A_1^d$  derived separately for nuc-/hadronic events  
 $\Rightarrow$  compared and merged

## Evaluation of $A_i^d$



$$N_i = \alpha_i \cdot \varphi_i \cdot n_i \cdot \bar{\sigma} \left( 1 + P_B \cdot P_T \cdot f \cdot D \cdot A_i^d \right)$$

$\left\{ \begin{array}{l} \alpha_i = \text{acceptance} \\ \varphi_i = \text{muon flux} \\ n_i = N_{\text{target}} \text{ target nucleons/surf.} \\ f = \text{target dilution factor} \end{array} \right.$

\* Same fluxes for the 2 cells:  $\varphi_1 = \varphi_2$  and  $\varphi_3 = \varphi_4$

$$\frac{N_1 N_4}{N_2 N_3} = 2^{\text{st order eq. in } A_i^d}$$

System. errors

Acceptances cancel out if  $(\alpha_1 / \alpha_2) = (\alpha_3 / \alpha_4)$

\* Statistical error minimized by using weighted events:

$$N_i \rightarrow \sum_i w_i \quad \text{with} \quad w = f P_B D$$

# The polarised target dilution factor

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Naïve expectation  $f(^6\text{Li:D}) \approx 0.5$

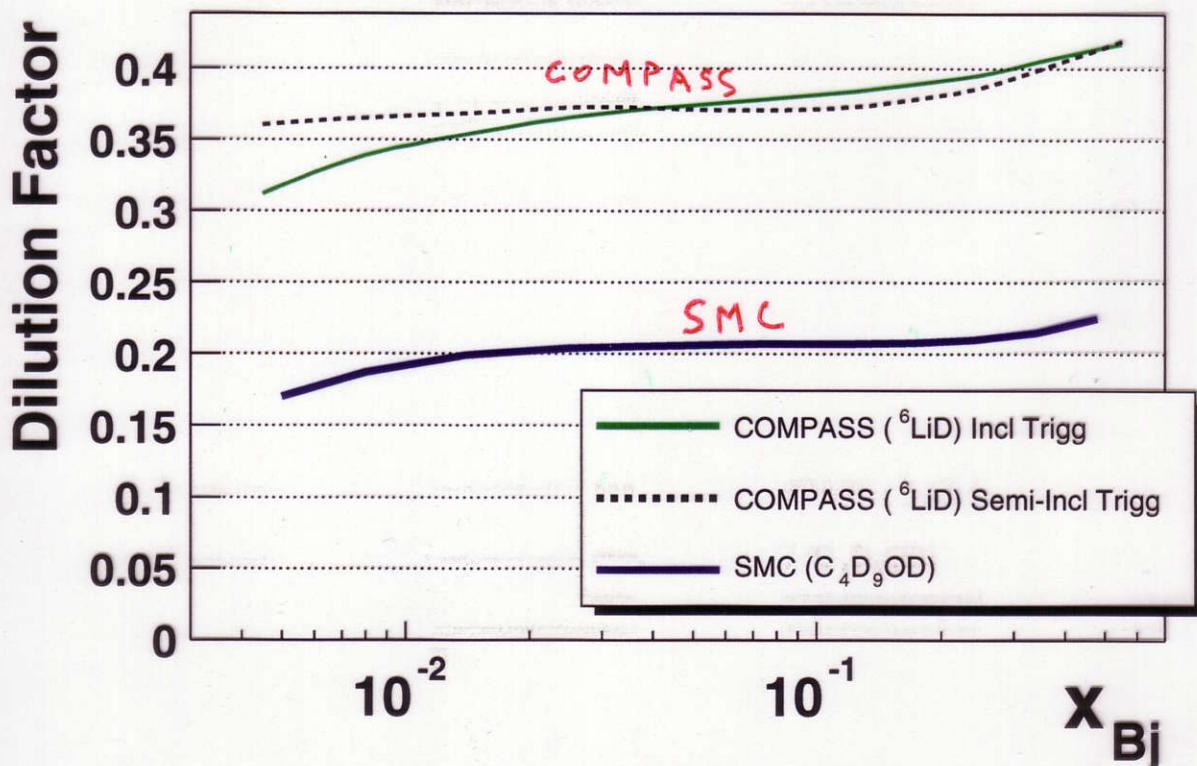


Figure 1: The dilution factor (including radiative effects on the deuteron) as a function of  $x$ .

\* Ratio of  $\sigma$ 's on nucleons bound in nuclei

\* correction for polarisation of D bound in  ${}^6\text{Li}$

\* correction for radiative effects in deuteron

$$A_1 = \frac{\Delta\sigma^{(\gamma\gamma)}}{\bar{\sigma}^{(\gamma\gamma)}} = \underbrace{\frac{\Delta\sigma^{(t,t)}}{\bar{\sigma}^{(t,t)} \left( \bar{\sigma}^{(\gamma\gamma)} / \bar{\sigma}^{(t,t)} \right)}}_{\text{Unpol. RC}} + \underbrace{\frac{\Delta\sigma^{(\gamma\gamma)} - \Delta\sigma^{(t,t)}}{\bar{\sigma}^{(\gamma\gamma)}}}_{\text{Pol. RC}}$$

$\left\{ \begin{array}{l} \text{included in } f \\ \text{different incl./semi-incl.} \end{array} \right.$

# Systematic errors on $A_i^d$ , $g_i^d$

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- 1-  $A_i$  from incl./semi-incl. triggers  $\rightarrow$  No effect

Also tested by MC  $\Rightarrow \left\{ \begin{array}{l} \text{ deuteron target} \\ \text{OK within exp. conditions} \end{array} \right.$

- 2- External sources:

$$\left\{ \begin{array}{l} P_B, P_T \rightarrow 6.5\% \text{ scale error} \\ f \rightarrow 6\% \\ R \rightarrow 4-5\% \\ F_2^d \rightarrow (\text{in } g_i^d) \\ ; (A_2, R_{(\text{pol.})}^c \rightarrow \text{smaller effects}) \end{array} \right.$$

- 3- False asymmetries due to time variation of  $(a_u/a_d)$

- Divide data into 100 subsamples taken within  
 $\sim 16$  hours  $\frac{\times 2}{200}$

- Distributions of  $(A_i - \bar{A})/\sigma_i \Rightarrow N(0, 1)$   
in every  $\times$  bin  $\sigma(\hat{\sigma}) = \frac{1}{\sqrt{400}} = 0.05$

$\Rightarrow$  No indication for broadening  
due to time dependent effects

$$\sqrt{\sigma_{\text{stat}}^2 + \sigma_{\text{syst.}}^2} \leq 1.10 \sigma_{\text{stat}}$$



$$\sigma_{\text{syst.}} < 0.5 \sigma_{\text{stat.}} \quad (\text{conservative limit})$$

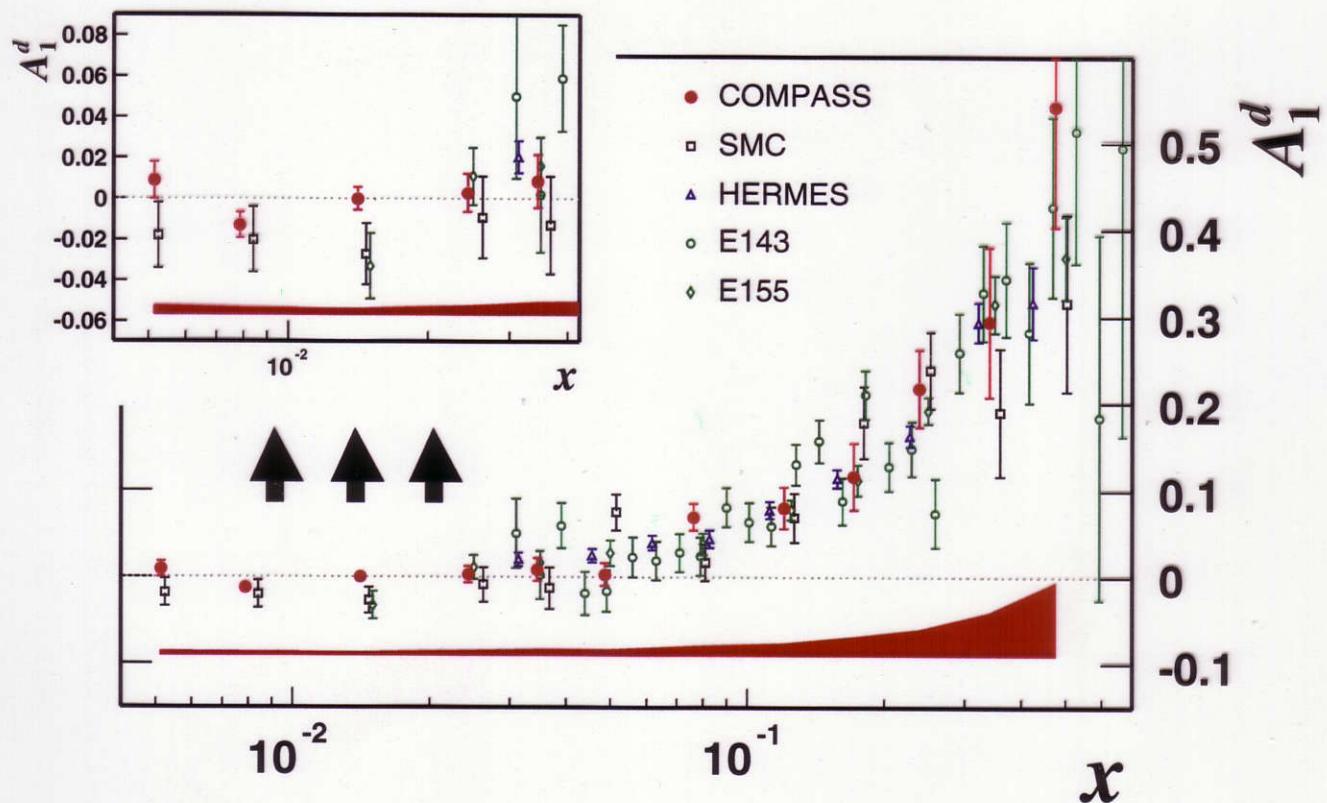


Figure 1: The asymmetry  $A_1^d(x)$  as measured in COMPASS and previous results from SMC, HERMES, SLAC E143 and E155 at  $Q^2 > 1 \text{ GeV}^2$ .

$A_1^d(x, Q^2)$  almost independent of  $Q^2$



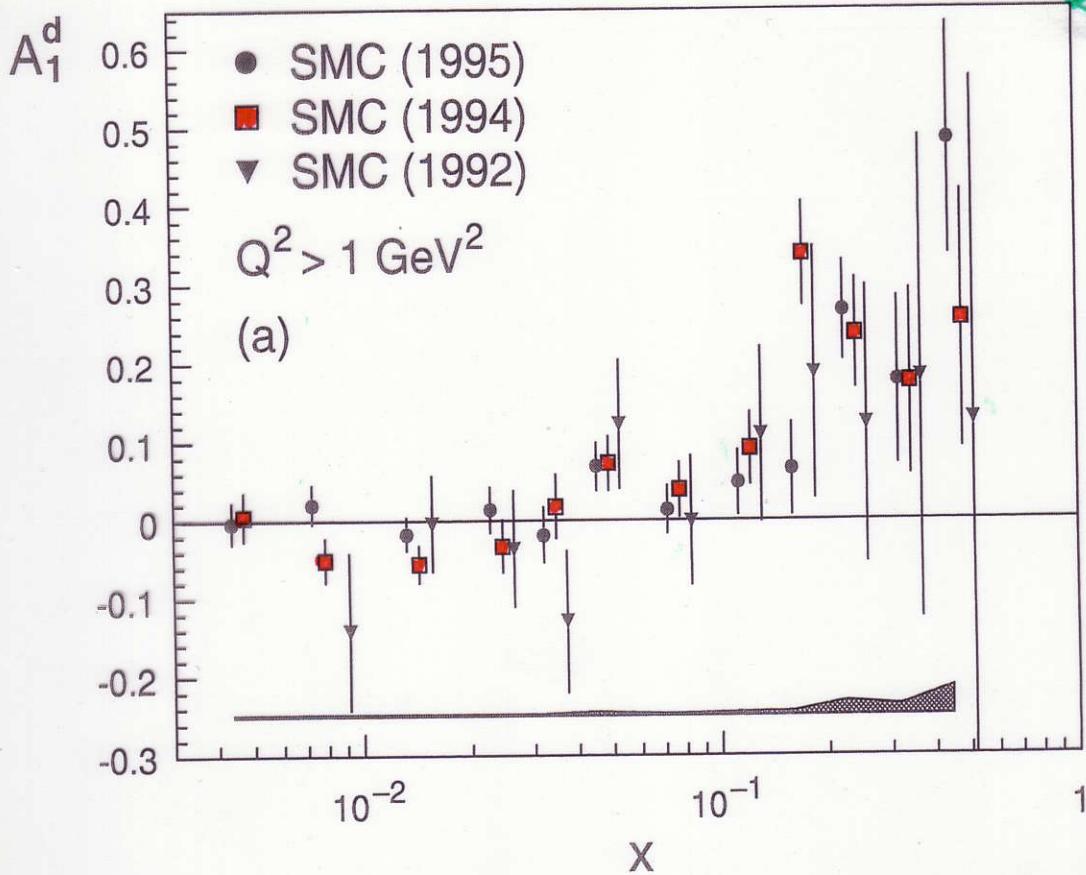
Data at same  $x \approx$  equal for all experiments

# $A_1^d$ at low $x$ - Historical aspects

( $x < 0.04$ )

Ph. Lett. B 396 (1997) 338

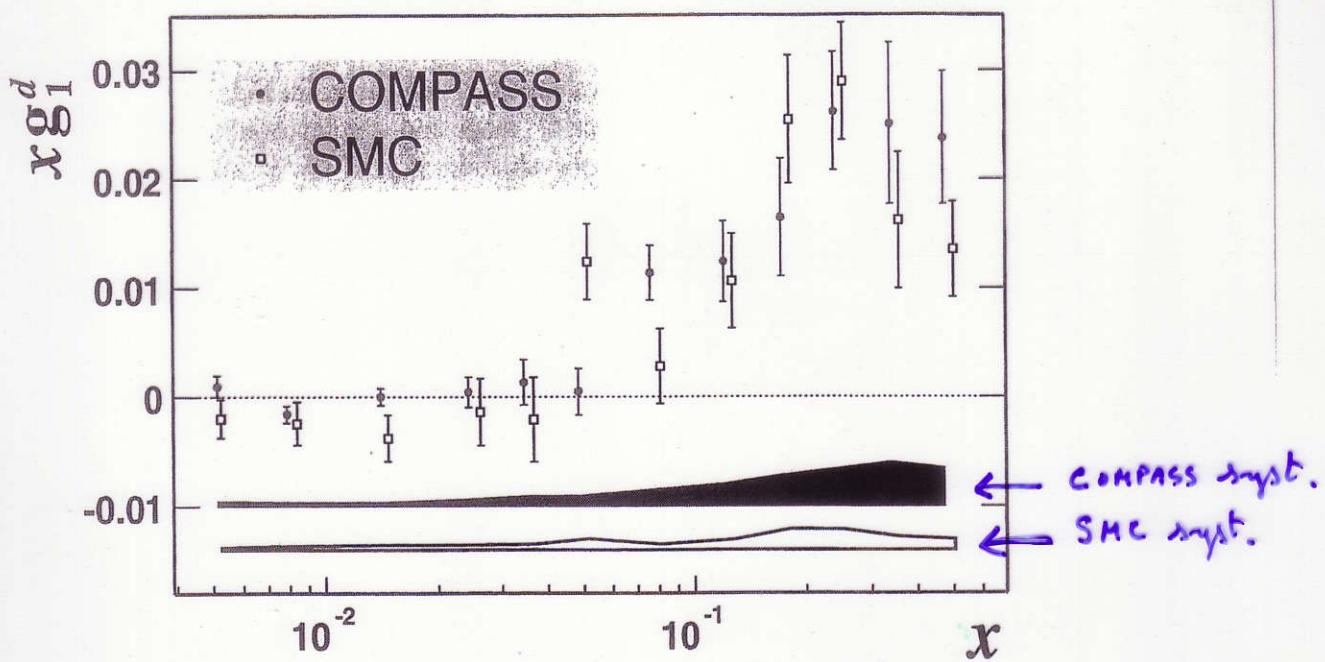
Kesler



<u>SMC</u>	1992	2 points $\leq 0$	Large errors, $E = 100 \text{ GeV}$
	1994	3 points $\leq 0$	$2.5\sigma$
	1995 This plot	Reanalyzed 94 data New data - Combined	$\sim 2.5\sigma$ $\sim 1.5\sigma$ } Merged $\sim 2\sigma$ } $A_1^d \leq 0$ (Not discussed)
	1998	Final analysis	
<u>Compass</u>	2002-2003	This analysis	No effect

## COMPASS vs. SMC (at $Q^2$ of COMPASS points)

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- \*  $\sigma_{\text{stat.}}(\text{COMPASS}) \approx \sigma_{\text{stat.}}(\text{SMC})/2$  for  $x < 0.06$

precision improved at low x

- \* For  $x \geq 0.2$   $\sigma_{\text{stat.}}(\text{COMPASS}) > \sigma_{\text{stat.}}(\text{SMC})$

(due to incomplete trigger system in 2002)

$\Gamma_1^{\text{el}}$  (?)

$$\text{SMC} : \int_{0.003}^{0.7} g_1^{\text{el}}(x, Q_0^2) dx \rightarrow \sigma_{\text{stat.}} = 0.006$$

$$\text{COMPASS} : (0.4 \rightarrow 0.7) \rightarrow \sigma \approx 0.004$$

SUM RULES  $\Rightarrow$  Needs 2004 data

# QCD fits of world data of $g_i^{p,d,n}$

(with and without COMPASS data)

\* Data sets: all  $g_i$  data at  $Q^2 > 1 \text{ GeV}^2$

SLAC : E142 - E143 - E154 - E155

DESY : HERMES

JLAB : Hall A

CERN : EMC - SMC - COMPASS

} 200 data points

\* Fitting program:

(SMC program) { NLO fit     $\overline{\text{MS}}$  scheme  
                           {  $(x, Q^2)$  space

\* PDF's parametrisations: at  $Q_0^2 = 3 \text{ GeV}^2$

$$\left\{ \begin{array}{l} \Delta \Sigma = \gamma_S N_\Sigma^{-1}(x, \beta, \gamma) x^\alpha (1-x)^\beta (1+\gamma x) \\ \Delta g = \gamma_g N_g^{-1}(x, \beta) x^\alpha (1-x)^\beta \\ \Delta g_{3,8} = K_{3,8} N_{3,8}^{-1} x^\alpha (1-x)^\beta \end{array} \right.$$

$\downarrow$   
fixed ( $F, D$ )

No. parameters:  $4 + 3 + 2 + 2 = 11$

(+1 floating normalisation  
for one data set)

\* Require  $|\Delta s(x, Q_0^2)| \leq s(x, Q_0^2)$  Positivity limit  
                   ↑  $\frac{1}{3} (\Delta \Sigma - \Delta g_8)$

# $x \cdot g_1^d(x)$ COMPASS - SMC data vs. fit

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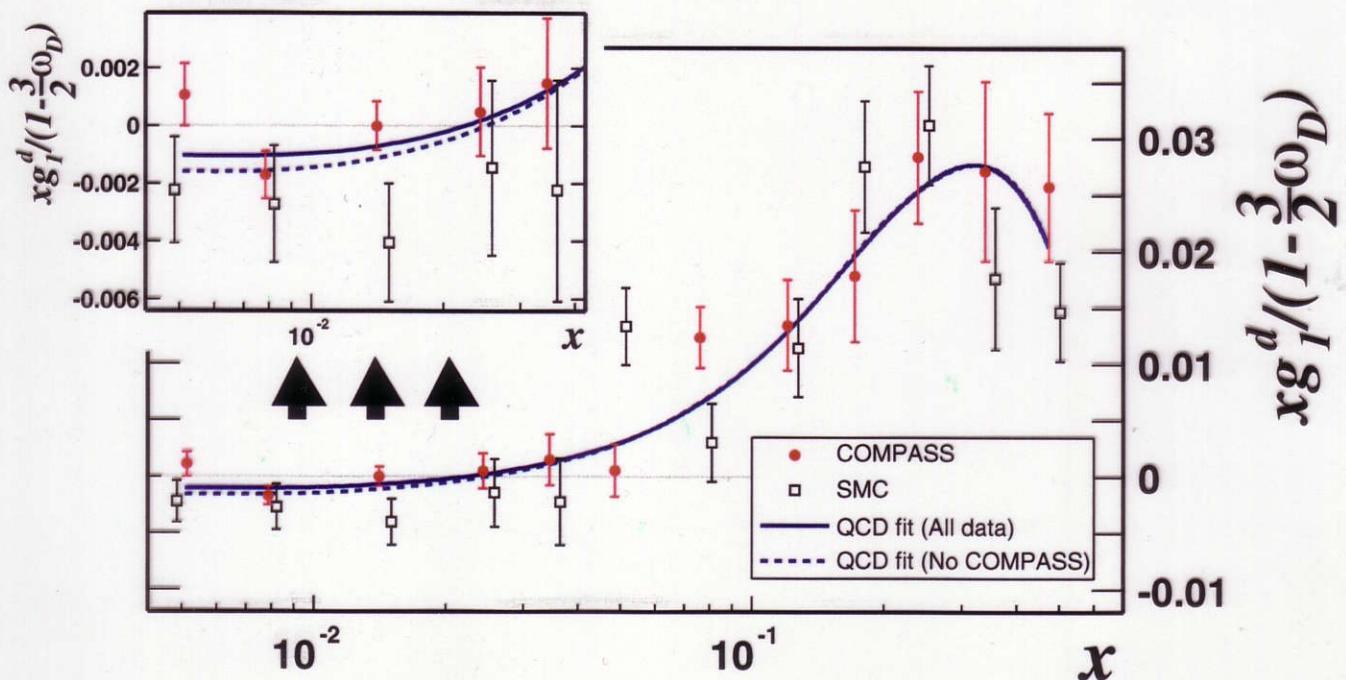


Figure 1: Values of  $x \cdot g_1^d(x)$  measured by COMPASS and SMC with the result of fits to world data. The data points are corrected for the deuteron D-wave probability.

$$\int_{-0.004}^{0.03} g_1^d(x) dx = \begin{cases} (-0.3 \pm 1.0) \cdot 10^{-3} & \text{COMPASS} \\ (-5.3 \pm 2.3) \cdot 10^{-3} & \text{SMC} \end{cases}$$

Diff.  $\Rightarrow 0.0050 \pm 0.0025$

$$g_1^d \stackrel{\text{QSM}}{\simeq} \frac{1}{2} (\Delta \Sigma + \frac{1}{4} \Delta q_8)$$

$\int \Delta q_8$  fixed

$\Rightarrow$  Expect change in  $\Delta \Sigma$  w/o COMPASS ( $\simeq 0.045$ )

Fit results( $Q^2 = 3 \text{ GeV}^2$ )

①

\*  $\Delta \Sigma (\overline{\text{MS}}) = \underline{0.25 \pm 0.02}$  (stat.)

(all  $g_1$  data, including  $g_1^d$  from COMPASS)

\*  $\Delta \Sigma (\overline{\text{MS}}) = \underline{0.22 \pm 0.03}$  (stat.)

(all  $g_1$  data, except COMPASS)COMPASS data:

- { - increase  $\Delta \Sigma$  (as expected)  
from  $g_1^d$
- slight reduction of stat. error

- Statistical errors: Errors on parameters in present fit ( $\pm \sigma$ )
- Not quoted: systematic effects due to change in  
  - { parametrization, ref.  $Q^2$ , Nr. parameters ... }
- General assumption:  
 Parametrizations valid over the range of the data  
 remain valid over the full range of  $x$

$\Rightarrow$  **MOMENTS**

②  $\Delta g$  at  $Q^2 = 3 \text{ GeV}^2$  from NLO fit in  $\overline{\text{MS}}$  scheme

$$\Delta g = 0.4 \pm 0.2 \text{ (stat.)} \pm ? \text{ (syst.)}$$

- Statistical error = 15% from present fit  
(3 param. in  $\Delta g(x)$ )
- Systematic error (under study)
  - parametrisation, ref  $\approx Q^2$
  - different fitting programs (moment,  $(x, a)$ )
  - $\overline{\text{MS}}$  vs. other schemes
  - ; ; ;

Validity of parametrisation outside range of data?

Another approach: direct measurement from high-pt events

NEXT TALK

(by Yann Beolfo)

COMPASS hi-pt

$$\Delta g/g = 0.024 \pm 0.089 \text{ (stat.)} \pm 0.057 \text{ (syst.)}$$

$(0.065 \leq x_g \leq 0.175, Q^2 \approx 3 \text{ GeV}^2)$  ↑

$(g \approx 12-13)$

## 2 Complementary approaches to $\Delta G$

<u>QCD fits</u>	<u>High-p<sub>T</sub> events</u>
World data on $g_1$ , (200 points, 12 from COMPASS)	COMPASS Hadron events
DIS	$Q^2 < 1 \text{ GeV}^2$
Needs <u>input param<sup>n</sup></u> of Polarised quark's	Large contribution of <u>resolving y'</u>
<u>Indirect</u> access to $\Delta G$ through $Q^2$ evolution of $g_1$	<u>Direct</u> access to $\Delta G$ in PGF events
NLO analysis	LO analysis
More sensitive to <u><math>\int \Delta G</math></u> than to detailed shape	Access to $\Delta G$ in <u>limited range of x</u>
Needs control of <u>systematics</u>	Needs <u>precision</u>

