

## Azimuthal asymmetries in unpolarized SIDIS at COMPASS

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on behalf of the COMPASS Collaboration


## Introduction

Semi-Inclusive Deep Inelastic Scattering (SIDIS) is a powerful tool to access the rich and complex structure of the nucleon.

Depending on the nucleon polarization, several (TMD)-PDFs can be accessed

In this talk: focus on the SIDIS off unpolarized nucleons

| Quark <br> Nucleon | $\underset{\text { unpolarized }}{\mathbf{U}}$ | L <br> longitudinally <br> polarized | T <br> transversely polarized |
| :---: | :---: | :---: | :---: |
| $\underset{\text { unpolarized }}{\mathbf{U}}$ | $\left.\begin{array}{c} \boldsymbol{r}_{1}^{q}\left(x, k_{T}^{2}\right) \\ \text { numberdensiv } \end{array}\right)$ |  | $\begin{aligned} & h_{1}^{\perp q}\left(x, k_{T}^{2}\right) \\ & \text { Boer-Mulders } \end{aligned}$ |
|  |  | $\begin{gathered} \left.g_{1}^{q}\left(x, k_{T}^{2}\right)_{T}^{2}\right) \\ \hline \end{gathered}$ | $\underset{\text { Kotbinan- }}{\substack{\perp q u d d e r s}}$ <br> Kotzinian-Mulders worm-gear L |
| $\underset{\substack{\text { transversely } \\ \text { polarized }}}{\mathbf{T}}$ | $\underset{\text { Sivers }}{q}$ | $\begin{gathered} g_{1 T}^{\perp q}\left(x, k_{T}^{2}\right) \\ \text { Kotzinian-Mulders } \\ \text { worm-gear T } \end{gathered}$ | $\begin{gathered} h_{1}^{q}\left(x, k_{T}^{2}\right) \\ \text { transversity } \\ h_{1 T}^{\perp q}\left(x, k_{T}^{2}\right) \\ \text { Pretzelosity } \\ \hline \end{gathered}$ |

## Cross section for unpolarized SIDIS

In SIDIS, a high energy lepton scatters off a nucleon target and at least one hadron is observed in the final state.

For an unpolarized nucleon target, at high $Q^{2}$ and in the one-photon exchange approximation the fully-differential cross-section reads:


The Gamma Nucleon System (GNS)

$$
\begin{aligned}
& \frac{\mathrm{d}^{5} \sigma}{\mathrm{~d} x \mathrm{~d} y \mathrm{~d} z \mathrm{~d} \varphi_{h} \mathrm{~d} P_{T}^{2}}=\frac{2 \pi \alpha^{2}}{x y Q^{2}} \frac{y^{2}}{2(1-\varepsilon)}\left(1+\frac{\gamma^{2}}{2 x}\right) \\
& \cdot\left(F_{U U, T}+\varepsilon F_{U U, L}+\sqrt{2 \varepsilon(1+\varepsilon)} F_{U U}^{\cos \varphi_{h}} \cos \varphi_{h}+\varepsilon F_{U U}^{\cos 2 \varphi_{h}} \cos 2 \varphi_{h}+\lambda_{l} \sqrt{2 \varepsilon(1-\varepsilon)} F_{L U}^{\sin \varphi_{h}} \sin \varphi_{h}\right)
\end{aligned}
$$

- $x$ is the Bjorken variable
- $Q^{2}$ the photon virtuality
- $\gamma=\frac{2 M x}{Q}$ (small in COMPASS kinematics)
- $y=1-\frac{E_{\ell^{\prime}}}{E_{\ell}}$ the inelasticity with $E_{\ell^{(r)}}$ the energy of the incoming (scattered) lepton in the target rest frame
- $\lambda_{l}$ is the beam polarization.
- $\quad z$ is the fraction of photon energy carried by the hadron
- $\varphi_{h}$ its azimuthal angle in the Gamma Nucleon System
- $\quad P_{T}$ its transverse momentum w.r.t. the photon
- $\varepsilon(y)=\frac{1-y-\frac{1}{4} \gamma^{2} y^{2}}{1-y+\frac{1}{2} y^{2}+\frac{1}{4} \gamma^{2} y^{2}}$


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\end{aligned}
$$

The structure functions $\boldsymbol{F}_{X Y[, Z]}^{\left[f\left(\varphi_{h}\right)\right]}$ can be written in terms of

- TMD Parton Distributions Functions (PDFs)
- TMD Fragmentation Functions (FFs).


## Unpolarized structure functions

Unpolarized SIDIS $\rightarrow$ access to the number density TMD and to the Boer-Mulders TMD $h_{1}^{\perp}$

| Quark | $\mathbf{U}$ <br> unpolarized | $\mathbf{L}$ <br> longitudinally <br> polarized | $\mathbf{T}$ <br> transversely <br> polarized |
| :---: | :---: | :---: | :---: |
| $\mathbf{U}$ <br> unpolarized | $f_{1}^{q}\left(x, k_{T}^{2}\right)$ <br> number <br> density |  | $h_{1}^{\perp q}\left(x, k_{T}^{2}\right)$ <br> Boer-Mulders |

The correlation between $\boldsymbol{k}_{\boldsymbol{T}}$ and $\boldsymbol{s}_{\boldsymbol{T}}$ generates a neat transverse polarization

Boer-Mulders function $\boldsymbol{h}_{1}^{\perp}$ couples to the
Collins FF $\boldsymbol{H}_{1}^{\perp}$ : fragmentation of a transversely polarized quarks into hadron

Up to order $1 / Q$ (i.e. at twist-3) in Wandzura-Wilczek approximation *:

$$
\begin{aligned}
& F_{U U, T}=\mathcal{C}\left[f_{1} D_{1}\right] \\
& F_{U U}^{\cos \varphi_{h}}=\frac{2 M}{Q} \mathcal{C}\left[-\frac{\left(\hat{h} \cdot \vec{k}_{T}\right)}{M} f_{1} \boldsymbol{D}_{1}-\frac{\left(\widehat{h} \cdot \vec{p}_{\perp}\right) k_{T}^{2}}{z M^{2} M_{h}} \boldsymbol{h}_{1}^{\perp} \boldsymbol{H}_{1}^{\perp}+\cdots\right] \\
& F_{U U}^{\cos 2 \varphi_{h}}=\mathcal{C}\left[-\frac{2\left(\widehat{h} \cdot \vec{k}_{T}\right)\left(\widehat{h} \cdot \vec{p}_{\perp}\right)-\vec{k}_{T} \cdot \vec{p}_{\perp}}{z M M_{h}} \boldsymbol{h}_{1}^{\perp} \boldsymbol{H}_{1}^{\perp}\right] \\
& \text { Boer-Muldersterm }
\end{aligned}
$$


where $\mathcal{C}[w f D]$ is the convolution over the unobservable transverse momenta:

$$
\begin{gathered}
\mathcal{C}[w f D]=x \sum_{a} e_{a}^{2} \int d^{2} \vec{k}_{T} \int_{\hat{h}=\vec{P}_{T} /\left|\vec{P}_{T}\right|} d^{2} \delta^{2}\left(\vec{P}_{T}-\vec{k}_{T}-\vec{p}_{\perp}\right) w\left(\vec{k}_{T}, \vec{p}_{\perp}\right) f^{a}\left(x, \vec{k}_{T}\right) D^{a}\left(z, \vec{p}_{\perp}\right) \\
\end{gathered}
$$

* possible further contributions at high $z$ from the Berger-Brodskymechanism

Brandenburg et al., Phys.Lett.B 347 (1995) 413-418

## COMPASS contribution to the understanding of the nucleon structure

- spin asymmetries with transverse and longitudinal spin polarization important results on the extraction of transversity and Sivers functions
- SIDIS with unpolarized target azimuthal asymmetries and $\boldsymbol{P}_{T}^{2}$-distributions on deuteron EPJC 73 (2013) 2531 NPB 886 (2014) 1046 PRD 97(2018) 032006 NPB 956 (2020) 115039


COMPASS (COmmon Muon Proton Apparatus for Structure and Spectroscopy):

- 24 institutions from 13 countries (about 220 physicists)
- a fixed target experiment
- located in the CERN North Area, along the SPS M2 beamline


## Broad research program:

- SIDIS with $\mu$ beam, with (un)polarized deuteron or proton target.
- Hadron spectroscopy with hadron beams and nuclear targets
- Drell-Yan measurement with $\pi^{-}$beam with polarized target
- Deeply Virtual Compton Scattering (DVCS)


## A multipurpose apparatus:

- Two-stage spectrometer, about 330 detector planes
- $\quad \mu$ identification, RICH, calorimetry


The COMPASS location at CERN


The 2016 COMPASS experimental setup

In 2016 (and 2017) the data-taking was dedicated to the measurement of Deeply Virtual Compton Scattering (DVCS).
In parallel, new SIDIS data have been collected in COMPASS, with:

- $160 \mathrm{GeV} / \mathrm{c} \mu$ beam ( $\mu^{+}$and $\mu^{-}$with balanced statistics)
- Unpolarized, 2.5 m long liquid hydrogen target

Part of the data ( $\sim \mathbf{1 1 \%}$ of the available statistics) have been analyzed to measure unpolarized SIDIS observables $\rightarrow \sim 6.5$ million hadrons


The $x-Q^{2}$ coverage

## Contribution from exclusive hadrons

Hadrons from the decay of exclusive diffractive vector mesons (exclusive hadrons), very interesting per se, constitute a relevant source of background for the SIDIS measurement.

The two most important channels: $\rho^{0} \rightarrow \pi^{+} \pi^{-}$and $\phi \rightarrow K^{+} K^{-}$

- Well visible in the data at vanishing missing energy

$$
E_{m i s s}=\frac{M_{X}^{2}-M_{p}^{2}}{2 M_{p}}
$$

- Strong modulations in the azimuthal angle
- Contamination as high as $30 \%$ at high $z$


Invariant mass distribution in the data, before and after cutting in missing energy


The diffractive production of a vector meson $V$ and its decay into a hadron pair

$\phi_{h}-z$ correlation for exclusive hadrons

## Azimuthal asymmetries - 1D

Azimuthal asymmetries: defined as the following ratios

$$
A_{U U}^{\cos \phi_{h}}=\frac{F_{U U}^{\cos \phi_{h}}}{F_{U U, T}} \quad A_{U U}^{\cos 2 \phi_{h}}=\frac{F_{U U}^{\cos 2 \phi_{h}}}{F_{U U, T}} \quad A_{L U}^{\sin \phi_{h}}=\frac{F_{L U}^{\sin \phi_{h}}}{F_{U U, T}}
$$

## Steps in the measurement:

1. Exclusive hadrons:

- the visible component is discarded
- the non-visible component is subtracted using -0.05-
the HEPGEN Monte Carlo

2. Acceptance correction
3. Fit of the amplitude of the modulation in the azimuthal angle of the hadrons

- as a function of $x, z$ or $P_{T}$ (1D)
- with a simultaneous binning (3D)
- Strong kinematic dependences
- Interesting differences between positive and negative hadrons, as observed in previous measurements by COMPASS on deuteron and by HERMES
- Results not corrected for radiative effects


The error bars correspond to the statistical uncertainty only. $\sigma_{\text {syst }} \sim \sigma_{\text {stat }}$ (1D)

## Azimuthal asymmetries $-3 \mathrm{D}-\boldsymbol{A}_{U U}^{\cos \phi_{h}}$



3D azimuthal asymmetries for positive and negative hadrons

Clear signal, strong dependence on $P_{T}$; compatible with zero at high $z$. In agreement with COMPASS deuteron results.

Expectation from Cahn effect:

$$
A_{U U \mid C a h n}^{\cos \phi_{h}}=-\frac{2 z P_{T}\left\langle k_{T}^{2}\right\rangle}{Q\left\langle P_{T}^{2}\right\rangle}
$$

Comparison with the 1D case:
lowest $z$ and highest $P_{T}$ bin not included in the average


## Extraction of $\left\langle k_{T}^{2}\right\rangle$ from $A_{U U}^{\cos \phi_{h}}$

COMPASS preliminary
Extraction of $\left\langle k_{T}^{2}\right\rangle$
from the 1 D - asymmetry assuming only Cahn effect at work
$\left\langle k_{T}^{2}\right\rangle_{e f f}=-\frac{Q\left\langle P_{T}^{2}\right\rangle A_{U U}^{\cos \phi_{h}}}{2 z P_{T}}$


Power-law fit of $\left\langle k_{T}^{2}\right\rangle(x)$


Is it an $x-$ or $Q^{2}-$ dependence (or both)?


## Azimuthal asymmetries $-1 \mathrm{D}-Q^{2}$ dependence

## Binning in $\boldsymbol{Q}^{\mathbf{2}}$

- The $A_{U U}^{\cos \phi_{h}}$ asymmetry is observed to increase with $Q^{2}$
- Flavor-independent expectation from the Cahn effect:

$$
A_{U U \mid C a h n}^{\cos \phi_{h}}=-\frac{2 z P_{T}\left\langle k_{T}^{2}\right\rangle}{Q\left\langle P_{T}^{2}\right\rangle}
$$

- $\quad \rightarrow$ A strong dependence of $\left\langle k_{T}^{2}\right\rangle$ on $Q^{2}$, the relevance of other terms in the asymmetry, radiative corrections
- The difference between positive and negative hadrons decreases with $Q^{2}$.
- Almost no $Q^{2}$ dependence for $A_{U U}^{\cos 2 \phi_{h}}$



## Extraction of $\left\langle k_{T}^{2}\right\rangle$ from $A_{U U}^{\cos \phi_{h}}$

COMPASS preliminary

Extraction of $\left\langle k_{T}^{2}\right\rangle$ assuming only Cahn effect at work

$$
\left\langle k_{T}^{2}\right\rangle_{e f f}=-\frac{Q\left\langle P_{T}^{2}\right\rangle A_{U U}^{\cos \phi_{h}}}{2 z P_{T}}
$$




## Extraction of $\left\langle k_{T}^{2}\right\rangle$ from $A_{U U}^{\cos \phi_{h}}$

For comparison:
Bacchetta et al JHEP 06 (2017) 081
Analysis of SIDIS d- multiplicities (HERMES, COMPASS)

+ Drell-Yan (E288, E605 Tevatron) and Z-boson production(CDF, D0)


COMPASS preliminary

$\left\langle k_{T}^{2}\right\rangle$ almost constant in $x$ in the $Q^{2}$ bins
COMPASS preliminary


## Azimuthal asymmetries - 3D - $\boldsymbol{A}_{\boldsymbol{U} U}^{\boldsymbol{\operatorname { c o s }} \mathbf{2} \phi_{h}}$



## Azimuthal asymmetries for hadron pairs

Additional information on the nucleon structure from the azimuthal asymmetries for hadron pairs.

In particular, we focus here on the asymmetries related to the Boer-Mulders TMD PDF.




Bianconi, Boffi, Jakob, Radici [PRD62, 034008, 2000]

- leading twist formalism
$\sigma_{U U} \propto A(y) \mathcal{F}\left[f_{1} D_{1}\right]-\left|\vec{R}_{T}\right| B(y) \cos \left(\phi_{h h}+\phi_{R}\right) \mathcal{F}\left[w_{1} \frac{h_{1}^{\perp} H_{1}^{\llcorner }}{M\left(M_{1}+M_{2}\right)}\right]-B(y) \cos \left(2 \phi_{h h}\right) \mathcal{F}\left[w_{2} \frac{h_{1}^{\perp} H_{1}^{\perp}}{M\left(M_{1}+M_{2}\right)}\right]$
- $\mathcal{F}$ : convolution over intrinsic transverse momentum $k_{T}$ and the one acquired during the fragmentation $p_{\perp}$
- $w_{1}\left(w_{2}\right)$ : functions of $k_{T}, p_{\perp}$.
- $D_{1}$ : unpolarized FF in two hadrons
- $H_{1}^{\perp}$ : interference FF
- $H_{1}^{\perp}$ : Collins FF for two hadrons (same as in 2h-TSAs)
- $M, M_{1}, M_{2}$ : mass of the nucleon and of the first (second) hadron
- $\phi_{h h}$ : azimuthal angle of the pair
- $\phi_{R}$ : azimuthal angle of the vector $\vec{R}=\frac{z_{2} \vec{P}_{1}-z_{1} \vec{P}_{2}}{z_{1}+z_{2}} \approx \frac{\vec{P}_{1}-\vec{P}_{2}}{2}$



## Azimuthal asymmetries for hadron pairs

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In particular, we focus here on the asymmetries related to the Boer-Mulders TMD PDF.




Bacchetta, Radici [PRD69, 074026, 2004]

- subleading twist formalism (twist-3)
- cross section integrated over $\vec{P}_{h h T}$

$$
\sigma_{U U} \propto A(y) f_{1} D_{1}-V(y) \cos \left(\boldsymbol{\phi}_{R}\right) \frac{\left|\vec{R}_{T}\right|}{Q}\left[\frac{1}{Z} f_{1} \widetilde{D}^{\leftharpoonup}+\frac{M}{M_{h}} x h H_{1}^{\iota}\right]
$$

$-\boldsymbol{x} \boldsymbol{h}=x \widetilde{\boldsymbol{h}}+\frac{\boldsymbol{k}_{T}^{2}}{M^{2}} \boldsymbol{h}_{\mathbf{1}}^{\perp}$

- $\widetilde{D}^{\llcorner }$: pure twist-3 FF, vanishing in Wandzura-Wilczek approximation
$-A(y)=1-y+\frac{y^{2}}{2}$
$-B(y)=1-y$
$-V(y)=2(2-y) \sqrt{1-y}$



## Azimuthal asymmetries for hadron pairs - $A_{U U}^{\cos 2 \phi_{h h}}$

- Asymmetry $\boldsymbol{A}_{\boldsymbol{U} \boldsymbol{U}}^{\boldsymbol{\operatorname { c o s }} \mathbf{2} \boldsymbol{\phi}_{\boldsymbol{h} h}}$ for same-sign pairs $\left(h^{+} h^{+}, h^{-} h^{-}\right)$and opposite-sign pairs $h^{+} h^{-}$
- For same-sign pairs: similar trends w.r.t. single-hadron case compatible with zero for positive pairs, positive for negative pairs



## Azimuthal asymmetries for hadron pairs - $A_{U U}^{\cos \phi_{R}}$

COMPASS preliminary

- Asymmetry $\boldsymbol{A}_{U U}^{\boldsymbol{\operatorname { c o s }} \boldsymbol{\phi}_{R}}$ for same-sign pairs $\left(h^{+} h^{+}\right.$, $h^{-} h^{-}$) and opposite-sign pairs $h^{+} h^{-}$
- Ordering scheme:
- same-sign: $h_{1}$ is the hadron with highest $z$
- opposite-sign: $h_{1}$ is the positive hadron

- Strong kinematic dependence, particularly as a function of the invariant mass
- Similar trend for same-sign and opposite charge pairs.



## Azimuthal asymmetries for hadron pairs

COMPASS preliminary

- Asymmetry $\boldsymbol{A}_{U U}^{\boldsymbol{\operatorname { c o s }}\left(\phi_{h h}+\phi_{R}\right)}$ for same-sign pairs $\left(h^{+} h^{+}, h^{-} h^{-}\right)$and opposite-sign pairs $h^{+} h^{-}$
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## Conclusions and Perspectives

- Azimuthal asymmetries in unpolarized SIDIS: particularly interesting for the TMD physics
- After the first measurements on a deuteron target (1h), COMPASS has produced new results for both single hadron and hadron pairs (NEW!)
- The rich kinematic dependences and the $h^{+}-h^{-}$difference for single hadrons are intriguing
- Interesting additional information from the azimuthal asymmetries from hadron pairs (here: focus on the Boer-Mulders related asymmetries)
- Very interesting! Deeper studied are deserved.

Thank you
backup

## The 2016 COMPASS run

Events and hadron selection - standard
$Q^{2}>1(\mathrm{GeV} / c)^{2}$
$W>5 \mathrm{GeV} / c^{2}$
$0.003<x<0.130$

$$
\begin{aligned}
& z>0.1 \\
& P_{T}>0.1 \mathrm{GeV} / c
\end{aligned}
$$

$0.2<y<0.9$
$\theta_{\gamma}<60 \mathrm{mrad}$





Comparison with the LEPTO Monte Carlo simulation. Exclusive contribution at high $z$ in the data

## Contribution from exclusive hadrons

- The exclusive events fully reconstructed in the data are

1) selected by cutting in missing energy $E_{\text {miss }}$
2) used to normalized the HEPGEN Monte Carlo, needed to take into account the non-reconstructed part
3) discarded

- The exclusive events non-fully reconstructed are subtracted using the normalized HEPGEN Monte Carlo
- This procedure does not require the knowledge of the absolute cross-section for the diffractive production, not well known
( $\sim 30 \%$ relative uncertainty)


The diffractive production of a vector meson $V$ and its decay into a hadron pair


Invariant mass distribution in the data, before and after cutting in missing energy


The exclusive peak as observed in the data

## Contribution from exclusive hadrons

Estimated exclusive hadrons contaminations in the data:
$\mathbf{\sim 8 0 \%}$ is fully reconstructed


## Extraction of $\left\langle k_{T}^{2}\right\rangle$ from $A_{U U}^{\cos \phi_{h}}$

Extraction of $\left\langle k_{T}^{2}\right\rangle$ assuming only Cahn effect at work
$\left\langle k_{T}^{2}\right\rangle_{e f f}=-\frac{Q\left\langle P_{T}^{2}\right\rangle A_{U U}^{\cos \phi_{h}}}{2 z P_{T}}$

Power-law fit of $\left\langle k_{T}^{2}\right\rangle(x)$ Rather satisfactory description also vs $Z$ (below 0.5) and $P_{T}$


Is it an $x-$ or $Q^{2}-$ dependence (or both)?

## AZIMUTHAL ASYMMETRIES 1D Acceptance modulations

Correction for acceptance applied to each $\phi$ bin, taken as the ratio of reconstructed and generated hadrons:

$$
c_{a c c}(\phi)=\frac{N_{h}^{r e c}\left(\phi^{r e c}\right)}{N_{h}^{\text {gen }}\left(\phi^{g e n}\right)}
$$

Azimuthal modulations of the acceptance in 1D binning, for $\mu^{+}$beam and positive (red) and negative hadrons (black).


AZIMUTHAL ASYMMETRIE 3D

## Acceptance modulations



## Azimuthal asymmetries - 3D



## 3D azimuthal asymmetries for positive and negative hadrons

$\boldsymbol{A}_{\boldsymbol{L} \boldsymbol{U}}^{\boldsymbol{\operatorname { s i n }} \phi_{\boldsymbol{h}}}$ as a function of $x$, in bins of $z$ (rows) and $P_{T}$ (columns).

Comparison with the 1D case:
lowest $z$ and highest $P_{T}$ bin not included in the average


## Comparison with deuteron results

Exclusive hadrons discarded / subtracted


Exclusive hadrons not discarded / subtracted


Difference visible also before the DVM subtraction / correction

## AZIMUTHAL ASYMMETRIES 3D

## Comparison with deuteron results

Current results (full points) compared to published results on deuteron [COMPASS, NPB 956 (2020) 115039].
Proton and deuteron results are in good agreement, as observed in other experiments (HERMES).



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