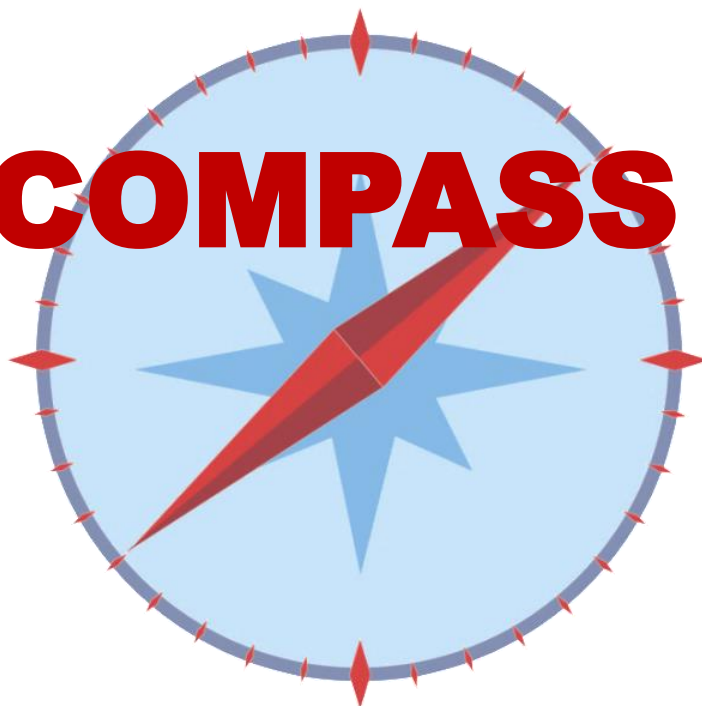




Correlations in Partonic and Hadronic Interactions 2020 (CPHI-2020)

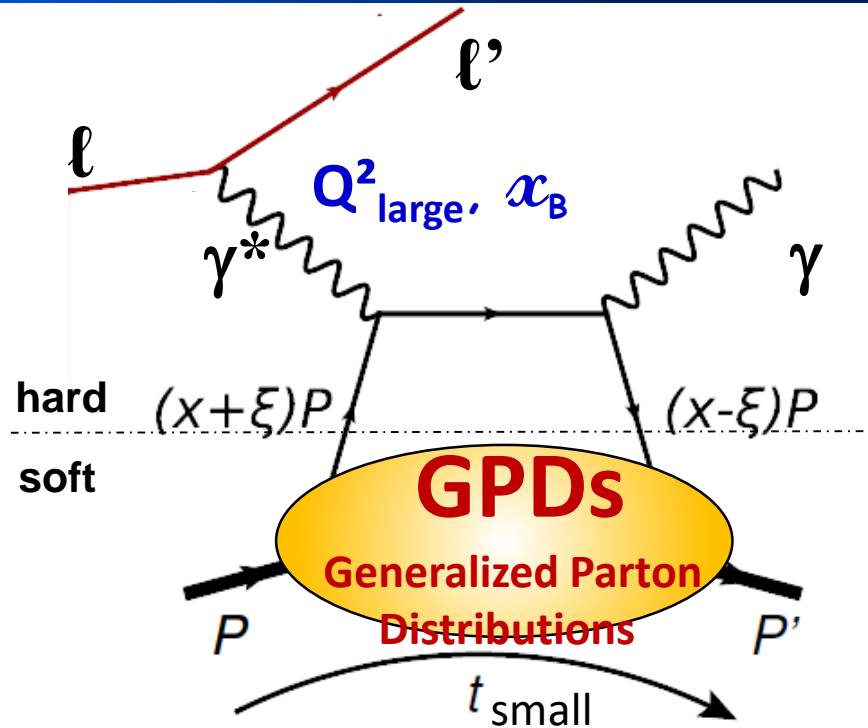
GPD at COMPASS at CERN

- 1- DVCS**
- 2- HEMP**



Nicole d'Hose – CEA – Université Paris-Saclay
for the COMPASS Collaboration

Deeply virtual Compton scattering (DVCS)



D. Mueller *et al*, Fortsch. Phys. 42 (1994)

X.D. Ji, PRL 78 (1997), PRD 55 (1997)

A. V. Radyushkin, PLB 385 (1996), PRD 56 (1997)

DVCS: $l p \rightarrow l' p' \gamma$

the golden channel

because it interferes with
the Bethe-Heitler process

also meson production

$l p \rightarrow l' p' \pi, \rho, \omega$ or ϕ or $J/\psi \dots$

The GPDs depend on the following variables:

x : average long. momentum

ξ : long. mom. difference

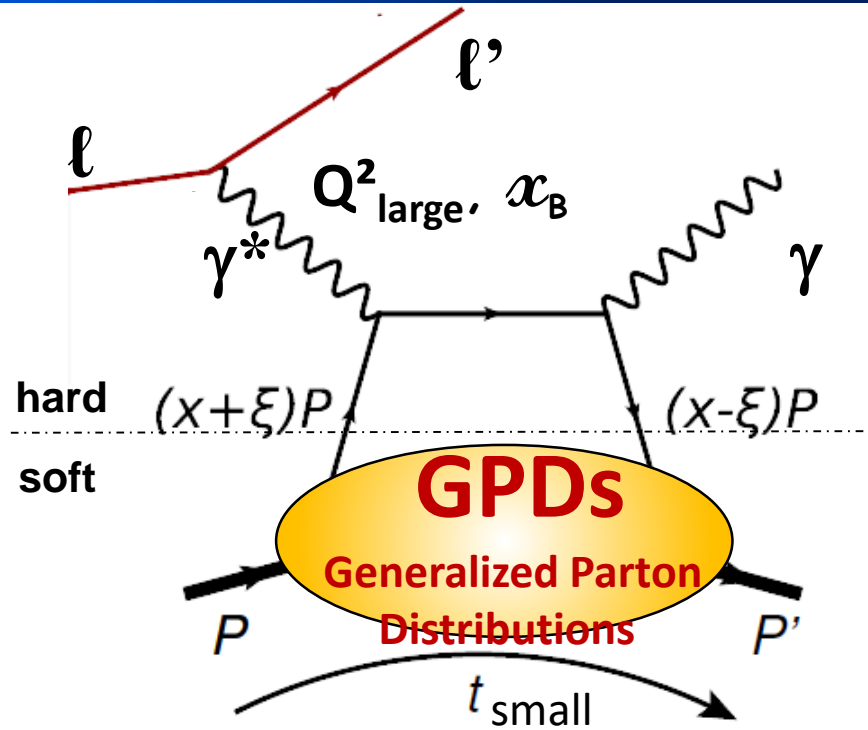
t : four-momentum transfer
related to b_{\perp} via Fourier transform

The variables measured in the experiment:

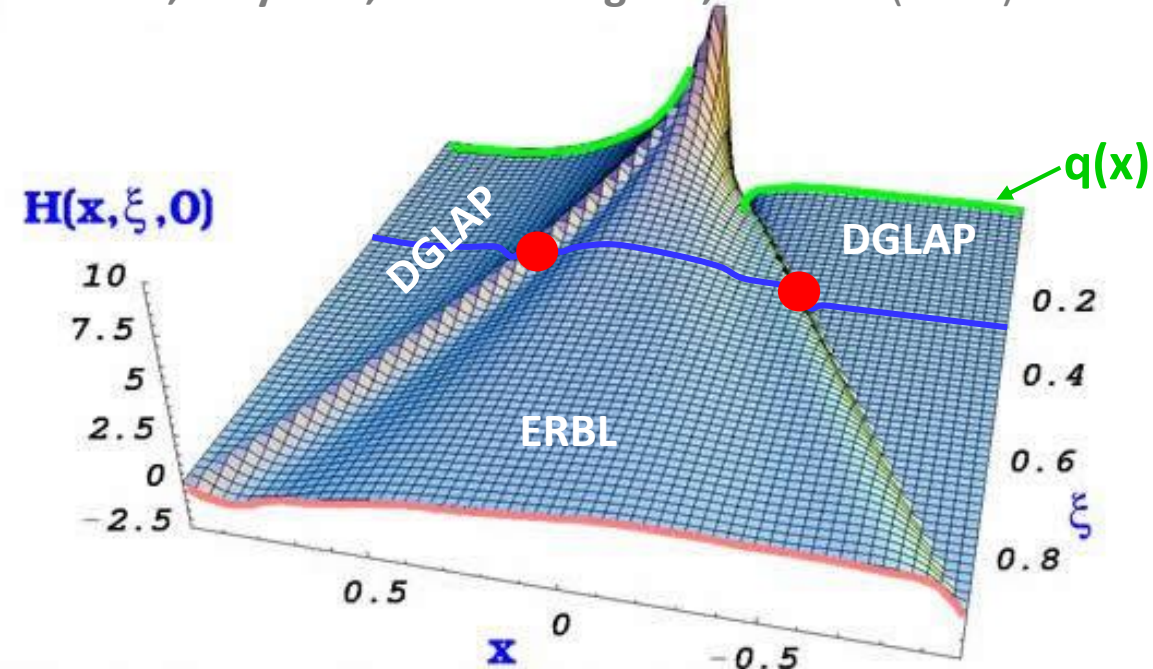
$E_{\ell}, Q^2, x_B \sim 2\xi / (1+\xi),$

t (or $\theta_{\gamma^*\gamma}$) and ϕ ($l l'$ plane / $\gamma \gamma^*$ plane)

Deeply virtual Compton scattering (DVCS)



Goeke, Polyakov, Vanderhaeghen, PPNP47 (2001)



The amplitude DVCS at LT & LO in α_s (GPD \mathcal{H}):

$$\mathcal{H} = \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi + i\epsilon} = \mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi} - i\pi H(x = \pm \xi, x, t)$$

Real part Imaginary part

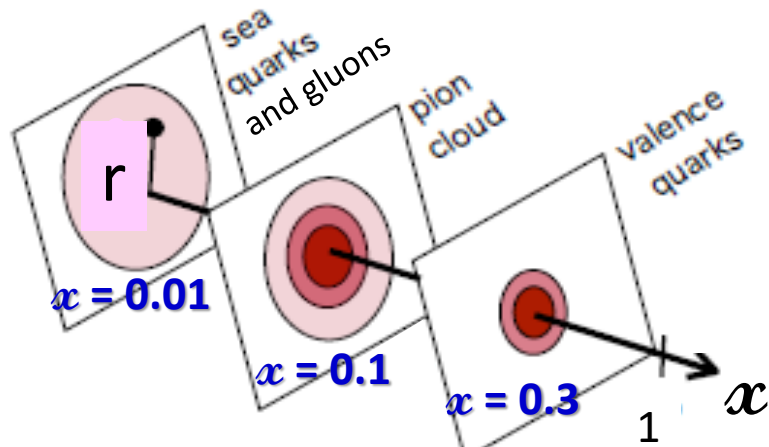
In an experiment we measure
Compton Form Factor \mathcal{H}

$$\text{Re}\mathcal{H}(\xi, t) = \int dx \frac{\text{Im}\mathcal{H}(x, t)}{x - \xi} + D(t)$$

Deeply virtual Compton scattering (DVCS)

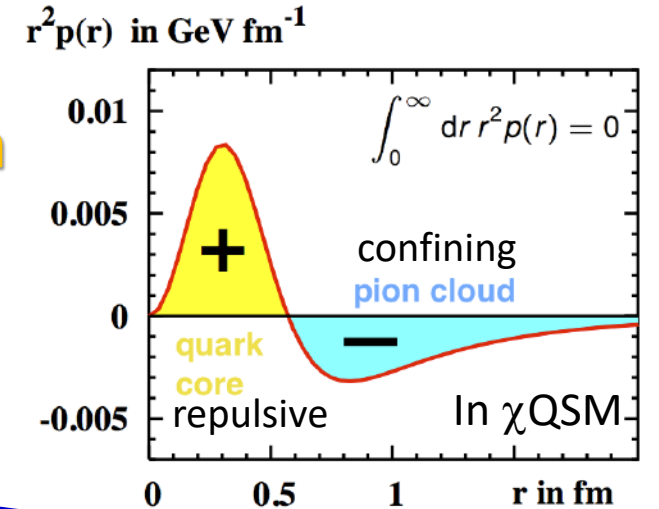
M. Burkardt, PRD66(2002)

Mapping in the transverse plane



M. Polyakov, P. Schweitzer, Int.J.Mod.Phys. A33 (2018)

Pressure Distribution



The amplitude DVCS at LT & LO in α_s (GPD \mathcal{H}):

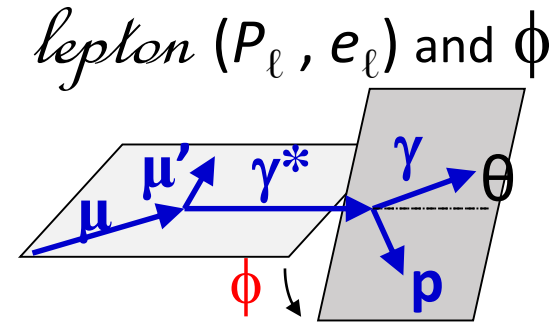
$$\mathcal{H} = \int_{-1}^{+1} dx \frac{\mathcal{H}(x, \xi, t)}{x - \xi + i\epsilon} = \mathcal{P} \int_{-1}^{+1} dx \frac{\mathcal{H}(x, \xi, t)}{x - \xi} - i \pi \mathcal{H}(x = \pm \xi, x, t)$$

Real part Imaginary part

In an experiment we measure Compton Form Factor \mathcal{H}

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Deeply virtual Compton scattering (DVCS)

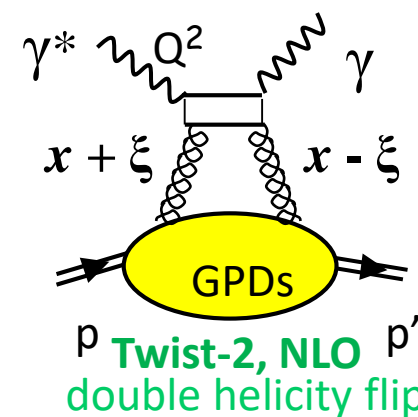
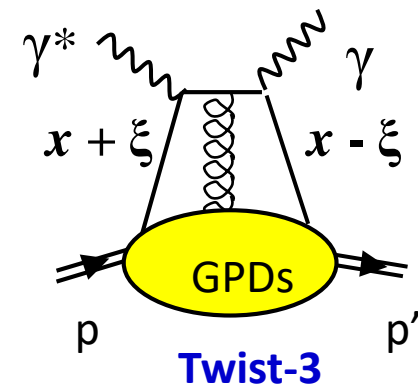
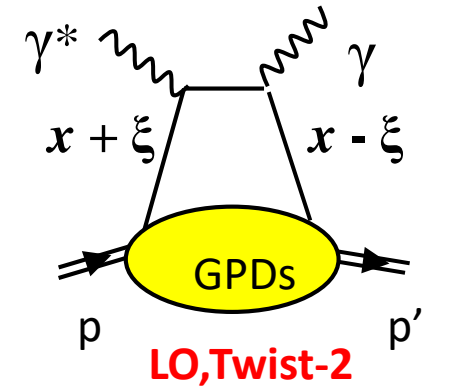


$$d\sigma = |T^{BH}|^2 + |T^{DVCS}|^2 + \text{Interference Term}$$

$$\frac{d^4\sigma(\ell p \rightarrow \ell p \gamma)}{dx_B dQ^2 d|t| d\phi} = \underbrace{d\sigma^{BH}}_{\text{Well known}} + \left(d\sigma_{unpol}^{DVCS} + P_\ell d\sigma_{pol}^{DVCS} \right) + (e_\ell \text{Re } I + e_\ell P_\ell \text{Im } I)$$

Σ	$d\sigma^{BH}$	\propto	$c_0^{BH} + c_1^{BH} \cos \phi + c_2^{BH} \cos 2\phi$
Σ	$d\sigma_{unpol}^{DVCS}$	\propto	$c_0^{DVCS} + c_1^{DVCS} \cos \phi + c_2^{DVCS} \cos 2\phi$
Δ	$d\sigma_{pol}^{DVCS}$	\propto	$s_1^{DVCS} \sin \phi$
Δ	$\text{Re } I$	\propto	$c_0^I + c_1^I \cos \phi + c_2^I \cos 2\phi + c_3^I \cos 3\phi$
Σ	$\text{Im } I$	\propto	$s_1^I \sin \phi + s_2^I \sin 2\phi$

With both μ^+ and μ^- beams we can build the Σ and Δ :



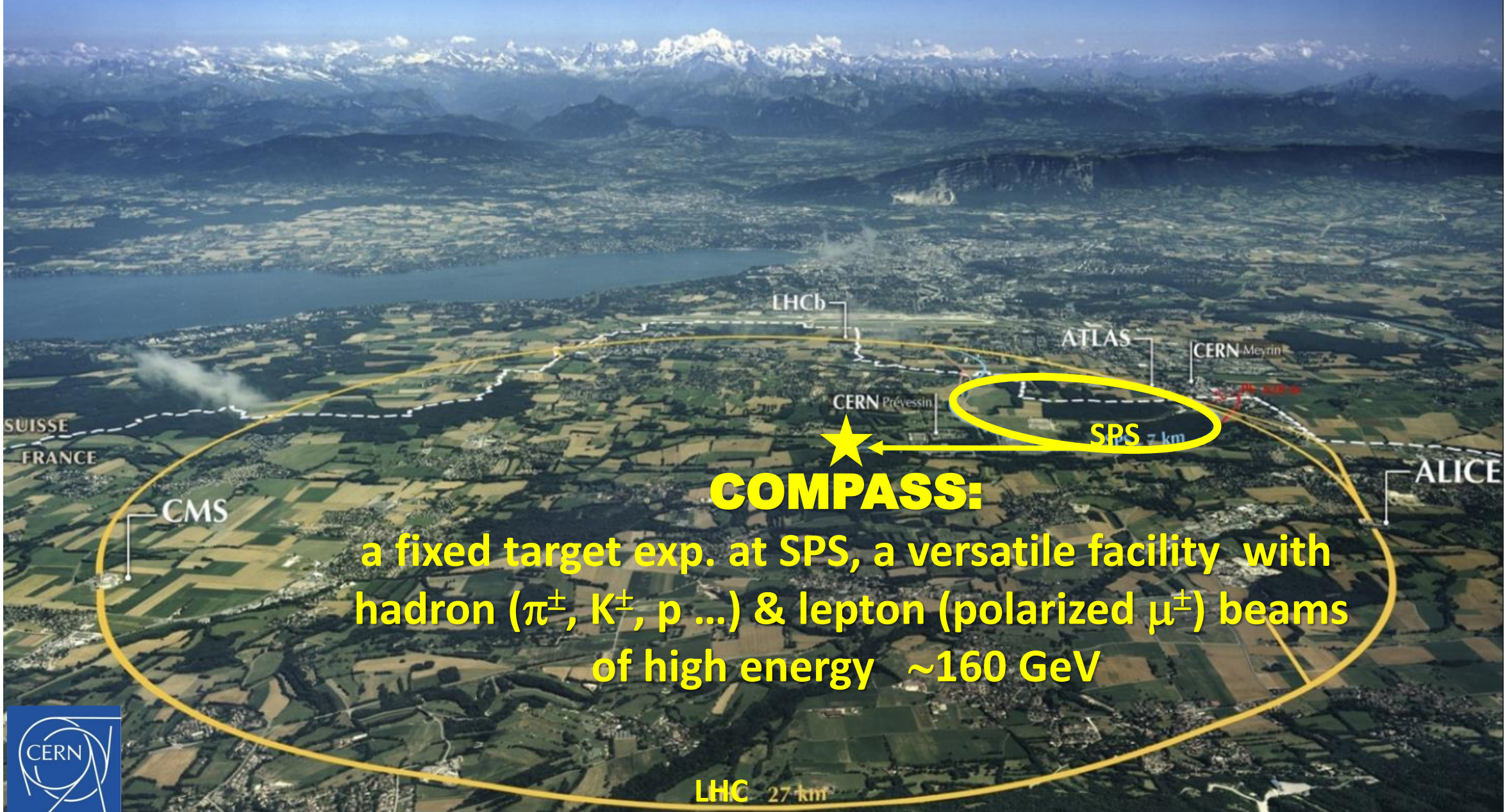
Deeply virtual Compton scattering (DVCS)

$$\begin{aligned}
 \Sigma \quad d\sigma^{BH} &\propto c_0^{BH} + c_1^{BH} \cos \phi + c_2^{BH} \cos 2\phi \\
 \Sigma \quad d\sigma_{unpol}^{DVCS} &\propto c_0^{DVCS} + c_1^{DVCS} \cos \phi + c_2^{DVCS} \cos 2\phi \\
 \Delta \quad d\sigma_{pol}^{DVCS} &\propto s_1^{DVCS} \sin \phi \\
 \Delta \quad \text{Re } I &\propto c_0^I + c_1^I \cos \phi + c_2^I \cos 2\phi + c_3^I \cos 3\phi \\
 \Sigma \quad \text{Im } I &\propto s_1^I \sin \phi + s_2^I \sin 2\phi
 \end{aligned}$$

With both μ^+ and μ^- beams at COMPASS we can build the Σ and Δ :

$$\Sigma \equiv d\sigma^{\leftarrow+} + d\sigma^{\rightarrow-} \rightarrow s_1^I = \text{Im } \mathcal{F} \quad \Delta \equiv d\sigma^{\leftarrow+} - d\sigma^{\rightarrow-} \rightarrow c_1^I = \text{Re } \mathcal{F}$$

$$\mathcal{F} = F_1 \mathcal{H} + \xi (F_1 + F_2) \tilde{\mathcal{H}} - t/4m^2 F_2 \mathcal{E} \quad \begin{array}{l} \text{for proton} \\ \rightarrow \\ \text{at small } x_B \\ \text{COMPASS domain} \end{array} \quad F_1 \mathcal{H}$$



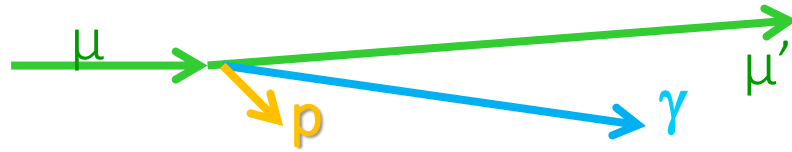
COMPASS:

a fixed target exp. at SPS, a versatile facility with hadron (π^\pm , K^\pm , p ...) & lepton (polarized μ^\pm) beams of high energy ~ 160 GeV

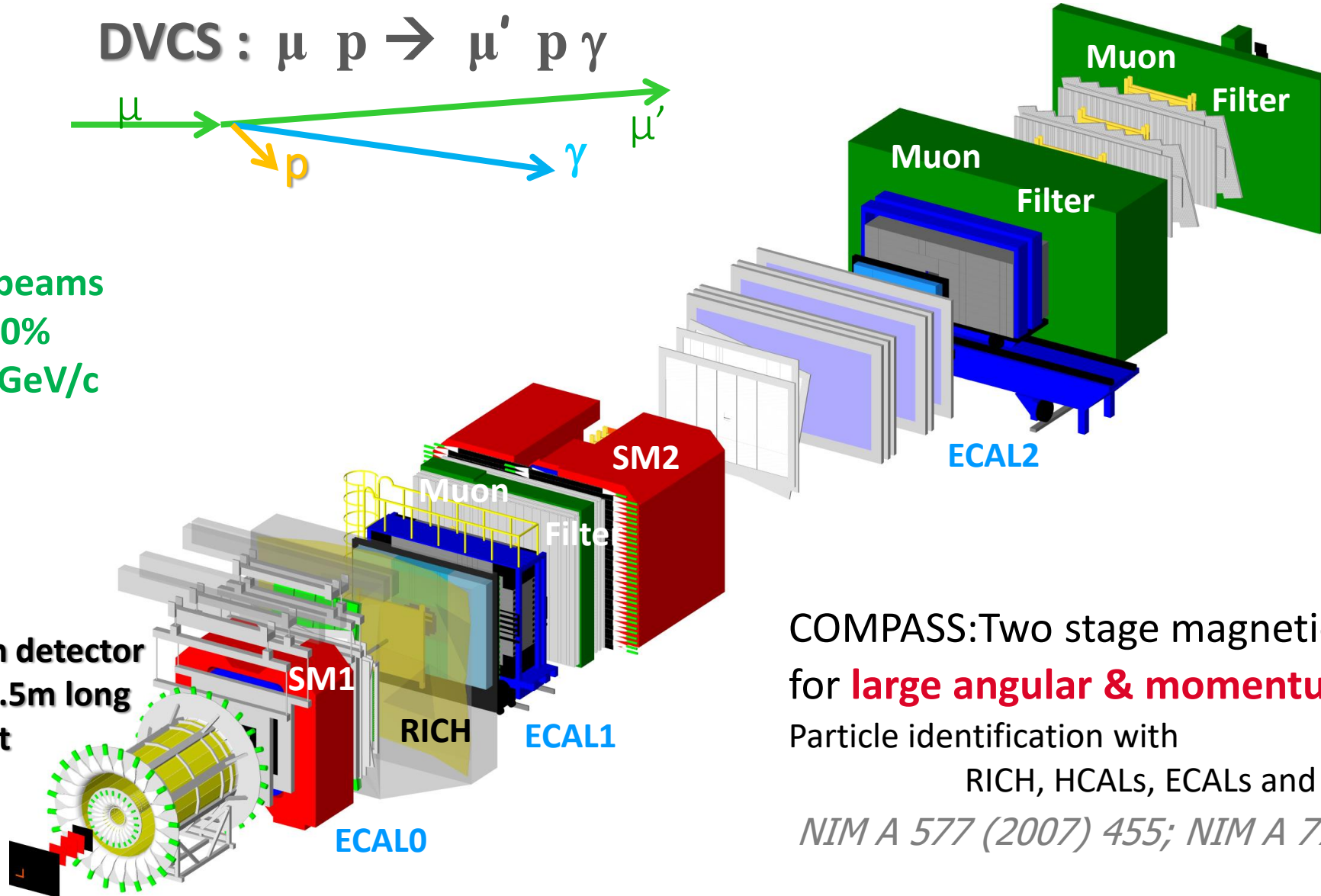


The DVCS experiment at COMPASS

$$\text{DVCS} : \mu p \rightarrow \mu' p \gamma$$



Both μ^+ and μ^- beams
Polarisation $\sim \pm 80\%$
Momentum 160 GeV/c



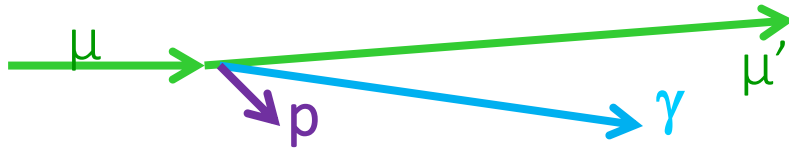
COMPASS: Two stage magnetic spectrometer for **large angular & momentum acceptance**

Particle identification with

RICH, HCALs, ECALs and muon filters

NIM A 577 (2007) 455; NIM A 779 (2015) 69

The DVCS experiment at COMPASS



New equipments:

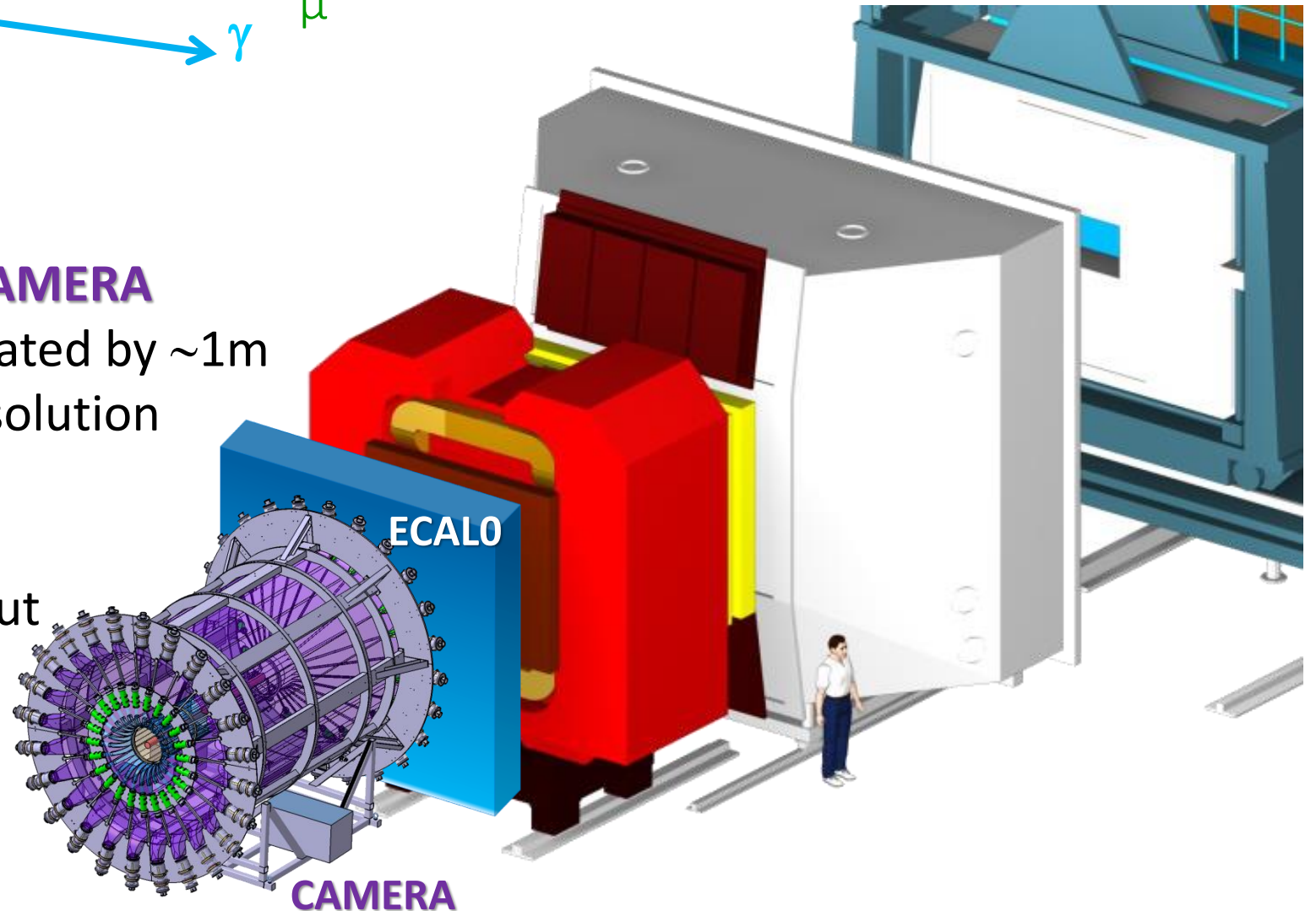
➤ **2.5m LH2 target**

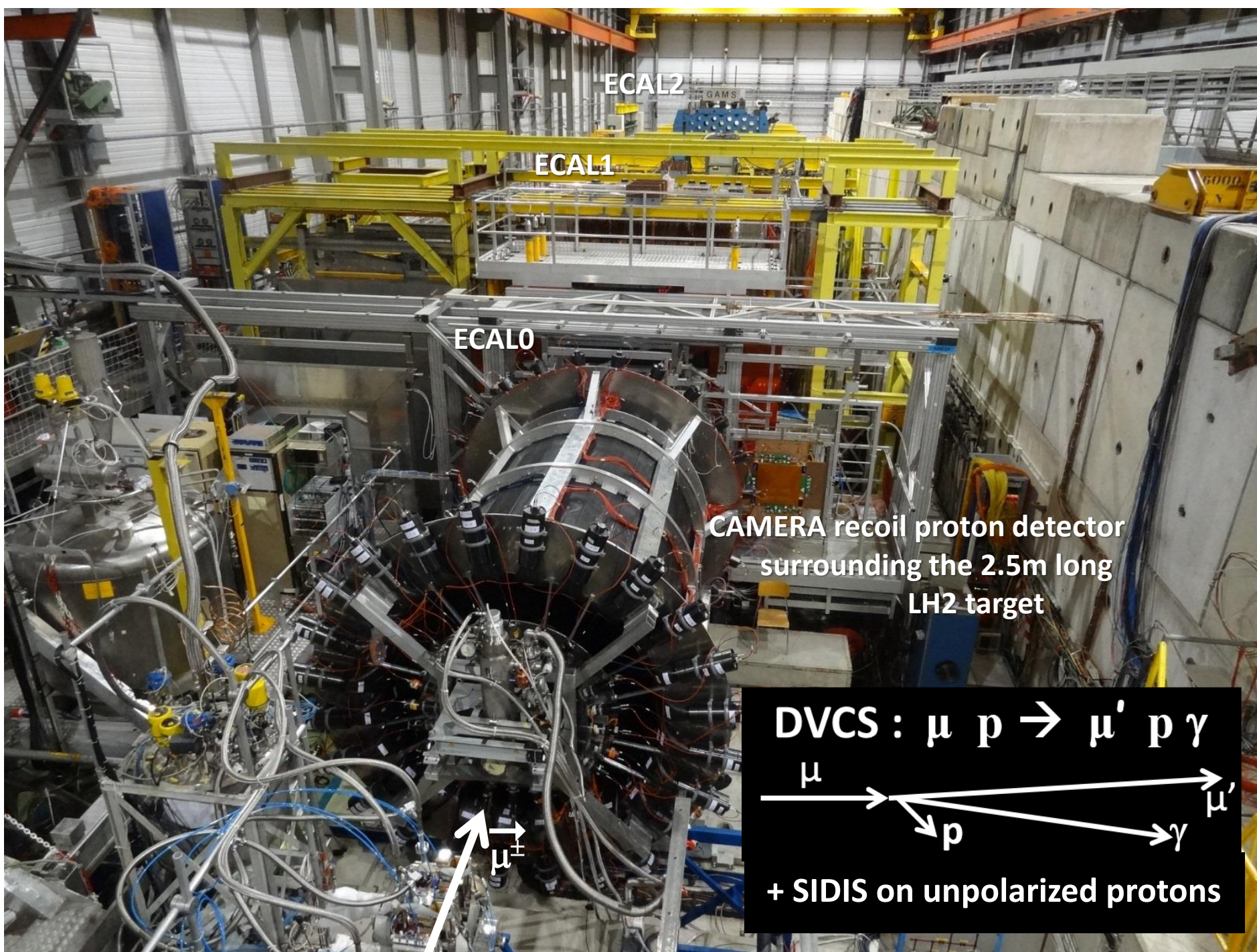
➤ **4m ToF recoil proton detector CAMERA**

24 inner & outer scintillators separated by ~1m
1 GHz SADC readout, 330ps ToF resolution

➤ **ECALO : 2 × 2 m²**

Shashlyk modules + MAPD readout
one module is made of
9 cells (4×4 cm²)
= 194 modules or 1746 cells





2012:
1 month pilot run

2016 -17:
2 x 6 month
data taking

Comparison between the observables given by the spectro or by CAMERA

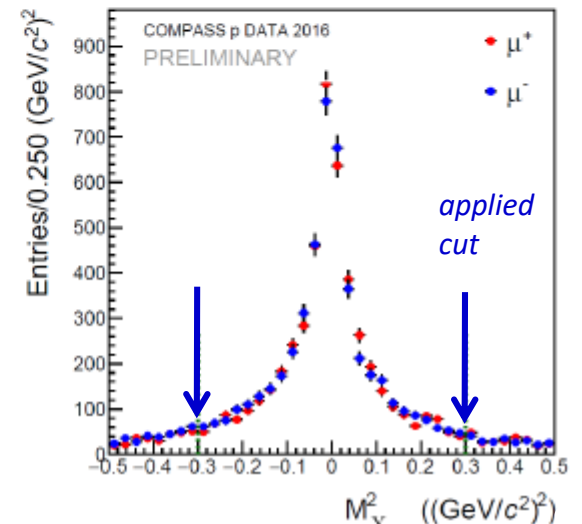
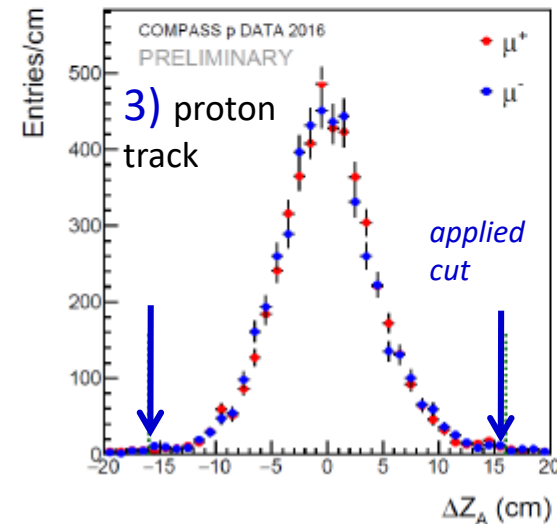
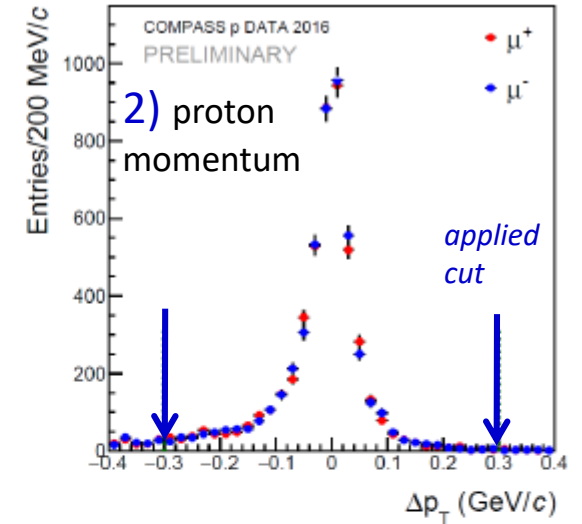
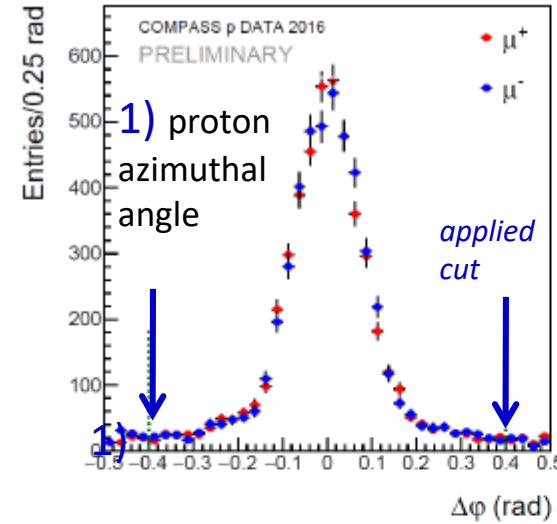
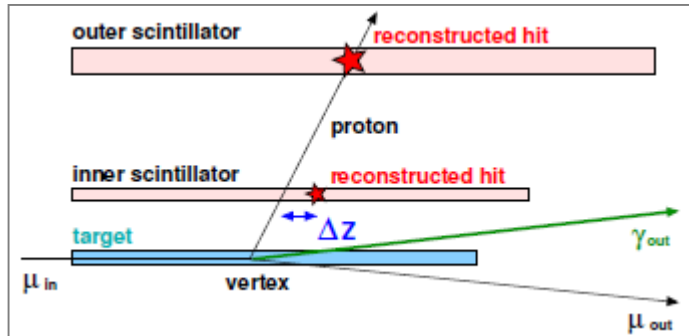
DVCS: $\mu p \rightarrow \mu' p \gamma$

1) $\Delta\varphi = \varphi^{\text{cam}} - \varphi^{\text{spec}}$

2) $\Delta p_T = p_T^{\text{cam}} - p_T^{\text{spec}}$

3) $\Delta z_A = z_A^{\text{cam}} - z_A^{\text{spec}}$ and vertex

4) $M_{X=0}^2 = (p_{\mu_{\text{in}}} + p_{p_{\text{in}}} - p_{\mu_{\text{out}}} - p_{p_{\text{out}}} - p_{\gamma})^2$



Comparison between the observables given by the spectro or by CAMERA

DVCS: $\mu p \rightarrow \mu' p \gamma$

- 1) $\Delta\varphi = \varphi^{\text{cam}} - \varphi^{\text{spec}}$
- 2) $\Delta p_T = p_T^{\text{cam}} - p_T^{\text{spec}}$
- 3) $\Delta z_A = z_A^{\text{cam}} - z_A^{\text{ZB and vertex}}$
- 4) $M_{X=0}^2 = (p_{\mu_{\text{in}}} + p_{p_{\text{in}}} - p_{\mu_{\text{out}}} - p_{p_{\text{out}}} - p_{\gamma})^2$

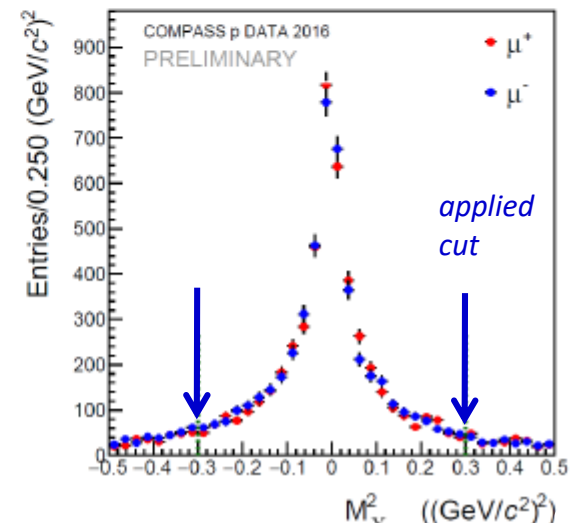
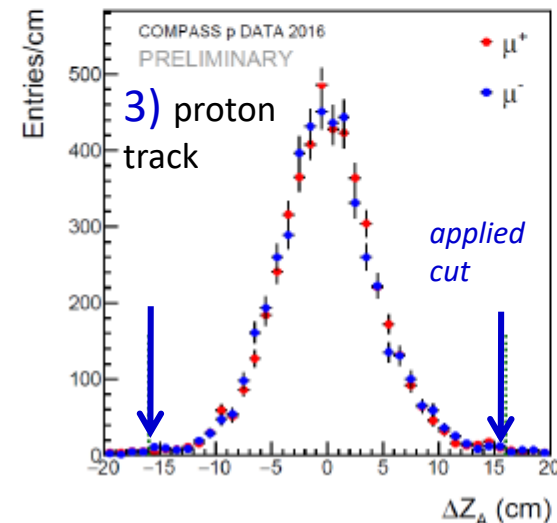
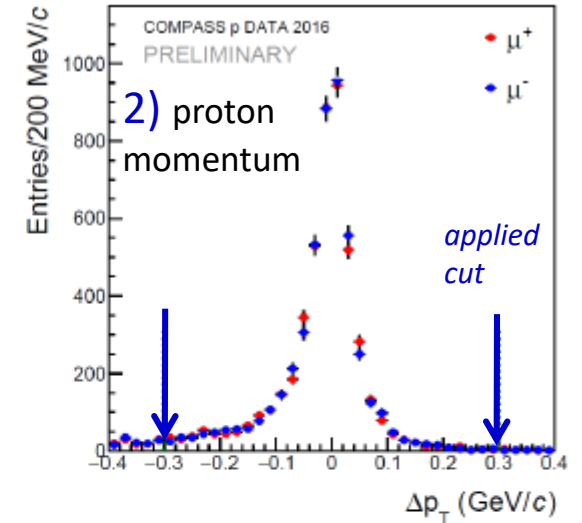
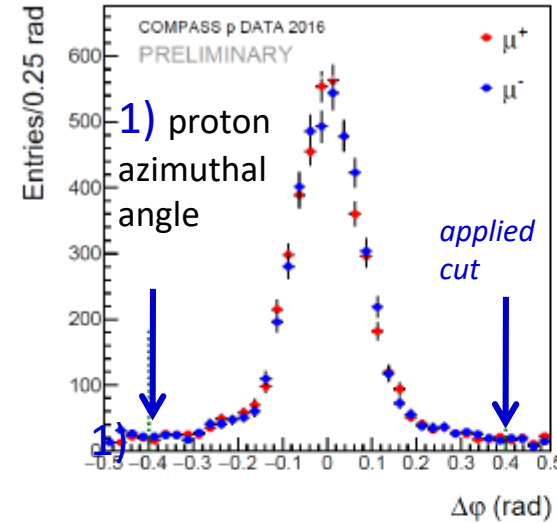
Good agreement between $\vec{\mu}^+$ and $\vec{\mu}^-$ yields
 Important achievement for:

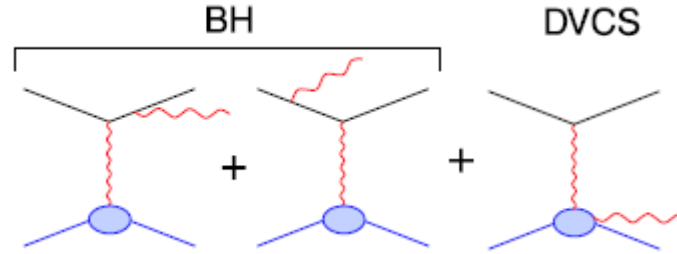
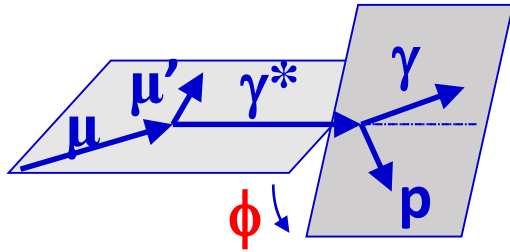
$$\mathcal{D}_{CS,U} \equiv d\sigma^{\leftarrow+} - d\sigma^{\rightarrow-}$$

Challenging

$$\mathcal{S}_{CS,U} \equiv d\sigma^{\leftarrow+} + d\sigma^{\rightarrow-}$$

Easier, done first

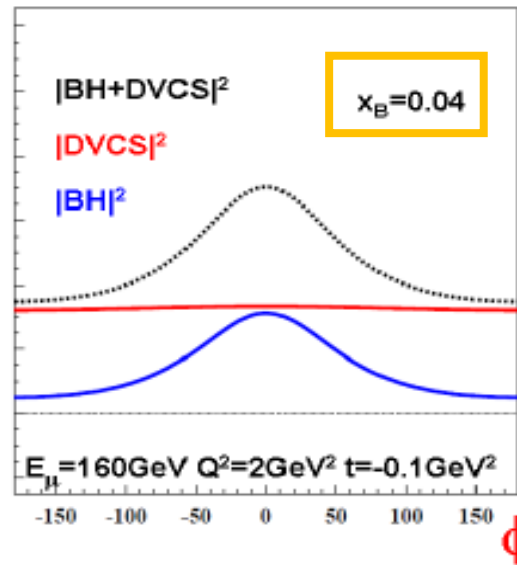
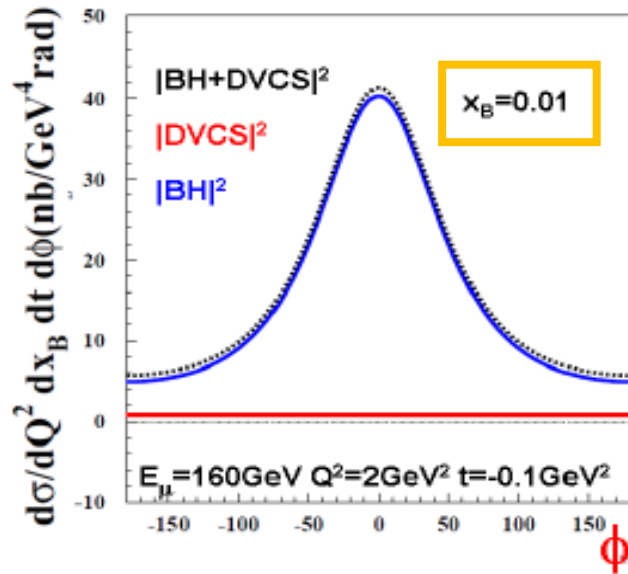




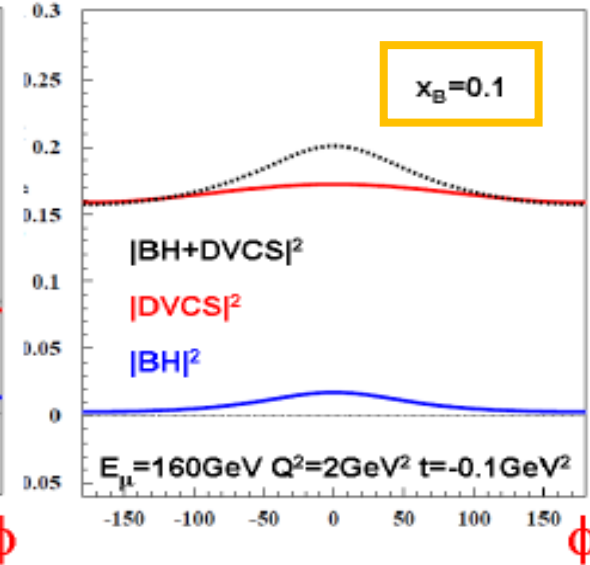
$$S_{CS,U} \equiv d\sigma^{\leftarrow+} + d\sigma^{\rightarrow-}$$

$$d\sigma \propto |T^{BH}|^2 + \text{Interference Term} + |T^{DVCS}|^2$$

BH dominates

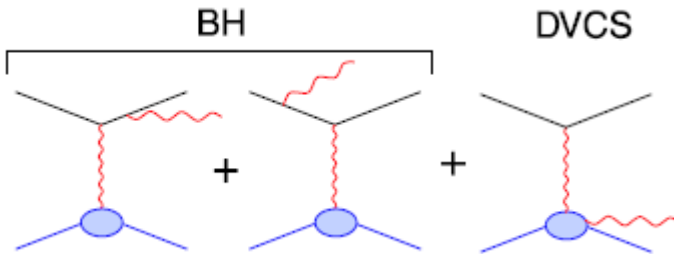
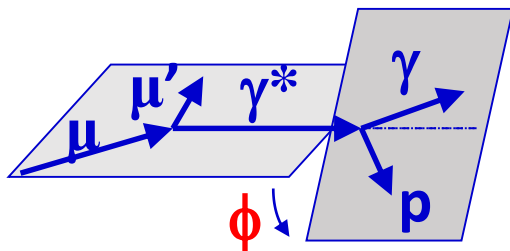


DVCS dominates



Study of DVCS amplitude via the interference

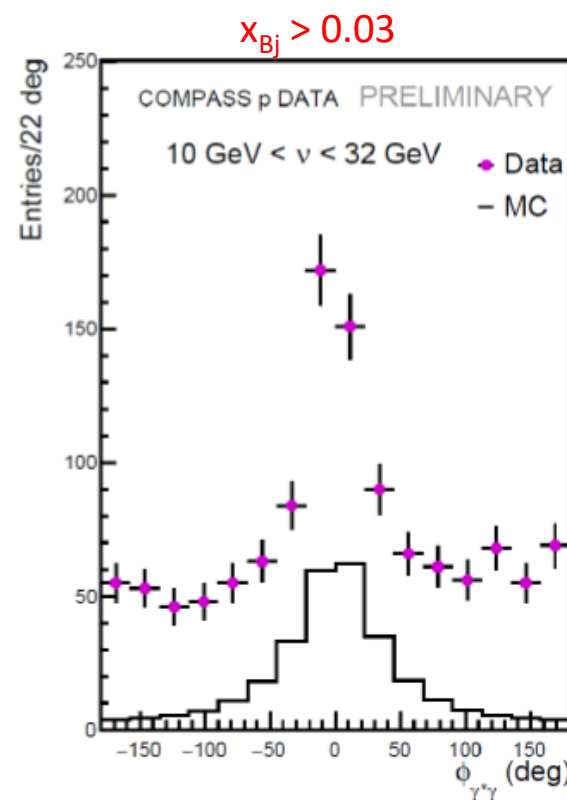
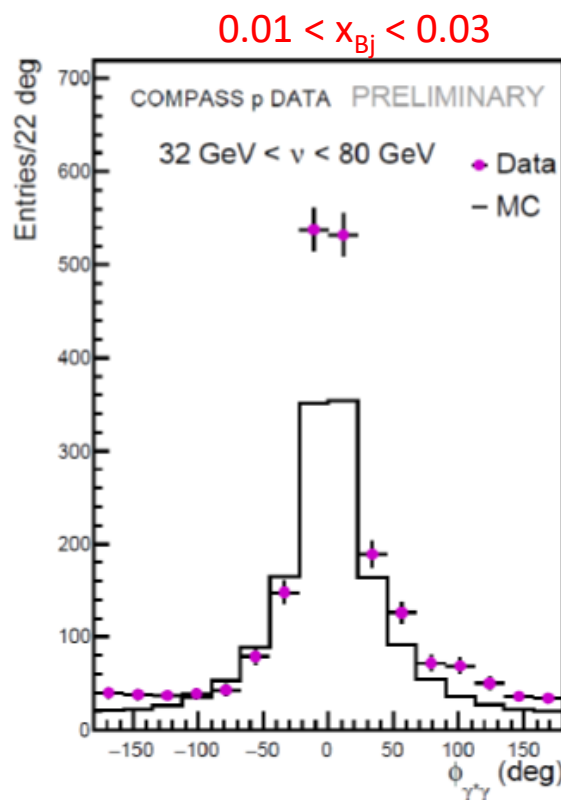
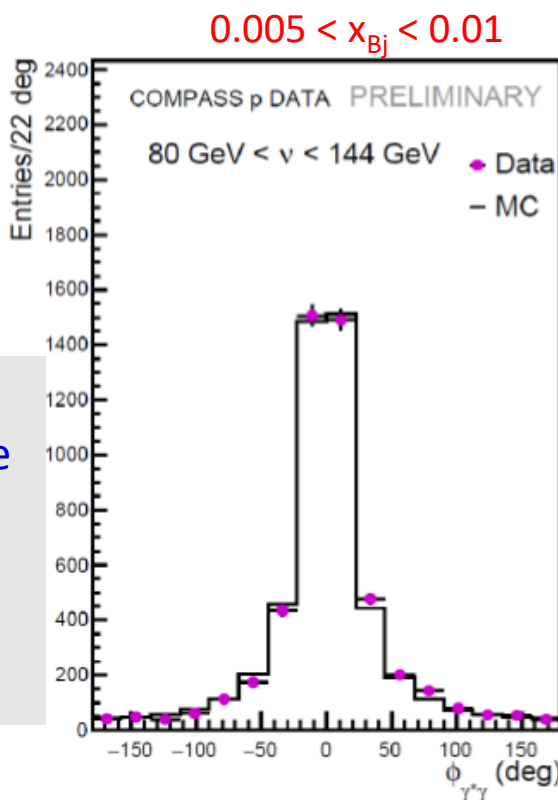
Study of DVCS cross section
Small BH contribution which can be subtracted



$$S_{CS,U} \equiv d\sigma^{\leftarrow+} + d\sigma^{\rightarrow-}$$

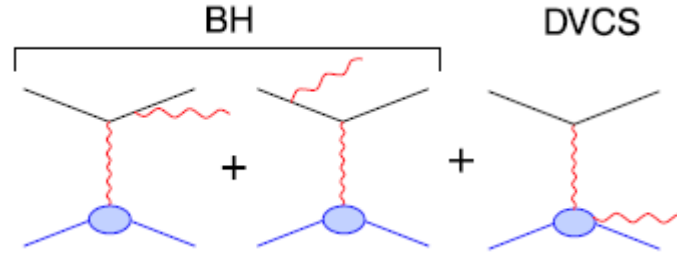
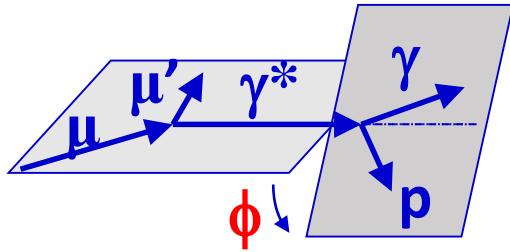
$$d\sigma \propto |T^{BH}|^2 + \text{Interference Term} + |T^{DVCS}|^2$$

**First insight
Only 13% of 2016-17 data**



BH expected to contribute only. BH MC is normalized to this bin

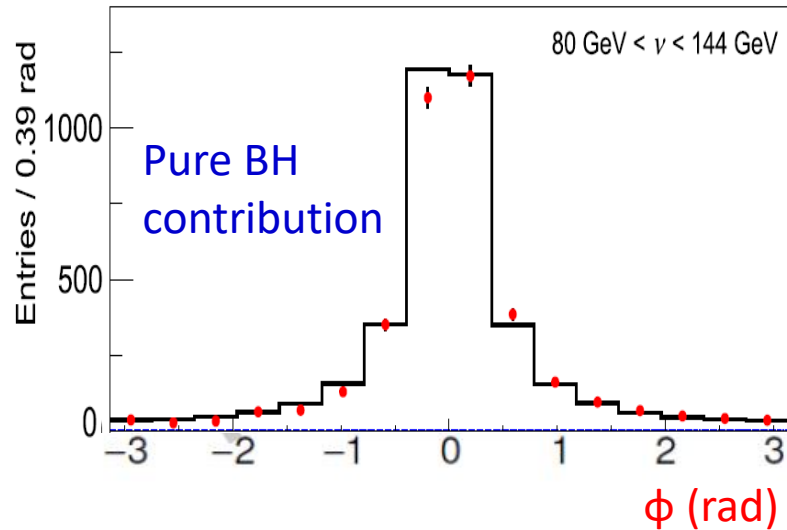
π^0 contamination to be removed
a significant DVCS contribution will allow to study $d\sigma^{DVCS}/dt = e^{-B|t|}$



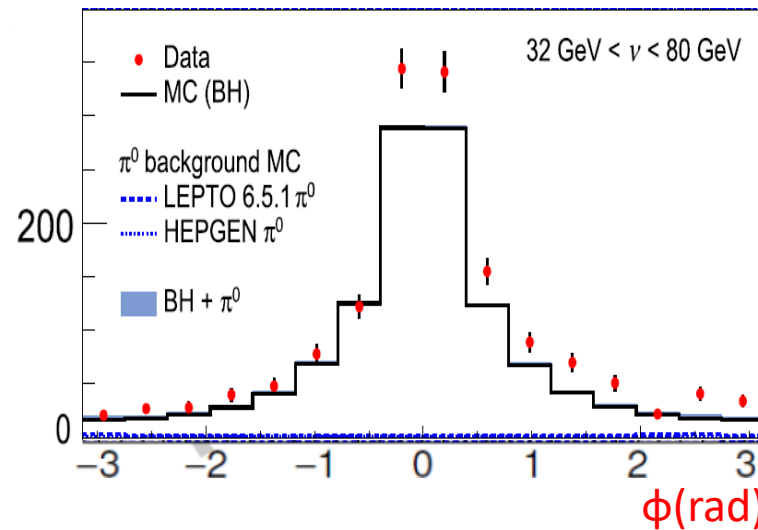
$$S_{CS,U} \equiv d\sigma^{\leftarrow+} + d\sigma^{\rightarrow-}$$

$$d\sigma \propto |T^{BH}|^2 + \text{Interference Term} + |T^{DVCS}|^2$$

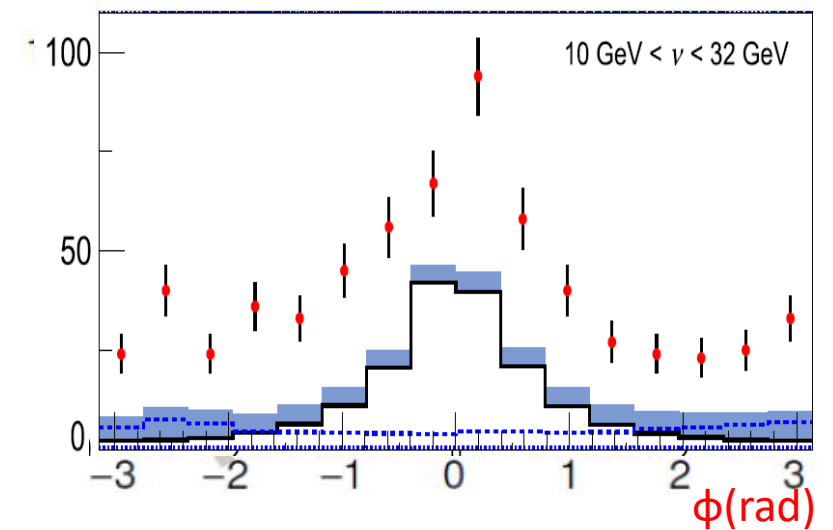
$0.005 < x_{Ri} < 0.01$



$0.01 < x_{Bj} < 0.03$



$x_{Bj} > 0.03$



MC: — BH normalisation based on integrated luminosity

■ π^0 background contribution from SIDIS (LEPTO) + exclusive production (HEPGEN)

DVCS > BH

when DVCS > BH

At COMPASS using polarized positive and negative muon beams:

$$S_{CS,U} \equiv d\sigma^{\leftarrow+} + d\sigma^{\rightarrow-} = 2[d\sigma^{BH} + d\sigma_{unpol}^{DVCS} + \text{Im } I]$$

$$= 2[d\sigma^{BH} + c_0^{DVCS} + c_1^{DVCS} \cos \phi + c_2^{DVCS} \cos 2\phi + s_1^I \sin \phi + s_2^I \sin 2\phi]$$

calculable
can be subtracted

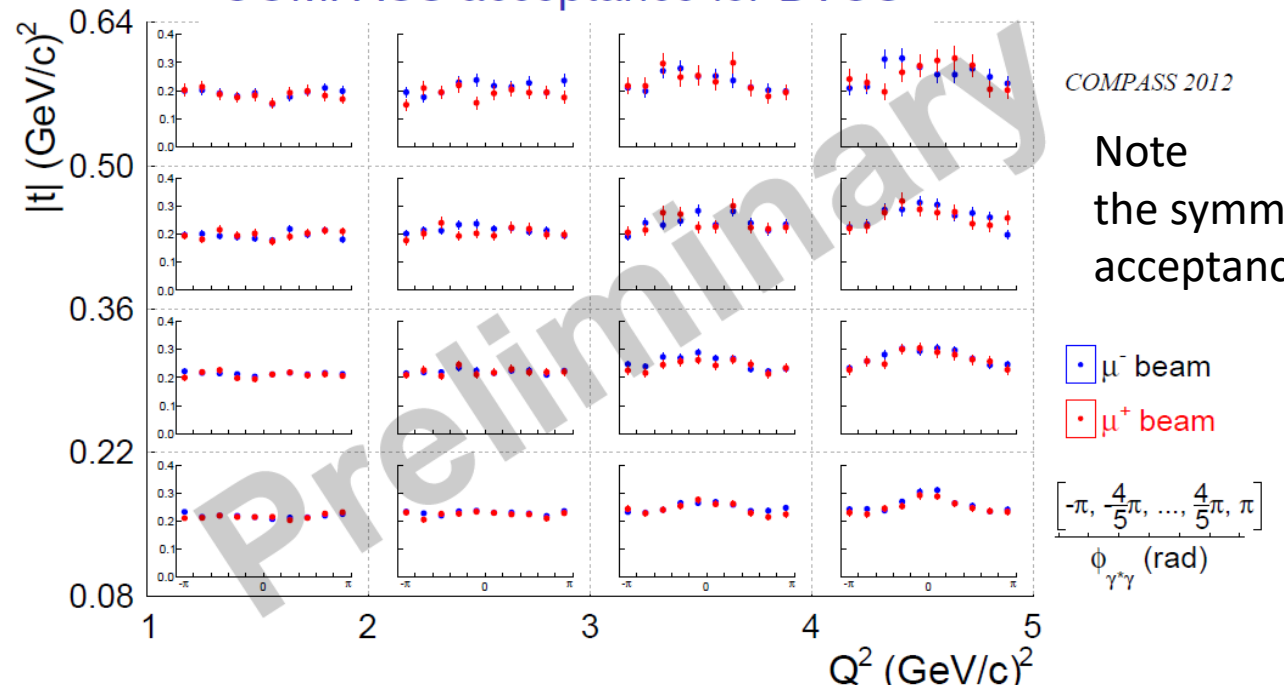
All the other terms are cancelled in the integration over ϕ

$$\frac{d^3\sigma_T^{\mu p}}{dQ^2 d\nu dt} = \int_{-\pi}^{\pi} d\phi (d\sigma - d\sigma^{BH}) \propto c_0^{DVCS}$$

$$\frac{d\sigma^{\gamma^* p}}{dt} = \frac{1}{\Gamma(Q^2, \nu, E_\mu)} \frac{d^3\sigma_T^{\mu p}}{dQ^2 d\nu dt}$$

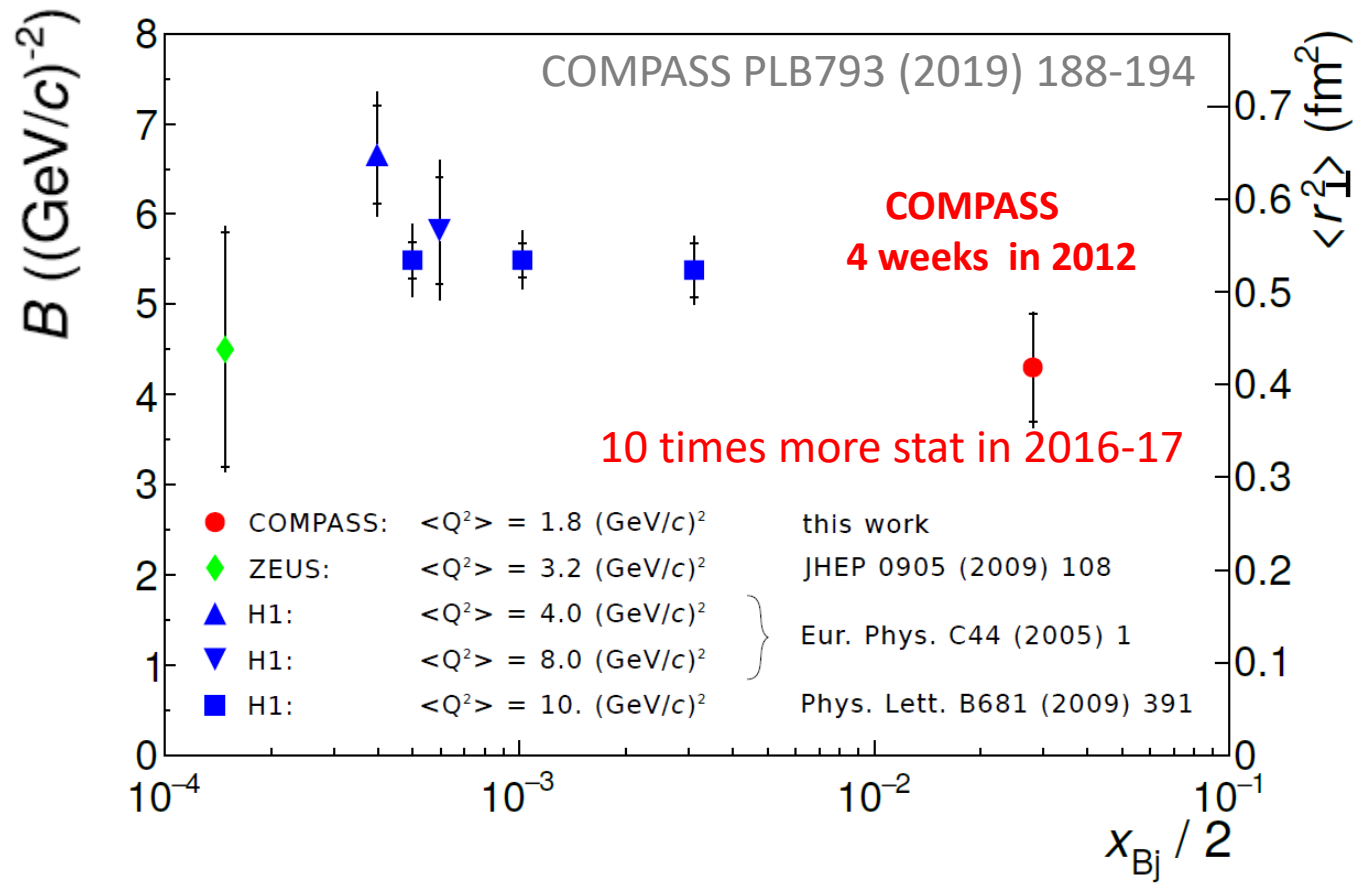
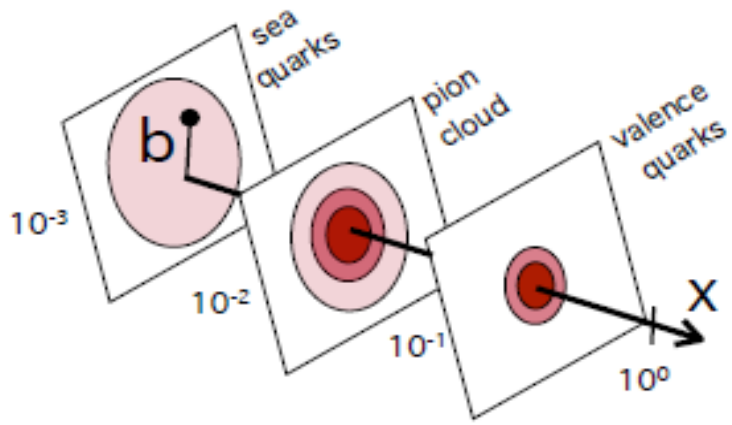
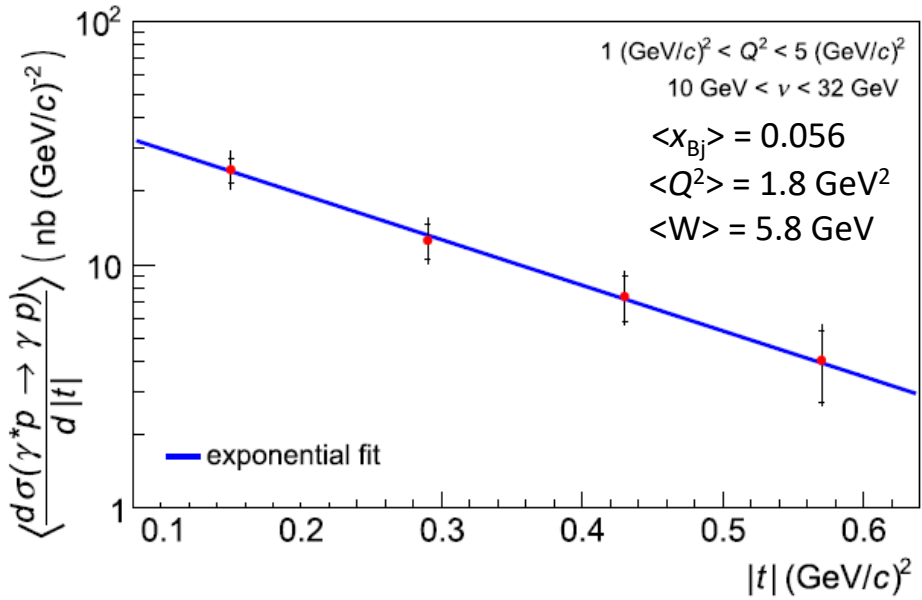
Flux for transverse virtual photons

COMPASS acceptance for DVCS



COMPASS 2012 Transverse extension of partons in the sea quark range

$$d\sigma^{DVCS}/dt = e^{-B|t|} = c_0^{DVCS}$$



$$B = (4.3 \pm 0.6_{\text{stat}} \pm 0.1_{\text{sys}}) (\text{GeV}/c)^{-2}$$

COMPASS 2012 Transverse extension of partons in the sea quark range

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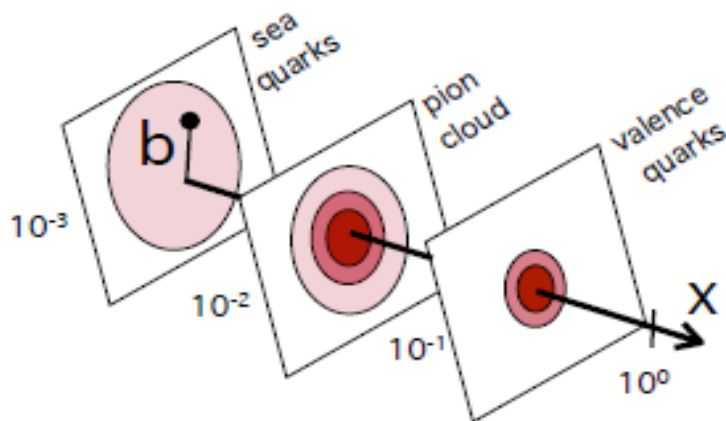
At COMPASS:

$\langle x_{Bj} \rangle = 0.056$; $\langle Q^2 \rangle = 1.8 \text{ GeV}^2$;
 t varies from 0.08 to 0.64 GeV^2

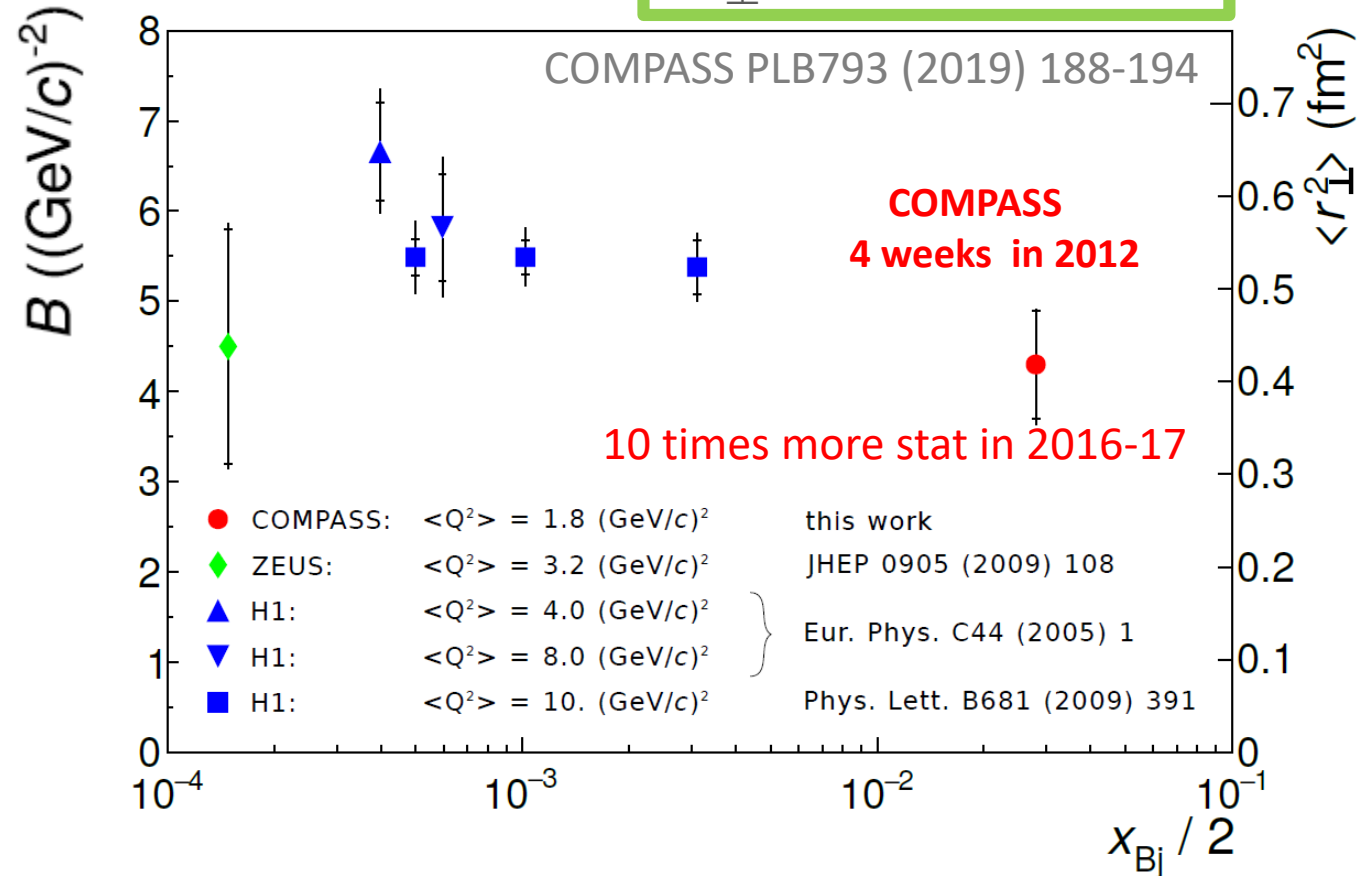
At small x_{Bj} and small t :

$$c_0^{DVCS} \propto 4(\mathcal{H}\mathcal{H}^* + \tilde{\mathcal{H}}\tilde{\mathcal{H}}^*) - \frac{t}{M^2} \mathcal{E}\mathcal{E}^*$$

Dominance of $Im\mathcal{H}$
 (with respect of $Re\mathcal{H}$ and other CFP)



$$\langle r_{\perp}^2(x_B) \rangle \approx 2B(x_B)$$



$$B = (4.3 \pm 0.6_{\text{stat}} \pm 0.1_{\text{sys}}) \text{ (GeV/c)}^{-2}$$

$$\sqrt{\langle r_{\perp}^2 \rangle} = (0.58 \pm 0.04_{\text{stat}} \pm 0.01_{\text{sys}} \pm 0.04_{\text{model}}) \text{ fm}$$

COMPASS 2012 Transverse extension of partons in the sea quark range

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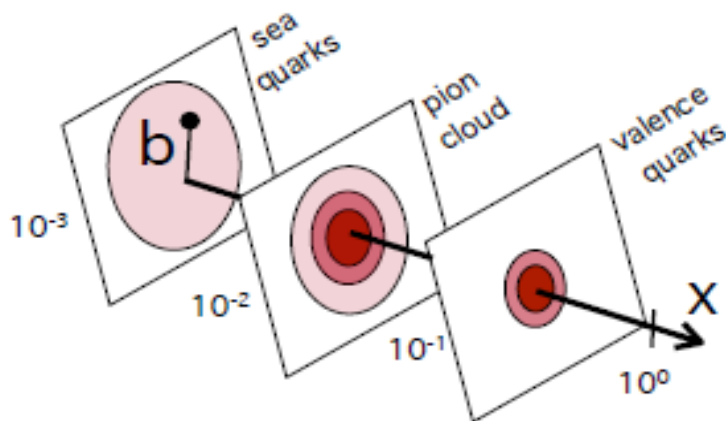
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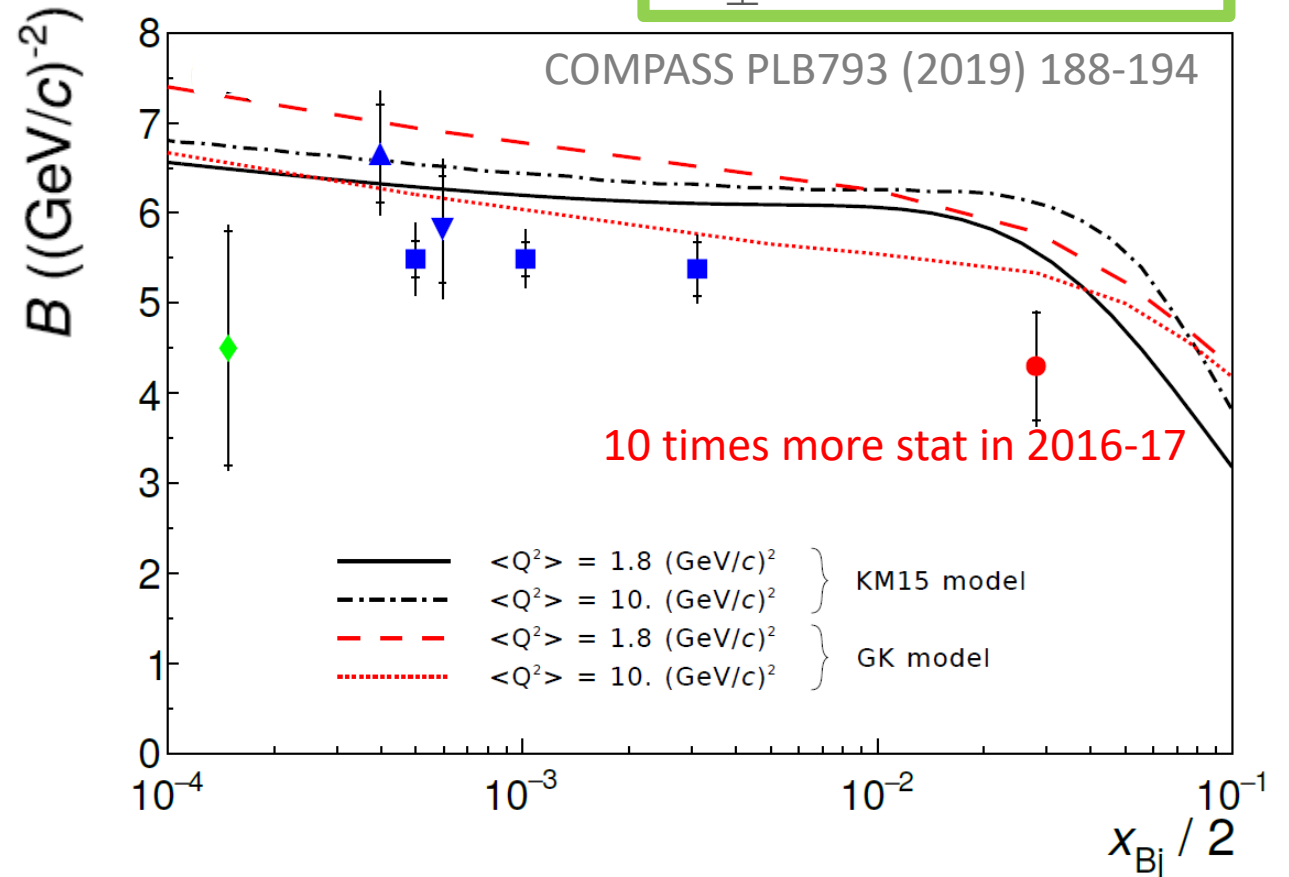
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$$\sqrt{\langle r_{\perp}^2 \rangle} = (0.58 \pm 0.04_{\text{stat}} \pm 0.01_{\text{sys}} \pm 0.04_{\text{model}}) \text{ fm}$$

What will come next?

4 weeks in 2012

2 years of data in 2016-17 → 10 times more stat

At COMPASS with polarized positive and negative muon beams:

$$S_{CS,U} \equiv d\sigma^{\leftarrow+} + d\sigma^{\rightarrow-}$$

The sum of DVCS x-sections at small x_B
mostly sensitive to $\text{Im}\mathcal{H}(\xi,t)$
→ transverse extension of partons

$$D_{CS,U} \equiv d\sigma^{\leftarrow+} - d\sigma^{\rightarrow-}$$

The difference of DVCS x-section at small x_B
mostly sensitive to $\text{Re}\mathcal{H}(\xi,t)$

$\text{Im}\mathcal{H}(\xi,t) + \text{Re}\mathcal{H}(\xi,t)$ → D-term and pressure distribution

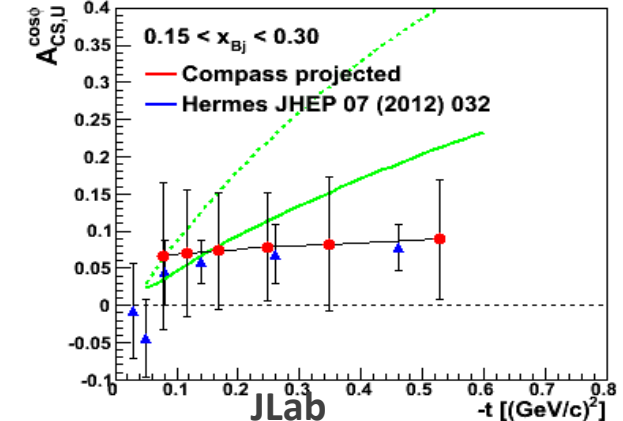
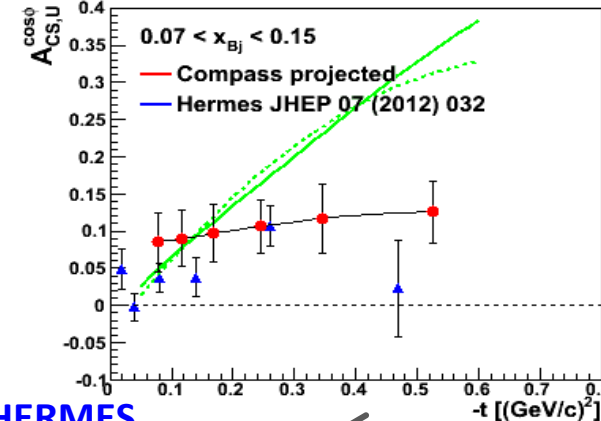
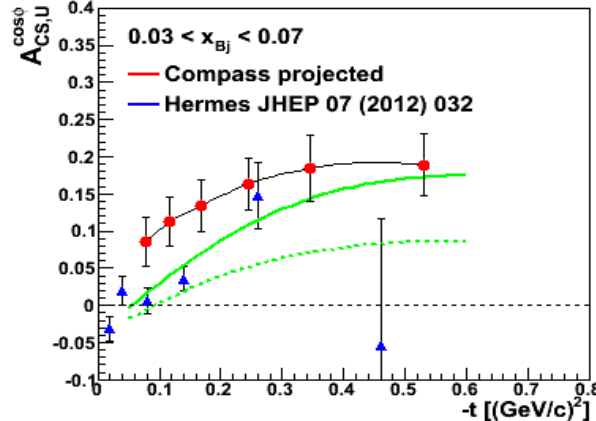
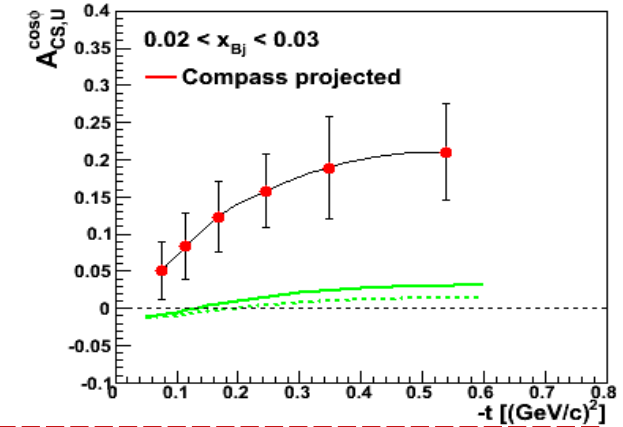
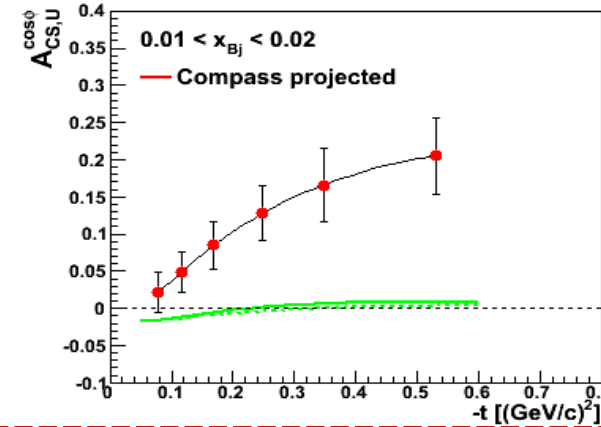
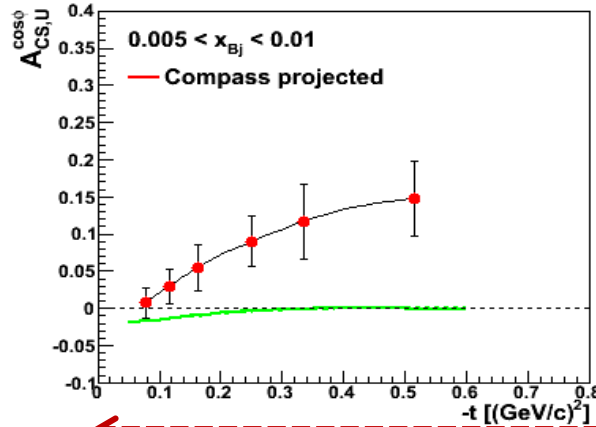
Beam Charge and Spin Diff. @ COMPASS

$$\mathcal{D}_{CS,U} \equiv d\sigma^{\leftarrow+} - d\sigma^{\rightarrow-} = 2[d\sigma_{pol}^{DVCS} + \text{Re } I] \xrightarrow{L.T.} c_0^I + c_1^I \cos \phi$$

$\text{Re } \mathcal{H} > 0$ at H1
 < 0 at HERMES
 Value of x_{Bj} for the node?

$$c_1^I = \text{Re } F_1 \mathcal{H}$$

Predictions with
VGG
KM10



The knowledge of
 $\text{Re } F_1 \mathcal{H}$ and $\text{Im } F_1 \mathcal{H}$
 is essential to play with
 the dispersion relation
 to extract the D-term

COMPASS 2 years of data $E_\mu = 160 \text{ GeV}$ $1 < Q^2 < 8 \text{ GeV}^2$

HERMES

JLab

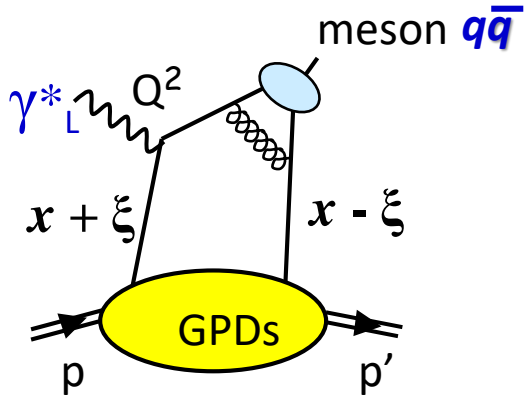
Now HEMP,

pseudo-scalar meson π^0

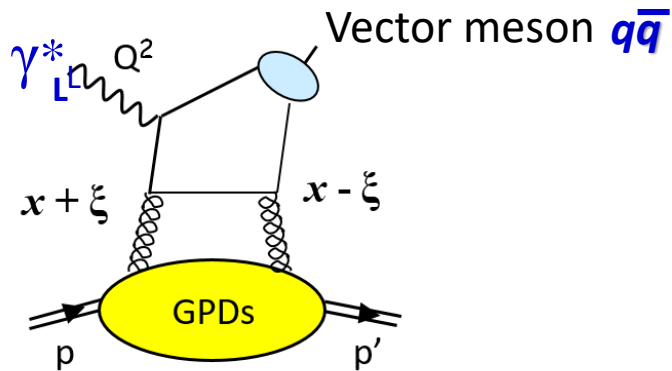
vector mesons ω, ρ, \dots

GPDs and Hard Exclusive Meson Production

Quark contribution



Gluon contribution at the same order in α_s



The meson wave function
Is an additional non-perturbative term

4 chiral-even GPDs: helicity of parton unchanged

$H^q(x, \xi, t)$	$E^q(x, \xi, t)$	For Vector Meson
$\tilde{H}^q(x, \xi, t)$	$\tilde{E}^q(x, \xi, t)$	For Pseudo-Scalar Meson

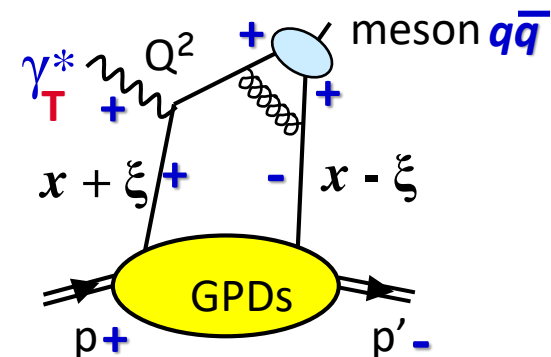
+ 4 chiral-odd or transversity GPDs: helicity of parton changed
(not possible in DVCS)

$H_T^q(x, \xi, t)$	$E_T^q(x, \xi, t)$	$\bar{E}_T^q = 2 \tilde{H}_T^q + E_T^q$
$\tilde{H}_T^q(x, \xi, t)$	$\tilde{E}_T^q(x, \xi, t)$	

Factorisation proven only for σ_L

σ_T is asymptotically suppressed by $1/Q^2$ but large contribution observed
model of σ_T with transversity GPDs - divergencies regularized by k_T of q
and \bar{q} and Sudakov suppression factor

$\mathcal{M}_{0-, ++}$ sensitive to H_T^q
and to a twist-3 meson wave function



$e p \rightarrow e \pi^0 p$

$$\frac{d^2\sigma}{dt d\phi_\pi} = \frac{1}{2\pi} \left[\left(\epsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} \right) + \epsilon \cos 2\phi_\pi \frac{d\sigma_{TT}}{dt} + \sqrt{2\epsilon(1+\epsilon)} \cos \phi_\pi \frac{d\sigma_{LT}}{dt} \right]$$

$$\frac{d\sigma_L}{dt} = \frac{4\pi\alpha}{k'} \frac{1}{Q^6} \left\{ (1 - \xi^2) |\langle \tilde{H} \rangle|^2 - 2\xi^2 \text{Re} [\langle \tilde{H} \rangle^* \langle \tilde{E} \rangle] - \frac{t'}{4m^2} \xi^2 |\langle \tilde{E} \rangle|^2 \right\}$$

Leading twist should be dominant
but \approx only a few % of $\frac{d\sigma_T}{dt}$

The other contributions arise from coupling between chiral-odd (quark helicity flip) GPDs to the twist-3 pion amplitude

$$\frac{d\sigma_T}{dt} = \frac{4\pi\alpha}{2k'} \frac{\mu_\pi^2}{Q^8} \left[(1 - \xi^2) |\langle H_T \rangle|^2 - \frac{t'}{8m^2} |\langle \bar{E}_T \rangle|^2 \right]$$

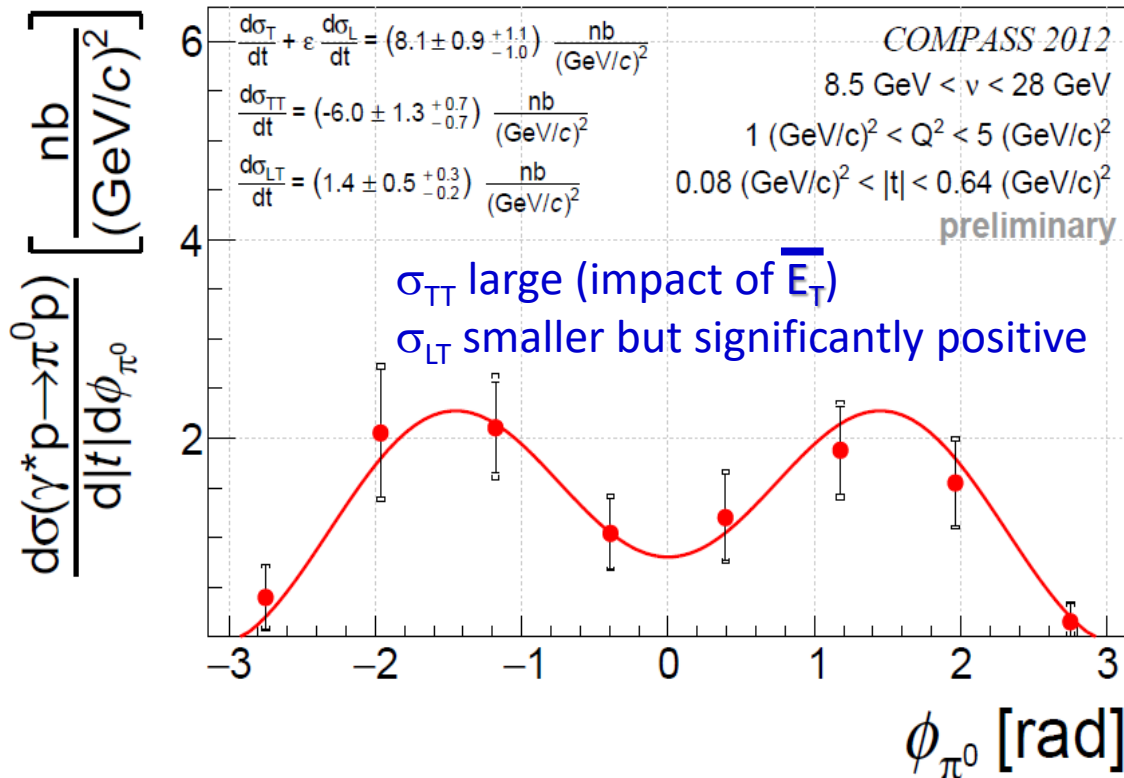
$$\frac{d\sigma_{LT}}{dt} = \frac{4\pi\alpha}{\sqrt{2}k'} \frac{\mu_\pi}{Q^7} \xi \sqrt{1 - \xi^2} \frac{\sqrt{-t'}}{2m} \text{Re} [\langle H_T \rangle^* \langle \tilde{E} \rangle]$$

$$\frac{d\sigma_{TT}}{dt} = \frac{4\pi\alpha}{k'} \frac{\mu_\pi^2}{Q^8} \frac{t'}{16m^2} |\langle \bar{E}_T \rangle|^2$$

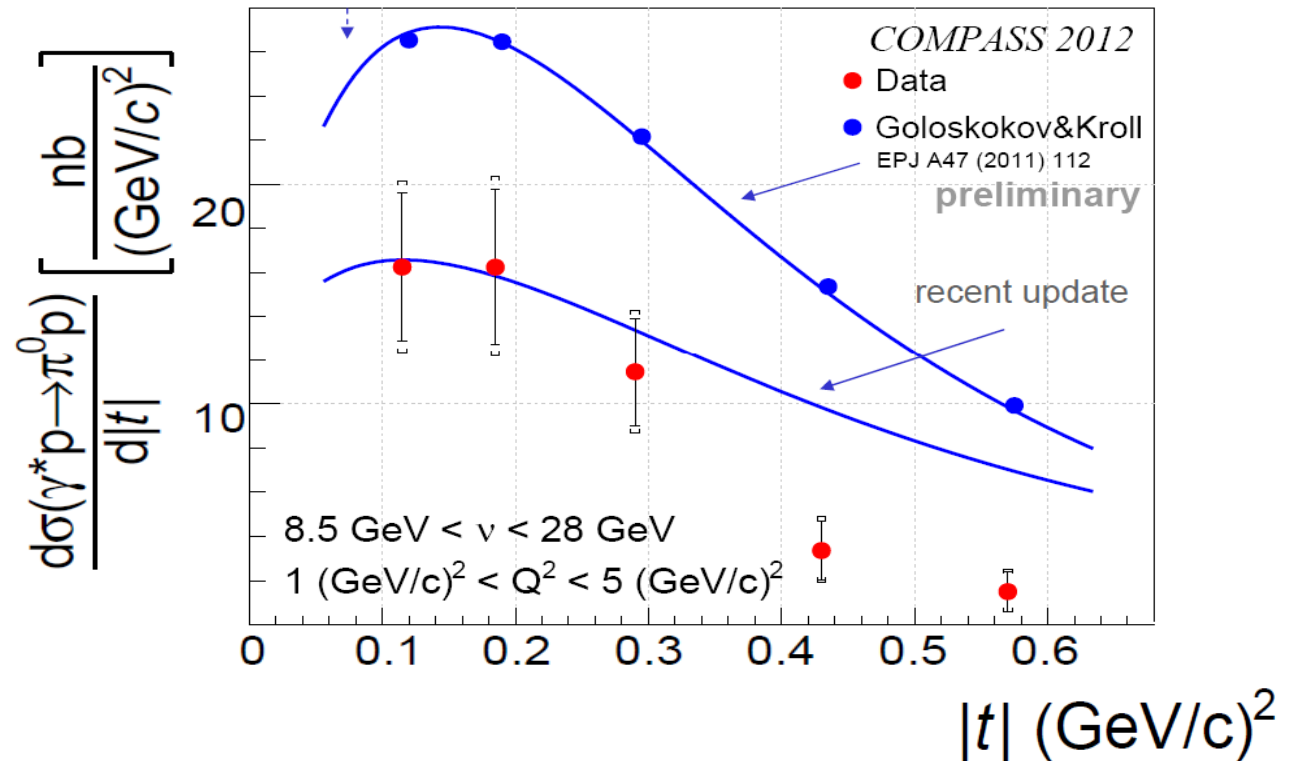
A large impact of \bar{E}_T should be clearly visible in σ_{TT} and in the dip at small $|t|$ of σ_T

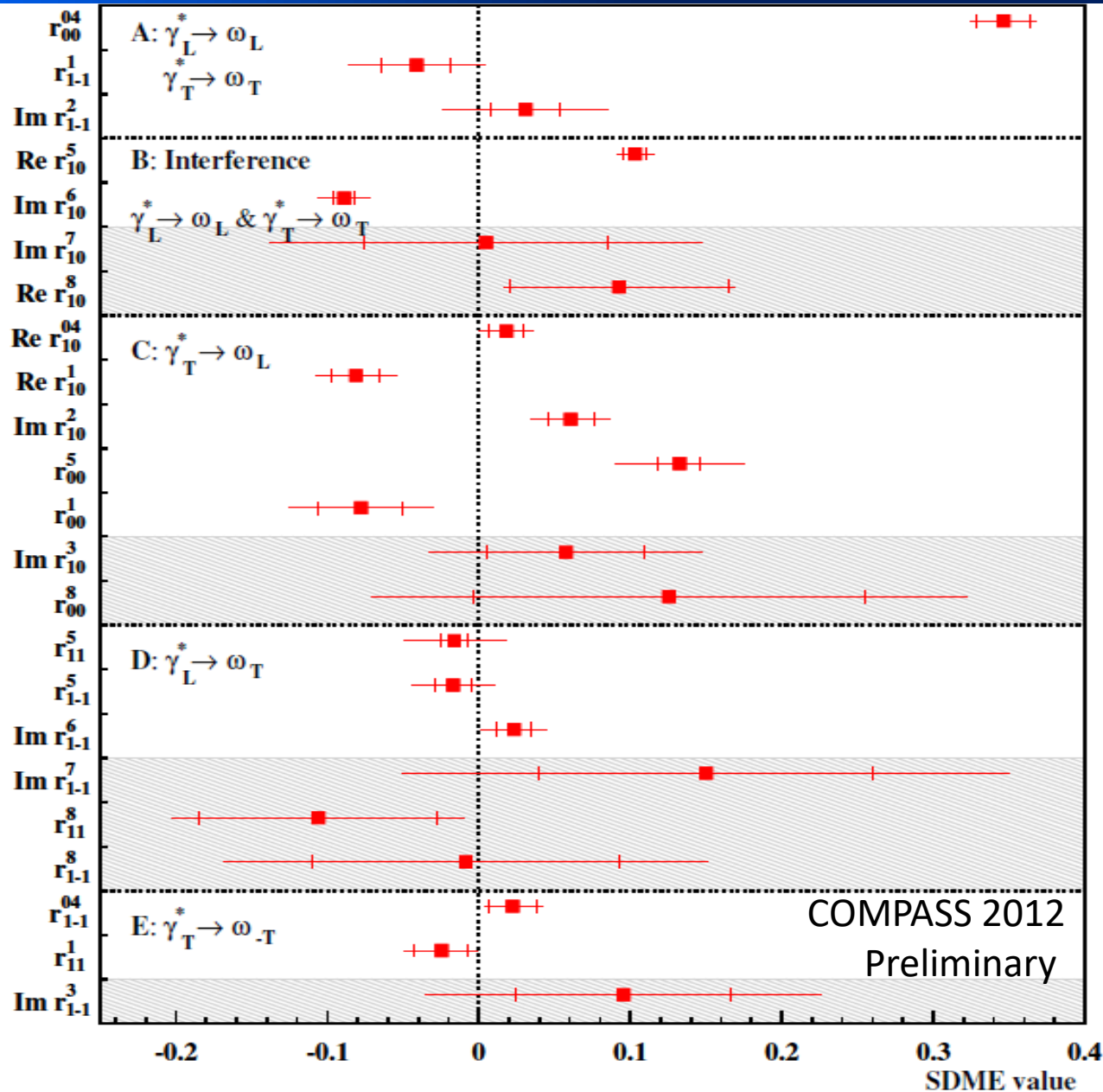
$$e p \rightarrow e \pi^0 p$$

$$\frac{d^2\sigma}{dt d\phi_\pi} = \frac{1}{2\pi} \left[\left(\epsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} \right) + \epsilon \cos 2\phi_\pi \frac{d\sigma_{TT}}{dt} + \sqrt{2\epsilon(1+\epsilon)} \cos \phi_\pi \frac{d\sigma_{LT}}{dt} \right]$$



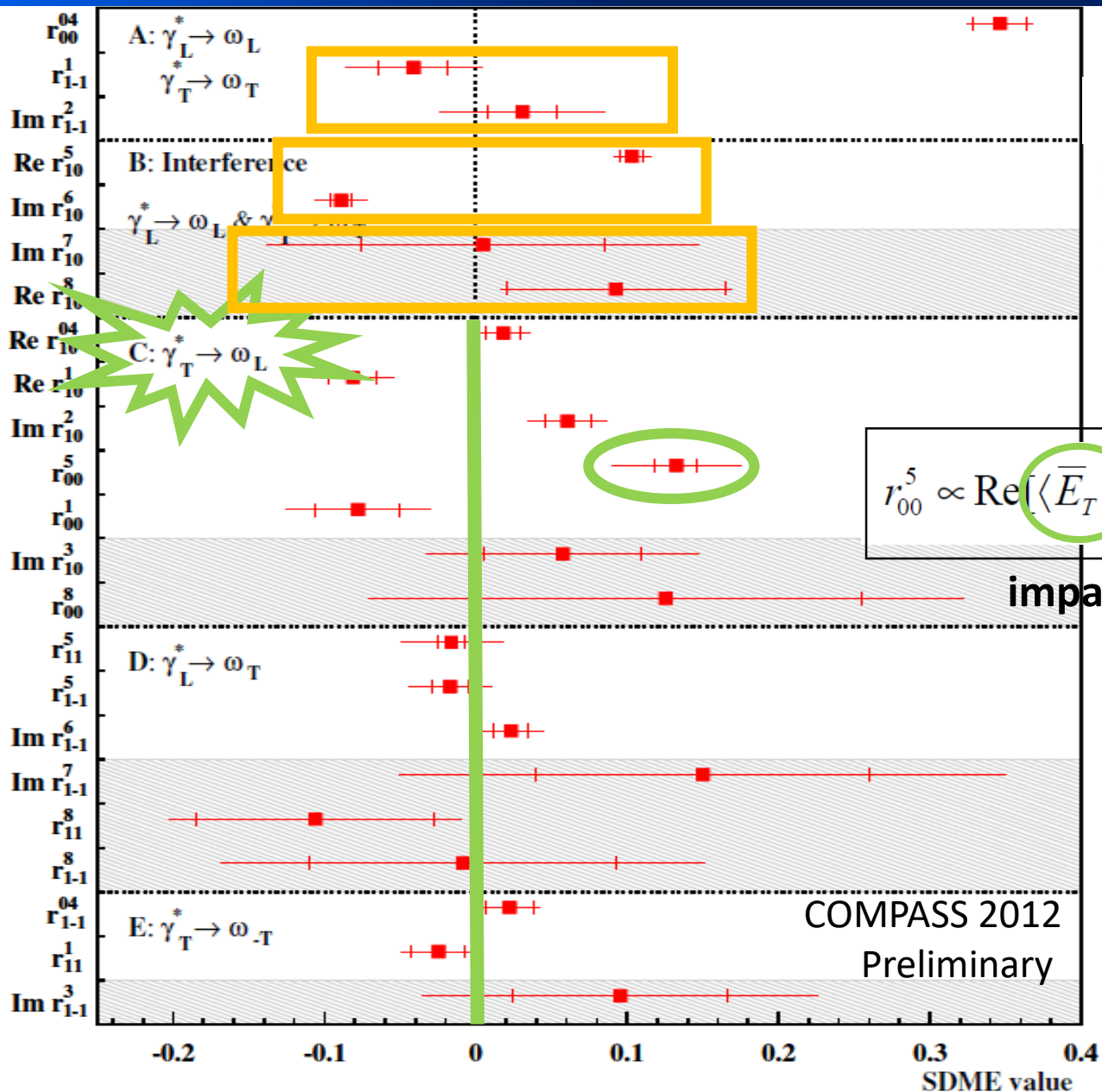
A dip at small t would indicate a large impact of \overline{E}_T





23 SDMEs in 5 classes A, B, C, D, E depending on helicity transitions

SDMEs dependent on beam polarisation
Shown within shaded areas



If sCHC ($\lambda_\gamma = \lambda_\nu$)

measurements:

$$r_{1-1}^1 + \text{Im}\{r_{1-1}^2\} = 0 \quad = -0.010 \pm 0.032 \pm 0.047.$$

$$\text{Re}\{r_{10}^5\} + \text{Im}\{r_{10}^6\} = 0 \quad = 0.014 \pm 0.011 \pm 0.013.$$

$$\text{Im}\{r_{10}^7\} - \text{Re}\{r_{10}^8\} = 0 \quad = -0.088 \pm 0.110 \pm 0.196.$$

All the other SDME in classes C,D, E should be 0

not observed for class C

$$r_{00}^5 \propto \text{Re}[\langle \bar{E}_T \rangle_{IT}^* \langle H \rangle_{LL} + \frac{1}{2} \langle H_T \rangle_{LT}^* \langle E \rangle_{LL}]$$

From Goloskokov and Kroll, EPJC74 (2014) 2725

impact of \bar{E}_T and H_T

Already clearly observed
 in exclusive ρ^0, ω production
 with transvers. polar. target
 COMPASS 2004-7-10 data

COMPASS, NPB865 [2012] 1-20

COMPASS, PLB731 (2014) 19

COMPASS, NPB915 (2017) 454-475

Conclusions

From 2016-17 data

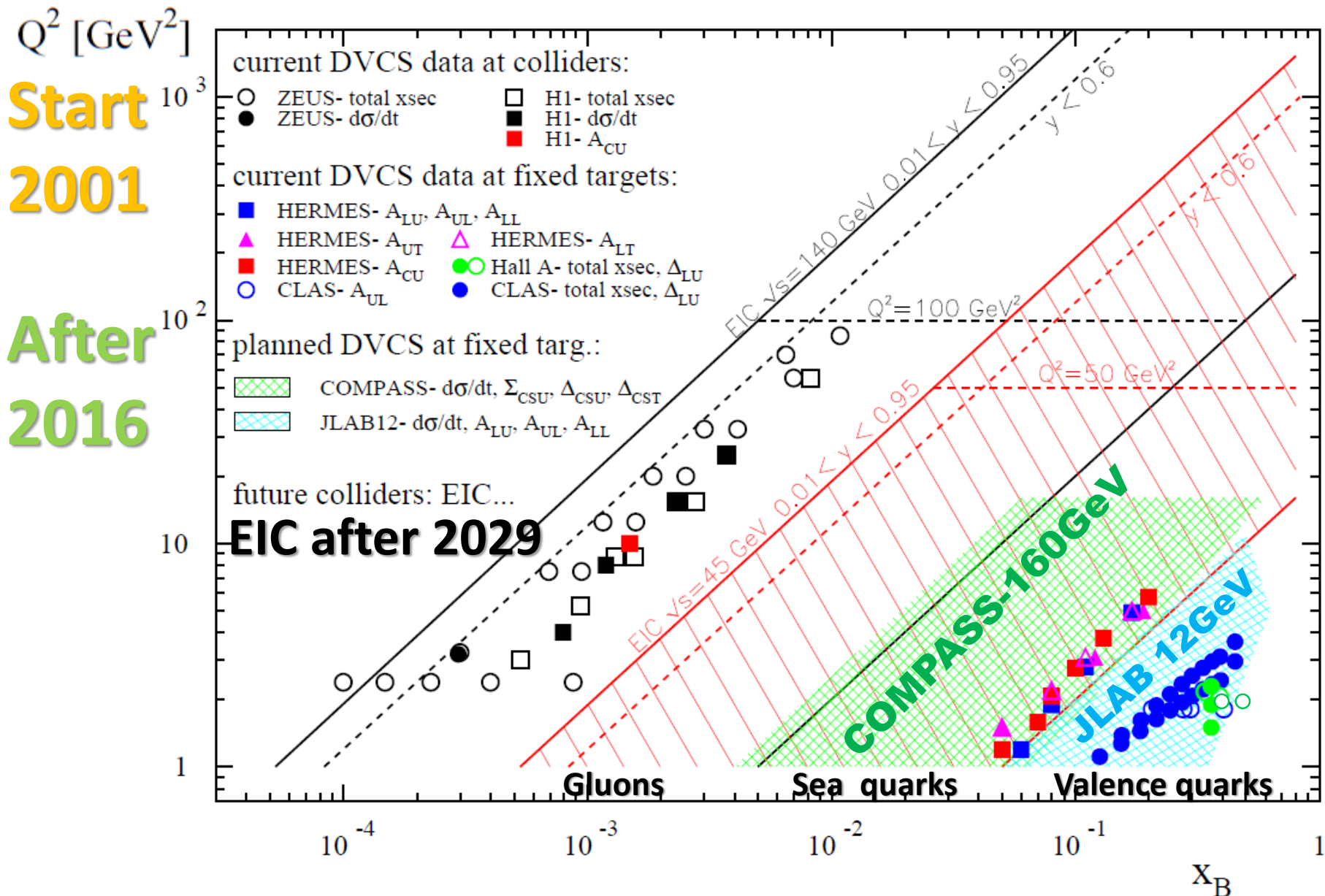
sum and difference of DVCS x-sections with polarized μ^+ and μ^-

- transverse extension of partons as a function of x_{Bj}
- $\text{Im}\mathcal{H}(\xi,t)$ and $\text{Re}\mathcal{H}(\xi,t)$ for D-term and pressure distribution

HEMP $\pi^0, \rho, \omega, \phi, J/\psi$ → universality of GPDs - transverse GPDs - flavor decomposition



The past and future DVCS experiments





A new QCD facility
at the M2 beam line of the CERN SPS

Letter of Intent - Draft 1.0: <https://arXiv.org/abs/1808.00848>

COMPASS++/AMBER starting in 2022

Program	Physics Goals	Beam Energy [GeV]	Beam Intensity [s^{-1}]	Trigger Rate [kHz]	Beam Type	Target	Earliest start time, duration	Hardware Additions
μp elastic scattering	Precision proton-radius measurement	100	$4 \cdot 10^6$	100	μ^\pm	high-pressure H2	2022 1 year	active TPC, SciFi trigger, silicon veto,
Hard exclusive reactions	GPD E	160	$2 \cdot 10^7$	10	μ^\pm	NH_3^\dagger	2022 2 years	recoil silicon, modified PT magnet
Input for Dark Matter Search	\bar{p} production cross section	20-280	$5 \cdot 10^5$	25	p	LH2, LHe	2022 1 month	LHe target
\bar{p} -induced Spectroscopy	Heavy quark exotics	12, 20	$5 \cdot 10^7$	25	\bar{p}	LH2	2022 2 years	target spectr.: tracking, calorimetry
Drell-Yan	Pion PDFs	190	$7 \cdot 10^7$	25	π^\pm	C/W	2022 1-2 years	
Drell-Yan (RF)	Kaon PDFs & Nucleon TMDs	~ 100	10^8	25-50	K^\pm, \bar{p}	NH_3^\dagger , C/W	2026 2-3 years	"active absorber", vertex det.
Primakoff (RF)	Kaon polarisability & pion life time	~ 100	$5 \cdot 10^6$	> 10	K^-	Ni	non-exclusive 2026 1 year	
Prompt Photons (RF)	Meson gluon PDFs	≥ 100	$5 \cdot 10^6$	10-100	K^\pm π^\pm	LH2, Ni	non-exclusive 2026 1-2 years	hodoscope
K -induced Spectroscopy (RF)	High-precision strange-meson spectrum	50-100	$5 \cdot 10^6$	25	K^-	LH2	2026 1 year	recoil TOF, forward PID
Vector mesons (RF)	Spin Density Matrix Elements	50-100	$5 \cdot 10^6$	10-100	K^\pm, π^\pm	from H to Pb	2026 1 year	

Beam line unique with polarised μ^+ and μ^- and high intensity pion beam


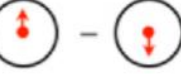


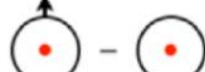

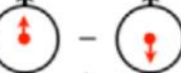

Possible RF separated beam for high intensity antiproton and K beams



Versatile apparatus (Upgrade ++)

Proton Radius
Meson PDF – gluon PDF
Proton spin structure
3D imaging (TMDs and GPDs)
Hadron spectroscopy
Anti-matter cross section

Eight GPDs for quarks or gluons

		Quark Polarization		
		Unpolarized (U)	Longitudinally Polarized (L)	Transversely Polarized (T)
Nucleon Polarization	U	H		$2\tilde{H}_T + E_T$
	L		\tilde{H}	\tilde{E}_T
	T	E	\tilde{E}	H_T, \tilde{H}_T

		Quark Polarization		
		U	L	T
Nucleon Polarization	U	f_1 unpolarized 		h_1^\perp Boer-Mulders 
	L		g_{1L} helicity 	h_{1L}^\perp longi-transversity (worm-gear) 
	T	f_{1T}^\perp Sivers 	g_{1T} trans-helicity (worm-gear) 	h_1 transversity  h_{1T}^\perp pretzelosity 

 Nucleon spin
  Quark spin

GPDs and TMDs

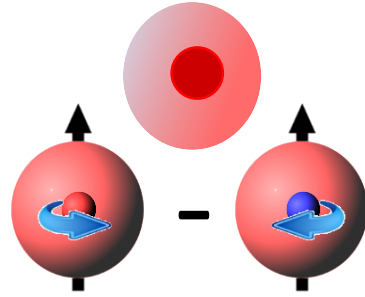
Chiral-even

$$H \leftrightarrow q$$

$$E \leftrightarrow f_{1T}^\perp$$

the Holy Grail: to reveal OAM

$$J_i: 2J^q = \int \mathbf{x} (H^q(\mathbf{x}, \xi, 0) + E^q(\mathbf{x}, \xi, 0)) d\mathbf{x}$$

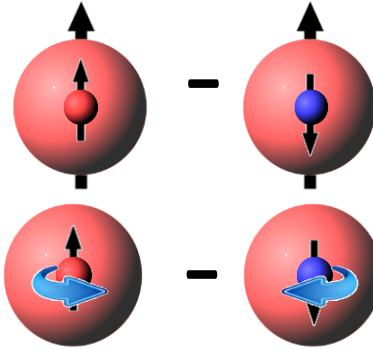


Sivers: quark k_T
and nucleon transv. Spin

Chiral-odd

$$H_T \leftrightarrow h_1$$

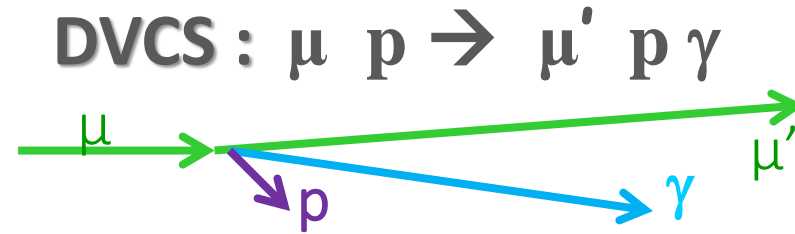
$$\bar{E}_T = 2\tilde{H}_T + E_T \leftrightarrow h_1^\perp$$



Transversity: quark spin
and nucleon transv. spin

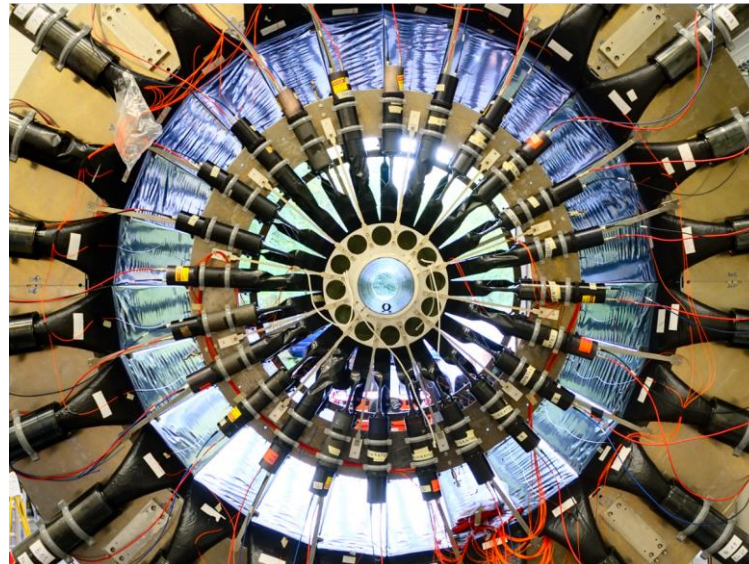
Boer-Mulders: quark k_T
and quark transverse spin

The DVCS experiment at COMPASS



New equipments:

- 2.5m LH2 target
- 4m ToF Barrel CAMERA
- ECALO



CAMERA
L=4m
Ø=2m

24 inner & outer scintillators separated by about 1m
1 GHz SADC readout, 330ps ToF resolution



ECALO: 2 × 2 m²

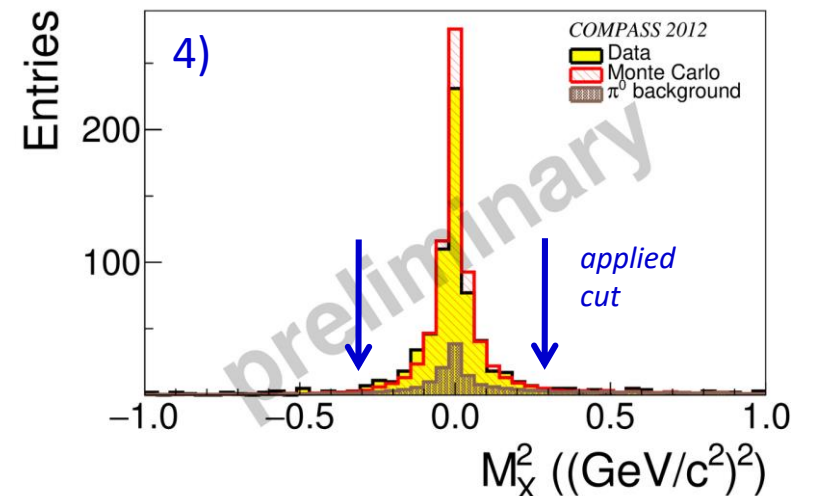
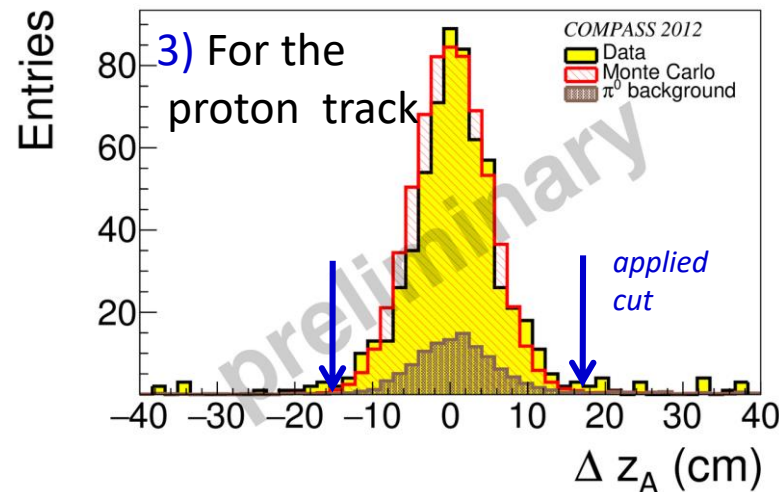
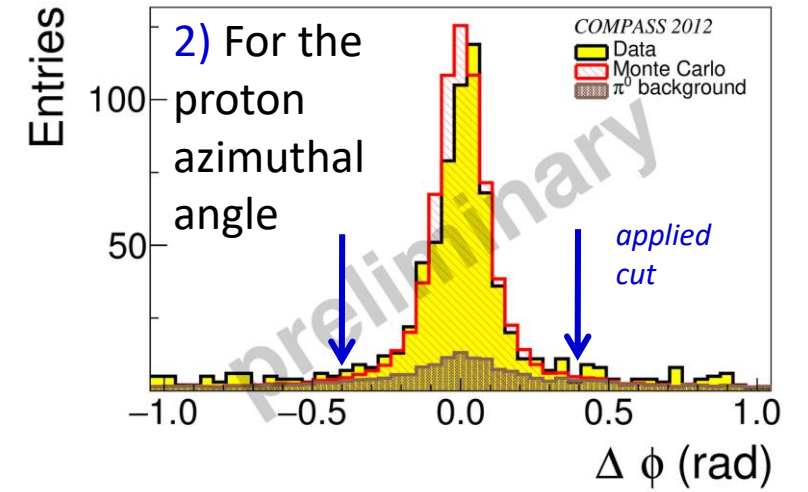
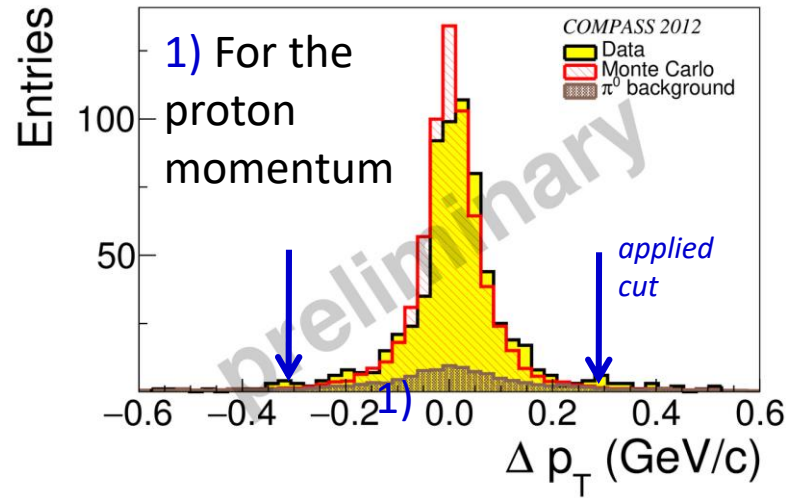
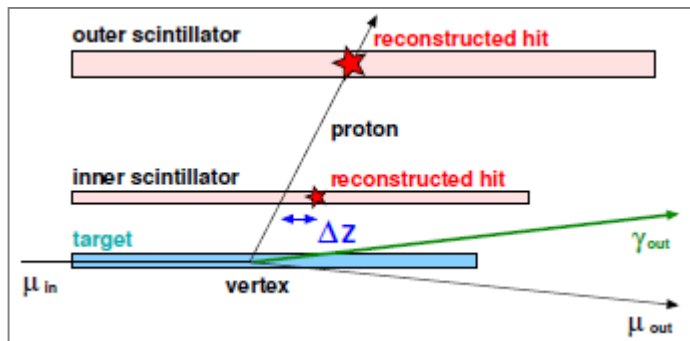
Shashlyk modules + MAPD readout
one module is made of 9 cells (4×4 cm²)
= 194 modules or 1746 cells

$x_{Bj} > 0.03$ $10 < \nu < 32 \text{ GeV}$
with π^0 contamination

Comparison between the observables given by the spectro or by CAMERA

DVCS: $\mu p \rightarrow \mu' p \gamma$

- 1) $\Delta p_T = p_T^{\text{cam}} - p_T^{\text{spec}}$
- 2) $\Delta \phi = \phi^{\text{cam}} - \phi^{\text{spec}}$
- 3) $\Delta z_A = z_A^{\text{cam}} - z_A^{\text{ZB and vertex}}$
- 4) $M_{X=0}^2 = (p_{\mu_{\text{in}}} + p_{p_{\text{in}}} - p_{\mu_{\text{out}}} - p_{p_{\text{out}}} - p_{\gamma})^2$



π^0 are one of the main background sources for excl. photon events.

Two possible case:

- **Visible** (both γ detected \rightarrow subtracted)

the DVCS photon after all exclusivity cuts is combined with all detected photons below the DVCS threshold: 4,5,10 GeV in ECAL0, 1, 2

- **Invisible** (one γ lost \rightarrow estimated by MC)

➤ **Semi-inclusive LEPTO 6.1**

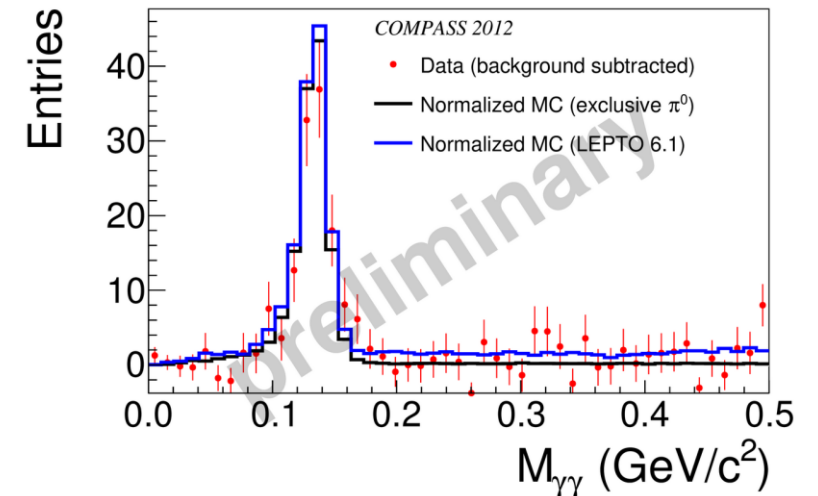
➤ **Exclusive HEPGEN π^0**
(Goloskokov-Kroll model)

Releasing the cuts and comparing the two components to the data allows the determination of their relative normalisation.

The sum of the 2 components is

normalized to the visible π^0 contamination in the $M_{\gamma\gamma}$ peak

Visible leaking π^0 in the data



Can we compare all the Proton « radii »?

$$d\sigma^{\text{DVCS}}/dt \sim \exp(-B|t|)$$

$$B(x_B) = \frac{1}{2} \langle r_{\perp}^2(x_B) \rangle$$

distance between the active quark
and the center of momentum of spectators

Transverse size of the nucleon

mainly dominated by $H(x=\xi, \xi, t)$

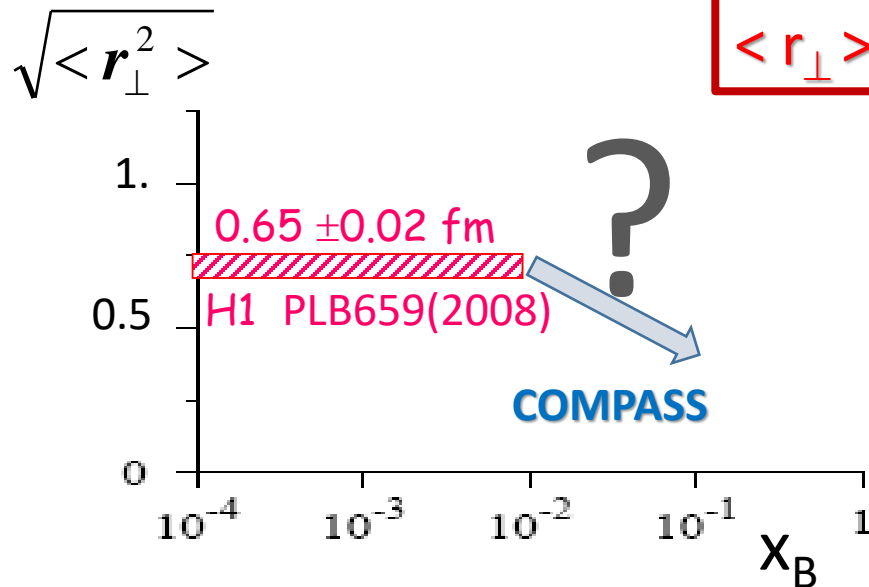
$$A^{\text{DVCS}} \text{ linked to } \text{Im}H \sim \exp(-B'|t|)$$

$$B'(x_B) = \frac{1}{4} \langle b_{\perp}^2(x_B) \rangle$$

distance between the active quark
and the center of momentum of the nucleon

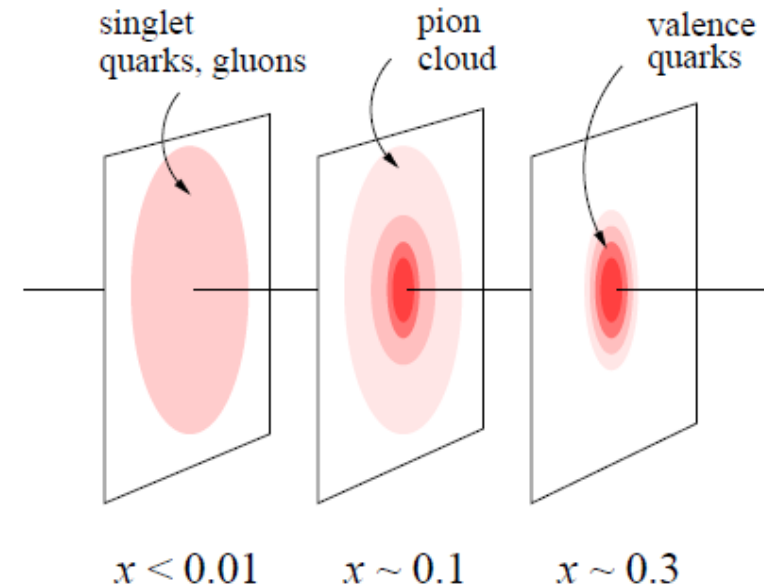
Impact Parameter Representation

$$q(x, b_{\perp}) \leftrightarrow H(x, \xi=0, t)$$



$$\langle r_{\perp} \rangle \sim \langle b_{\perp} \rangle / (1-x)$$

Note $0.65 \text{ fm} = \sqrt{2/3} \times 0.8 \text{ fm}$



COMPASS 2012 Transverse extension of partons in the sea quark range

$$d\sigma^{DVCS}/dt = e^{-B'} |t| = c_0^{DVCS}$$

$$c_{0, \text{unp}}^{DVCS} = 2(2 - 2y + y^2) c_{\text{unp}}^{DVCS}(\mathcal{F}, \mathcal{F}^*) \text{ Belitsky, Mueller et al. 2020}$$

$$c_{\text{unp}}^{DVCS}(\mathcal{F}, \mathcal{F}^*) = \frac{1}{(2 - x_B)^2} \left\{ 4(1 - x_B) (\mathcal{H}\mathcal{H}^* + \tilde{\mathcal{H}}\tilde{\mathcal{H}}^*) - x_B^2 (\mathcal{H}\mathcal{E}^* + \mathcal{E}\mathcal{H}^* + \tilde{\mathcal{H}}\tilde{\mathcal{E}}^* + \tilde{\mathcal{E}}\tilde{\mathcal{H}}^*) - \left(x_B^2 + (2 - x_B)^2 \frac{\Delta^2}{4M^2} \right) \mathcal{E}\mathcal{E}^* - x_B^2 \frac{\Delta^2}{4M^2} \tilde{\mathcal{E}}\tilde{\mathcal{E}}^* \right\}$$

At COMPASS:

$\langle x_{Bj} \rangle = 0.056$; $\langle Q^2 \rangle = 1.8 \text{ GeV}^2$; t varies from 0.08 to 0.64 GeV^2
 Due to the small value of x_{Bj} and t it remains only:

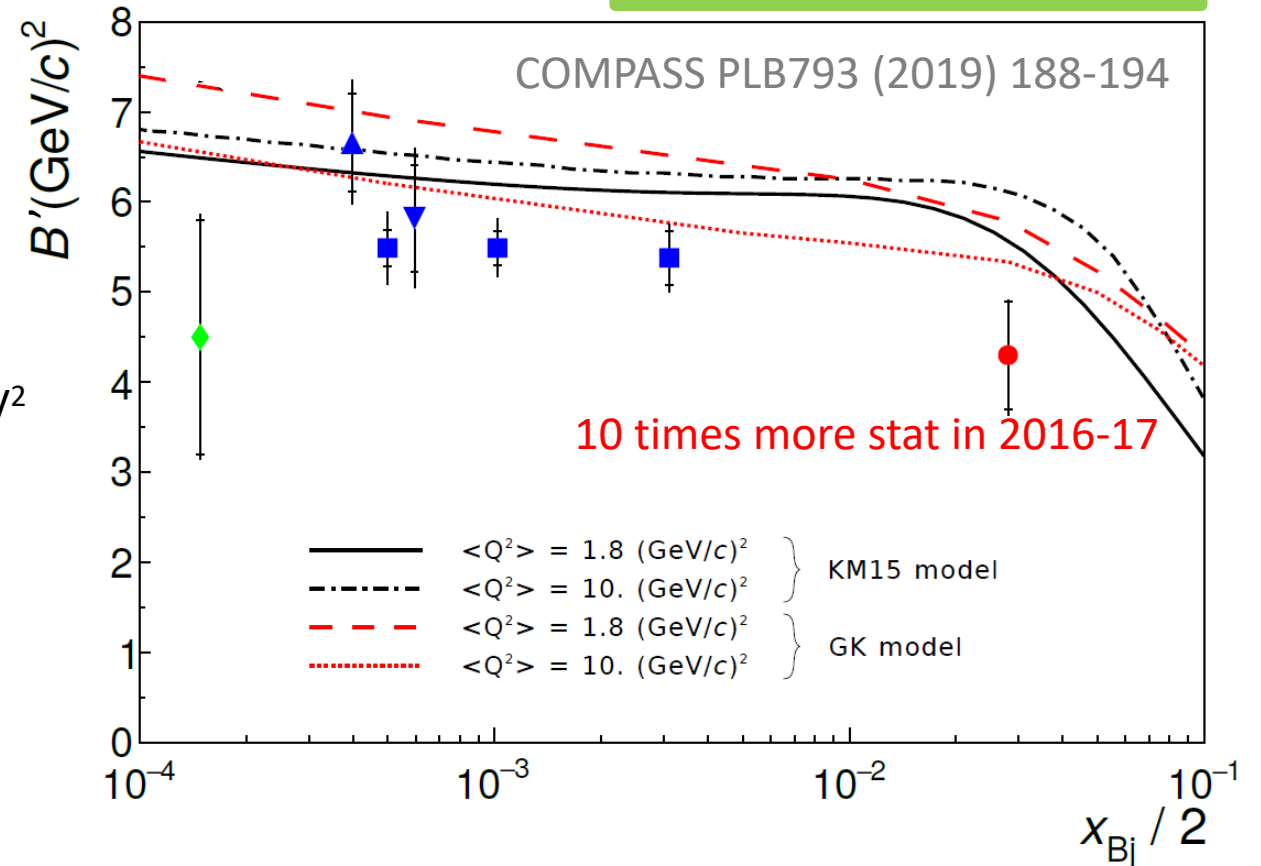
$$c_0^{DVCS} \propto 4(\mathcal{H}\mathcal{H}^* + \tilde{\mathcal{H}}\tilde{\mathcal{H}}^*) - \frac{t}{M^2} \mathcal{E}\mathcal{E}^*$$

Dominance of $Im\mathcal{H}$

(with respect of $Re\mathcal{H}$ and other **CFF**)

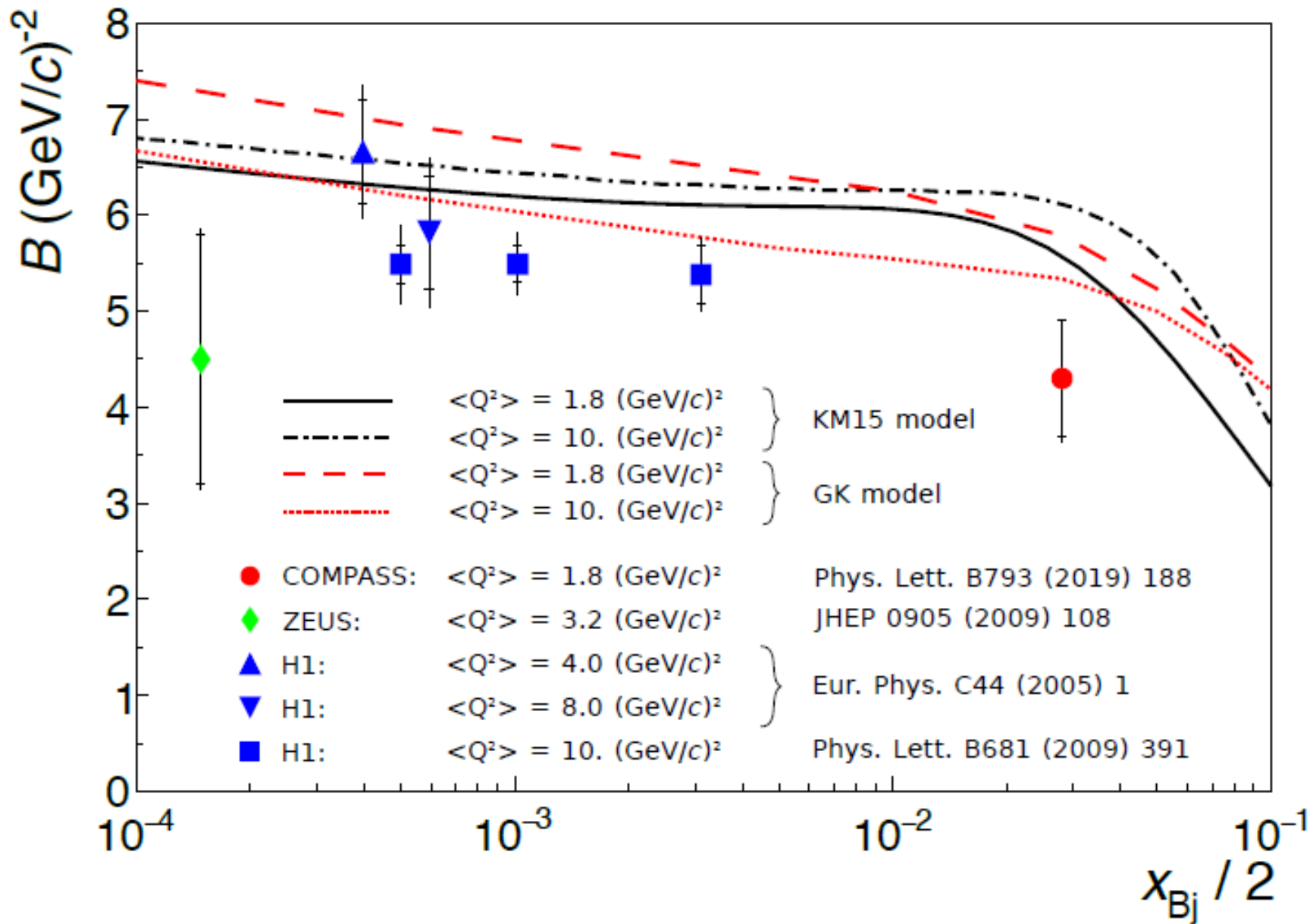
$$x = \xi \sim x_{Bj}/2$$

$$\langle r_{\perp}^2(x_B) \rangle \approx 2B'(x_B)$$

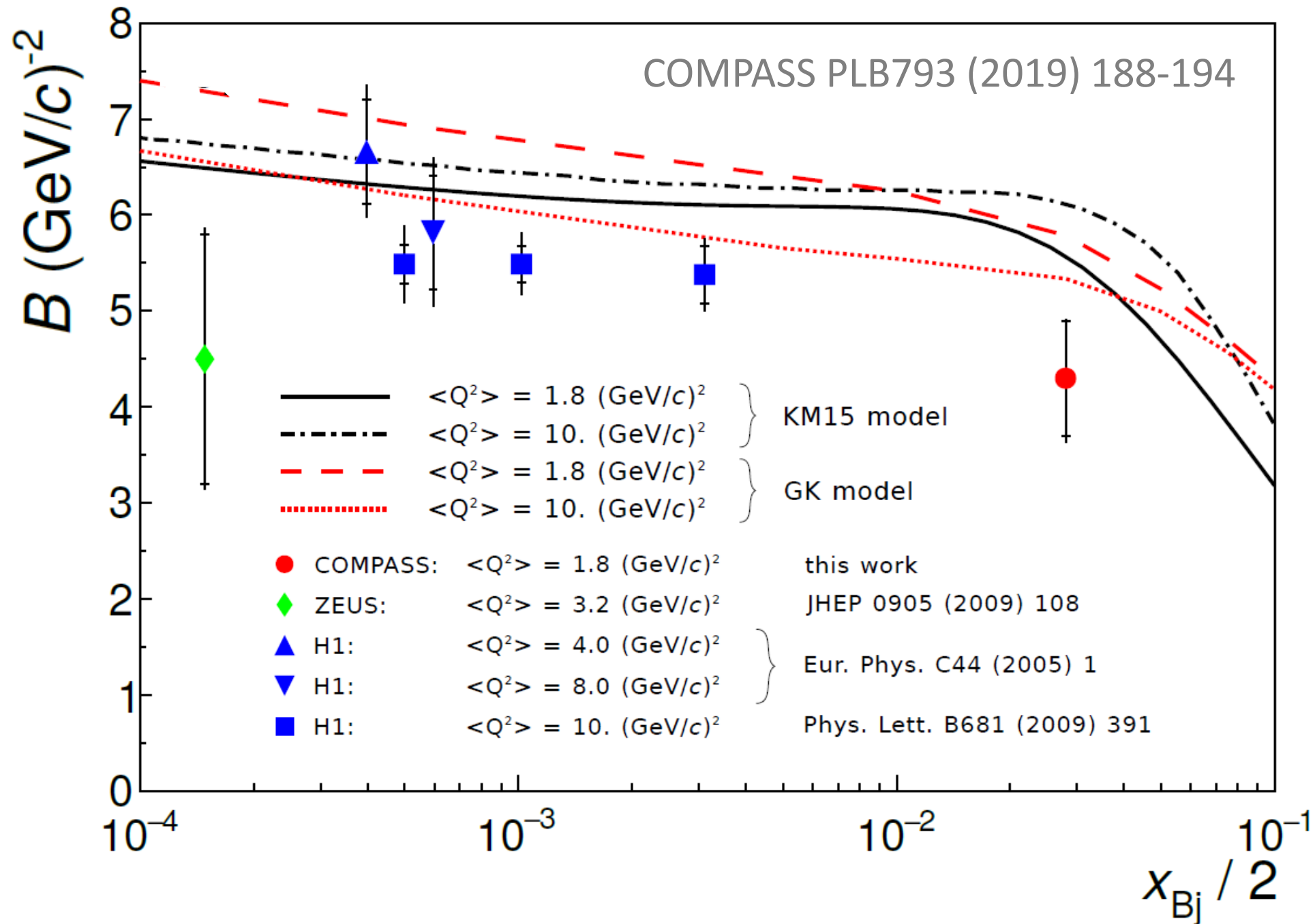


$$B = (4.31 \pm 0.62_{\text{stat}} \pm 0.09_{\text{sys}}) (\text{GeV}/c)^{-2}$$

$$\sqrt{\langle r_{\perp}^2 \rangle} = (0.58 \pm 0.04_{\text{stat}} \pm 0.01_{\text{sys}}) \text{ fm}$$



Fait main!



Dominance of $Im\mathcal{H}$ (with respect of $Re\mathcal{H}$ and other CTF) at small x_B

Figure from Kumericki, Mueller

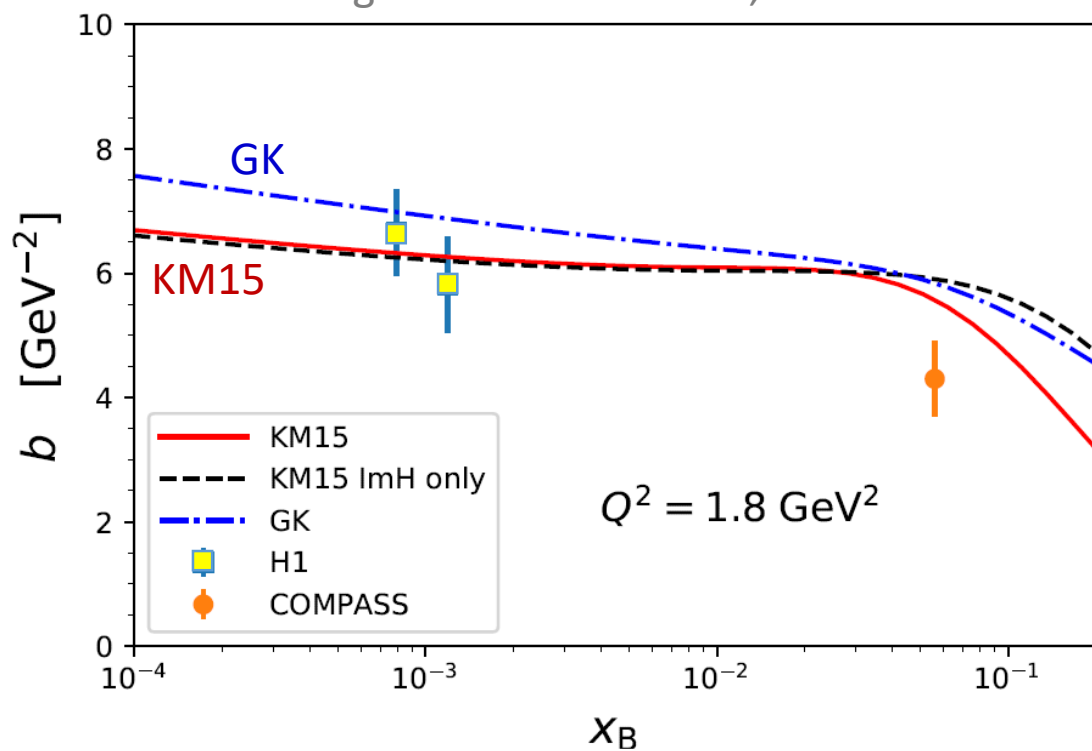


Figure from Moutarde, Sznajder, Wagner arXiv: 1807.07620

