

# OVERVIEW OF COMPASS RESULTS IN SIDIS AND FUTURE PLANS

**Andrea Bressan**

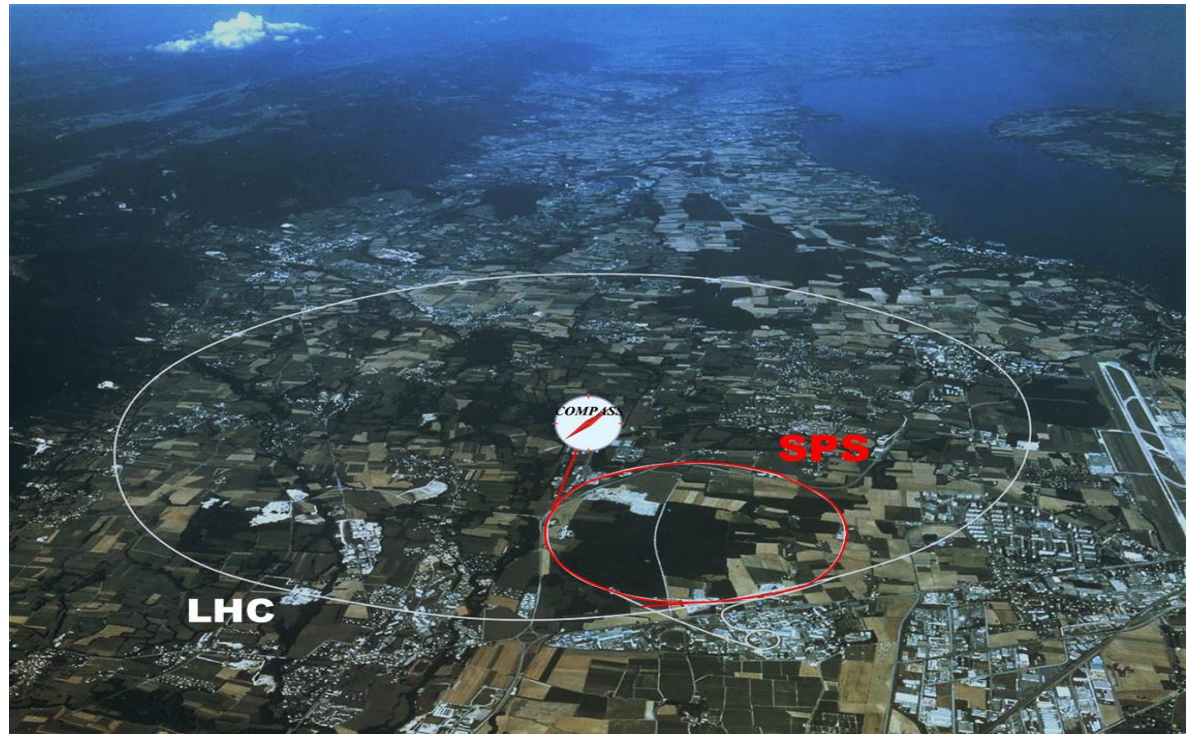
**University of Trieste and INFN**

TRANSVERSITY 2017, 11-15/12/2016  
INFN-LABORATORI NAZIONALI DI FRASCATI

fixed target experiment at the CERN SPS

**data taking: since 2002**

**CO**mmon  
**M**uon and  
**P**roton  
Apparatus for  
Structure and  
Spectroscopy



# COMPASS Collaboration



Дубна (LPP and LNP),  
Москва (INR, LPI, State  
University),  
Протвино

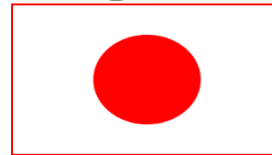


CERN

Bochum, Bonn  
(ISKP & PI),  
Erlangen,  
Freiburg, Mainz,  
München TU

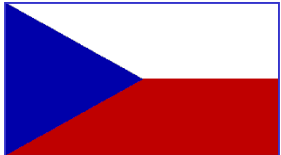


Warsawa (NCBJ),  
Warsawa (TU)  
Warsawa (U)



Yamagata

USA (UIUC)



Praha (CU/CTU)  
Liberec (TU)  
Brno (ISI-ASCR)



Lisboa/Aveiro

Saclay



Calcutta (Matrivian)



Tel Aviv

Torino  
(University, INFN),  
Trieste  
(University, INFN)



Taipei (AS)

About 250 physicists from 24 Institutions  
of 13 Countries

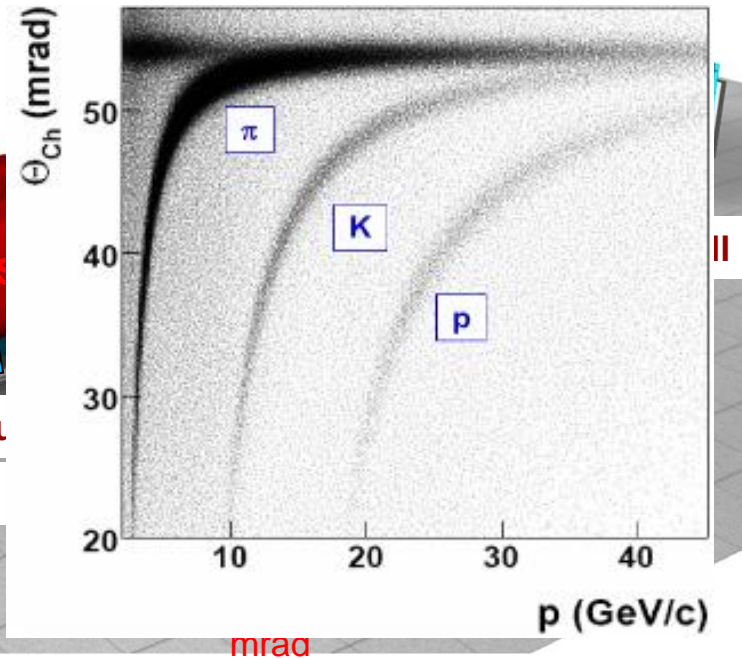
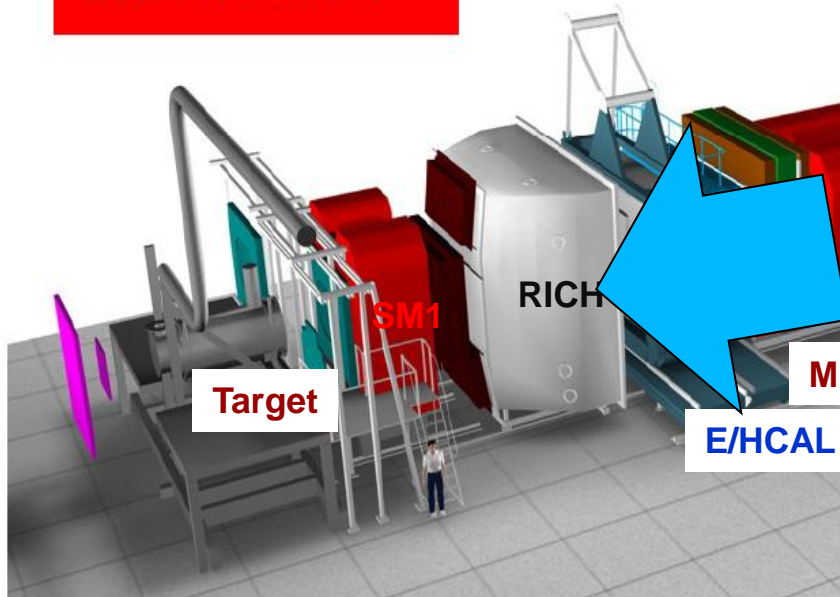
- high energy beam
- large angular acceptance
- broad kinematical range

two stages radiator  $Cu$   $F_0$  spectrometer

Large Angle Spectrometer (SM1)

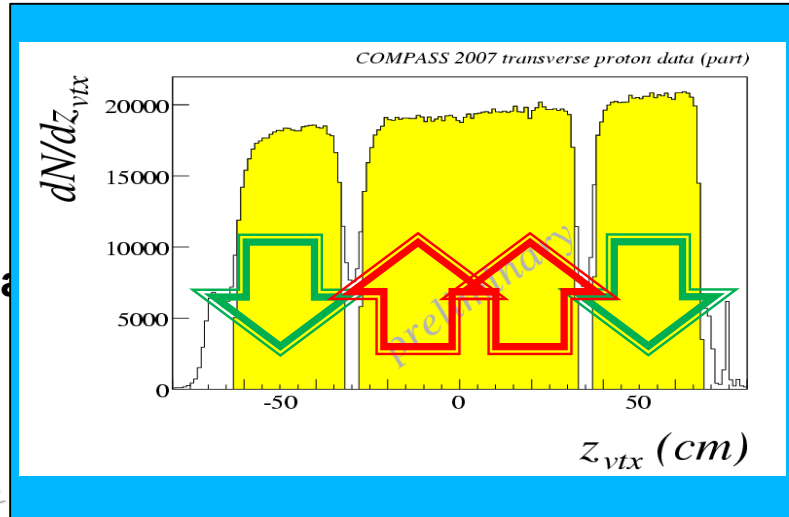
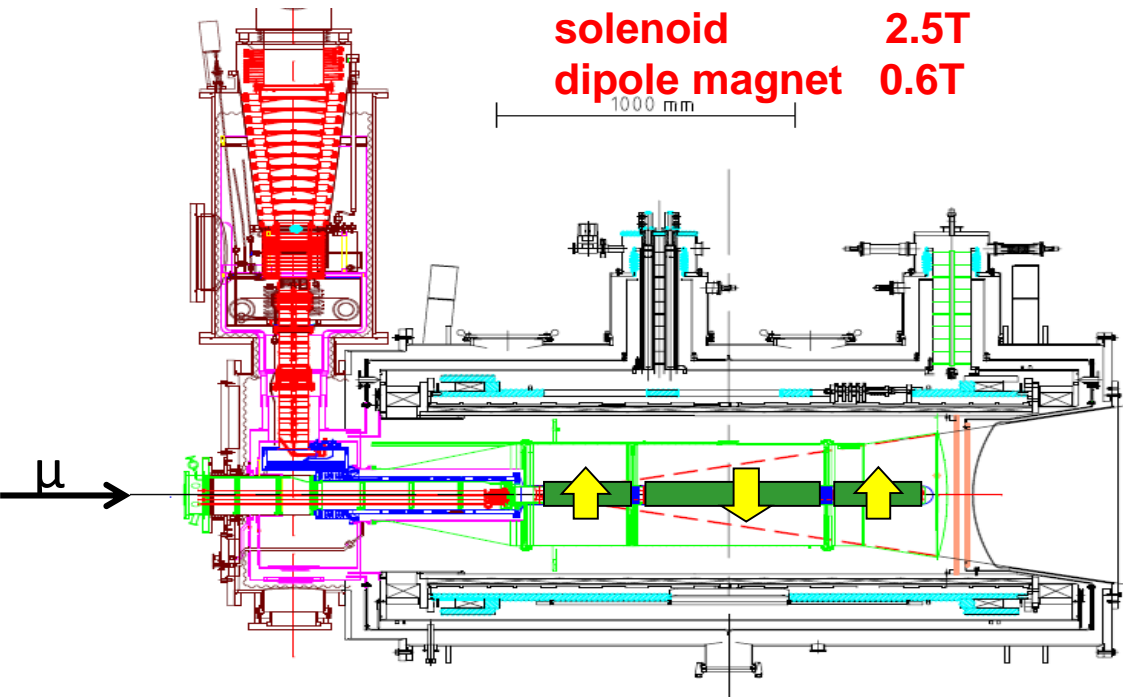
Small Angle Spectrometer (SM2)

## COMPASS



# the polarized target system (>2005)

**$^3\text{He} - ^4\text{He}$  dilution refrigerator ( $T \sim 50\text{mK}$ )**



**opposite polarisation**

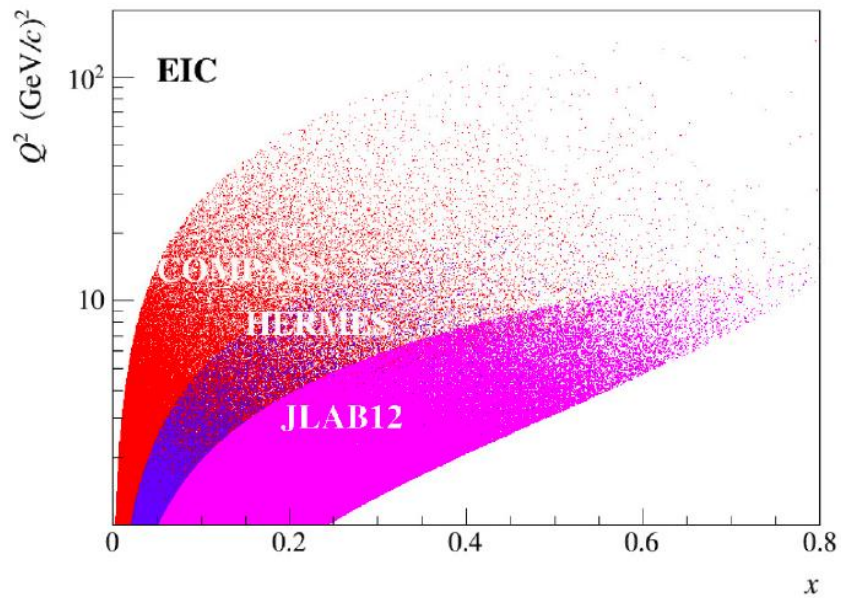
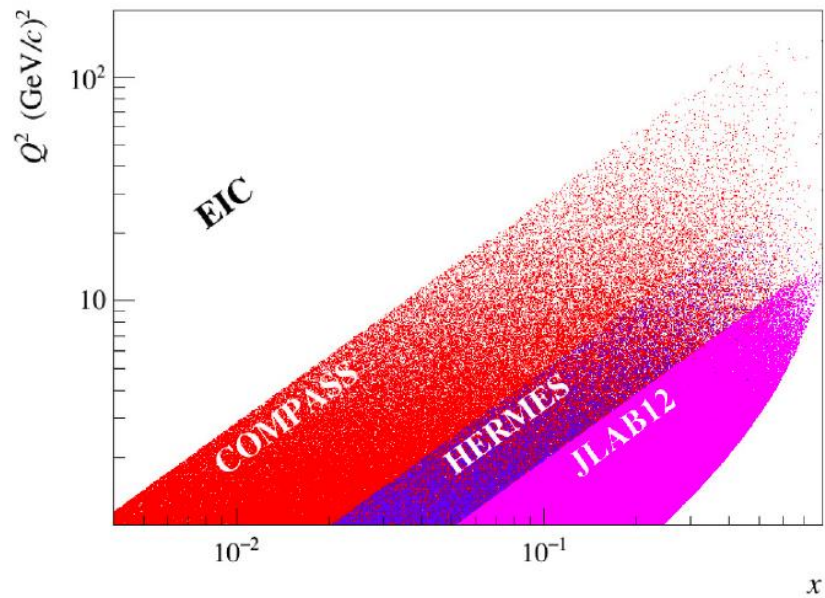
	<b>d (<math>^6\text{LiD}</math>)</b>	<b>p (<math>\text{NH}_3</math>)</b>
polarization	50%	90%
dilution factor	40%	16%

***no evidence for relevant nuclear effects (160 GeV)***

# COMPASS data taking

Muon beam	deuteron ( ${}^6\text{LiD}$ ) PT	2002	80% L/20% T target polarisation
		2003	
		2004	
		2006	L target polarisation
	proton ( $\text{NH}_3$ ) PT	2007	50% L /50% T target polarisation
Hadron	LH target	2008	
		2009	
Muon beam	proton ( $\text{NH}_3$ ) PT	2010	T target polarisation
		2011	L target polarisation
Hadron	Ni target	2012	Primakoff
Muon beam	LH <sub>2</sub> target	2012	Pilot DVCS & unpol. SIDIS
Hadron	Proton ( $\text{NH}_3$ ) DT PT	2014	Pilot DY run
		2015	DY run
Muon beam	LH <sub>2</sub> target	2016 2017	DVCS & unpol. SIDIS
Hadron	Proton ( $\text{NH}_3$ ) PT	2018	DY run

# Kinematic coverage



# Measurements with the target transversely polarized:

Year	Obs	
2005	$A_{Siv,d}^h, A_{Col,d}^h$	First ${}^6\text{LiD}$ data
2006	$A_{Siv,d}^h, A_{Col,d}^h$	Full ${}^6\text{LiD}$ statistics
2009	$A_{Siv,d}^{\pi^\pm, K^\pm, K_S^0}, A_{Col,d}^{\pi^\pm, K^\pm, K_S^0}$	Full ${}^6\text{LiD}$ statistics
2010	$A_{Siv,p}^h, A_{Col,p}^h$	2007 $\text{NH}_3$ data
2012	$A_{UT,d}^{\sin\phi_{RS}}, A_{UT,p}^{\sin\phi_{RS}}$	Full ${}^6\text{LiD}$
2012	$A_{Siv,p}^h, A_{Col,p}^h$	Full $\text{NH}_3$ statistics
2012	$A_{UT,d}^{\sin(\phi_\rho - \phi_S)}, A_{UT,p}^{\sin(\phi_\rho - \phi_S)}$	Exclusive $\rho^0$
2013	$A_{UT,d}^{(\phi_\rho, \phi_S)}, A_{UT,p}^{(\phi_\rho, \phi_S)}$	Exclusive $\rho^0$ , all asyms.
2014	$A_{UT,d}^{\sin\phi_{RS}}, A_{UT,p}^{\sin\phi_{RS}}$	Full ${}^6\text{LiD}$ and $\text{NH}_3$
2014	$A_{Siv,d}^{\pi^\pm, K^\pm, K_S^0}, A_{Col,d}^{\pi^\pm, K^\pm, K_S^0}$	Full $\text{NH}_3$ statistics
2015	Interplay $A_{UT,p}^{\sin\phi_{RS}}$ vs $A_{Col,p}^h$	Full $\text{NH}_3$ statistics
2016	$P_{hT}$ -weighted Siverts asyms	Full $\text{NH}_3$ statistics
2017	$P_\Lambda$	Full $\text{NH}_3$ statistics

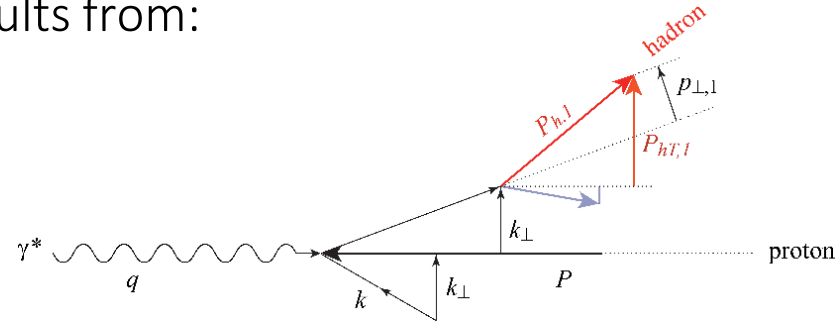


# Measurements with unpolarised targets:

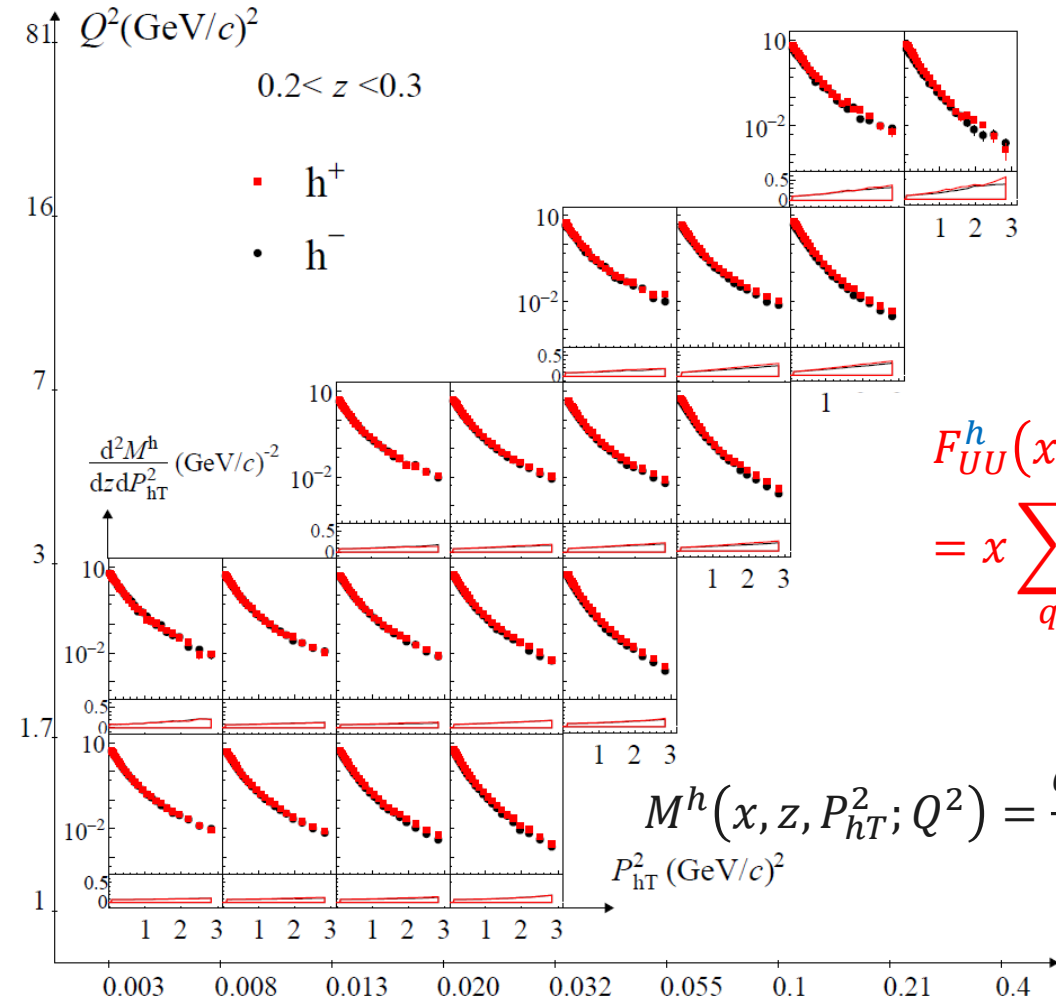
Year	Obs	
2013	$dn^h / (dN^\mu dz dp_T^2)$	Unpolarized multiplicities on d, 2004
2014	$A_{UU,d}^{\cos \phi_h}, A_{UU,d}^{\cos 2\phi_h}, A_{LU,d}^{\sin \phi_h}$	2004, part
2016	$dn^\pi / (dN^\mu dz)$	Unpolarized multiplicities on d, 2006
2016	$dn^h / (dN^\mu dz dP_{hT}^2)$	Unpolarized multiplicities on d, 2006
2016	$dn^K / (dN^\mu dz)$	Unpolarized multiplicities on d, 2006

# Importance of unpolarized SIDIS

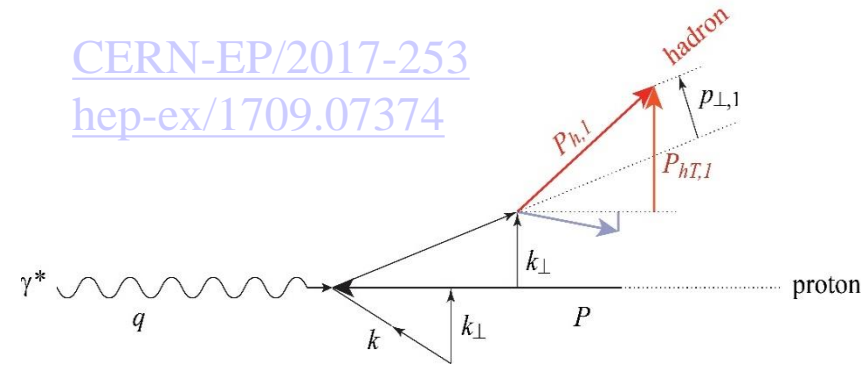
- The cross-section dependence from  $p_T^h$  results from:
  - intrinsic  $k_{\perp}$  of the quarks
  - $p_{\perp}$  generated in the quark fragmentation
  - A Gaussian ansatz for  $k_{\perp}$  and  $p_{\perp}$  leads to
  - $\langle P_{hT}^2 \rangle = z^2 \langle k_{\perp}^2 \rangle + \langle p_{\perp}^2 \rangle$
- The azimuthal modulations in the unpolarized cross sections comes from:
  - Intrinsic  $k_{\perp}$  of the quarks
  - The Boer-Mulders PDF
- Difficult measurements were one has to correct for the apparatus acceptance
- COMPASS and HERMES have
  - results on  ${}^6\text{LiD}$  ( $\sim d$ ) and  $d$  and on p (Hermes only)
  - No COMPASS measurements on  $p$  since on  $\text{NH}_3$  ( $\sim p$ ) nuclear effects may be important
- $\Rightarrow$ COMPASS-II, measurements on  $\text{LH}_2$  in parallel with DVCS



# Importance of unpolarized SIDIS



[CERN-EP/2017-253](#)  
[hep-ex/1709.07374](#)



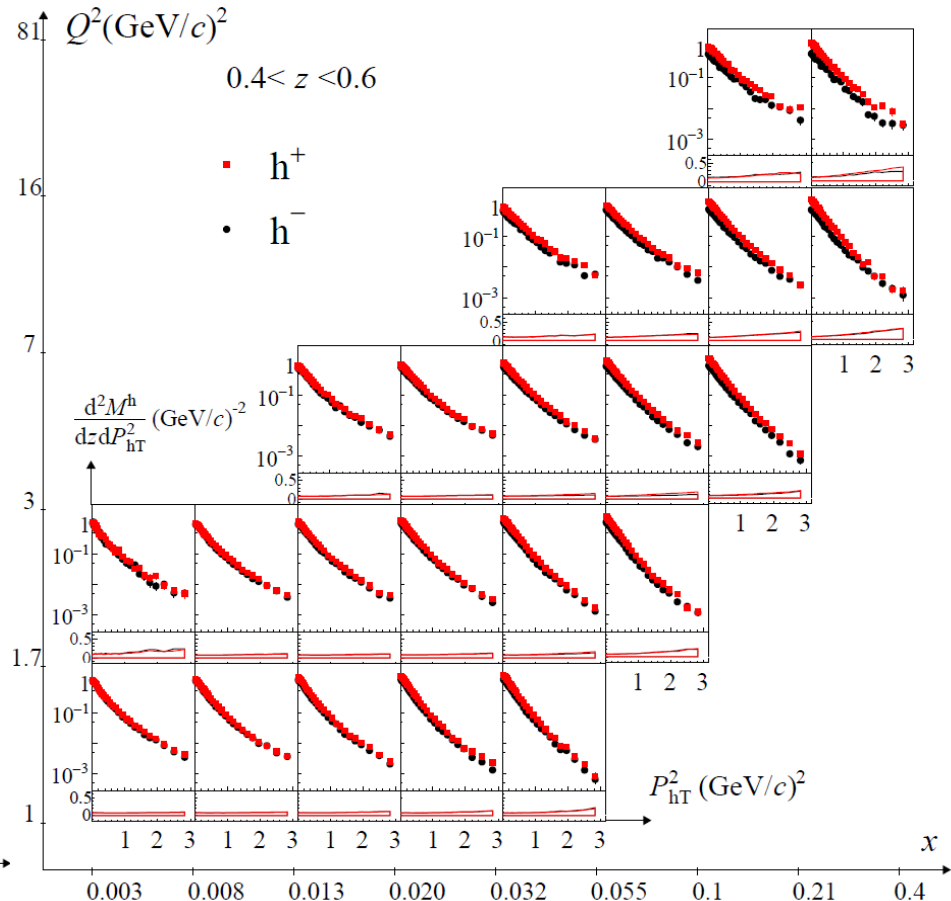
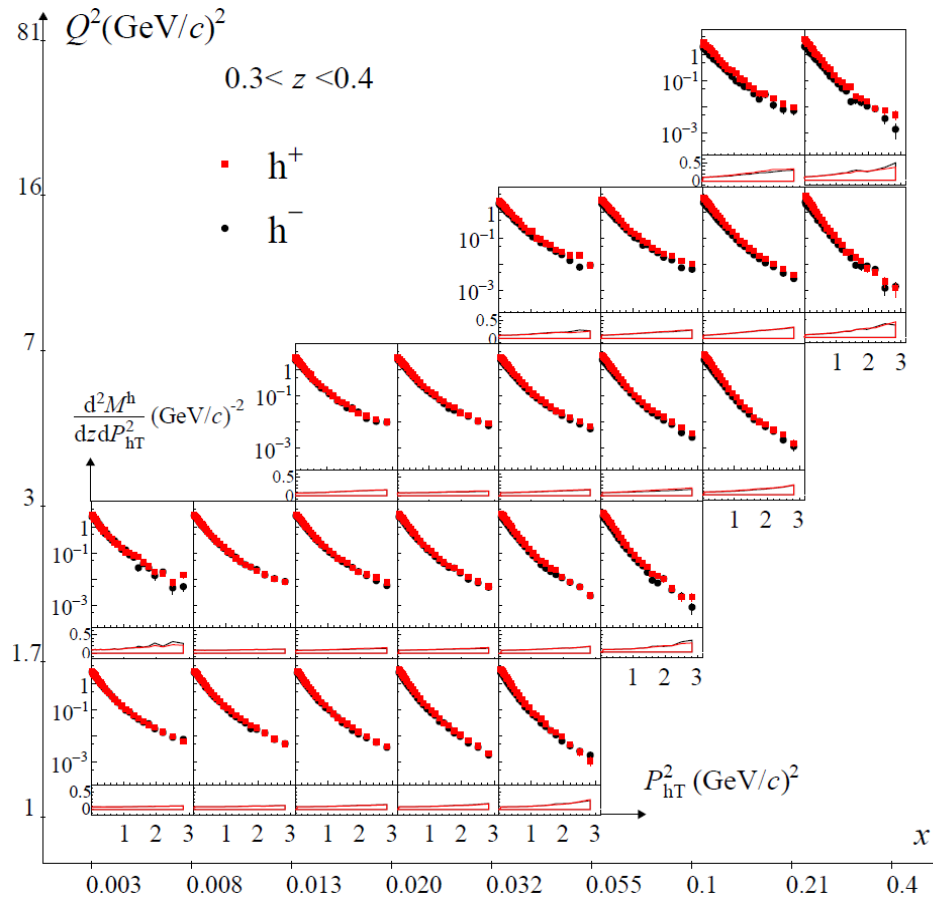
$$F_{UU}^h(x, z, P_{hT}^2; Q^2)$$

$$= x \sum_q e_q^2 \int d^2 \vec{k}_\perp d^2 \vec{p}_\perp \delta(\vec{p}_\perp - z \vec{k}_\perp)$$

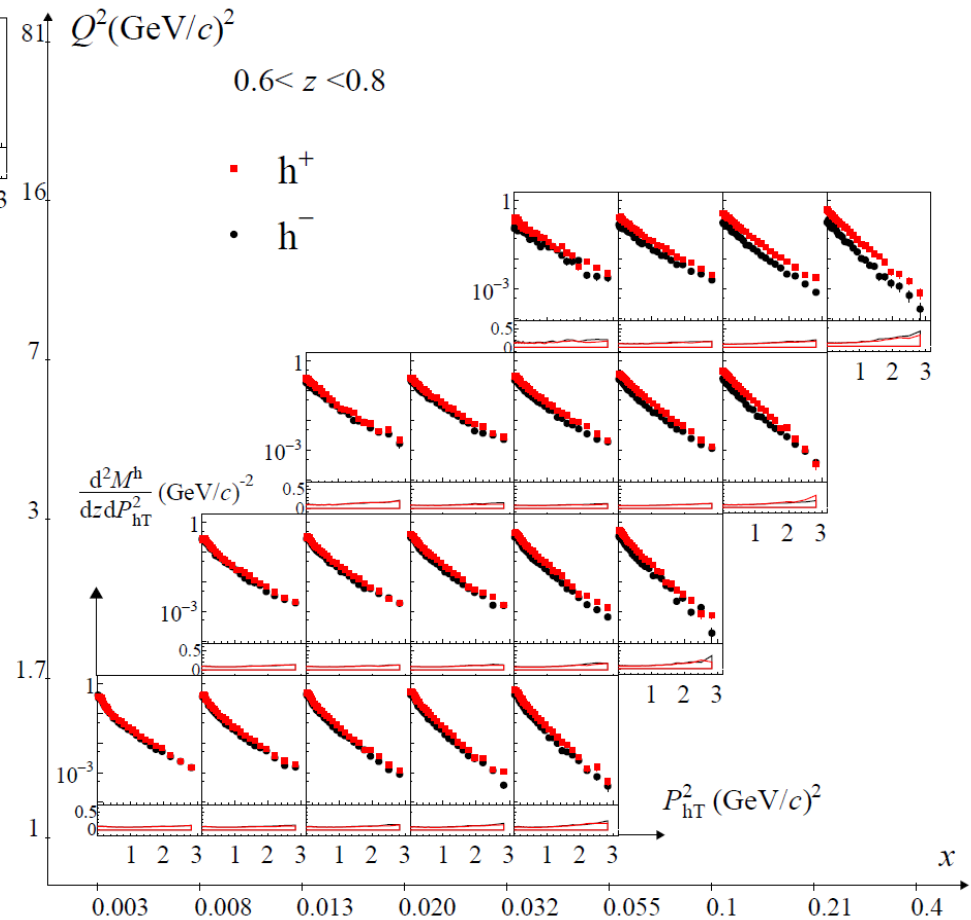
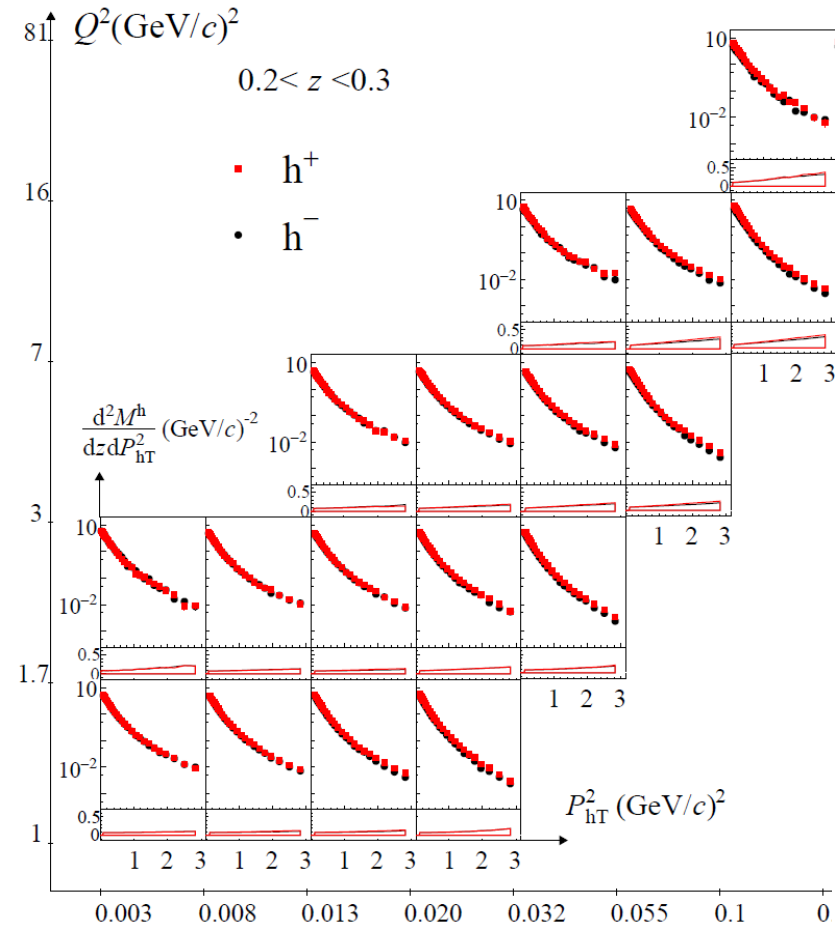
$$M^h(x, z, P_{hT}^2; Q^2) = \frac{d^5 \sigma^h / dx dQ^2 dz d^2 \vec{p}_T}{d^2 \sigma^{DIS} / dx dQ^2} \sim \frac{F_{UU}^h(x, z, P_{hT}^2; Q^2)}{F_{UU,T} + \epsilon F_{UU,L}}$$

4918 data points

# Importance of unpolarized SIDIS

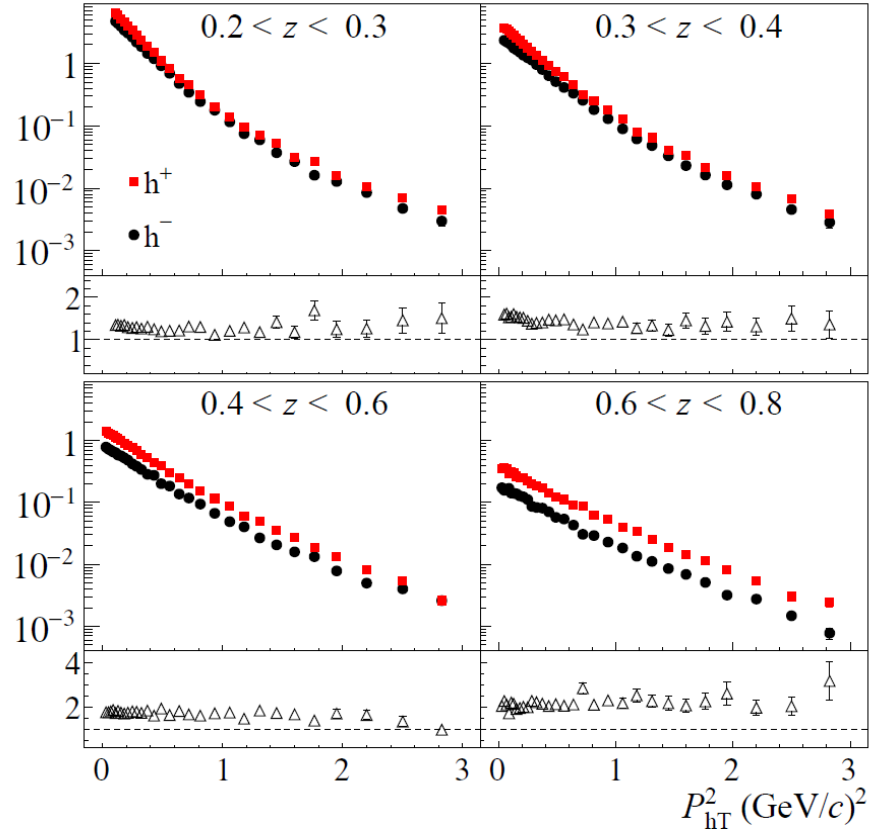
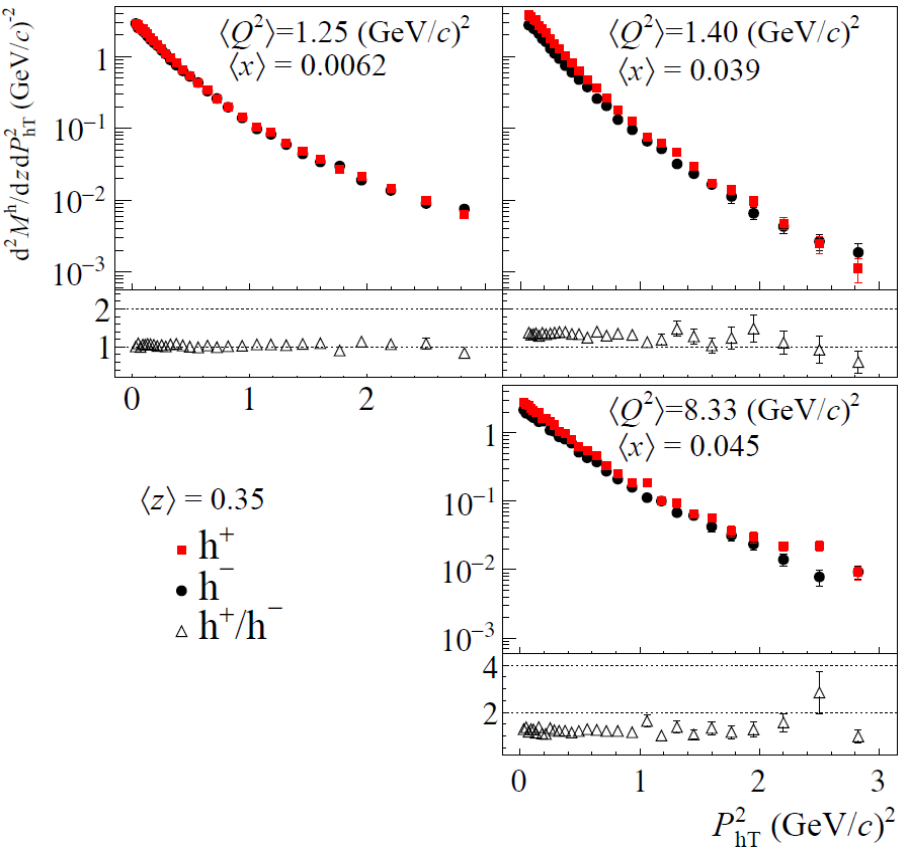


# Importance of unpolarized SIDIS

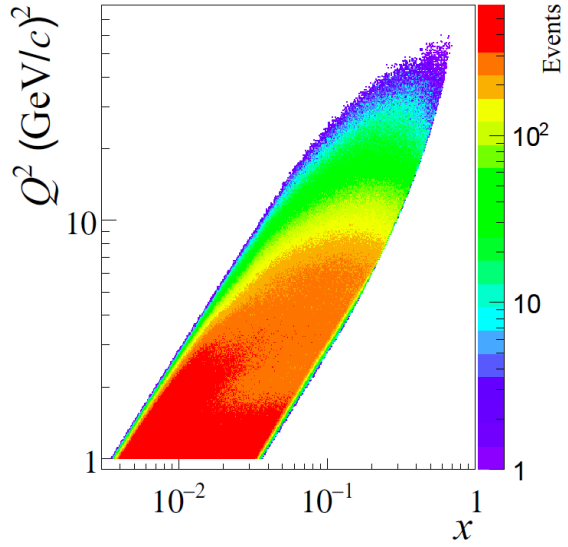
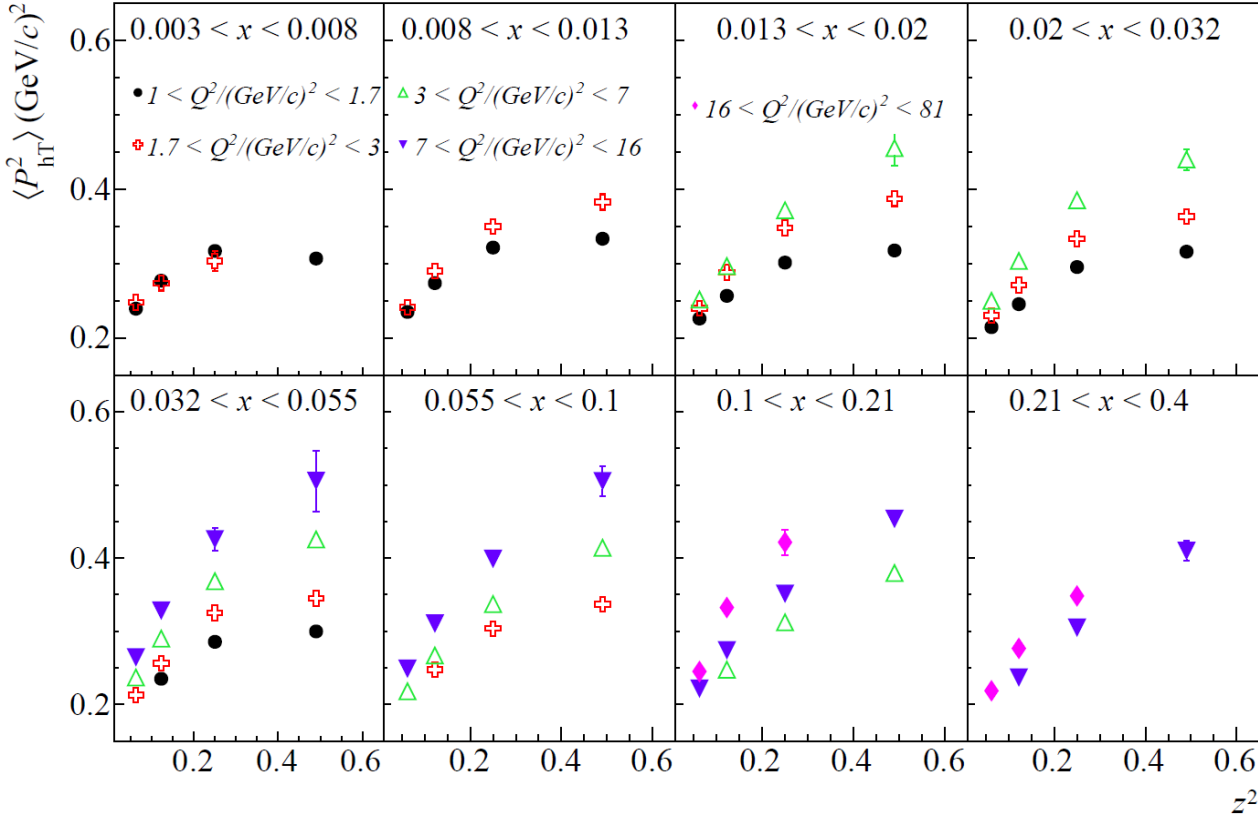


# Positive vs Negative charged hadrons

$\langle Q^2 \rangle = 9.78 \text{ (GeV/c)}^2$  and  $\langle x \rangle = 0.149$



# Mean values



is chiral-odd:

observable effects are given only by the product of  $h_1^q(\mathbf{x})$  and an other chiral-odd function  
can be measured in **SIDIS** on a transversely polarised target  
via “quark polarimetry”

$$l N^\uparrow \rightarrow l' h X$$

“Collins” asymmetry

“Collins” Fragmentation Function

$$l N^\uparrow \rightarrow l' h h X$$

“two-hadron” asymmetry

“Interference” Fragmentation Function

$$l N^\uparrow \rightarrow l' \Lambda X$$

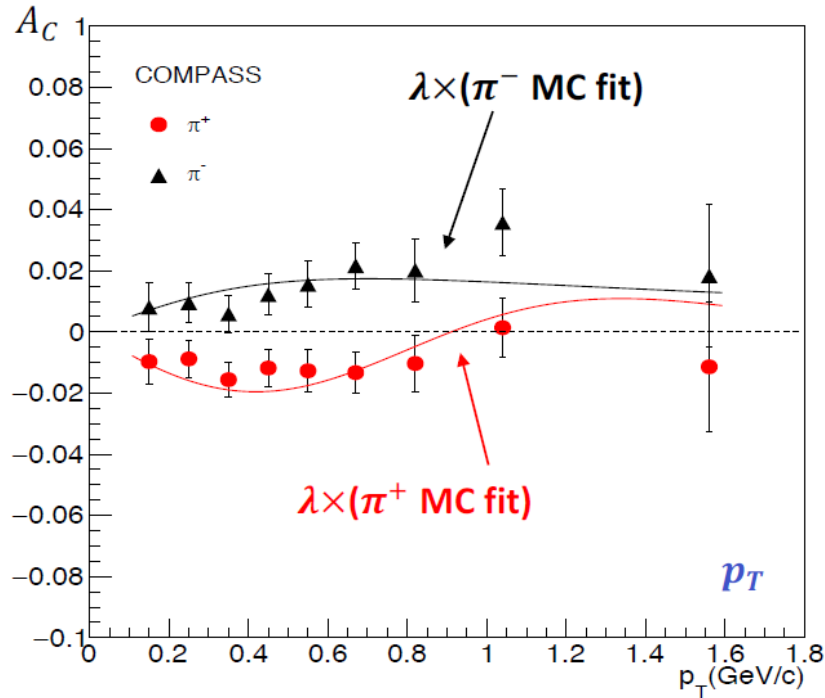
$\Lambda$  polarisation

Fragmentation Function of  $q^\uparrow \rightarrow \Lambda$



# Collins asymmetry on proton and $^3P_0$ model for FF

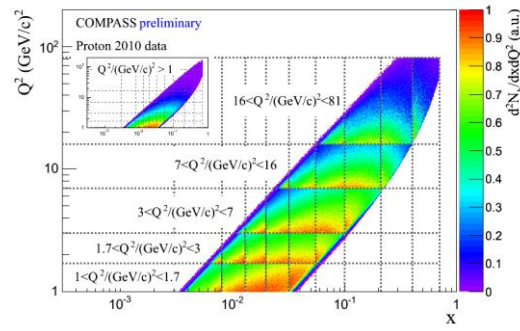
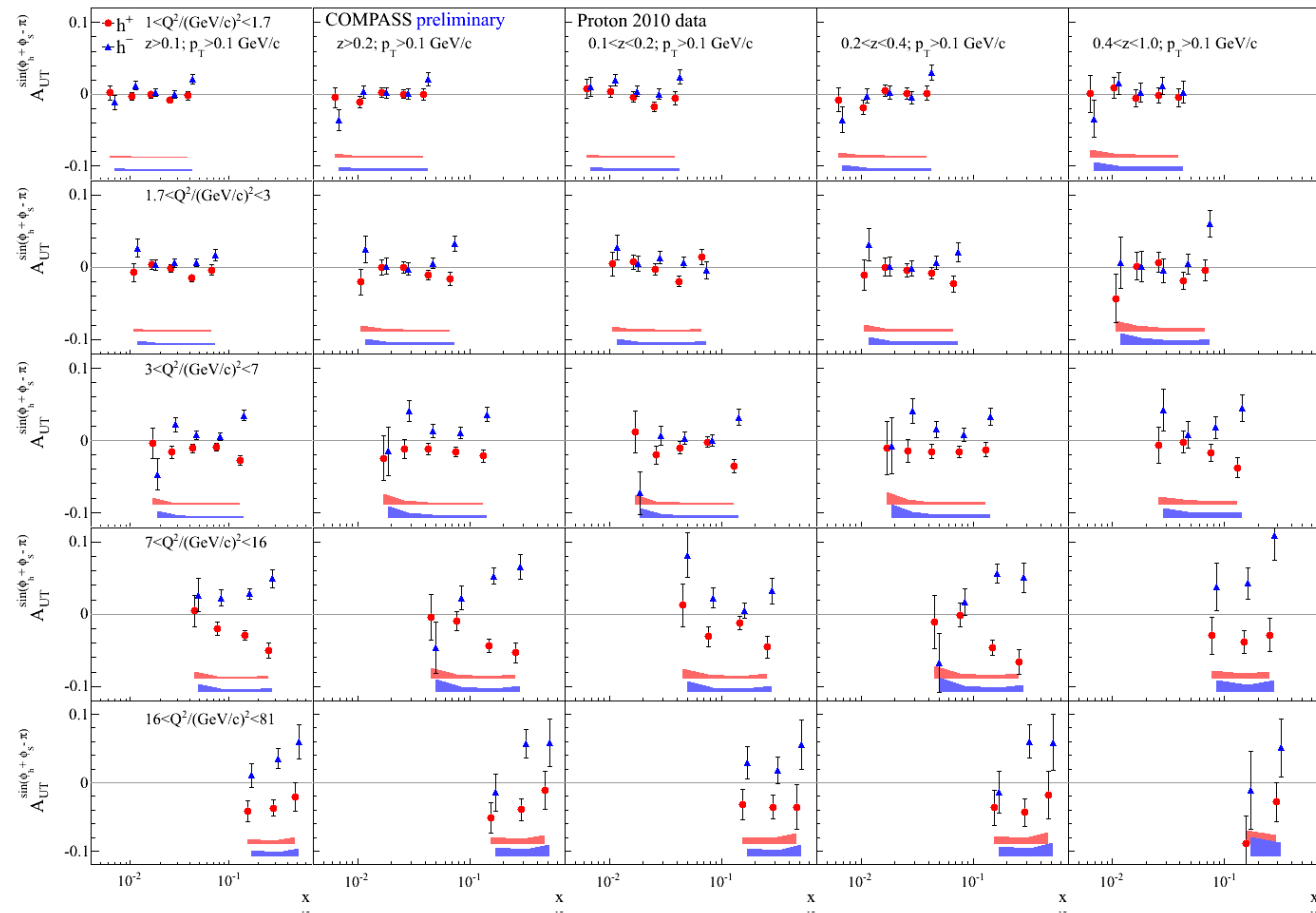
Albi Kerbizi @ DSPIN17 <http://theor.jinr.ru/~spin/2017/>



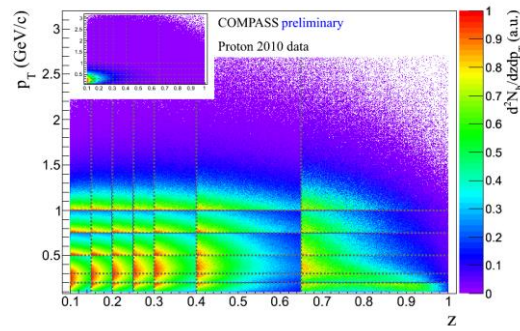
- The curves are fits of the Monte Carlo data, scaled by  $\lambda \sim \langle h_1^u / f_1^u \rangle \sim 0.055$
- Agreement with the measured Collins asymmetry is quite satisfactory

# Collins asymmetry on proton. Multidimensional

## First extraction of TSAs within a Multi-D ( $x: Q^2: z: p_T$ ) approach

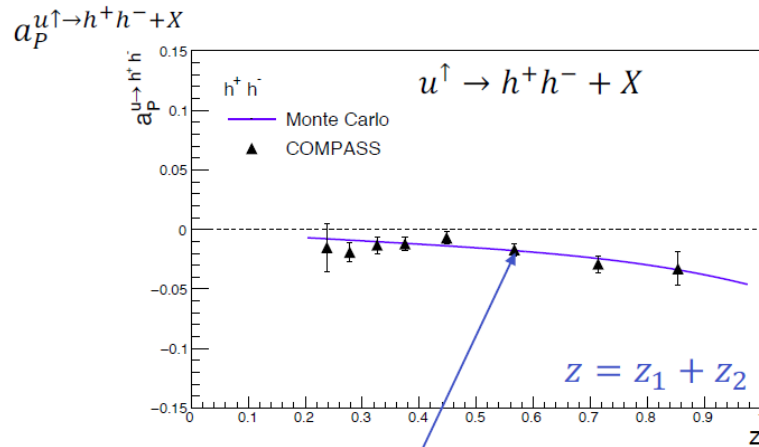


One dense plot out of many



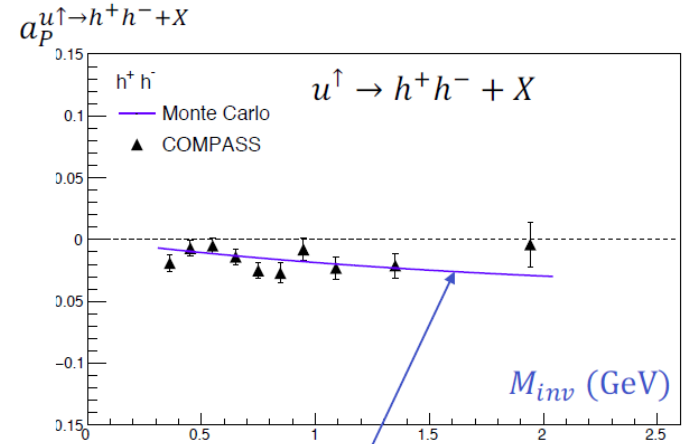
# 2h asymmetries on p

$$A_{UT}^{\sin(\phi_R + \phi_S - \pi)} = \frac{\sum_q e_q^2 h_1^q(x) H_{q \rightarrow h_1 h_2}^{\mathbb{Z}}(z, \mathcal{M}_{h_1 h_2}^2)}{\sum_q e_q^2 q(x) D_q^{h_1 h_2}(z, \mathcal{M}_{h_1 h_2}^2)}$$



$\lambda \times \text{MC fit}$

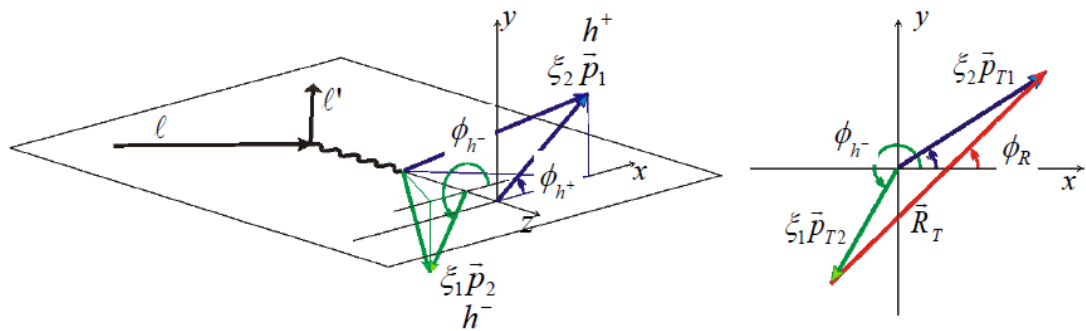
Points -> Compass (proton)



$\lambda \times \text{MC fit}$

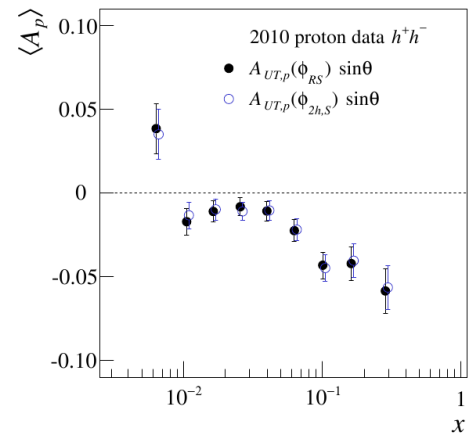
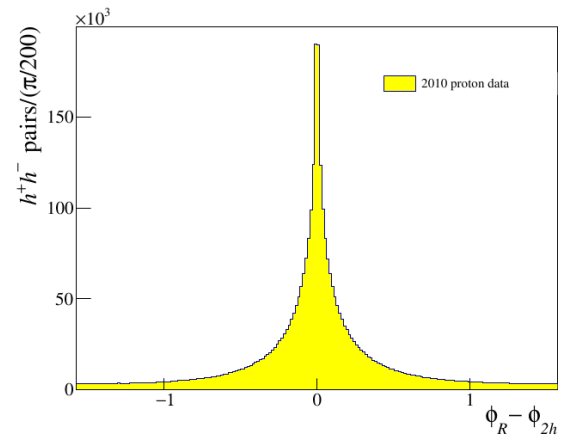
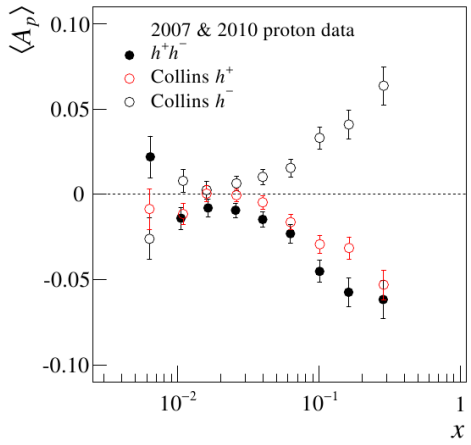
$$a_p^{u \uparrow \rightarrow h^+ h^- X} = \langle \sin(\phi_R + \phi_S - \pi) \rangle \quad \text{and} \quad \vec{R} = \frac{z_2 \vec{P}_{h_1} - z_1 \vec{P}_{h_2}}{z_1 + z_2} \quad \text{and as before } \lambda \sim \langle h_1^u / f_1^u \rangle \sim 0.055$$

# Hadron correlations

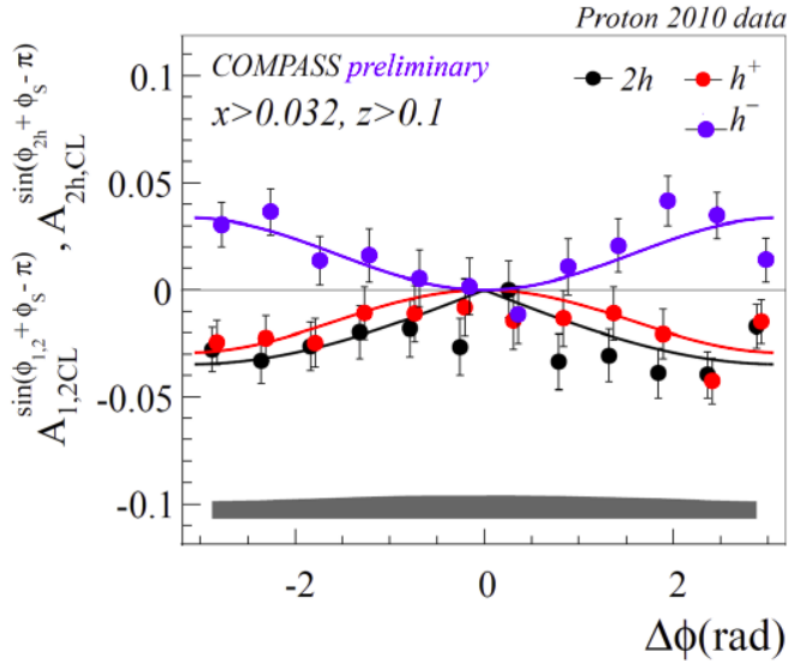


Interplay between Collins and IFF asymmetries

common hadron sample for Collins and 2h analysis



# Asymmetries for $x > 0.032$ vs $\Delta\phi = \phi_{h^+} - \phi_{h^-}$



$\text{---}$   $a \sqrt{2(1 - \cos \Delta\phi)}$   
 $\text{---}$   $a (1 - \cos \Delta\phi)$   
 $\text{---}$   $a (1 - \cos \Delta\phi)$

$a = -0.017 \pm 0.002, \chi^2/\text{n.d.f.} = 0.98$   
 $a = -0.015 \pm 0.003, \chi^2/\text{n.d.f.} = 0.65$   
 $a = 0.017 \pm 0.003, \chi^2/\text{n.d.f.} = 0.80$

$$a = \frac{\sigma_{1C}^{h^+h^-}(\Delta\phi)}{\sigma_U(\Delta\phi)}$$

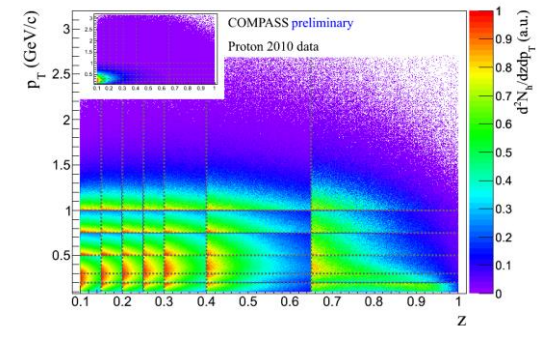
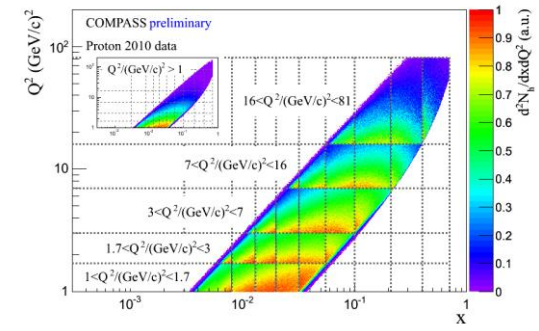
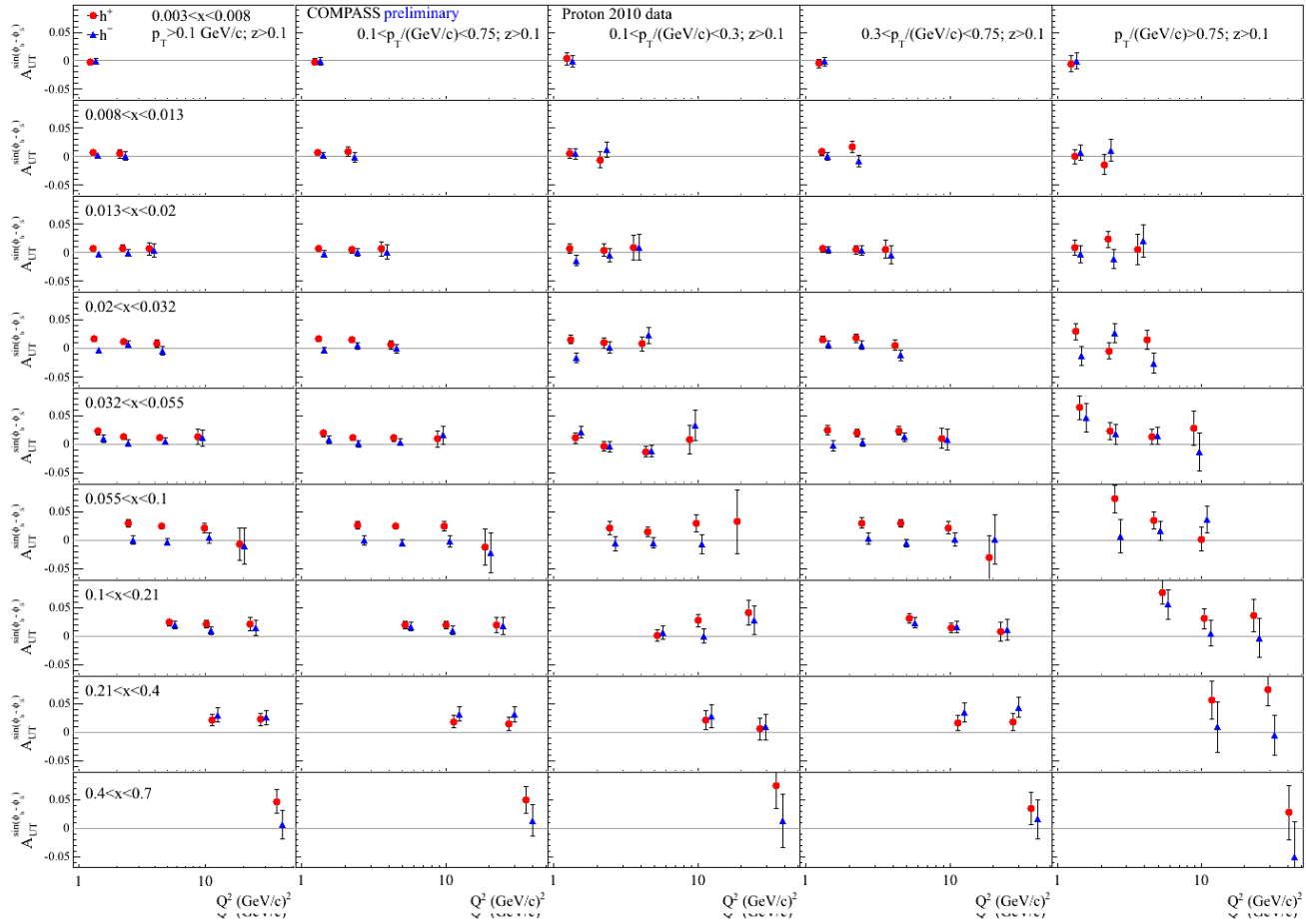
$$= - \frac{\sigma_{2C}^{h^+h^-}(\Delta\phi)}{\sigma_U(\Delta\phi)}$$

ratio of the integrals compatible with  $4/\pi$

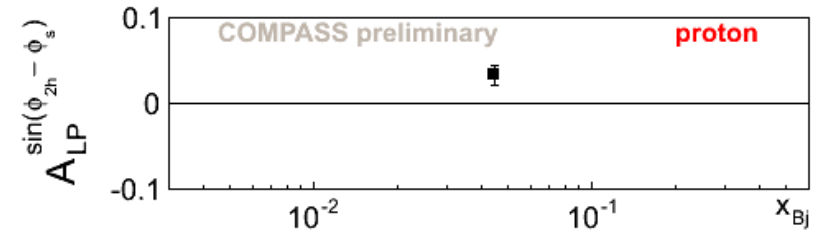
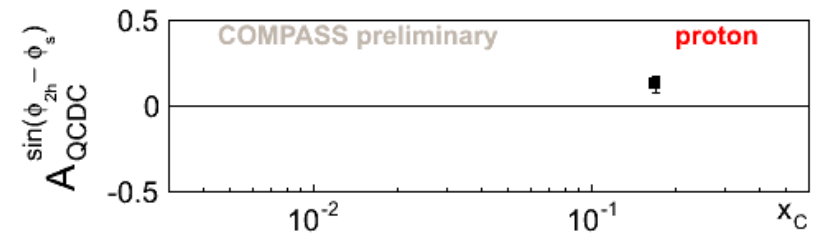
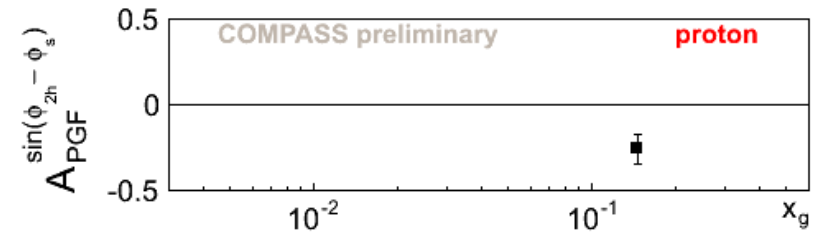
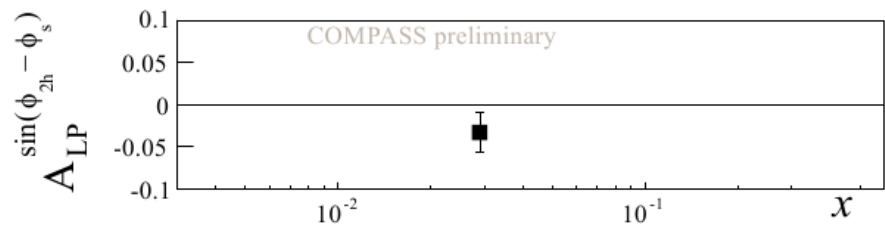
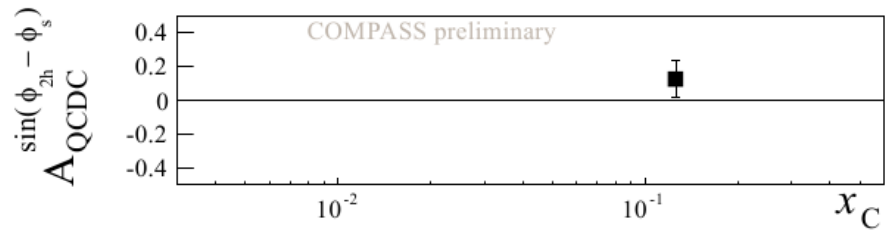
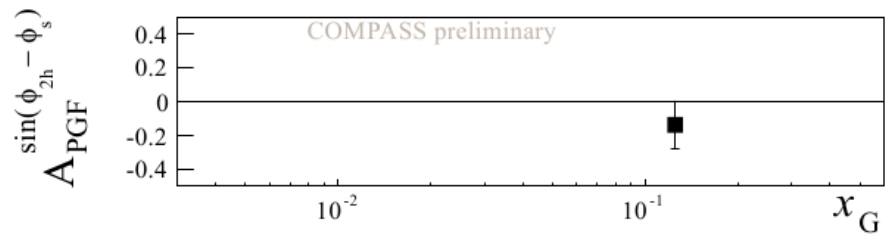
Hints for a common origin of 1h and 2h mechanisms

# Sivers asymmetry on proton. Multidimensional

First ever extraction of TSAs within such a Multi-D ( $x: Q^2: z: p_T$ ) approach



# Sivers asymmetry on deuteron and proton for Gluons



- SIDIS has opened the way to this field more than 10 years ago:
  - Collins and DiHadron asymmetries on protons are sizeable
  - The Sivers asymmetry is also different from zero and we are now probing it's pseudo universality
  - The other TMDs are small, compatible to zero in most of the cases, at present precision
  - We measured sizeable  $\cos \phi$  and  $\cos 2\phi$  asymmetries but we don't really know yet if the Boer-Mulders TMD PDF is different from zero
  - The measurement of the azimuthal asymmetries on protons is one of the tasks of the analysis of the near future

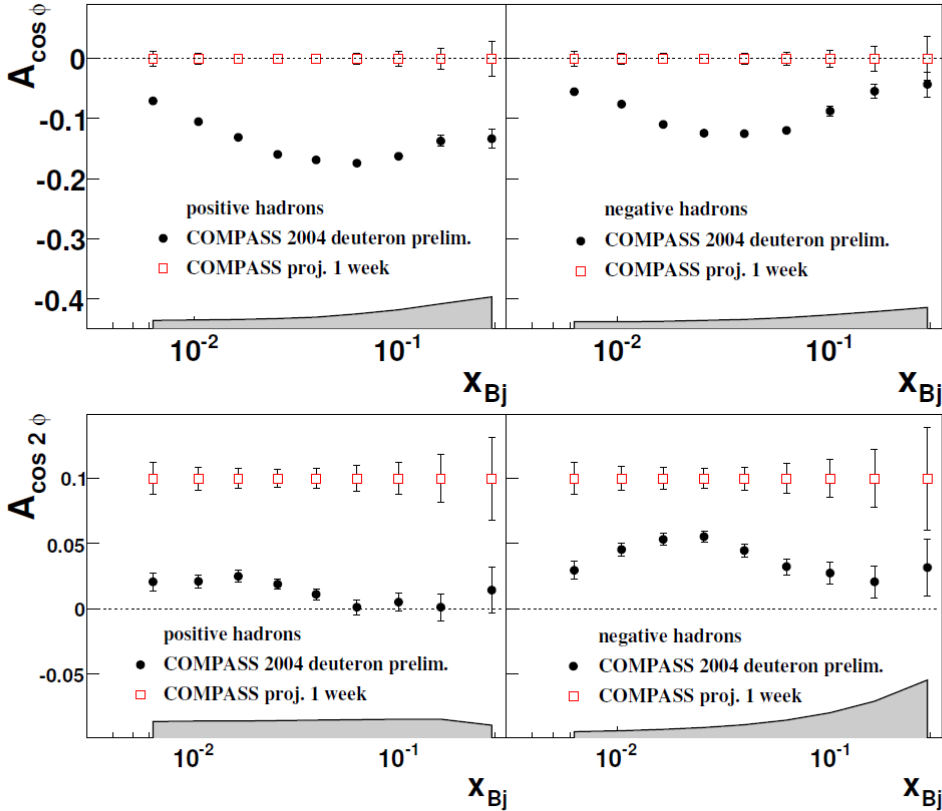


- Let us start with what was sent in 2012 for the European Strategy group

**Table 2:** Summary of the different physics items for the far and near future. Already approved measurements are in bold.

	physics item	key aspects of the measurement
GPD	<b>H</b> <b><i>t</i>-slope parameter B</b> E	<b>RPD, Beam Charge and Spin Asymmetries</b> <b><math>d\sigma/dt</math></b> transversely polarized proton target
SIDIS	<b>hadron multiplicities for <math>\pi</math> and <math>K</math></b> <b><math>h_{1,u}^\perp, h_{1,d}^\perp</math></b> $h_1^d$ with same accuracy as $h_1^u$ $f_1^\perp$ evolution	<b>PID and absolute acceptance</b> <b>azimuthal modulations and PID</b> transversely polarized deuteron target 100 GeV and transversely polarized proton target
DY	<b>sign change for <math>f_1^\perp</math> and <math>h_1^\perp</math></b> universality of TMD PDFs flavor separation test of the Lam-Tung relation EMC effect in DY	<b>transversely polarized proton target</b> higher statistics with transversely polarized proton target transversely polarized deuteron target hydrogen target different nuclear targets

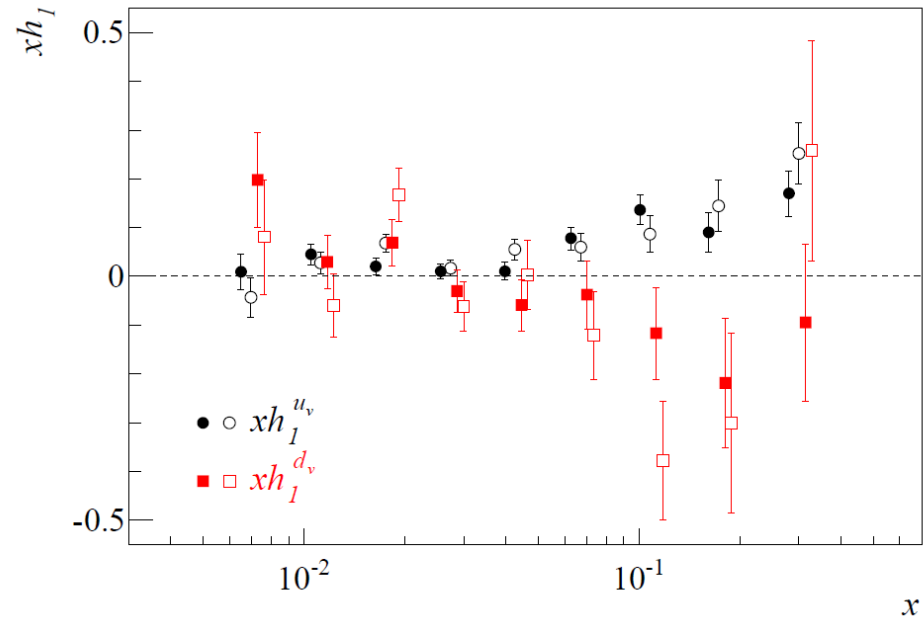
# From 2016 and 2017 running with the LH<sub>2</sub> target



Moreover we will extract  $P_{hT}$  dependent hadron multiplicities on protons

- Poin-to-poiny extraction [Physical Review D 91, 014034 (2015)]
- Keep in mind that we are the only one to have measured TSA on deuteron

Open points/squares – from dihadron  
 Closed points/squares – from Collins



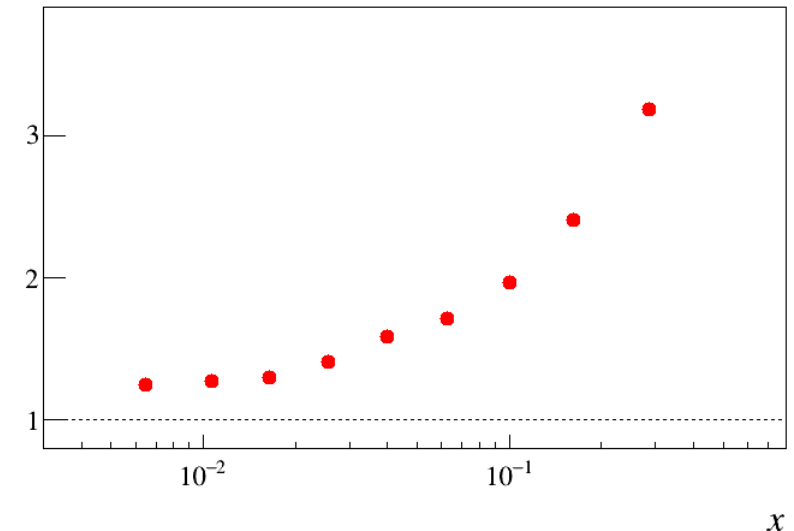
**ERRORS ON  $h_1^d$  ARE A FACTOR 4 LARGER THAT THE ONES ON  $h_1^u$**

# From ${}^6\text{LiD}$ (2002 – 2004) to $\text{NH}_3$ (2007 – 2010)

- We have done many progresses:
  - New 3 cells target / 1.3 gain due to larger diameter
  - New superconducting magnet / Factor 2.5 increase of acceptance at large  $x$
  - New large  $x$  trigger with LAST / Factor 2 increase at large  $x$
  - Statistics (partially lost given  $\frac{f_p P_{pT}}{f_D P_{DT}} = 0.6$ )

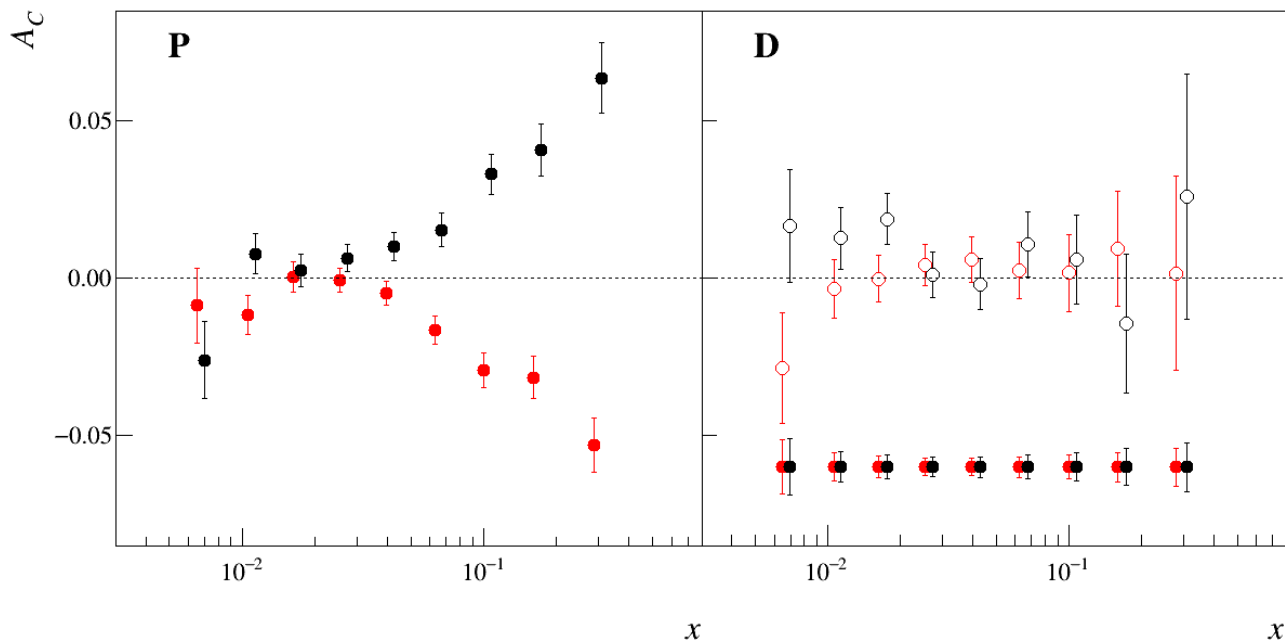
ALL IN ALL A TOTAL FACTOR OF >10

$\sigma_D/\sigma_p$



# New deuteron data

- 1 full year (same as 2010). We also gain from  $\frac{f_p^{P_{pT}}}{f_D^{P_{DT}}} = \frac{0.155 \times 0.8}{0.40 \times 0.5} = 0.6$



# From Collins asymmetries to transversity

- Following Physical Review D 91, 014034 (2015), in the valence region

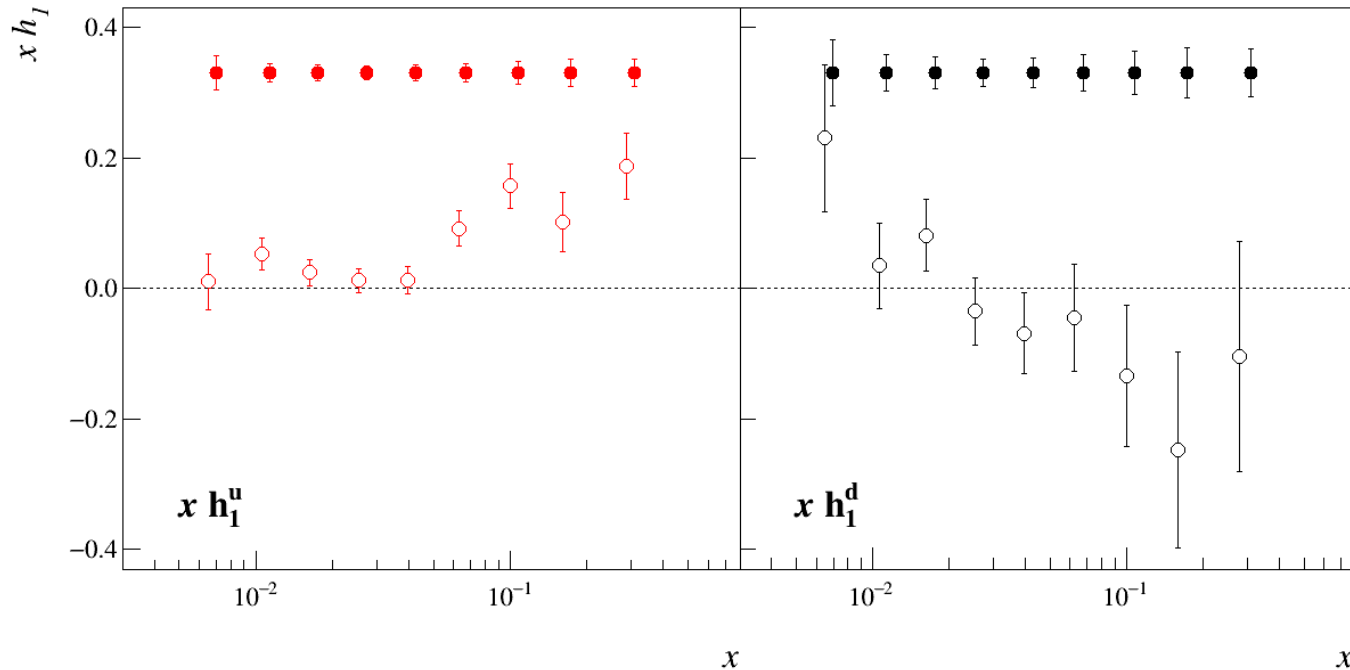
$$xh_1^u = \frac{1}{5} \frac{1}{\tilde{a}_p^h (1 - \tilde{\alpha})} \left[ (xf_p^+ A_p^+ - xf_p^- A_p^-) + \frac{1}{3} (xf_d^+ A_d^+ - xf_d^- A_d^-) \right]$$

$$xh_1^d = \frac{1}{5} \frac{1}{\tilde{a}_p^h (1 - \tilde{\alpha})} \left[ \frac{4}{3} (xf_d^+ A_d^+ - xf_d^- A_d^-) - (xf_p^+ A_p^+ - xf_p^- A_p^-) \right]$$

With  $\tilde{a}_p^h$  and  $\tilde{\alpha}$  constants

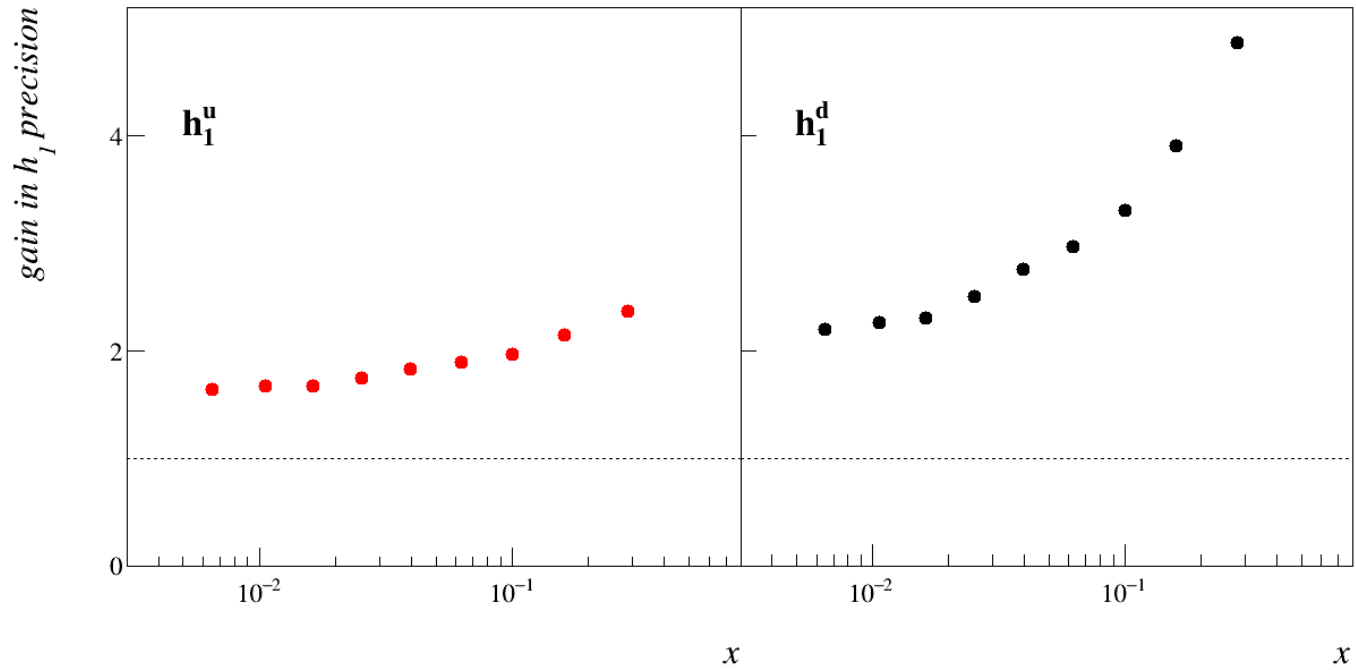
# New deuteron data

- 1 full year (same as 2010). We also gain from  $\frac{f_p P_{pT}}{f_D P_{DT}} = \frac{0.155 \times 0.8}{0.40 \times 0.5} = 0.6$



**THIS IS A MEASUREMENT THAT WILL IMPACT OUR KNOWLEDGE,  
BEFORE THE START OF AN EIC**

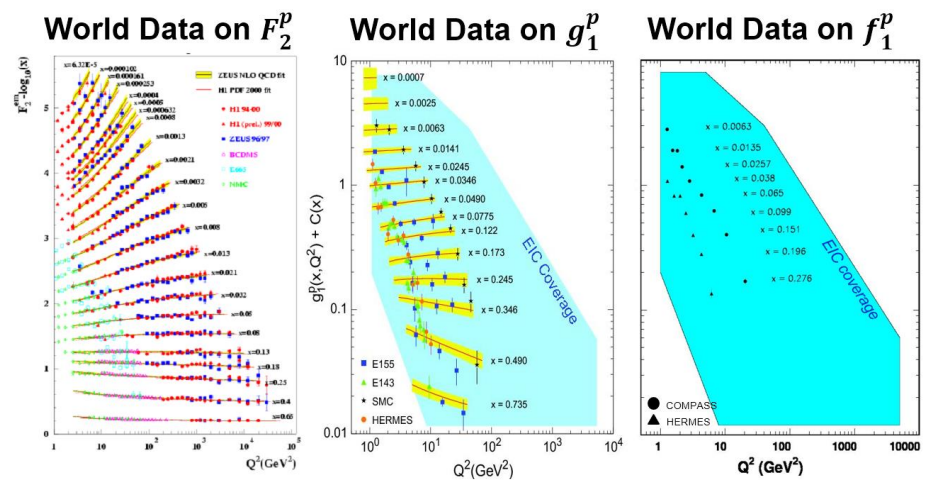
# New deuteron data





# Conclusions

- The study of TMDs has entered the phase of multidimensional analysis
- An important step in this direction is the large sample of precise unpolarised data, both as multiplicities and as azimuthal modulations
- In the next years more of such data will be available both from COMPASS and from JLab12
- Waiting for the EIC to extend the accessible phase space, the description of such data is a mandatory task for the theory of TMDs





Thank you