# **Exclusive Physics at HERMES and COMPASS**



- The experiments
- DVCS
- DMVP
- Outlook

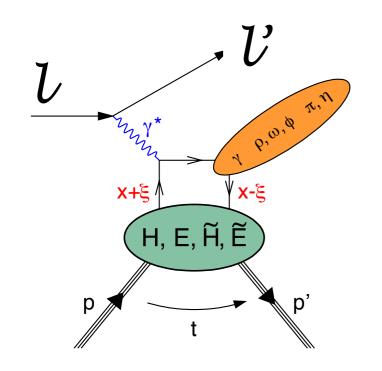
### **Caroline Riedl**





EDS Blois 2015, 16<sup>th</sup> International Conference on Elastic and Diffractive Scattering Borgo-Corsica, June 29 - July 3, 2015

OMPAS



### **Hard-exclusive reactions**

$$lp \to lp\gamma$$

 $lp \rightarrow lpM$ 

GPD E and Sivers

function involve

**Deeply Virtual Compton** Scattering (**DVCS**)

**Deeply Virtual** Meson Production (**DVMP**)

#### **Generalized Parton Distributions**

flips nucleon

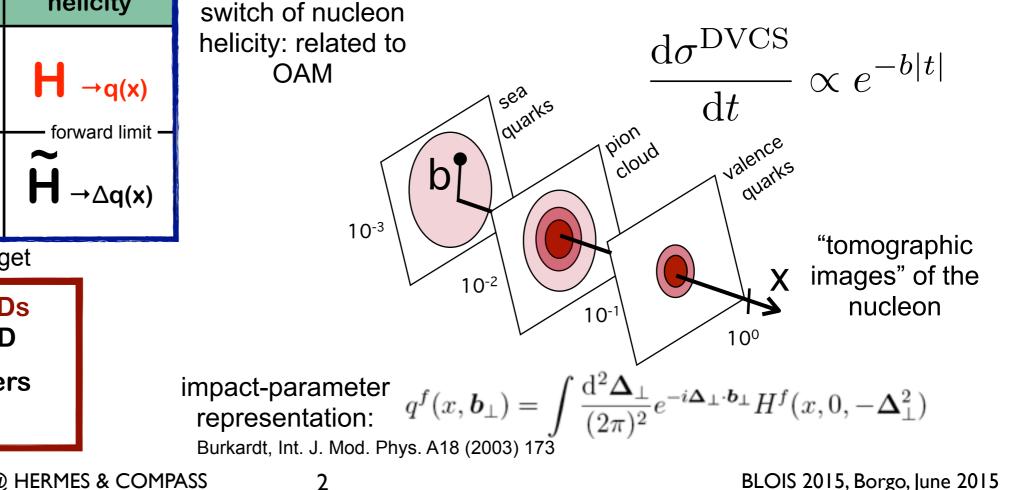
conserves

nucleon

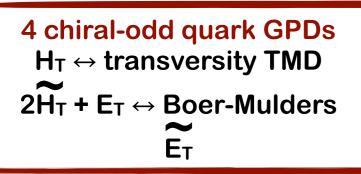
4 chiral-

#### **Transverse imaging:** transverse size of nucleus

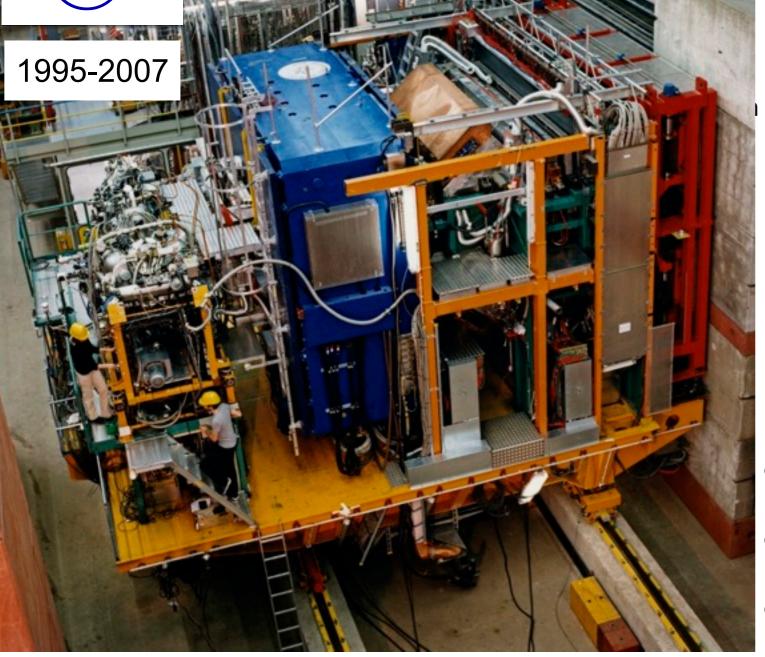
b = "t-slope" = average impact parameter



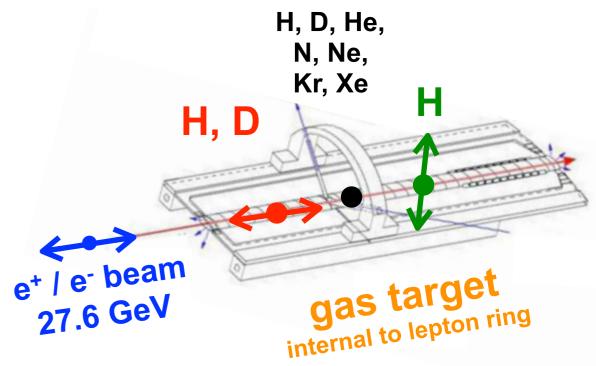
even quark helicity helicity **GPDs** does not **E** ↔ Sivers depend on quark helicity Ĩ depends on quark helicity @leading twist for a spin-1/2 target



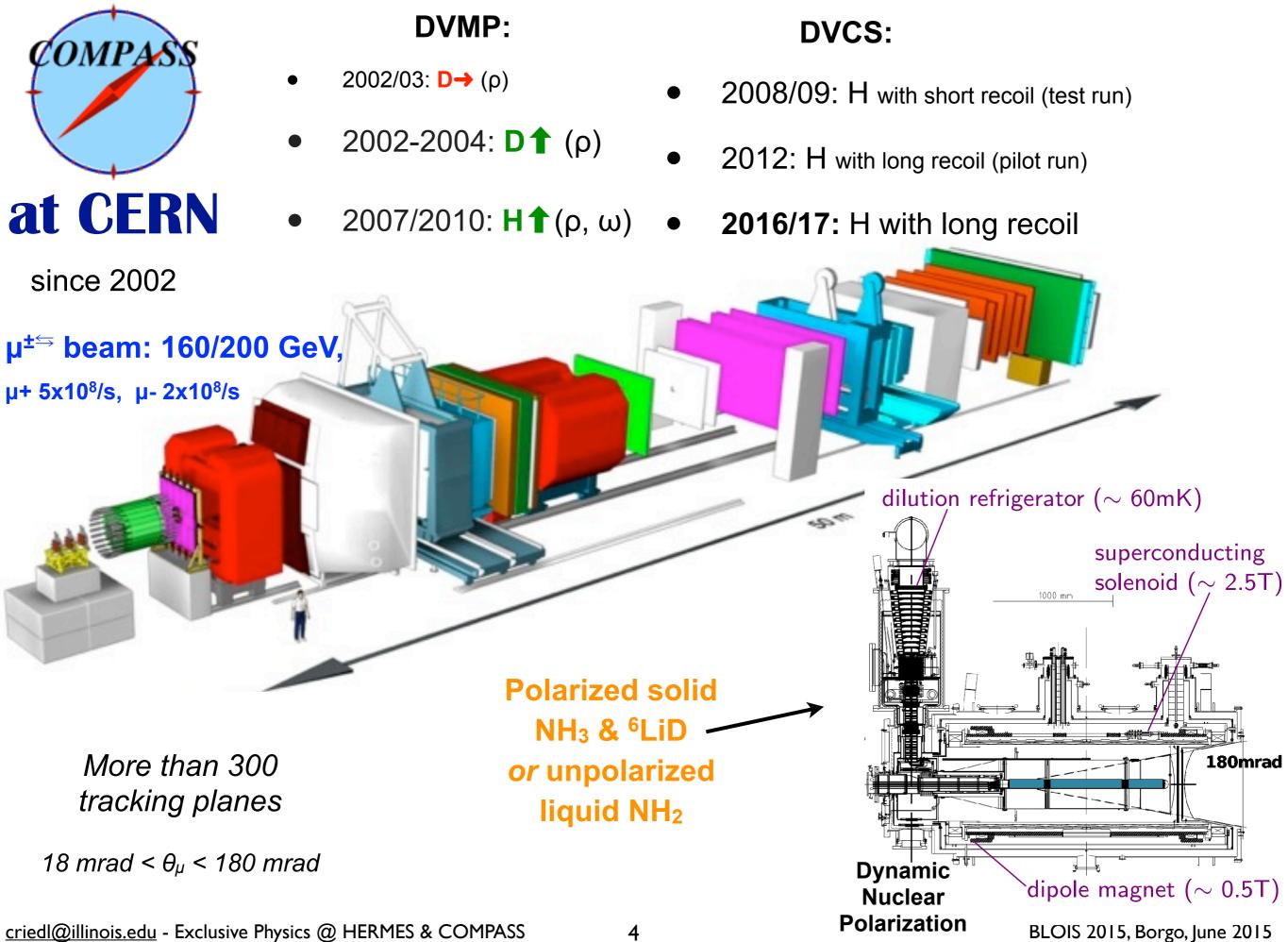
### at DESY: exclusive measurements

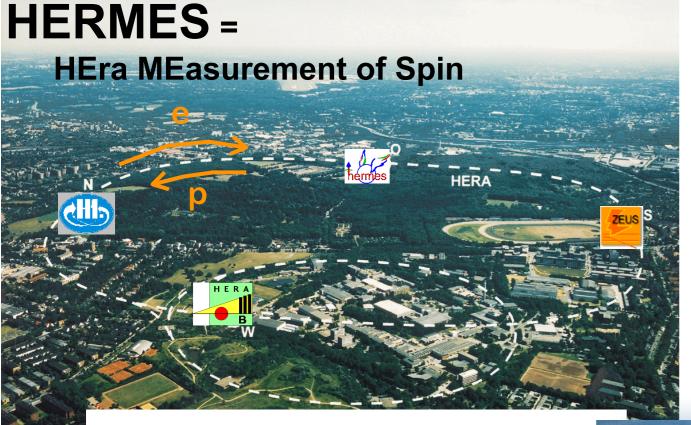


ermes



- 1996-2007: **H, D,** *He, N, Ne, Kr, Xe*
- 2006/2007: **H**, **D** with recoil
- 1996/97: H→
- 1999/2000: **D→**
- 2002-2005: **H**





Hamburg, Germany

#### HERA @ DESY retired 30.6.2007

#### COMPASS

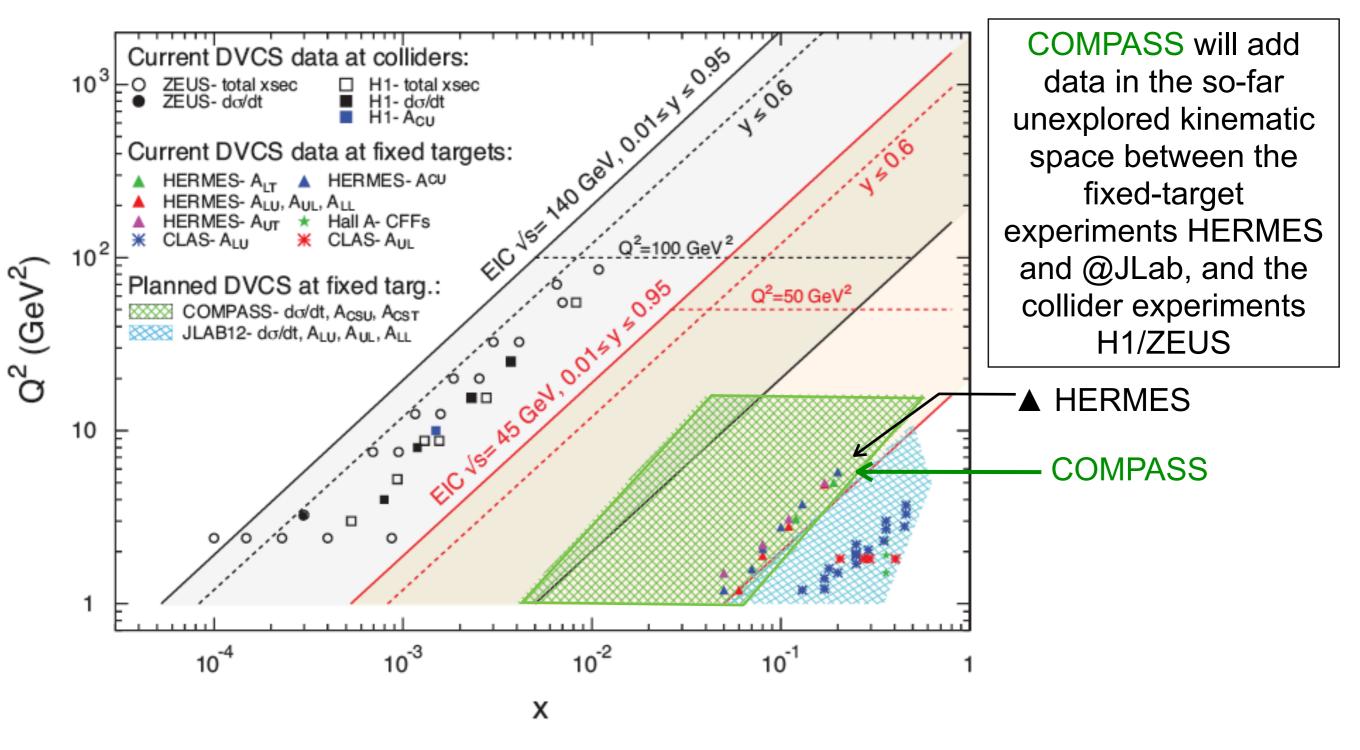
= COmmon Muon and Proton Apparatus for Structure and Spectroscopy

Geneva, Switzerland /

> Prevessin, France

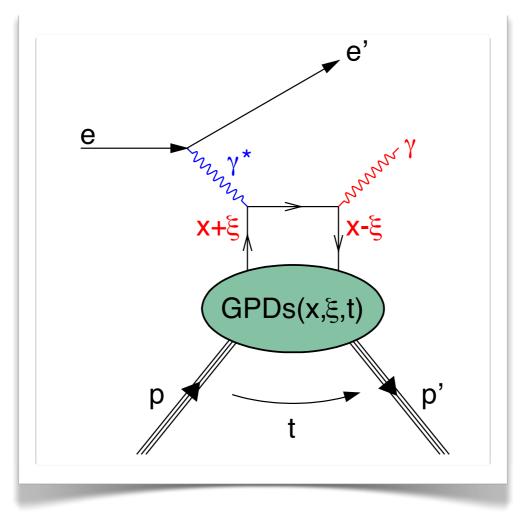
sin, e

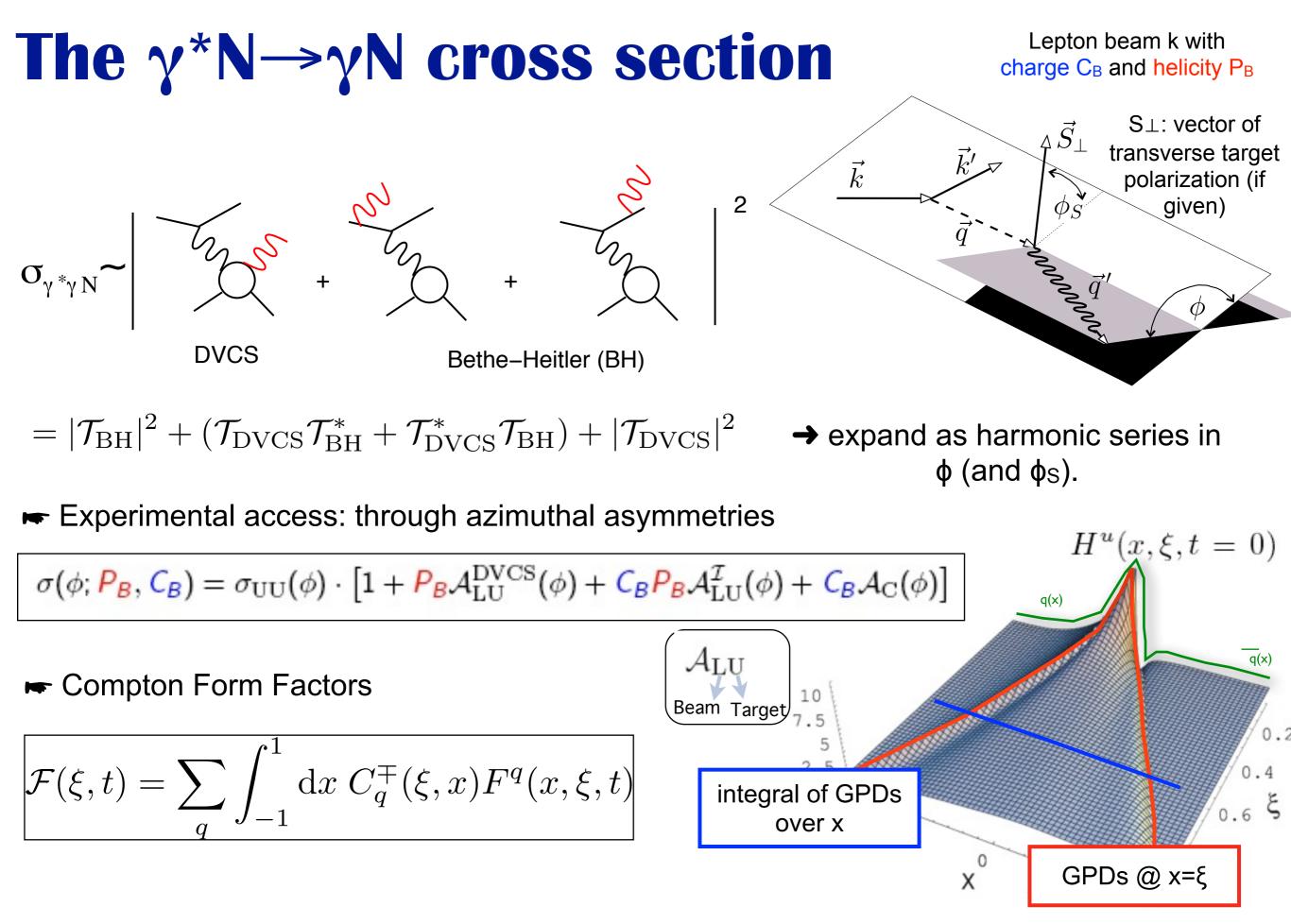
### **DVCS: kinematic coverage**



"Deeply Virtual Compton Scattering at a Proposed High-Luminosity Electron-Ion Collider", E.-C. Aschenauer, S. Fazio, K. Kumericki and D. Mueller, <u>arXiv:1304.0077</u>

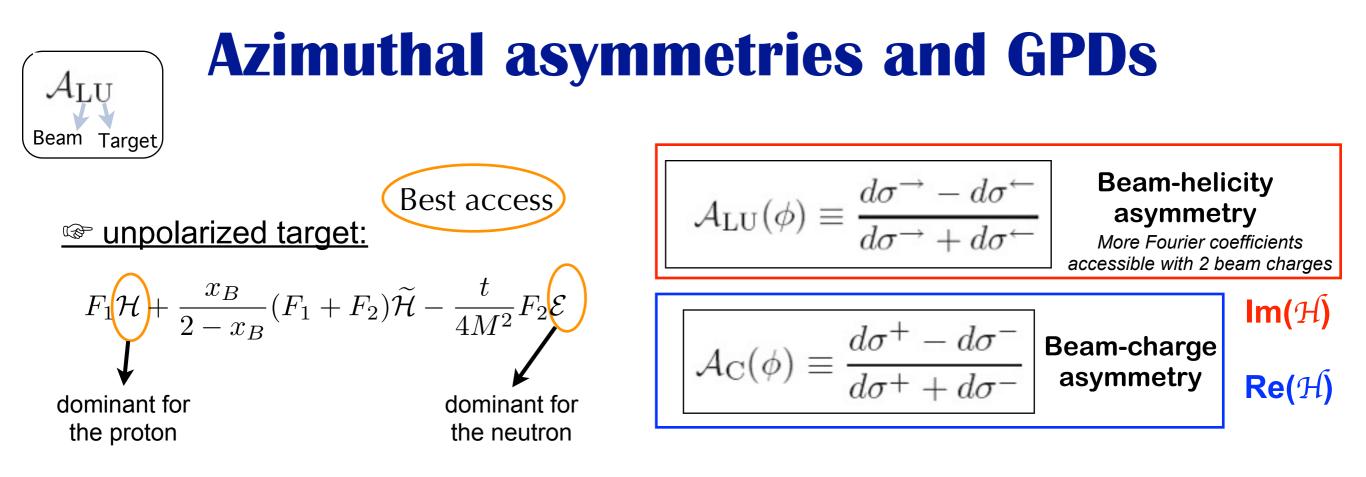
### **Deeply Virtual Compton Scattering**

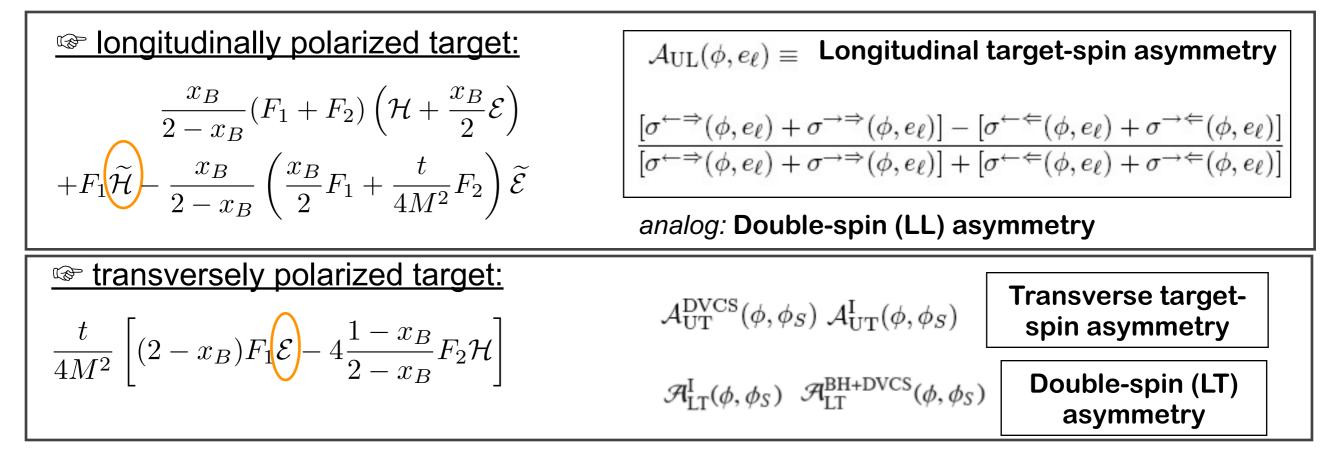


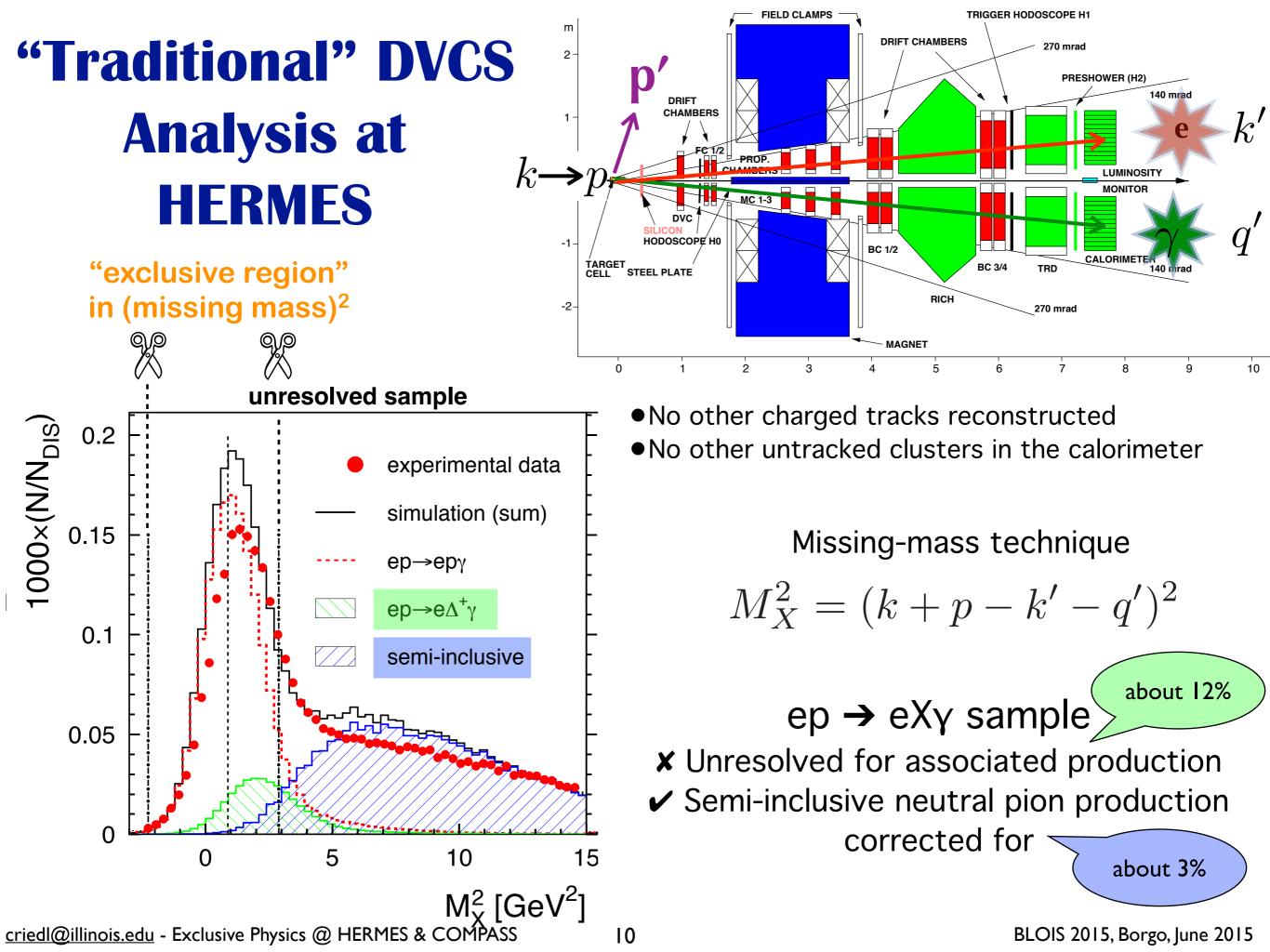


8

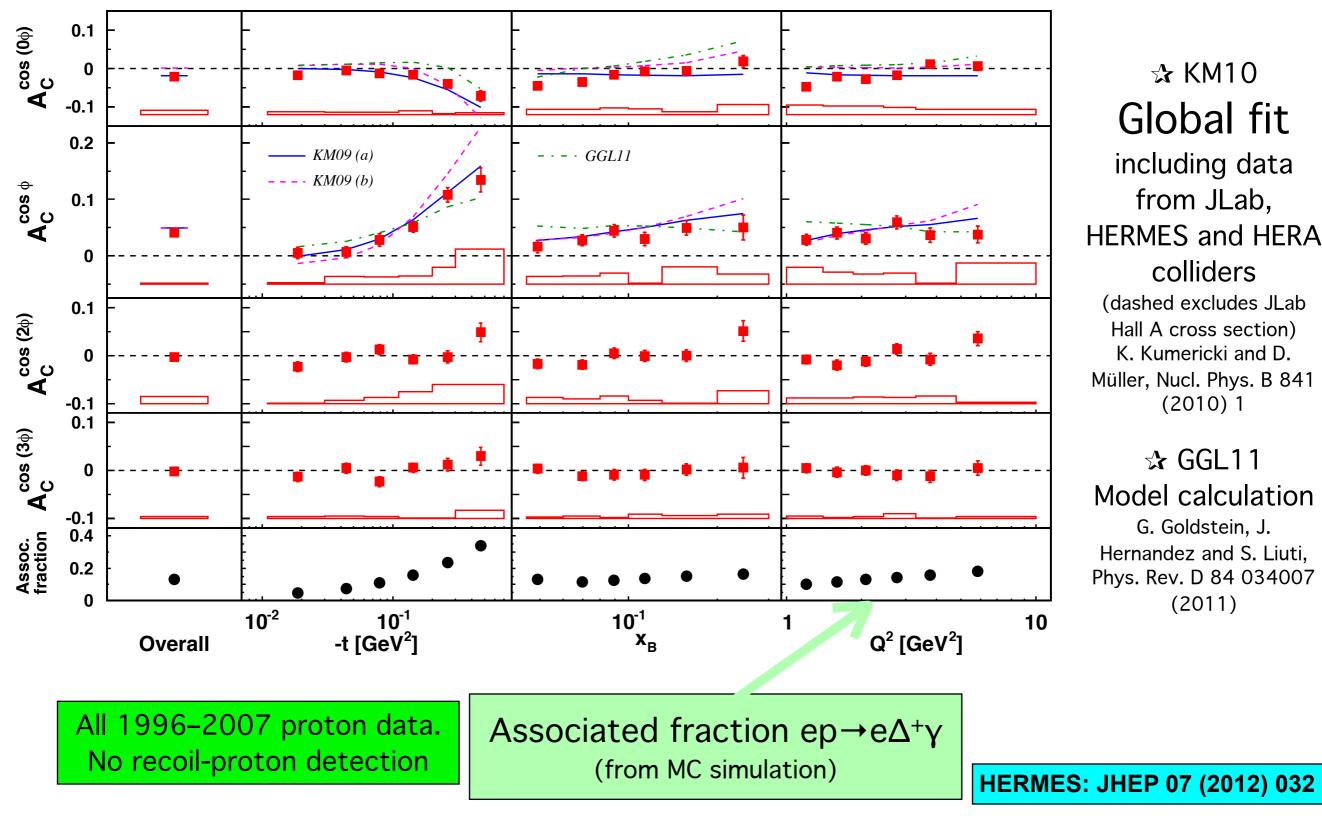
#### BLOIS 2015, Borgo, June 2015







### **HERMES: beam-charge asymmetry**

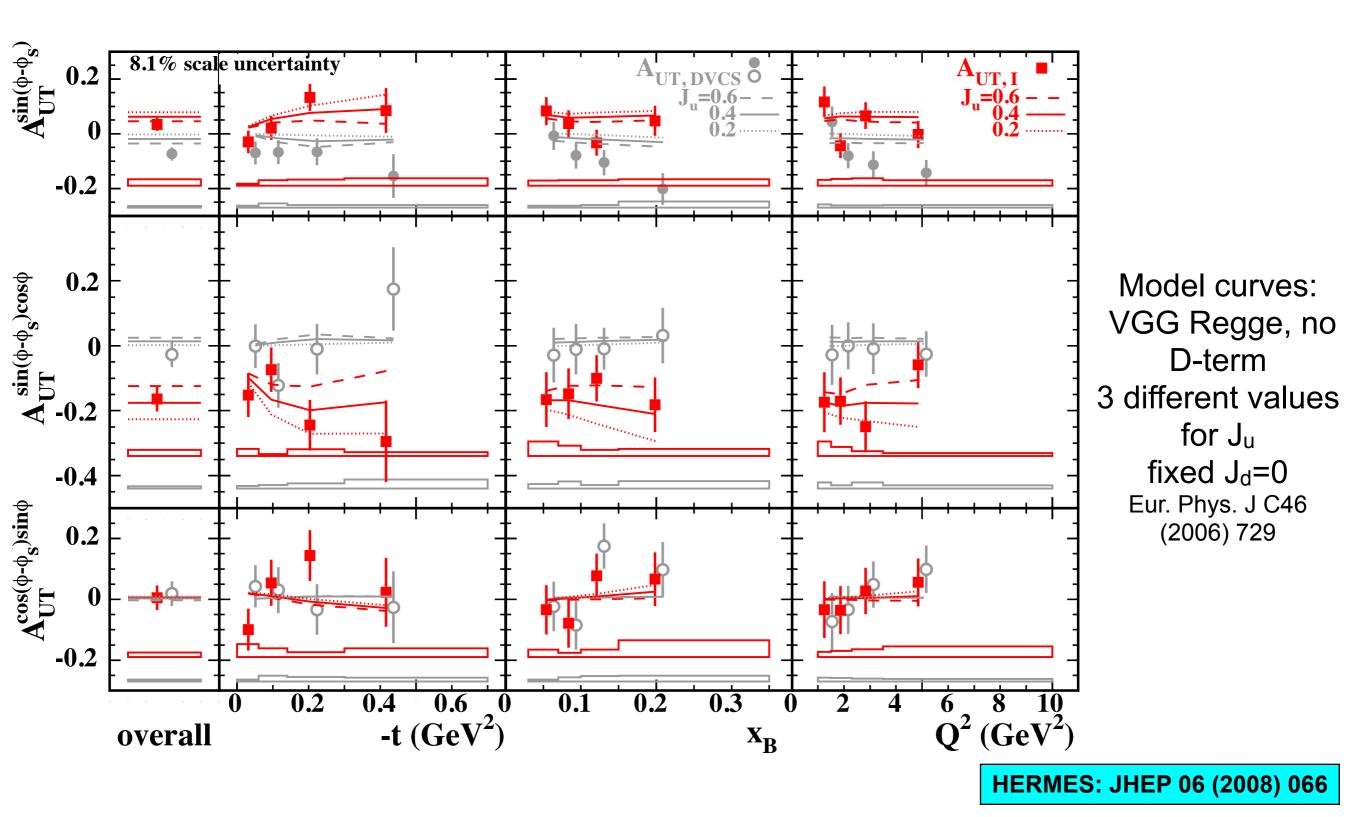


**GPD H** 

Re(T<sub>DVCs</sub>)

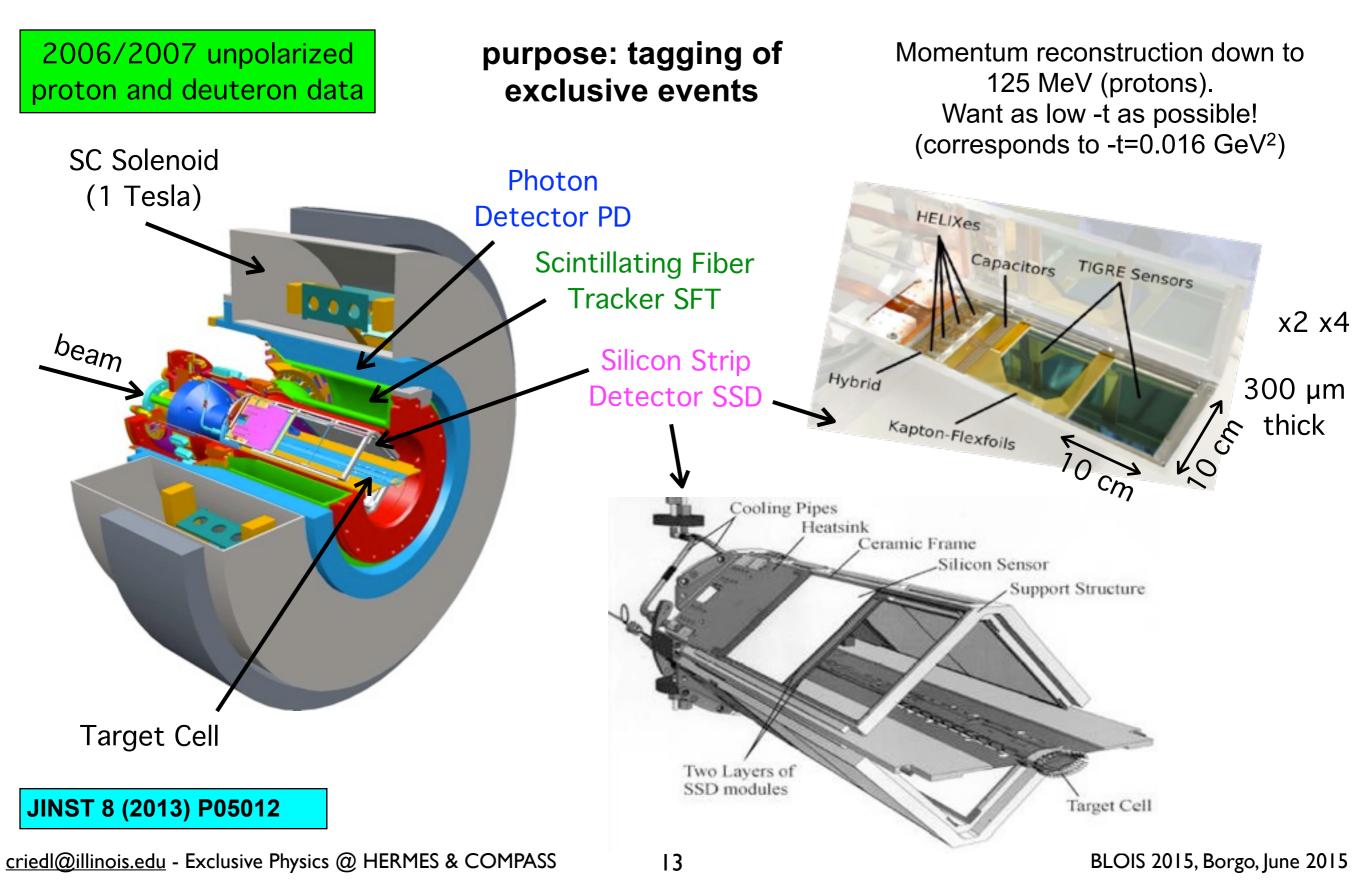
**BCA** 

### **HERMES: transverse target-spin asymmetry**



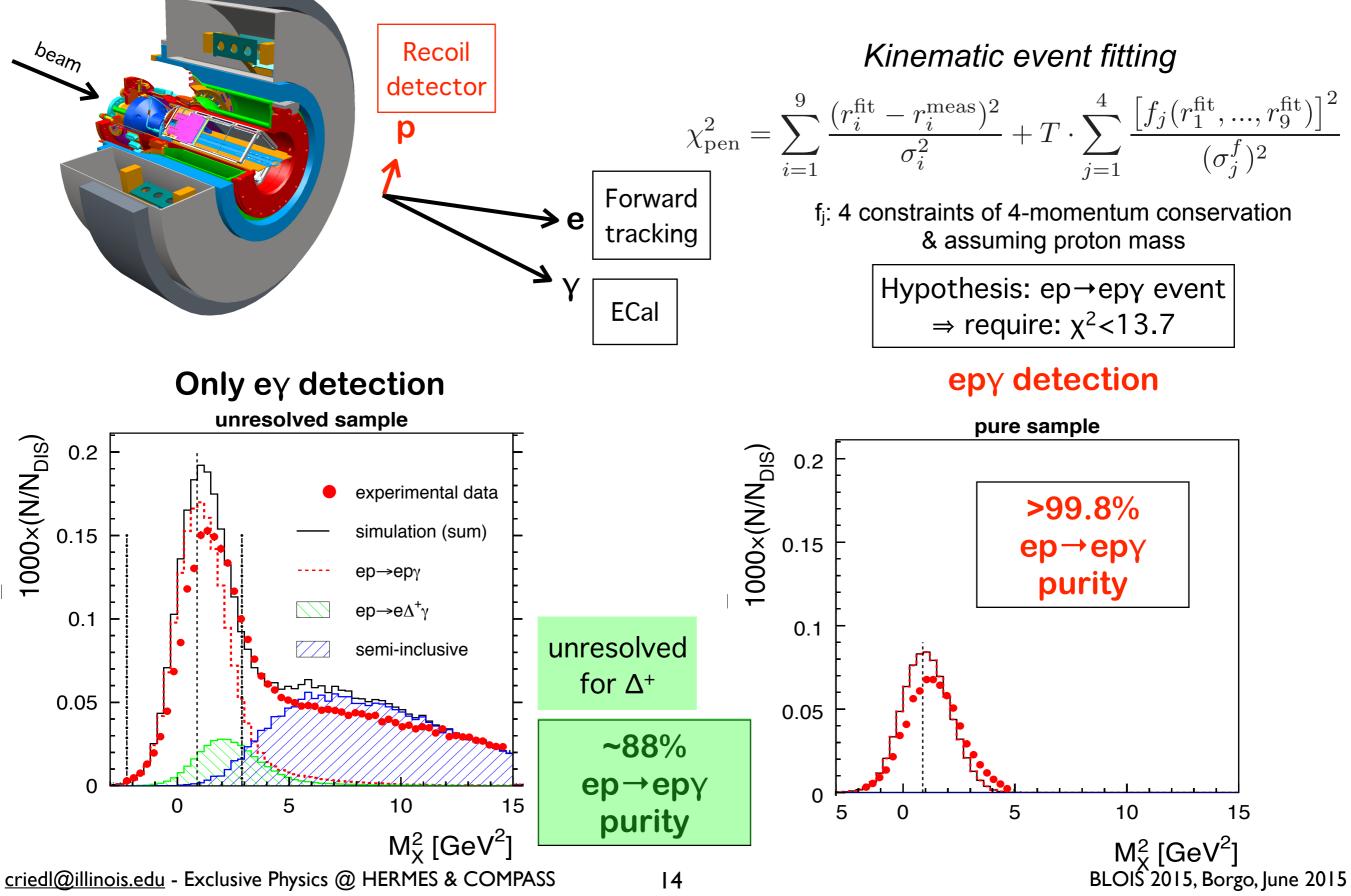
**GPD E** 

### **The HERMES Recoil Detector**



### Improvement by recoil detector

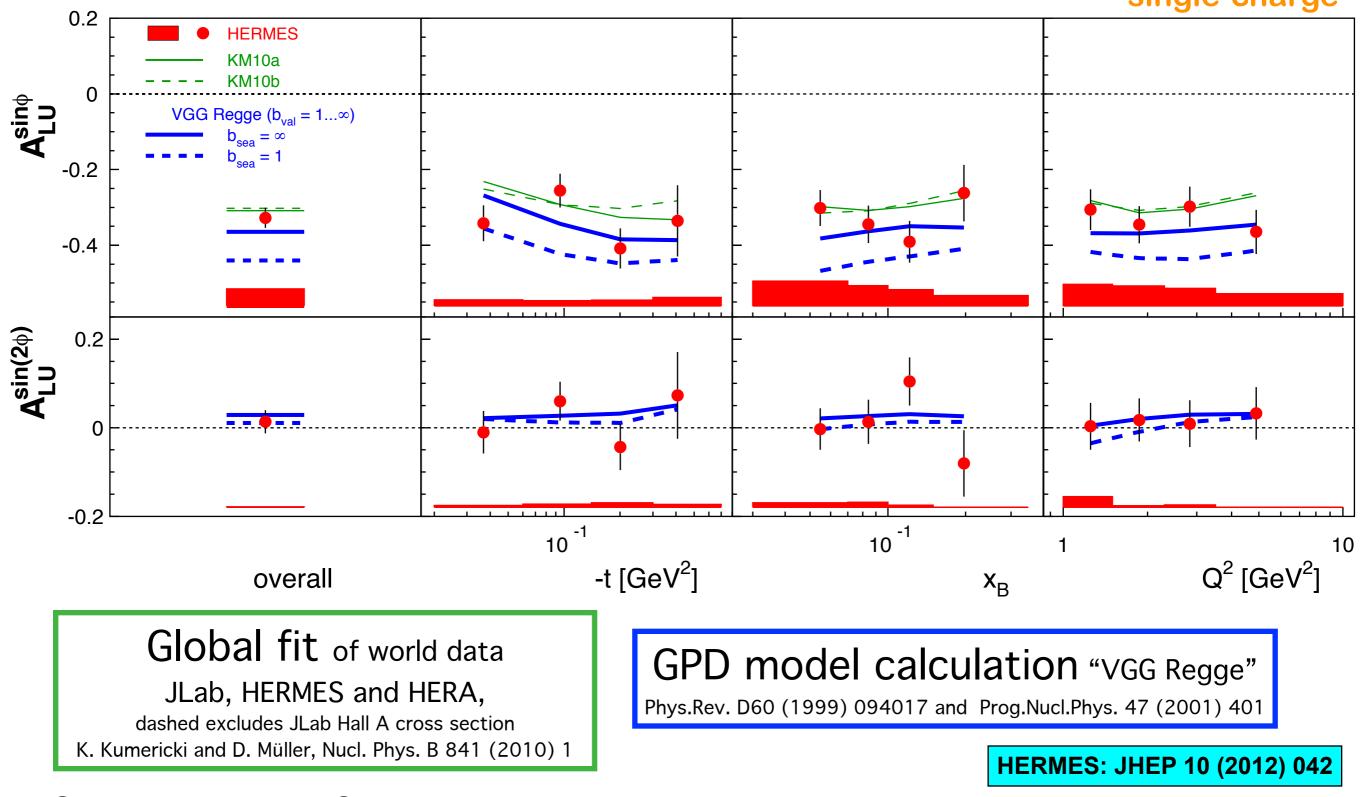
### **Adding the Recoil Proton**



### HERMES (with recoil proton): beam-helicity asymmetry



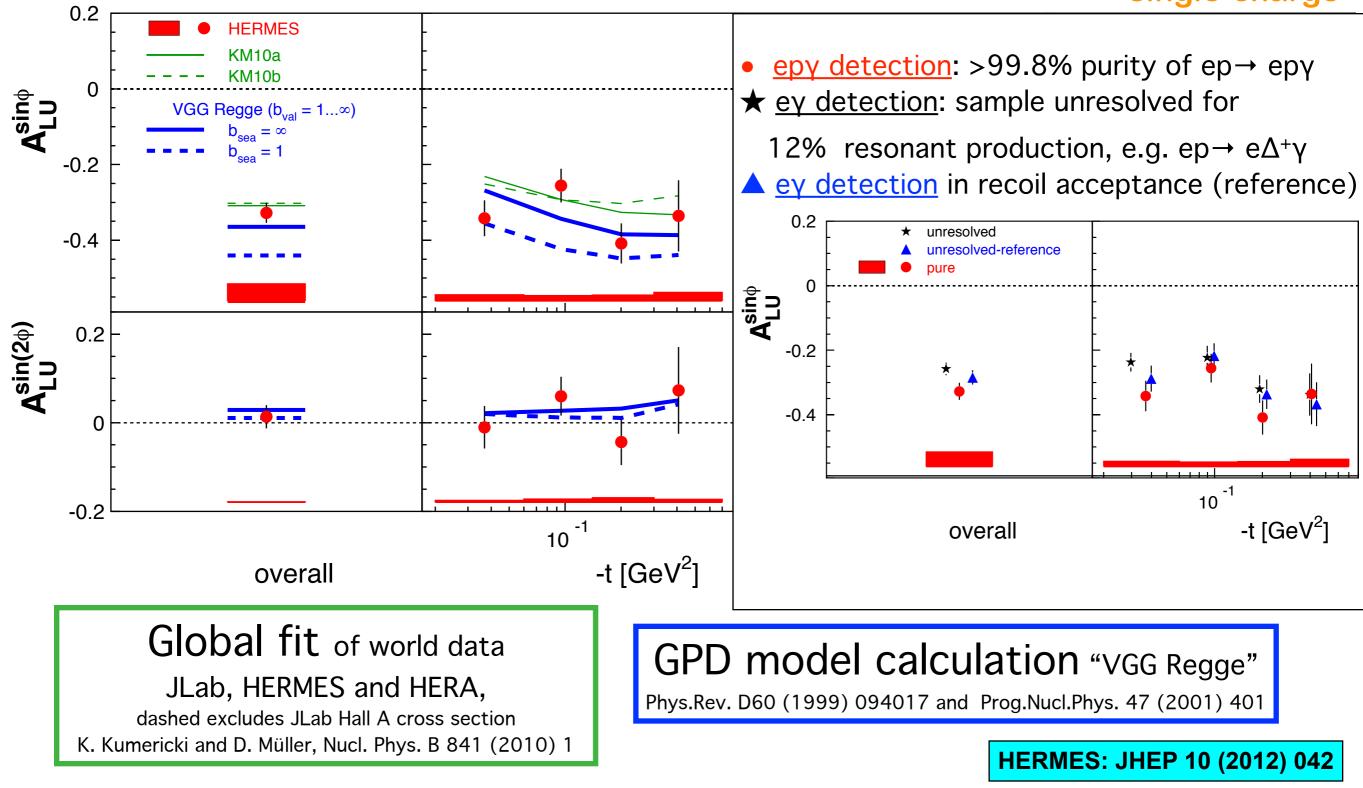
single-charge

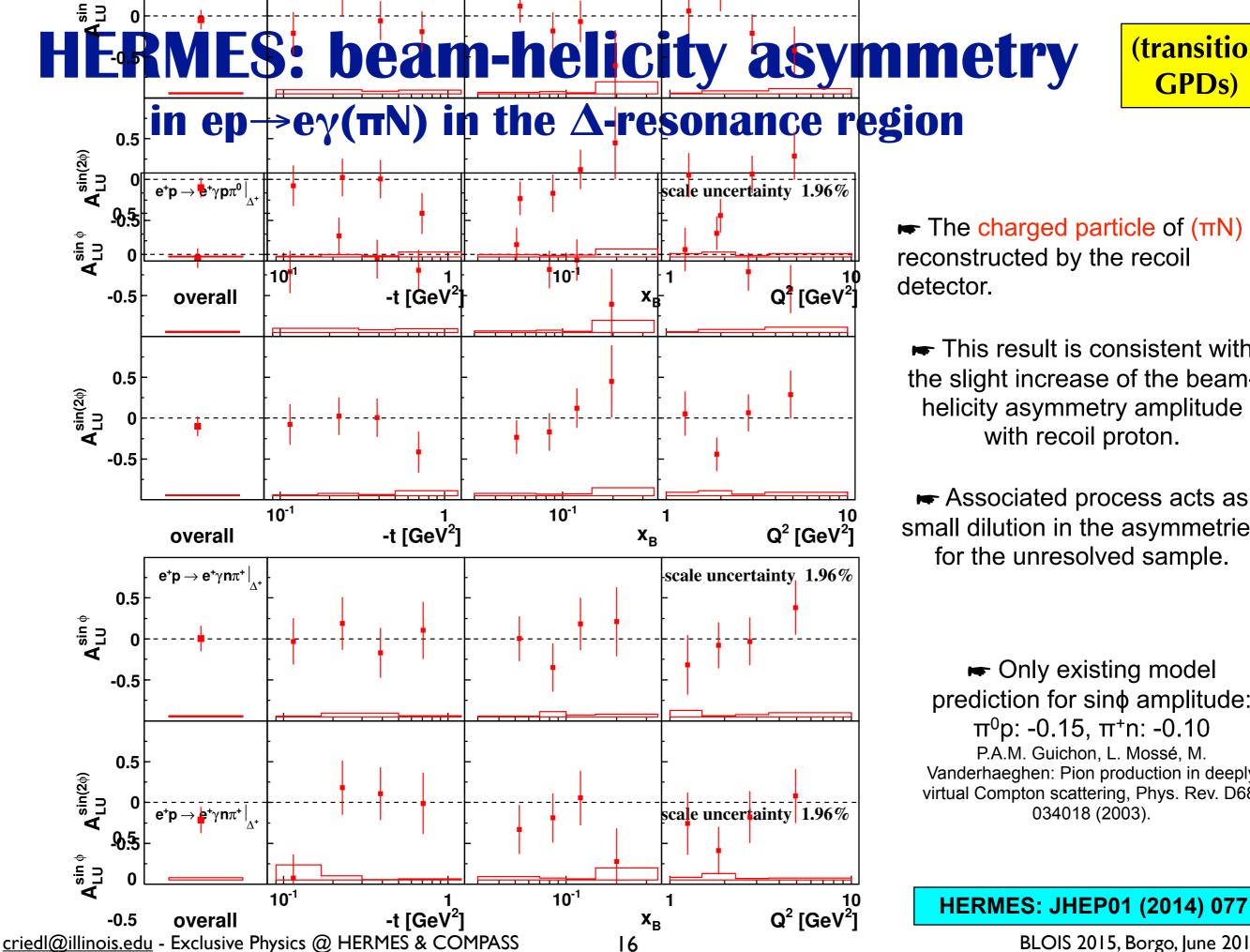


## HERMES (with recoil proton): beam-helicity asymmetry



single-charge





 $rac{}$  The charged particle of ( $\pi N$ ) reconstructed by the recoil

(transition

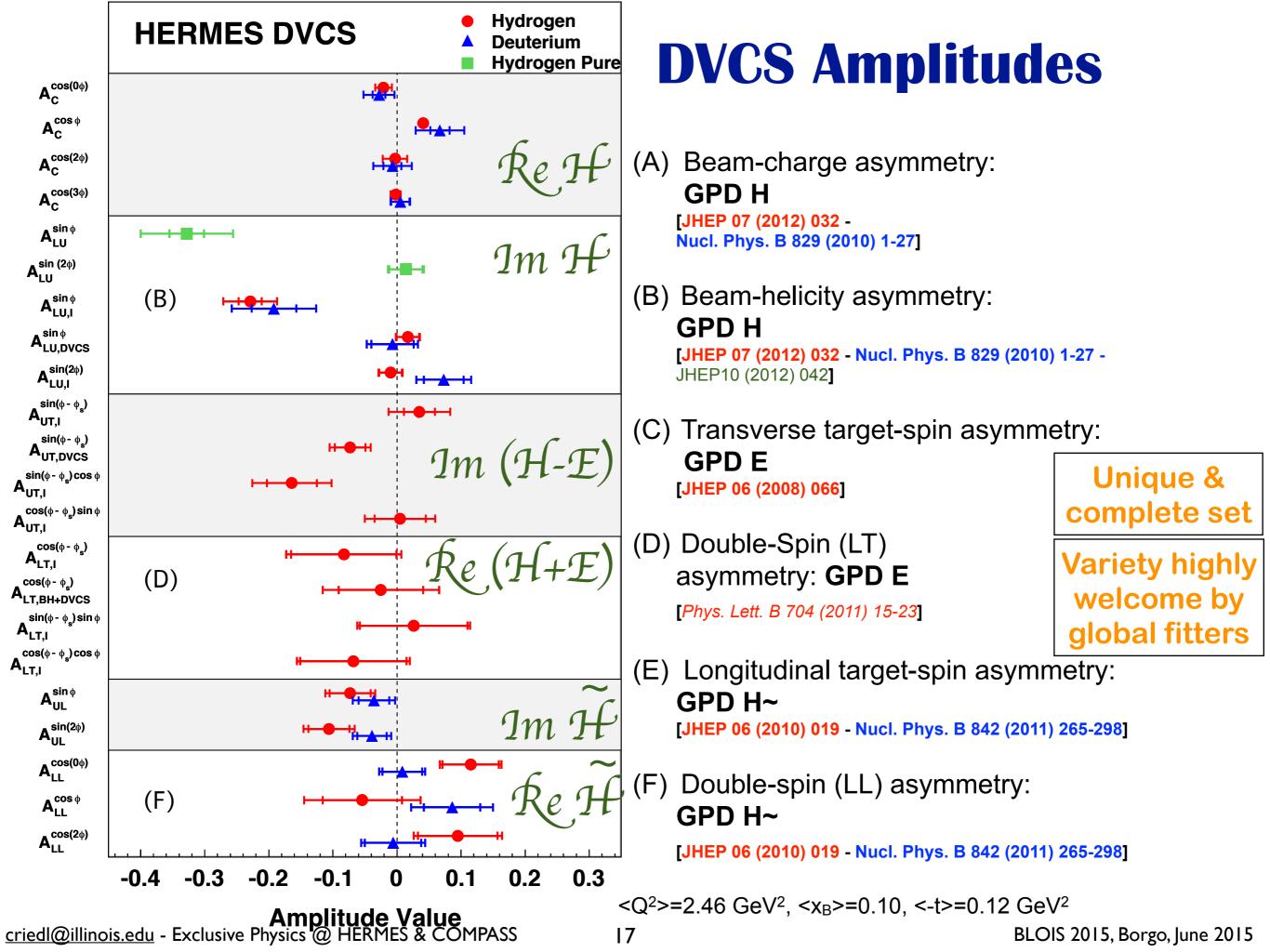
**GPDs**)

 This result is consistent with the slight increase of the beamhelicity asymmetry amplitude with recoil proton.

Associated process acts as small dilution in the asymmetries for the unresolved sample.

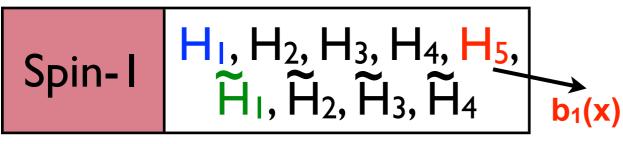
 Only existing model prediction for sin¢ amplitude: π<sup>0</sup>p: -0.15, π<sup>+</sup>n: -0.10 P.A.M. Guichon, L. Mossé, M. Vanderhaeghen: Pion production in deeply virtual Compton scattering, Phys. Rev. D68, 034018 (2003).

BLOIS 2015, Borgo, June 2015



### **DVCS on hadrons other than the proton**

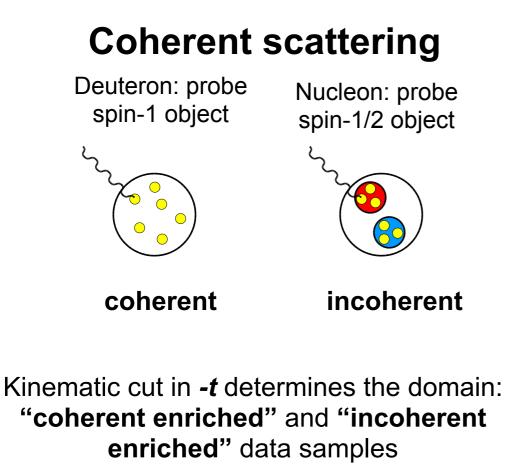
Coherent and tensor signatures; nuclear medium



tensor structure function

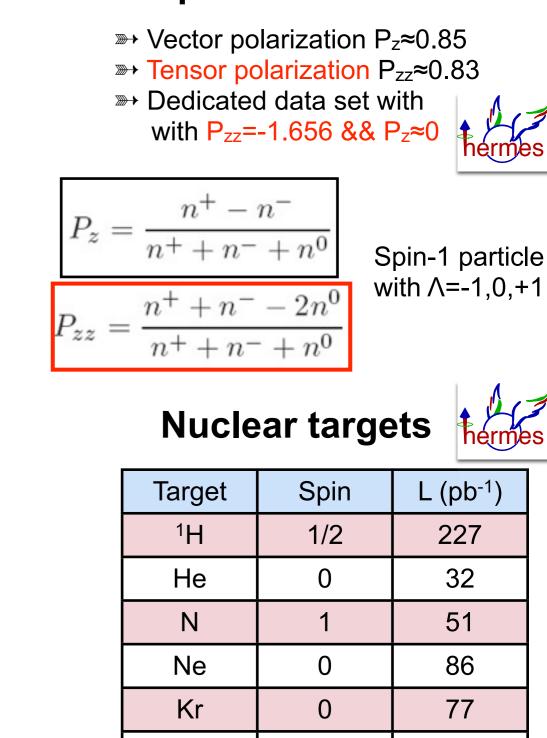
➡ 9 chiral-even quark GPDs at LT

 $rac{}$  H<sub>3</sub>, H<sub>5</sub> associated with 5% D-wave component of deuteron wave function



criedl@illinois.edu - Exclusive Physics @ HERMES & COMPASS

#### Tensor polarized deuteron



47

0, 1/2, 3/2

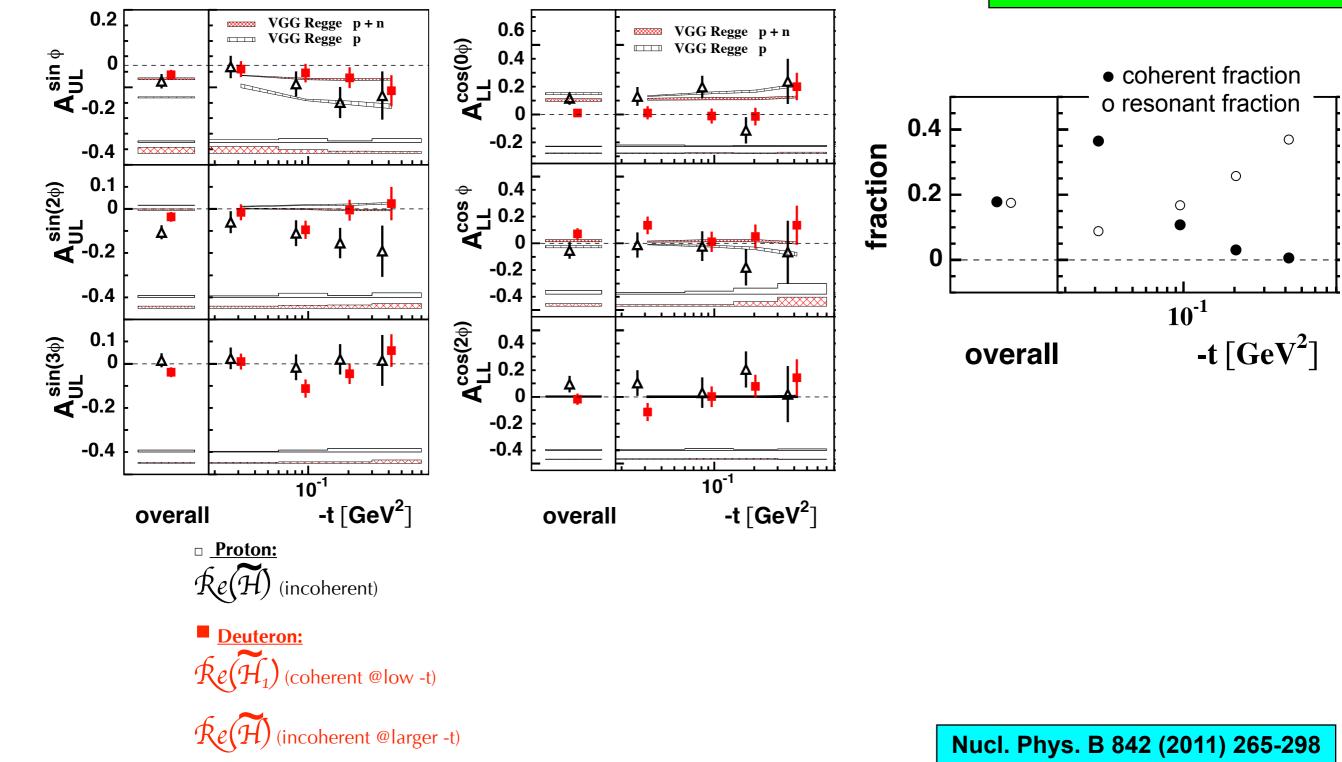
Xe



### Target-Spin Asymmetry on p and d

#### **Search for coherent signature**

1998–2000 longitudinally polarized deuteron data



19

#### **GPDs H1**, **H**<sub>5</sub>

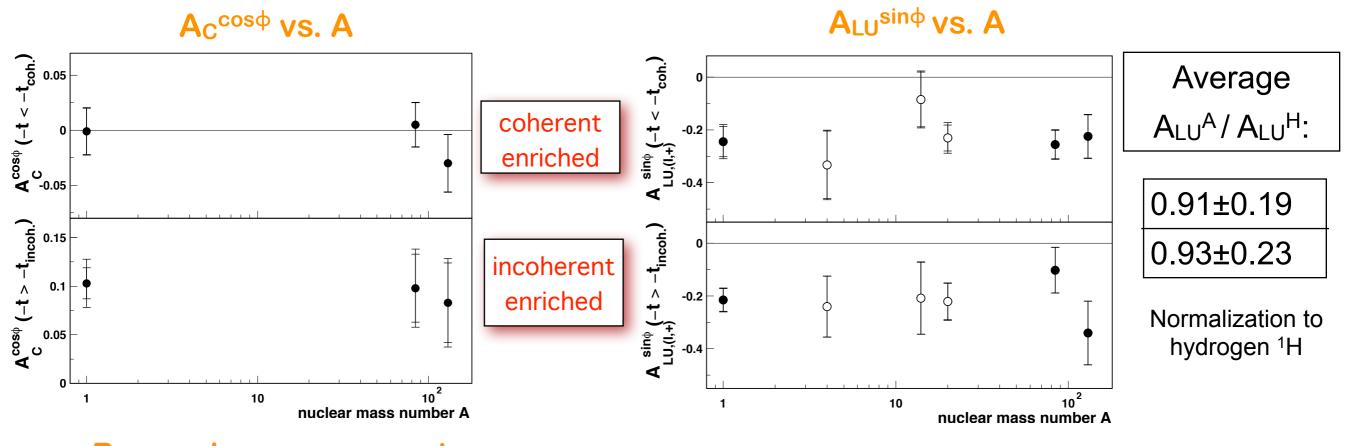
1998–2000 longitudinally

### **Beam-Helicity Asymmetry on p and d**

#### **Search for tensor signature**

polarized deuteron data A sin ¢ L≸ (LU,I) VGG Regge p + n unpolarized:  $Re(H_1)$  $\mathcal{H}_{5}$ 숶 tensor-polarized  $\equiv$  tensor structure function -0.2 (P<sub>zz</sub>=0.827): in the forward limit  $Re(H_1 - \frac{1}{3}H_5)$ -0.4 for coherent scattering A sin(2∲) L\$ (LU,I) 5'0 at low values of -t DVCS A<sub>LZZ</sub> (tensor asymmetry) sin¢ amplitude:  $0.074 \pm 0.196 \pm 0.022$ -0.2 (-t<0.06 GeV<sup>2</sup>, 40% coherent) -0.4 10<sup>-1</sup> -t [GeV<sup>2</sup>] overall

### **DVCS Nuclear Mass Dependence** Nuclear medium



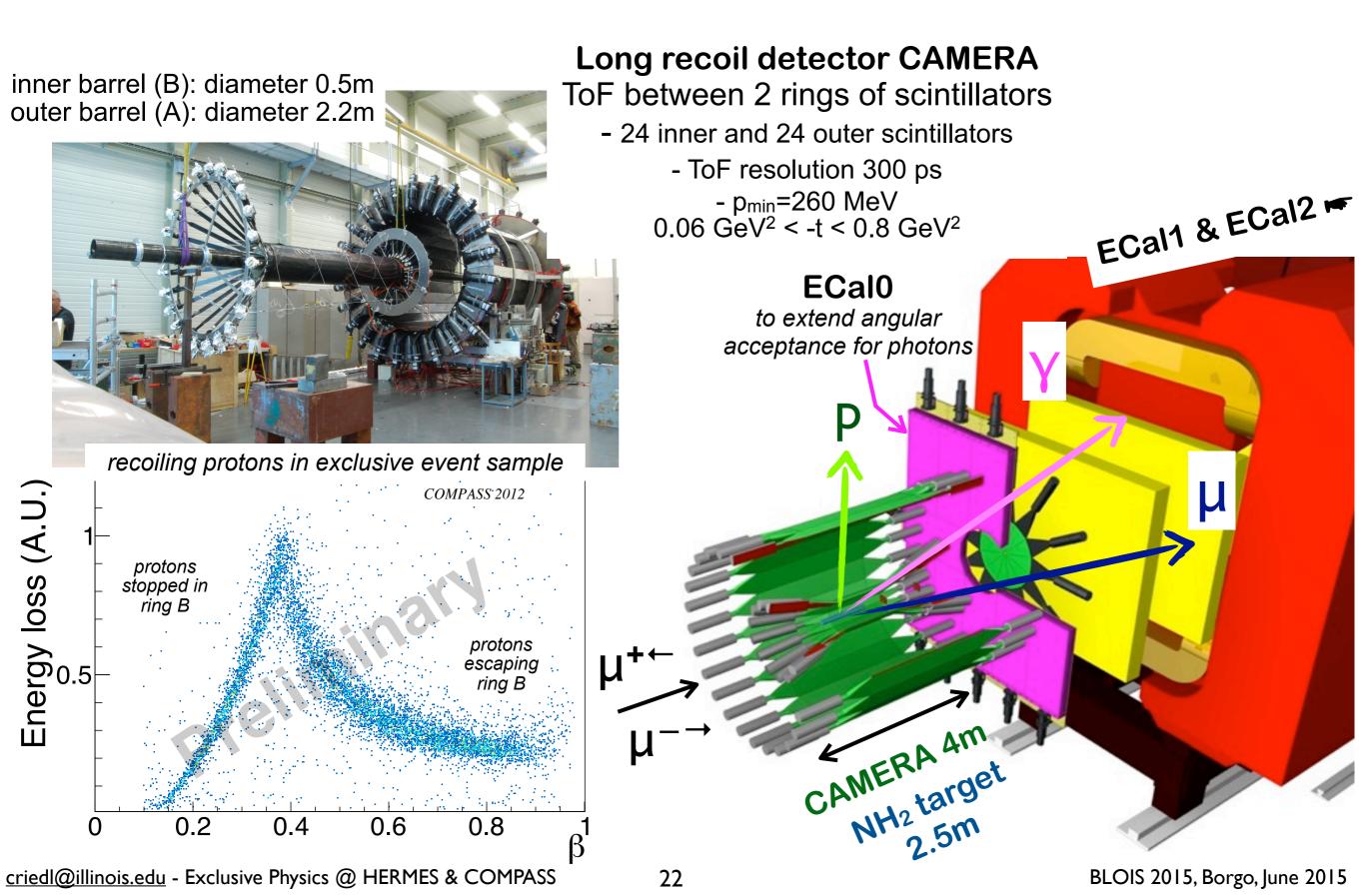
**Beam-charge asymmetry** 

**Beam-helicity asymmetry** 

- How does the nuclear medium modify parton-parton correlations?
- How do the nucleon properties change in the nuclear medium?
- Is there an enhanced 'generalized EMC effect', which could be revealed through the rise of T<sub>DVCS</sub> with A?

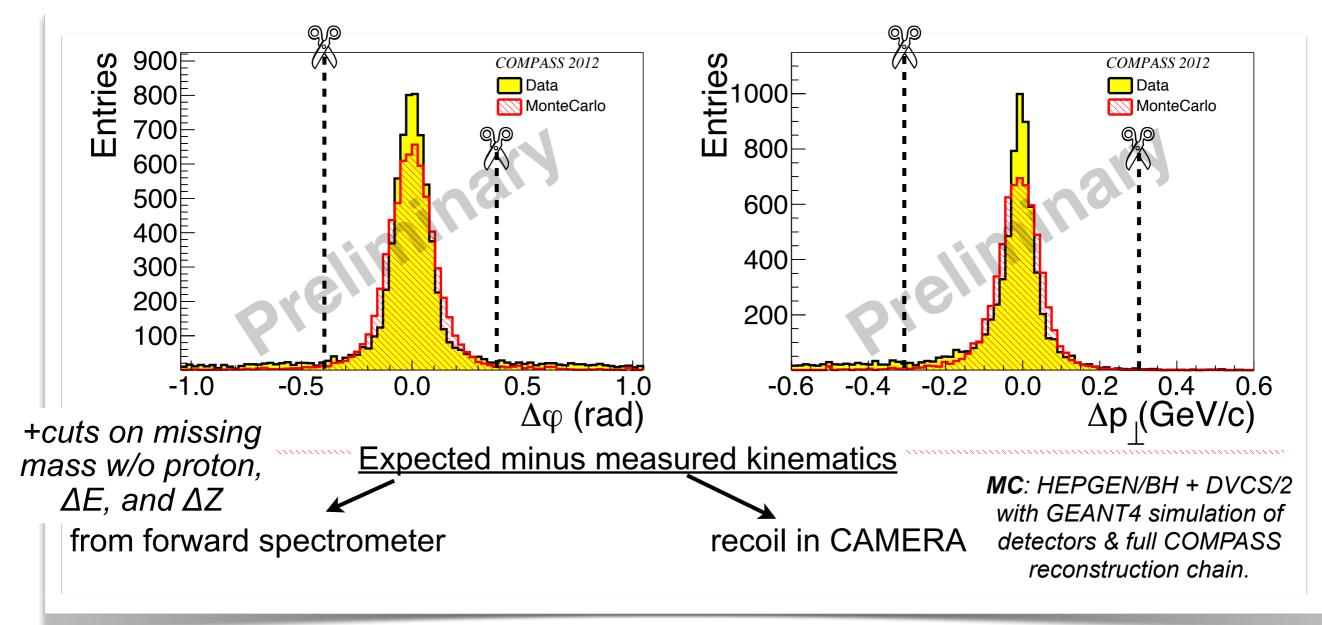
Phys. Rev. C 81 (2010) 035202

### **COMPASS upgrade for GPD run 2016/17**



### **COMPASS DVCS pilot run 2012**

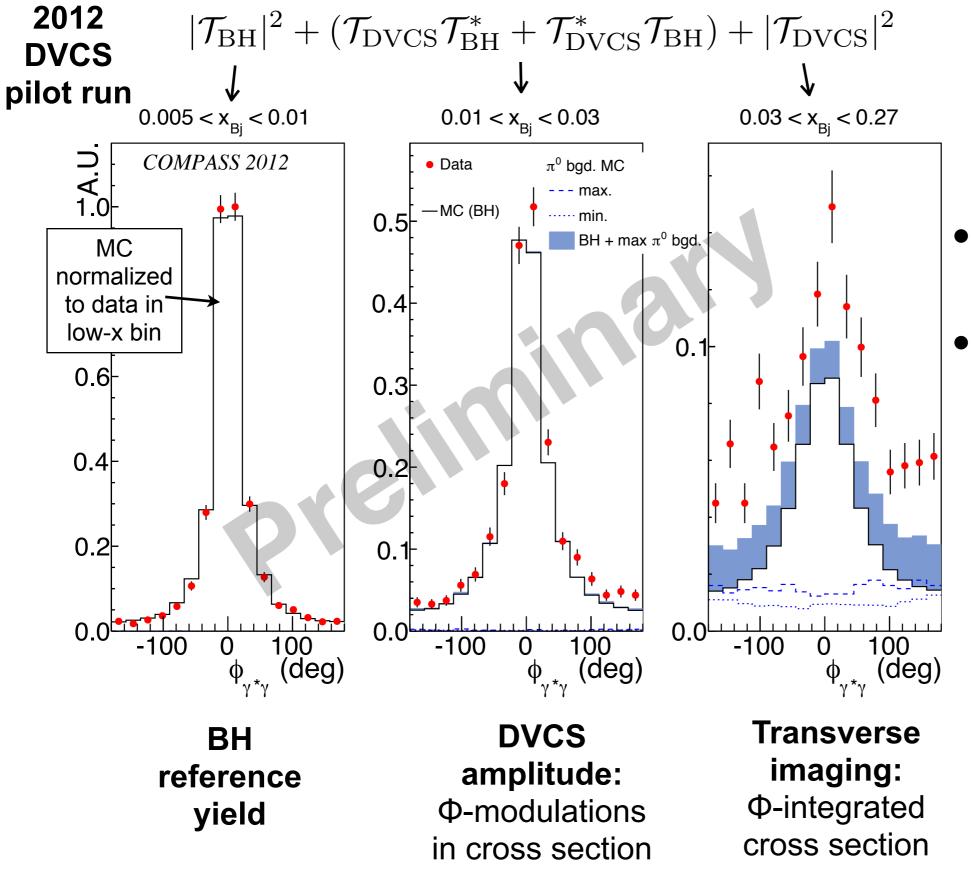
• Full-scale recoil CAMERA detector and only central part of ECal0 installed = 25%



- Visible  $\pi^0$  background (2 photons reconstructed): measured and corrected for
- Invisible π<sup>0</sup> background (1 photon escapes): estimated by MC. SIDIS: LEPTO; exclusive: HEPGEN/π<sup>0</sup>

### **DVCS vs. BH at COMPASS**

24



High-x bin:

- Largest fraction of  $\pi^0$  background
- Pure DVCS events after subtraction of (BH + measured SIDIS  $\pi^0$ + max. simulated exclusive  $\pi^0$ )  $\Rightarrow$  excess

### **DVCS at COMPASS-II**

25

 $\mathcal{S}_{CS,U} \equiv \mathrm{d}\sigma^{+} + \mathrm{d}\sigma^{-} = 2(\mathrm{d}\sigma^{\mathrm{BH}} + \mathrm{d}\sigma^{\mathrm{DVCS}}_{\mathrm{unpol}} + e_{\mu}P_{\mu}\mathrm{Im}\mathcal{I})$ 

 $\mathcal{D}_{CS,U} \equiv \mathrm{d}\sigma^{\stackrel{+}{\leftarrow}} - \mathrm{d}\sigma^{\stackrel{-}{\rightarrow}} = 2(P_{\mu}\mathrm{d}\sigma^{\mathrm{DVCS}}_{\mathrm{pol}} + e_{\mu}\mathrm{Re}\,\mathcal{I})$ 

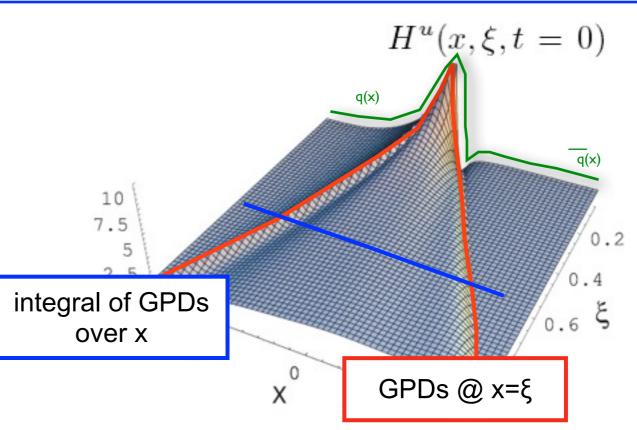
$$\operatorname{Im} \mathcal{H}(\xi, t, Q^2) \stackrel{\mathrm{LO}}{=} \pi \sum_{f} e_f^2 \left( H^f(\xi, \xi, t, Q^2) \mp H^f(-\xi, \xi, t, Q^2) \right)$$
$$\operatorname{Re} \mathcal{H}(\xi, t, Q^2) \stackrel{\mathrm{LO}}{=} \sum_{f} e_q^2 \left[ \mathcal{P} \int_{-1}^{1} \mathrm{d}x \ H^f(x, \xi, t, Q^2) \left( \frac{1}{x - \xi} \mp \frac{1}{x + \xi} \right) \right] + \operatorname{link} \operatorname{to}_{\mathsf{D-term}} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{LO}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}{=} \left( \operatorname{Im} \mathcal{H}(\xi, t, Q^2) - \operatorname{Im} \frac{1}{x - \xi} \right) \stackrel{\mathrm{Im}}$$

(DVCS 2012 pilot run):  $1 \text{ GeV}^2 < \text{Q}^2 < 20 \text{ GeV}^2$ 0.005 < x<sub>Bj</sub> < 0.27  $0.06 < |t| < 0.64 \text{ GeV}^2$ 

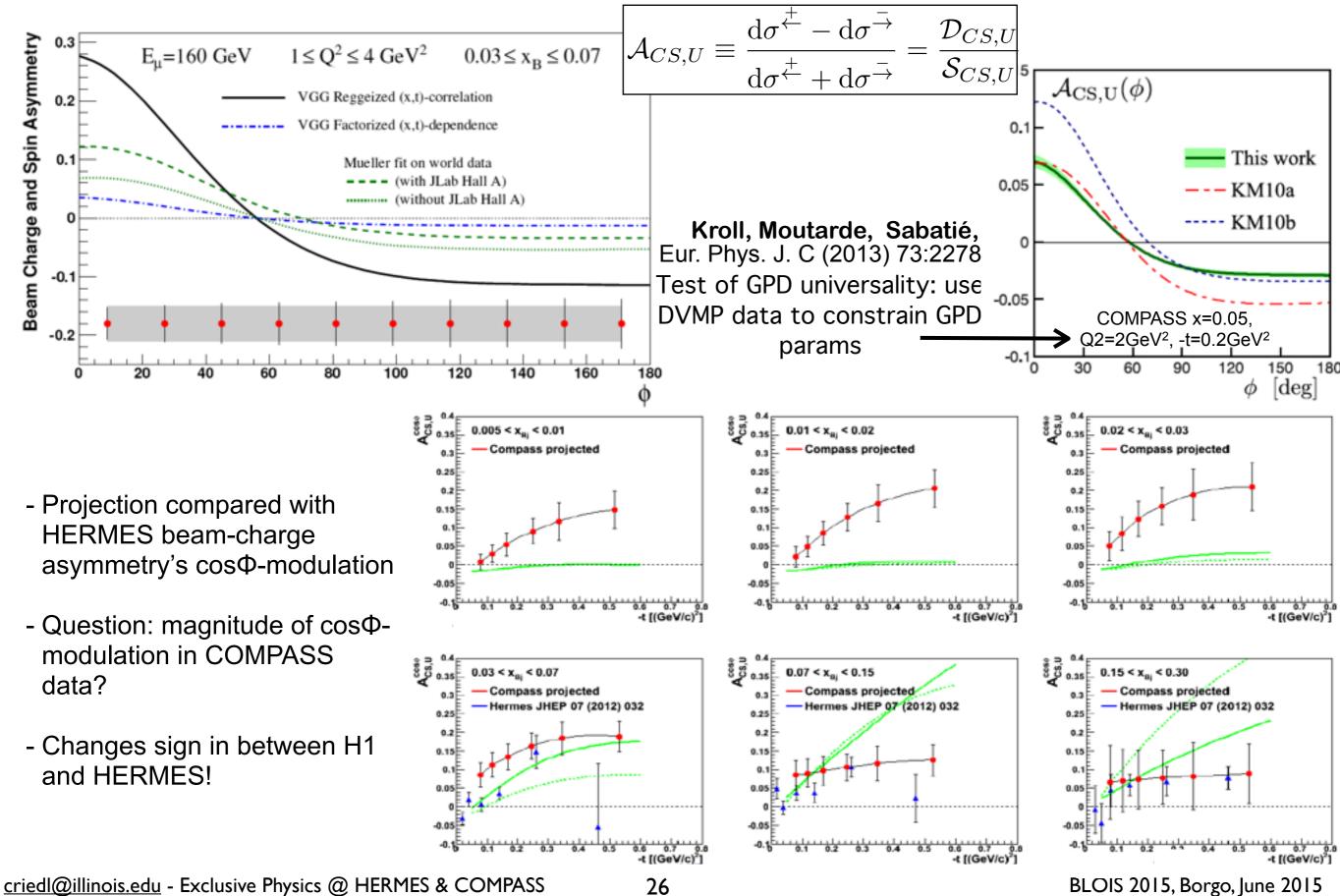
Kinematic range

@COMPASS:

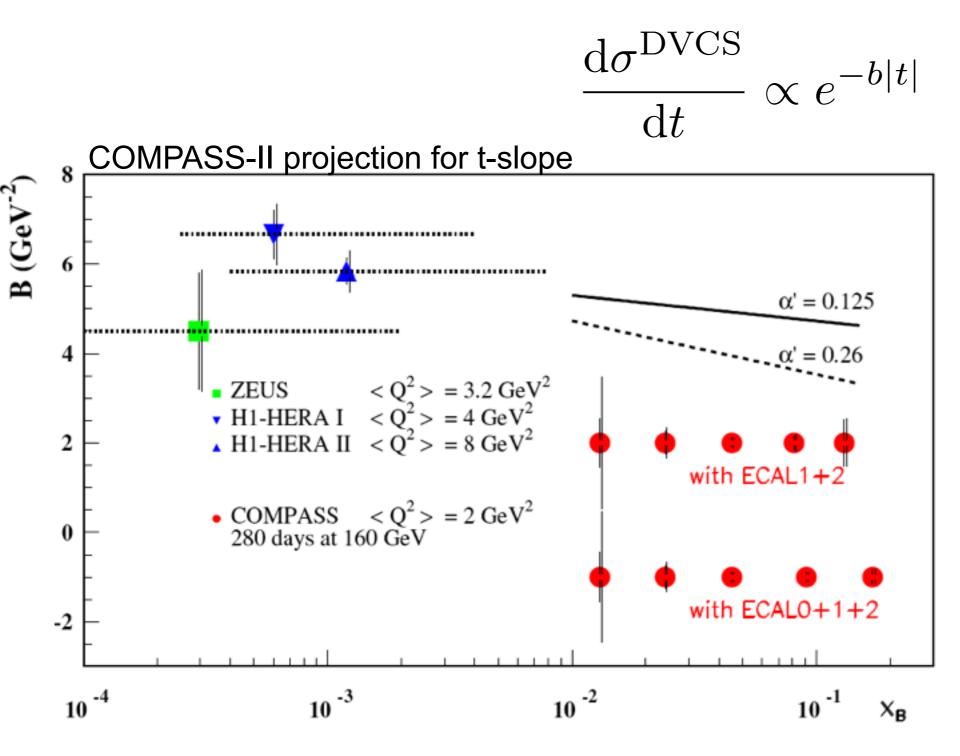
H-dominance



### **COMPASS-II projections for spin & charge asym.**



### **Transverse imaging from DVCS and DVMP**



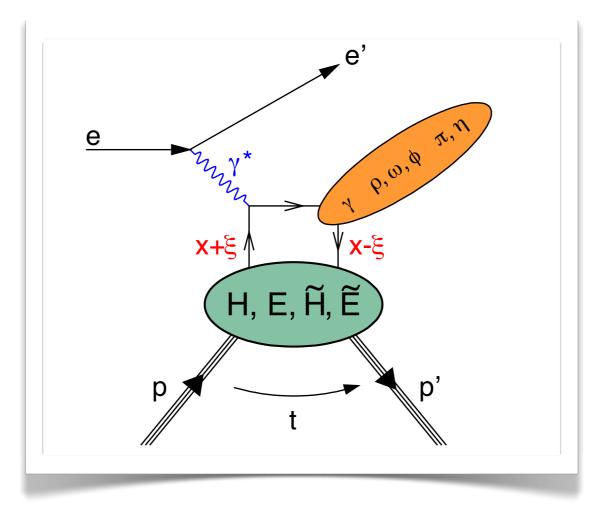
2 years of data beam energy 160 GeV  $4.10^8 \mu^+$ /spill ( $\mu^-$  2.6x less) duration 9.6s every 48s 2.5m target Lumi= $10^{32} \text{ cm}^{-2}\text{s}^{-1}$  $\epsilon_{\text{global}} = 10\%$ 

**Regge-trajectory ansatz**  $b(x_B) = b_0 + 2\alpha' ln(x_0/x_B)$ 

> $\alpha' \simeq 0.25 \text{ GeV}^{-2}$ soft pomeron

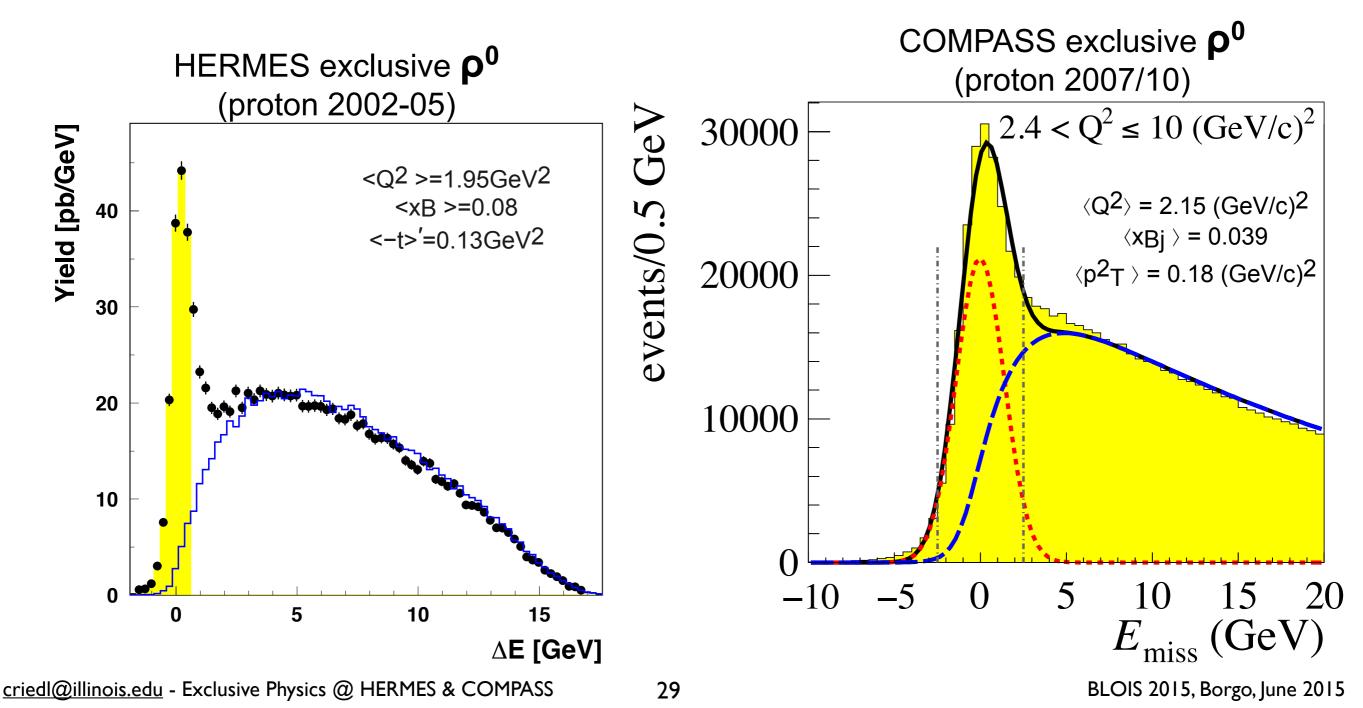
1-bin-extraction already possible from DVCS test in 2012

### **Deeply Virtual Meson Production**



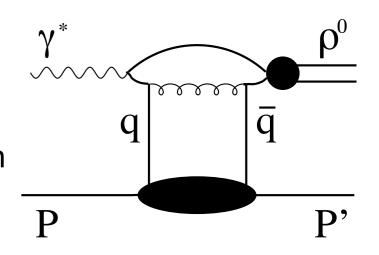
### **Selection of exclusive meson sample**

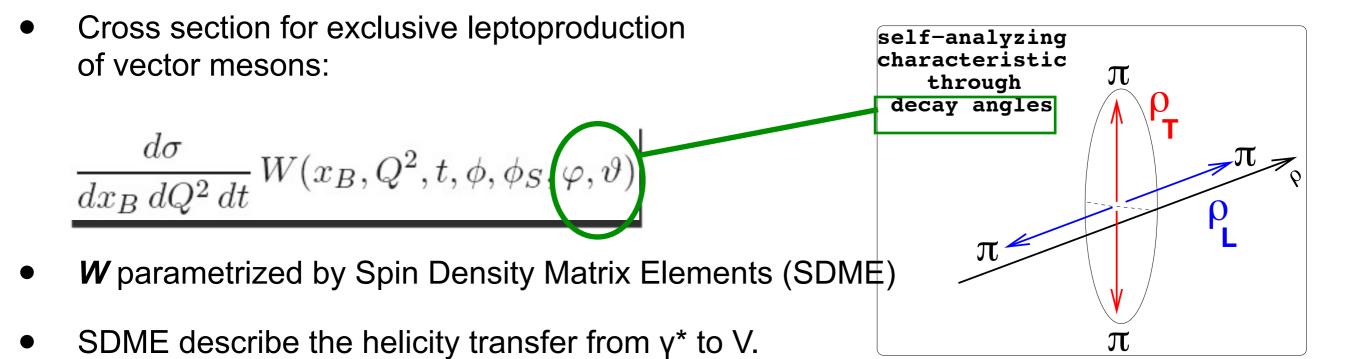
- No recoil proton detection: missing-energy technique assuming proton mass
- MC simulation of non-exclusive background and subtraction in exclusive ΔE bin (11% HERMES, 35% COMPASS))



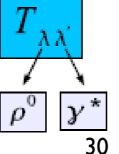
### **Ip**-**IpV: Exclusive vector meson production**

- pQCD at sufficiently large  $Q^2$  and W: 1.  $\gamma^* \rightarrow (qqbar)$  2. (qqbar) scatters off nucleon 3. formation of observed vector meson.
- Translated into Regge phenomenology: reggeon exchange with J<sup>P</sup>=0<sup>+</sup>, 1<sup>-</sup>, 2<sup>+</sup>,... (Natural Parity Exchange) ↔ GPDs H, E J<sup>P</sup>=0<sup>-</sup>, 1<sup>+</sup>,... (Unnatural Parity Exchange) ↔ GPDs H~, E~



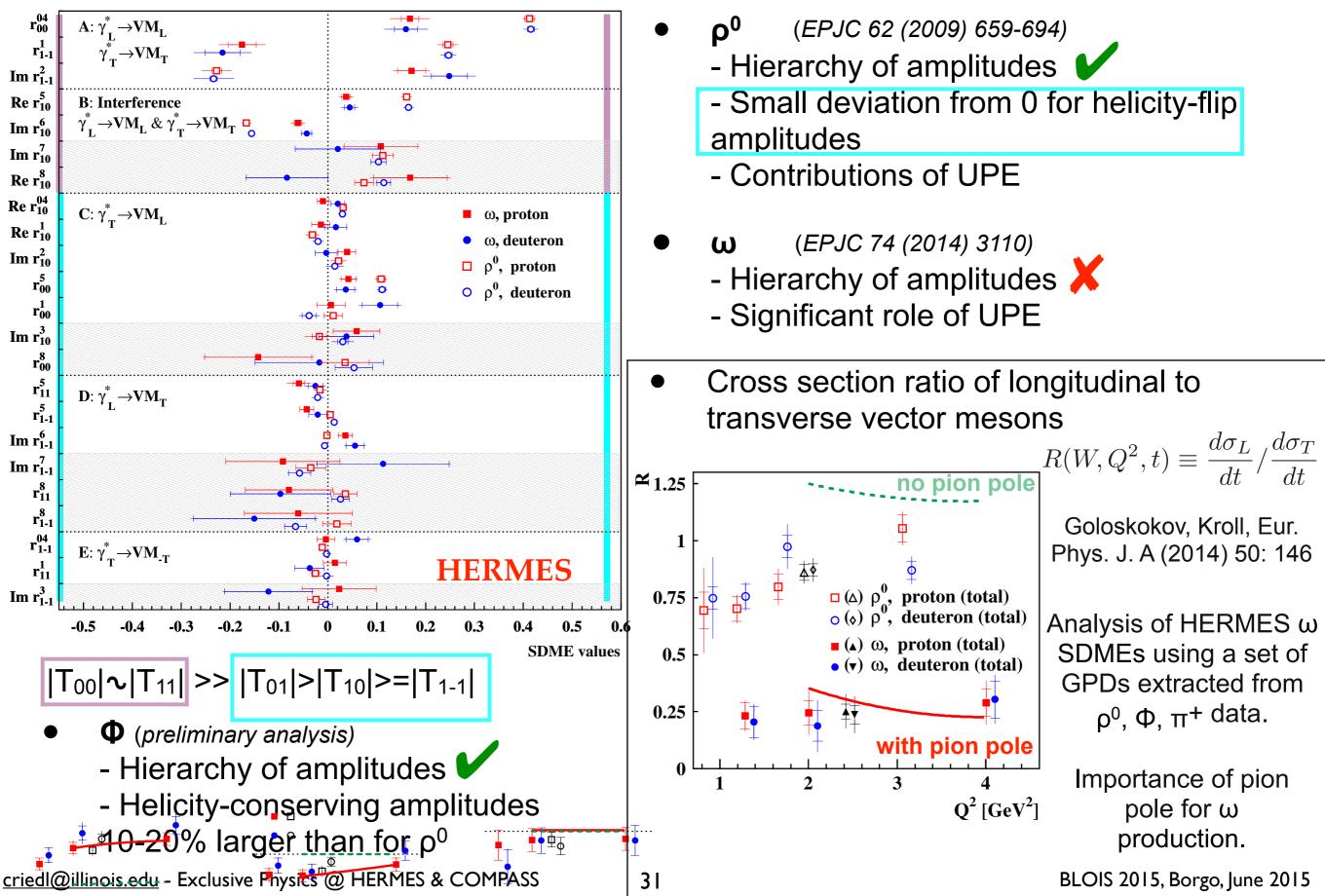


• Hierarchy of helicity amplitudes:  $|T_{00}| \sim |T_{11}| >> |T_{01}| > |T_{10}| >= |T_{1-1}|$ 



- s-channel helicity conservation (SCHC)  $T \rightarrow T, L \rightarrow L$
- s-channel helicity violation

### **Rho, Phi, and Omega SDME**



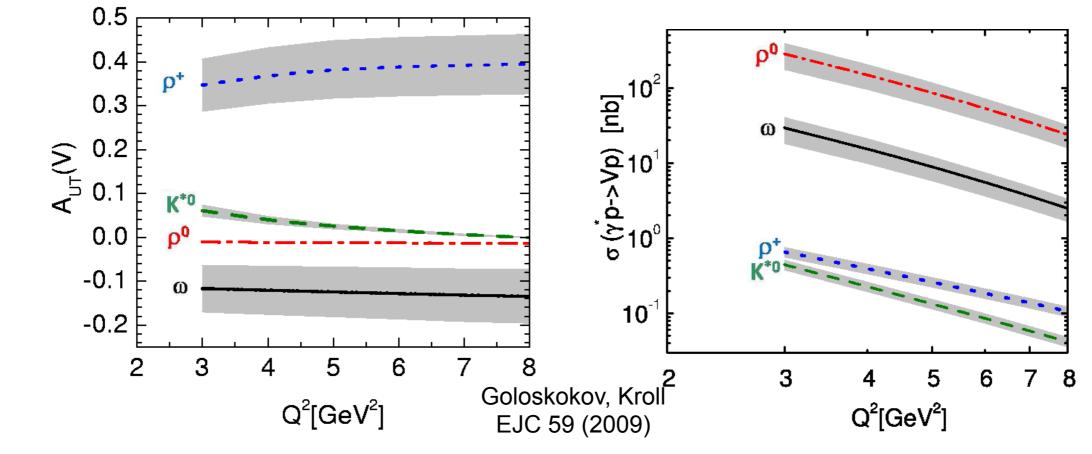
### Transverse asymmetry for exclusive $\varrho^0$ & $\omega$

 $A_{UT}^{\sin(\phi-\phi_S)} \propto \operatorname{Im}(\mathcal{E}^*\mathcal{H})$  GPD *E* linked to quark orbital angular momentum.  $A_{\mathrm{UT}}^{\sin\phi_S}$  sensitive to **chiral-odd GPD** *H*<sub>T</sub> (analogous to transversity TMD).

$$E^{\rho^0} = 1/\sqrt{2}(2/3E^u + 1/3E^d + 3/8E^g)$$
  
$$E^{\omega} = 1/\sqrt{2}(2/3E^u - 1/3E^d + 3/8E^g)$$

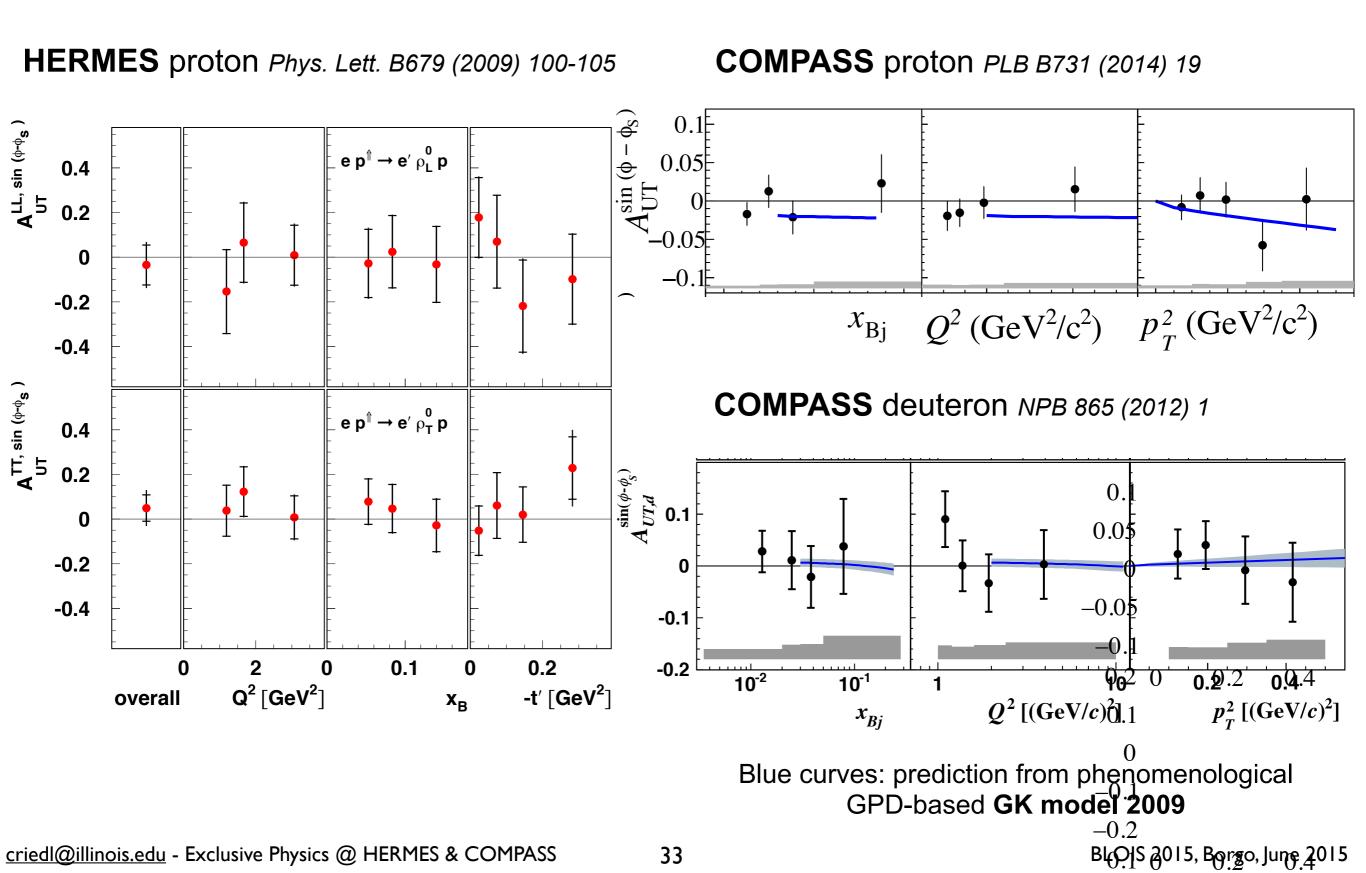
Cancellation effects expected for  $\rho$  production.

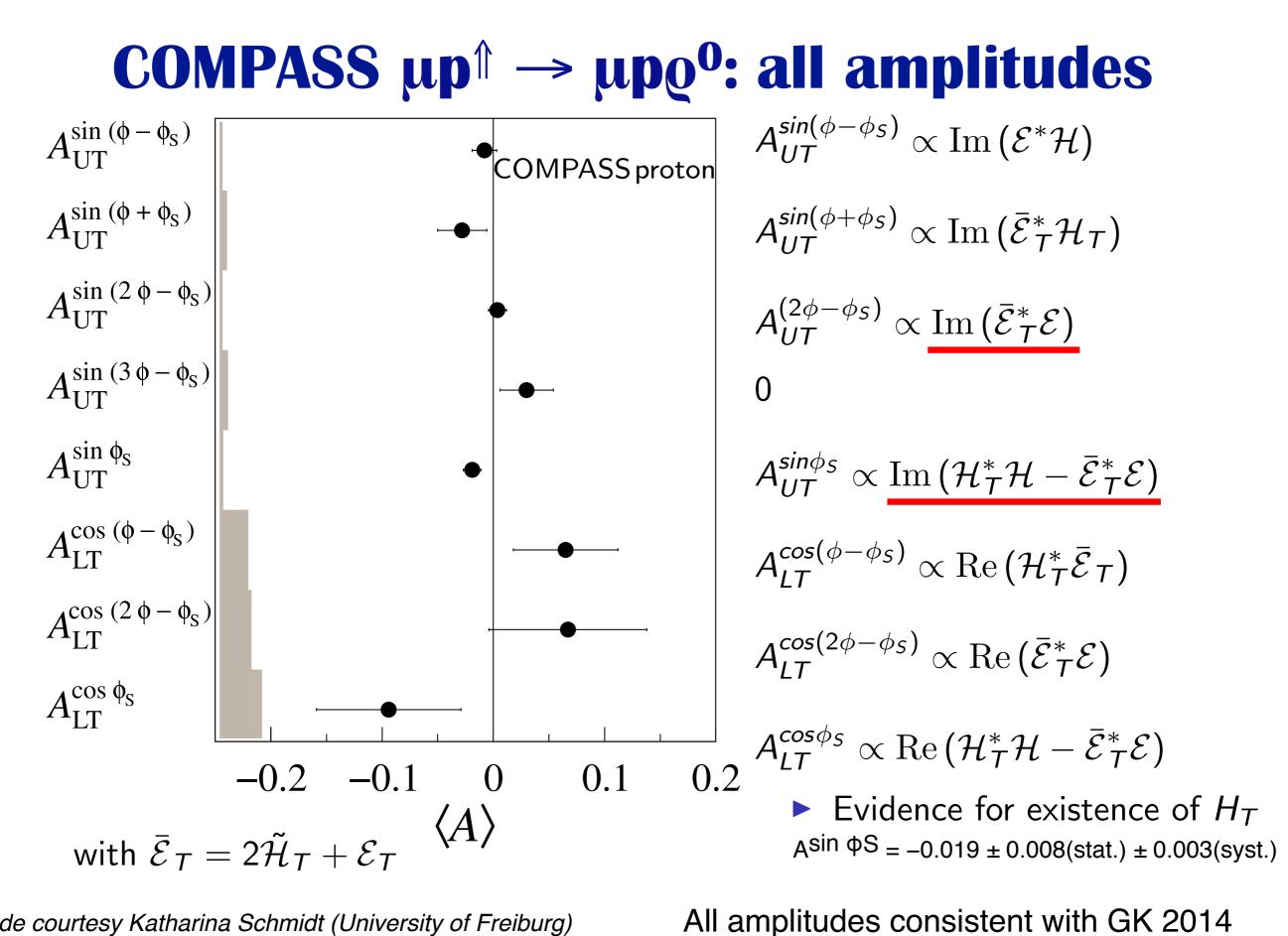
Different mesons filter different quark flavors



criedl@illinois.edu - Exclusive Physics @ HERMES & COMPASS

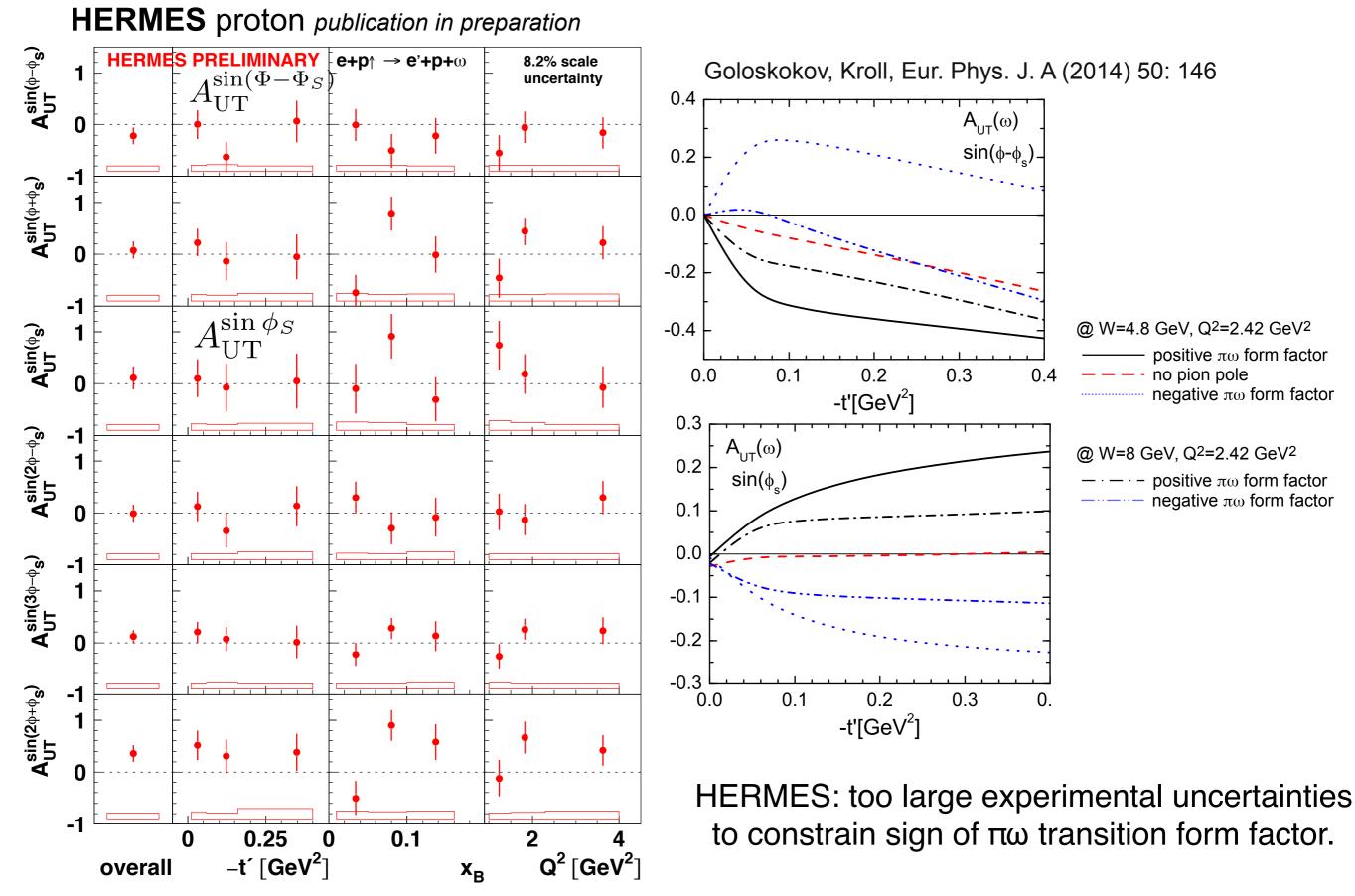
### Asymmetry in $lp^{\uparrow} \rightarrow lp\varrho^{0}$ : sin( $\Phi$ - $\Phi_{s}$ )



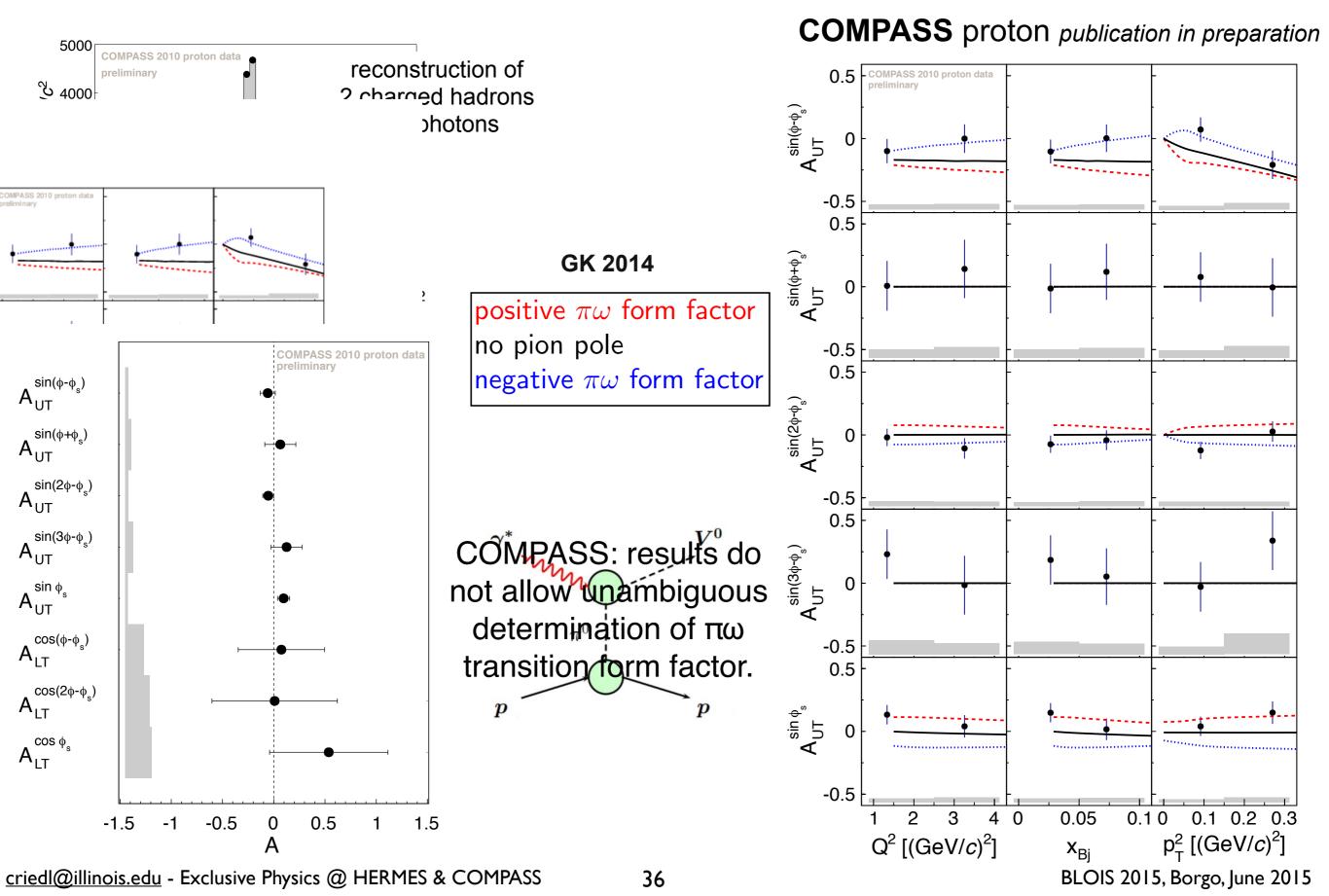


Slide courtesy Katharina Schmidt (University of Freiburg) <u>criedl@illinois.edu</u> - Exclusive Physics @ HERMES & COMPASS

### **HERMES:** asymmetry in $ep^{\uparrow} \rightarrow ep_{\omega}$



# **COMPASS: asymmetry in \mu p^{\uparrow} \rightarrow \mu p \omega**



### **Global analysis of exclusive data**

#### **Test of GPD universality**

P. Kroll, H. Moutarde and F. Sabatié, Eur. Phys. J. C (2013) 73:2278

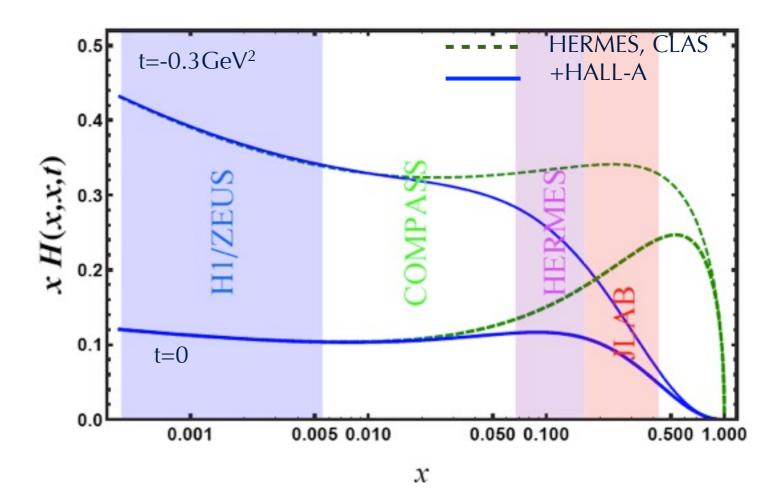
Use **DVMP** data, FF and PDFs to constrain GPD parameters (LO, LT): GK model

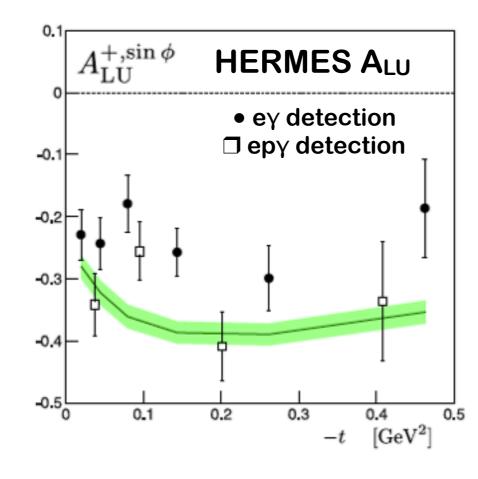
• Compare to **DVCS** observables - good for HERA and HERMES, fair for JLab

#### Global fit to H(x,ξ=x,t) from DVCS data (NNLO)

Kumericki, Müller Nucl. Phys. **B**841 (2010) 1-58

- HERMES A<sub>C</sub>, CLAS A<sub>LU</sub> and Hall A x-section.
- Small-x behavior from HERA collider data.





#### Outlook

- COMPASS 2016/17: LH2 target + recoil detector
   GPD *H* from DVCS
   Transverse imaging of the nucleon from DVCS and DVMP
  - COMPASS >2018 (?): NH<sub>3</sub>↑ target + recoil detector - GPD *E* from DVCS
    - GPD *E* and chiral-odd GPDs from DVMP
      - vector mesons  $\rho^0$ ,  $\rho^+$ ,  $\omega$ ,  $\Phi$
      - pseudoscalar mesons  $\pi^0$

Preparing upgrade of CAMERA recoil proton

detector: replace scintillators of inner ring to

achieve better attenuation length (2015).

# Summary: Exclusive Physics at HERMES & COMPASS

HERMES: many pioneering measurements.
 Data set will remain unique in the near future.

**X+**δ

- COMPASS allows to probe unexplored region in kinematic space.
- Exclusive meson production; complementary to Deeply Virtual Compton scattering.
- COMPASS GPD program will be continued in 2016/17 and possibly beyond 2018.

H, E, Ĥ, Ê

39

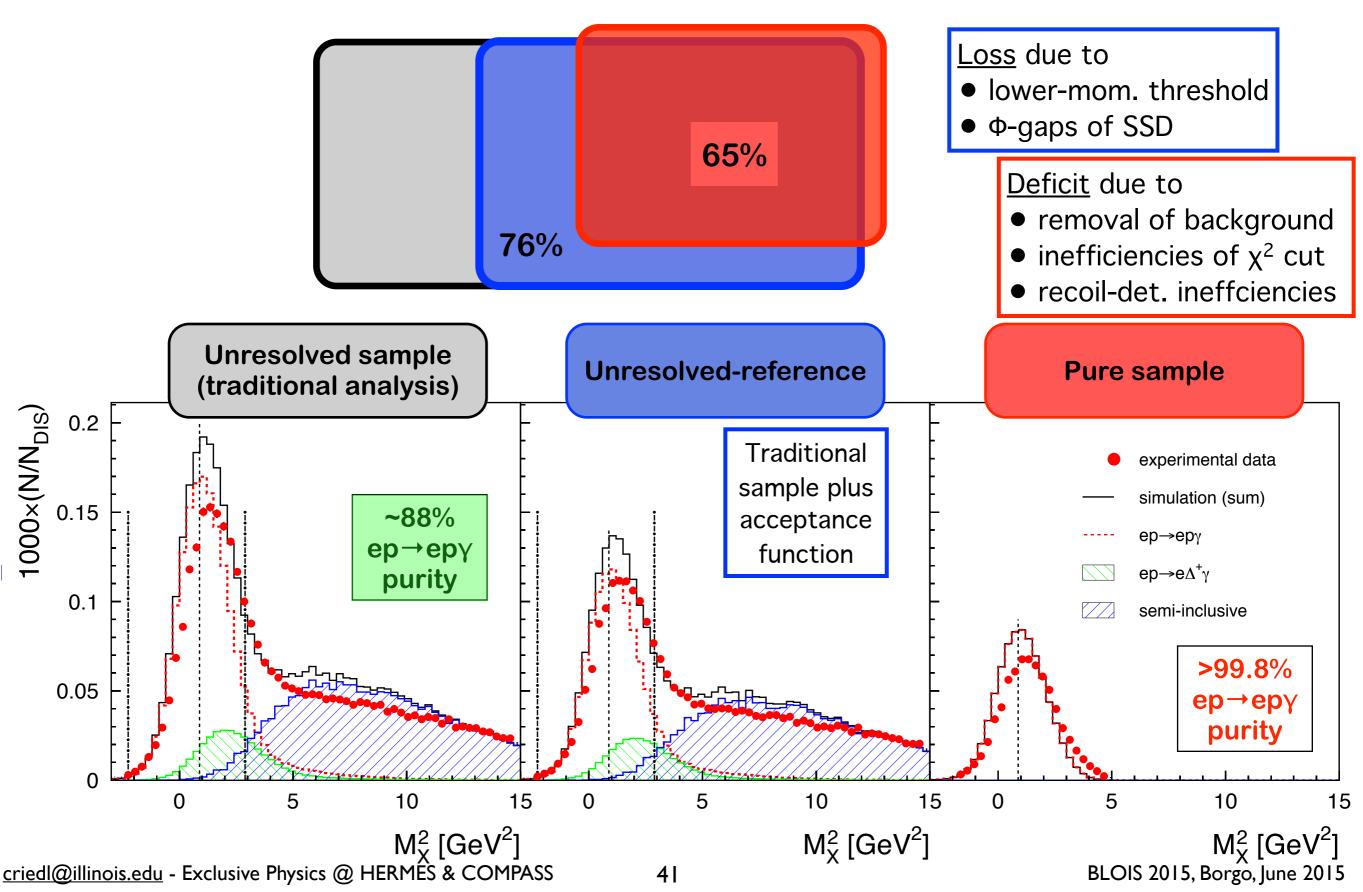
criedl@illinois.edu - Exclusive Physics @ HERMES & COMPASS

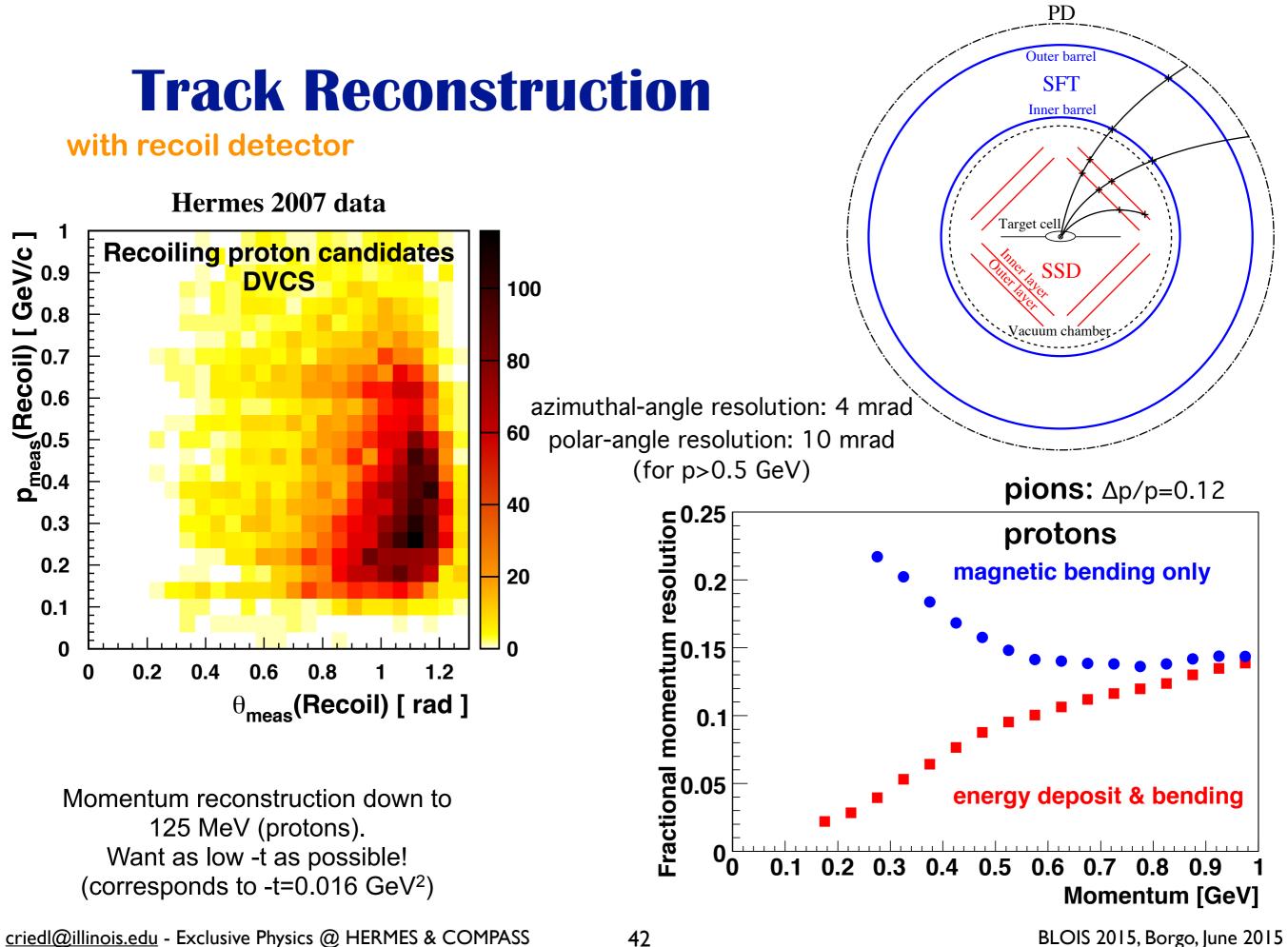
BLOIS 2015, Borgo, June 2015



## **HERMES: unresolved reference sample**

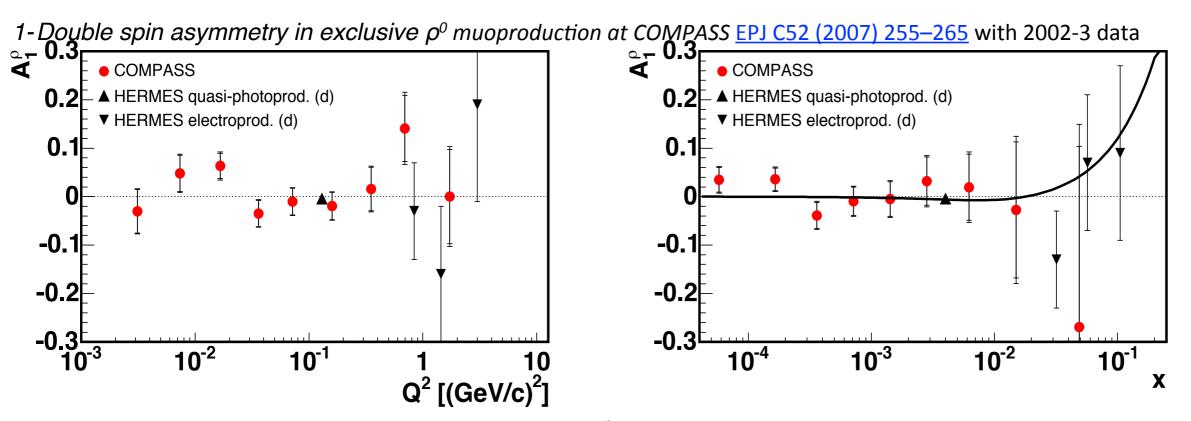
**Disentangling the effects of recoil-detector acceptance and purification** 





criedl@illinois.edu - Exclusive Physics @ HERMES & COMPASS

BLOIS 2015, Borgo, June 2015



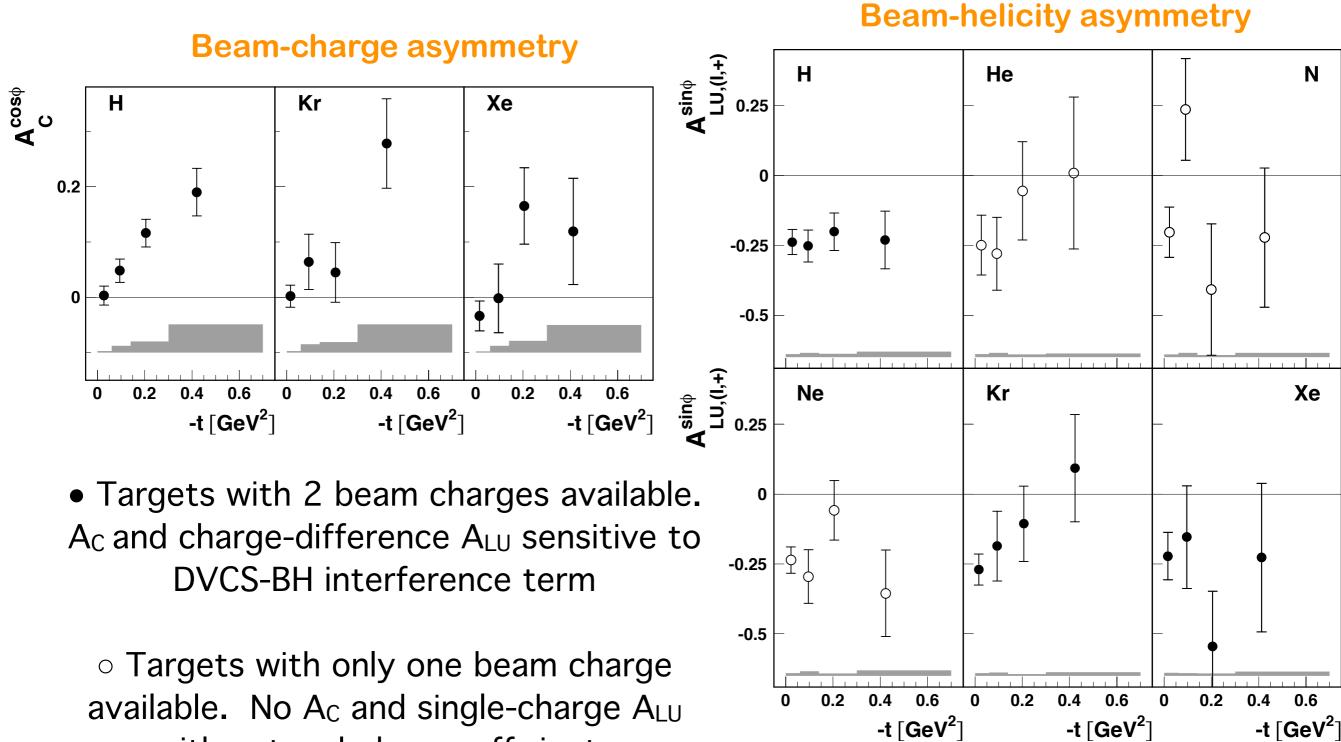
In the same reference a theoretical prediction for  $A_1^{\rho}$  was presented, which is based on the description of forward exclusive  $\rho^0$  leptoproduction and inclusive inelastic leptonnucleon scattering by the off-diagonal Generalised Vector Meson Dominance (GVMD) model, applied to the case of polarised lepton-nucleon scattering. At the values of Bjorken variable x < 0.2, with additional assumptions [11],  $A_1^{\rho}$  can be related to the  $A_1$  asymmetry for inclusive inelastic lepton scattering at the same x as

$$A_1^{\rho} = \frac{2A_1}{1 + (A_1)^2}.$$
(4)

given by Eq. 4, which relates  $A_1^{\rho}$  to the asymmetry  $A_1$  for the inclusive inelastic leptonnucleon scattering. To produce the curve the inclusive asymmetry  $A_1$  was parameterised as  $A_1(x) = (x^{\alpha} - \gamma^{\alpha}) \cdot (1 - e^{-\beta x})$ , where  $\alpha = 1.158 \pm 0.024$ ,  $\beta = 125.1 \pm 115.7$  and  $\gamma = 0.0180 \pm 0.0038$ . The values of the parameters have been obtained from a fit of  $A_1(x)$  to the world data from polarised deuteron targets [26–31] including COMPASS measurements at very low  $Q^2$  and x [32]. Within the present accuracy the results on  $A_1^{\rho}$ are consistent with this prediction.

# **DVCS Asymmetries on Nuclei**

#### 1996-2005 nuclear data



with entangled s<sub>1</sub> coefficients

criedl@illinois.edu - Exclusive Physics @ HERMES & COMPASS

Phys. Rev. C 81 (2010) 035202

## **HERMES Nuclear Data Sets**

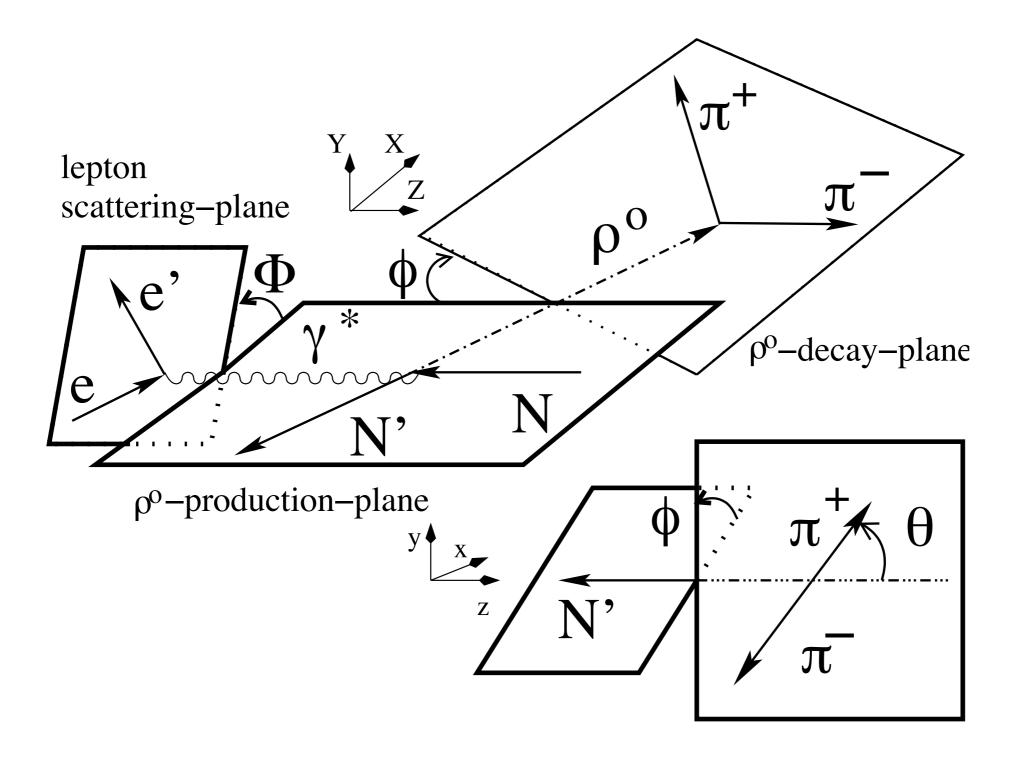
Target	Spin	L (pb <sup>-1</sup> )
'H	I/2	227
He	0	32
N	l	51
Ne	0	86
Kr	0	77
Xe	0, 1/2, 3/2	47

1000 N /N<sub>DIS</sub> Xe Monte Carlo sum coherent BH incoherent BH associated BH incoherent enriched coherent 0.05 enriched 0.08 0.1 0.02 0.06 0.12 0 04

Heavy target data taken at the end of each HERA fill ("high density runs")

- Separation of coherent-enriched and incoherentenriched data samples by t-cutoff such that ≈same average kinematics for each target.
- Coherent enriched samples:  $\approx 65\%$  coherent fraction
- Incoherent enriched samples: ≈60% incoherent fraction

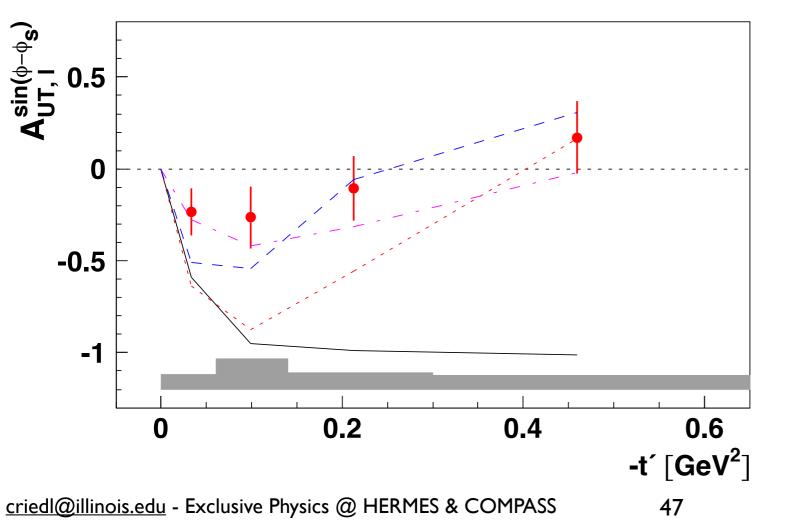
## **Vector meson production and decay**



# **Exclusive** $\pi$ + on transversely polarized protons

$$A_{\mathrm{UT},\ell}^{\sin(\phi-\phi_S)} \propto -\frac{\sqrt{-t'}}{M_p} \operatorname{Im}(\widetilde{\mathcal{E}}^*\widetilde{\mathcal{H}})$$

- Consistent with zero. A vanishing Fourier amplitude in this model implies the dominance (due to the pion pole) of Etilde over Htilde at low -t'. Excludes a pure pion-pole contribution to Etilde.
- sinΦ<sub>S</sub> amplitude is large and positive: implies presence of a sizeable interference between contributions from longitudinal and transverse virtual photons.



dashed-dotted: K. Kumericki, D. Müller, and K. Passek-Kumericki, Eur. Phys. J. C 58 (2008) 193.

solid, dashed and dotted: Ch. Bechler and D. Müller, arXiv:0906.2571 [hep-ph]

HERMES, Phys. Lett. B 682 (2010) 345-350