A New LO Extraction of Gluon Polarisation from DIS Data

M. Stolarski LIP

On behalf of the COMPASS Collaboration

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Outline

1 The Analysis Method

2 COMPASS



4 Monte Carlo and Neural Networks

5 Results

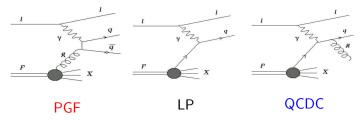


Motivation

- Spin of the proton (${\cal S}_{\it p}=1/2\hbar)$ can be decomposed as:
 - $\Delta\Sigma$ quark contribution to the nucleon spin
 - ΔG gluon contribution
 - $\Delta L_q, \Delta L_g$ orbital momentum of quarks and gluons
- $S_p = 1/2\hbar = 1/2\Delta\Sigma + \Delta G + \Delta L_q + \Delta L_g$
- In the simplest QPM model: $S_{
 m p}=1/2\Delta\Sigma$
- The direct measurement: $\Delta\Sigma\approx 0.3$
- How much is then ΔG ?
- So far (NLO) QCD fits of DIS data **do not** constrain ΔG
- Possible direct measurement of ΔG in photon-gluon fusion
 - asymmetries in open-charm production
 - asymmetries for events with high transverse momentum hadrons
 - $\bullet~$ this talk $\rightarrow~$ analysis of DIS region
 - for low Q^2 analysis \rightarrow see talk by Maxime Levillain

The Analysis Method of High- p_T Events in the DIS Region

• Contribution from 3 processes to the observed asymmetry is assumed:



- $A_{LL}^h(x_{Bj}) = R_{PGF} a_{LL}^{PGF} \Delta g/g(x_G) + R_{LP} DA_1^{LO}(x_{Bj}) + R_{QCDC} a_{LL}^{QCDC} A_1^{LO}(x_C)$ where:
 - $A_1^{LO} \equiv \frac{\sum_i e_i^2 \Delta q_i}{\sum_i e_i^2 q_i}$
 - the fraction of the processes (*R_i*) and partonic cross-section asymmetries (*aⁱ_{LL}*) are obtained from MC and parametrized by NN
- Idea: larger $p_T \rightarrow$ larger $R_{PGF} \rightarrow$ larger sensitivity to $\Delta g/g$

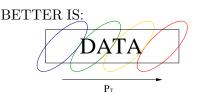
The Analysis Method cont.

- $A_{LL}^h(x_{Bj}) = R_{PGF}a_{LL}^{PGF}\Delta g/g(x_G) + R_{LP}DA_1^{LO}(x_{Bj}) + R_{QCDC}a_{LL}^{QCDC}A_1^{LO}(x_C)$
- A_1^{LO} is unknown, an additional information is needed in order to extract $\Delta g/g$
- Several possibilities exists:
 - take existing polarised LO PDF (biased result and error)
 - take existing polarised NLO PDF (depends upon ΔG !, higher order)
 - use inclusive A_1^d done previously, PLB 718, (2013) 922
 - extract A_1^{LO} simultaneously with $\Delta g/g$ done NOW
 - the idea of the method proposed by J. Pretz and J.-M. Le Goff, NIMA 602 (2009) 594
 - the method used in COMPASS Open Charm $\Delta g/g$ analysis, PRD 87 (2013) 052018

All- p_T Method

- Basic ideas:
 - treat all processes on the same footing!
 - calculate and minimize $\chi^2 = (N_{exp} N_{obs}) cov^{-1} (N_{exp} N_{obs})^T$
 - N_{exp} and N_{obs} are calculated separately for the three processes
 - $N_{exp,i}$ is a function of a_{LL}^i , R_i , beam flux, acceptance, unpolarized cross-section, A_1^{LO} and $\Delta g/g$
 - N_{obs,i} ~ R_i, the same same event is counted three times a covariance matrix with non zero off diagonal elements is needed
- To optimize statistical error of $\Delta g/g$ we need
 - a clean source of PGF and QCDC events high p_T region
 - a clean source of LP events low p_T region
- The optimal case: Use all data without p_T cut! \Rightarrow all- p_T method





Why low- p_T events are used

- A_1^{LO} is needed to extract $\Delta g/g$
- Let us consider asymmetry in 2 regions: low and high p_T
 - for simplicity only PGF and LP are considered
 - numbers like 0.4, 0.6,... are R_{PGF}, R_{LP}
 - low- p_T region can substituted by A_1^d inclusive asymmetry

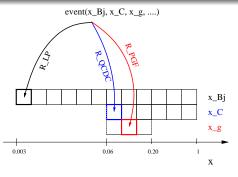
SIMPLIFIED ANALYSIS $0.4 \Delta g/g + 0.6 A_1^{LO} = x \pm 0.10$ $0.0 \Delta g/g + 1.0 A_1^{LO} = y \pm 0.00$ $\delta \Delta g/g = 0.25$

CORRECT ANALYSIS $0.4 \Delta g/g + 0.6 A_1^{LO} = x \pm 0.10$ $0.1 \Delta g/g + 0.9 A_1^{LO} = y \pm 0.00$ $\delta \Delta g/g = 0.30$

- Neglecting presence of PGF in low-p_T or inclusive sample, leads to wrong error of Δg/g! Obtained errors are too small!
- Depending upon p_T cut, the bias can be 20-30%!
- The same happens if LO PDF are used as A_1^{LO}

The Analysis Method

A1 Compatibility Test



- A_1 asymmetry for QCDC process is extracted as a function of x_C
- A_1 asymmetry for LP process is extracted as a function of x_{Bj}
- $A_1^{QCDC}(x_C) = A_1^{LP}(x_{Bj}) = A_1^{LO}(x)$; for $x_C = x_{Bj}$
- \bullet We can verify equality of the two asymmetries by performing χ^2 test
- The χ^2 test can fail when our R_i or a_{LL}^i taken from MC are wrong!
- New method give us possibility to reject wrong MC tunings!

Comparison of The New Method to The Published One

- Both methods are correct!
- ullet In both methods $\Delta g/g$ is extracted on the event by event basis
- ullet We use event weighting to improve statistical error of $\Delta g/g$
- The new method has a few interesting features worth to consider:
 - allows additional check of the underlying model
 - some of the systematics uncertainties are reduced:
 - ullet no error related to simplification of the formula for $\Delta g/g$ extraction
 - no A_1^d parametrization and error related to it
 - reduced experimental false asymmetries
 - easier way to deal with MC systematics
 - the weight for PGF process is simpler and more intuitive
 - $w_{new} \sim a_{LL}^{PGF} R_{PGF}$

• $w_{old} \sim a_{LL}^{PGF} R_{PGF} - a_{LL}^{incl,PGF} R_{PGF}^{incl} (\frac{R_{LP} + R_{QCDC} a_{LL}^{QCDC}/D}{R_{LL}^{incl}})$

- gives more flexibility *e.g.* fit of A_1^d or even $\Delta g/g$ by a functional form
- ullet reduced statistical error of $\Delta g/g$

COMPASS

COMPASS at CERN



COMPASS Spectrometer 2002-2006

COMPASS



- COLLABORATION
 - about 210 physicists
 - 27 institutes
- DETECTOR
 - two stage spectrometer
 - 60 m length
 - about 350 detector planes

- POLARIZED TARGET
 - ⁶LiD target
 - 2-3 cells (120 cm total length)
 - $\bullet~\pm$ 50% polarization
 - pol. reversal every 8h-24h
- POLARIZED BEAM
 - μ^+ at 160 ${\rm GeV/c}$
 - polarization –80 %
- FEATURES
 - angular acceptance: ± 70 mrad (± 180 mrad from 2006)
 - track reconstruction: *p* > 0.5 GeV/c
 - identification *h*, *e*, *µ*: calorimeters and muon filters
 - identification: π, K, p (RICH) p > 2, 9, 18 GeV/c respectively

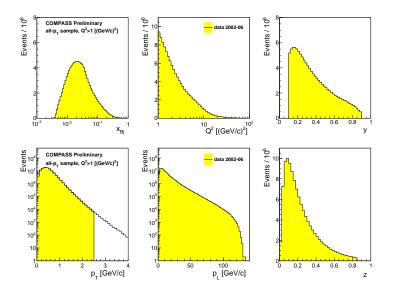
DIS 2014

Data Selection

- Inclusive variables
 - $Q^2 > 1 \; ({\rm GeV/c})^2$
 - 0.1 < y < 0.9
- Hadron variables
 - at least one charged hadron is detected
 - NO minimal *p*_T required
 - event is not a diffractive candidate
 - z < 0.85 for all hadrons (also removes bad μ')
 - for multiplicity 2 events: $z_1 + z_2 < 0.95$ or $q_1 \neq q_2$
- Information about the leading p_T hadron is used in the analysis
 - variables p_T , p_L or z are always for the leading p_T hadron
- $p_T < 2.5 \text{ GeV/c}$ (secondary interaction in the target, FLUKA vs GEISHA)
- Total Statistics 113M events

Data Selection

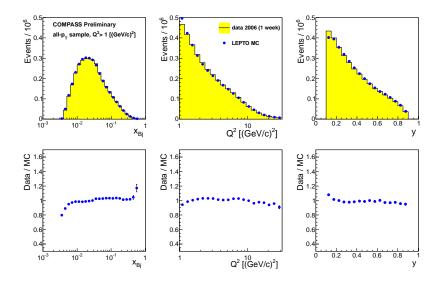
Kinematic Variables



- Crucial variables in the analysis: R_i and a_{LL}^i and $x_{C,g}$ are estimated using MC
- Good description of data by MC is important for this analysis
- The same MC tuning as for previous analysis is used, but FLUKA simulation for secondary interactions
 - tuning done for high- p_T sample (6% of the total sample)
 - it reasonable well describe the data, without any p_T requirements
 - some improvements could be done for hadronic variables

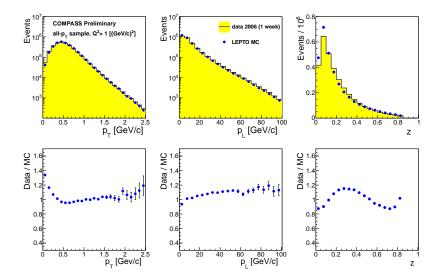
Monte Carlo and Neural Networks

Data MC Comparison - Inclusive Variables



Monte Carlo and Neural Networks

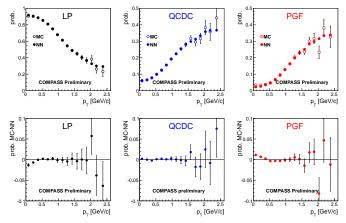
Data MC Comparison - Hadron Variables



Monte Carlo and Neural Networks

Neural Network Parametrizations

- Neural Network is trained on MC to parametrize R_i , a_{LL}^i and $x_{C,g}$
- As input parameters we use: x_{Bj} , Q^2 , p_T and p_L
- One can use more variables to describe given event, we use only 4 input variables for simplicity reasons



DIS 2014

New $\Delta g/g$ Results

New $\Delta g/g$ Results

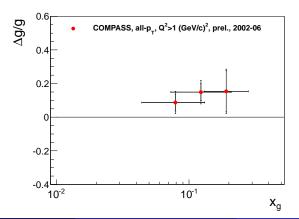
• $\Delta g/g = 0.113 \pm 0.038 \pm 0.035$ (Preliminary)

- the scale, $\mu^2 = < Q^2 > pprox$ 3 (GeV/c)², and $< x_g > pprox$ 0.10
- the result obtained under the assumption: $A_1^{QCDC}(x_C) = A_1^{LP}(x_{Bj})$ for $x_C = x_{Bj}$
- Comparison with previous result, PLB 718, (2013) 922
 - $\Delta g/g = 0.125 \pm 0.060 \pm 0.063$
 - good agreement between the two results
 - smaller uncertainties, by almost a factor of 1.6, for the new result

New $\Delta g/g$ Results cont.

- The $\Delta g/g$ results were obtained in 3 x_g bins
 - there is 30% correlation between results in 1st and 2nd bin (fit outcome)

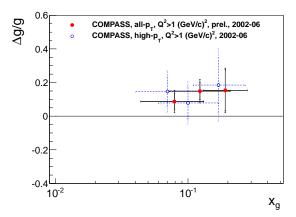
Results



M. Stolarski (LIP)

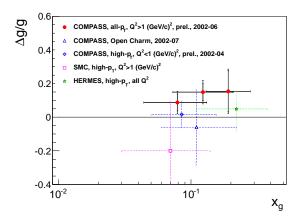
New $\Delta g/g$ Results and Comparison to PLB 718, (2013) 922

- The $\Delta g/g$ results were obtained in 3 x_g bins
 - there is 30% correlation between results in 1^{st} and 2^{nd} bin (fit outcome)
- Good agreement with previously published results
- In the new method slightly higher x_g are probed



Comparison of New Results and The World $\Delta g/g$ Data

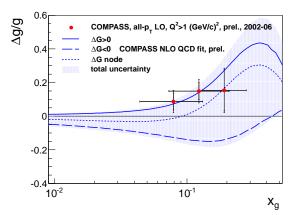
- The new results are in good agreement with the world $\Delta g/g$ extracted in LO analyses
- They have the best combined systematical and statistical uncertainty



M. Stolarski (LIP)

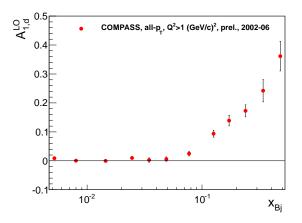
Comparison of New Results and NLO QCD Fits

- Comparison of the new $\Delta g/g$ results obtained in LO analysis with COMPASS NLO QCD fit to the world g_1 data
 - For details of the QCD fit see talk by Malte Wilfert
- Uncertainty of $\Delta g/g$ could be reduced if results of all- p_T analysis could be used in NLO fits



Extracted A_1^{LO}

- For completeness A_1^{LO} results are shown
 - extracted asymmetries are compatible with zero for low x_{Bi}
 - positive value is obtained for higher x_{Bj} , as expected



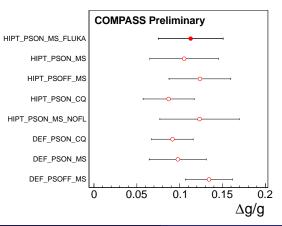
Systematic Studies

- Systematic studies done for PLB 718, (2013) 922 are valid
- Only the most important contributions were re-evaluated
- Two sources of systematic uncertainty were eliminated:
 - simplification of the formula for $\Delta g/g$ extraction
 - A^{incl} parametrization uncertainty
- Remaining crucial contributions:
 - dilution factor and target and beam polarization 0.008
 - NN parametrization 0.007
 - apparatus false asymmetries 0.029
 - $\bullet~MC$ systematic 0.017 \rightarrow details given in this talk
- Total systematic uncertainty 0.035 (preliminary)

Systematic Studies

MC Systematic Studies

- Presented analysis is MC dependent
- 8 MC samples are used to study systematic uncertainty of $\Delta g/g$
- The extracted values of $\Delta g/g$ for each of MC are shown in figure
- The RMS of the obtained results was taken as a systematic error



- Obtained Δg/g results are very stable, RMS = 0.017
- Results are stable while the error of $\Delta g/g$ changes by up to a factor 2

Why $\Delta g/g$ Results Are so Stable?!

 $A_{LL}^{h}(x_{Bj}) = R_{PGF} a_{LL}^{PGF} \Delta g/g(x_G) + R_{LP} DA_1^{LO}(x_{Bj}) + R_{QCDC} a_{LL}^{QCDC} A_1^{LO}(x_C)$

• Let
$$A_1^{LO} = A_{LL}^h = 0$$
 for low $x_{Bj} \Rightarrow \Delta g/g = ?$

•
$$\Delta g/g = -\frac{a_{LL}^{QCDC}R_{QCDC}}{a_{LL}^{PGF}R_{PGF}}A_1^{LO}(=0.14)\approx 0.13$$

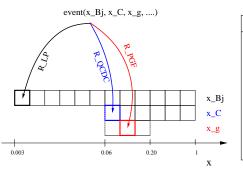
- COMPASS result: $\Delta g/g = 0.113 \leftarrow$ close to 0.13!
- Systematic dominated by stability of $\frac{a_{LL}^{QCDC}R_{QCDC}}{a_{LL}^{PGF}R_{PGF}}$
 - a_{LL}^i are very stable for all MC samples
 - thus, systematic is dominated by stability of R_{QCDC}/R_{PGF}
 - ${\, \bullet \,}$ the $\alpha_{\rm S}$ cancels as both higher order processes
 - p_T for both processes is dominated by partonic x-section calculable in LO, and not by p_T of the fragmentation (which was tuned)
 - $\bullet\,$ clearly R_{QCDC}/R_{PGF} more stable than e.g. R_{LO}/R_{PGF} or R_{PGF} itself

• Since $\frac{a_{LL}^{QCDC} R_{QCDC}}{a_{LL}^{PGF} R_{PGF}}$ is rather stable \Rightarrow so is extracted $\Delta g/g$

Systematic Studies

A₁ Compatibility Check

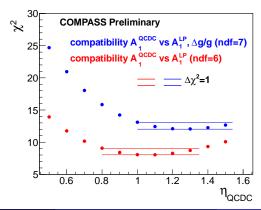
- $A_1^{QCDC}(x_C) = A_1^{LP}(x_{Bj}) = A_1^{LO}(x)$; for $x_C = x_{Bj}$
- \bullet We can verify equality of the two asymmetries by performing χ^2 test
- The χ^2 test can fail when our R_i and a_{LL}^i taken from MC are wrong!
- $\chi^2 < 12.6$ on 95% CL and ndf=6
- The $\chi^2/{
 m ndf}$ for the main MC sample is 8.1/6 ightarrow reasonable



	name	χ^2
1	HIPT_PSON_MS_FLUKA	8.1
2	HIPT_PSON_MS	8.8
3	HIPT_PSOFF_MS	3.9
4	HIPT_PSON_CQ	10.1
5	HIPT_PSON_MS_NOFL	6.9
6	DEF_PSON_CQ	13.1
7	DEF_PSON_MS	10.7
8	DEF_PSOFF_MS	9.9

Knowledge of $a_{LL}^{QCDC} R_{QCDC}$ from Data

- What if we change $a_{LL}^{QCDC} R_{QCDC}$ predicted by MC...
- The χ^2 profile of A_1 compatibility test can be studied
- Simple example with scaling of $a_{LL}^{QCDC} R_{QCDC}$ presented, $\eta_{QCDC} = 1 \rightarrow$ what is in MC
- Lower values of $a_{LL}^{QCDC} R_{QCDC}$, which decrease $\Delta g/g$ are not preferred





- A reanalysis of $\Delta g/g$ COMPASS data from DIS region was presented, using the so called all- p_T method
- New consistency checks are possible in the new method
- $\Delta g/g = 0.113 \pm 0.038 \pm 0.035$
- Reduction of statistical and systematic uncertainties by a factor of 1.6 with respect to PLB 718, (2013) 922
- The obtained result is in very good agreement with the world data