## Hadron Physics at the CoMPASS Experiment

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- Motivations for hadron spectroscopy
- The Compass experiment
- Partial-Wave Analysis
- Three-pion final states
- Summary and conclusion


## Motivation

- The strong interaction, which describes the dynamics of quarks and gluons, gives rise to a rich spectrum of hadrons
- In principle this spectrum should be described by the Lagrangian of quantum chromodynamics (QCD):

$$
\mathcal{L}_{Q C D}=\sum_{i, j \in \text { quarks }} \bar{\psi}_{i}\left(i\left(\gamma^{\mu} D_{\mu}\right)_{i j}-m_{i} \delta_{i j}\right) \psi_{j}-\frac{1}{4} G_{\mu \nu}^{a} G^{\mu \nu a}
$$

- Due to confinement, quarks and gluons do not exist as free particles, but typically form baryons (|qqq〉) and mesons (|q $\bar{q}\rangle)$.
- Usual perturbation theory (as e.g. in QED) is not applicable anymore
- This talk will only be about the light meson sector
- In the constituent quark model, mesons are described as bound states of a quark and an anti-quark
- The quark spin couples to a total spin $S=0,1$
- The total spin and the orbital angular momentum $\vec{L}$ of the quarks couples to a total spin $\vec{J}=\vec{L}+\vec{S}$
- The quantum numbers of a meson are given by $J^{P C}$ with Parity $P=(-1)^{L+1}$ and generalized charge conjugation $C=(-1)^{L+S}$
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- Forbidden $J^{P C}$ (e.g. $\left.0^{--}, 0^{+-}, 1^{-+}, 2^{+-}, \ldots\right)$ indicate states beyond the constituent quark model
- Beyond bound quark-anti-quark states, other exotic states of QCD could be possible
- Possible exotic states are:
- Hybrids: $|q \bar{q} g\rangle$
- Glueballs: $|g g\rangle$
- Multi-quark states:
* Tetra-quarks: $|q q \bar{q} \bar{q}\rangle$
^ Mulecules: $|(q \bar{q})(q \bar{q})\rangle$
$\star$...
- A physical state may be any superposition of these basic states
- Forbidden quantum numbers can't be explained as $q \bar{q}$ pairs, they must be something else



## The Compass experiment

- Multi-purpose fixed-target experiment at CERN
- (Secondary) hadron and (tertiary) muon beams supplied by CERN's Super Proton Synchrotron (SPS)
- Broad physics program:
- Spin-structure of the nucleon (using $\mu^{ \pm}$and hadron beams) See talk:"The New Spin Physics Program of the Compass Experiment" by Luis Silva on Saturday
- Hadron structure and spectroscopy (using mainly hadron beams)
- For the analysis presented:
- $190 \mathrm{GeV} / \mathrm{c}$ secondary hadron beam ( $97 \% \pi^{-}$)
- $40 \mathrm{~cm} \mathrm{H} \mathrm{H}_{2}$ target

The ComPASs Experiment


## The Partial-Wave Analysis Method

## Basic situation

- Incoming $\pi^{-}$gets excited by interaction via Pomeron-exchange with the target and forms an intermediate state $X^{-}$

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\text { Example: } \pi^{-} p \rightarrow \pi^{-} \pi^{+} \pi^{-} p
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## Partial-Wave Analysis

## Basic situation

- Incoming $\pi^{-}$gets excited by interaction via Pomeron-exchange with the target and forms an intermediate state $X^{-}$
- Many different intermediate states $X^{-}$ decay into the same final state
- Different $X^{-}$may interfere with each other


## Main goal:

Disentangle all contributing intermediate states, so called 'waves'

- Use Partial-Wave Analysis to do this


## Partial-Wave Analysis

- Dalitz plots at different $m_{X}$ show a correlation between the spectrum of the $2 \pi$-subsystem and the three-pion mass
- Horizontal and vertical band structures are visible




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## Partial-Wave Analysis

## The isobar model

- Dalitz plots at different $m_{X}$ show a correlation between the spectrum of the $2 \pi$-subsystem and the three-pion mass
- Horizontal and vertical band structures are visible
$\rightarrow$ describe process as subsequent two-particle decays: isobar model




- The process is described by a complex amplitude, which takes the form:

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- The complex production amplitudes $T_{\text {wave }}$ are independently fitted in bins of the mass of the intermediate state $m_{X}$
- Resonances show through the intensity and a phase shift of the $T_{\text {wave }}$


## Three-Pion Final States

- For this analysis, CompAss 2008 data are used
- 190 GeV secondary hadron beam ( $97 \% \pi^{-}$) on hydrogen target
- Two final states: $\pi^{-} \pi^{0} \pi^{0}$ and $\pi^{-} \pi^{+} \pi^{-}$
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- Different systematics in both channels

- Spin-1 axial vector meson decaying into $\rho(770) \pi^{-}$
- Biggest wave in the analysis with $\sim 33 \%$ of the intensity in the $\pi^{-} \pi^{+} \pi^{-}$channel
- The $a_{1}(1260)$ resonance is clearly visible (It also shows through a phase motion which is not depicted here)
- Good agreement between both channels

$\pi^{-} \pi^{+} \pi^{-}$and $\pi^{-} \pi^{0} \pi^{0}$ scaled to the integrals
- Spin-2 meson decaying into $\rho(770) \pi^{-}$
- Also a dominant wave with $\sim 8 \%$ of the intensity in the $\pi^{-} \pi^{+} \pi^{-}$channel
- The $a_{2}(1320)$ resonance is clearly visible
- Good agreement between both channels
- The $a_{2}(1320)$ is the most beautiful resonance seen in the analysis with nearly no background

- State with quantum numbers of a pion with spin 2 decaying into $t_{2}(1270) \pi^{-}$
- The $f_{2}(1270)$ is a well-known state with quantum numbers $J^{P C}=2^{++}$
- Takes $\sim 7 \%$ of the intensity in the $\pi^{-} \pi^{+} \pi^{-}$channel
- The $\pi_{2}(1670)$ resonance is clearly visible
- Also good agreement between both channels

$\pi^{-} \pi^{+} \pi^{-}$and $\pi^{-} \pi^{0} \pi^{0}$ scaled to the integrals


## With these three waves, the gross features of the mass spectrum of the two channels can be described







- Spin-4 meson decaying into $\rho(770) \pi$
- Only $0.76 \%$ of the intensity in the $\pi^{-} \pi^{+} \pi^{-}$channel
- The $a_{4}(2040)$ resonance is clearly visible
- PWA also allows to clearly extract waves on sub-percent level

$\pi^{-} \pi^{+} \pi^{-}$and $\pi^{-} \pi^{0} \pi^{0}$ scaled to the integrals
- Intermediate state with same quantum numbers as the first wave ( $J^{P C}=1^{++}$), but decaying into $f_{0}(980) \pi$
- The $f_{0}(980)$ has the quantum numbers $J^{P C}=0^{++}$
- Only $0.25 \%$ of the intensity in the $\pi^{-} \pi^{+} \pi^{-}$channel
- This $a_{1}(1420)$ was never seen before due to its small intensity, but here it appears in both channels
- Only visible because of the large Compass data set


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## Summary

- This data set is the largest for the $\pi^{-} \pi^{+} \pi^{-}$channel with $\sim 50000000$ events, which allows for a very detailed Partial-Wave Analysis
- This analysis allows to extract waves on the sub-percent level
- Very precise description of the accessible light hadron spectrum (IG $=1^{-}$)
- A new resonance, the $a_{1}$ (1420), was seen
- Was not expected at all at this mass
- The decay into $f_{0}(980)$ is peculiar
- Lies at the $K K^{*}$ threshold
- Intensity in the spin-exotic wave with quantum numbers $J^{P C}=1^{-+}$was also seen
Outlook
- Publication in progress
- Extraction of resonance parameters (work in progress)


## The spin-exotic wave $1^{-+} 1^{+} \rho(770) \pi P$

- In the $1^{-+} 1^{+} \rho(770) \pi P$ wave, a signal was seen in the analysis
- This wave is spin-exotic, i.e. it can't be explained by the constituent quark model
- Interpretation in terms of resonances not clear at the moment
- Shape changes with four-momentum transfer
- Compare to models for non-resonant contributions (Deck-model)

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Result of the PWA and Deck-model scaled to integrated intensity

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## Extraction of the isobar structure (De-isobarred PWA)

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- This shape is replaced by a series of piecewise constant functions
- With these, the (binned) shape of the isobars can be determined in the fit
- Since this analysis can also be done in bins of $m_{X}$, a two dimensional picture is obtained


This is not a Dalitz plot

## The five-pion final state

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- This results in $\sim 1700$ waves and $\sim 10^{100}$ possible wave-sets
- Use a genetic algorithm to find the right wave-set



