## Overview of the nucleon spin studies at COMPASS

Nucleon:
almost all visible matter

Spin:
fundamental quantum number

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on behalf of the COMPASS collaboration

## Motivation

- Motivation I: Nucleon spin structure


Mostly studied in polarised Deep Inelastic Scattering (DIS)

Where does the proton spin (complex structure in QCD) come from?

$$
\begin{aligned}
\left(\frac{S_{z}^{N}}{\hbar}\right)= & \frac{1}{2}=\frac{1}{2} \Delta \Sigma+L_{z}^{q}+\Delta G+L_{z}^{g} \quad \longrightarrow \\
& =\lim _{t \rightarrow 0} \int_{-1}^{+1} d x x[H(x, \xi, t)+E(x, \xi, t)]+J^{g}
\end{aligned}
$$

## GPDs

- $\Delta \Sigma=\int_{0}^{1} \Delta u(x)+\Delta \bar{u}(x)+\Delta d(x)+\Delta \bar{d}(x)$ $+\Delta s(x)+\Delta \bar{s}(x) d x \quad \mathbf{Q}^{2}=-\mathbf{q}^{2}$
- $\Delta G=\int_{0}^{1} \Delta g(x) d x$
$\mathrm{v}=\mathbb{E}-\mathbb{E}^{\prime}$
- $L^{q}$ related to TMDs
$\mathbf{x}=\mathbf{Q}^{2} / \mathbf{2 M} \nu$
- $\Delta \Sigma+L^{q}$ related to GPDs

- Motivation II: Parton Distribution Functions (PDFs), TMDs and GPDs


Transverse Momentum Generalized Parton $\left(\mathrm{k}_{\mathrm{T}}\right)$ Dependent PDFs Distributions


## mmon uon and Proton A pparatus for tructureano spectroscopy



The spectrometer and polarised (longitudinal example) target


## Leading Order (LO) description of the nucleon structure

(when the intrinsic transverse momentum of quarks, $k_{T}$, is also taken into account)

## 8 TMD PDFs are required:

| Quark <br> Nucleon | Unpolarised | Longitudinal Polarisation | Transverse <br> Polarisation |
| :---: | :---: | :---: | :---: |
| Unpolarised | $f_{1}$ <br> (Number. density) |  | $\begin{aligned} & h_{1}^{\perp}-1 \\ & \text { (Boer } \\ & \quad \text { Mulders) } \end{aligned}$ |
| Longitudinal Polarisation |  | $\boldsymbol{g}_{1}$ (Helicity) | $\begin{gathered} h_{1 L}^{\perp} \\ (\text { Worm Gear }) \end{gathered}$ |
| Transverse <br> Polarisation |  | $\boldsymbol{g}_{1 T} \Leftrightarrow-\Theta$ <br> (Worm Gear) | $\begin{gathered} h_{1}(b-1 \\ h_{1 T}^{\perp}(1)-8 \end{gathered}$ |

Contain information about the
Orbital Angular Momentum
(OAM) of quarks

Investigated at COMPASS via measurement of spin asymmetries

Study $\Delta q\left(x, Q^{2}\right)$ and $\Delta \mathrm{g}\left(x, Q^{2}\right)$
(Transversity)
Study $\Delta_{\mathrm{T}} \mathrm{q}\left(x, Q^{2}\right)$

$$
\begin{aligned}
\Phi_{\text {Coll }}^{T w-2}(x)= & \frac{1}{2}\left\{q(x)+S_{L} \gamma_{5} \Delta q(x)\right. \\
& \left.+S_{L} \gamma_{5} \gamma^{1} \Delta_{T} q(x)\right\}
\end{aligned}
$$

## COMPASS results with a longitudinally polarised target

Asymmetry measurement (example): $\mathbf{A}_{1}^{\mathrm{N}}:=\frac{\Delta \sigma_{\gamma * \mathrm{~N}}}{\sigma_{\gamma * \mathrm{~N}}}=\frac{\left(\sigma_{\gamma * \mathrm{~N}}^{\vec{~}}-\sigma_{\gamma * \mathrm{~N}}^{\xi}\right)}{\sigma_{\gamma * \mathrm{~N}}^{\text {unpol }}}$

- The number of reconstructed events inside each spin configuration of the target, $N_{t}\left(t=u, d, u^{\prime}, d^{\prime}\right)$, can be used to extract the inclusive $\mathbf{A}_{1}{ }^{d} / \mathbf{A}_{1}{ }^{\mathbf{p}}$ asymmetries:
upstream cell downstream cell

$$
\begin{aligned}
A^{\exp } & =\frac{1}{2}\left(\frac{\mathrm{~N}_{\mathrm{u}}-\mathrm{N}_{\mathrm{d}}}{\mathrm{~N}_{\mathrm{u}}+\mathrm{N}_{\mathrm{d}}}+\frac{\mathrm{N}_{\mathrm{d}^{\prime}}-\mathrm{N}_{\mathrm{u}^{\prime}}}{\mathrm{N}_{\mathrm{d}^{\prime}}+\mathrm{N}_{\mathrm{u}^{\prime}}}\right) \\
& =\mathrm{f} \cdot \mathrm{P}_{\dot{\mu}} \mathrm{P}_{\mathrm{T}}{\mathrm{D} \cdot \mathrm{~A}_{\mathrm{l}}}^{\mathrm{A}^{\mu \mathrm{N}}}
\end{aligned}
$$

$\mathrm{D}=\underline{\text { Depolarisation factor }}$

- Weighting each event with $\omega=\left(\mathrm{fP}_{\mu} \mathrm{D}\right)$ :


## Interpretation of $\mathbf{A}_{1}$ in terms of structure functions



$$
\begin{aligned}
& \Delta \mathrm{q}(\mathrm{x})=\mathrm{q}(\mathrm{x})^{+}-\mathrm{q}(\mathrm{x})^{-} \\
& \mathrm{q}(\mathrm{x})=\mathrm{q}(\mathrm{x})^{+}+\mathrm{q}(\mathrm{x})^{-} \\
& + \text {quark } \uparrow \mathbb{1} \text { nucleon } \\
& - \text { quark } \uparrow \text { nucleon }
\end{aligned}
$$

$$
\mathrm{A}_{1}\left(\mathrm{x}, \mathrm{Q}^{2}\right)=\frac{\stackrel{\sigma_{\gamma^{*} \mathrm{~N}}-\sigma_{\gamma * \mathrm{~N}}}{\stackrel{\leftrightarrows}{\leftrightarrows}}}{\sigma_{\gamma^{*} \mathrm{~N}}} \approx \frac{\sum_{\mathrm{q}} \mathrm{e}_{\mathrm{q}}^{2} \Delta \mathrm{q}\left(\mathrm{x}, \mathrm{Q}^{2}\right)}{\sum_{\mathrm{q}} \mathrm{e}_{\mathrm{q}}^{2} \mathrm{q}\left(\mathrm{x}, \mathrm{Q}^{2}\right)}=\frac{\mathrm{g}_{1}\left(\mathrm{x}, \mathrm{Q}^{2}\right)}{\mathrm{F}_{1}\left(\mathrm{x}, \mathrm{Q}^{2}\right)}=\frac{\mathrm{g}_{1}\left(\mathrm{x}, \mathrm{Q}^{2}\right) 2 \mathrm{x}(1+\mathrm{R})}{\mathrm{F}_{2}\left(\mathrm{x}, \mathrm{Q}^{2}\right)}
$$

- $g_{1}$ (polarised structure function) is obtained from the measured $A_{1}$ using:
$\mathrm{F}_{2} \rightarrow \underline{\text { SMC parameterisation }} \quad$ and $\quad \mathrm{R}=\sigma^{\mathrm{L}} / \sigma^{\mathrm{T}} \rightarrow \underline{\text { SLAC parameterisation }}$


## COMPASS results for $g_{1}{ }^{d / p}$ and first moments of $g_{1}{ }^{\mathbf{d}}$




$$
\begin{aligned}
& \Gamma_{1}^{\mathbf{N}}\left(\mathbf{Q}_{0}^{2}=3(\mathbf{G e V} / \mathbf{c})^{2}\right)=\int_{0}^{1} \mathbf{g}_{1}(\mathbf{x}) \mathbf{d x}=0.0502 \pm 0.0028(\text { stat }) \pm 0.0020(\text { evol }) \pm 0.0051(\text { syst }) \\
& \quad=\frac{1}{9}\left(1-\frac{\alpha_{\mathbf{s}}\left(\mathbf{Q}^{2}\right)}{\pi}+\mathbf{O}\left(\alpha_{\mathrm{s}}^{2}\right)\right)\left(\mathbf{a}_{0}\left(\mathbf{Q}^{2}\right)+\frac{1}{4} \mathbf{a}_{8}\right) \Rightarrow \mathbf{a}_{0}=0.35 \pm 0.03(\text { stat }) \pm 0.05(\text { syst })
\end{aligned}
$$

$$
\begin{array}{rll}
\Delta \Sigma^{\overline{\mathrm{MS}}}=0.33 \pm 0.03(\text { stat }) \pm 0.05(\text { syst }) & \left(\Delta \Sigma^{\overline{\mathrm{MS}}}=\mathbf{a}_{0} @ \mathbf{Q}^{2} \rightarrow \infty\right) \\
& =0.30 \pm 0.01(\text { stat }) \pm 0.02(\text { syst }) & \text { (using world data on } p, n, d) \\
(\Delta \mathbf{s}+\Delta \overline{\mathbf{s}})=\frac{1}{3}\left(\Delta \Sigma^{\overline{\mathrm{MS}}}-\mathbf{a}_{8}\right)=-0.08 \pm 0.01(\text { stat }) \pm 0.02(\text { syst })
\end{array}
$$

## Extraction of the quark helicity distributions from SemiInclusive DIS (SIDIS)


tags the quark flavour

- We have at Leading Order $(L O)$ in QCD :

$$
A_{1,(\mathrm{p} / \mathrm{d})}^{\mathrm{h}}\left(\mathrm{x}, \mathrm{z}, \mathrm{Q}^{2}\right) \approx \frac{\sum_{\mathrm{q}} \mathrm{e}_{\mathrm{q}}^{2} \Delta \mathrm{q}\left(\mathrm{x}, \mathrm{Q}^{2}\right) \mathrm{D}_{\mathrm{q}}^{\mathrm{h}}\left(\mathrm{z}, \mathrm{Q}^{2}\right)}{\sum_{\mathrm{q}} \mathrm{e}_{\mathrm{q}}^{2} \mathrm{q}\left(\mathrm{x}, \mathrm{Q}^{2}\right) \mathrm{D}_{\mathrm{q}}^{\mathrm{h}}\left(\mathrm{z}, \mathrm{Q}^{2}\right)}
$$

- Unpolarised PDFs $\left(q\left(x, Q^{2}\right)\right) \rightarrow \underline{\text { MRST04 }}$
- Fragmentation function of a quark to a hadron $\left(D_{q}^{h}\left(z, Q^{2}\right)\right) \rightarrow \underline{\text { DSS parameterisation }}$
- Results for $\mathbf{A}_{1,(\mathrm{p} / \mathrm{d})}^{\mathrm{h}}$ ( allows the separate extraction of $\Delta \mathrm{u}, \Delta \mathrm{d}, \Delta \overline{\mathbf{u}}, \Delta \overline{\mathrm{d}}, \Delta \mathrm{s}$ and $\left.\Delta \overline{\mathrm{s}}\right)$ :




## Quark helicities from SIDIS: $\left.\mathbf{Q}^{2}=\mathbf{3 ( G e V} / \mathbf{c}\right)^{2}$ and $\mathbf{x}<0.3$

- COMPASS PLB693(2010)227, ○ HERMES, - DSSV


No flavor asymmetry in the polarised sea


COMPASS PLB 693 (2010) 227


$$
\Delta \mathbf{s}(\text { SIDIS })=-0.01 \pm 0.01(\text { stat. }) \pm 0.01(\text { syst. }) @ 0.003<\mathbf{x}<0.3
$$

## $\Delta$ s dependence on Fragmentation Functions (FFs)

- The relation between the semi-inclusive asymmetries and $\Delta \mathrm{s}$ depends only on the following ratios:

$$
\mathbf{R}_{\mathbf{U F}}=\frac{\int_{0.2}^{0.85} \mathbf{D}_{\mathbf{d}}^{\mathbf{K}^{+}}(\mathbf{z}) \mathbf{d z}}{\int_{0.2}^{0.85} \mathbf{D}_{\mathbf{u}}^{\mathbf{K}^{+}}(\mathbf{z}) \mathbf{d z}}, \quad \mathbf{R}_{\mathbf{S F}}=\frac{\int_{0.2}^{0.85} \mathbf{D}_{\overline{\mathbf{s}}}^{\mathbf{K}^{+}}(\mathbf{z}) \mathbf{d z}}{\int_{0.2}^{0.85} \mathbf{D}_{\mathbf{u}}^{\mathbf{K}^{+}}(\mathbf{z}) \mathbf{d z}}
$$



- $\mathrm{R}_{\mathrm{UF}}$ is varied linearly from 0.13 (DSS) at $\mathrm{R}_{\mathrm{SF}}=6.6$ to $0.35(\mathrm{EMC})$ at $\mathrm{R}_{\mathrm{SF}}=3.4$ (to maintain constant the $\mathrm{K}^{+}$multiplicity)
- Determination of $\mathrm{R}_{\mathrm{SF}}$ from hadron multiplicities on the way


## A first look on hadron multiplicities

- Assuming the quark parton model (leading order):



## Direct measurement of $\Delta \mathrm{g} / \mathrm{g}$ at LO in QCD

photon-gluon fusion process (PGF)


$$
\begin{aligned}
\mathbf{A}_{\mu \mathrm{N}}^{\mathrm{PGF}} & =\frac{\int \mathbf{d} \hat{\mathbf{s}} \Delta \sigma^{\mathrm{PGF}} \Delta \mathbf{g}\left(\mathbf{x}_{\mathbf{g}}, \hat{\mathbf{s}}\right)}{\int \mathbf{d} \hat{\mathbf{s}} \sigma^{\mathrm{PGF}} \mathbf{g}\left(\mathbf{x}_{\mathbf{g}}, \hat{\mathbf{s}}\right)} \\
& \approx\left\langle\mathbf{a}_{\mathrm{LL}}^{\mathrm{PGF}}\right\rangle \frac{\Delta \mathbf{g}}{\mathbf{g}}
\end{aligned}
$$

Obtained from Monte Carlo and parameterised by a Neural Network (to be used on data)

There are two methods to tag this process:

- Open Charm production
- $\gamma^{*} \mathrm{~g} \rightarrow \mathrm{cc} \Rightarrow$ reconstruct $\mathrm{D}^{0}$ mesons
- Hard scale: $\mathrm{M}_{\mathrm{c}}{ }^{2}$
- No intrinsic charm in COMPASS kinematics
- No physical background
- Weakly model dependent
- Low statistics
- High- $p_{T}$ hadron pairs
- $\gamma^{*} \mathrm{~g} \rightarrow \mathrm{q} \overline{\mathrm{q}} \Rightarrow$ reconstruct 2 jets or $\mathrm{h}^{+} \mathrm{h}^{-}$
- Hard scale: $\mathrm{Q}^{2}$ or $\Sigma \mathrm{p}_{\mathrm{T}}^{2}\left[\mathrm{Q}^{2}>1\right.$ or $\left.\mathrm{Q}^{2}<1(\mathrm{GeV} / \mathrm{c})^{2}\right]$
- High statistics
- Physical background
- Strongly model dependent


## Results on $\Delta \mathrm{g} / \mathrm{g}$ and $\mathbf{x} \Delta \mathrm{g}$

## World data at LO




COMPASS Open-Charm at NLO


Example of NLO diagrams


# COMPASS results with a transversely polarised target 

## Interpretation of Collins \& Sivers asymmetries in terms of TMDs

$$
A_{\text {Siv }} \approx \frac{\sum_{q} e_{q}^{2} f_{1 T}^{\perp q} \otimes D_{1 q}^{h}}{\sum_{q} e_{q}^{2} f_{1}^{q} \otimes D_{1 q}^{h}}
$$

measured by fitting the corresponding $\left(\phi_{h}, \phi_{S}\right)$ distributions (from $\sigma^{S I D I S}$ ) in different $x, z, p_{T}{ }^{h}$ bins

Collins Angle

The "Collins Effect"
$\leq \sin \left(\Phi_{h}+\Phi_{S}\right)$
Angle of hadron / initial quark spin
$h_{1}(x) \otimes H_{1}^{\perp}\left(z, p_{T}\right)$

sensitive to transversity and spin-orbit effects in fragmentation



Sivers Angle
$f_{1 T}^{\perp}\left(x, k_{T}\right) \otimes D_{1}(z) \quad \sin \left(\Phi_{h}-\Phi_{S}\right)$

$\otimes$ denotes convolution over intrinsic quark $\mathbf{k}_{T} \&$ fragmentation $\mathbf{p}_{T}$

## Results on the Collins asymmetry

(correlation between the hadron $p_{T}$ \& the quark transverse spin in a transversely polarised nucleon)


## Understood as:

- $u-d$ cancellation
- favored/unfavored Collins FF

COMPASS 2007, 2010 proton data


## Transversity from Collins asymmetry



- $\Delta_{\mathrm{T}} \mathrm{u}>0$ and $\Delta_{\mathrm{T}} \mathrm{d}<0$
(u quark transversity along nucleon spin)
- Smaller amplitudes than helicity
- Combined analysis of HERMESproton, COMPASS-deuteron and BELLE FF data:
M. Anselmino et al. arXiv:0812.4366



## Results on the Sivers asymmetry

(correlation between the nucleon transverse spin and the quark $k_{T}$ )

COMPASS 2002, 2003, 2004 deuteron data


Understood as:

- u-d cancellation


Sivers function and Orbital Angular Momentum (OAM)
( $\left.\underline{\mathrm{Ji} \text { sum rule: }} J^{q}=\frac{1}{2} \Delta \Sigma+L^{q}=\frac{1}{2} \int_{0}^{1} d x x\left[H^{q}(x, 0,0)+E^{q}(x, 0,0)\right]=\frac{1}{2}-J^{g}\right)$
Usual PDF $q(\mathbf{x})$


M. Anselmino et al. arXiv:0812.4366

$f_{1 T}^{\perp(0) a}\left(x ; Q_{L}^{2}\right)=-L(x) E^{a}\left(x, 0,0 ; Q_{L}^{2}\right)$
Sivers TMD Lensing function
Use SIDIS Sivers asymmetry data to constrain shape


Jefferson Lab

$$
\kappa^{p}=\int_{0}^{1} \frac{d x}{3}\left[2 E^{u_{v}}(x, 0,0)-E^{d_{v}}(x, 0,0)-E^{s_{v}}(x, 0,0)\right]
$$

$$
\kappa^{n}=\int_{0}^{1} \frac{d x}{3}\left[2 E^{d_{v}}(x, 0,0)-E^{u_{v}}(x, 0,0)-E^{s_{v}}(x, 0,0)\right]
$$

Use anomalous magnetic moments to constrain integral
Possibility to estimate the orbital angular momentum from $\mathrm{E}^{\mathrm{q}}$

## COMPASS future

## COMPASS future I (2015): TMDs from polarised Drell-Yan

DRELL-YAN PROCESS


Large acceptance in the valence region where large single spin asymmetries (SSA) are expected

- Convolution of 2 TMDs (no FF involved):

$$
\sigma_{D Y} \propto f_{\bar{u} / \pi^{-}} \otimes f_{u / P}^{\prime}
$$

- Test of the TMD universality factorization approach (for the description of SSA):

$$
\left.f_{1 \mathrm{IT}}^{\perp}\right|_{\mathrm{DY}}=-\left.\left.f_{1 \mathrm{IT}}^{\perp}\right|_{\mathrm{DIS}} \& h_{1}^{\perp}\right|_{\mathrm{DY}}=-\left.h_{1}^{\perp}\right|_{\mathrm{DIS}}
$$

- Study the production mechanism and the polarisation of $J / \Psi$

Main modifications in the spectrometer


## COMPASS future II $(2016,2017)$ : GPDs and nucleon tomography



- Measurement of 4 generalised parton distributions (GPDs) for quarks: $\boldsymbol{H}, \boldsymbol{E}, \widetilde{\boldsymbol{H}}, \widetilde{\boldsymbol{E}}(\boldsymbol{x}, \boldsymbol{\xi}, \boldsymbol{t})$
- Contain normal PDF and elastic form factor as limiting cases: $q(x)=H(x, 0,0)$ and $F(t)=\int d x H(x, \xi, t)$
- Correlates transverse spatial and longitudinal momentum degrees of freedom (nucleon tomography)
- Access the OAM of quarks via the Ji sum rule
- The GPD $\boldsymbol{H}$ will be determined by studying the azimuthal dependence of the DVCS cross-section (combining the data of $\mu^{+}$and $\mu^{-}$beams on a liquid hydrogen target):

- For the cases of $\boldsymbol{\xi}=0$, we have a purely transverse $\Delta_{\perp}^{2}$ :



## Summary

- Gluon contribution to the nucleon spin:
- All measurements point to zero or small contribution
- Quark contribution to the nucleon spin:
- Extraction for all flavours from SIDIS (more knowledge on FF is needed for $\Delta s$ )
- A global contribution of $30 \%$ was measured with high precision
- Transversity and TMDs
- Precise results on Collins and Sivers asymmetries
- Exciting future program in preparation (polarised Drell-Yan and DVCS):

3D imaging of the nucleon


## SPARES

## The polarised beam



## Inclusive asymmetries $A_{1}{ }^{d / p}: \mathbf{Q}^{2}>\mathbf{1}(\mathbf{G e V} / \mathbf{c})^{2}$



## $Q^{2}$ dependence of $g_{1}\left(x, Q^{2}\right)$ for DGLAP evolution




- $\Delta \Sigma$ and $\Delta \mathbf{G}$ can be extracted from Next-to-Leading $\operatorname{Order}(N L O)$ fits to the $g_{1}$ data ( $g_{1} \propto$ $\Delta \Sigma$ and $\Delta G$ ), using their $\mathbf{Q}^{2}$ evolution obtained from the DGLAP equations:

$$
\begin{aligned}
\frac{d}{d \ln Q^{2}} \Delta q^{N S} & =\Delta P_{q q}^{N S} \otimes \Delta q^{N S} \\
\frac{d}{d \ln Q^{2}}\binom{\Delta q^{S}}{\Delta g} & =\left(\begin{array}{cc}
\Delta P_{q q}^{S} & \Delta P_{q g}^{S} \\
\Delta P_{g q}^{S} & \Delta P_{g g}^{S}
\end{array}\right) \otimes\binom{\Delta q^{S}}{\Delta g}
\end{aligned}
$$

$\cdot(\Delta \mathbf{u}+\Delta \overline{\mathbf{u}})$ and $(\Delta \mathbf{d}+\Delta \mathbf{d})$ are well constrained by the data (LSS PRD 802009 )

- Despite of the higher $\mathrm{Q}^{2}$ measurements by COMPASS, the kinematic coverage is not yet sufficient for $\Delta G$


## Bjorken sum rule

- According to the Bjorken sum rule the first moment of the non-singlet spin structure function, $\mathrm{g}_{1}^{\text {NS }}$, is proportional to the ratio of axial and vector coupling constants $\mathrm{g}_{\mathrm{A}} / \mathrm{g}_{\mathrm{V}}$ :

$$
\int_{0}^{1} \mathbf{g}_{1}^{\mathrm{NS}}\left(\mathbf{x}, \mathbf{Q}^{2}\right) \mathbf{d x}=\frac{1}{6} \frac{\mathbf{g}_{\mathbf{A}}}{\mathbf{g}_{\mathbf{B}}} \mathbf{C}_{1}^{\mathrm{NS}}\left(\mathbf{Q}^{2}\right) \quad \text { using } \quad \begin{aligned}
\mathbf{g}_{1}^{\mathrm{NS}}\left(\mathbf{x}, \mathbf{Q}^{2}\right) & =\mathbf{g}_{1}^{\mathbf{p}}\left(\mathbf{x}, \mathbf{Q}^{2}\right)-\mathbf{g}_{1}^{\mathbf{n}}\left(\mathbf{x}, \mathbf{Q}^{2}\right) \\
& =2 \mathrm{~g}_{1}^{\mathbf{p}}-2 \mathrm{~g}_{1}^{\mathbf{d}} /\left(1-1.5 \omega_{\mathbf{D}}\right)
\end{aligned}
$$




- QCD fit of COMPASS data using $\Delta \mathrm{q}^{\mathrm{NS}}=\left|\mathrm{g}_{\mathrm{A}} / \mathrm{g}_{\mathrm{V}}\right| x^{\alpha}(1-x)^{\beta}$ :

$$
\left|\frac{\mathbf{g}_{\mathbf{A}}}{\mathbf{g}_{\mathbf{V}}}\right|=1.28 \pm 0.07(\text { stat }) \pm 0.10(\text { sys })
$$

$$
\left(\underline{P D G} \text { value }:\left|g_{A} / g_{V}\right|=1.269 \pm 0.003\right)
$$

$$
\mathbf{D}^{0} \text { mass spectra (all samples): }\left(A_{D^{0}}^{\exp }=\operatorname{fP}_{\mu} P_{T} \frac{S}{S+B} A_{\mu N}^{D^{0}}{ }^{\mathrm{PGF}}\right. \text { prot }
$$

- Wrong Charge Combination of $\mathbf{K} \pi$ pairs: Example of a background model used for the multidimensional kinematic parameterisation (performed by a Neural Network) of $\mathrm{S} /(\mathrm{S}+\mathrm{B})$



## $s /(s+b)$ : Obtaining final probabilities for a $D^{0}$ candidate

- Events with small $[\mathbf{s} /(\mathbf{s}+\mathbf{b})]_{\mathrm{NN}}$
- Mostly combinatorial background is selected






$$
\delta\left(\frac{\Delta \mathrm{g}}{\mathrm{~g}}\right)=\frac{1}{\mathrm{FOM}}
$$

$\mathbf{s} /(\mathbf{s}+\mathbf{b})$ is obtained from a fit to these spectra (correcting all events with the corresponding values of $\left.[\mathbf{s} /(\mathbf{s}+\boldsymbol{b})]_{N N}\right)$

- Events with large $[\mathrm{s} /(\mathrm{s}+\mathbf{b})]_{\mathrm{NN}}$
- Mostly Open Charm events are selected


## $X_{g}$ from Open Charm



## AROMA with PS-ON versus COMPASS data

- Differential cross section for $\mathbf{D}^{*}$ meson production $\left(\mathrm{D}_{\mathrm{K} \pi}^{0}(2004)\right.$ from $\mathrm{D}^{*+}$ and $\mathrm{D}^{*}$ COMPASS data):



$\mathrm{D}^{\text {D }}{ }^{\text {*+ }}$
EMC


$$
\sigma\left(\mathrm{D}^{* \pm}\right)=1.8 \pm 0.4 \mathrm{nb}
$$

within $20 \mathrm{GeV}<\mathrm{E}_{\mathrm{D}}<80 \mathrm{GeV}$

## Intrinsic charm models




Ref. Hep-ph/0508126 and hep-ph/9508403 Phys. Lett. B93 (1980) 451
Data from EMC:Nucl.Phys.B213, 31(1983)

## High $-p_{\mathrm{T}}$ asymmetries (2002-2006): $\left.\mathbf{Q}^{2}>\mathbf{1 ( G e V / c}\right)^{2}$

- Two samples are considered (fractions of the processes are estimated from MC):
- Inclusive asymmetry

$$
\begin{aligned}
& \mathbf{A}_{1}^{\mathrm{d}}(\mathbf{x})=\frac{\Delta \mathbf{g}}{\mathbf{g}}\left(\mathbf{x}_{\mathrm{g}}\right)\left(\mathbf{a}_{\mathrm{LL}}^{\mathrm{PGF}, \text { inc }} \frac{\sigma^{\mathrm{PGF}, \text { inc }}}{\sigma^{\mathrm{Tot}, \text { inc }}}\right)+\mathbf{A}_{1}^{\mathrm{LO}}\left(\mathbf{x}_{\mathrm{C}}\right)\left(\mathbf{a}_{\mathrm{LL}}^{\mathrm{C}, \text { inc }} \frac{\sigma^{\mathrm{C}, \text { inc }}}{\sigma^{\mathrm{Tot}, \text { inc }}}\right)+\mathbf{A}_{1}^{\mathrm{LO}}\left(\mathbf{x}_{\mathrm{Bj}}\right)\left(\mathbf{D} \frac{\sigma^{\mathrm{LO}, \text { inc }}}{\sigma^{\mathrm{Tot}, \text { inc }}}\right) \\
& \mathbf{A}_{\mathrm{LL}}^{2 \mathrm{~L}}(\mathbf{x})=\left(\frac{\mathbf{A}^{\mathrm{exp}}}{\mathbf{f} \mathbf{P}_{\mu} \mathbf{P}_{\mathrm{T}}}\right)=\frac{\Delta \mathbf{g}}{\mathbf{g}}\left(\mathbf{x}_{\mathrm{g}}\right)\left(\mathbf{a}_{\mathrm{LL}}^{\mathrm{PGF}} \frac{\sigma^{\mathrm{PGF}}}{\sigma^{\mathrm{Tot}}}\right)+\mathbf{A}_{1}^{\mathrm{LO}}\left(\mathbf{x}_{\mathrm{C}}\right)\left(\mathbf{a}_{\mathrm{LL}}^{\mathrm{C}} \frac{\sigma^{\mathrm{C}}}{\sigma^{\mathrm{Tot}}}\right)+\mathbf{A}_{1}^{\mathrm{LO}}\left(\mathbf{x}_{\mathrm{Bj}}\right)\left(\mathbf{D} \frac{\sigma^{\mathrm{LO}}}{\sigma^{\mathrm{Tot}}}\right)
\end{aligned}
$$

high- $p_{\mathrm{T}}$ hadron pairs ( $p_{\mathrm{T} 1} / p_{\mathrm{T} 2}>0.7 / 0.4 \mathrm{GeV} / \mathrm{c}$ ) $\Rightarrow$ enhancement of the PGF contribution


## High $-p_{\mathrm{T}}$ analysis: $\mathbf{Q}^{\mathbf{2}}<\mathbf{1}(\mathbf{G e V} / \mathbf{c})^{\mathbf{2}}$




2002-2004 Preliminary:
$\Delta \mathrm{G} / \mathrm{G}=0.016 \pm 0.058$ (stat) $\pm 0.055$ (syst)
2002-2003 Published:
$\Delta \mathrm{G} / \mathrm{G}=0.024 \pm 0.089$ (stat) $\pm 0.057$ (syst) Phys. Lett. B 633 (2006) 25-32

