

“Spin physics at COMPASS-II and perspectives of the spin physics at JINR”

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on behalf of the COMPASS collaboration

Plan

- Introduction
 - *nucleon spin*
 - *status of the problem*
- Spin physics at COMPASS-II
 - *GPD (DVCS)*
 - *TMD (SIDIS, Drell-Yan)*
- Spin physics at JINR
 - *NICA facility*
 - *spin physics program at NICA*

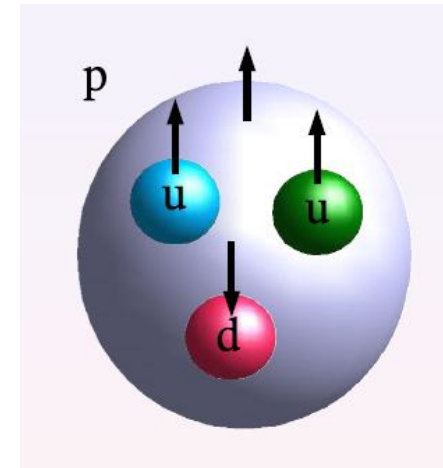
Nucleon spin

$$\Delta\Sigma = \Delta u + \Delta d = 1$$

SQM: up and down quarks carry the nucleon spin!

EMC: Quarks spins contribute little (1987/88)

$$\Delta\Sigma = 0.12$$



Nucleon spin

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SQM: up and down quarks carry the nucleon spin!

EMC: Quarks spins contribute little (1987/88)

$$\Delta\Sigma = 0.12$$

$$\frac{1}{2} = \frac{1}{2}\Delta\Sigma + \Delta G + L_z$$

quarks



small ~0.15

gluons

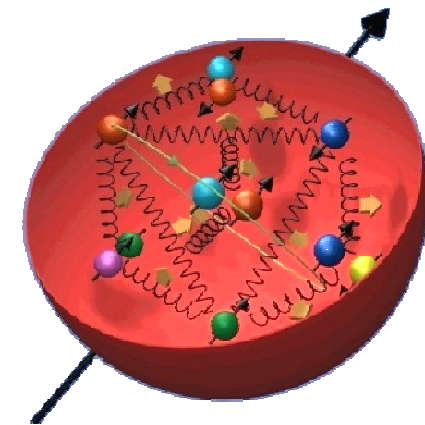
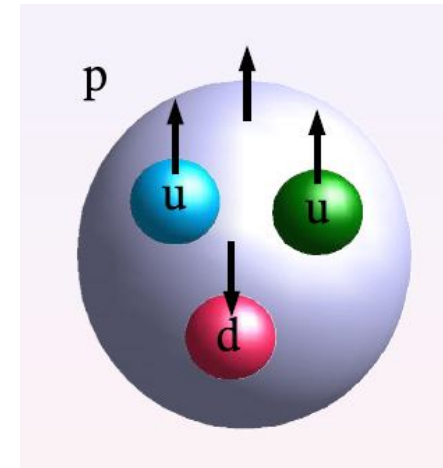


Still poorly known

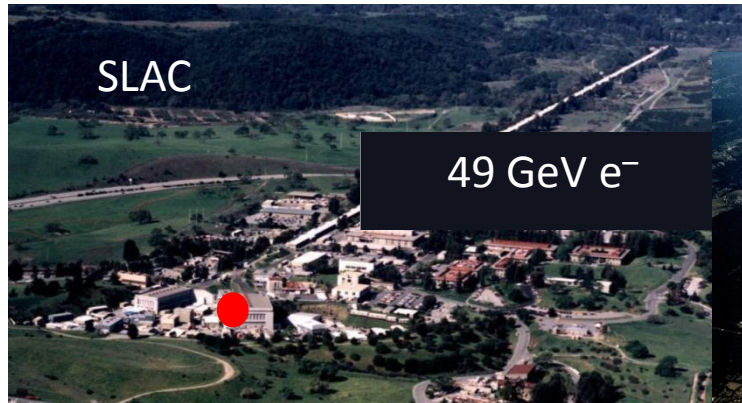
orbital



unknown



Laboratories &



49 GeV e^-



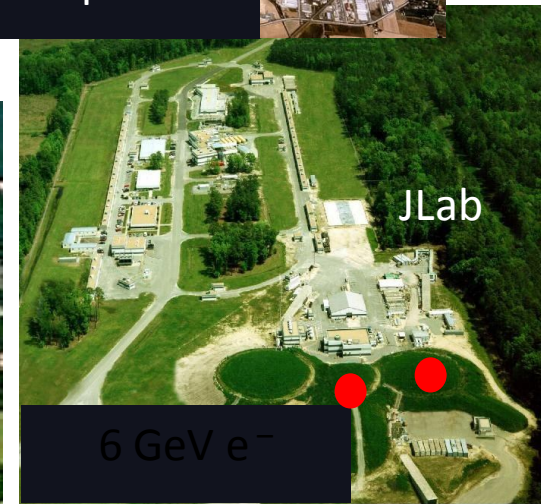
160/280 GeV μ^+



27 GeV e^\pm








250+250 GeV pp



6 GeV e^-

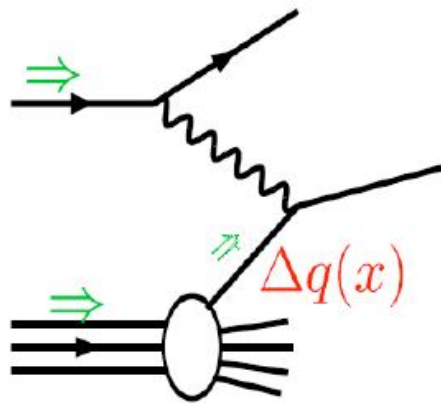
& Experiments

	1970	1980	1990	2000
SLAC				
	E80	E130	E142/3 E154/5	
CERN				
		EMC	SMC	COMPASS
DESY				
			HERMES	
JLab				
				CLAS/HALL-A
RHIC				
				Phenix/Star

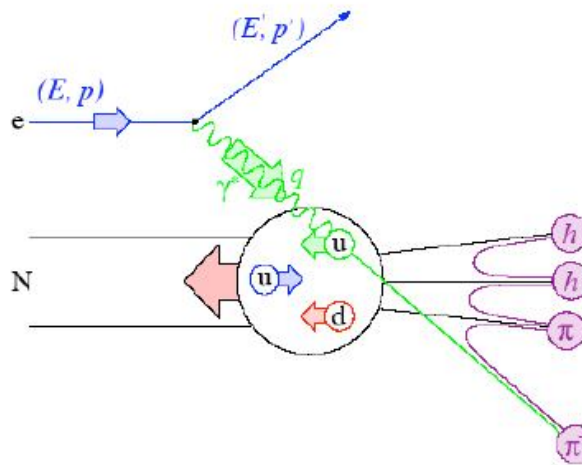
A worldwide effort since decades

Tools to study the spin structure

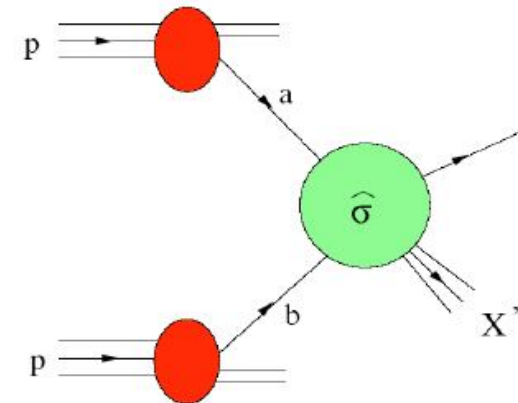
DIS



SIDIS



pp



Parton Distribution Functions

$$q(x)$$
$$f_1^q(x)$$

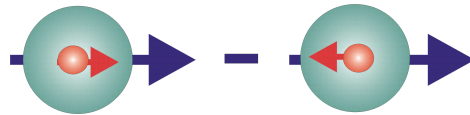


unpolarised PDF

quark with momentum xP in a nucleon

well known – unpolarized DIS

$$\Delta q(x)$$
$$g_1^q(x)$$

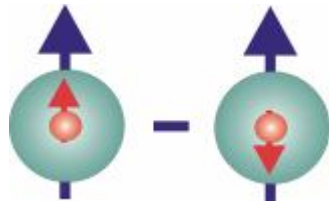


helicity PDF

quark with spin parallel to the nucleon spin in a longitudinally polarised nucleon

known – polarized DIS

$$\Delta_T q(x)$$
$$h_1^q(x)$$

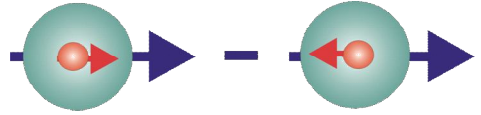


transversity PDF

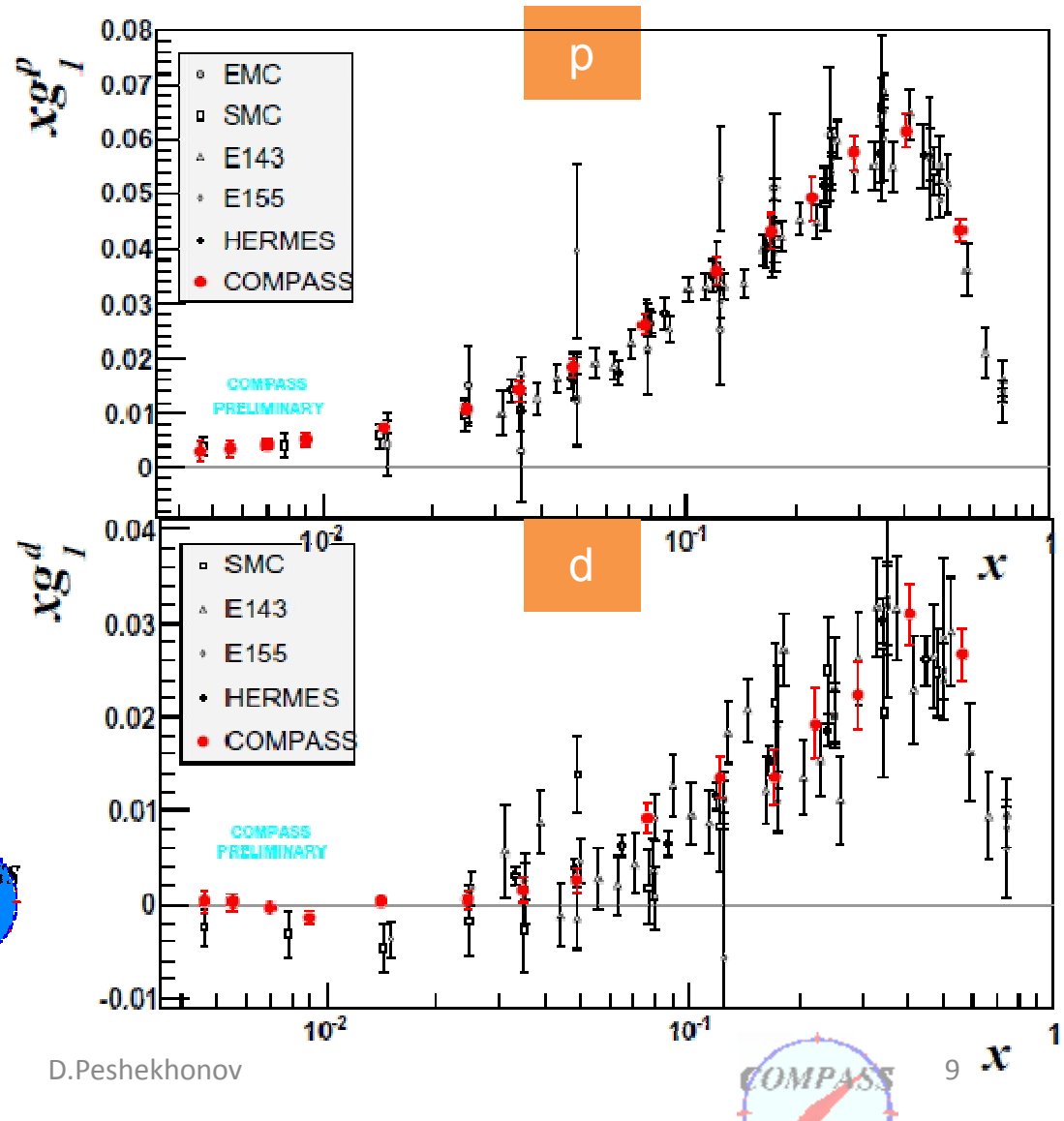
quark with spin parallel to the nucleon spin in a transversely polarised nucleon

chiral odd, poorly known

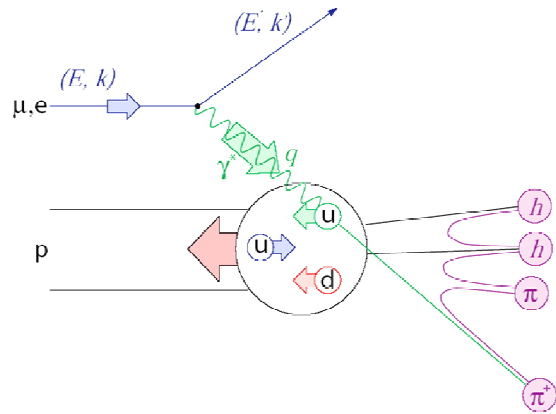
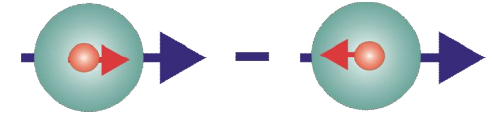
Structure function $g_1(x, Q^2)$



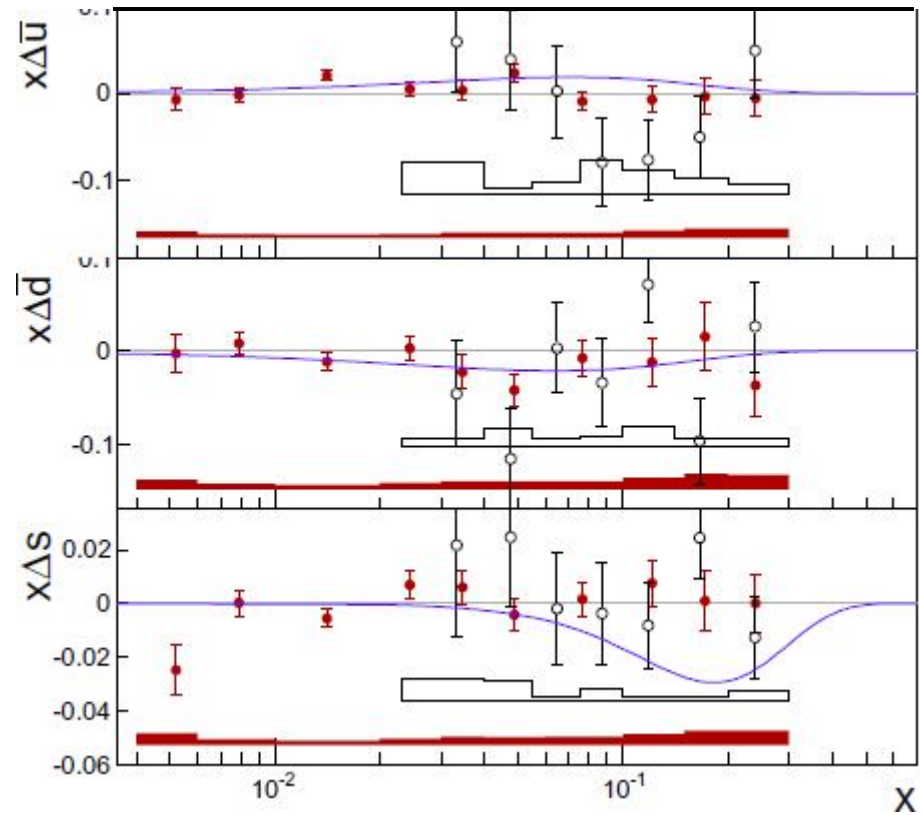
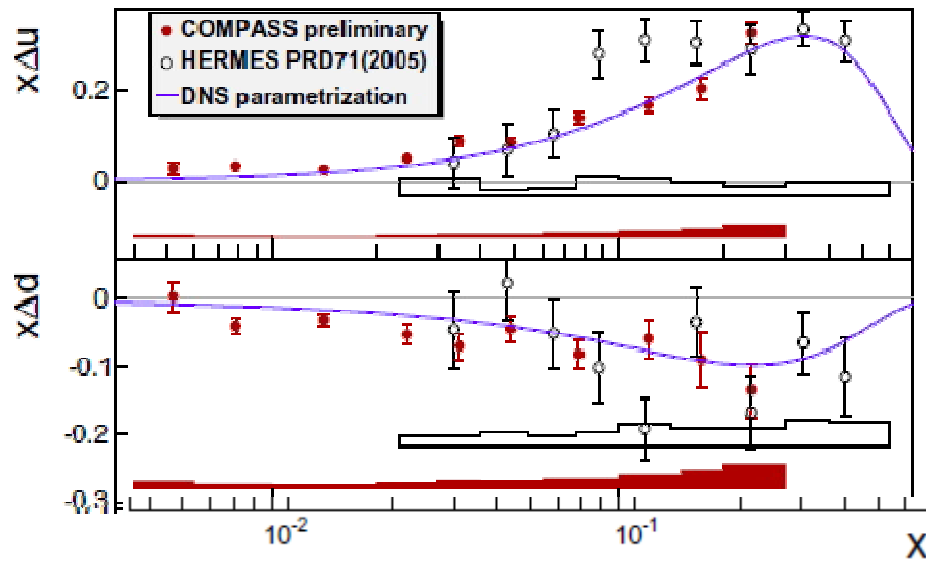
- very precise data
- only COMPASS for $x < 0.01$ ($Q^2 > 1$)
- deuteron data:
- $\Delta\Sigma = 0.33 \pm 0.03 \pm 0.05$
- $\Delta s + \Delta \bar{s} = -0.08 \pm 0.01 \pm 0.02$
- ($\Delta\Sigma = a_0$, evol. to $Q^2 = \infty$)



The quark flavours



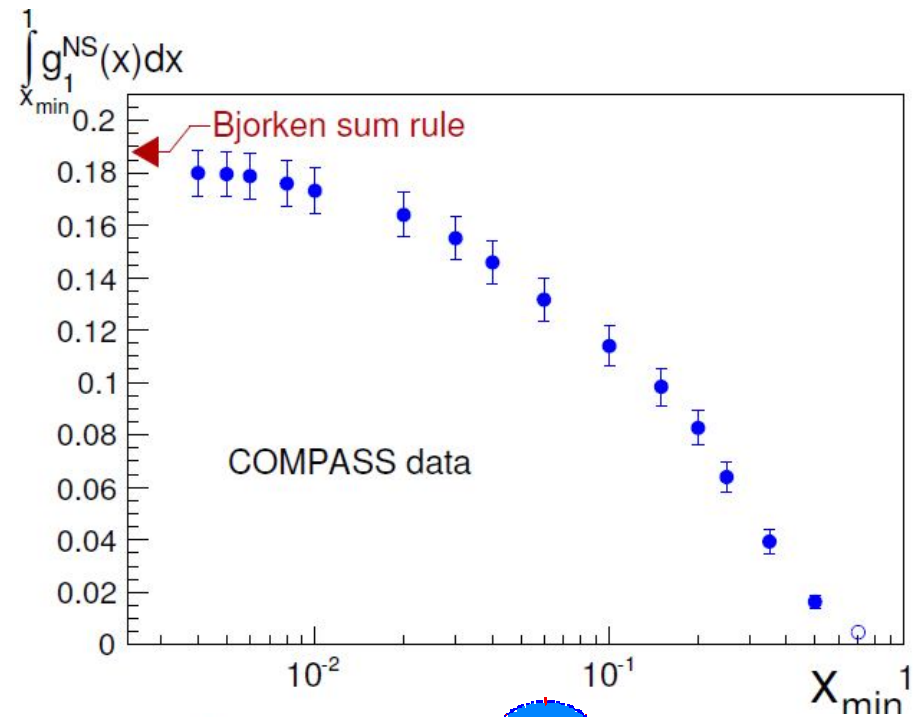
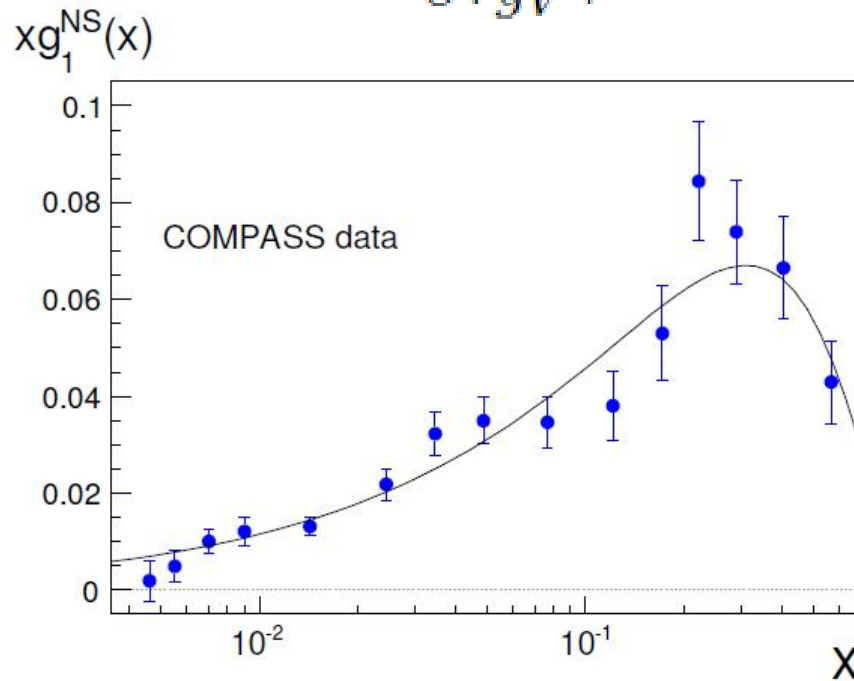
- LO semi-inclusive data analysis 



Bjorken sum rule

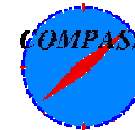
$$\Gamma_1^{NS}(Q^2) = \frac{1}{6} \left| \frac{g_A}{g_V} \right| C_1^{NS}(Q^2)$$

$$g_1^{NS}(x, Q^2) = g_1^p(x, Q^2) - g_1^n(x, Q^2)$$

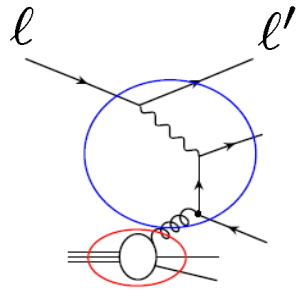


$$\left| \frac{g_A}{g_V} \right| = 1.28 \pm 0.07(\text{stat.}) \pm 0.10(\text{syst.})$$

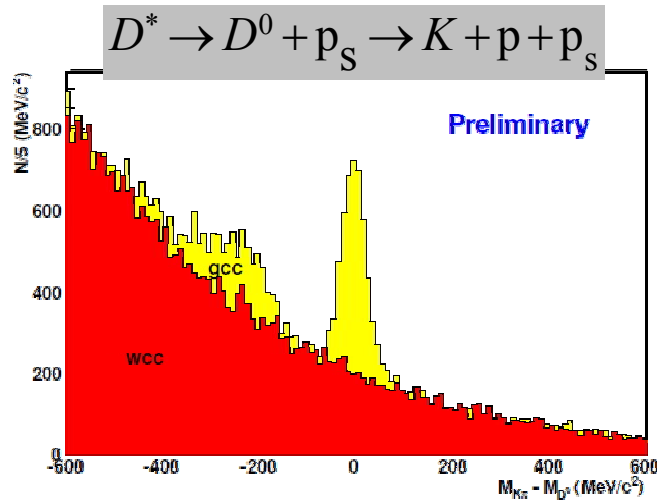
$$\left| \frac{g_A}{g_V} \right| = 1.269 \quad \text{from neutron } \beta \text{ decay}$$



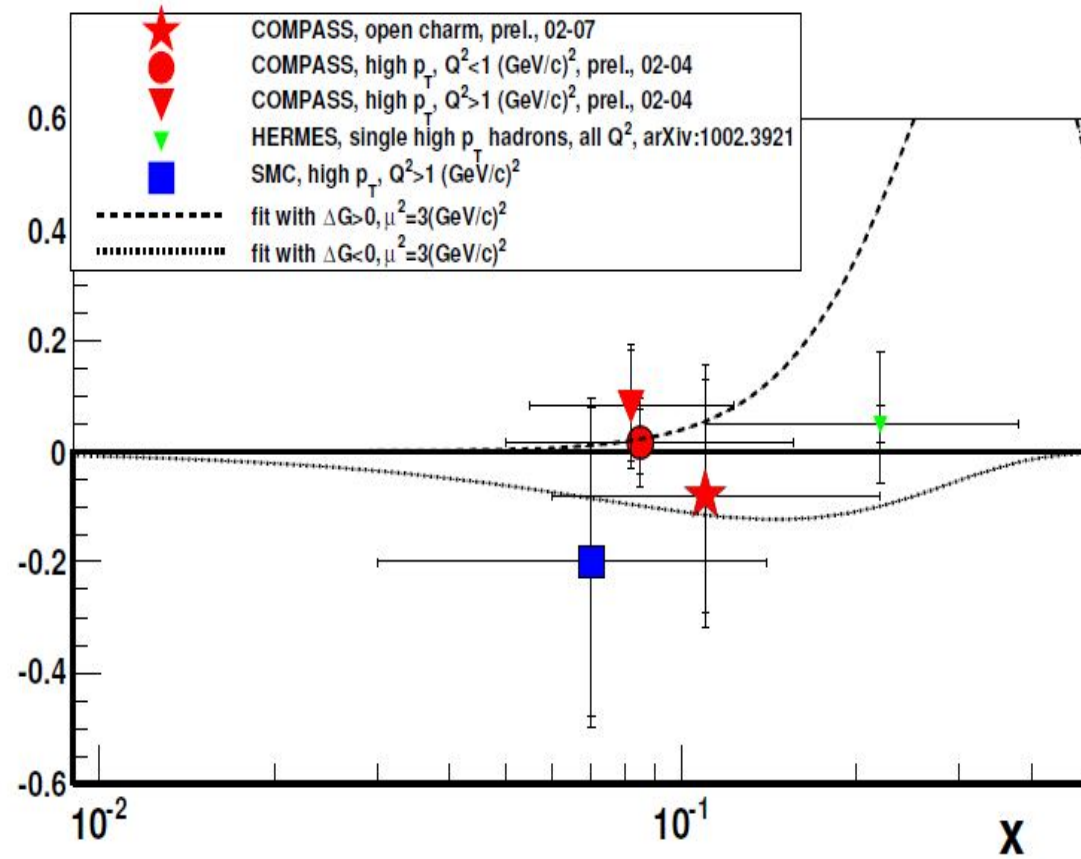
Gluon polarization from PGF



$$A_{||} = R_{pgf} \langle \hat{a}_{pdf} \rangle \left\langle \frac{\Delta g}{g} \right\rangle$$

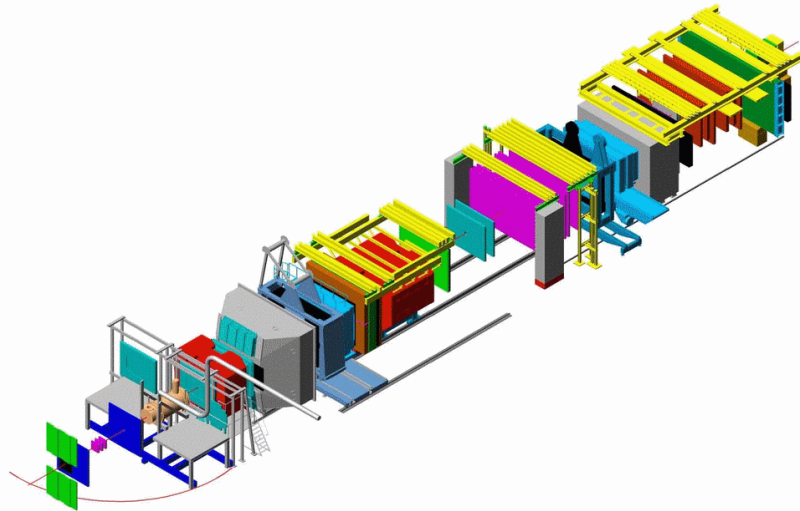


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Data not yet in global fits

What's next?



Common **M**uon and **P**roton Apparatus for Structure and **S**pectroscopy

Focus on transverse structure of the nucleon

- Transverse size and orbital angular momentum (GPDs) →
→ **DVCS & DVMP** with μ beams
- Transv.Momentum Dependent PDFs:
Sivers, Boer-Mulders, sign change from SIDIS to DY,
additional TMDs (pretzelosity, worm-gear) →
→ **Drell-Yan** with π beams

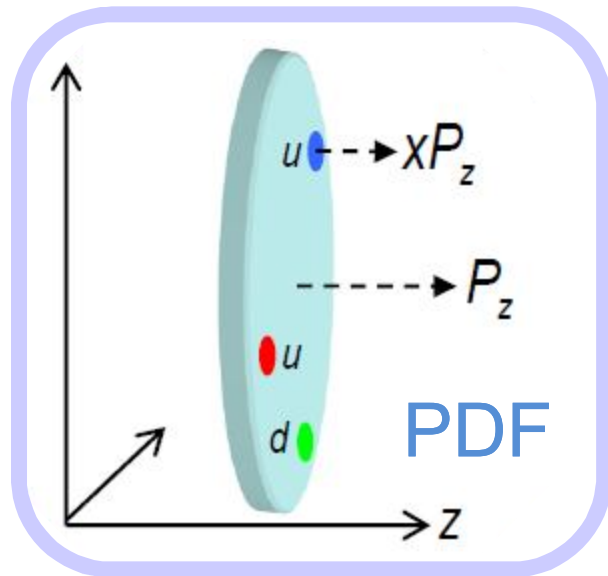
Exploring the 3-dimensional phase-space structure of the nucleon

From Wigner phase-space-distributions (Ji, PRL 2003, Belitsky, Ji, Yuan PRD 2004)
 We can build « mother-distributions » (Meissner, Metz, Schlegel, JHEP 0908:056 2009)

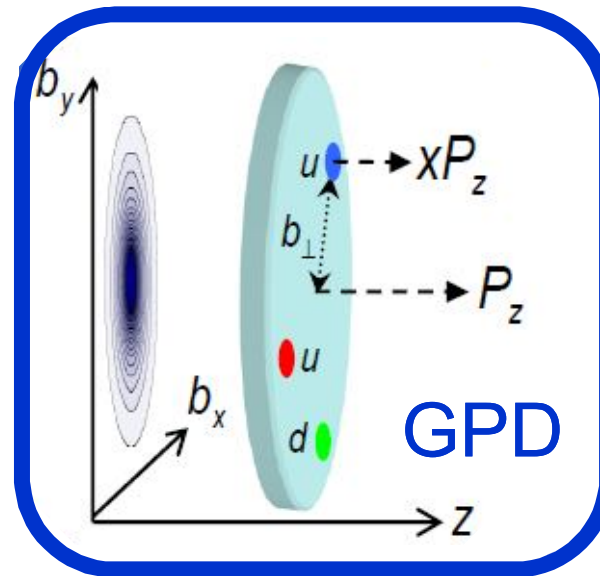
$$\mathcal{W}(x, b_{\perp}, k_{\perp})$$

and derive

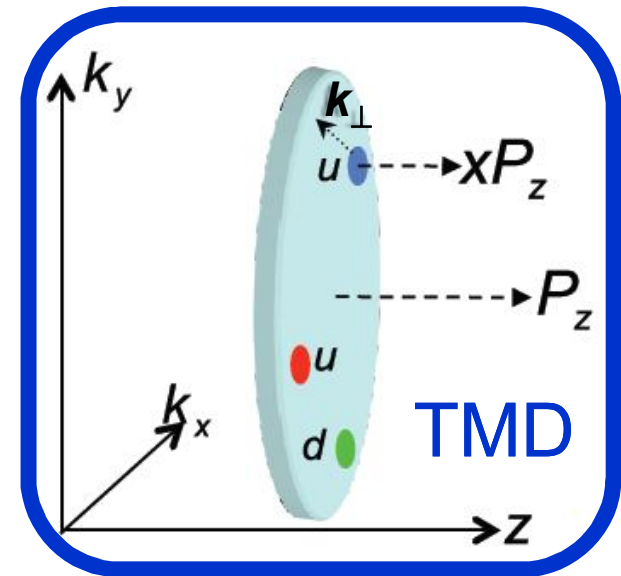
- **GPD: Generalised Parton Distribution** (position in the transverse plane)
- **TMD: Transverse Momentum Distribution** (momentum in the transv. plane)



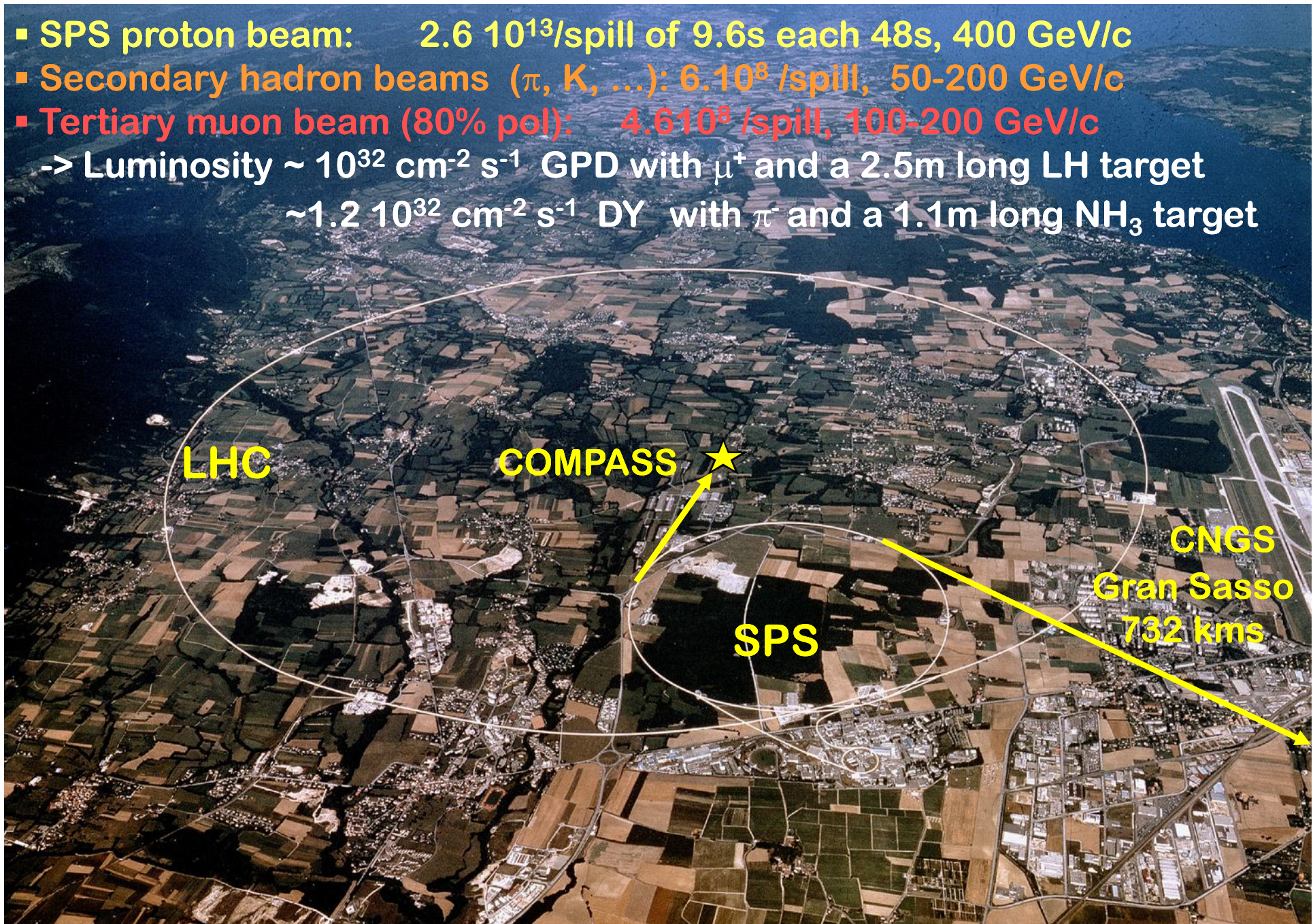
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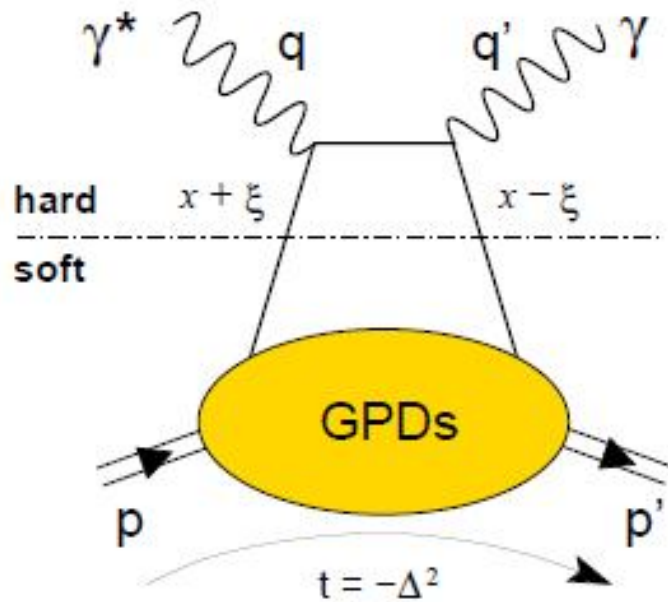
- SPS proton beam: $2.6 \cdot 10^{13}$ /spill of 9.6s each 48s, 400 GeV/c
 - Secondary hadron beams (π , K, ...): $6 \cdot 10^8$ /spill, 50-200 GeV/c
 - Tertiary muon beam (80% pol): $4.6 \cdot 10^8$ /spill, 100-200 GeV/c
- > Luminosity $\sim 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$ GPD with μ^+ and a 2.5m long LH target
 $\sim 1.2 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$ DY with π^- and a 1.1m long NH_3 target



high energy beams, broad kinematic range, large angular acceptance

GPD Functions

- Allow for a unified description of form factors and parton distributions
- Allow for **transverse imaging (nucleon tomography)** and give access to **the quark angular momentum (through E)**



Total orbital momentum:

$$J^f(Q^2) = \frac{1}{2} \lim_{t \rightarrow 0} \int_{-1}^1 dx x$$

$$[H^f(x, \xi, t, Q^2) + E^f(x, \xi, t, Q^2)]$$

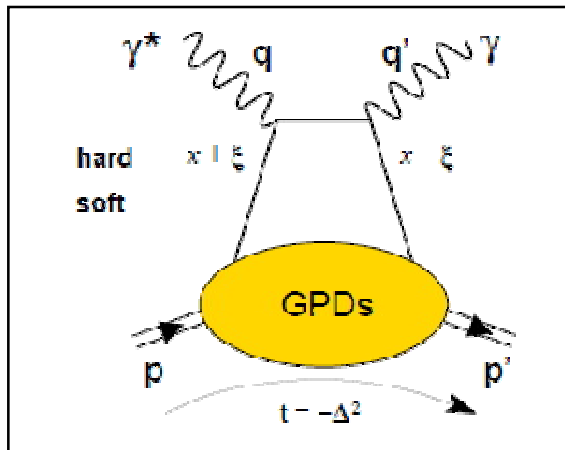
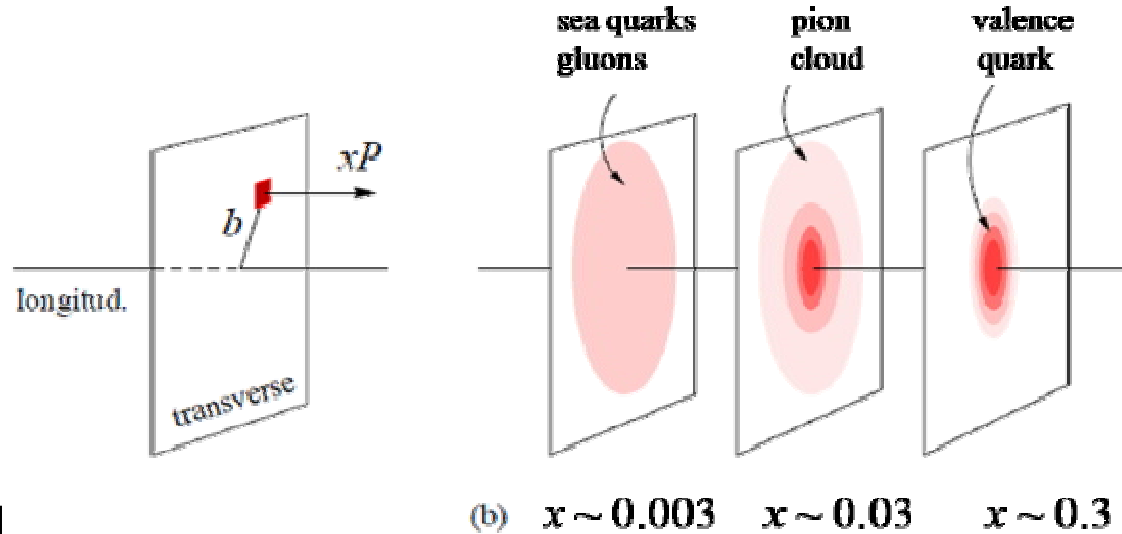
- X.-D. Ji, Phys. Rev. Lett. 78 (1997) 610

x is not x -Bjorken

$$\xi \sim x_B / (2 - x_B)$$

Tomographic image of the nucleon

- $t = -\Delta_T^2$



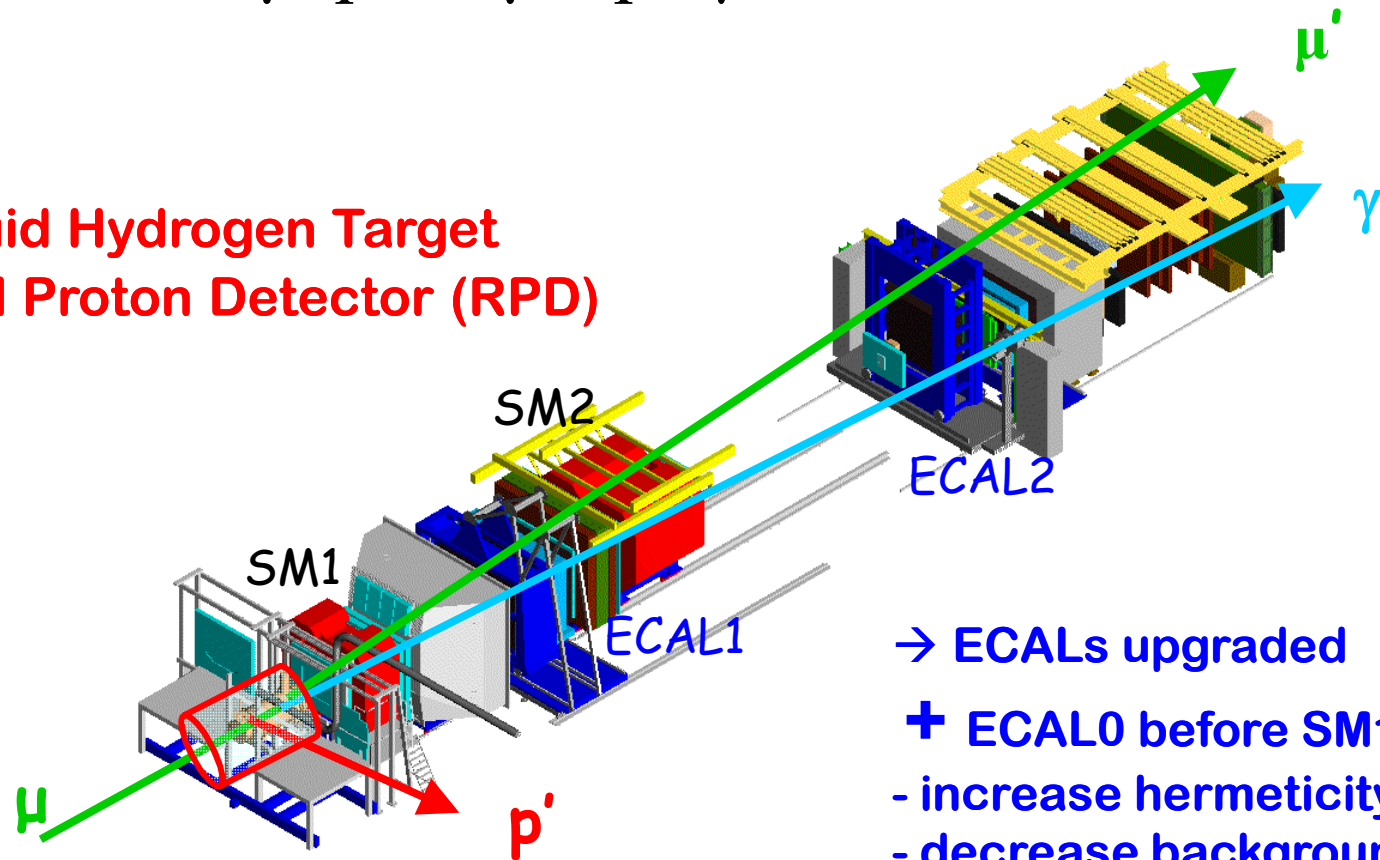
$$q^f(x, \mathbf{b}_\perp) = \int \frac{d^2 \Delta_\perp}{(2\pi)^2} e^{-i\Delta_\perp \cdot \mathbf{b}_\perp} H^f(x, 0, -\Delta_\perp^2)$$

For fixed x GPD H describes the distribution of the transverse distance b of the constituent carried fraction x of the longitudinal momentum p from the center of the nucleon

Experimental requirements for DVCS

$$\mu p \rightarrow \mu' p \gamma$$

- ~ 2.5 m Liquid Hydrogen Target
- ~ 4 m Recoil Proton Detector (RPD)

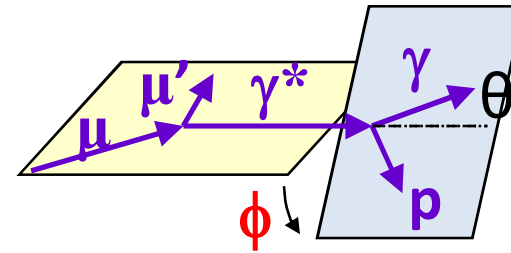
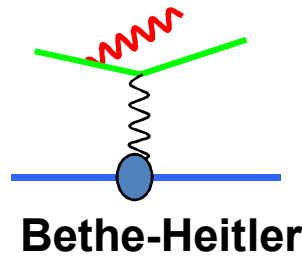
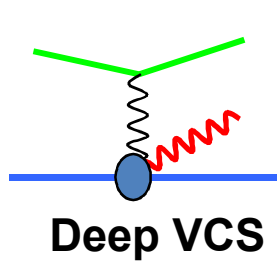


→ ECALs upgraded

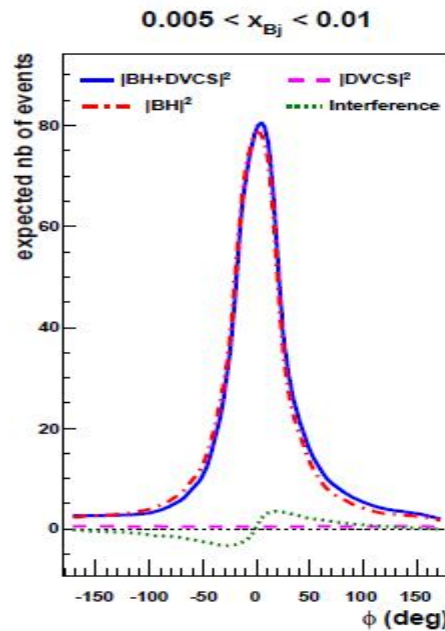
+ ECAL0 before SM1:

- increase hermeticity
- decrease background
- enlarge acceptance

Contributions of DVCS and BH at $E_\mu = 160$ GeV



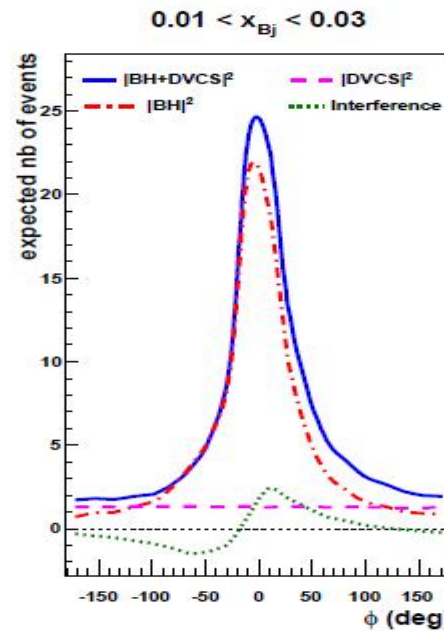
$$d\sigma \propto |T^{DVCS}|^2 + |T^{BH}|^2 + \text{Interference Term}$$



BH dominates

excellent

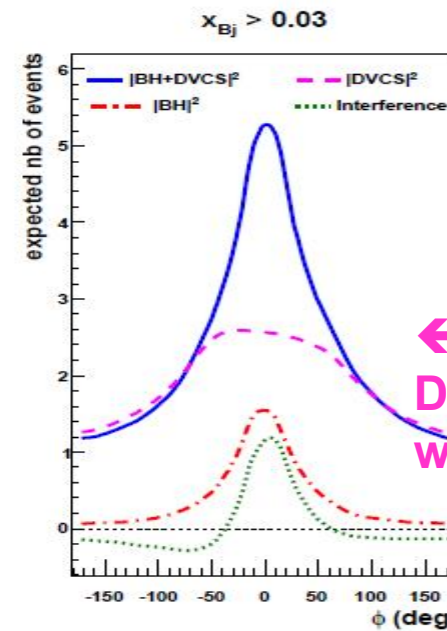
reference yield



study of Interference

→ $\text{Re } T^{DVCS}$

or $\text{Im } T^{DVCS}$



DVCS dominates

study of $d\sigma^{DVCS}/dt$

→ Transverse Imaging

Monte-Carlo Simulation for COMPASS set-up with only ECAL1+2

← Missing DVCS acceptance without ECAL0

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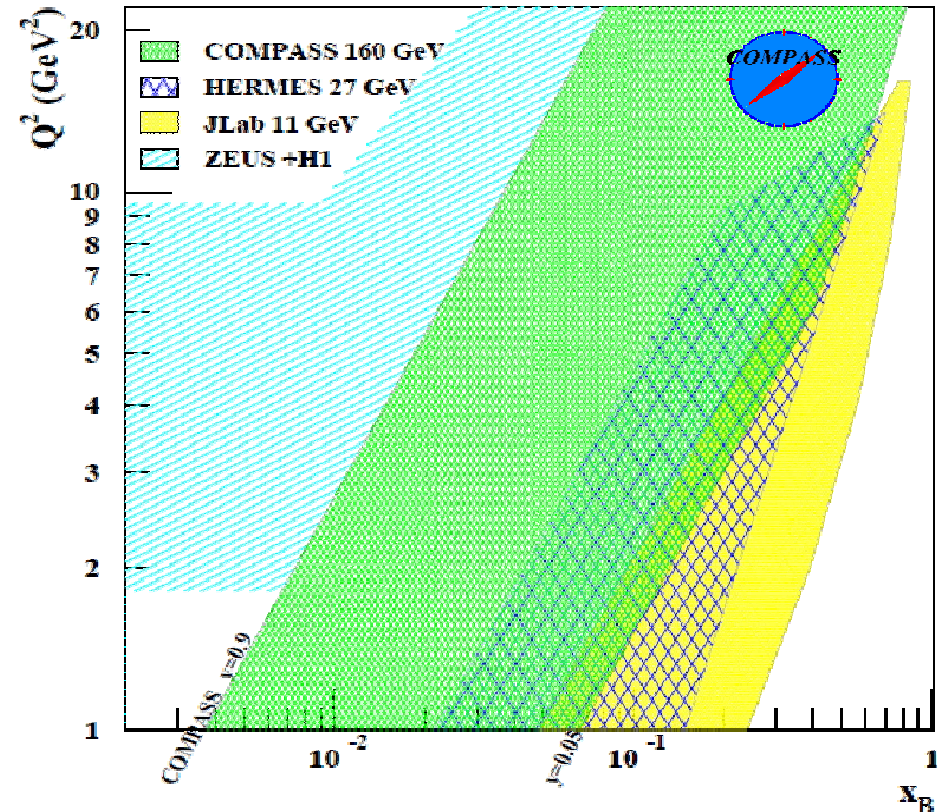
DVCS

- GPDs need a world-wide effort
- Global analysis over large kinematic range mandatory
- COMPASS-II: from HERA to JLAB 11 GeV kinematics
- The GPD H can be constrained by beam charge and spin ($\mu^+\mu^-$) combinations using an unpolarized proton target

$$\mathcal{D}_{CS,U} \equiv d\sigma^{\leftarrow+} - d\sigma^{\rightarrow-}$$

$$\mathcal{S}_{CS,U} \equiv d\sigma^{\leftarrow+} + d\sigma^{\rightarrow-}$$

- E GPDs require transversely pol. target (later)



Deeply Virtual Compton Scattering

Study the **transverse imaging** with $\mu^{+\downarrow}, \mu^{-\uparrow}$ beam and unpolarized 2.5m long LH2 (proton) target

$$\blacktriangleright S_{CS,U} \equiv d\sigma(\mu^{+\downarrow}) + d\sigma(\mu^{-\uparrow}) \propto \boxed{d\sigma^{BH} + d\sigma_{unpol}^{DVCS} + K.s_1^{Int} \sin \phi} \sim Im(F_1 \mathcal{H})$$

Using $S_{CS,U}$ and integration over ϕ
and BH subtraction

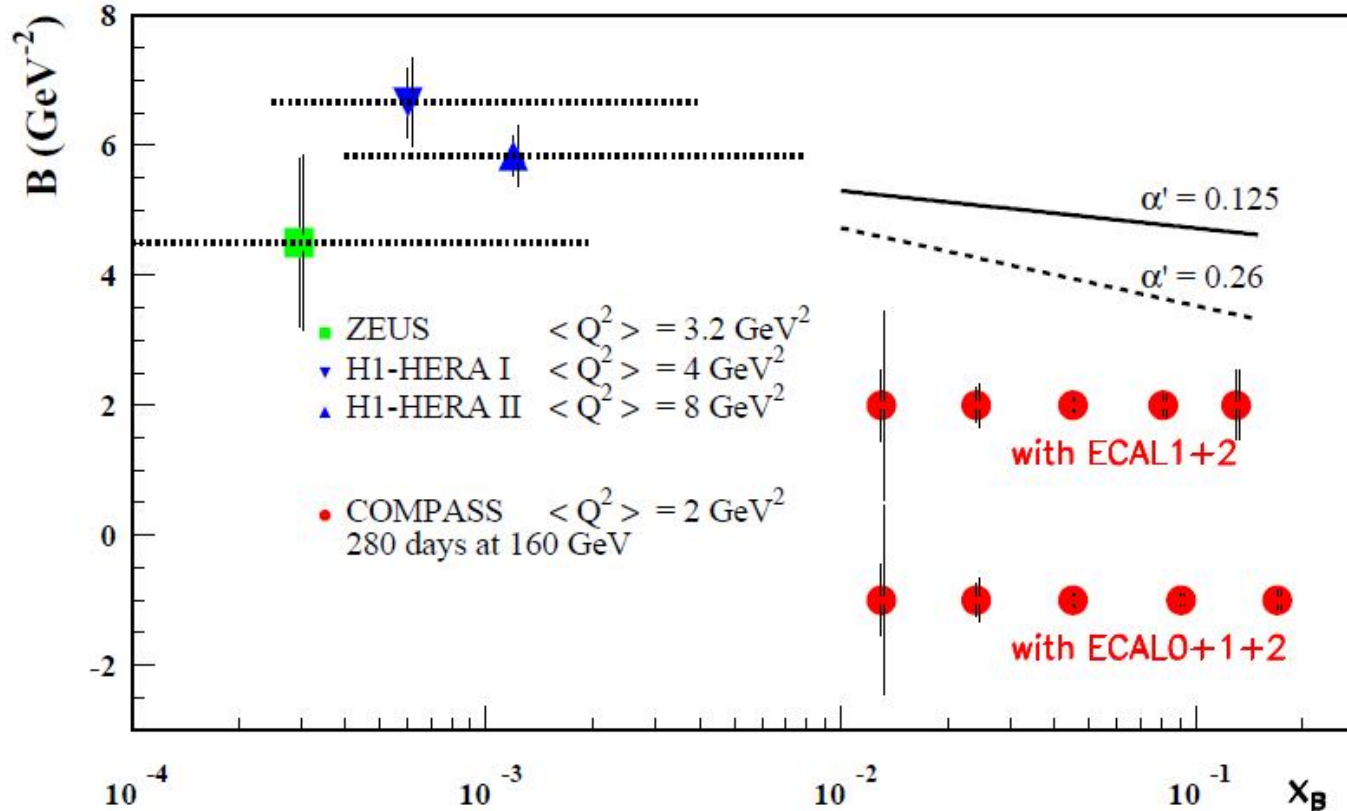
$$\downarrow \\ d\sigma^{DVCS}/dt \sim \exp(-B|t|)$$

$$\blacktriangleright D_{CS,U} \equiv d\sigma(\mu^{+\downarrow}) - d\sigma(\mu^{-\uparrow}) \sim Re(F_1 \mathcal{H})$$

$$Re \mathbf{H}(\xi, t) = P \int dx \mathbf{H}(x, \xi, t) / (x - \xi)$$

$$Im \mathbf{H}(\xi, t) = \mathbf{H}(x = \xi, \xi, t)$$

Deeply Virtual Compton Scattering



$$B(x_B) = b_0 + 2 \alpha' \ln(x_0/x_B)$$

α' slope of Regge trajectory

without any model we can extract $B(x_B) = \frac{1}{2} \langle r_{\perp}^2(x_B) \rangle$

r_{\perp} is the transverse size of the nucleon

Parton Distribution Functions

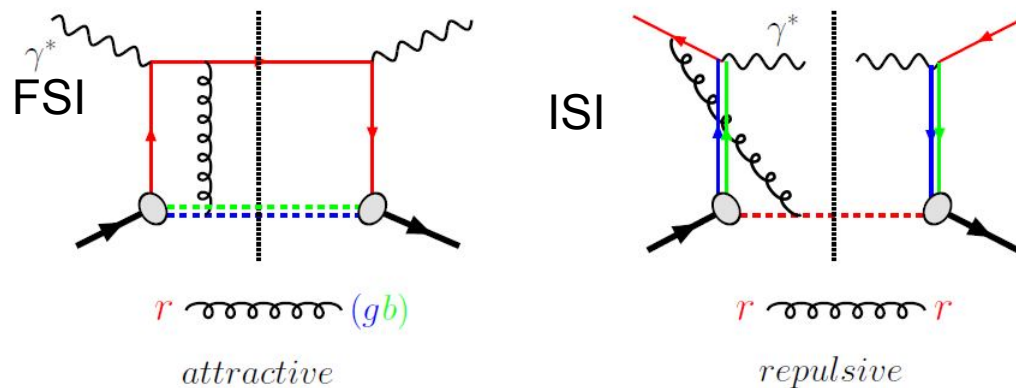
- 8 PDFs at LO
- Azimuthal asymmetries with different angular modulations in the hadron and spin azimuthal angles, Φ_h and Φ_s

		nucleon polarization			
		U	L	T	
quark polarization	U	f_1 number density 		f_{1T}^\perp -	Sivers aka $\Delta_0^T q$
	L		g_1 helicity -	g_{1T} -	
Boer–Mulders	T	h_1^\perp -	h_{1L}^\perp -	h_1 transversity - h_{1T}^\perp -	Transversity $\Delta_T q$

Experimental check of the change of sign of TMDs confronting Drell-Yan and SIDIS results

The T-odd character of the Boer-Mulders and Sivers function implies that these functions are process dependent

'gauge link changes sign for T-odd TMD', restricted universality of T-odd TMDs



Boer-Mulders

$$h_1^\perp(SIDIS) = -h_1^\perp(DY)$$

Sivers

$$f_{1T}^\perp(SIDIS) = -f_{1T}^\perp(DY)$$

**Need experimental verification
Test of consistency
of the approach**

Polarised Drell-Yan

- **COMPASS-II: 190 GeV/c π^- beam on transversely pol. proton target**
- **π^- valence u-antiquark picks nucleon's u quark in valence region (u-quark dominance)**
- **Access to transversity , the T-odd Sivers and Boer-Mulders TMDs and 'pretzelosity'**

The Drell-Yan process in $\pi^- p$

$$\begin{aligned}
 d\sigma^{DY} &\propto \left(1 + \int d^2k_{1T} d^2k_{2T} \mathcal{W}(k_{1T}, k_{2T}) \bar{h}_1^\perp(x_1, k_{1T}^2) \otimes h_1^\perp(x_2, k_{2T}^2) \cos 2\phi \right) \\
 &+ |S_T| \left(\int d^2k_{1T} d^2k_{2T} \mathcal{X}(k_{1T}, k_{2T}) \bar{f}_1(x_1, k_{1T}^2) \otimes f_{1T}^\perp(x_2, k_{2T}^2) \sin \phi_S \right) \\
 &+ \int d^2k_{1T} d^2k_{2T} \mathcal{Y}(k_{1T}, k_{2T}) \bar{h}_1^\perp(x_1, k_{1T}^2) \otimes h_{1T}^\perp(x_2, k_{2T}^2) \sin(2\phi + \phi_S) \\
 &+ \int d^2k_{1T} d^2k_{2T} \mathcal{Z}(k_{1T}, k_{2T}) \bar{h}_1^\perp(x_1, k_{1T}^2) \otimes h_1(x_2, k_{2T}^2) \sin(2\phi - \phi_S)
 \end{aligned}$$

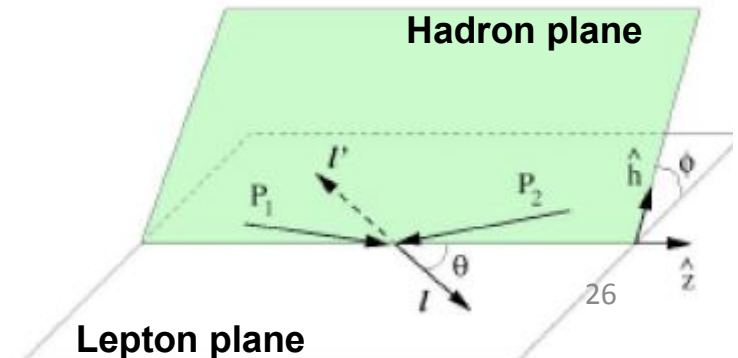
→ Access to TMDs for incoming pion \otimes target nucleon
 TMD as Transversity, Sivers, Boer-Mulders, pretzelosity

Collins-Soper frame (of virtual photon)

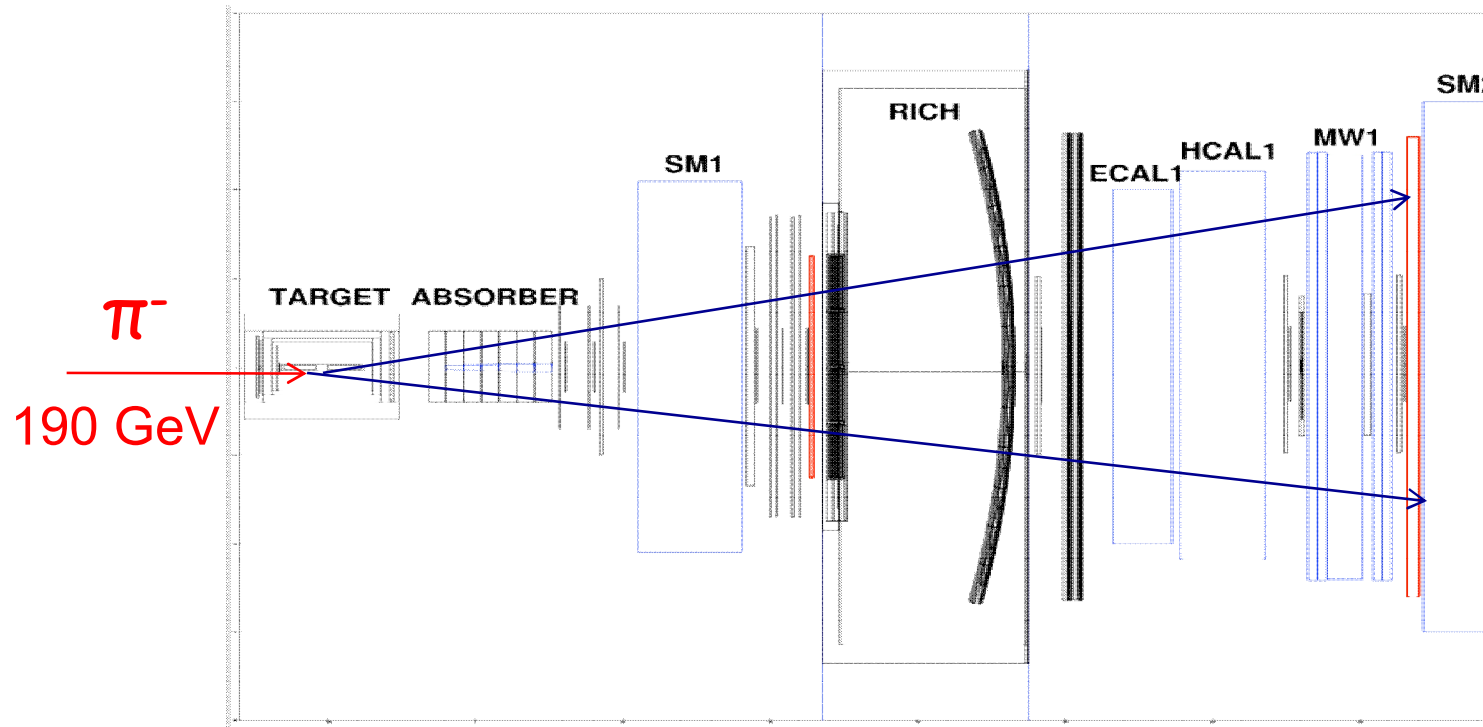
θ, ϕ lepton plane wrt hadron plane

target rest frame

ϕ_S target transverse spin vector / virtual photon



DY and COMPASS set-up



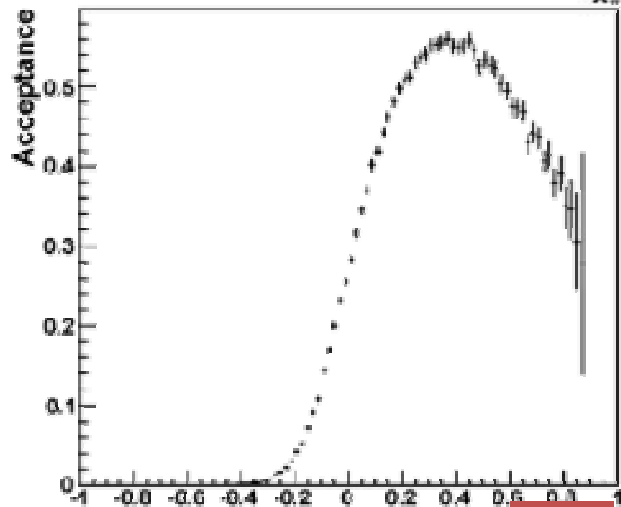
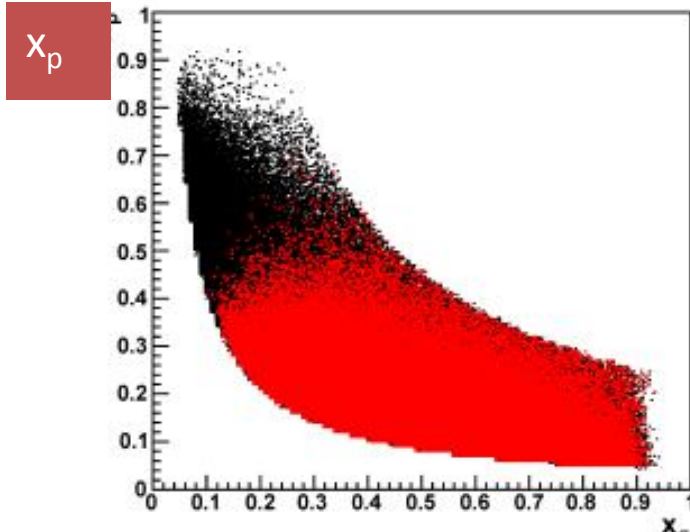
Key elements for a small cross section investigation at high luminosity

1. Absorber (lesson from 2007-8 tests) to reduce secondary particle flux
2. COMPASS Polarised Target
3. Tracking system and beam telescope
4. Muon trigger (LAS of particular importance - 60% of the DY acceptance)
5. RICH1, Calorimetry – also important to reduce the background

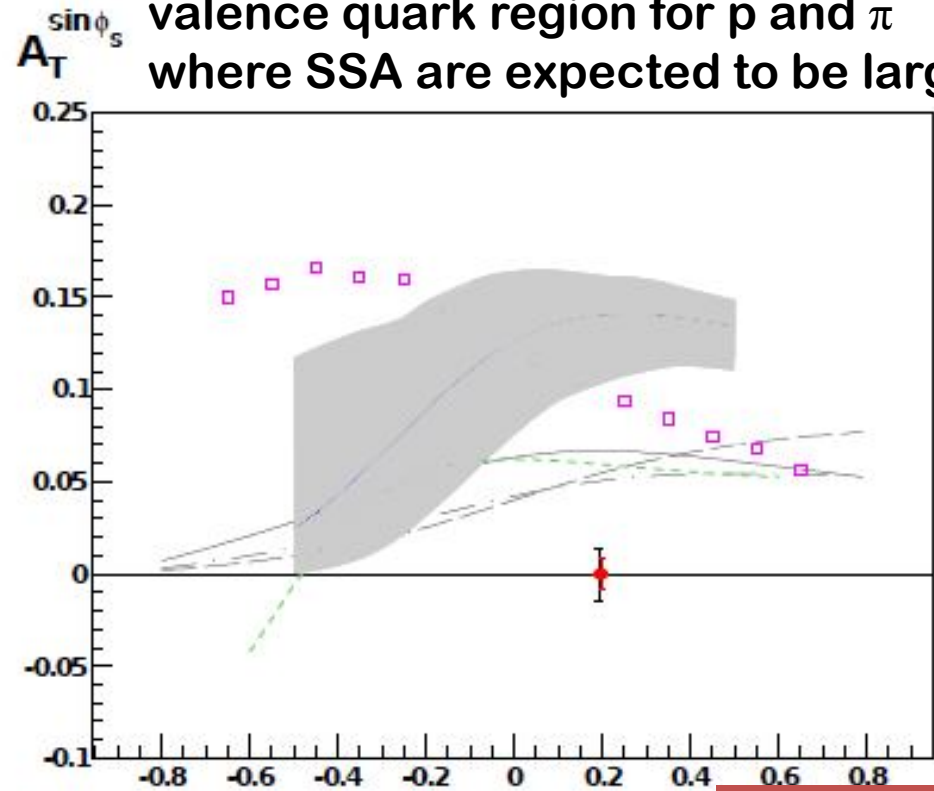


COMPASS polarized DY

dominated by the annihilation of a valence anti-quark from the pion and a valence quark from the polarised proton



large acceptance of COMPASS in the valence quark region for p and π where SSA are expected to be larger



$$x_F = x_\pi - x_p$$

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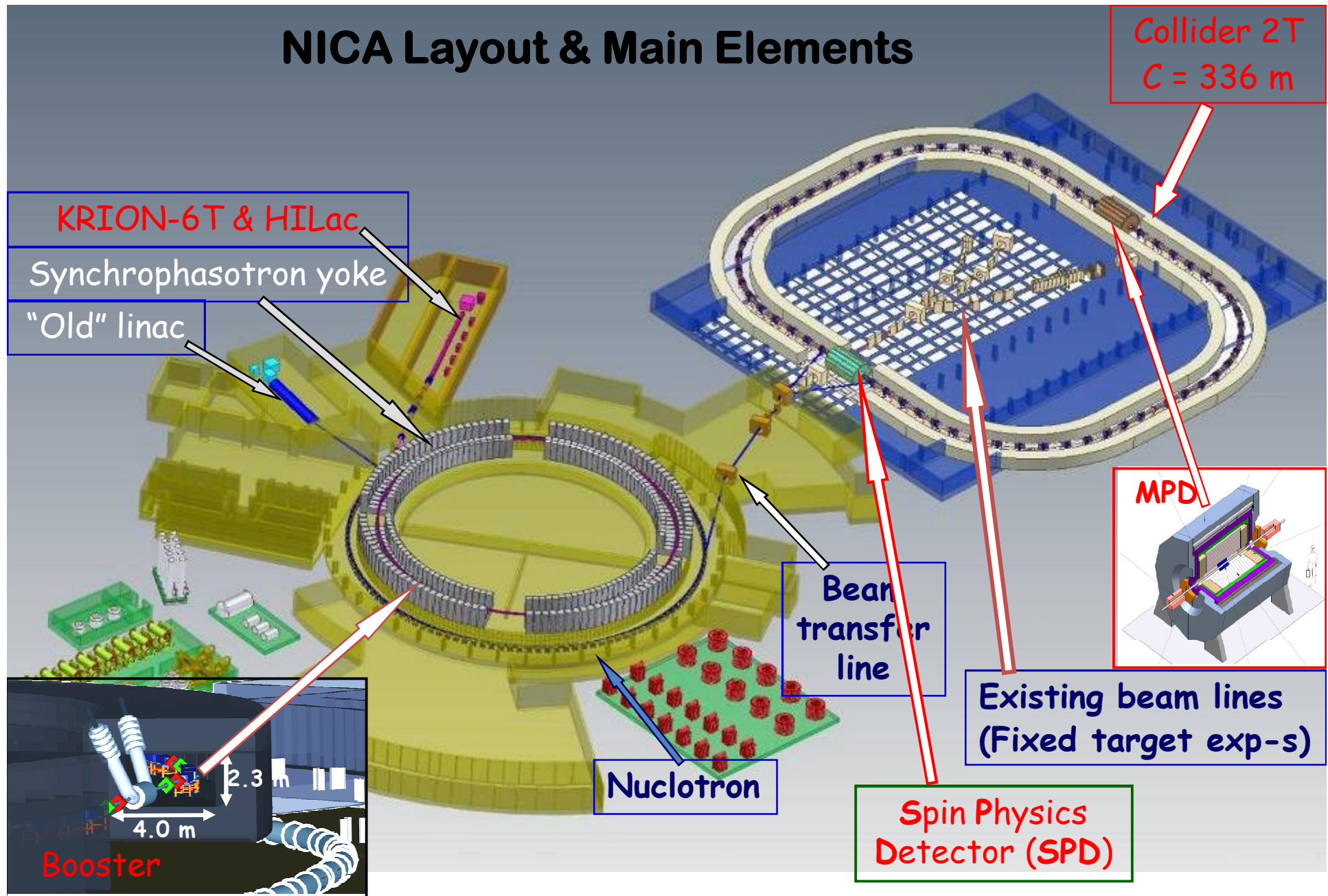
TMDs at Drell-Yan: road map

- 2010 – COMPASS polarised SIDIS data (Sivers, transversity via global data fit)
- 2013 - 2016 COMPASS polarised Drell-Yan pi-p data – TMDs universality and T-odd TMDs sign change SIDIS \leftrightarrow DY
- 2015 \rightarrow RHIC, NICA pp (un)polarised DY data
- 2020 \rightarrow GSI antiproton data

Future DY experiments

Facility	Type	s (GeV ²)	Time-line
[147]	collider, $p^\uparrow p^\uparrow$	200 ² , 500 ²	> 2014
[148]	fixed target, $p^\uparrow p^\uparrow$	500	> 2015
E906 (Fermilab) [149]	fixed target, pp ,	226	> 2010
J-PARC [150]	fixed target, pp^\uparrow	60 ÷ 100	> 2015
[151]	collider, $\bar{p}^\uparrow p^\uparrow$	200	> 2017
GSI (Panda) [152]	fixed target, $\bar{p}p$	30	> 2016
[153]	collider, $p^\uparrow p^\uparrow, d^\uparrow d^\uparrow$	676	> 2014
	fixed target, [redacted]	300 ÷ 400	> 2012

NICA Layout & Main Elements



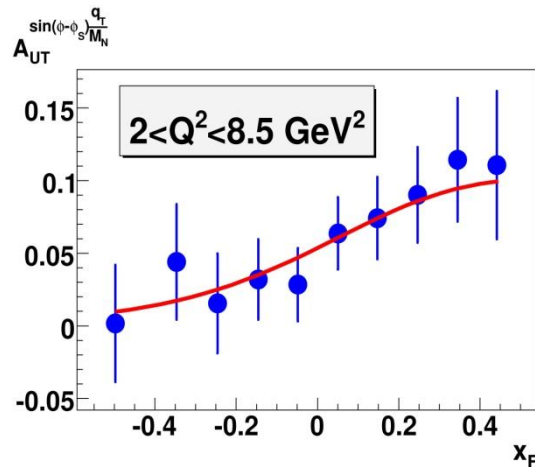
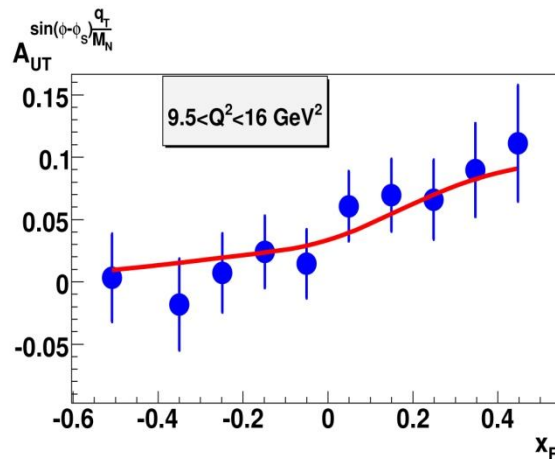
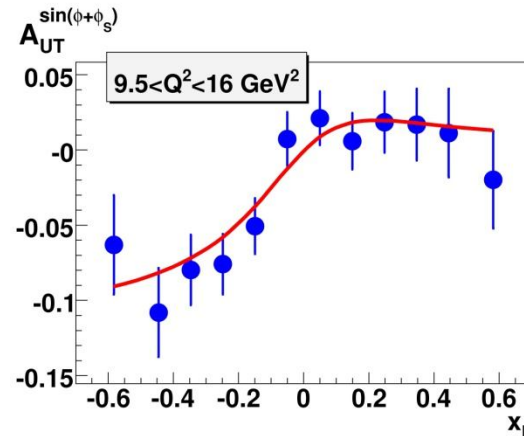
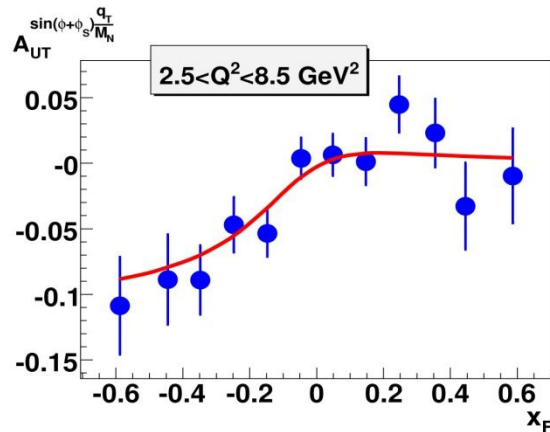
Spin Physics at NICA

The spin program at NICA is under preparation. The main topics are:

- Studies of Drell-Yan processes with longitudinally and transversely polarized p and D beams. Extraction of unknown and poor known PDFs
- PDF from J/ψ production processes
- Spin effects in baryon, meson and photon production
- Study of spin effects in various exclusive processes
- Diffractive processes studies
- Cross sections, helicity amplitudes and double spin asymmetries (Krisch effect) in elastic reactions
- Spectroscopy of quarkonium

Spin Physics at NICA - polarized DY

From report by A. Nagaytsev, IWSS2010



The set of original software packages (MC simulation, generator etc.) were developed for the feasibility studies of DY polarized processes

The SSA asymmetries. Top: access to transversity and Boer-Mulders PDFs. (Sissakian, Shevchenko, Nagaytsev, PRD 72 (2005), EPJ C46 (2006))

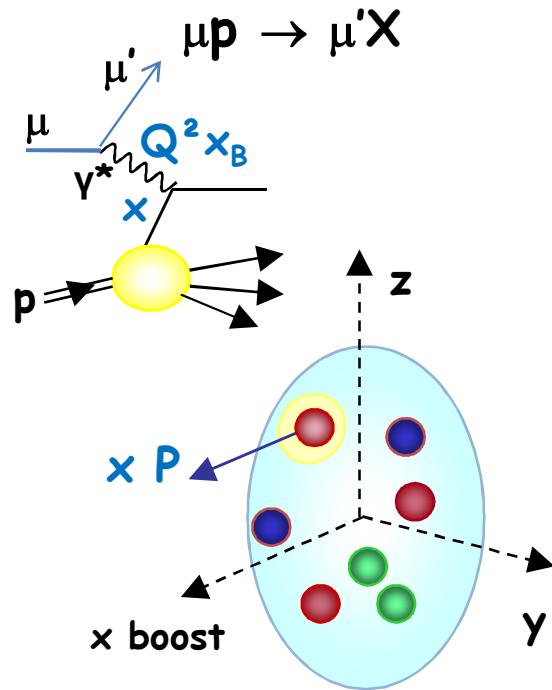
Bottom: access to Sivers PDFs (Efremov, ... PLB 612(2005), PRD 73(2006));

Asymmetries are estimated for 100 K DY events

Spare

From inclusive to exclusive reactions

Deep Inelastic Scattering



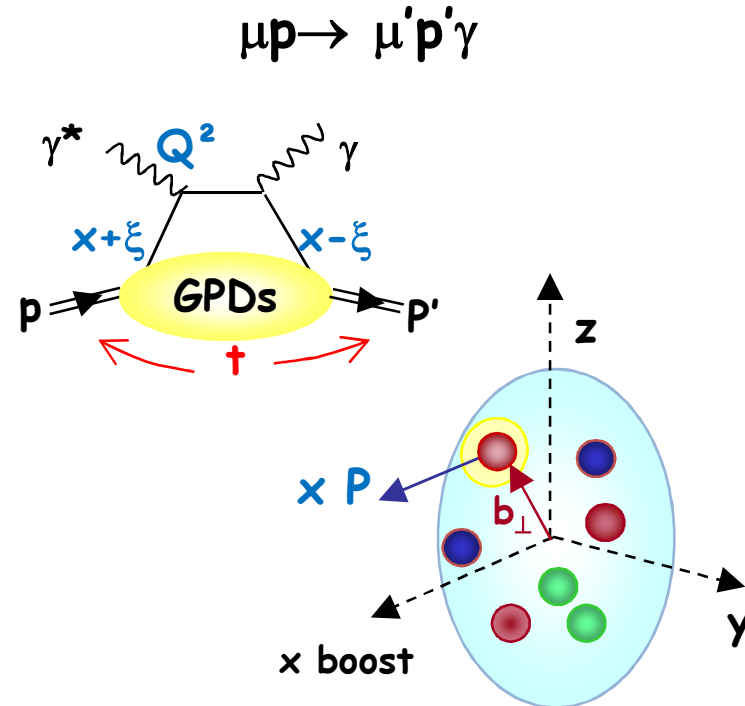
Distrib. de Partons $q(x)$

P_x

Observation of the Nucleon Structure

in 1 dimension

Deeply Virtual Compton Scattering



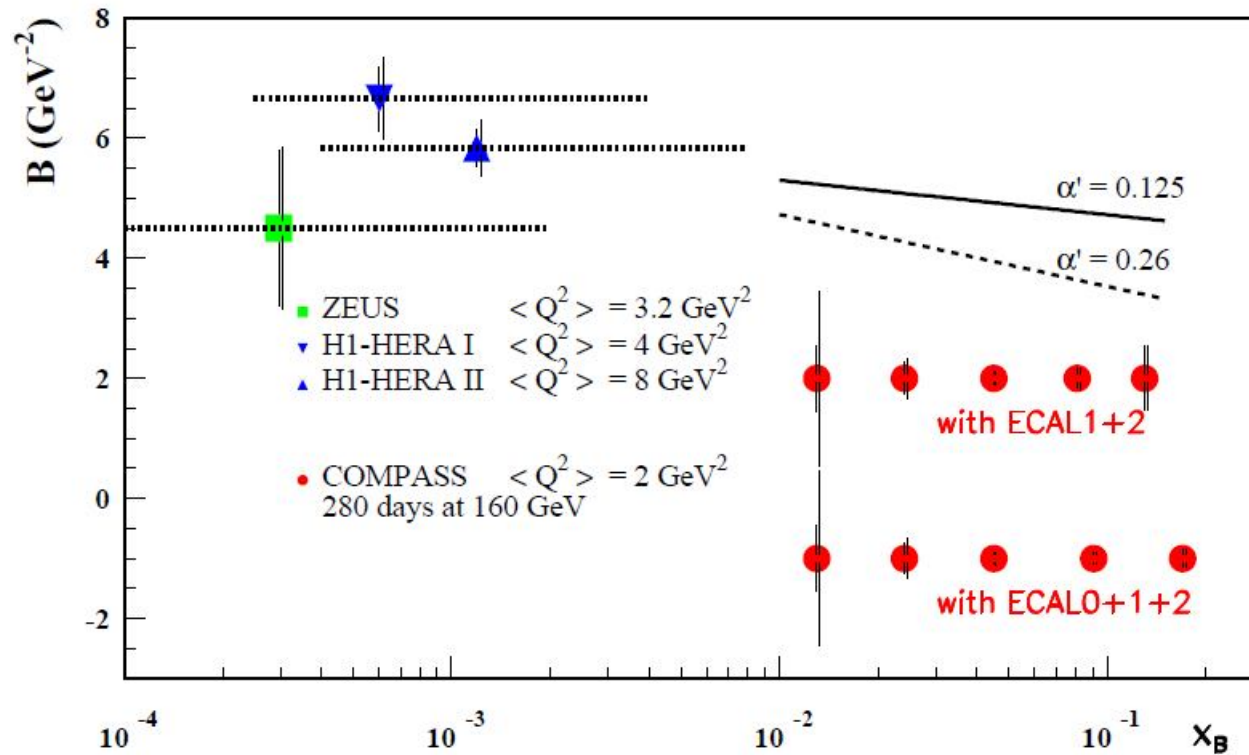
Generalized Partons Distrib. $H(x, \xi, t)$

(P_x, b_{\perp})

in 1+2 dimensions

DVCS: Transverse imaging at COMPASS

$$d\sigma_{\text{DVCS}}/dt \sim \exp(-B|t|)$$



ansatz at small x_B
 inspired by
 Regge Phenomenology:

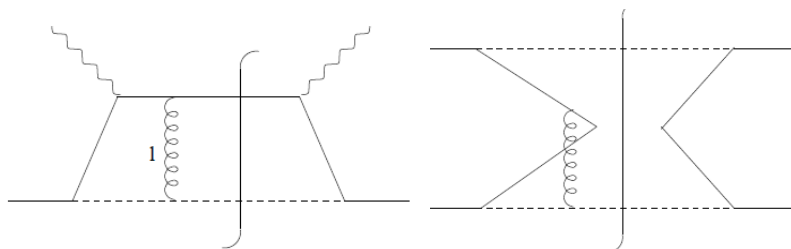
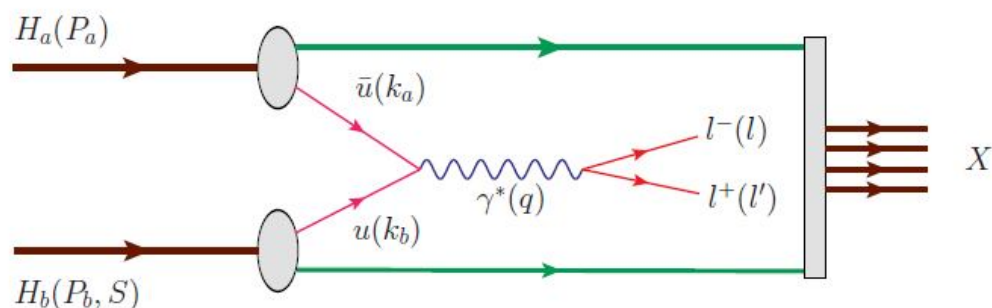
$$B(x_B) = b_0 + 2 \alpha' \ln(x_0/x_B)$$

α' slope of Regge traject

with the projected uncertainties
 we can determine :

- B with an accuracy of 0.1 GeV^{-2}
- α' with an accuracy $\geq 2.5 \sigma$
 if $\alpha' \geq 0.26$ with ECAL1+2
 if $\alpha' \geq 0.125$ with ECALO+1+2

T-odd TMD in SIDIS and DY



SIDIS: FSI

DY: ISI

'gauge link changes sign for T-odd TMD', restricted universality of T-odd TMDs

- J.C. Collins, Phys. Lett. B536 (2002) 43

$$f_{1T}^\perp \Big|_{DY} = -f_{1T}^\perp \Big|_{DIS} \quad \text{and} \quad h_1^\perp \Big|_{DY} = -h_1^\perp \Big|_{DIS}$$

Single-polarised DY cross-section: Leading order QCD parton model, **TMD** **PDFs universality**

At LO the general expression of the DY cross-section simplifies to (Aram Kotzinian):

$$\begin{aligned} \frac{d\sigma^{LO}}{d^4q d\Omega} &= \frac{\alpha_{em}^2}{F q^2} \hat{\sigma}_U^{LO} \left\{ \left(1 + D_{[\sin^2 \theta]}^{LO} A_U^{\cos 2\phi} \cos 2\phi \right) \right. \\ &+ S_L D_{[\sin^2 \theta]}^{LO} A_L^{\sin 2\phi} \sin 2\phi \\ &+ |\vec{S}_T| \left[A_T^{\sin \phi_S} \sin \phi_S + D_{[\sin^2 \theta]}^{LO} \left(A_T^{\sin(2\phi+\phi_S)} \sin(2\phi + \phi_S) \right. \right. \\ &\left. \left. + A_T^{\sin(2\phi-\phi_S)} \sin(2\phi - \phi_S) \right) \right] \left. \right\}, \end{aligned}$$

Thus the measurement of 4 asymmetries (modulations in DY cross-section):

- $A_U^{\cos 2\phi}$ gives access to the Boer-Mulders functions of the incoming hadrons,
- $A_T^{\sin \phi_S}$ - to the Sivers function of the target nucleon,
- $A_T^{\sin(2\phi+\phi_S)}$ - to the Boer-Mulders functions of the beam hadron and to h_{1T}^\perp , the pretzelosity function of the target nucleon,
- $A_T^{\sin(2\phi-\phi_S)}$ - to the Boer-Mulders functions of the beam hadron and h_1 , the transversity function of the target nucleon.

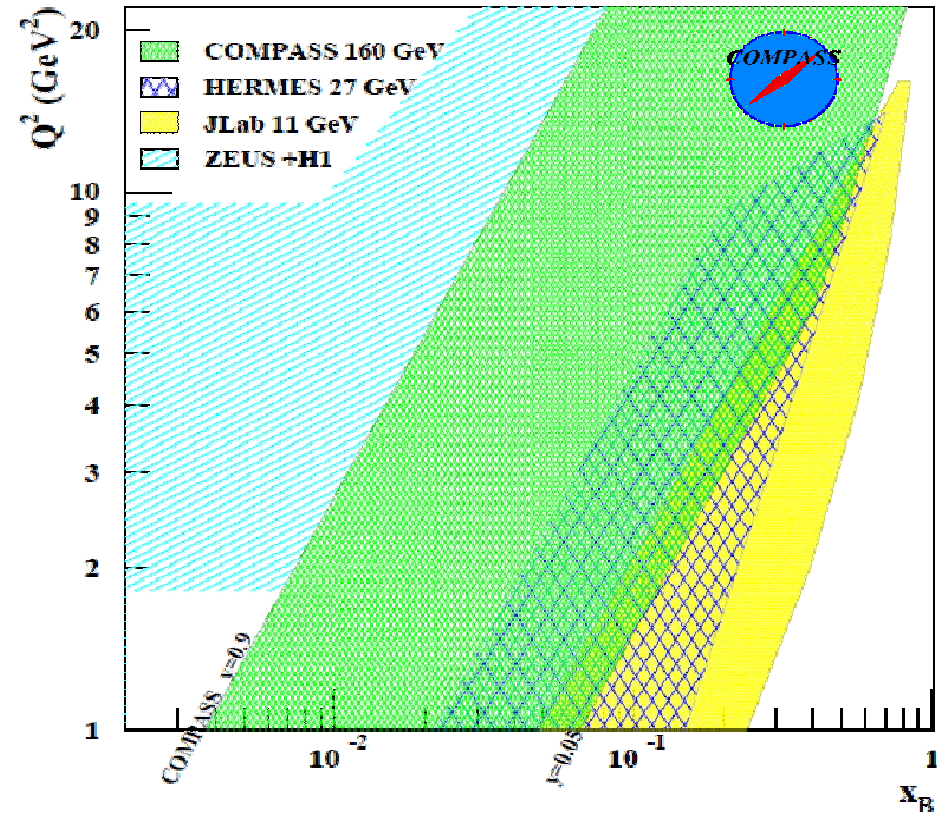
DVCS

- GPDs need a world-wide effort
- Global analysis over large kinematic range mandatory
- COMPASS-II: from HERA to JLAB 11 GeV kinematics
- *H* GPDs can be separated from BH and constrained by beam charge & spin ($\mu^+\mu^-$) combinations

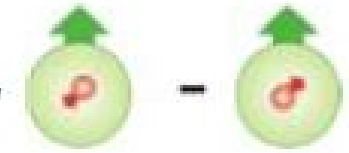
$$\mathcal{D}_{CS,U} \equiv d\sigma^{\rightarrow\pm} - d\sigma^{\leftarrow\mp}$$

$$\mathcal{S}_{CS,U} \equiv d\sigma^{\rightarrow\pm} + d\sigma^{\leftarrow\mp}$$

- *E* GPDs require transversely pol. target (later)



Transversity PDF $\Delta_T q$ or h_1



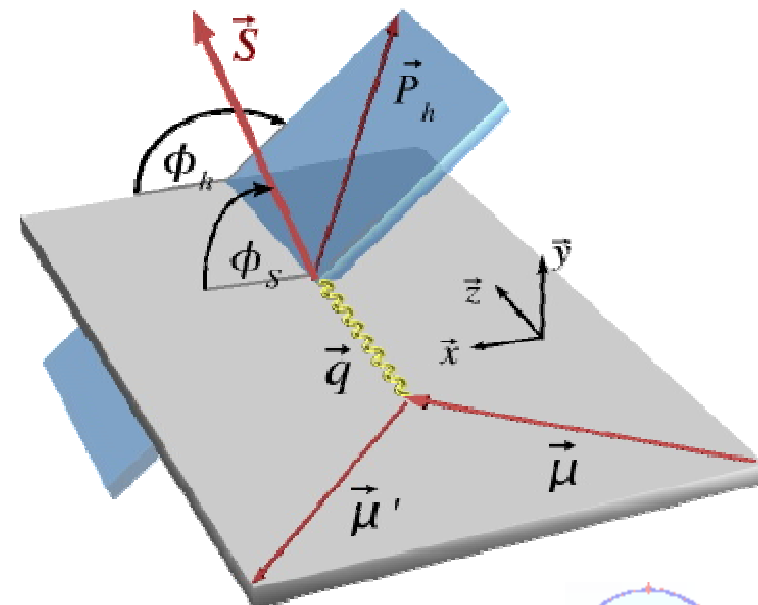
- Couple $\Delta_T q$ to chiral odd Collins FF $\Delta_T^0 D_q^h$

$$A_{Coll} = \frac{\sum_q e_q^2 \Delta_T q(x) \Delta_T^0 D_q^h(z, p_T^h)}{\sum_q e_q^2 q(x) D_q^h(z, p_T^h)}$$

Azimuthal cross-section asymmetry:

$$\frac{\Delta\sigma}{\sigma} \propto A_{Coll} \sin \Phi_C$$

$$\Phi_C = \phi_h - \phi_s - \pi$$



Sivers function $\Delta_0^T q$ or f_{1T}^\perp



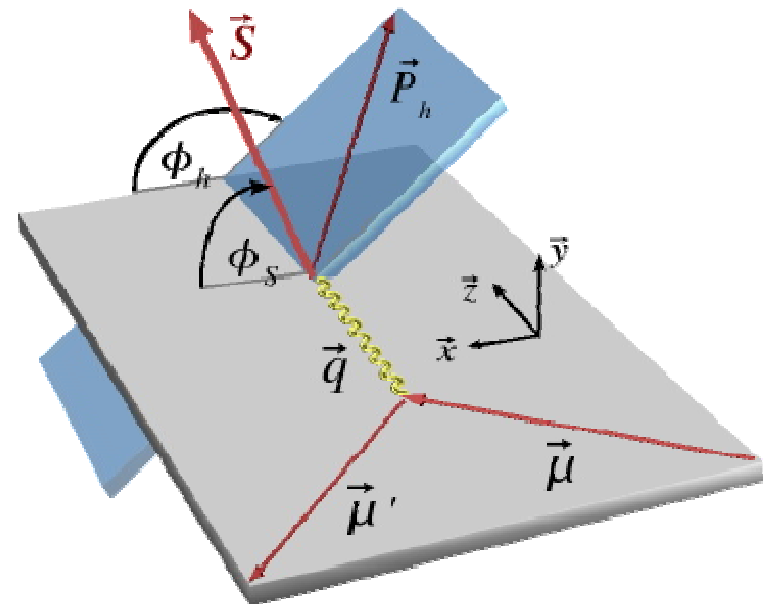
- Sivers Asymmetry:

$$A_{Siv} = \frac{\sum_q e_q^2 \Delta_0^T q(x, p_T^h/z) D_q^h(z)}{\sum_q e_q^2 q(x, p_T^h/z) D_q^h(z)}$$

$$\frac{\Delta\sigma}{\sigma} \propto A_{Siv} \sin \Phi_S$$

$$\Phi_S = \phi_h - \phi_s$$

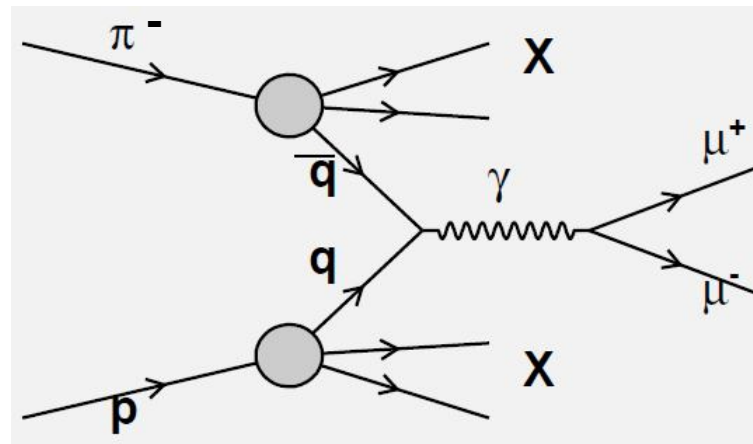
- proposed (1990, Sivers)
- thought to vanish (1993, Collins)
- resurrected (2002, Brodsky, Hwang, Schmitt)
- different sign in DY and SIDIS



SIDIS & Drell-Yan to study TMDs

Drell –Yan $\pi^- p^\uparrow \rightarrow \mu^+ \mu^- X$

with intense pion beam (up to $10^9 \pi/\text{spill}$)
with the transversely polarised NH_3 target
with the COMPASS spectrometer equipped with an absorber



Cross sections:

In SIDIS: convolution of a TMD with a fragmentation function

In DY: convolution of 2 TMDs

$$\sigma^{DY} \propto f_{\bar{u}|\pi^-} \otimes f_{u|p}$$

→ complementary information and universality test