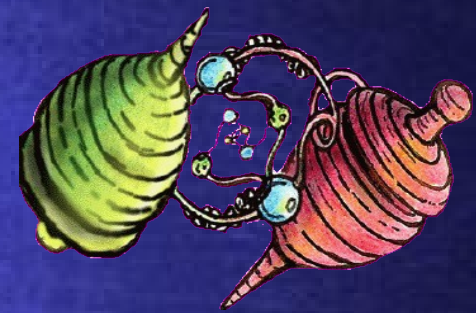


Hard Quasi-real photo-production at Compass Energies

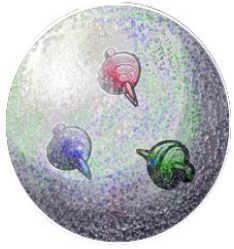


Spin 2010. Jülich, Germany

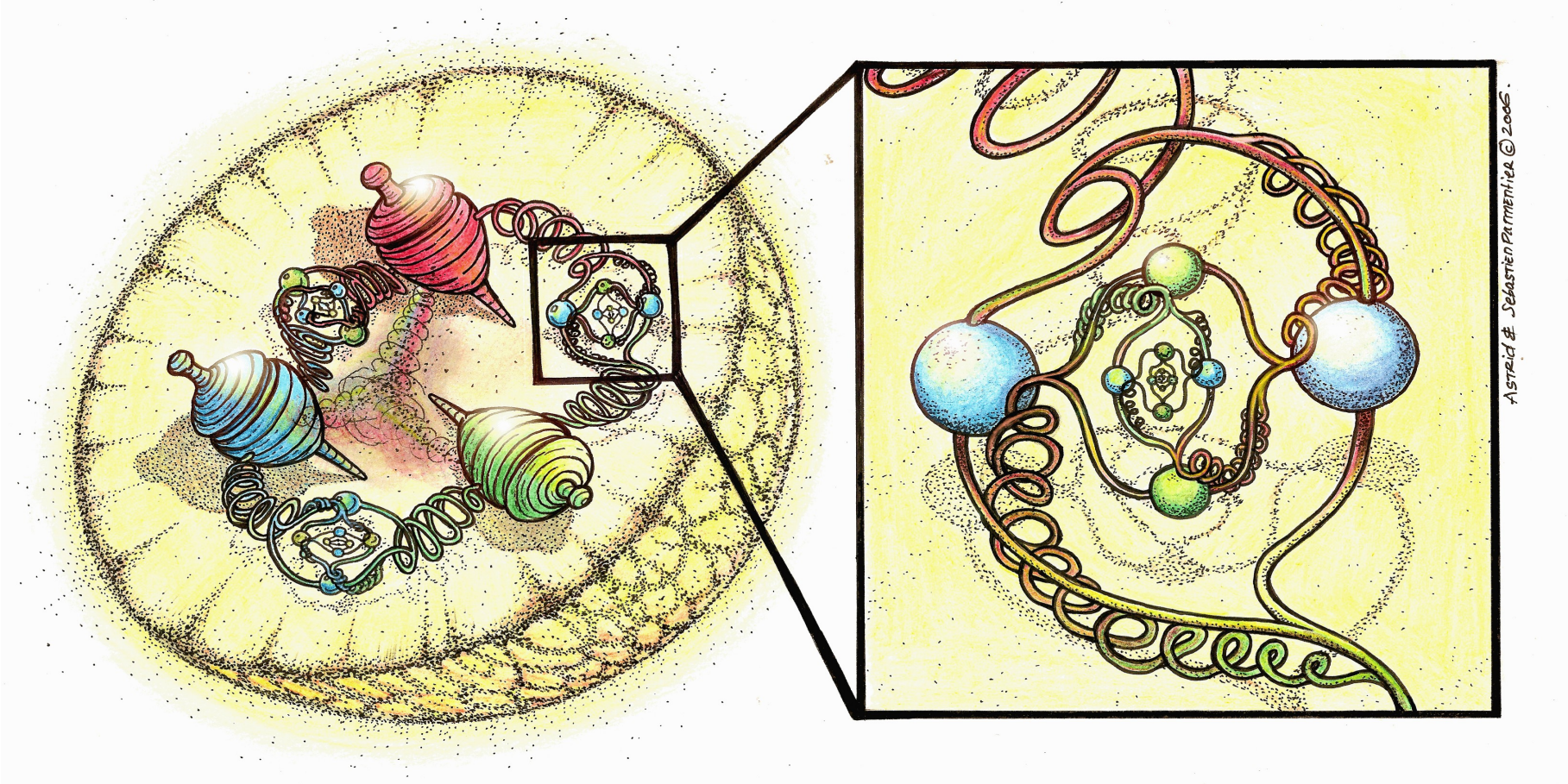


Astrid Morreale for the Compass Collaboration
French Atomic and Alternative Energies Commission -IRFU
and The American National Science Foundation.





The QCD Proton Picture



Nucleon Spin is Subtle: Quarks, gluons and their angular momentum caused by their high speed motion within the nucleon are contributors to the Nucleon's spin.

What else carries the proton spin

Longitudinal Spin Sum Rule:

$$\frac{1}{2} = S_z = \frac{1}{2} \sum \Delta q_i + \Delta G + L_z$$

W-production (pp)
Double Spin Asymmetries (pp, SIDIS, **Inclusive DIS**)
Exclusive processes (DVCS)

- ΔG , Δq_i are difference in the probabilities of finding a gluon/quark/antiquark with spin parallel and spin anti parallel to the spin of a longitudinally polarized nucleon.

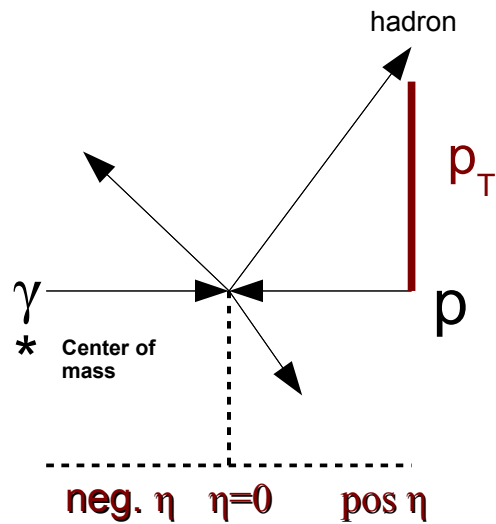
- L_z : orbital angular momenta of the quarks and gluons

Also a transverse spin sum rule, beyond the scope of this talk..

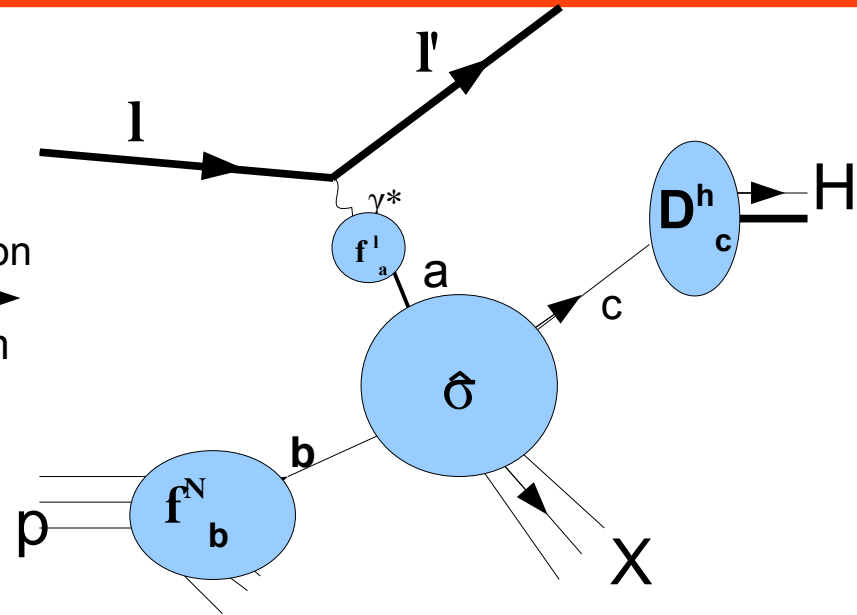




Factorization Theorem



Factorization
Theorem



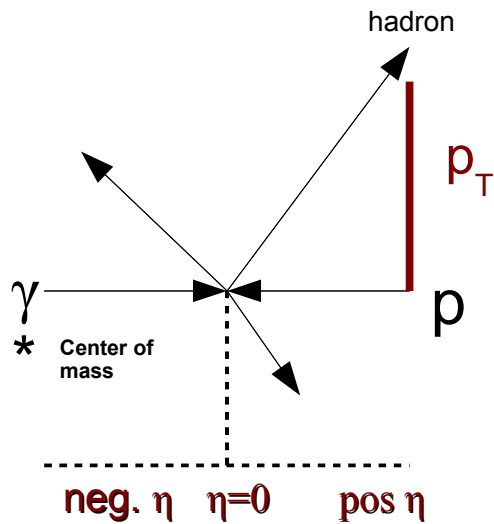
$$\eta_{\text{cm}} = -\log(\tan(\theta/2)) - 0.5 \cdot \log(2P_{\text{beam}}/M_p)$$

$$d\Delta\sigma \equiv \frac{1}{2} [d\sigma_{++} - d\sigma_{+-}]$$

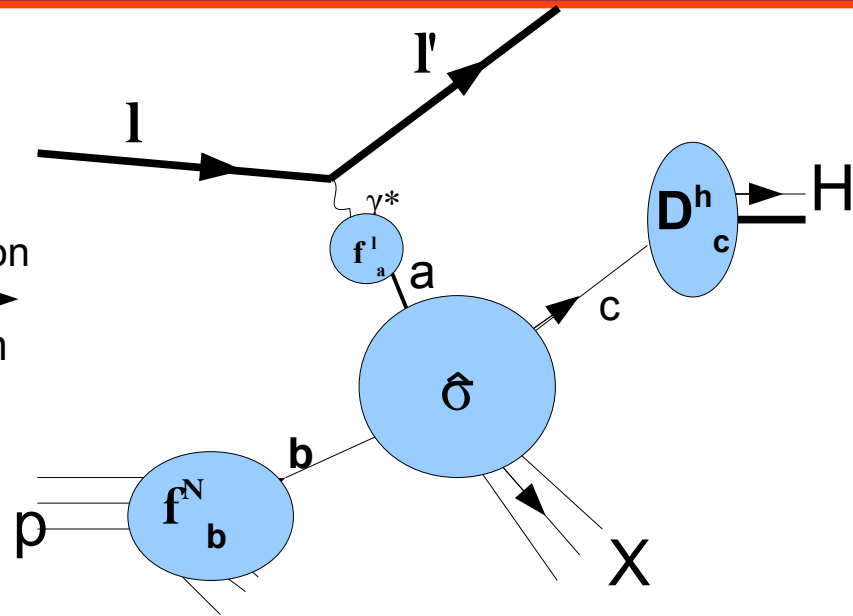
$$= \sum_{a,b,c} \int dx_a dx_b dz_c \Delta f_a^l \Delta f_b^N \times d\Delta\hat{\sigma}_{ab \rightarrow cX} D_c^H$$



Factorization Theorem



Factorization
 Theorem



$$\eta_{cm} = -\log(\tan(\theta/2)) - 0.5 \cdot \log(2P_{beam}/M_p)$$

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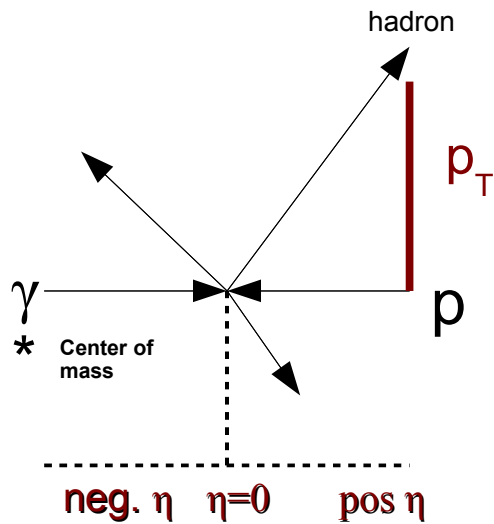
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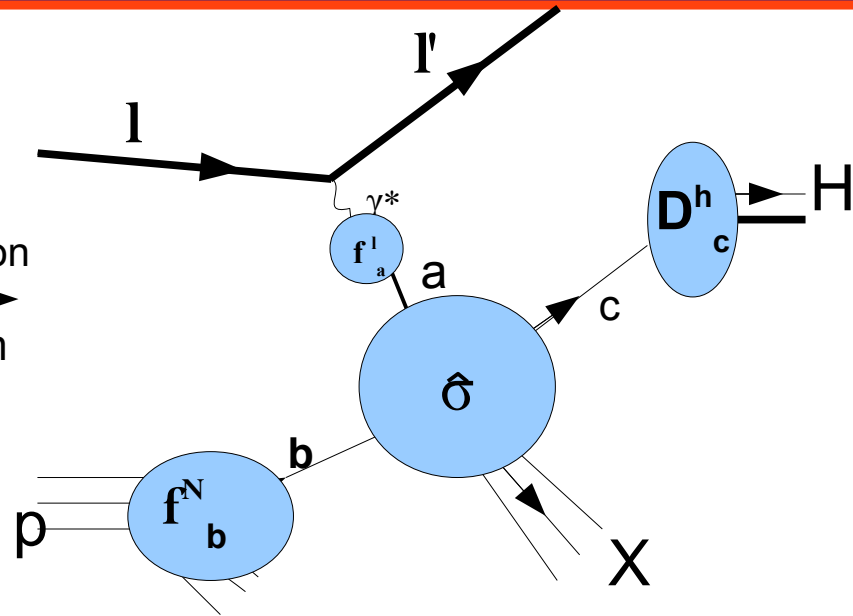
$$A_{LL} = \frac{\sigma_{++} - \sigma_{+-}}{\sigma_{++} + \sigma_{+-}} = \frac{\Delta\sigma}{\sigma}$$



Factorization Theorem



Factorization
Theorem



$$\eta_{cm} = -\log(\tan(\theta/2)) - 0.5 \cdot \log(2P_{beam}/M_p) \cdot 1_p$$

$$A_{LL} = \frac{\sigma_{++} - \sigma_{+-}}{\sigma_{++} + \sigma_{+-}} = \frac{\Delta\sigma}{\sigma} \longrightarrow A_{LL} = \frac{1}{\mathcal{F} P_{beam} P_{target}} \frac{N_{++} - N_{+-}}{N_{++} + N_{+-}}$$

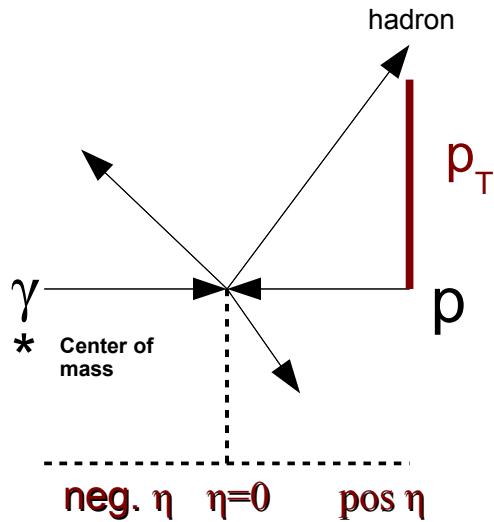
(N_{ij}) Number of events with nucleon's spin parallel (++)
or anti-parallel(+-) to the lepton spin.

(\mathcal{F}) Dilution Factor.

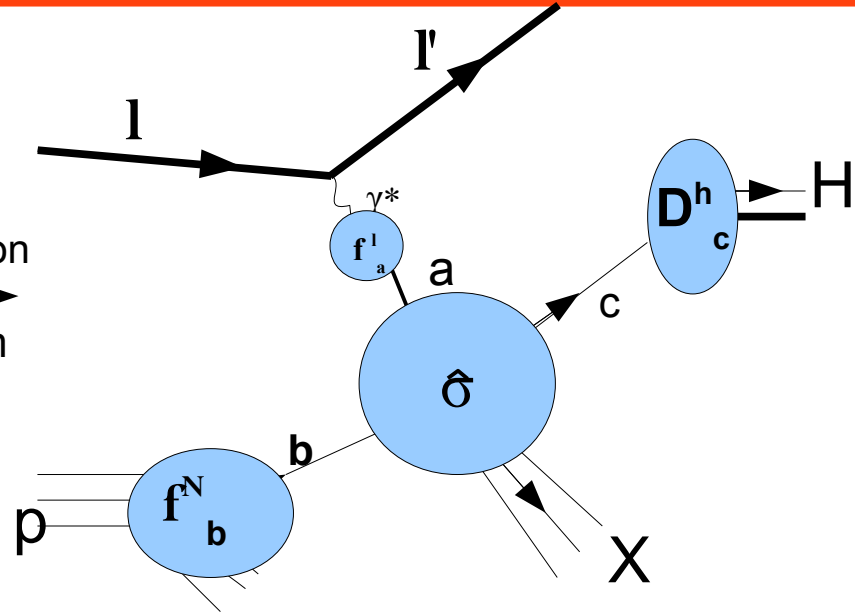
(P) Polarization in beam or target.



Factorization Theorem



Factorization
Theorem



$$\eta_{cm} = -\log(\tan(\theta/2)) - 0.5 \cdot \log(2P_{beam}/M_p) \cdot \eta_p$$

$$A_{LL} = \frac{\sigma_{++} - \sigma_{+-}}{\sigma_{++} + \sigma_{+-}} = \frac{\Delta\sigma}{\sigma}$$

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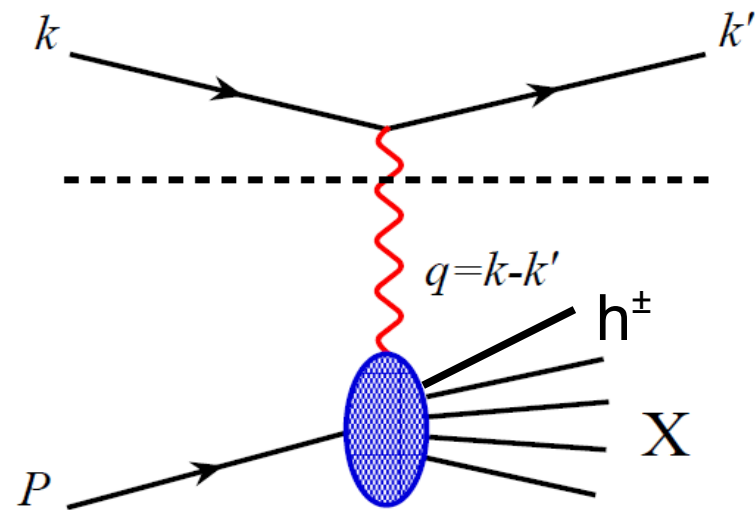
(\mathcal{F}) Dilution Factor.

(P) Polarization in beam or target.

Asymmetries can give us access to polarized parton information.

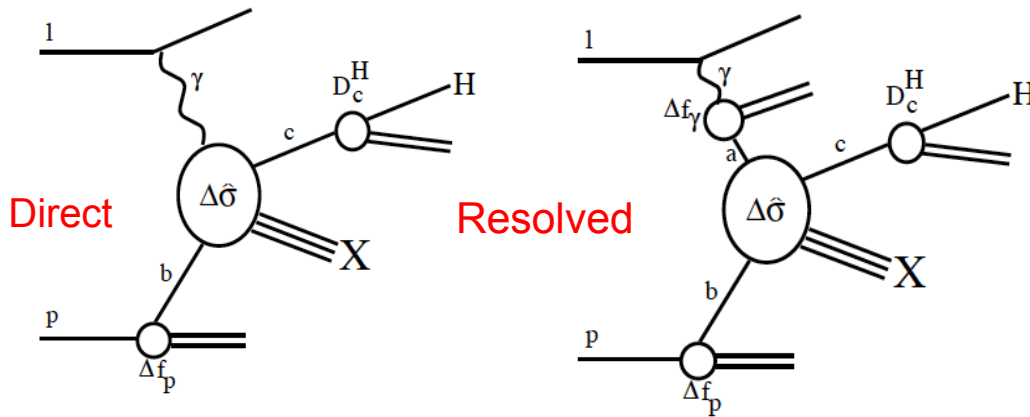
Quick Reminder of Kinematical Variables

- $Q^2 = -(k-k')^2$ → Virtuality of γ
- $x = Q^2/2P \bullet q$ → Fraction of the nucleon's momentum carried by the parton(LO)
For an elastic collision $x=1$
- $\nu = P \bullet q/M$ → Energy lost by the μ
- $y = \nu/E$ → Energy transfer from μ to γ (inelasticity.)
- $z = E_{\text{hadron}}/\nu$ → Relative energy of produced hadron
- $W^2 = (P+q)^2$ → Invariant mass of the hadronic state

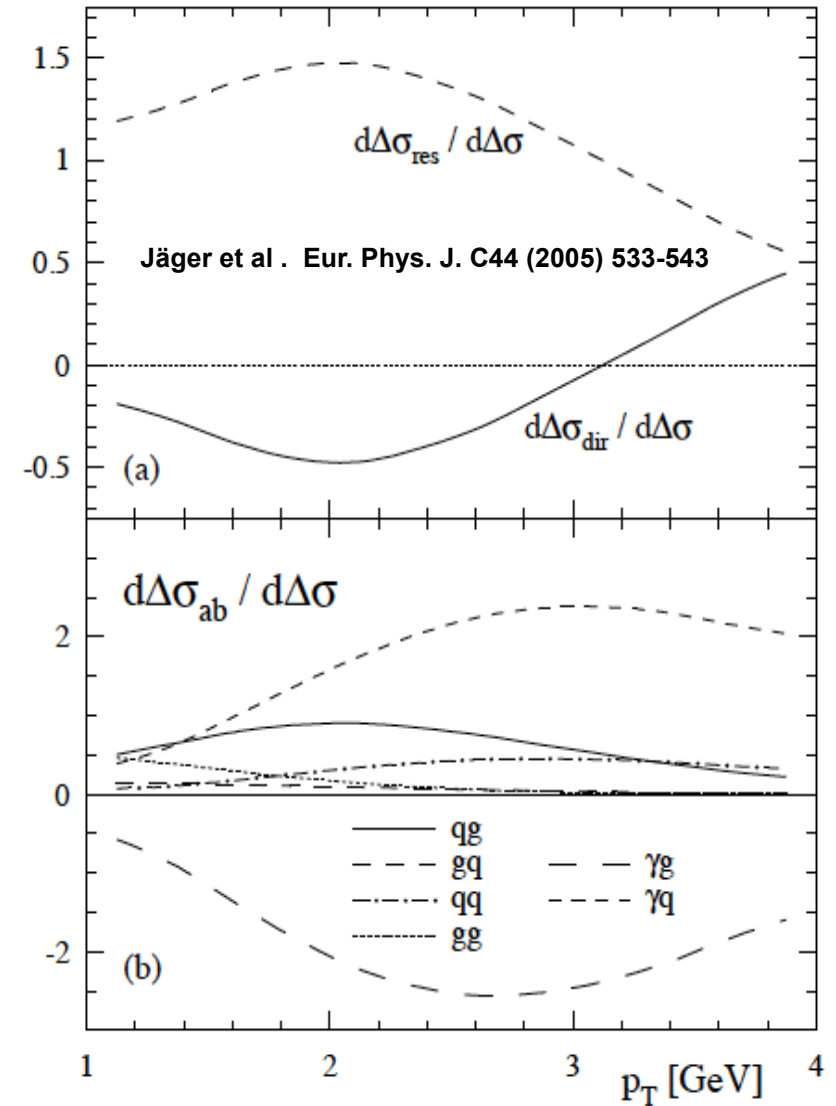




NLO pQCD: Quasi Real Photo-production of high p_T hadrons



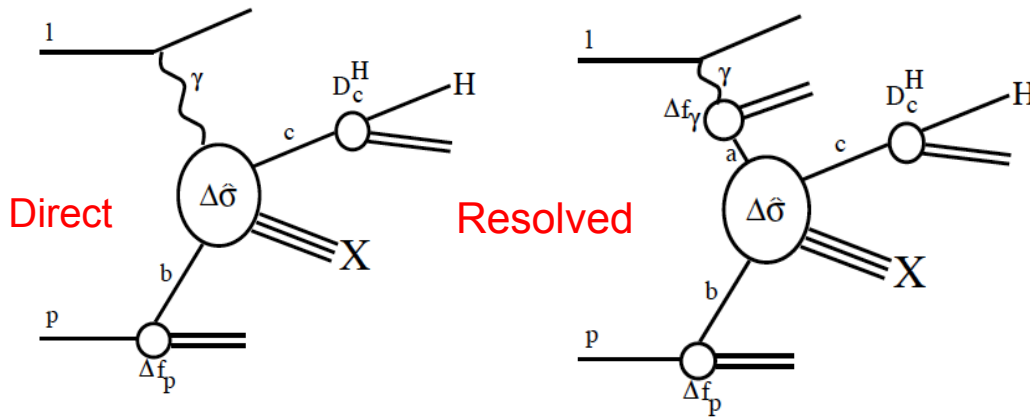
- Low Q^2 ($<0.1\text{GeV}/c$) and high p_T .
- NLO Calculation exists for Compass Kinematics.
- This process has an advantage of higher production rates of hadrons than in (DIS) electro-production.
- The selected hadron H is at high p_T ($>1\text{GeV}/c$): large momentum transfer, p_T sets the scale



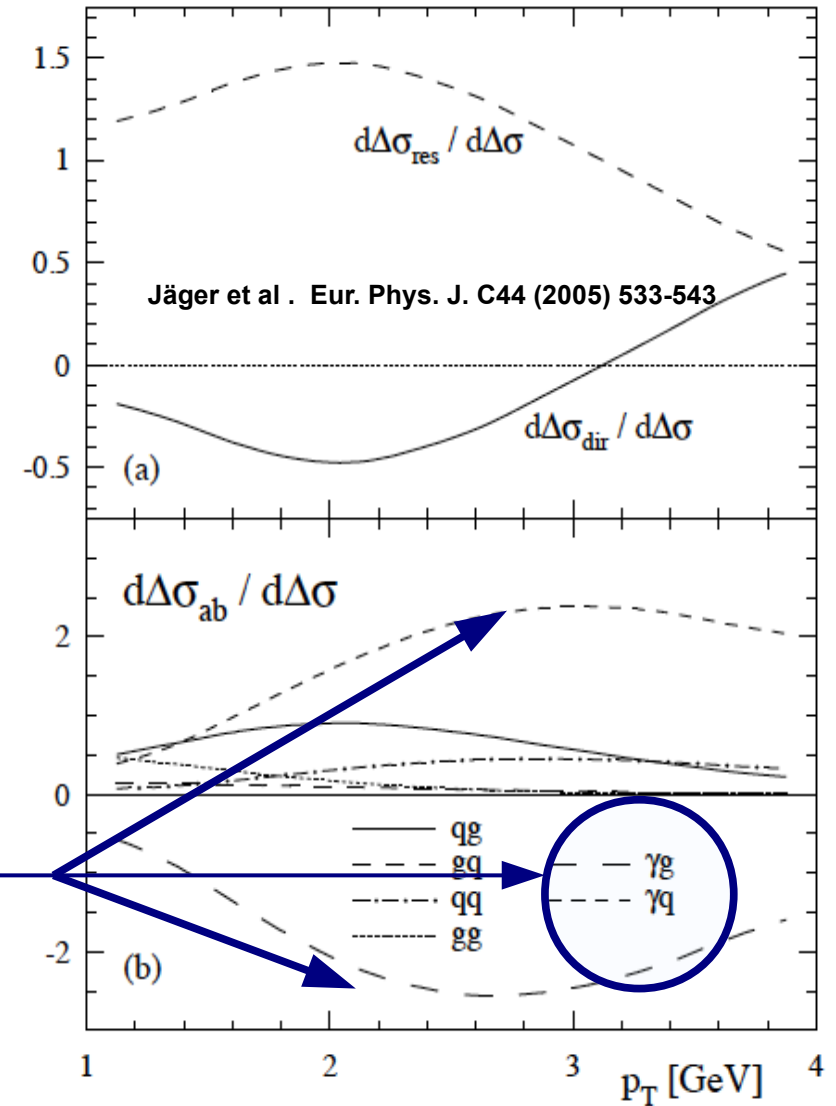
Partonic contributions to the production of high p_T hadrons at low Q^2 ($<0.5\text{GeV}^2$) in lepton nucleon scattering. c.m= 18 GeV



NLO pQCD: Quasi Real Photo-production of high p_T hadrons



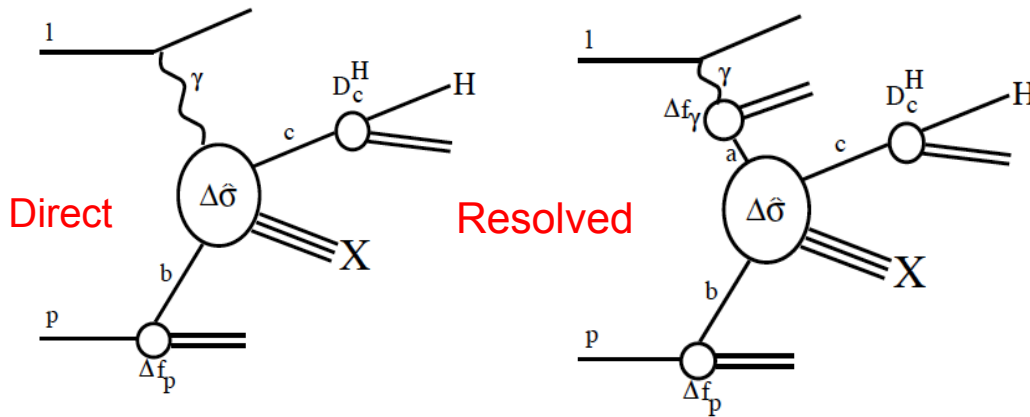
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- **Direct Processes** contribute with different sign ($\gamma g, \gamma q$)



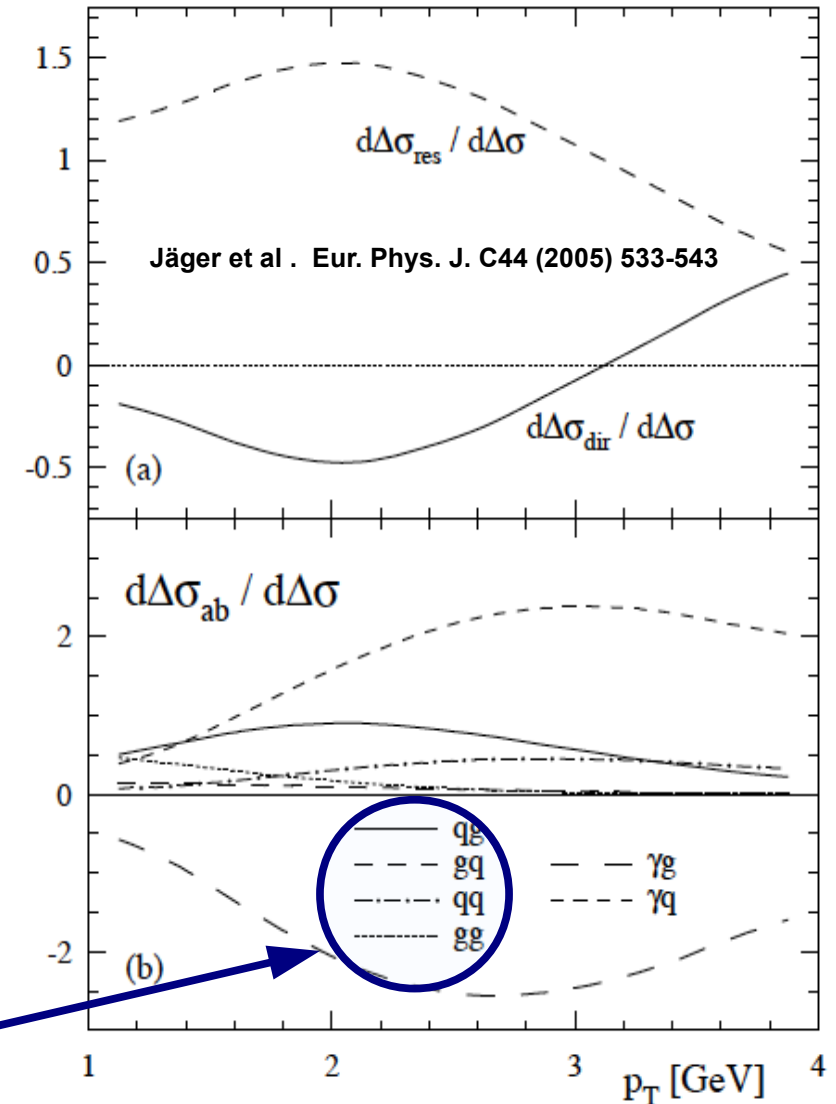
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NLO pQCD: Quasi Real Photo-production of high p_T hadrons



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- The selected hadron H is at high p_T ($>1\text{GeV}/c$) : large momentum transfer, p_T sets the scale
- Direct Processes contribute with different sign ($\gamma g, \gamma q$)
- **Resolved processes** contribute with the same sign for a positive ΔG (qg, gq, qq, gg)



Partonic contributions to the production of high p_T hadrons at low Q^2 ($<0.5\text{GeV}^2$) in lepton nucleon scattering. c.m= 18 GeV

The Goals

In a NLO pQCD framework , factorization is employed to separate long and short distance elements.

To test the framework on which asymmetry results are used to extract ΔG we will measure the unpolarized cross section.

→ This is the denominator to the definition of $A_{LL}(p_T)$

→ **A benchmark measurement**

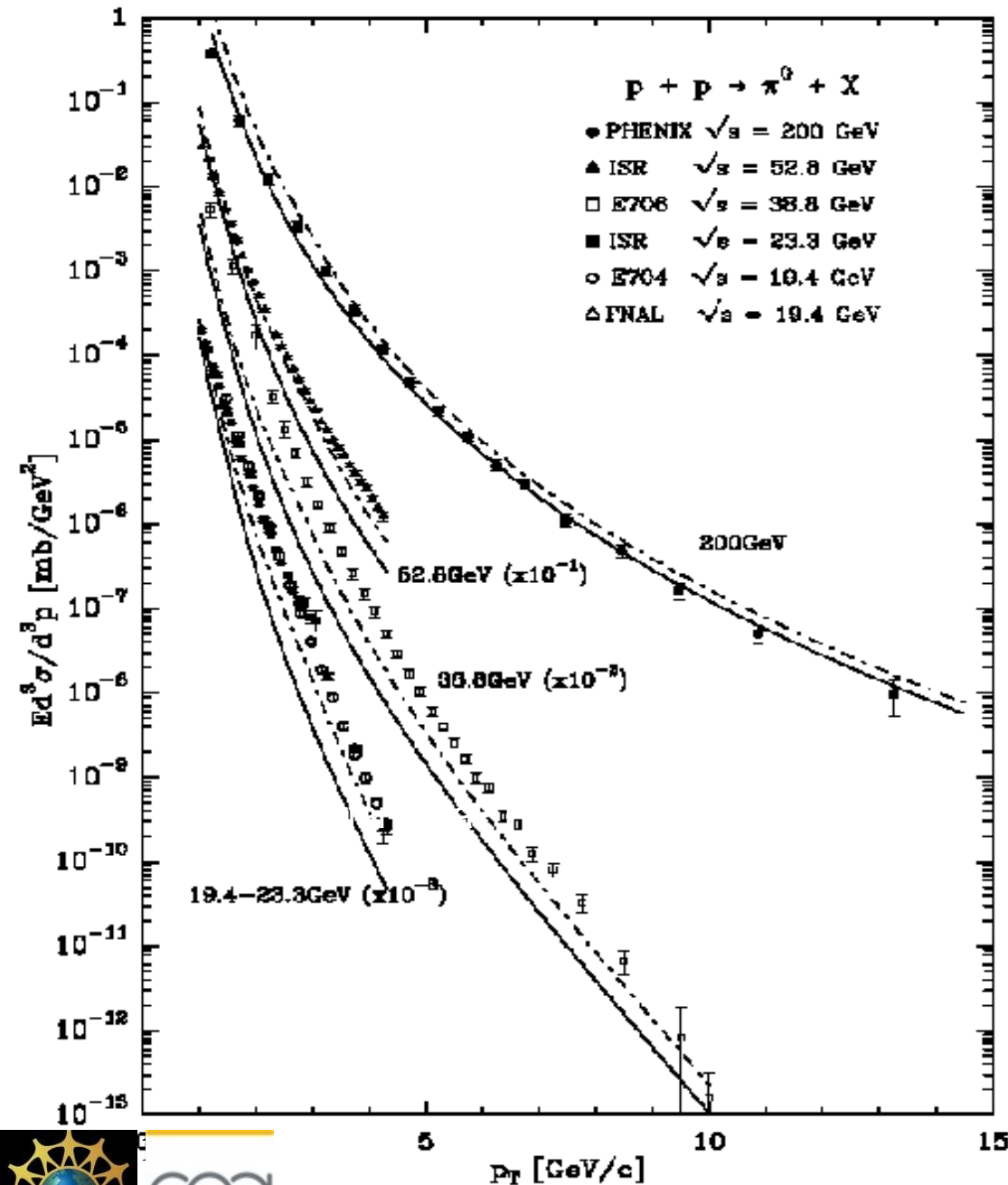
1. Measure the **unpolarized differential Cross Section** to confirm that the pQCD framework is applicable to data.

2. Measure double spin asymmetries (A_{LL}) to extract $\Delta G(x)$

→ **The pQCD unpolarized cross section**



π^0 Cross-Sections compared to pQCD (p+p data)



π^0 Cross-Sections at $y = 0$ Experiment vs Theory

- $\sqrt{s}=200$ GeV (RHIC) Agreement
- $\sqrt{s}=52.8$ GeV (ISR) Agreement (scale dependent)
- $\sqrt{s}=38.8$ GeV (E706) Disagreement
- $\sqrt{s}=19.4$ GeV (FNAL/E704) Disagreement

Disagreement at lower center of mass energies
Observed in p+p data

→ Work needed to understand lower energies?

Bourelly et al, Eur.Phys.J.C36:371-374,2004

What about SIDIS: $\mu+d \rightarrow \mu'+hX$?

The experiment:

COMPASS @CERN (Prevessin):

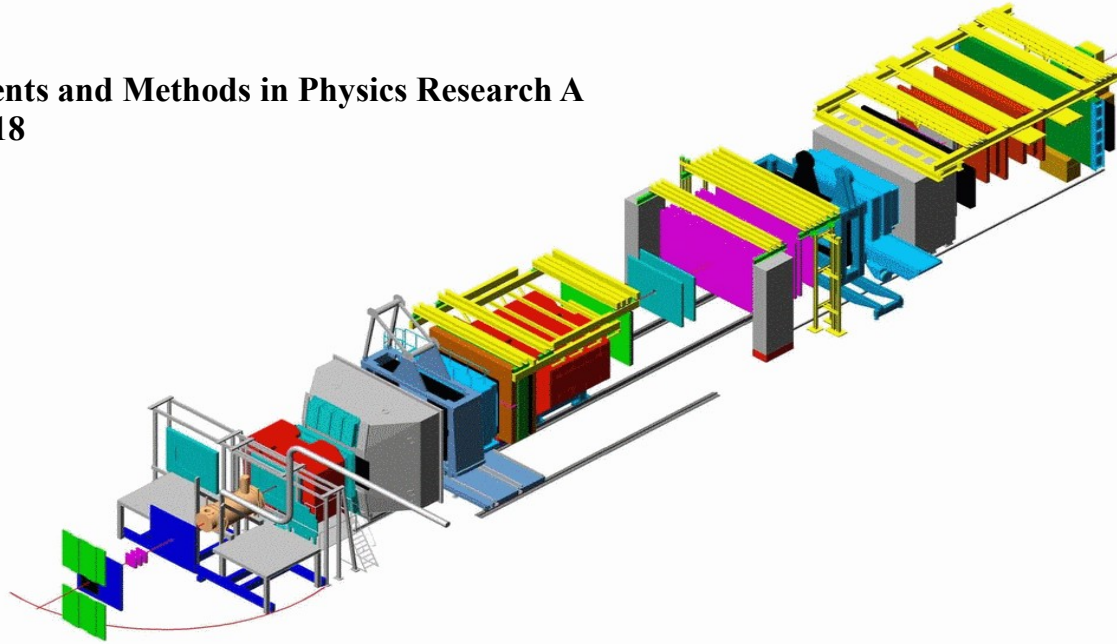
COMMON APPARATUS FOR MUON SPECTROSCOPY:



Tertiary beam of positive muons produced in the M2 beamline at the CERN SPS.

The COMPASS detector at CERN's SPS

Nuclear Instruments and Methods in Physics Research A
577 (2007) 455–518

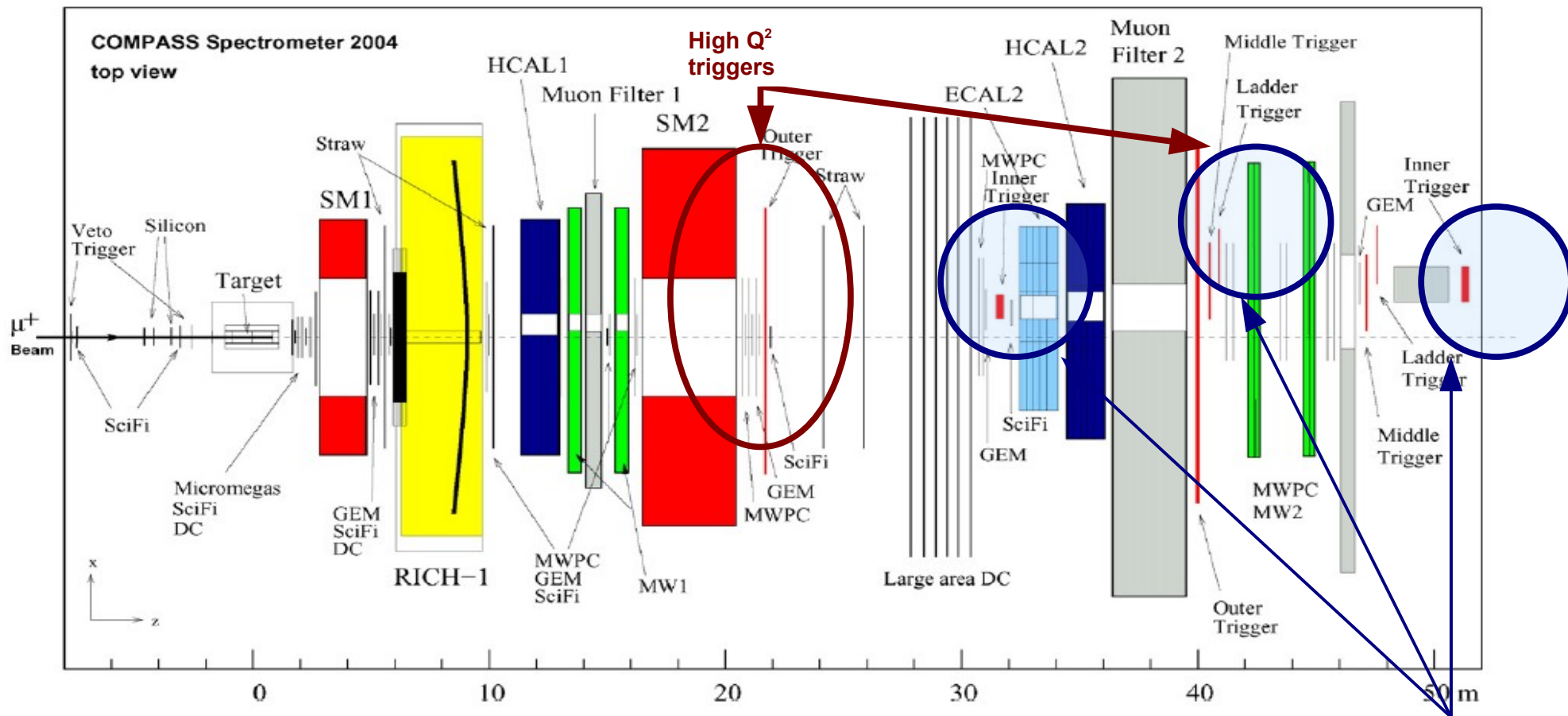


- Spill cycle every 16.8 seconds (Flat top extraction 4.8 seconds)
- Polarized μ scattering off deuterons in a polarized ^6LiD solid-state target.
- Beam energy is $E_\mu = 160 \text{ GeV}$ → lepton-nucleon c.m.s. energy of $\sqrt{S} \simeq 18 \text{ GeV}$.
- Average beam polarization: $P_\mu \simeq 80\%$.
- About $F_d \simeq 50\%$ (“dilution factor”) of the nucleon can be polarized, with an average polarization of $P_d \simeq 50\%$.

01/10/10



The versatility of the detector



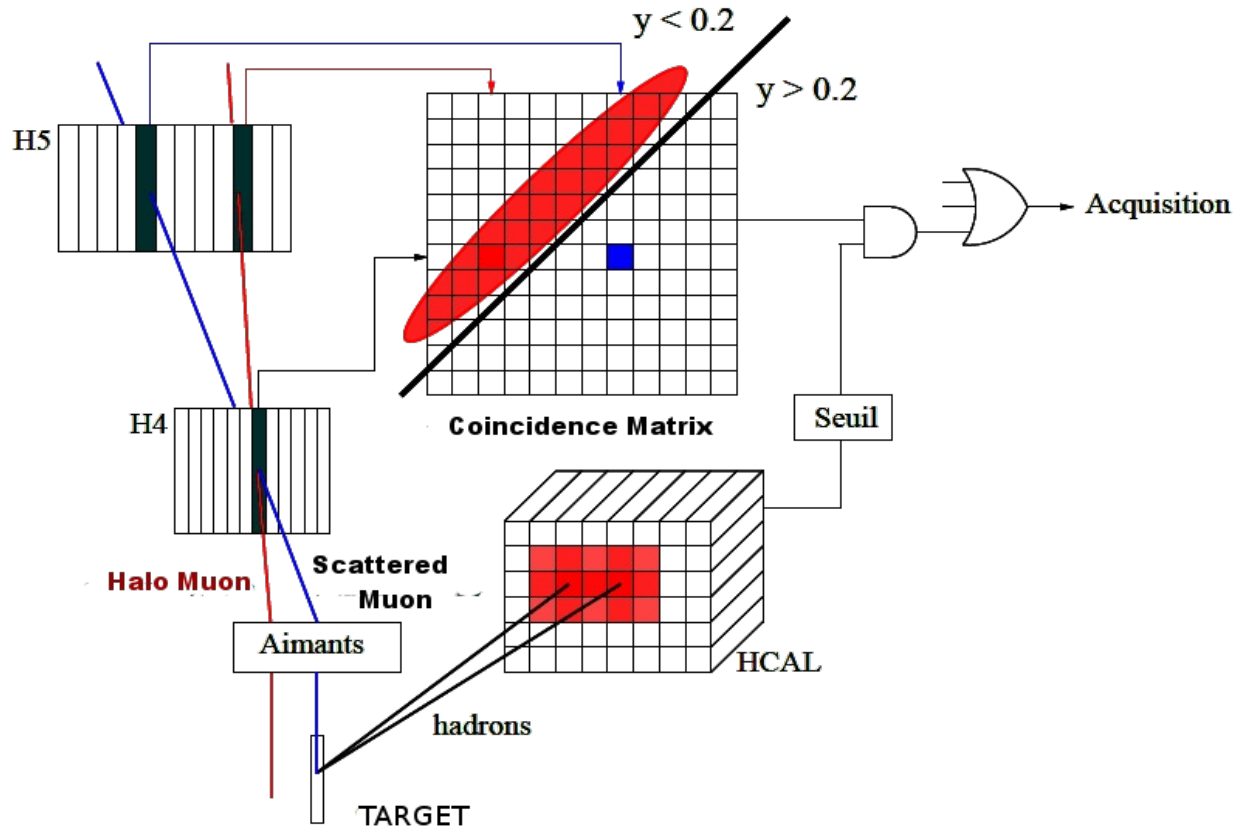
→ Scattered muon (μ') is detected as well as the high p_T charged hadrons

→ We have access to detailed information on the kinematics of the event:

Q^2 , y , x_{bj} , z , W , p_T with respect to γ^* or hadron z axis

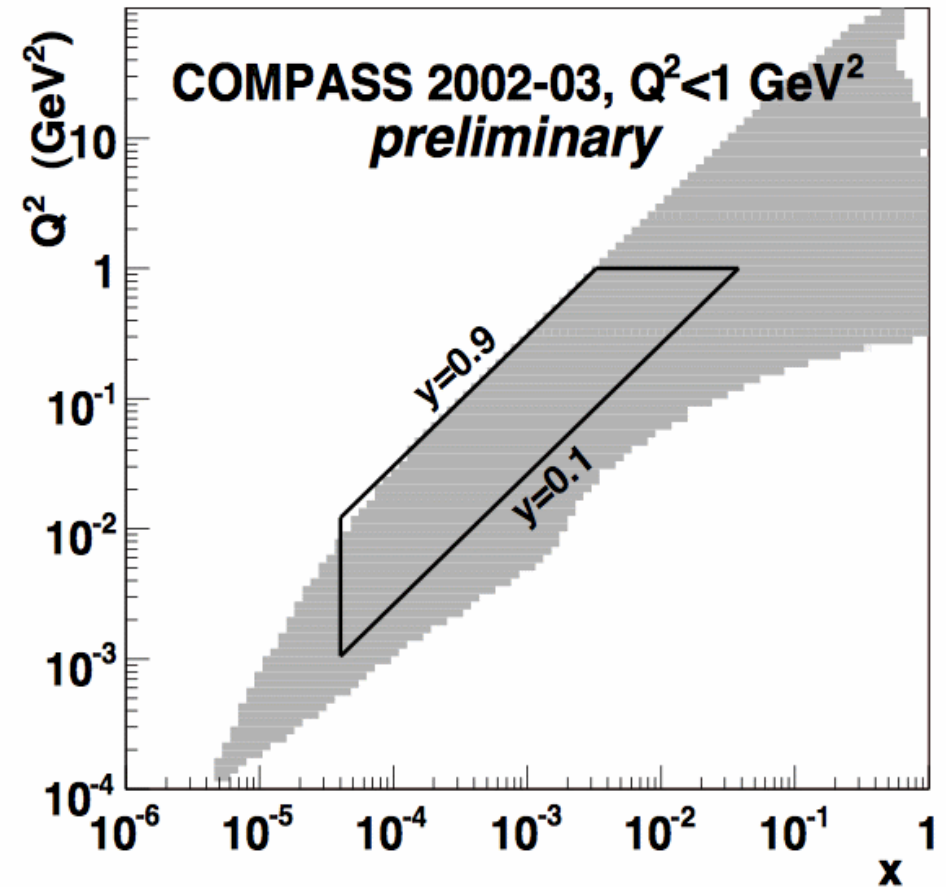
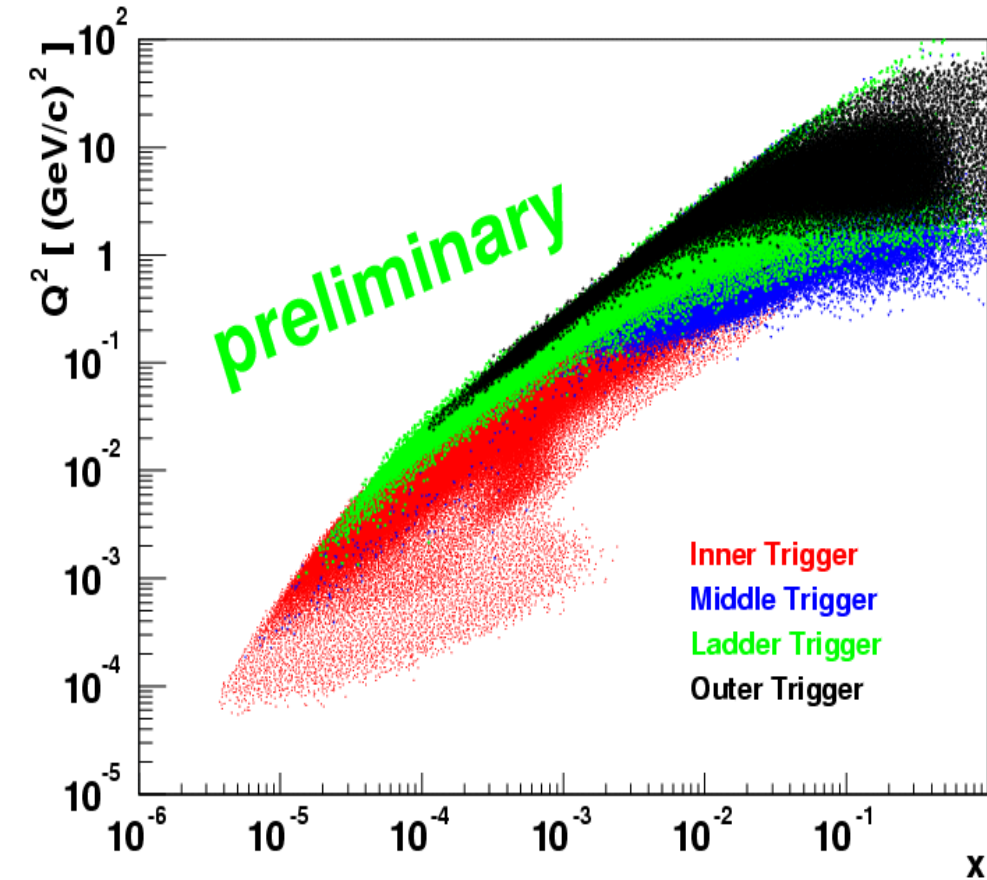
The high efficiency triggers give us access to different phase space regions (Q^2 , y)

Detecting low Q^2 events



- Kinematical regions of interest can be converted to angular region via the relation: $Q^2 = 4EE' \sin^2 \theta / 2$
- At small Q^2 the μ' is very close to the beam, a series of hodoscopes, muon filters In combination with a hadronic energy deposition in the calorimeter are employed
- Time of passage of the μ' (μ) is known with precision of better than 1ns.

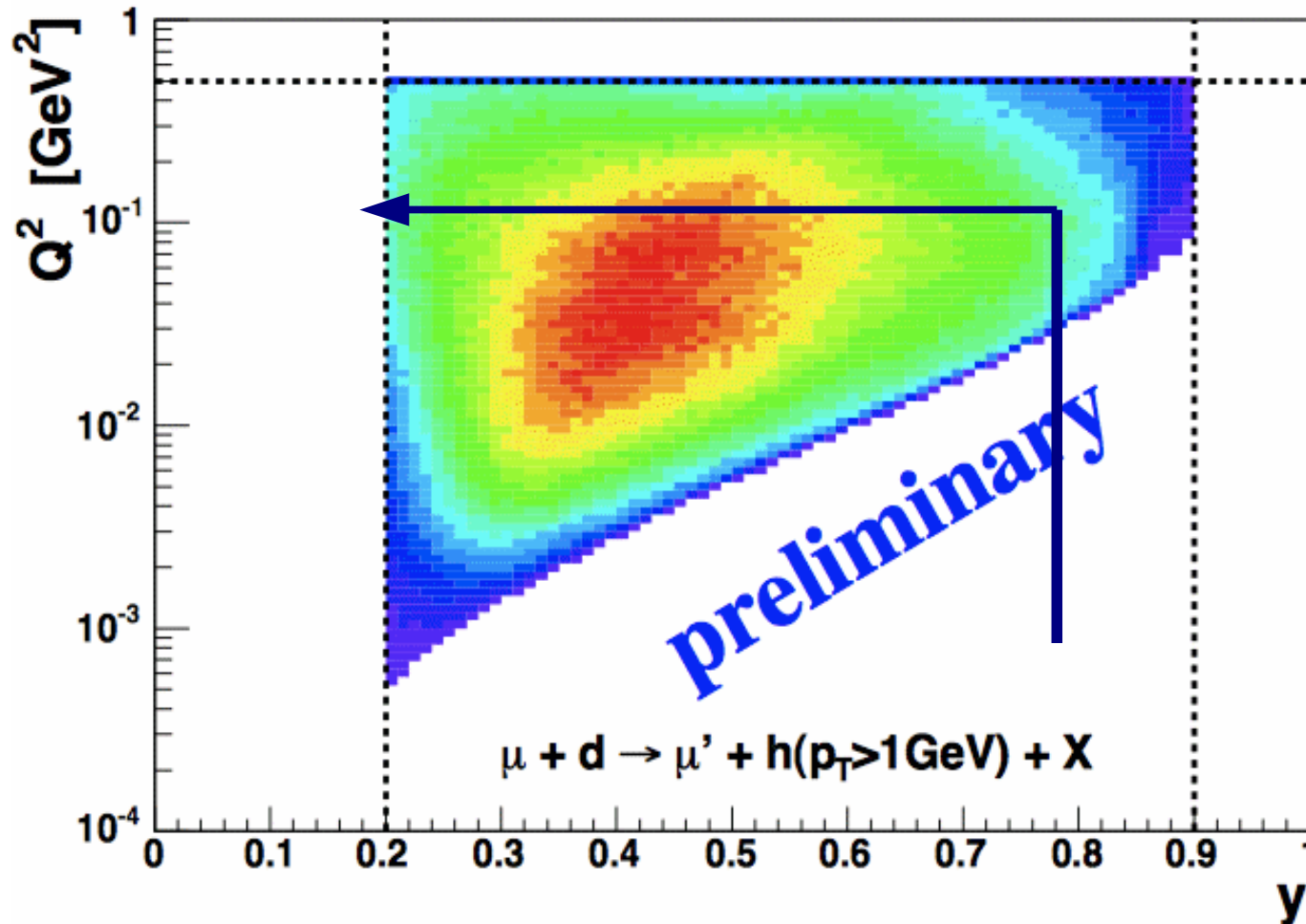
Compass' Triggers Kinematic Reach



→ We can reach these low Q^2 values using the High efficiency **ladder** and **Inner** Triggers

Compass Kinematic Reach

2004 Data Sample



→ The detailed kinematical information on the event allows us to stay away from regions which could potentially contain events which are not of interest.

Measuring Cross sections: The Method

$$\frac{1}{2\pi p_T} \cdot \frac{d^2\sigma}{dp_T dy} \Rightarrow \frac{1}{L^*} \cdot \frac{1}{2\pi p_T} \cdot \frac{d^2N}{dp_T dy} \Rightarrow \frac{1}{2\pi p_T} \frac{N_{h^\pm}(p_T)}{\int L dt \epsilon_{Acc} \Delta p_T \Delta \eta}$$

L^* – integrated luminosity, measured within the target volume.
→ **Measured within 10% accuracy.**



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$N_{h^\pm}(p_T)$ – number of particles of interest .

→ **Sufficient statistics to reach p_T above 3GeV/c**



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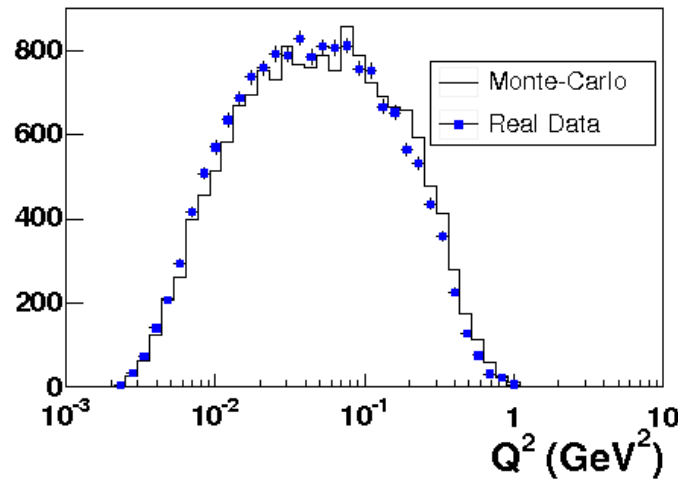
$N_{h^\pm}(p_T)$ – number of particles of interest .
→ Sufficient statistics to reach p_T above 3GeV/c

ϵ_{Acc} -Detector's geometrical acceptance, reconstruction algorithm,
detection inefficiencies.
→ **Extracted with a MC simulation.**

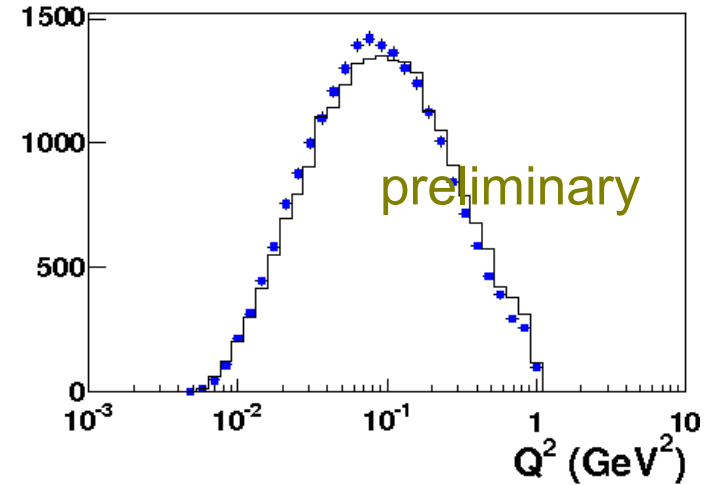


MC Description of Detector

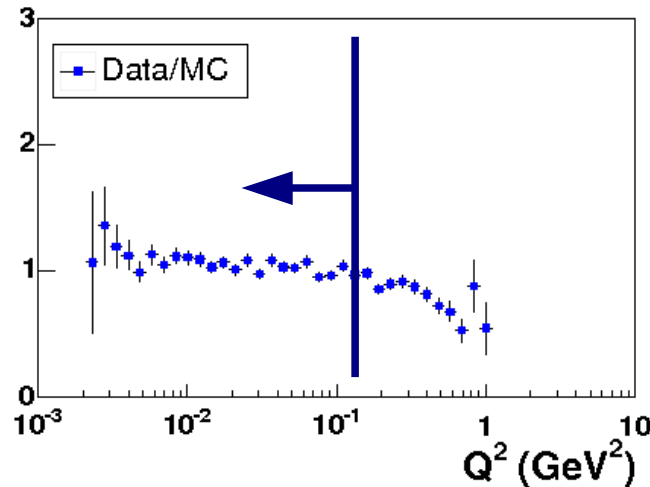
Inner trigger



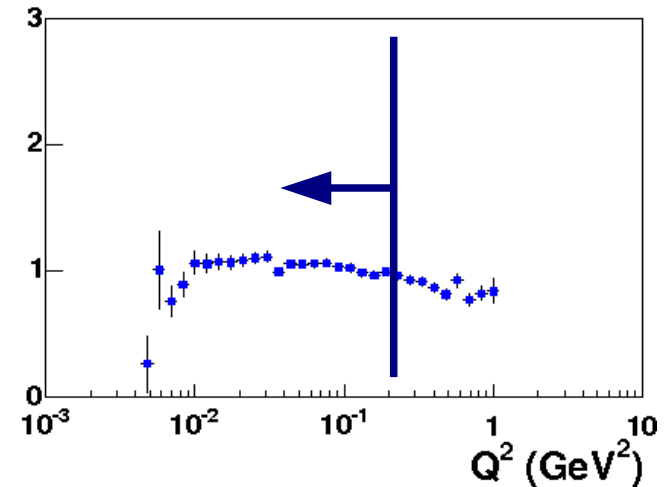
Ladder trigger



Inner trigger



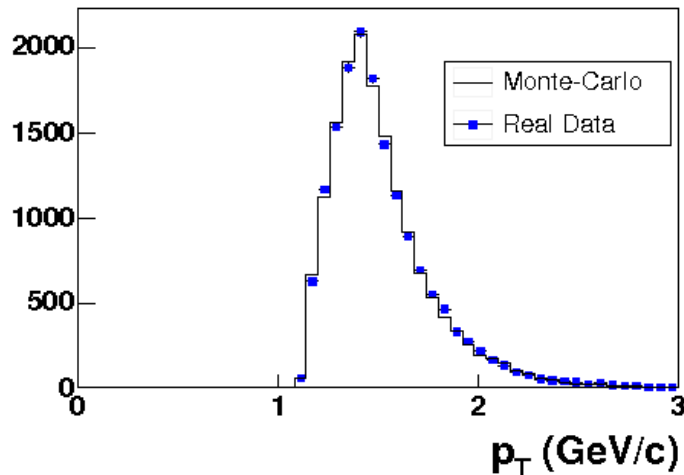
Ladder trigger



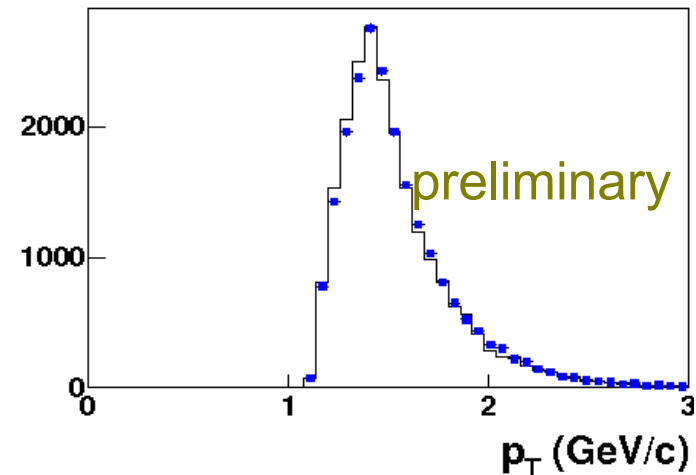
We are not interested in PYTHIA's pQCD description but only in accurate Apparatus description (GEANT). → **Extraction of Acceptance corrections.**

MC Description of Detector

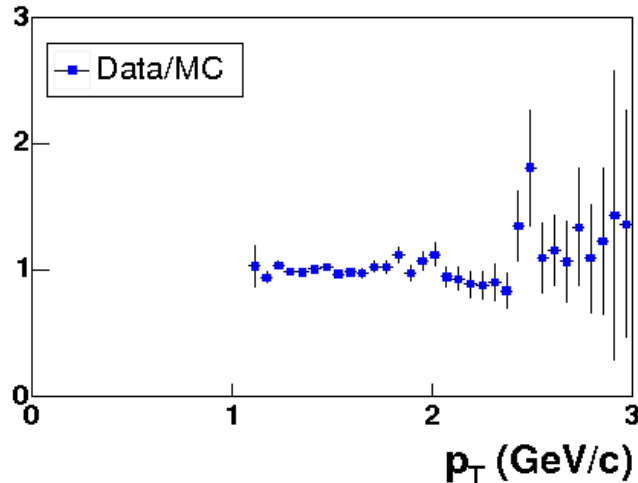
Inner trigger, 1st hadron



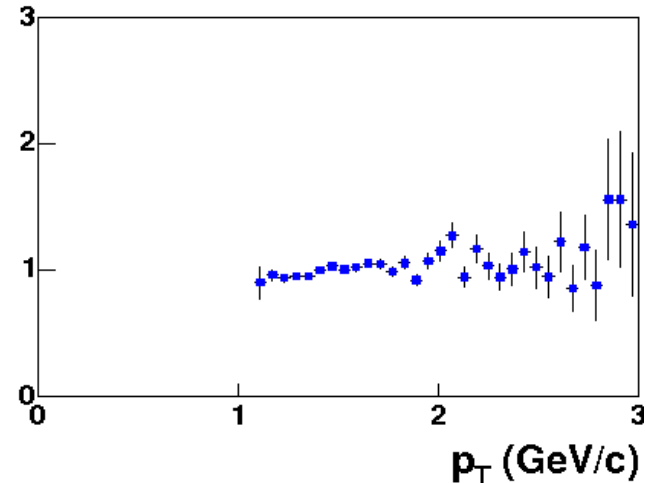
Ladder trigger, 1st hadron



Inner trigger, 1st hadron



Ladder trigger, 1st hadron



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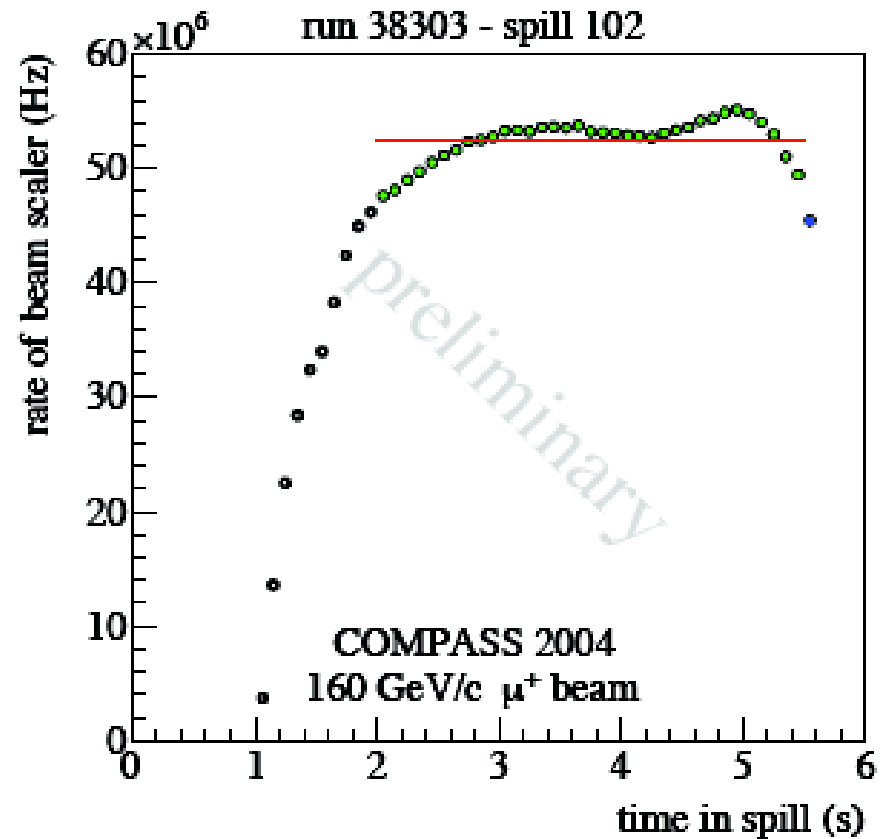
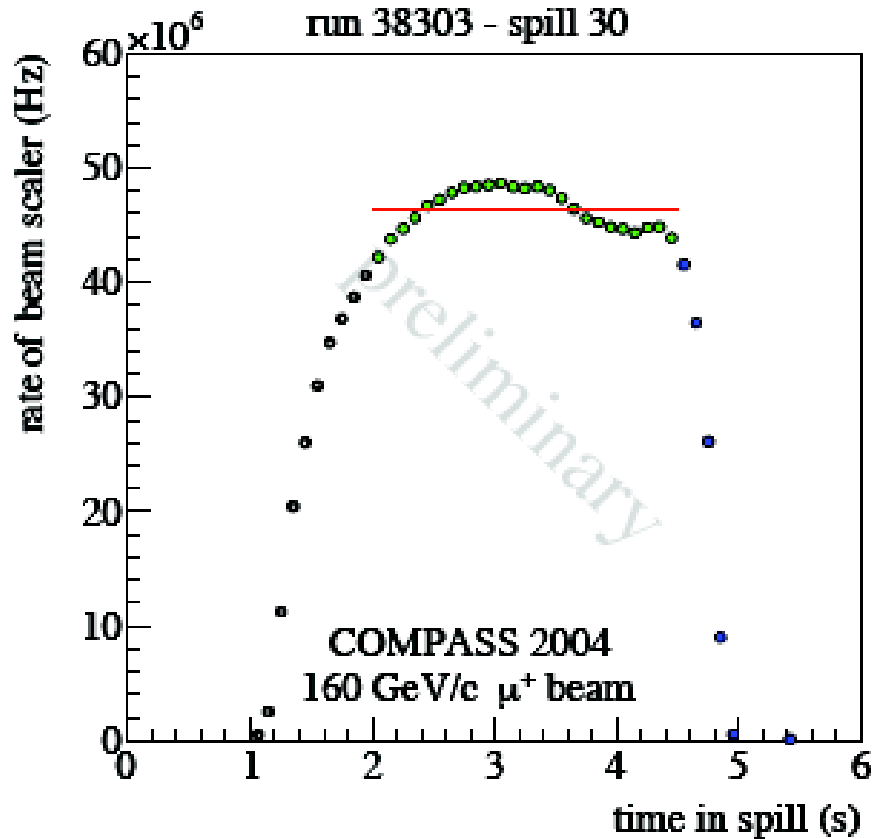
Full simulation with GEANT of the spectrometer performance is incorporated at COMPASS.

Luminosity

- Luminosity is measured using the beam scalers spill by spill.
- Each spill corresponds to the beam delivered by SPS.
 - Every 16.8 seconds (Flatop duration of 4.8 seconds).
- Detector effects which affect the total beam rate are accounted for: Acquisition, veto (beam halo) deadtimes.

For the data sample of interest the luminosity has been determined within 10% accuracy.

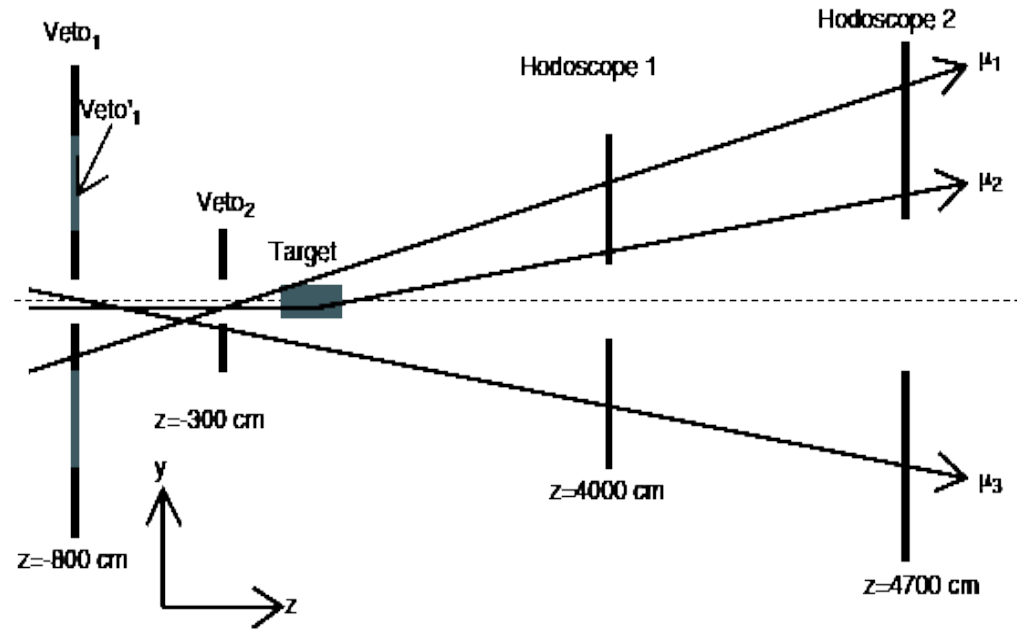
Luminosity: Flattop selection



- Evaluate the spill rates as seen by the beam scaler as a function of time.
- Only events within the flattop are considered (red line)

COMPASS Veto System

Bernet et al. NIMA 550(2005) 217-240.

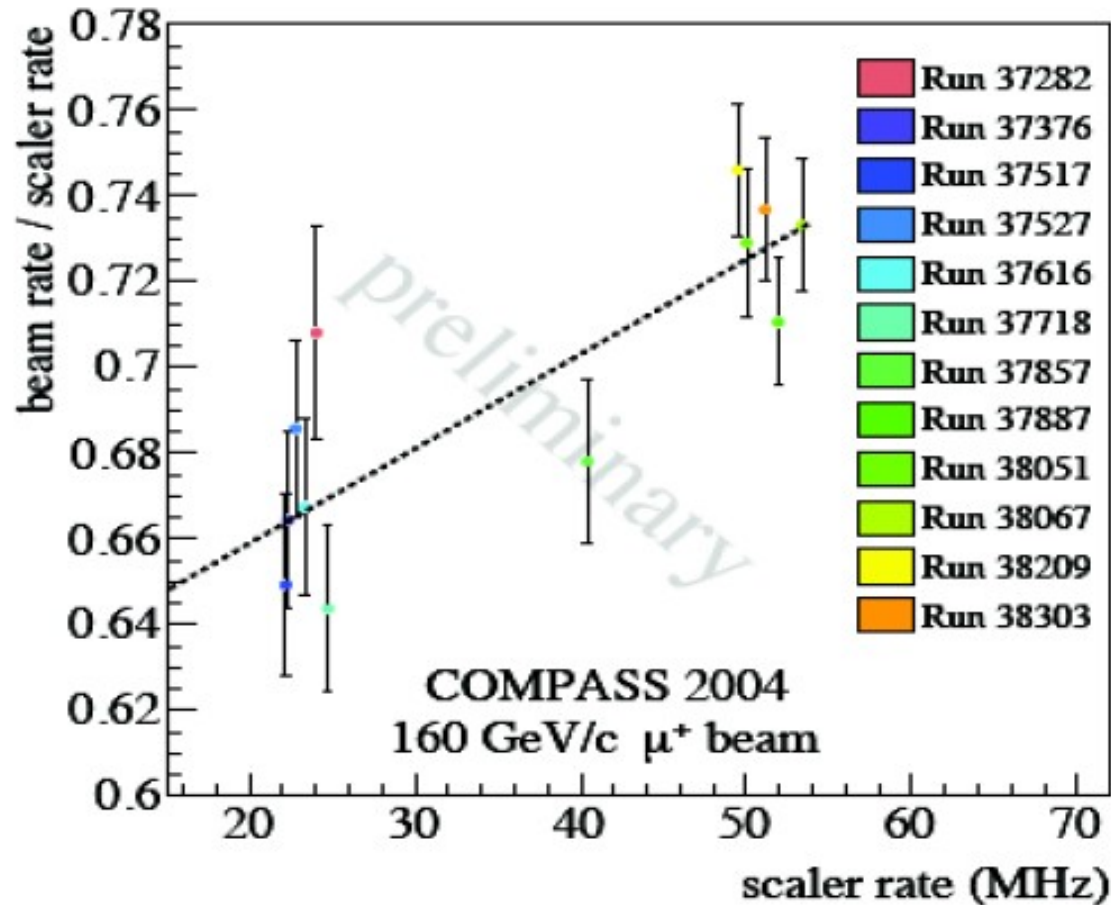


The compass veto system prevents a large fraction of beam halo tracks from contaminating the trigger sample

During high veto signal times no triggers are taken (this includes good events)
→ **The “dead time” effect is taken into account in the Luminosity calculation**



Luminosity: Beam Rate



- Ratio of the rates as measured with the random triggers and scalers is dependent on the beam intensity
- The observed dispersion of the ratio as a consequence of the intensity dependence is accounted for in the systematic uncertainty ($\sim 5\%$)

Luminosity

→ Evaluation of stable data and spectrometer conditions.

This is particularly important for the Cross section
normalization.

→ Integrated luminosity in the data set under interest is 142.4 pb^{-1}

→ Dominant errors (conservative) arise mainly from uncertainty in
beam flux measurement and dead times. Total 10% uncertainty.



The NLO pQCD parametrizations

Eur. Phys. J. C 36, 371–374 (2004)

NLO Calculations by
B. Jaeger, M. Stratmann, V.
Wogelsang

→ π^0 production prediction:
difficult to compare at the time.

→ The updated calculations for
charged hadron production at
Compass' full kinematics
have been performed by V.
Wogelsang

→ Radiative contributions
calculation, however small, has
been calculated by A. Afanasiev.

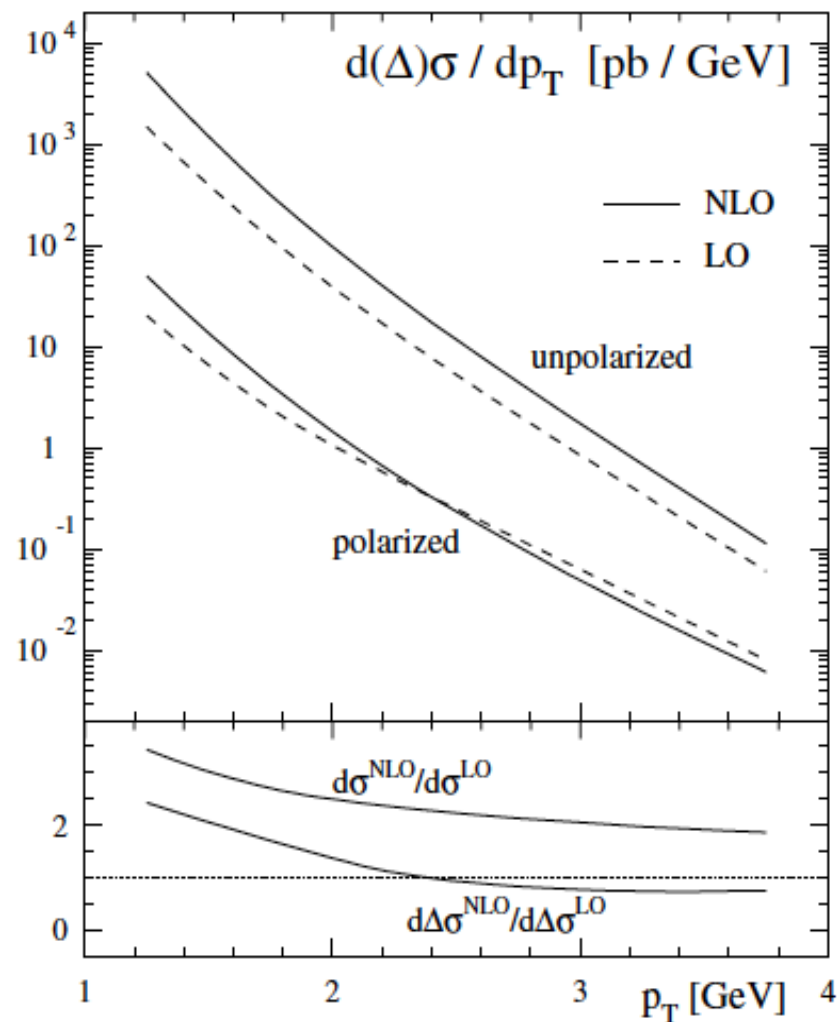
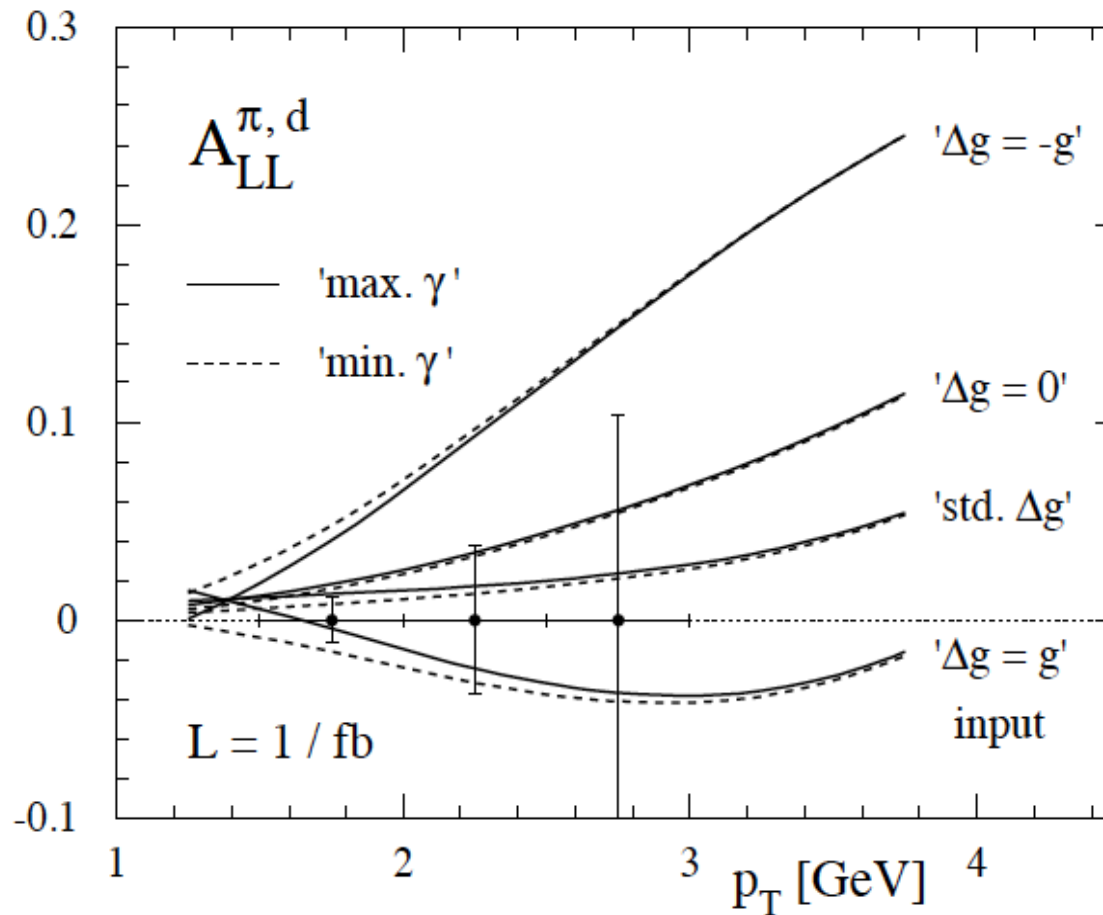


Fig. 2. Unpolarized and polarized p_T -differential single-inclusive cross sections at LO (dashed) and NLO (solid) for the photoproduction of neutral pions, $\mu d \rightarrow \mu' \pi^0 X$ at $\sqrt{S} = 18$ GeV, integrated over the angular acceptance of Compass. The lower panel shows the ratios of NLO to LO contributions (K -factor)

01/10/10

The NLO pQCD parametrizations: Asymmetries



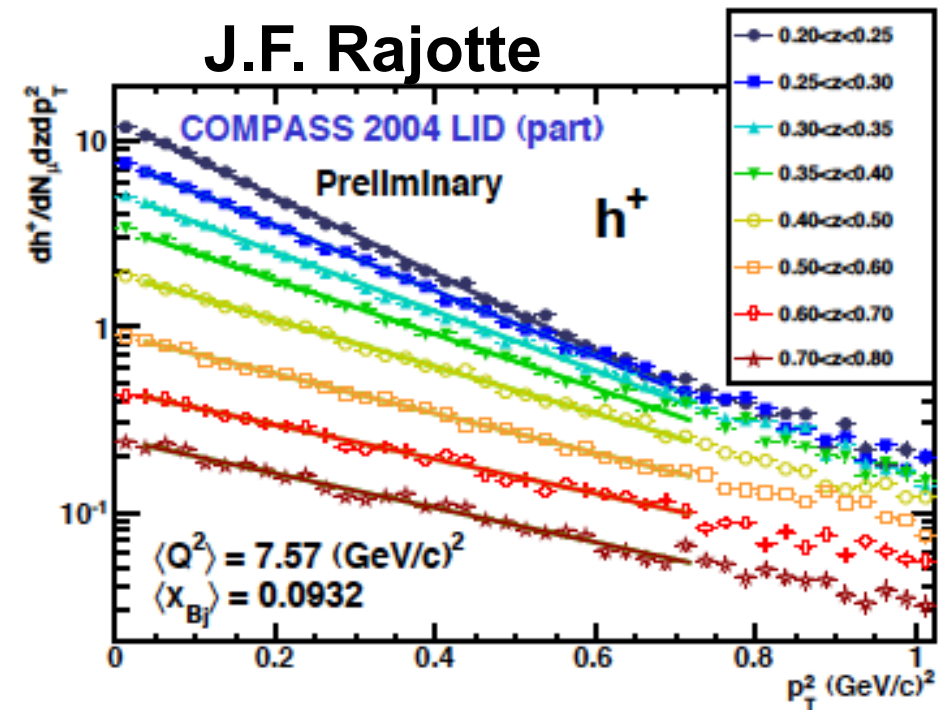
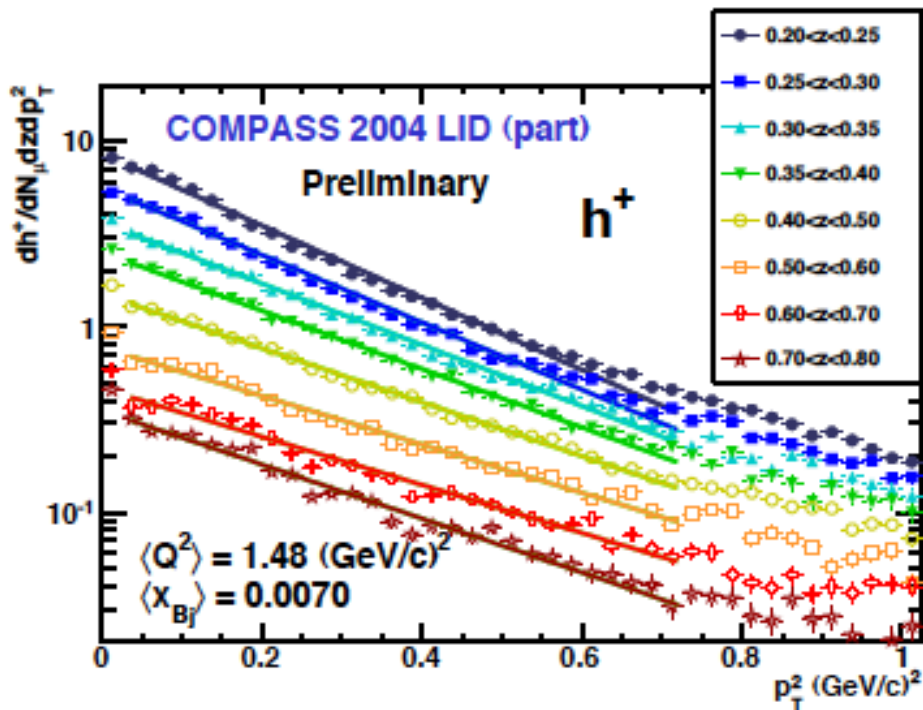
Max γ and min γ correspond to minimal and maximal saturation of the polarized photon densities.

B. Jäger et al. Eur. Phys J. C 36, 371-374 (2004)

→ Additional ongoing effort by A. Afanasiev to produce a parametrization that takes into account higher twist effects.

→ We expect to make available the comparisons between these Models with compass measurements soon.

Other Cross sections: Hadron production at high Q^2 .



→ Low p_T^2 production and high Q^2 .

→ Cross section is calculated in z bins.

→ The turn over description of hadron production from an exponential to a power like description can give insights about partonic behavior.

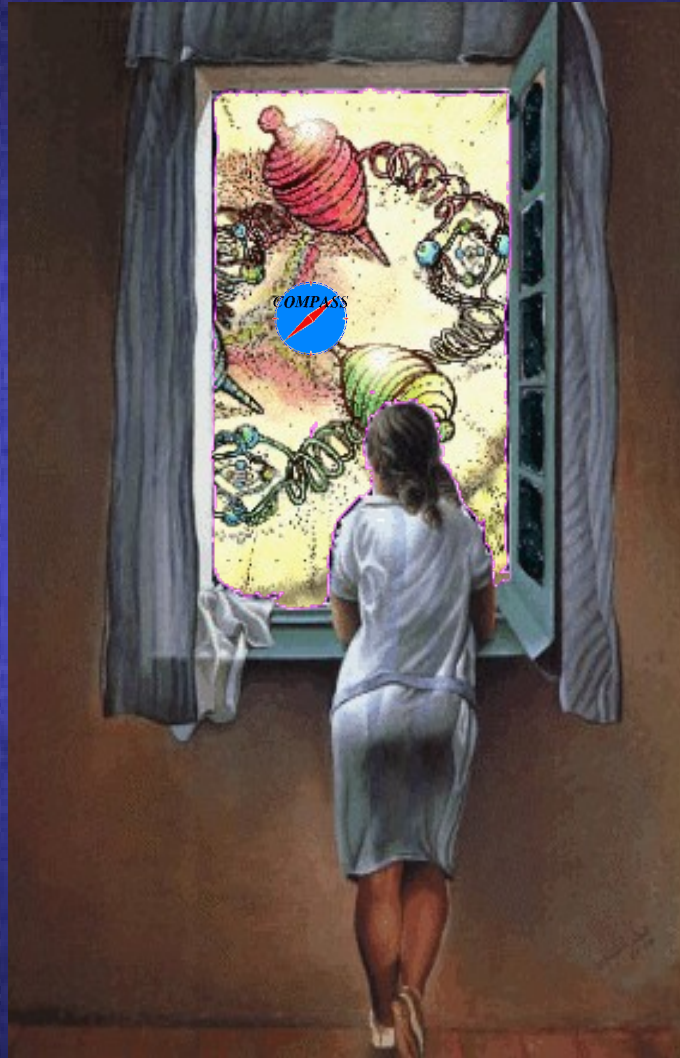
→ Would like to verify the pQCD description of hadron production rates at low Q^2 and high Q^2 (production rates are about an order of magnitude higher for low Q^2) ³²



Summary

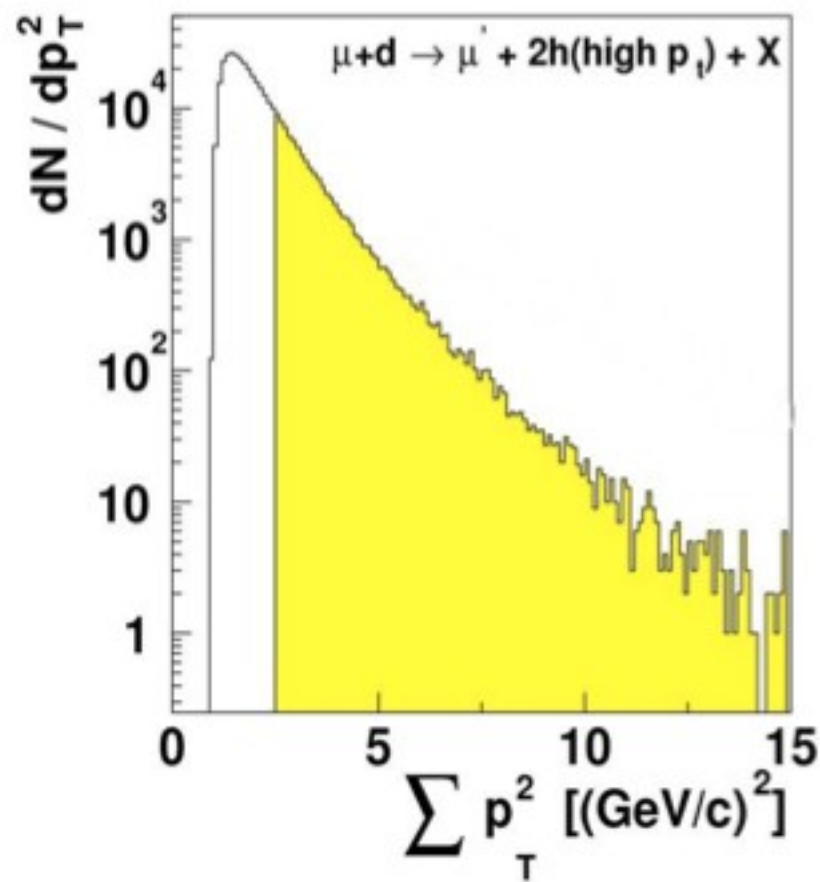
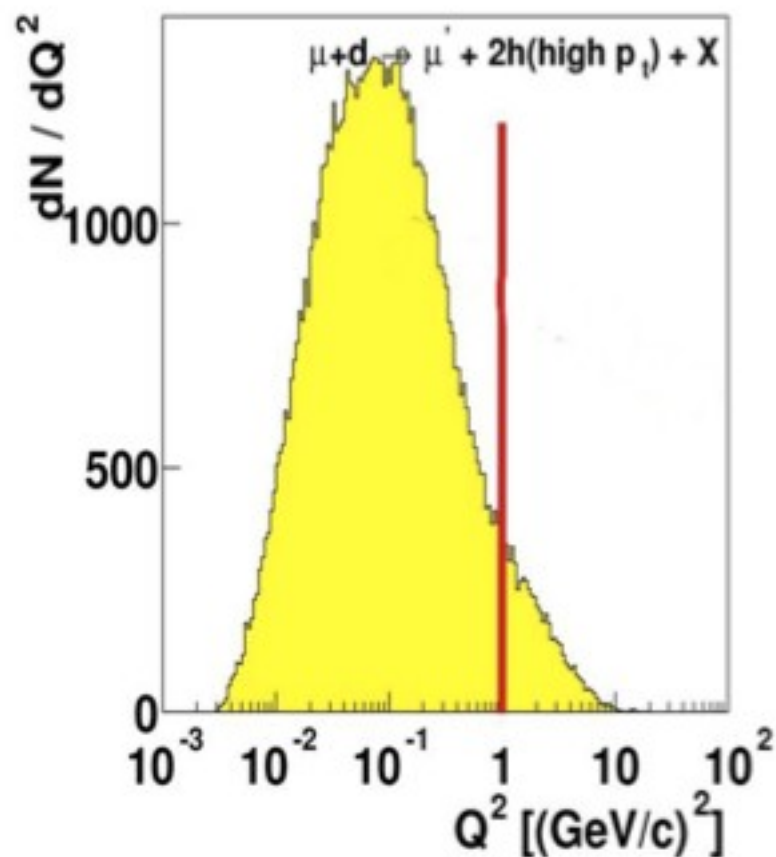
- Unpolarized cross sections for production of high p_T hadrons will be available soon.
- These results will be a benchmark to test the sum over flavors NLO pQCD framework at compass energies.
- The double spin asymmetries a function of p_T will provide an additional precise measurement of $\Delta G(x)$ will follow.

Thank You for Listening

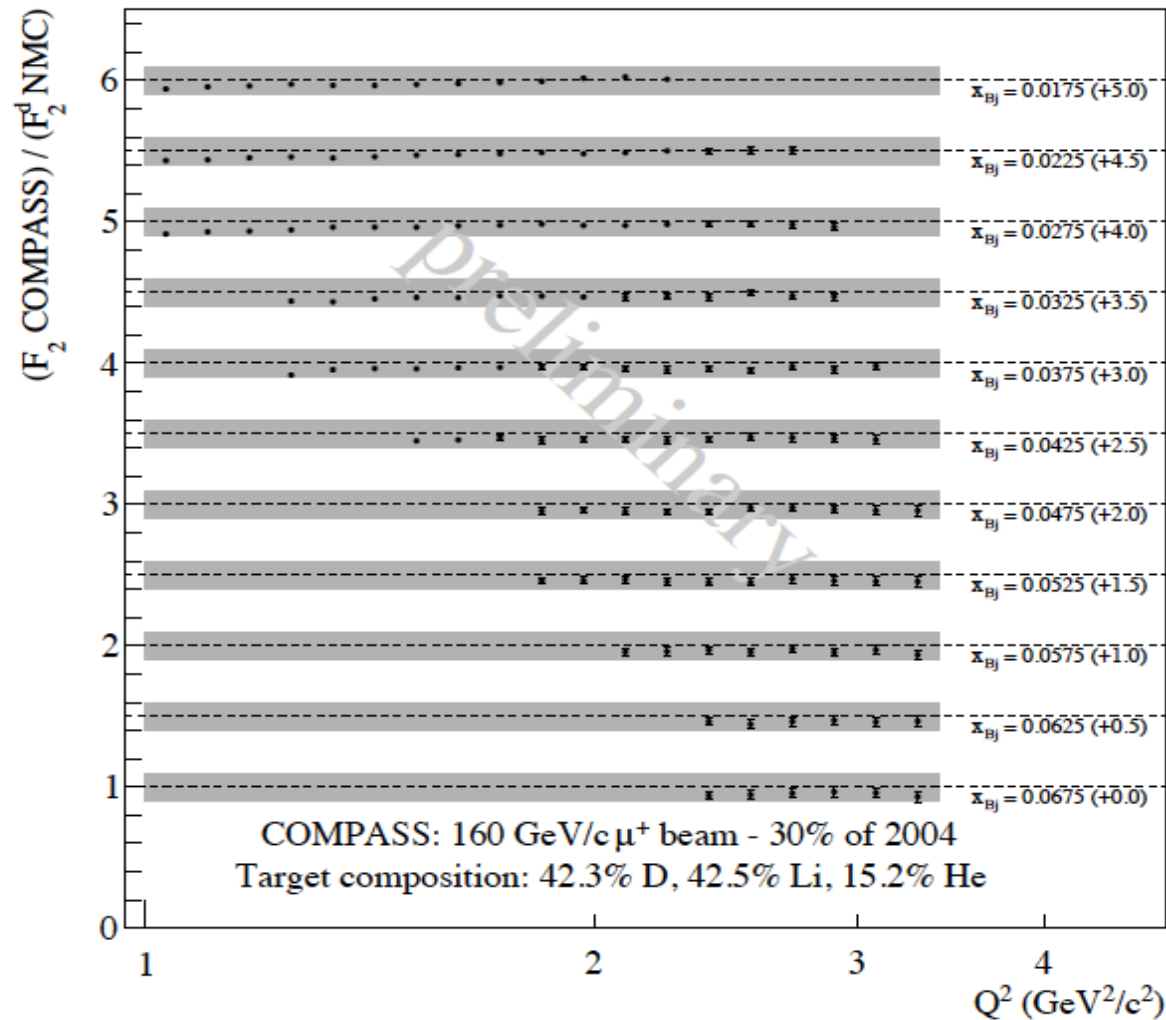


Backup

Q^2 and p_t distributions



A cross check on the method



Ratio of F2 measured at compass to F2 measured at NMC.
The agreement between the measurements provides confidence
In the method of calculating the total integrated luminosity.