# New COMPASS results on the gluon polarisation using D<sup>0</sup> production asymmetries

## **DIS 2010 - Firenze**

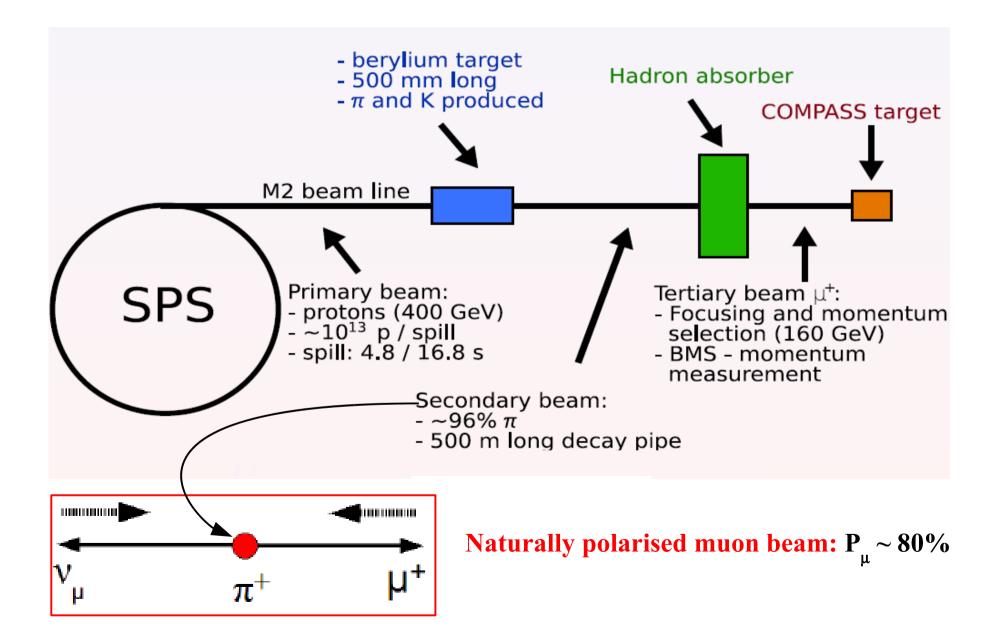






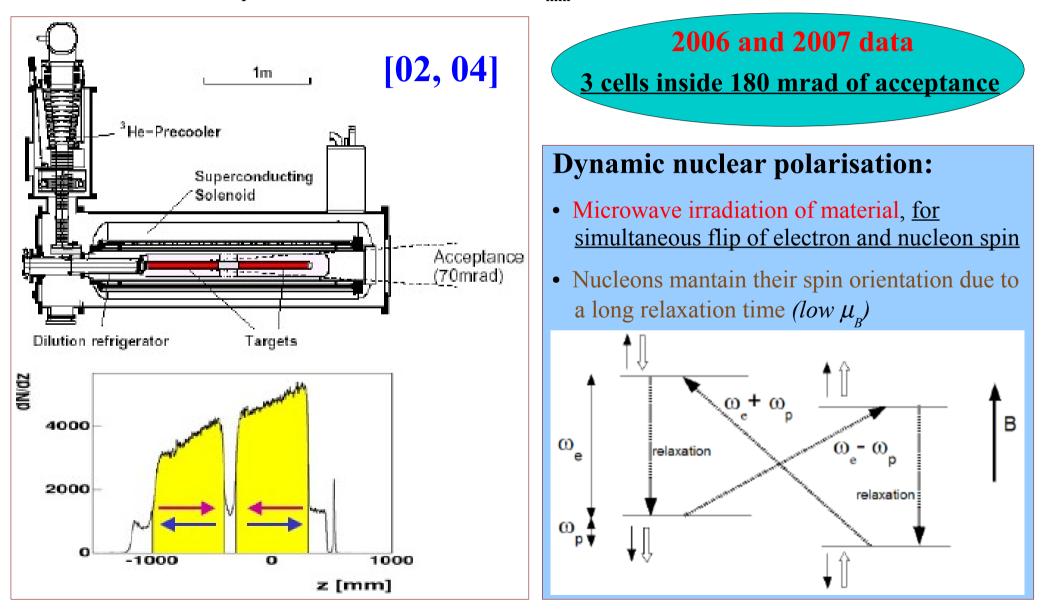
**Celso Franco** (*LIP – Lisboa*) on behalf of the COMPASS collaboration

## The COMPASS polarised beam

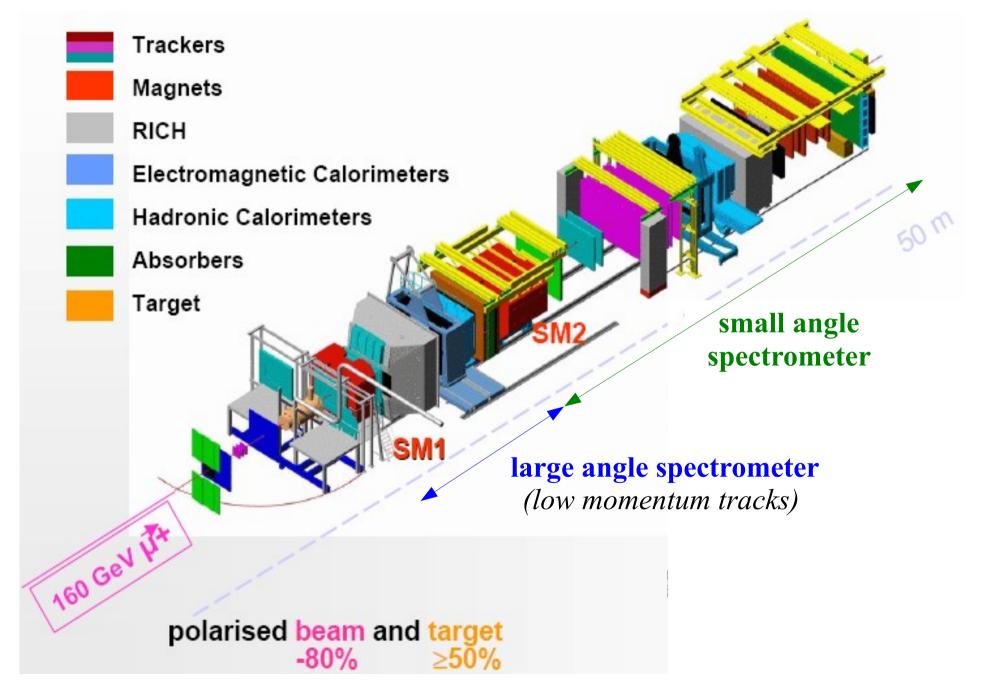


### The COMPASS polarised target: [02, 06] and 2007 data

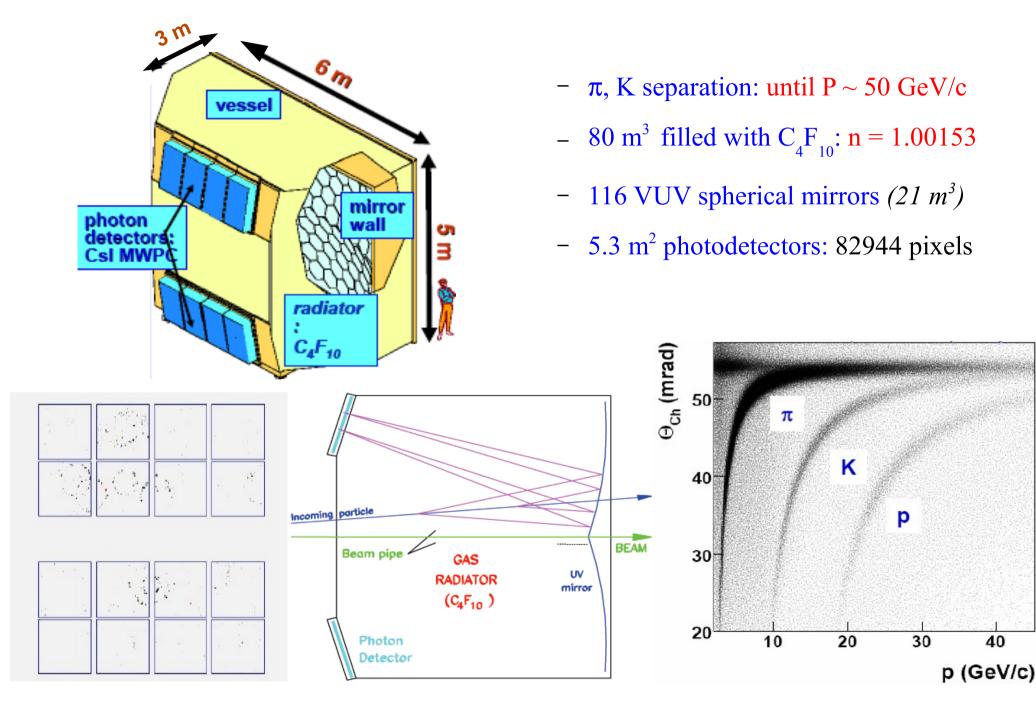
- Target material: <sup>6</sup>LiD/NH<sub>3</sub> Solenoid field: 2.5 T Dilution factor: f ~ 0.4/0.15
- Polarisation:  $P_T > 50\%/90\%$  <sup>3</sup>He/<sup>4</sup>He:  $T_{min} \sim 50 \text{ mK}$



## **The COMPASS spectrometer**



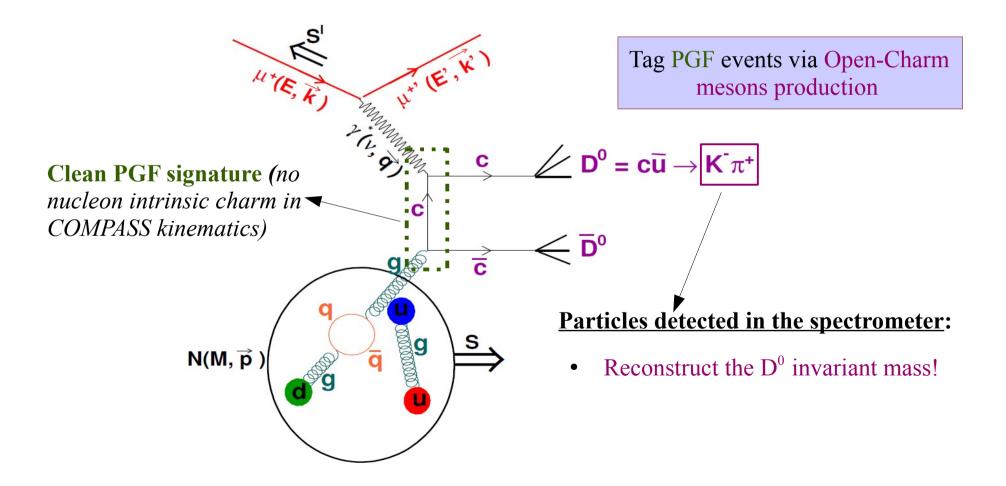
## **Particles identification: Ring Image Cherenkov** (*RICH*)



## How to tag a polarised gluon?

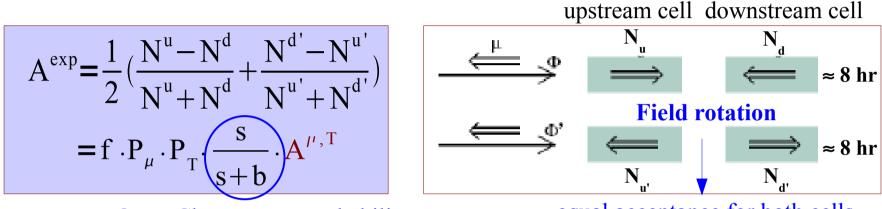
• In COMPASS, one can scan directly the gluons using the following interaction:

The photon-gluon fusion process (LO-PGF)



## Measuring $D^0$ asymmetries to extract $\Delta G$

• The number of reconstructed  $D^0$  ( $N^{u/d}$ ) can be used to measure an Open-Charm asymmetry for the PGF interaction (considering  $A^B = 0$ ):



Open-Charm event probability



• <u>In LO QCD</u>, the physical asymmetry can be interpreted in the following way:

$$\mathbf{A}^{\mu,\mathrm{T}} = \langle \mathbf{a}_{\mathrm{LL}} \rangle \frac{\Delta \mathbf{G}}{\mathbf{G}} \text{ with } \mathbf{a}_{\mathrm{LL}} = \frac{\Delta \sigma^{\mathrm{PGF}}}{\sigma^{\mathrm{PGF}}}$$

asymmetries are less sensitive to experimental changes

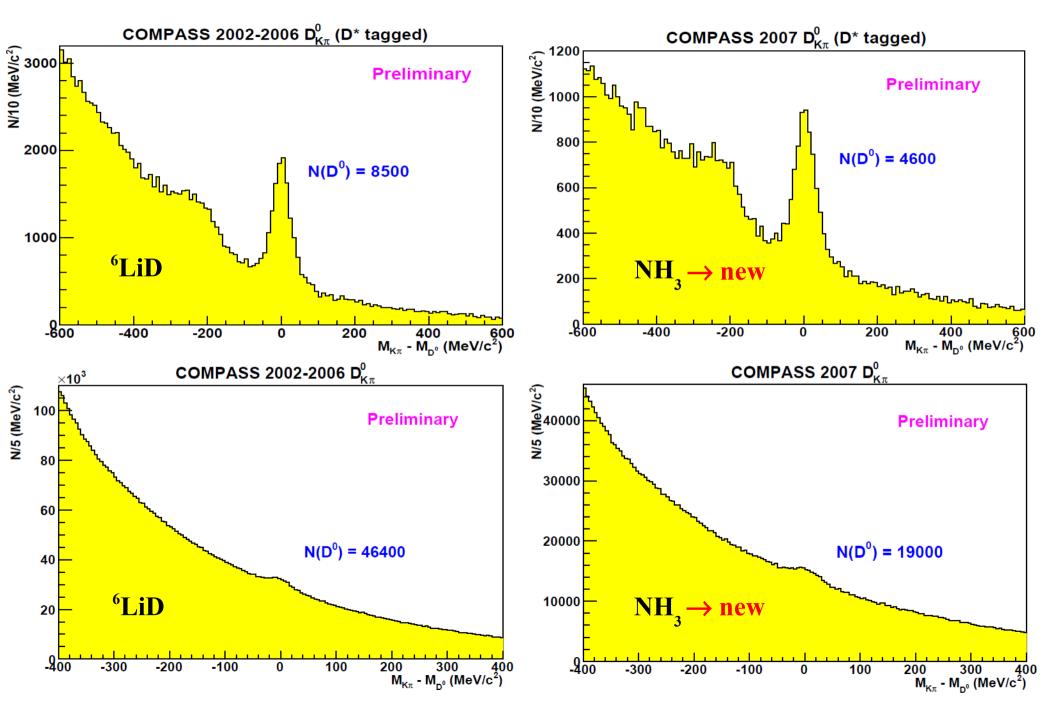
• Weighting each event with 
$$\omega = (f \cdot P_{\mu} S/(S+B) \cdot a_{\mu})$$
:

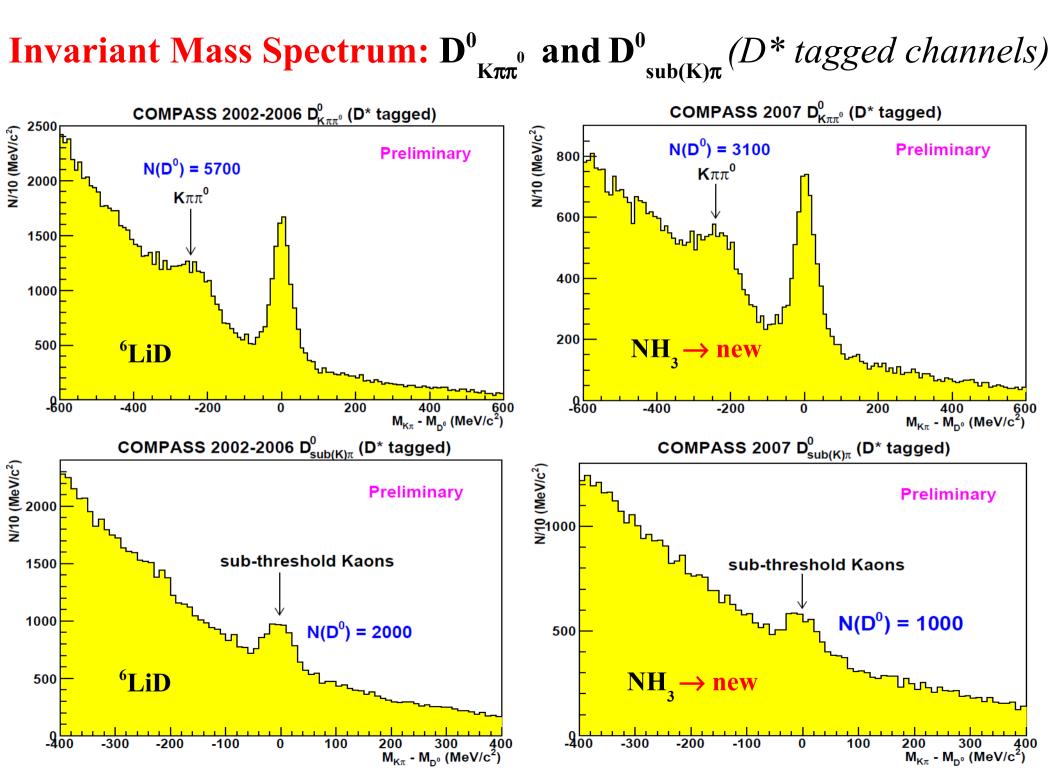
 $\frac{\Delta G}{G} = \frac{1}{2P_{T}} \times \left(\frac{\omega_{u} - \omega_{d}}{\omega_{u}^{2} + \omega_{d}^{2}} + \frac{\omega_{u'} - \omega_{d'}}{\omega_{u'}^{2} + \omega_{d'}^{2}}\right) \text{ with a statistical gain : } \frac{\langle \omega^{2} \rangle}{\langle \omega \rangle^{2}}$ 

## **Open-Charm mesons reconstruction**

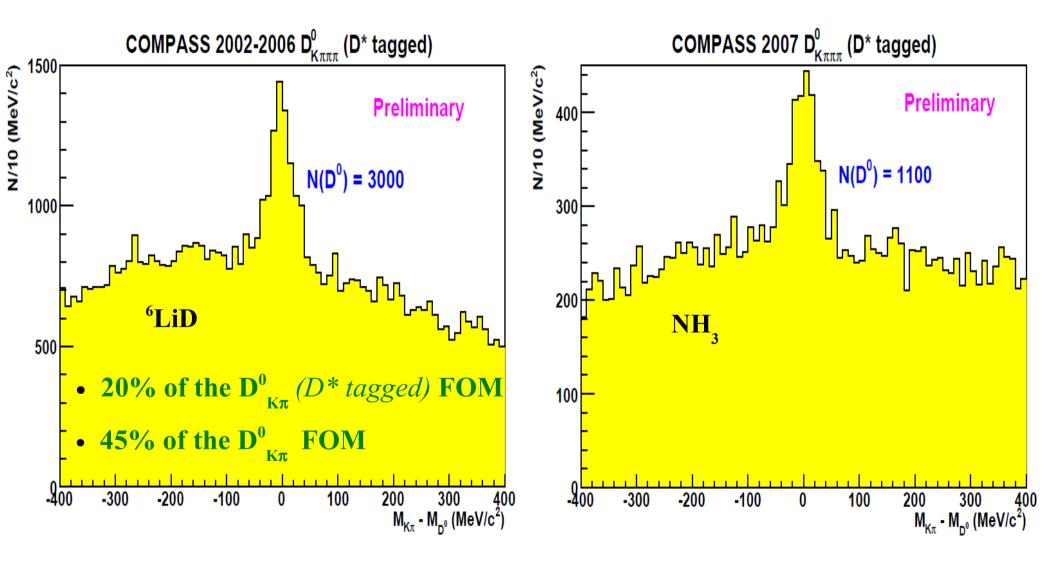
- Events considered (resulting from the c quarks fragmentation):
  - $\mathbf{D}^0 \to \mathbf{K}\pi \quad (BR: 4\%)$
  - $D^* \rightarrow D^0 \pi_{s} (30\% \ D^0 \ \underline{tagged \ with} \ a \ D^*)$ 
    - $D^0 \rightarrow K\pi$
    - $D^0 \rightarrow K\pi\pi^0$  (*BR*: 13%)  $\rightarrow$  not directly reconstructed
    - $D^0 \rightarrow K\pi\pi\pi$  (BR: 7.5%)
    - $D^0 \rightarrow sub(K)\pi$   $\longrightarrow$  no RICH ID for Kaons ( $p < 9 \ GeV/c$ )
- Selection to reduce the combinatorial background:
  - **Kinematical cuts:**  $Z_D$  and  $D^0$  decay angle (to reject colinear events with  $\gamma^*$  coming from the nucleon fragmentation), K and  $\pi$  momentum
  - **RICH identification:** <u>K and  $\pi$  ID</u> + electrons rejected from the  $\pi_s$  sample
  - Mass cut for the D<sup>\*</sup> tagged channels  $(M[K\pi\pi_{s}] M[K\pi] M[\pi])$
  - Neural Network qualification of events

## **Invariant Mass Spectrum:** $D^{0}_{K\pi}$ (*D*\* tagged and untagged channels)



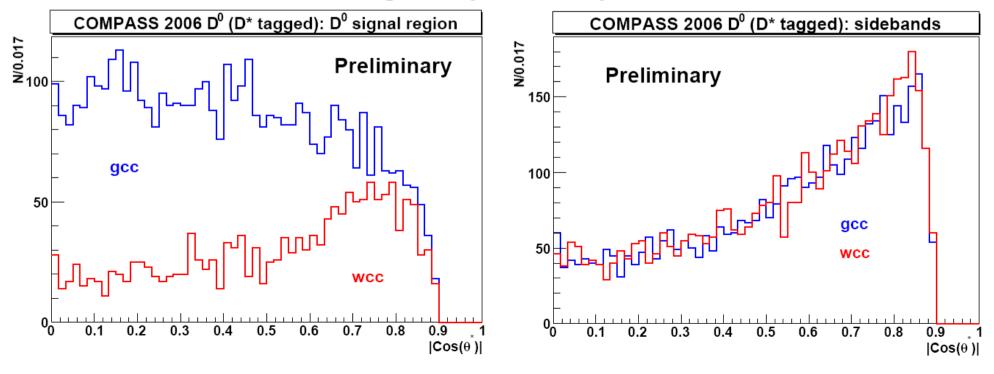


## **Invariant Mass Spectrum:** $D^0_{K\pi\pi\pi} \rightarrow \underline{\text{New D}^* \text{ tagged channel}}$



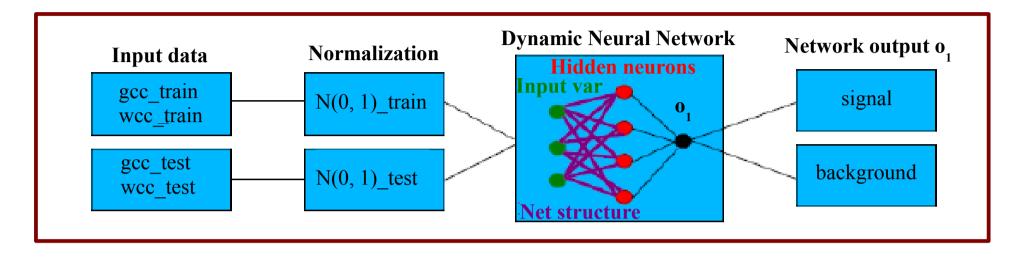
## **Neural Network qualification of events**

- **Two real data samples** (with the same cuts applied) **are compared by the Neural Network** (*using some kinematic variables as a learning vector*):
  - Signal model  $\rightarrow$  gcc = K<sup>+</sup> $\pi^{-}\pi_{c}^{-}$  + K<sup>-</sup> $\pi^{+}\pi_{c}^{+}$  (D<sup>0</sup> spectrum: signal + background)
  - **Background model**  $\rightarrow$  wcc = K<sup>+</sup> $\pi^{+}\pi_{s}^{-}$  + K<sup>-</sup> $\pi^{-}\pi_{s}^{+}$  (no D<sup>0</sup> is allowed)
- If the background model is good enough: <u>The Neural Network is able to distinguish</u> the signal from the combinatorial background on a event by event basis (inside gcc)



#### **Example of a good learning variable**

## s/(s+b)<sub>NN</sub>: Neural Network (NN) parameterisation



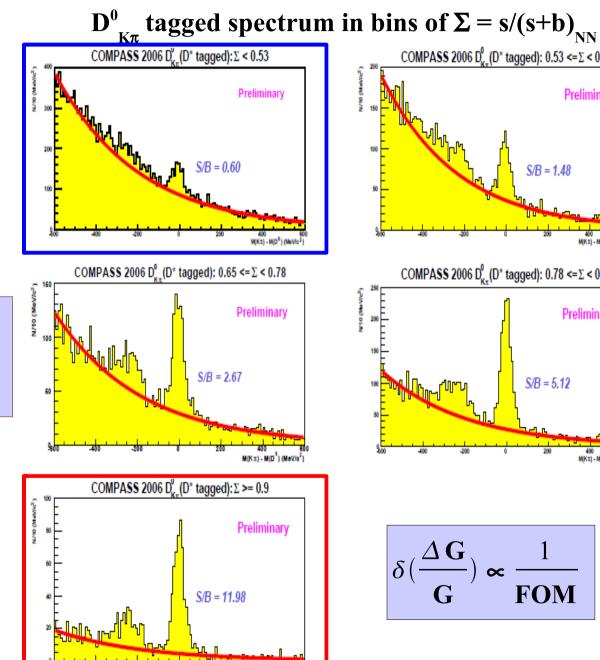
- Neural Network initialization: number of neurons + random structure weights
- <u>The goal is to tune the weights of each variable-neuron connection</u>: They are iteratively adjusted to minimize the error between the expected answer (0.95/0.05 for gcc/wcc) and the neuron response (modulated by a sigmoid activation function)
- To ensure universality 2 data sets (*train and test*) are used:
  - If their errors start to diverge the learning strategy is changed: Redundant neurons are killed (new ones can born) ⇒ Independence of precise initial conditions!
- **D**<sup>0</sup> probabilities are computed, <u>for every gcc event</u>, using the resulting multidimensional parameterisation (*NN structure*):  $f(o_1) = s/(s+b)_{NN}$

## s/(s+b): Obtaining final probabilities for a D<sup>0</sup> candidate

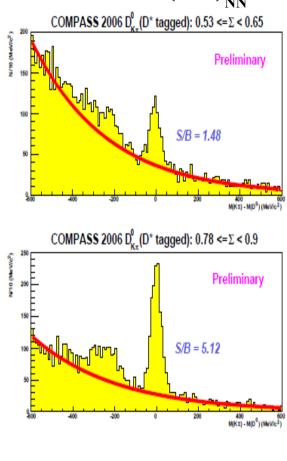
- Events with small s/(s+b)<sub>NN</sub> •
  - Mostly combinatorial • background is selected

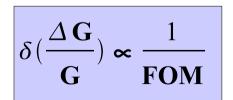
s/(s+b) is obtained from a fit inside this bins (correcting with the NN parameterisation)

- Events with large s/(s+b)<sub>NN</sub>
  - Mostly Open-Charm events are selected

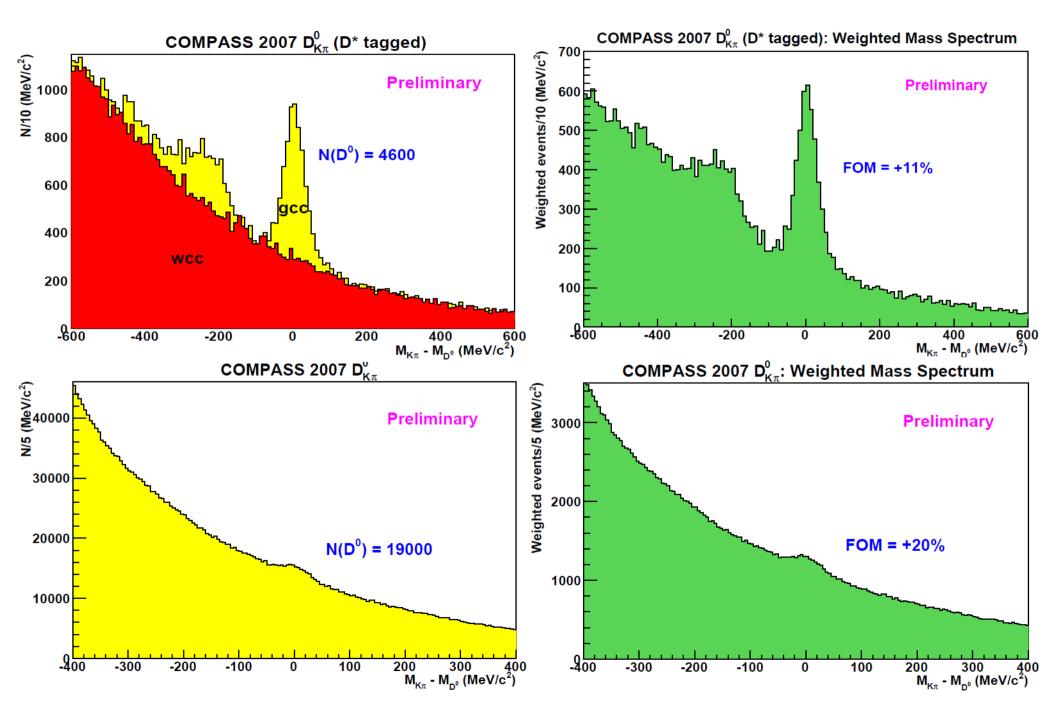


M(KT) - M(D<sup>0</sup>) (M

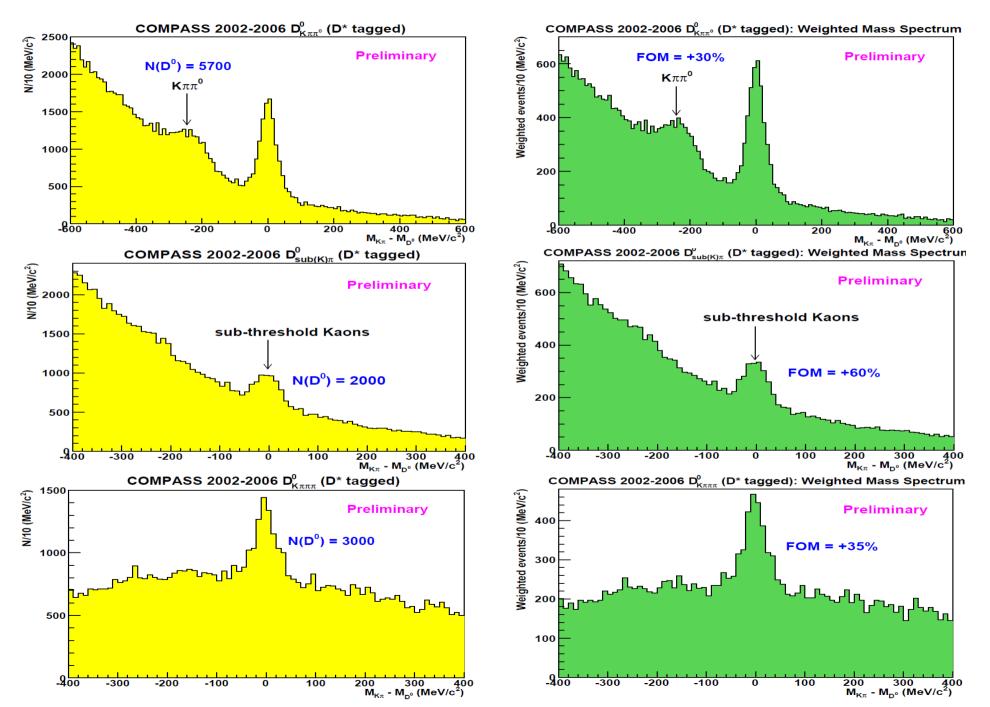




## S/(S+B) parameterisation: FOM improvement (main channels)



### S/(S+B) parameterisation: FOM improvement (low purity channels)

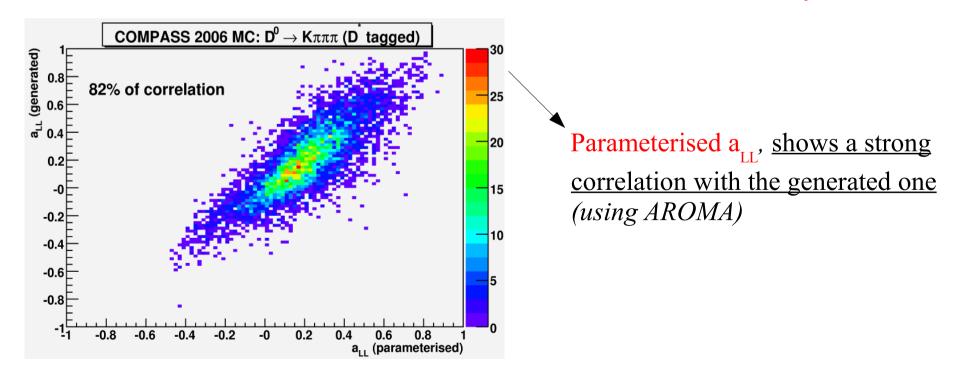


## **Partonic** (muon-gluon) **asymmetry a**<sub>LL</sub>

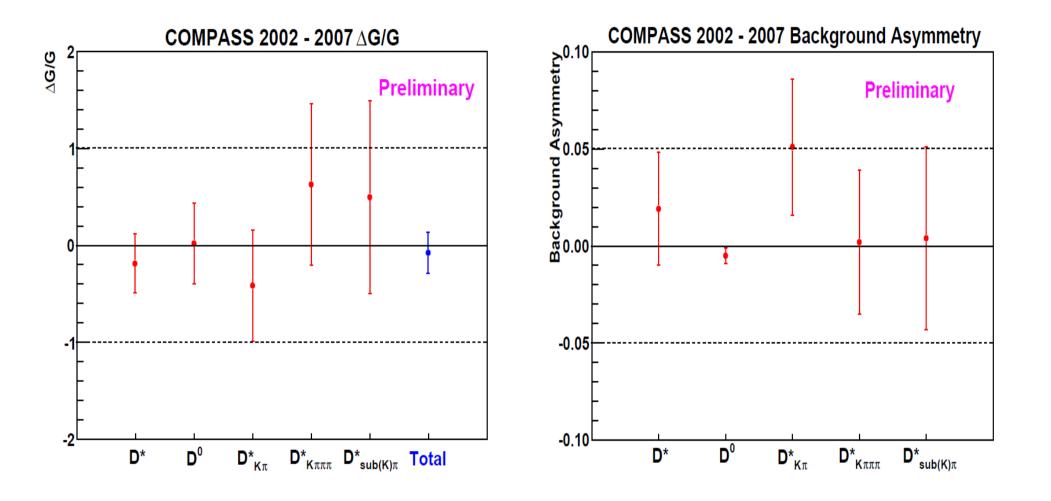
• a<sub>11</sub> is <u>dependent on the full knowledge of the partonic kinematics</u>:

• 
$$a_{LL} = \frac{\Delta \sigma^{PGF}}{\sigma_{PGF}}(y, Q^2, x_g, z_C, \phi)$$

- Can't be experimentally obtained: <u>Only one charmed meson is reconstructed</u>
- a<sub>LL</sub> is obtained from Monte-Carlo (*in LO*), to serve as input for a Neural Network parameterisation on some reconstructed kinematical variables: y, x<sub>B</sub>, Q<sup>2</sup>, z<sub>D</sub> and p<sub>T</sub>



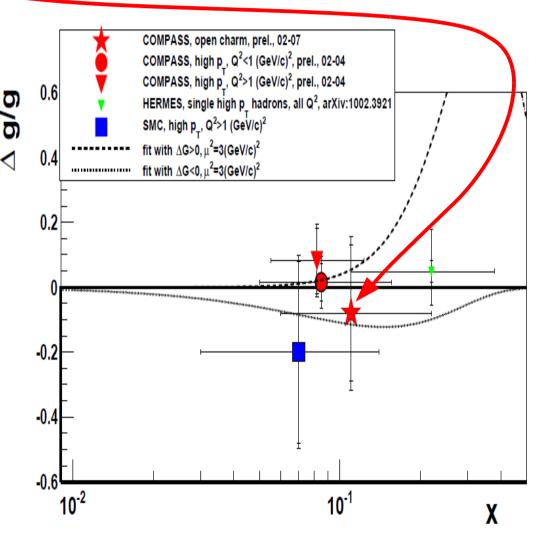
## **∆G/G:** Final LO result



 $\frac{\Delta G}{G} = -0.08 \pm 0.21 \ (\pm 0.11) \quad \rightarrow \quad (a) < x_g > = 0.11, < \mu^2 > = 13 \ (GeV/c)^2$ 

## **Conclusions and prospects**

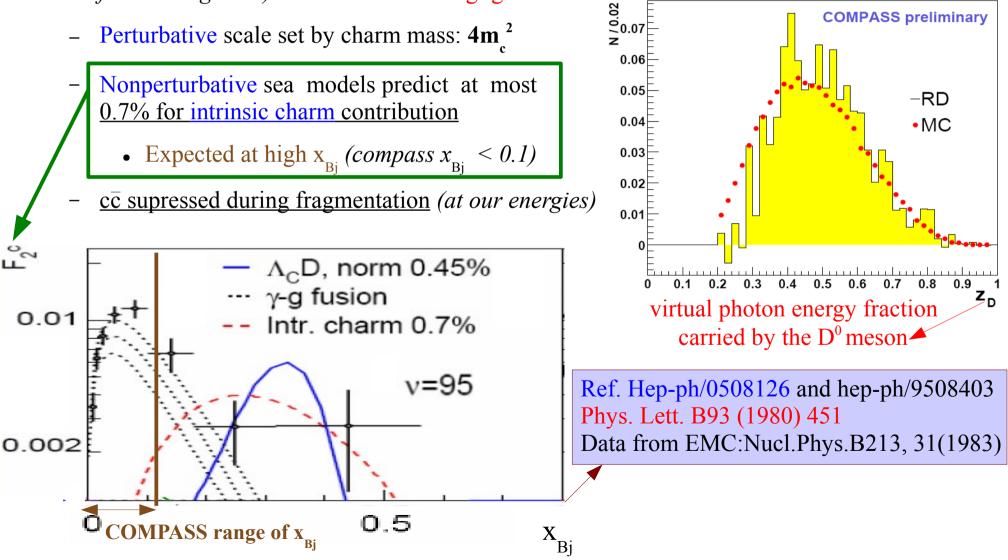
- The gluon polarisation was obtained directly from the data, in LO, and was found to be <u>compatible with zero</u>
- All experimental measurements are in agreement:
  - Small values of  $\Delta G$  are preferred!
- <u>Under study</u>:
  - NLO analysis





## Why measure the gluon polarisation from Open-Charm?

- cc production is dominated by the PGF process (in LO), and is free from physical background (ideal for probing gluon polarisation):
  - In our center of mass energy, the contribution from intrinsic charm (c quarks not coming from hard gluons) in the nucleon is negligible



## Method to extract $\Delta G/G$ and the polarised $A_{_{\rm B}}$

• The number of events comes from the asymmetries in the following way:

$$N_{u,d} = a \phi n (S+B)(1+P_T P_\mu f (a_{LL} \frac{S}{S+B} \frac{\Delta G}{G} + a_{LL}^B \frac{B}{S+B} A_B))$$
  
a = acceptance,  $\phi$  = muon flux, n = number of target nucleons

- We have 4 cell configurations (2 cells oppositely polarised + field reversal for acceptance normalization):
  - Weight the 4 N<sub>u,d</sub> equations by  $\omega_s$  and by  $\omega_B = P_{\mu} \cdot f \cdot D(y) \cdot B/(S+B)$ :

$$< \Sigma_{k=1}^{N_{cell}} \omega_i^k > = \hat{a}_{cell,i} (1 + (<\beta_{cell,S} > \omega_i) A_S + (<\beta_{cell,B} > \omega_i) A_B) = f_{cell,i}$$
  
(cell = u, d, u', d') ( $\Delta G/G$ ) (i = S, B)  
$$\hat{a} = a \phi n \sigma = a \phi n (\sigma_{PGF} + \sigma_B) = a \phi n (S + B)$$
  
$$\beta_S = P_B P_T f a_{LL} \frac{S}{S+B} \qquad \beta_S = P_B P_T f D \frac{B}{S+B}$$
  
8 eq. with 10 unknowns

# How to solve the equations for the simultaneous $\Delta G/G$ and $A_{\rm B}$ extraction?

• **Possible acceptance changes with time are the same for both cells** (also the muon flux is the same for both cells):

$$10 \Rightarrow \underline{8 \text{ unknowns: } 6 \hat{a}, A_{s} \text{ and } A_{B}} \longrightarrow \frac{\hat{a}_{u,S} \hat{a}_{d',S}}{\hat{a}_{u',S} \hat{a}_{d,S}} = 1 \quad , \quad \frac{\hat{a}_{u,B} \hat{a}_{d',B}}{\hat{a}_{u',B} \hat{a}_{d,B}} = 1$$

Signal and background events are affected in the same way before and after a field reversal:

$$8 \Rightarrow \underline{7 \text{ unknowns}}: 5 \hat{a}, A_{s} \text{ and } A_{B} \qquad \qquad \blacktriangleright \qquad \left| \frac{a_{u,S}}{\hat{a}_{u,B}} = \frac{a_{u',S}}{\hat{a}_{u',B}} \right|, \quad \left| \frac{a_{d,S}}{\hat{a}_{d,B}} = \frac{a_{d',S}}{\hat{a}_{d',B}} \right|$$

• Unknowns are obtained by a  $\chi^2$  minimization:

$$\chi^{2} = (\overrightarrow{N} - \overrightarrow{f})^{T} \operatorname{Cov}^{-1}(\overrightarrow{N} - \overrightarrow{f})$$