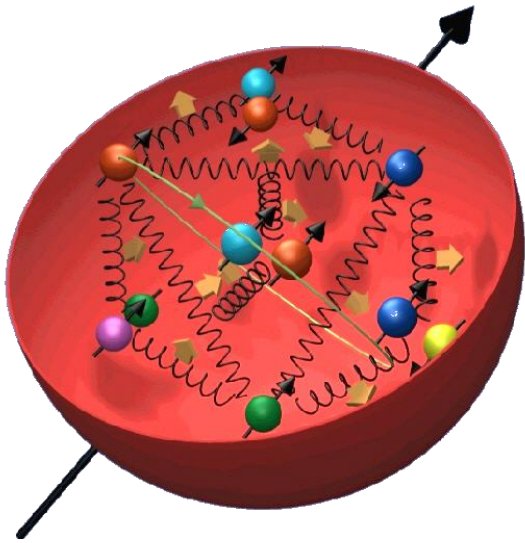




QCD and the Spin Structure of the Nucleons



Experimental Overview of Nucleon Spin Structure I

Gerhard Mallot
CERN/PH



Plan

- Introduction
- DIS and structure functions
- Why is $\Delta\Sigma$ so small
- Experiments
- Inclusive results
- Semi-inclusive results
- ΔG from photon-gluon fusion
- RHIC pp collisions

Spin Experiments are Puzzling



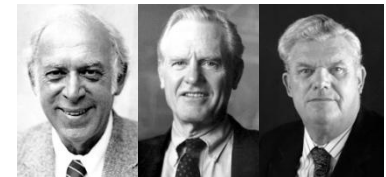
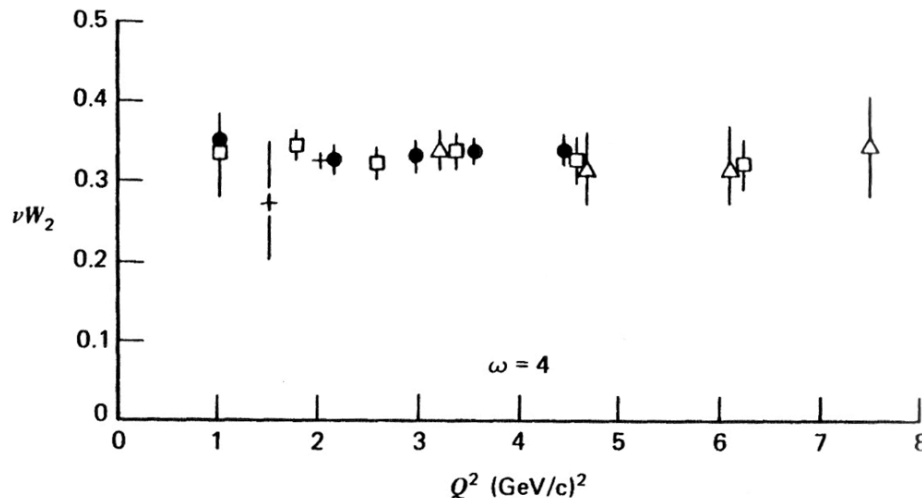
Wolfgang Pauli and Niels Bohr, 1954

wondering about a tippe top toy

A theory of the nucleon needs to describe the dynamics of quarks and gluons including spin.

1. Introduction

- Electron scattering at SLAC in the late 1960ies revealed **point-like partons** in the nucleon \rightarrow **quarks**
- Structure function is Q^2 independent (scaling)



Friedman, Kendall, Taylor



1990

Static Quark model

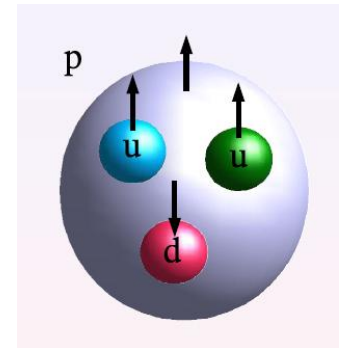
$$SU_{\text{spin}}(2) \times SU_{\text{flavour}}(3)$$

$$|p \uparrow\rangle = \frac{1}{\sqrt{18}} \left\{ 2|u \uparrow u \uparrow d \downarrow\rangle - |u \uparrow u \downarrow d \uparrow\rangle - |u \downarrow u \uparrow d \uparrow\rangle + \right. \\ \left. (u \leftrightarrow d) \right\}$$

$$\Delta u = \langle p \uparrow | N_{u \uparrow} - N_{u \downarrow} | p \uparrow \rangle = \frac{3}{18} (10 - 2) = \frac{4}{3}$$

$$\Delta d = \langle p \uparrow | N_{d \uparrow} - N_{d \downarrow} | p \uparrow \rangle = \frac{3}{18} (2 - 4) = -\frac{1}{3}$$

$$\Delta \Sigma = \Delta u + \Delta d = 1$$



→ up and down quarks carry the nucleon spin!

Baryon weak decays

The weak decay constants are linked to quark polarisations via the axial vector currents matrix elements, e.g.

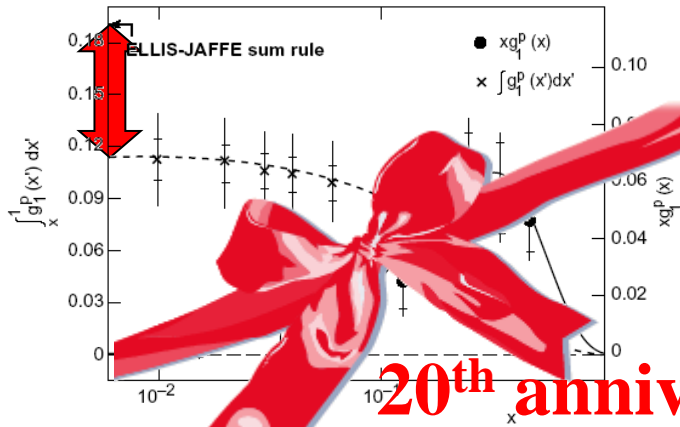
$$\Delta u + \Delta d - 2\Delta s = 0.58 \pm 0.03 \quad (\Xi^- \rightarrow \Lambda)$$

assuming $\Delta s = 0$:

$$\Delta\Sigma = \Delta u + \Delta d = 0.58 \pm 0.03$$

→ up and down quarks carry 58% of the nucleon spin!
(deviation from 100% due to relativistic motion)

Spin puzzle: EMC 1987



$$\Gamma_1 = \int_0^1 g_1(x) dx$$

20th anniversary (2007)

$$\Delta\Sigma = \Delta u + \Delta d + \Delta s = 0.12 \pm 0.17$$

$$\Delta s = -0.19 \pm 0.06$$

→ quark spin contribution to nucleon spin is consistent with zero! Strange quark polarisation negative.

2. DIS and structure functions

- What did the EMC actually measure?
- How severe is the spin puzzle?
- Can the Quark Model expectation

$$\Delta\Sigma = 0.6$$

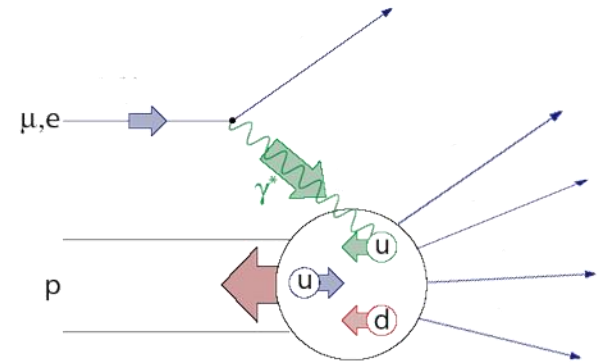
be restored?

Deep inelastic scattering

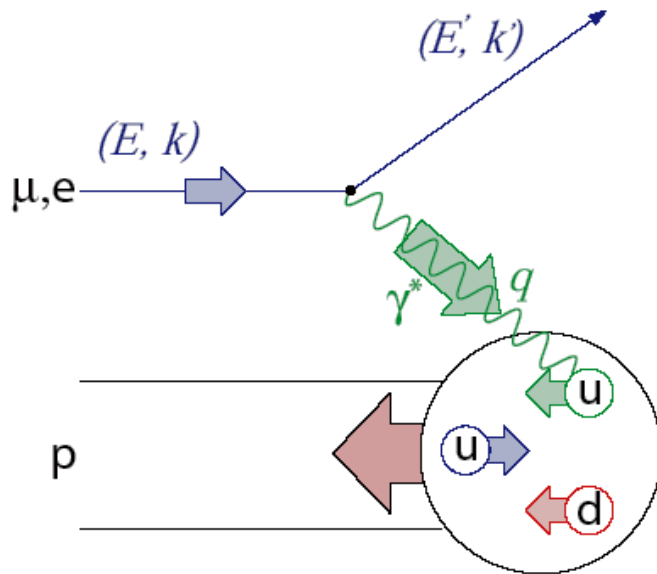
- probing partons

$$\ell N \rightarrow \ell' X$$

- **inclusive** lepton – nucleon scattering
- large **momentum** and **energy** transfer Q^2 and ν
- finite ratio Q^2 / ν
- large **c.m. energy** of the hadronic final state $W > 2 \text{ GeV}$



Deep Inelastic Scattering



$$Q^2 = -(k - k')^2 \stackrel{lab}{=} 4EE' \sin^2 \frac{\vartheta}{2}$$

$$P \cdot q \stackrel{lab}{=} M\nu = M(E - E')$$

$$P \cdot k \stackrel{lab}{=} ME$$

$$x \stackrel{lab}{=} \frac{Q^2}{2M\nu} = \frac{-q^2}{2P \cdot q}$$

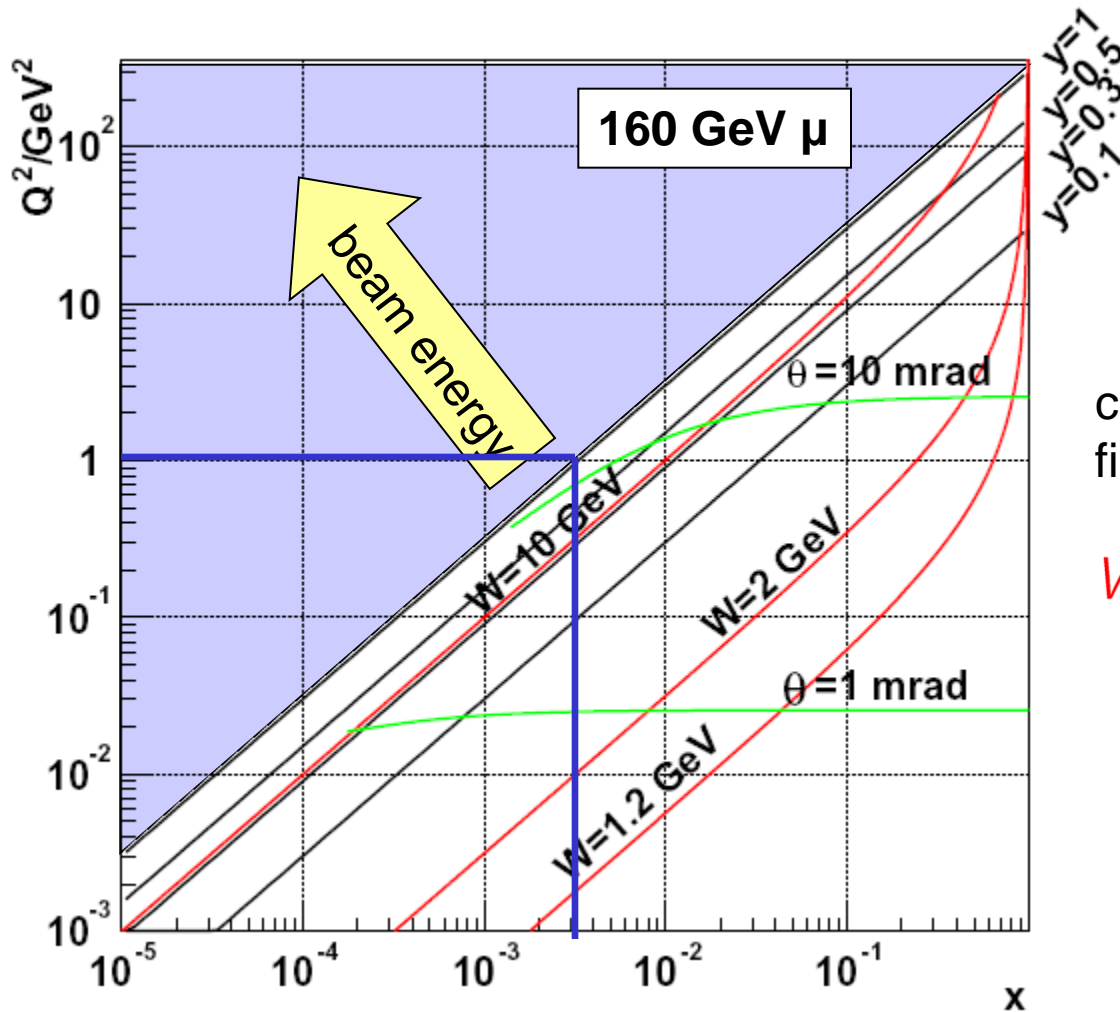
$$y \stackrel{lab}{=} \frac{\nu}{E} = \frac{P \cdot q}{P \cdot k}$$

$$0 \leq x, y \leq 1$$

Bjorken-x: fraction of longitudinal momentum carried by the struck quark in infinite-momentum frame (Breit)



Kinematics



$$y = \frac{\nu}{E}$$

$$x_{min} = \frac{Q^2}{2ME}$$

c.m. energy of hadronic final state, W :

$$W^2 = (q + P)^2$$

$$= \frac{1-x}{x} Q^2 + M^2$$

DIS: Q^2, W^2 large, x fix

Distance scales

- longitudinal $1/Mx$
- transverse $1/\sqrt{Q^2}$

- for $x \simeq 0.2$ the longitudinal scale is 1 fm
- for $Q^2 = 1 \text{ (GeV}/c)^2$ the transverse scale is 0.2 fm

DIS cross section

cross section:

lepton

spin

nucleon

$$\frac{d^3\sigma}{dx dy d\phi} = \frac{\alpha^2 y}{Q^4 2} L_{\mu\nu}(k, q, s) W^{\mu\nu}(P, q, S)$$

leptonic tensor $L_{\mu\nu}$: kinematics (QED)

hadronic tensor $W^{\mu\nu}$: nucleon structure

factorise

$$W^{\mu\nu} = - \left(g^{\mu\nu} - \frac{q^\mu q^\nu}{q^2} \right) F_1(x, Q^2) + \left(P^\mu - \frac{P \cdot q}{q^2} q^\mu \right) \left(P^\nu - \frac{P \cdot q}{q^2} q^\nu \right) \frac{1}{P \cdot q} F_2(x, Q^2) - i \epsilon^{\mu\nu\lambda\sigma} q_\lambda \left(\frac{M S_\sigma}{P \cdot q} (g_1(x, Q^2) + g_2(x, Q^2)) - \frac{M(S \cdot q) P_\sigma}{P \cdot q} g_2(x, Q^2) \right)$$

Quark-Parton Model

- in the QPM: $W^{\mu\nu}$ for massless spin-1/2 partons

$$F_1(x) = \frac{1}{2} \sum_i e_i^2 \{q_i^+(x) + q_i^-(x)\}$$
$$F_2(x) = x \sum_i e_i^2 \{q_i^+(x) + q_i^-(x)\}$$

unpolarised SF,
momentum distributions

$$g_1(x) = \frac{1}{2} \sum_i e_i^2 \{q_i^+(x) - q_i^-(x)\}$$
$$g_2(x) = 0$$

polarised SF,
spin distributions

- no Q^2 dependence (scaling)
- Callan-Gross relation $F_2(x) = 2xF_1(x)$
- g_2 twist-3 quark-gluon correlations

Sum rules for g_1

- first moment Γ_1 of g_1 with $\Delta q = \int_0^1 \Delta q(x) dx$

$$\Gamma_1 = \int_0^1 g_1(x) dx \stackrel{\text{proton}}{=} \frac{1}{2} \left\{ \frac{4}{9} \Delta u + \frac{1}{9} \Delta d + \frac{1}{9} \Delta s \right\}$$

$$\Gamma_1^p = \frac{1}{12} \underbrace{(\Delta u - \Delta d)}_{a_3} + \frac{1}{36} \underbrace{(\Delta u + \Delta d - 2\Delta s)}_{\sqrt{3}a_8} + \frac{1}{9} \underbrace{(\Delta u + \Delta d + \Delta s)}_{a_0}$$

Neutron decay
 $a_3 = g_a$

Hyperon decay
 $(3F-D)/3$

$\Delta\Sigma$

From Γ_1 , a_3 and a_8 we obtain $\Delta\Sigma$ without assuming $\Delta s = 0$

Sum Rules

Bjorken
sum rule

PR 148 (1966) 1467

$$\Gamma_1^p - \Gamma_1^n = \frac{1}{6} g_a$$

if wrong \Rightarrow QCD wrong,
"worthless equation", needs
neutron measurement

Ellis-Jaffe
sum rule

PR D9 (1974) 1444

$$\Gamma_1^p = \frac{1}{12} g_a + \frac{5}{36} \sqrt{3} a_8$$

$$\Delta\Sigma \simeq 0.6$$

formulated for $\Delta s=0$,
unpolarised strange quarks

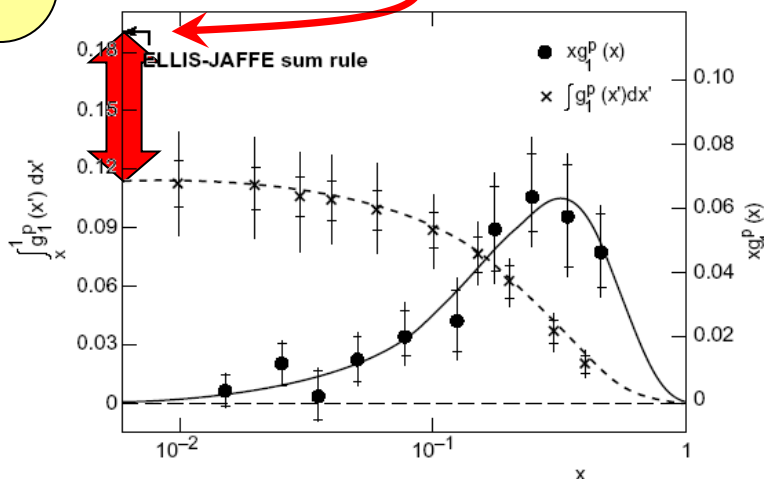
$$+ \frac{1}{3} \Delta s$$

Consequences of violation:

$$\Delta s = -0.19 \pm 0.06$$

$$\Delta\Sigma = 0.12 \pm 0.17$$

EMC 1987



3. Why is $\Delta\Sigma$ so small

(1988)

CHIRAL SYMMETRY AND THE SPIN OF THE PROTON ☆

Stanley J. BRODSKY^a, John ELLIS^{a,b1} and Marek KARLINER^a

^a *Stanford Linear Accelerator Center, Stanford University, Stanford, CA 94305, USA*

^b *CERN, CH-1211 Geneva 23, Switzerland*

PLB 206 (1988) 309

A crisis in the parton model: where, oh where is the proton's spin?

E. Leader¹ and M. Anselmino²

Birkbeck College, University of London, London, UK

Dipartimento di Fisica Teorica, Università di Torino, I-10125 Torino, Italy

Received 18 March 1988

ZPC 41 (1988) 239

A.V.Efremov, O.V.Teryaev*

E2-88-287

SPIN STRUCTURE OF THE NUCLEON AND TRIANGLE ANOMALY

THE ANOMALOUS GLUON CONTRIBUTION TO POLARIZED LEPTOPRODUCTION

G. ALTARELLI and G.G. ROSS¹

CERN, CH-1211 Geneva 23, Switzerland

Received 29 June 1988

PLB 212 (1988) 391

Considered Options

- Skyrmons: model,
all orbital angl. mom. (BEK) **maybe**
- Bjorken sum rule broken?
Measurement wrong? (LA) **no!**
- Large $\Delta G \sim 2-3-6$ at EMC Q^2 could mask
quark spin via **axial anomaly** (ET, AR) **measure
gluon!**

requires fine tuning of cancelation of ΔG and orbital angular momentum (orb. ang. mom. is generated at gluon emission)

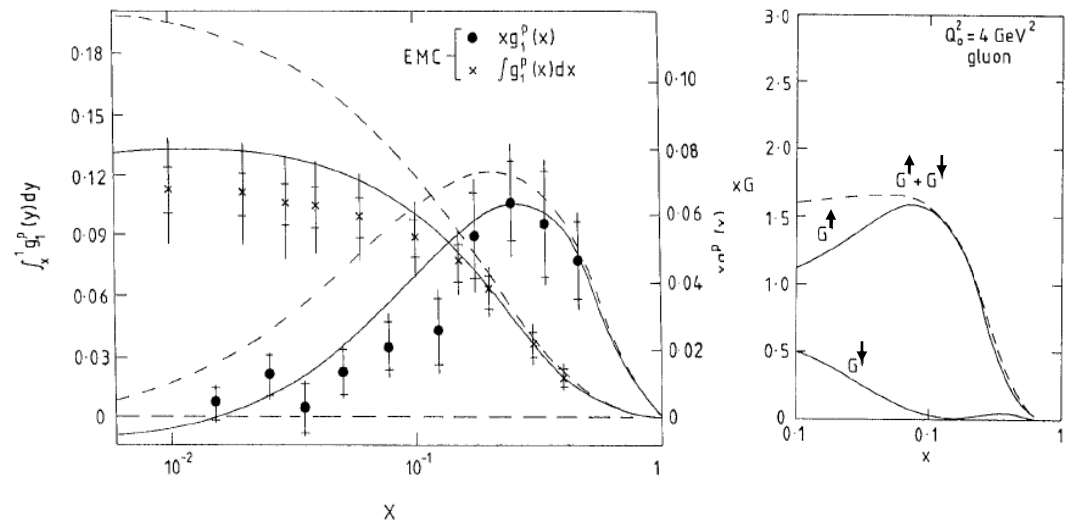
Lepton-Photon 1989

To summarise, let us return to the fit of Fig. 7 and 8. At $Q^2=10\text{GeV}^2$ this corresponds to $\Delta g=6.3$ and so the proton helicity is given by

$$\begin{aligned} \frac{1}{2} &= \frac{1}{2}\Delta\Sigma + \Delta g + L_z \\ &= 0.35 + 6.3 - 6.15 \end{aligned}$$

G.G. Ross 1989

Need $\Delta G \approx 6$ at
 $Q^2 = 10 \text{ GeV}^2$
 for $\Delta\Sigma = 0.7$,
 to be compared to $1/2$
 \Rightarrow measure ΔG

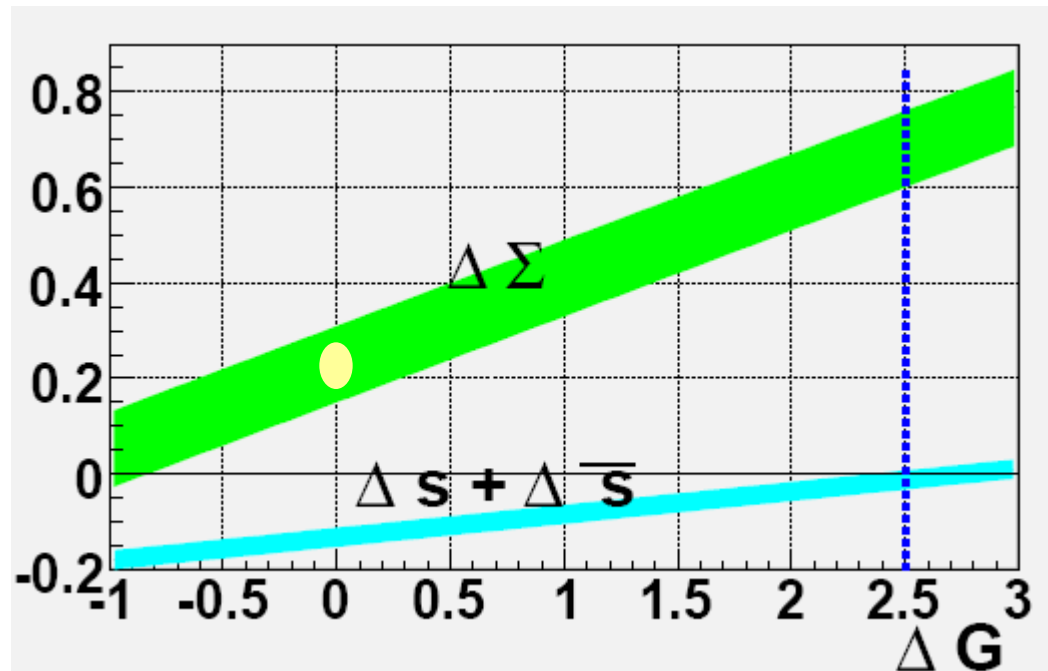


ΔG and $\Delta \Sigma$ in AB/jet scheme

$$\Delta \Sigma \leftarrow a_0 + \frac{3\alpha_s}{2\pi} \Delta G$$

α_s strong coupling constant

$$\Delta s \leftarrow \Delta s + \frac{3\alpha_s}{2\pi} \Delta G$$



Now:

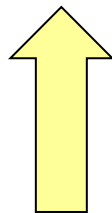
$$a_0 \simeq 0.3$$

Need:

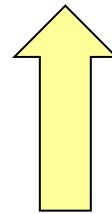
$$\Delta G \simeq 2.5$$

Where is the proton spin?

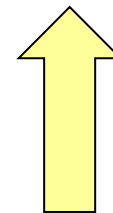
$$\frac{1}{2} = \frac{1}{2}\Delta\Sigma + \Delta G + L_z$$



small



Still poorly known
certainly not 6

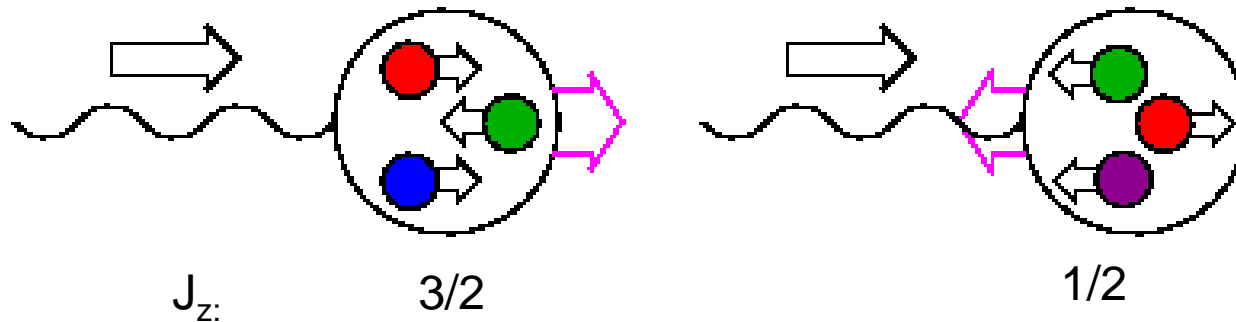


unknown

4. Experiments

- Photoabsorption:

(flavours ignored)



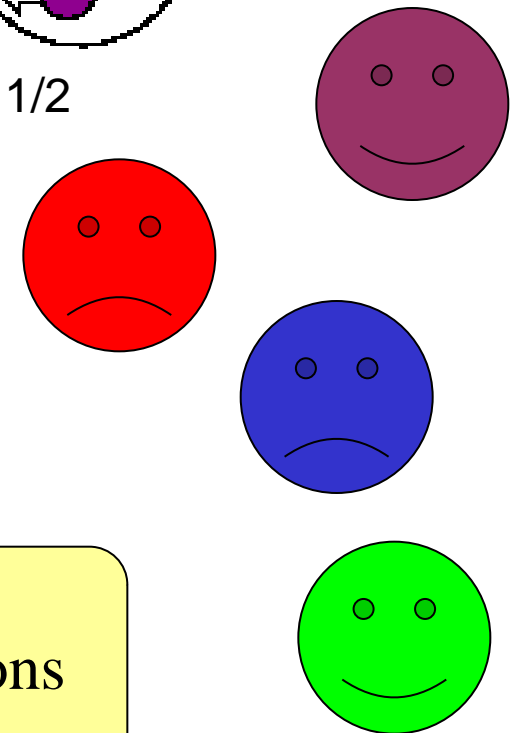
- only quarks with opposite helicity can absorb the polarised photon via spin-flip

- Measure asymmetry

$$\frac{\sigma_{1/2} - \sigma_{3/2}}{\sigma_{1/2} + \sigma_{3/2}}$$



need polarised photons & nucleons



Cross Section Asymmetries

unpolarised:

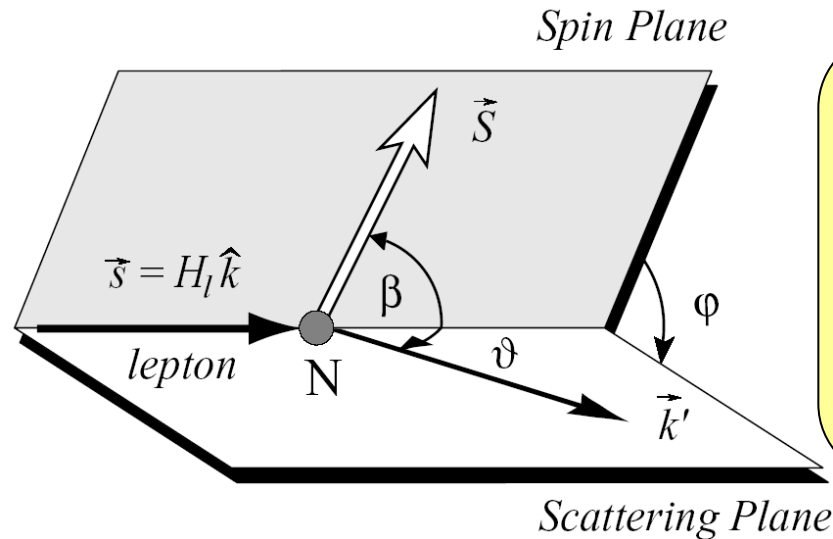
$$\frac{d^3\bar{\sigma}}{dx dy d\varphi} = \frac{4\alpha^2}{Q^2} \left\{ \frac{y}{2} F_1 + \frac{1}{2xy} \left(1 - y - \frac{y^2\gamma^2}{4} \right) F_2 \right\}$$

longitudinally polarised nucleon: $\beta=0,\pi$

$$\frac{d^3\Delta_{\parallel}\sigma}{dx dy d\varphi} = \frac{4\alpha^2}{Q^2} \left\{ \left(1 - \frac{y}{2} - \frac{y^2\gamma^2}{4} \right) g_1 - \frac{y}{2}\gamma^2 g_2 \right\}$$

transversely polarised nucleon: $\beta= \pi/2$

$$\frac{d^3\Delta_{\perp}\sigma}{dx dy d\varphi} = \frac{4\alpha^2}{Q^2} \left\{ \gamma \sqrt{1 - y - \frac{y^2\gamma^2}{4}} \left(\frac{y}{2} g_1 + g_2 \right) \right\}$$



Measure **asymmetries**:

$$A_{\parallel}(x, Q^2; E) = \frac{\Delta_{\parallel}\sigma}{\bar{\sigma}} = \frac{\sigma^{\uparrow\uparrow} - \sigma^{\downarrow\downarrow}}{\sigma^{\uparrow\uparrow} + \sigma^{\downarrow\downarrow}},$$

$$A_{\perp}(x, Q^2; E) = \frac{\Delta_{\perp}\sigma}{\bar{\sigma}} = \frac{\mathcal{H}_l}{\cos\varphi} \cdot \frac{\sigma(\varphi) - \sigma(\pi \pm \varphi)}{\sigma(\varphi) + \sigma(\pi \pm \varphi)}$$

Experimental essentials I

- up to now only pol. DIS experiments with fixed-target geometry
- need **polarised targets** and **beams**
- need detection of **scattered lepton** (or all hadrons), energy, direction, identification
- need to know energy and direction of **incoming lepton**
 - detection or given by accelerator
- measurable asymmetries very small
 - need excellent control of **fake asymmetries**, e.g. time variations of detector efficiencies

Experimental essentials II

- Beams & targets:

	target	beam pol	$x_{min}(1 \text{ GeV}^2)$
• SLAC 48 GeV,	solid/gas	e, pol. source	0.01
• DESY 28 GeV,	gas internal	e, Sokolov-Ternov	0.02
• CERN 200 GeV,	solid	μ , pion decay	0.0025
(RHIC 100/250 GeV	pp collider	pol. Source	-)

- fake asymmetries:

- rapid variation of beam polarisation (SLAC)
- rapid variation of target polarisation (HERMES)
- simultaneous measurement of two oppositely polarised targets (CERN)
- bunch trains of different polarisation (RHIC)

Measurable asymmetries

$$A_{meas} = P_t P_b f A$$

P_b, P_t beam and target polarisations,

f target dilution factor = polarisable N/total N

note: linear in error: $f=1/2 \Rightarrow$ requires 4 times statistics

$$g_1 \simeq \frac{A_{\parallel}}{D} F_1 \simeq \frac{A_{\parallel}}{D} \frac{F_2}{2x} \quad \text{huge rise of } F_2/2x \text{ at small } x$$

D depolarisation factor, kinematics, polarisation transfer from polarised lepton to photon, $D \approx y$

Even big g_1 at small x causes very small asymmetries

Pol. DIS experiments

Spin Crisis

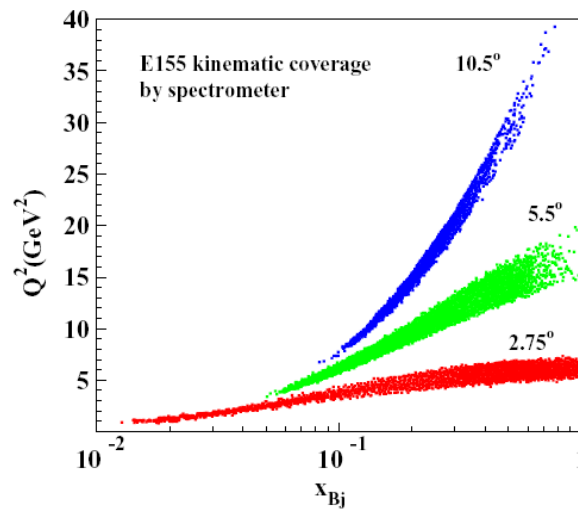
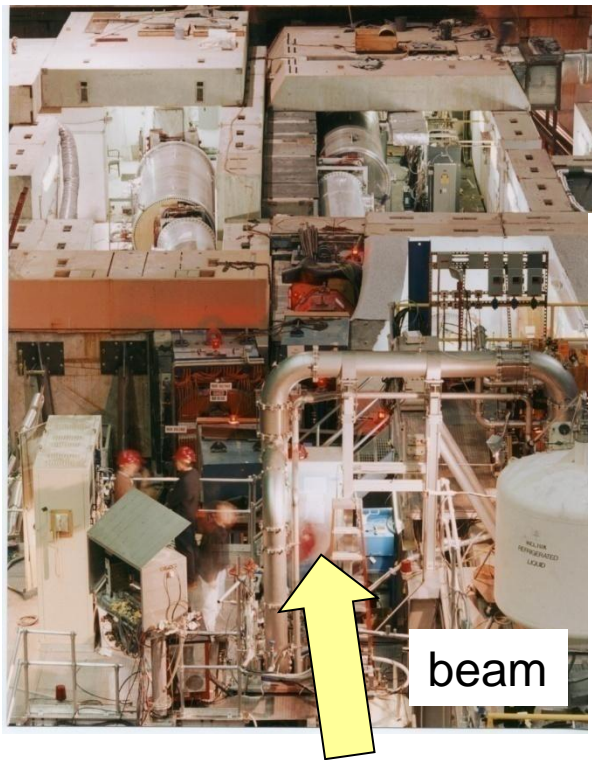
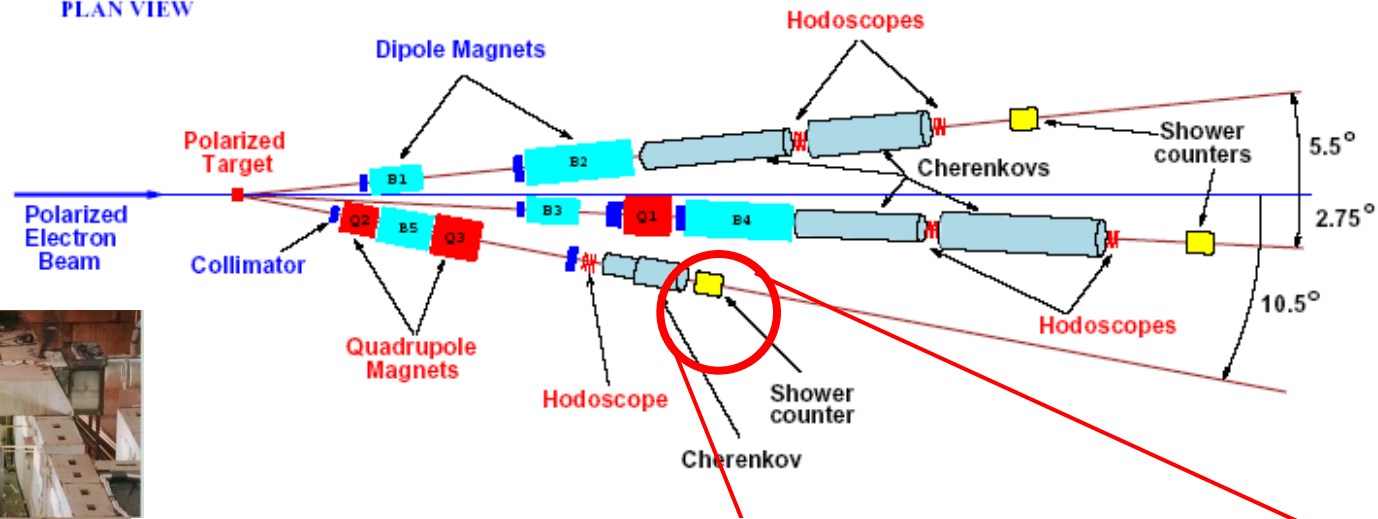


Lab	Exp	Year	Energy	Beam	P_b	target	P_t	f	result
SLAC	E80	75	10–16 GeV	e^-	0.85	H-butanol	0.50	0.13	A_1^p
SLAC	E130	80	16–23 GeV	e^-	0.81	H-butanol	0.58	0.15	A_1^p
CERN	EMC	85	200 GeV	μ^+	0.79	NH ₃	0.78	0.16	g_1^p
CERN	SMC	92	100 GeV	μ^+	0.81	D-butanol	0.40	0.19	g_1^d
SLAC	E142	92	19–26 GeV	e^-	0.39	³ He	0.35	0.12	g_1^n
CERN	SMC	93	190 GeV	μ^+	0.80	H-butanol	0.86	0.12	g_1^p, g_2^p
SLAC	E143	93	10–29 GeV	e^-	0.85	NH ₃	0.70	0.15	g_1^p
SLAC	E143	93	10–29 GeV	e^-	0.85	ND ₃	0.25	0.24	g_1^d
CERN	SMC	94/5	190 GeV	μ^+	0.80	D-butanol	0.50	0.20	g_1^d, g_2^d
SLAC	E154	95	48 GeV	e^-	0.83	³ He	0.38	0.18	g_1^n
DESY	HERMES	95	28 GeV	e^+	0.55	³ He	0.46	0.33	g_1^n
CERN	SMC	96	190 GeV	μ^+	0.80	NH ₃	0.89	0.16	g_1^p
DESY	HERMES	96/97	28 GeV	e^+	0.55	H	0.88	1.00	g_1^p
SLAC	E155	97	48 GeV	e^-	0.81	NH ₃	0.80	0.15	g_1^p
SLAC	E155	97	48 GeV	e^-	0.81	⁶ LiD	0.22	0.36	g_1^d
DESY	HERMES	98–00	28 GeV	e^\pm	0.55	D	0.85	1.00	g_1^d, b_1^d
SLAC	E155X	99	29/32 GeV	e^-	0.81	NH ₃	0.70	0.16	g_2^p
SLAC	E155X	99	29/32 GeV	e^-	0.81	⁶ LiD	0.22	0.36	g_2^d
DESY	HERMES	≥ 01	28 GeV	e^\pm	0.55	H/D	0.85	1.00	
CERN	COMPASS	≥ 01	160 GeV	μ^+	0.80	⁶ LiD	0.50	0.40	
BNL	RHIC	≥ 01	coll.	p		p		1.00	

running

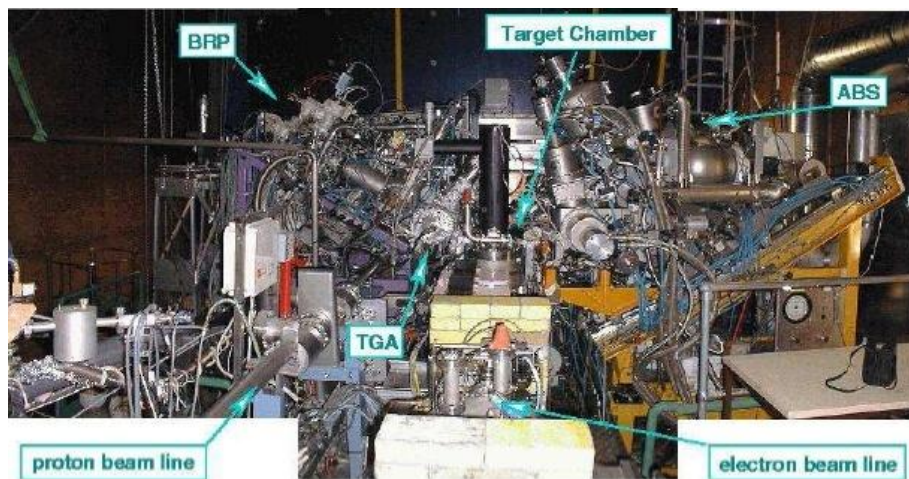
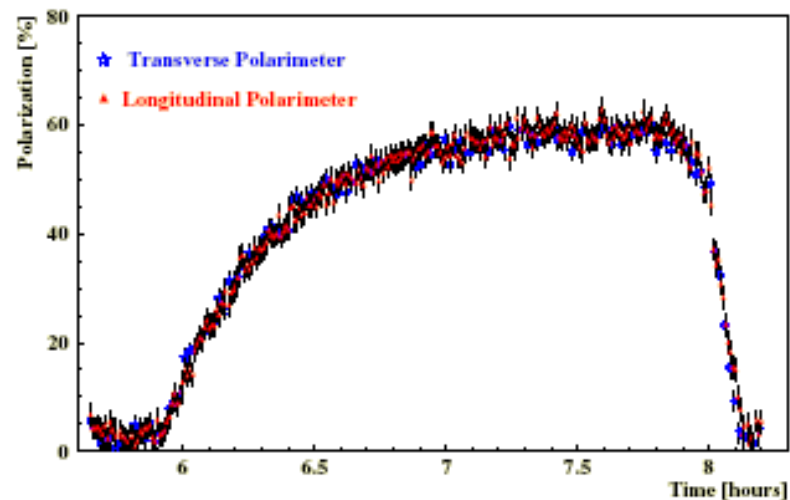
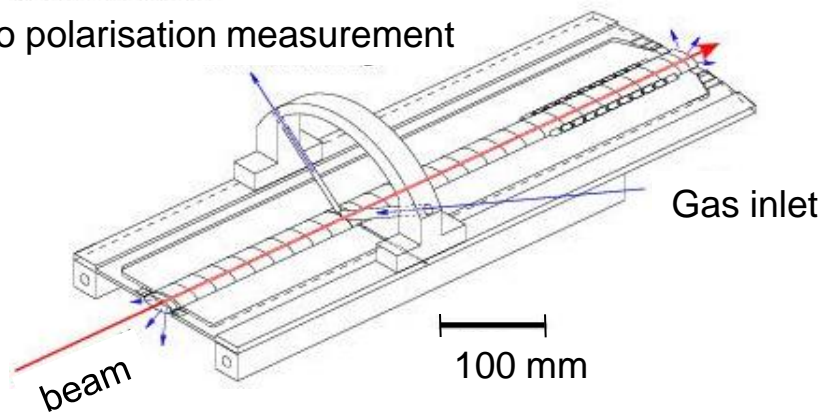
SLAC E155 Spectrometer

PLAN VIEW



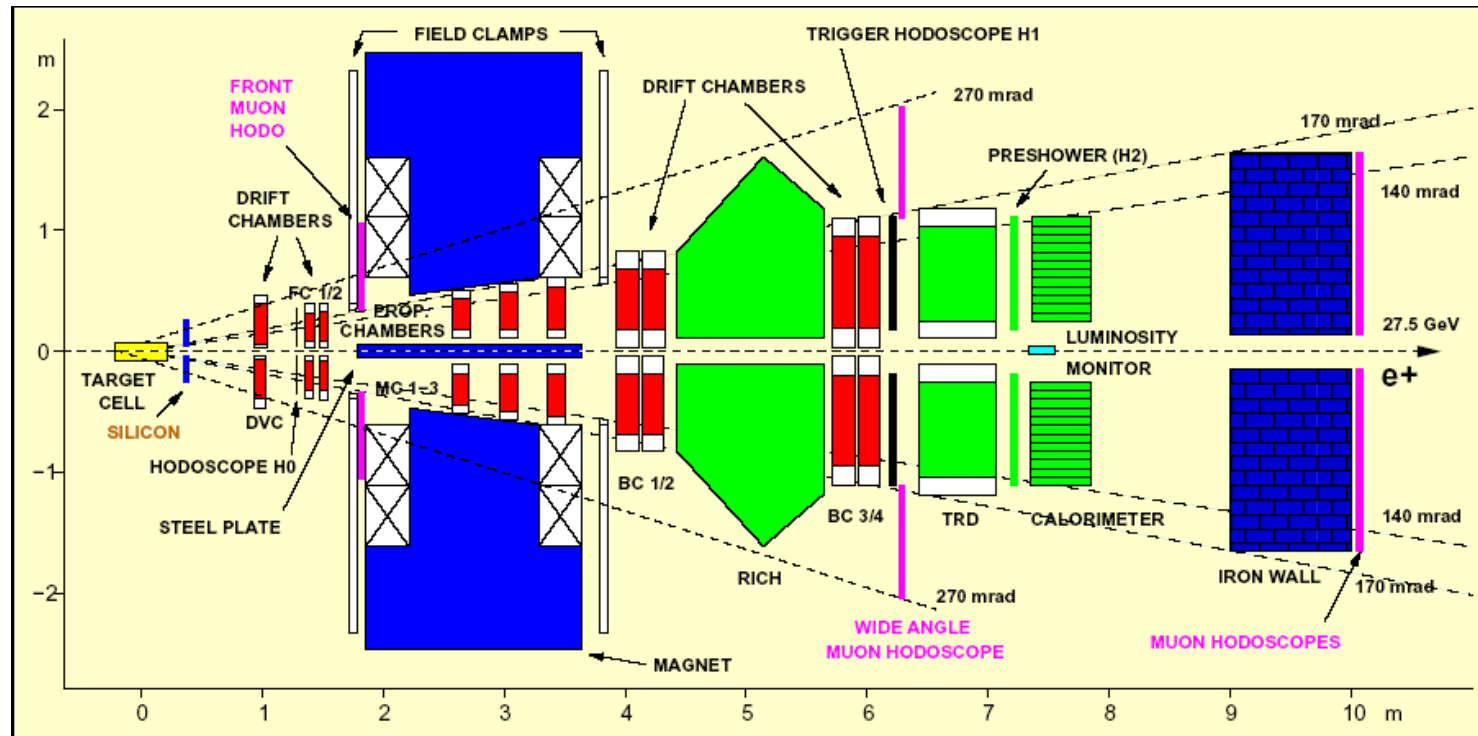
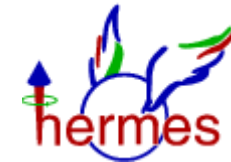
Target cell

Gas to polarisation measurement



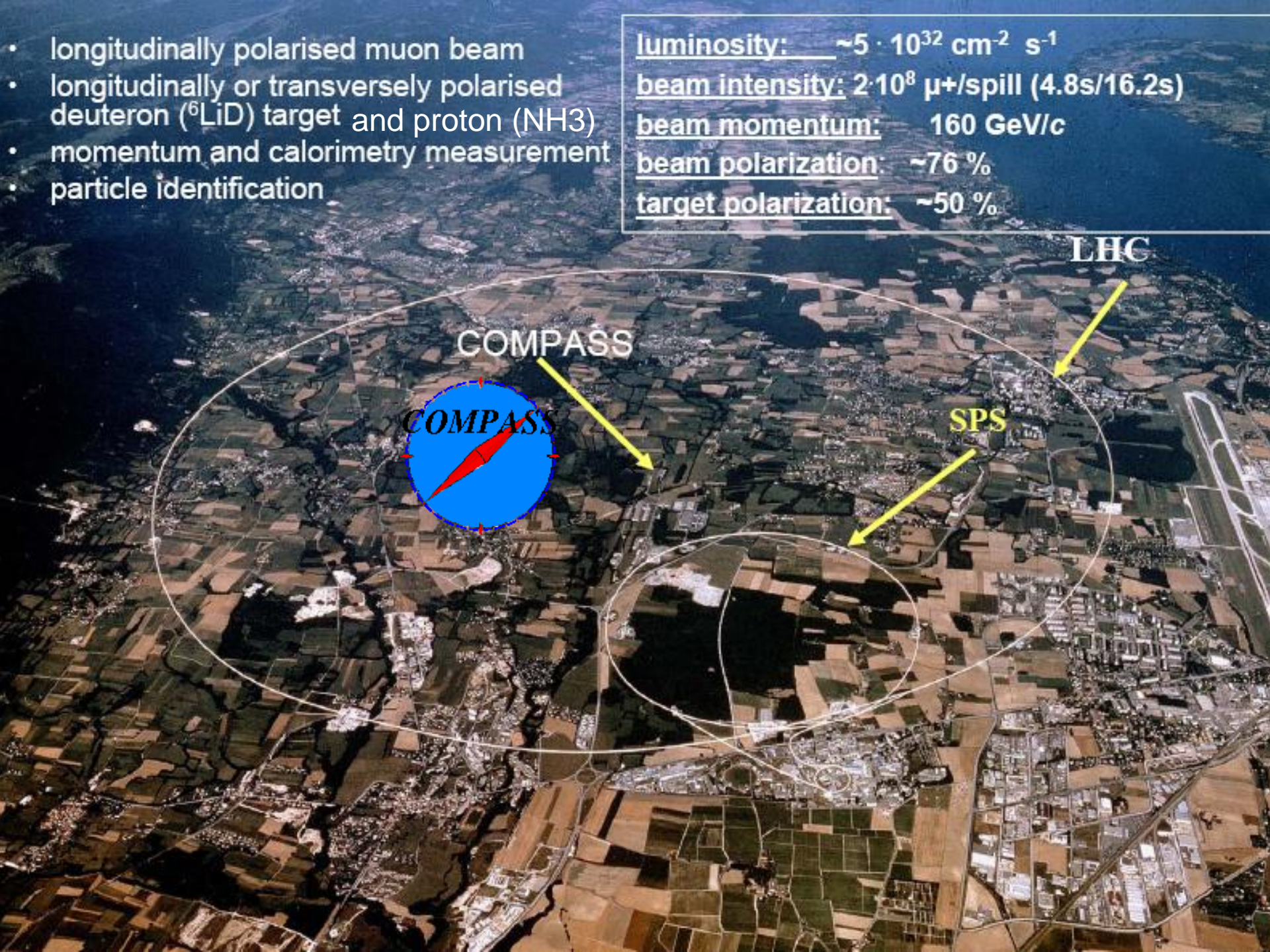
beam polarisation
built-up by
Sokolov-Ternov
effect

HERMES

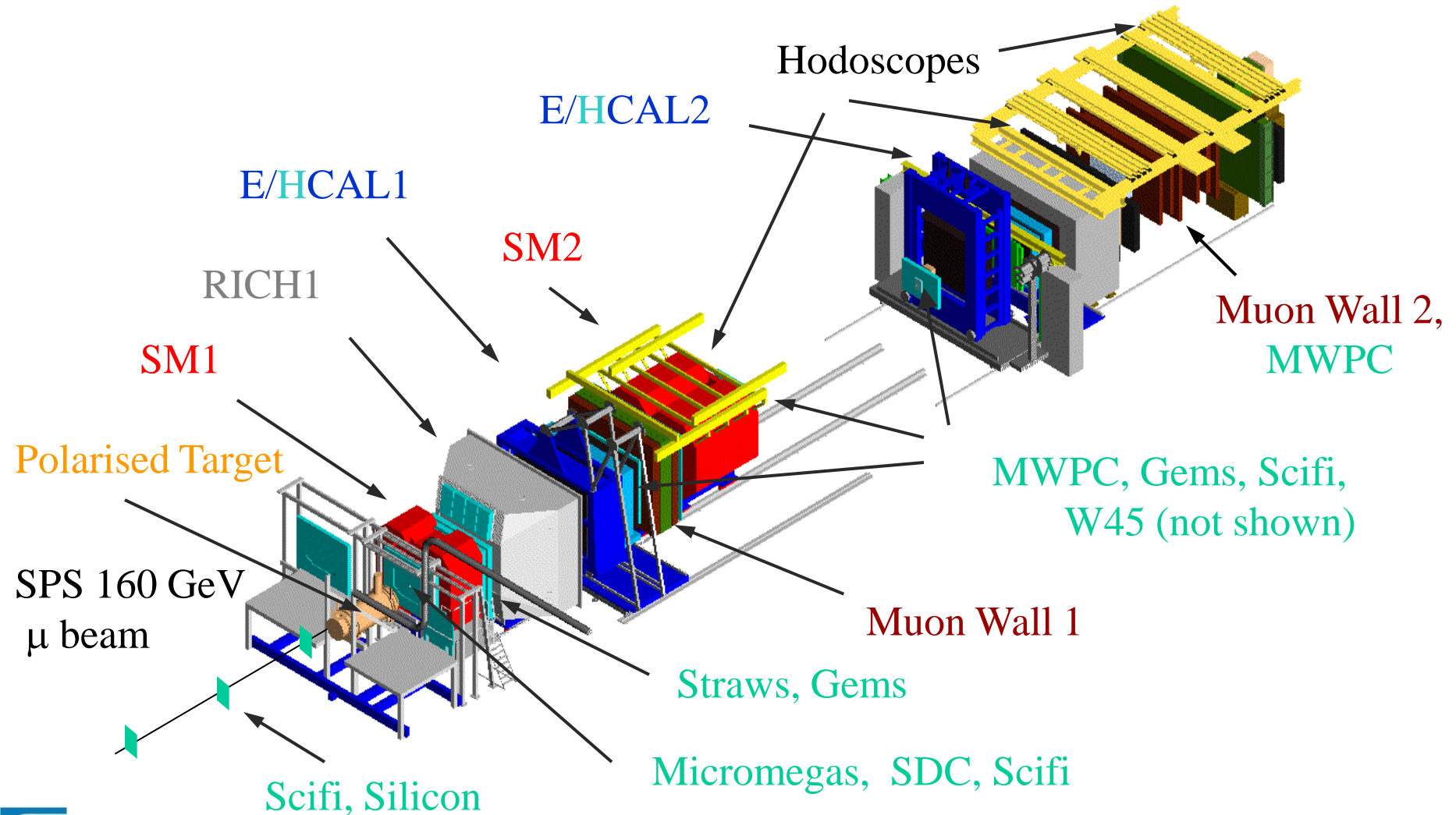


- longitudinally polarised muon beam
- longitudinally or transversely polarised deuteron (${}^6\text{LiD}$) target and proton (NH_3)
- momentum and calorimetry measurement
- particle identification

luminosity: $\sim 5 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$
beam intensity: $2 \cdot 10^8 \mu^+/\text{spill}$ (4.8s/16.2s)
beam momentum: 160 GeV/c
beam polarization: $\sim 76 \%$
target polarization: $\sim 50 \%$



COMPASS



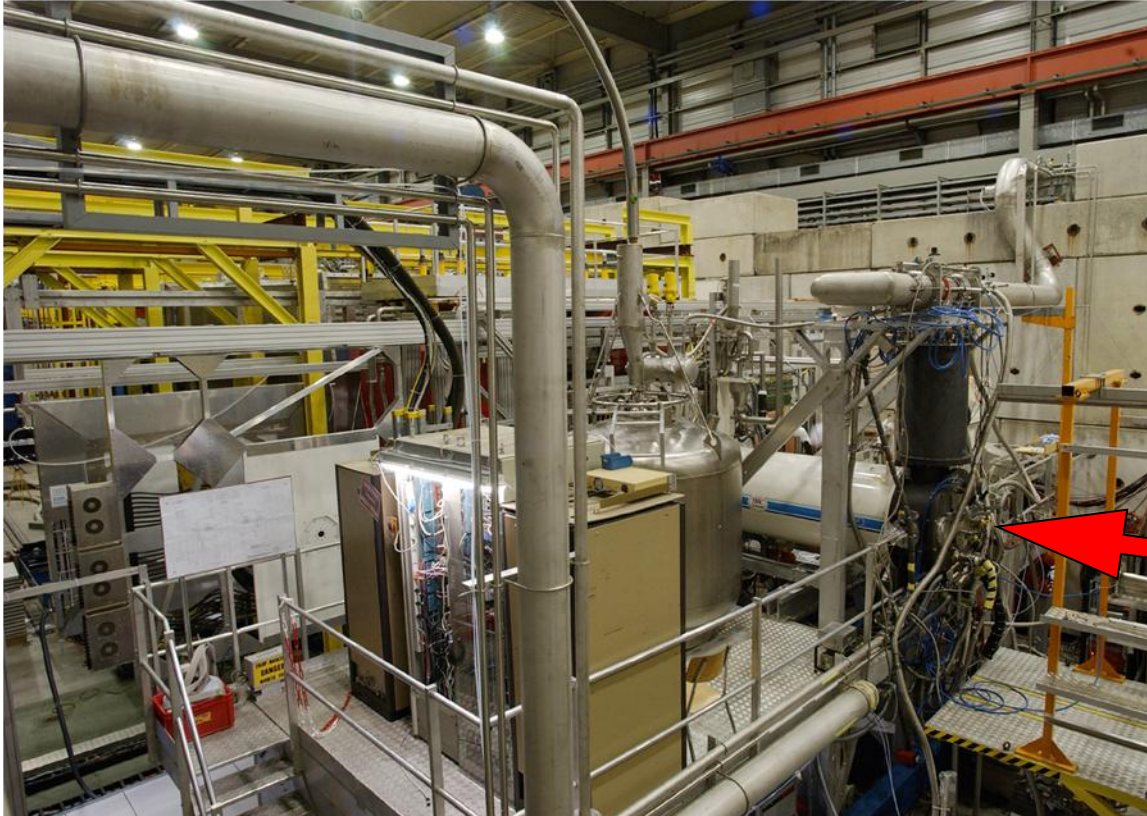


COMPASS Spectrometer



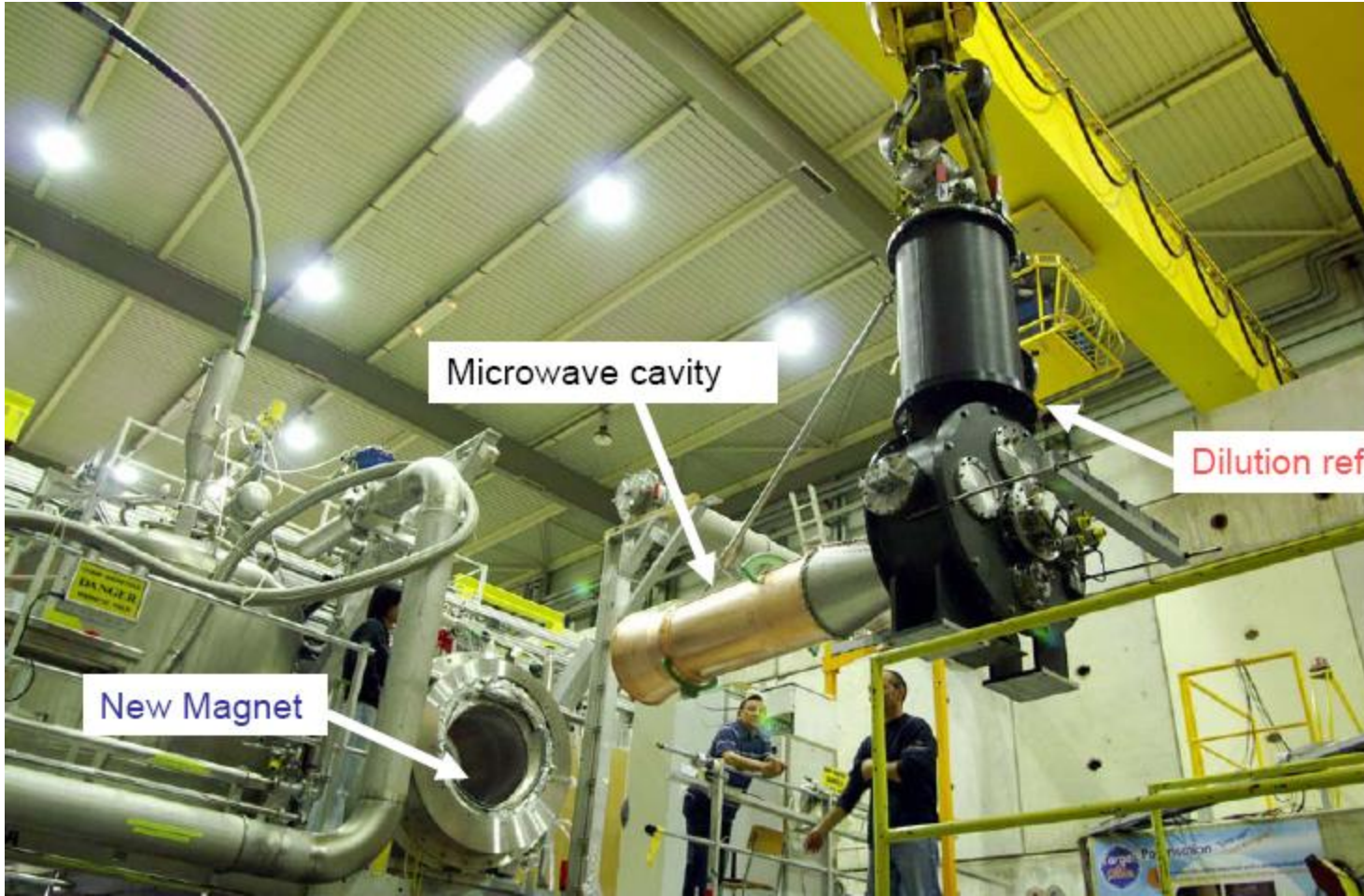


Polarised target



- ${}^6\text{LiD}/\text{NH}_3$
- 50/90% polarisation
- 50/16% dilution fact.
- 2.5 T
- 50 mK

μ



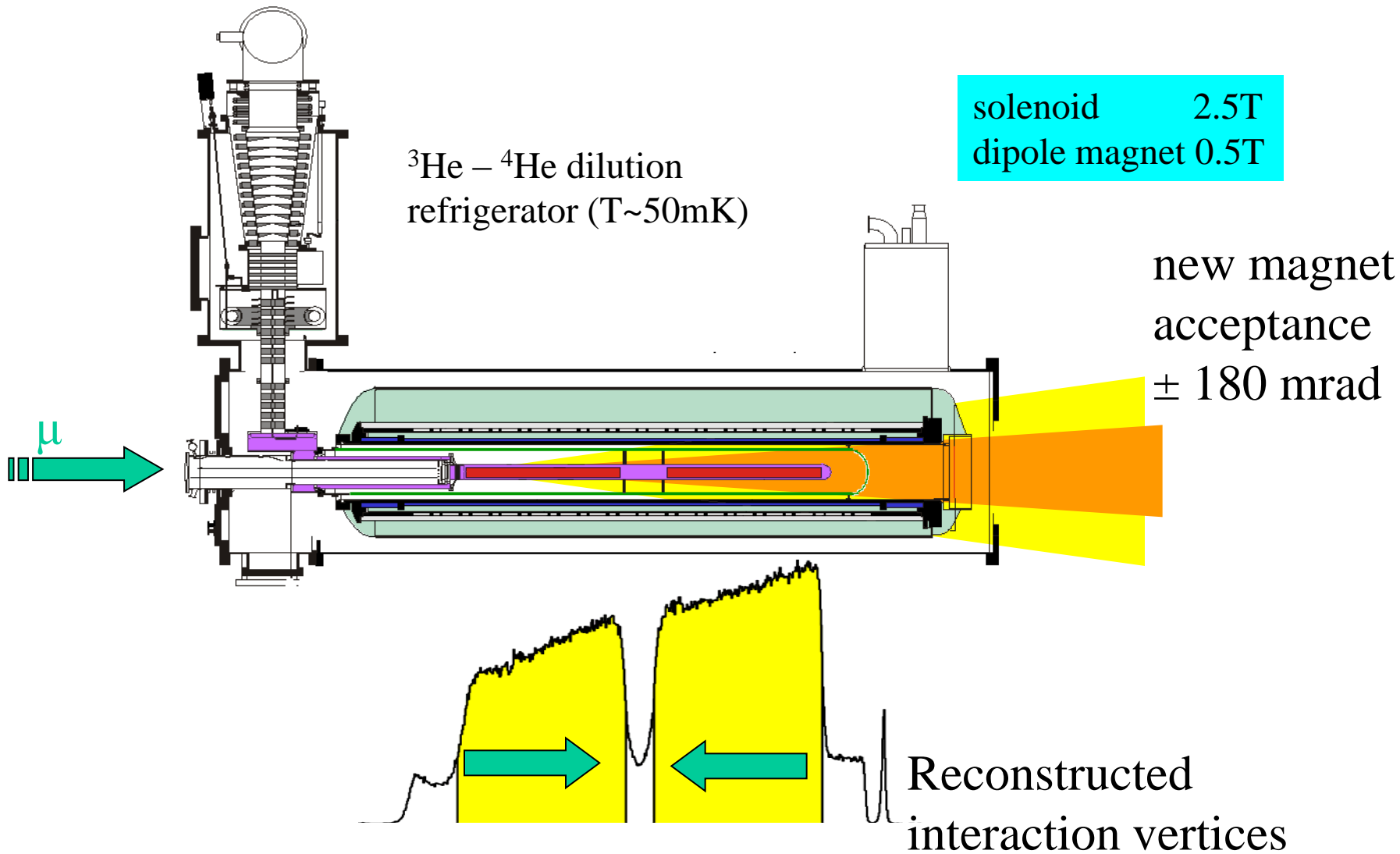
Microwave cavity

Dilution refrigerator

New Magnet



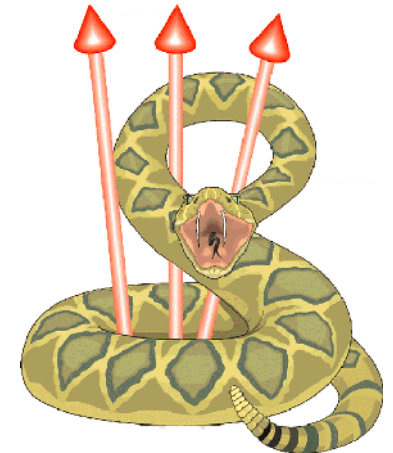
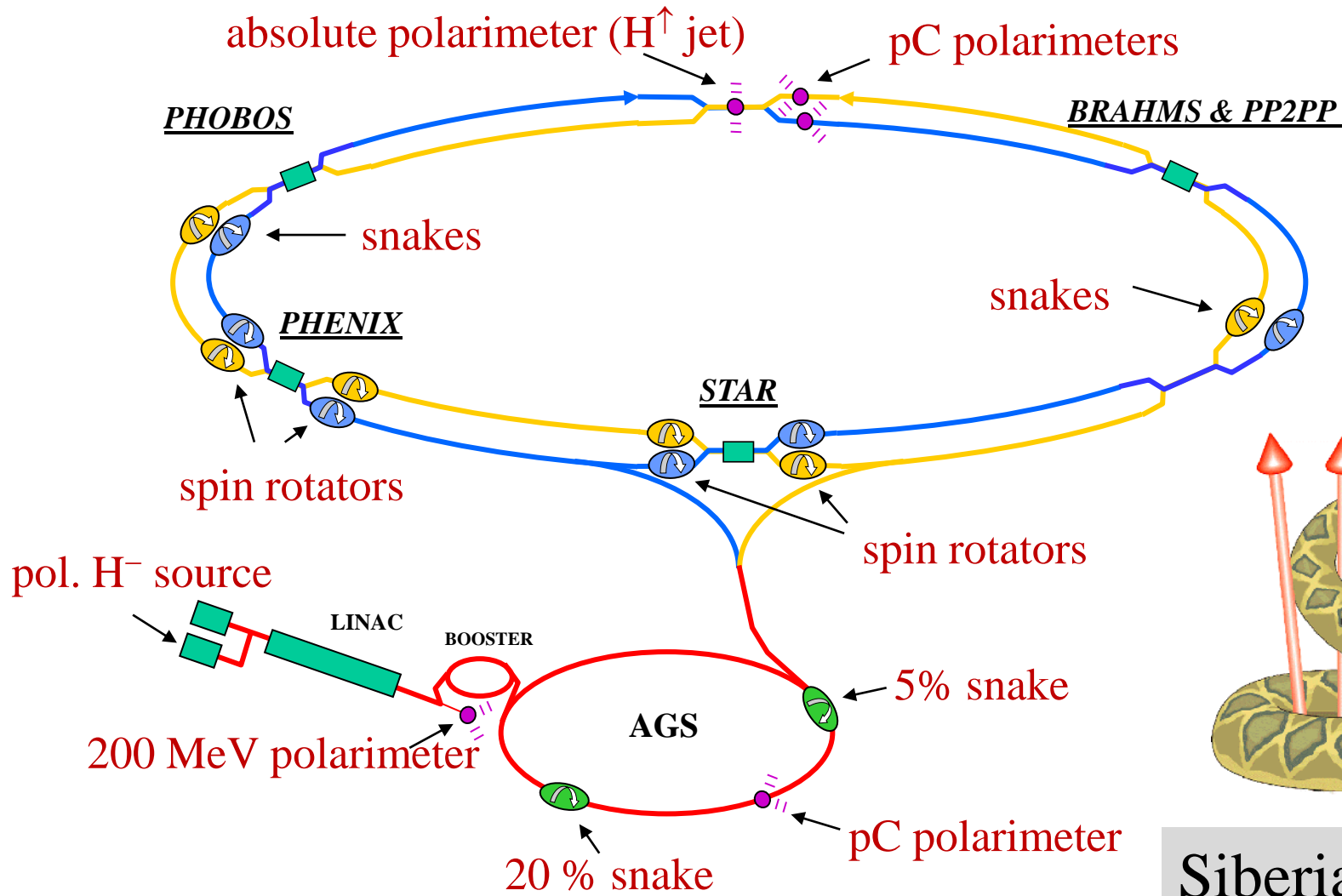
Target system



RHIC $\vec{p}\vec{p}$



RHIC polarised $\vec{p}\vec{p}$ Collider

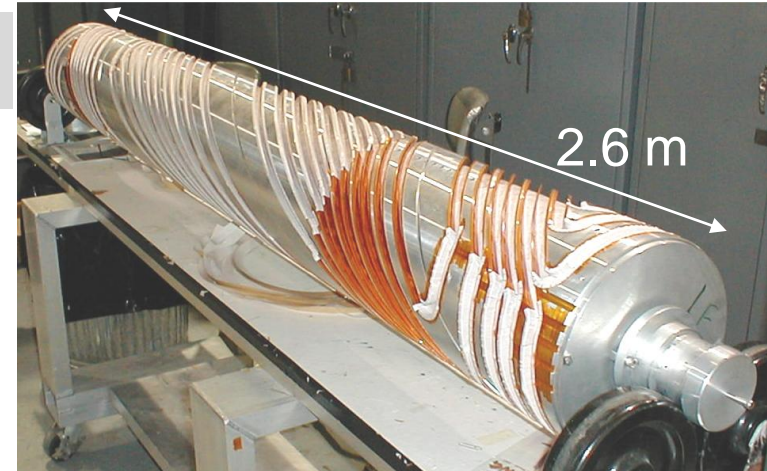


Siberian Snake

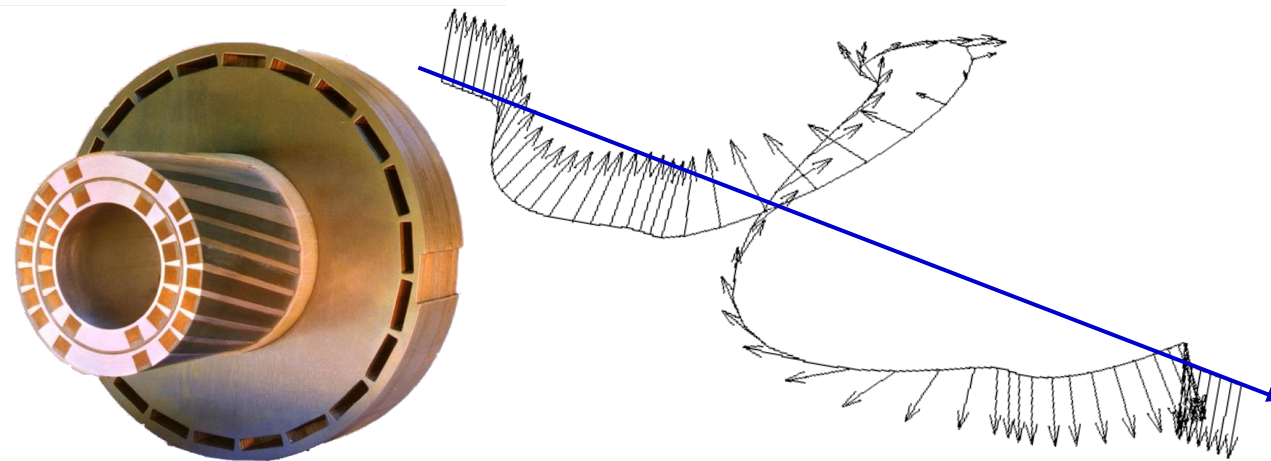
Siberian Snakes (helical dipoles)

from Th. Roser

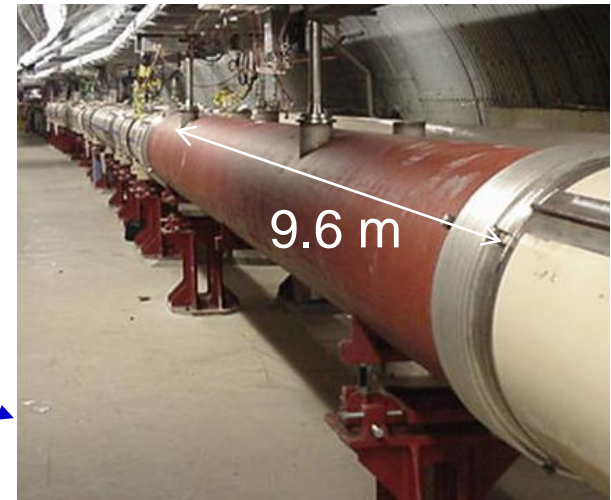
AGS partial snakes, 1.5T (RT) & 3T(SC)



RHIC full Siberian Snakes: 4 x 4 T (SC), each 2.4



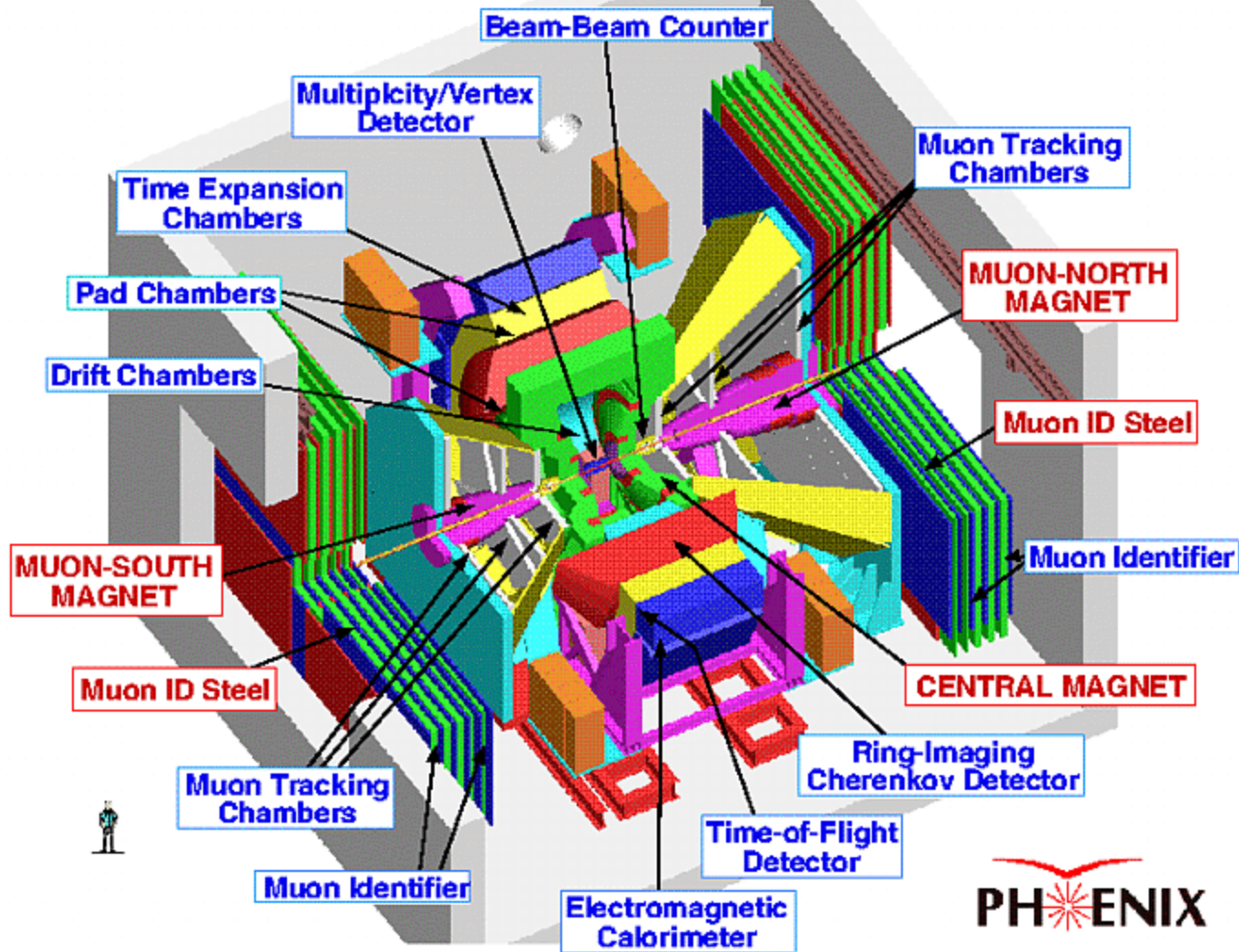
w/o: 1000 depolarising resonances



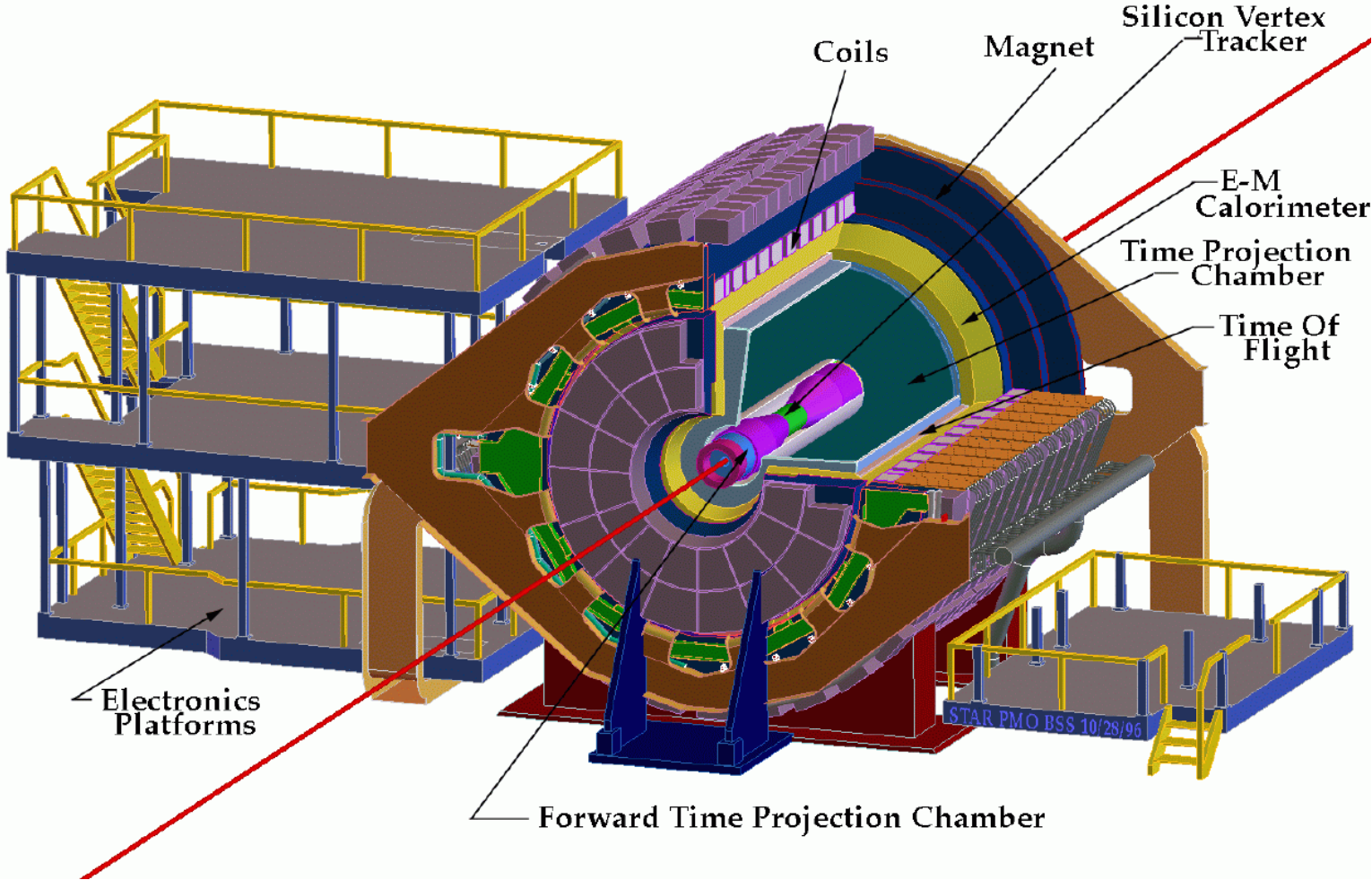
G. Mallot/CERN

Tübingen, 26 November 2009

Phenix



STAR Detector



5. Inclusive Results

Unpolarised structure function:

$$F_2(x) = x \sum_i e_i^2 \{ q_i^+(x) + q_i^-(x) \}$$

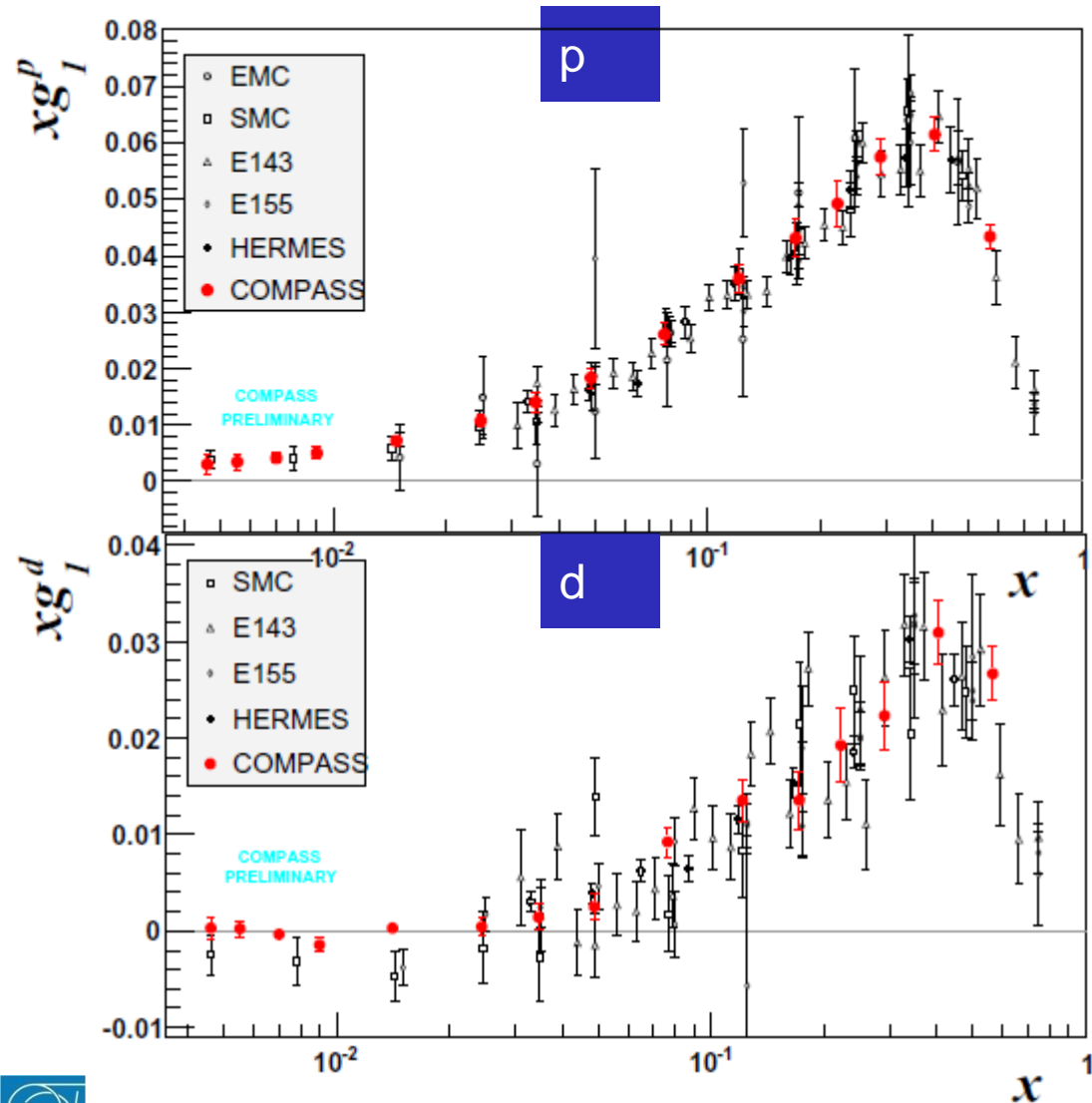
Polarised structure function :

$$g_1(x) = \frac{1}{2} \sum_i e_i^2 \{ q_i^+(x) - q_i^-(x) \}$$

Experiments often
present data as A_1 :

$$A_1 \cong \frac{A_{\text{II}}}{D} \cong g_1 \frac{2x}{F_2}$$

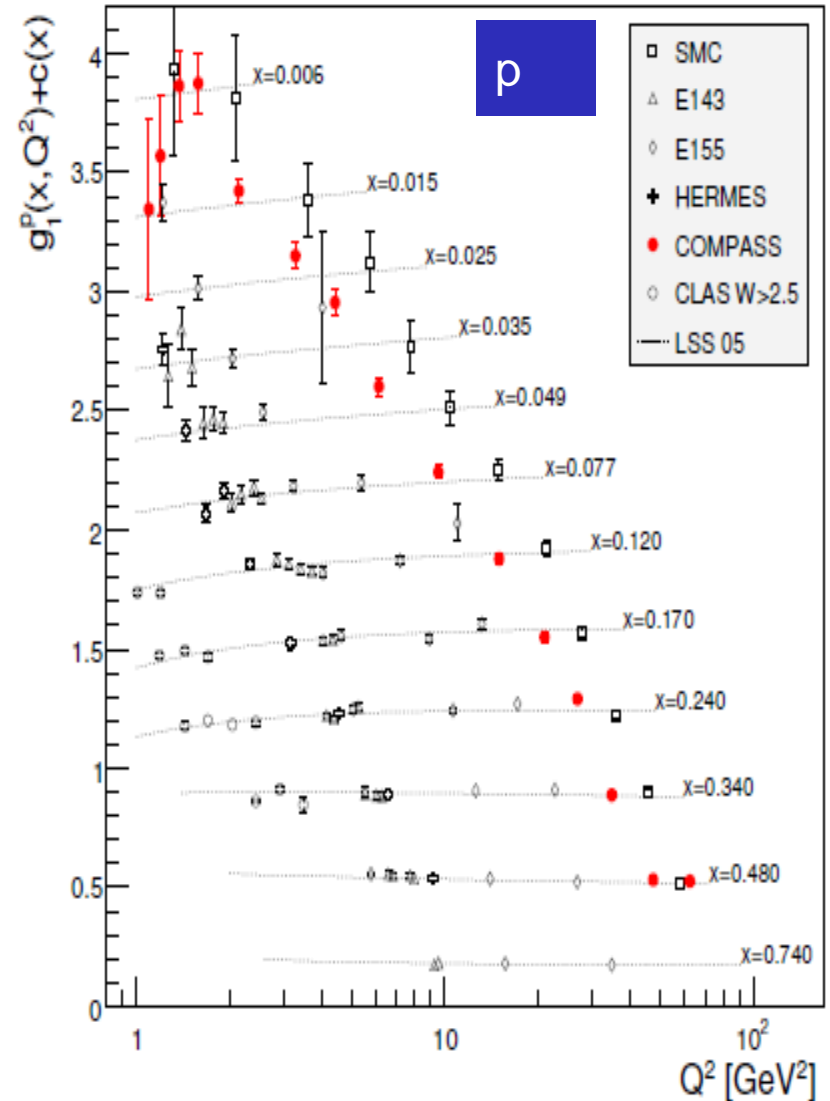
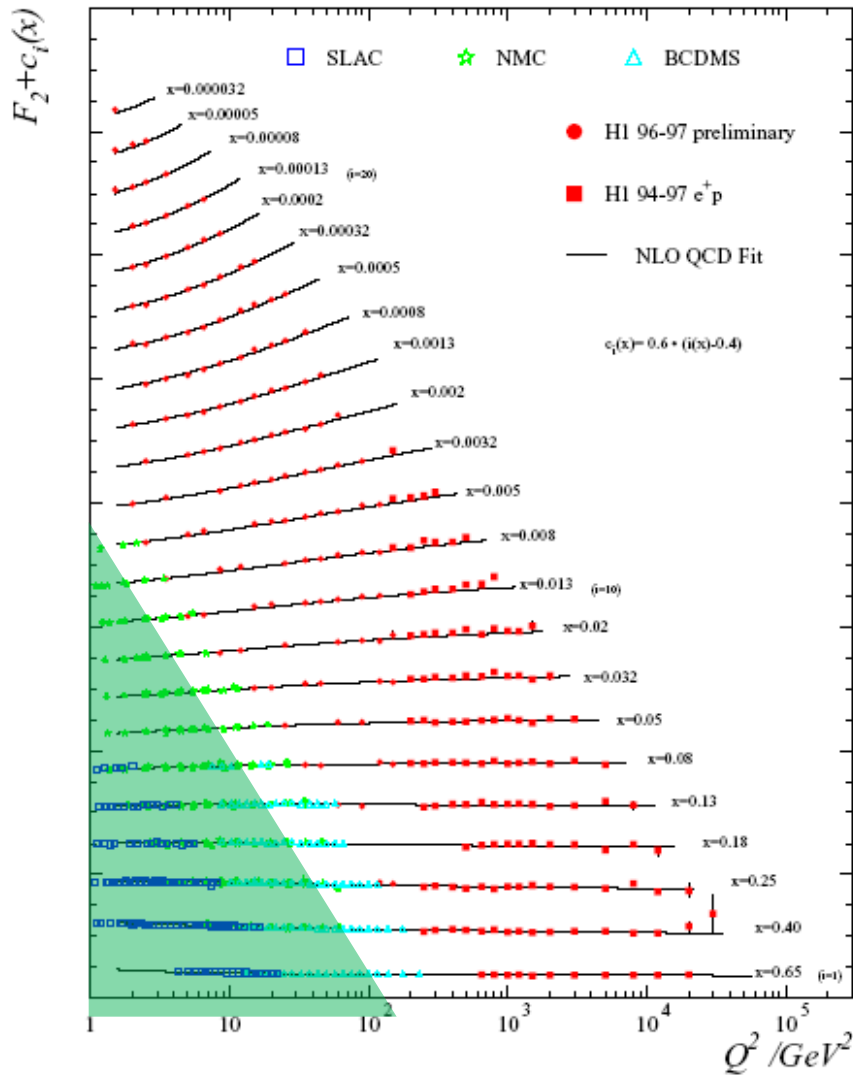
Structure function $xg_1(x, Q^2)$



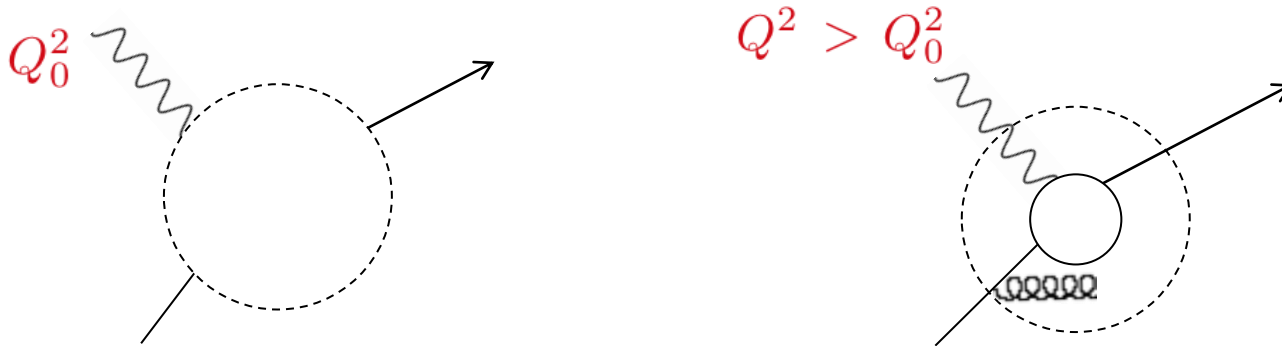
- COMPASS deuteron data:
 $a_0 = 0.33 \pm 0.03 \pm 0.05$
 $\Delta s + \Delta \bar{s} = -0.08 \pm 0.01 \pm 0.02$
- Hermes similar
- (evol. to $Q^2 = \infty$)

$F_2(x, Q^2)$

$g_1(x, Q^2)$

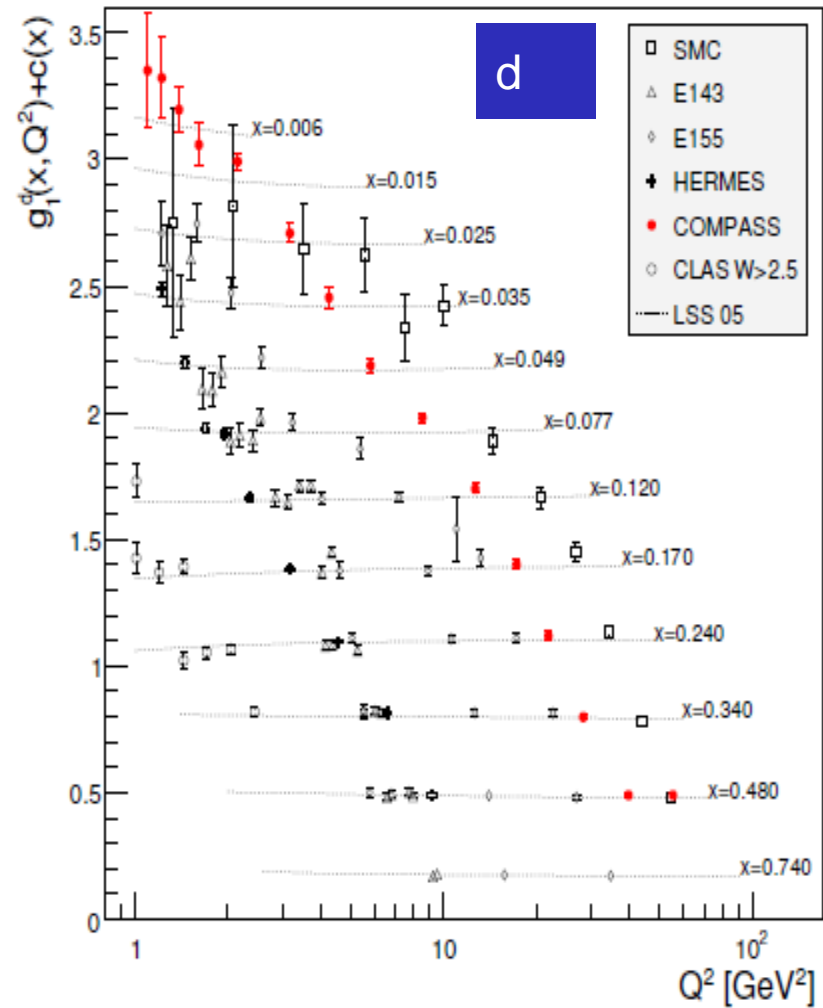
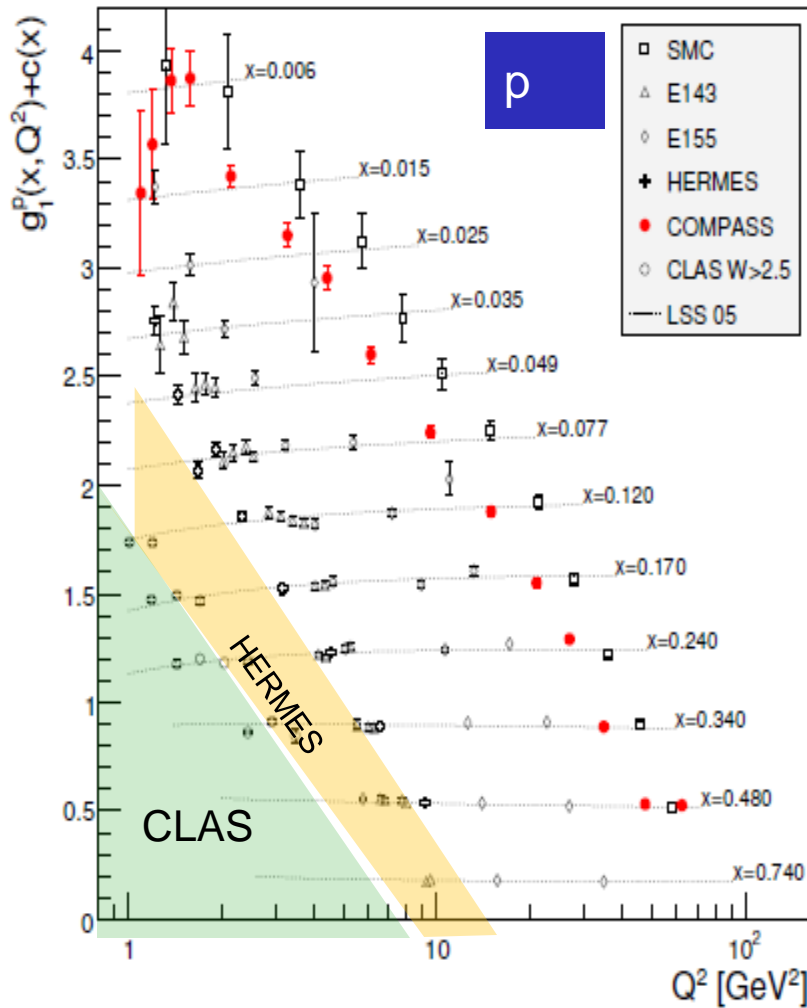


Scaling violations

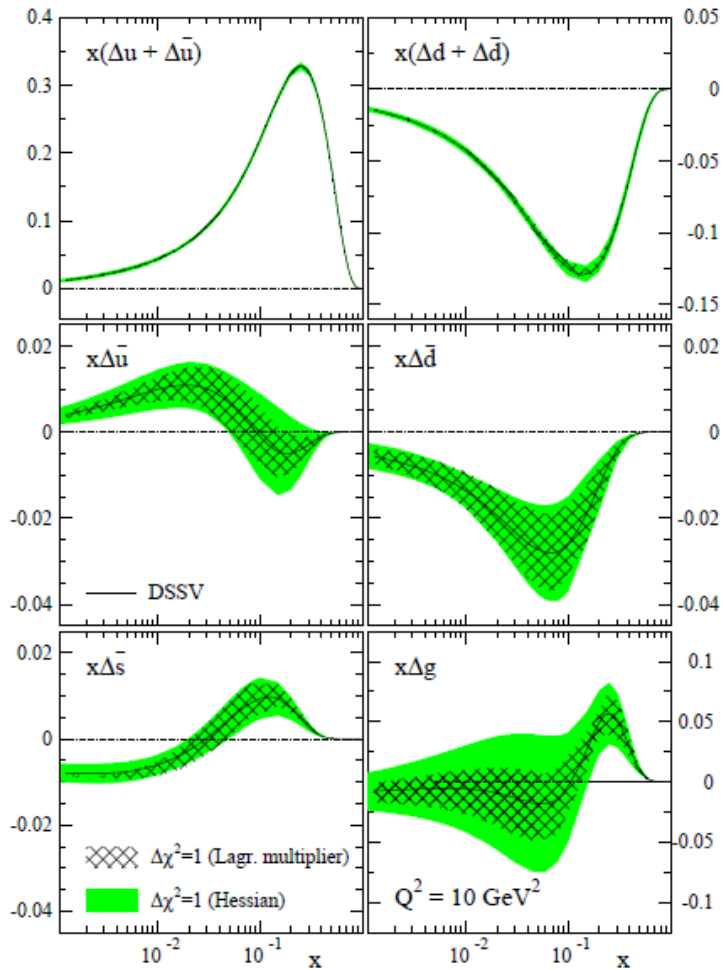


- with increasing Q^2 more details are resolved
- quarks/gluons **split** and produce more partons
- the ‘new’ partons have **smaller x -Bjorken**
- PDFs and SFs became functions of Q^2 : $P(x) \rightarrow P(x, Q^2)$
- the Q^2 evolution is calculable in perturbative **QCD**, if the PDFs $P(x, Q_0^2)$ are known at some Q_0^2 (**DGLAP equations**)
- x dependence is non-perturbative and **not described** in pQCD
- The gluon distribution can be determined from these “scaling violations”

Proton & deuteron $g_1(x, Q^2)$

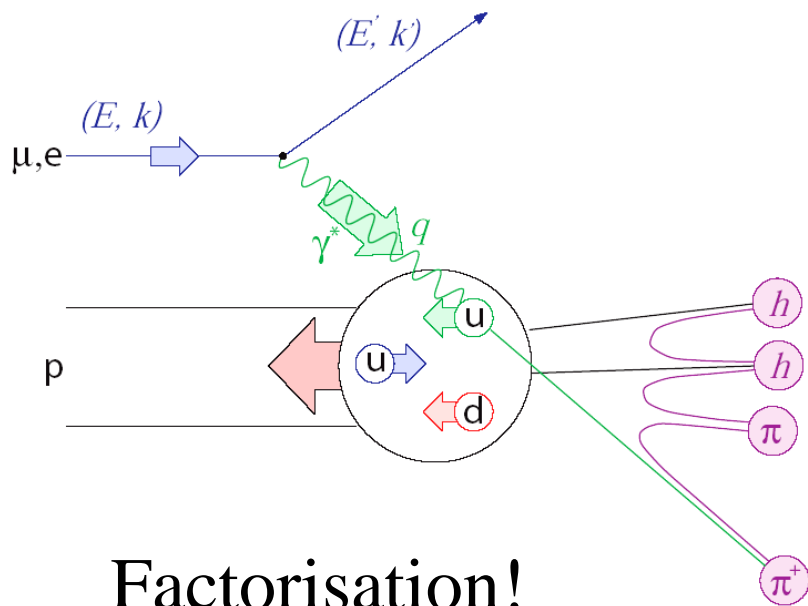


QCD Fits

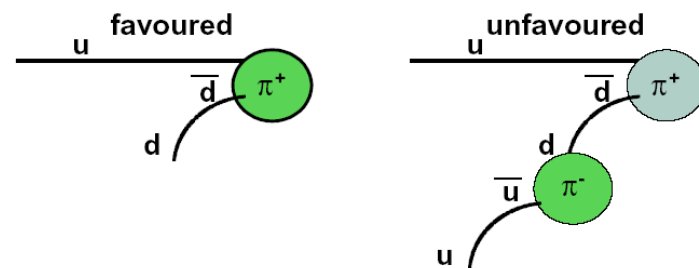


Marco Stratmann (tomorrow)

6. Semi-inclusive results



D_q^h from quark q into hadron h
 $z = \frac{E_h}{\nu}$ energy fraction carried by h

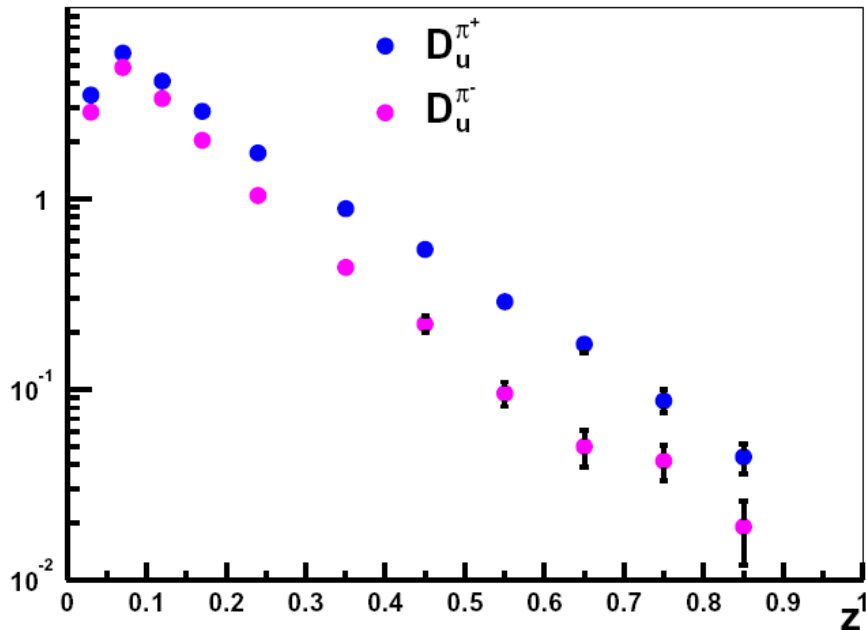


$$\begin{array}{ccccccc}
 D_u^{\pi^+} & = & D_{\bar{u}}^{\pi^-} & = & D_{\bar{d}}^{\pi^+} & = & D_d^{\pi^-} \\
 D_d^{\pi^+} & = & D_{\bar{d}}^{\pi^-} & = & D_{\bar{u}}^{\pi^+} & = & D_u^{\pi^-}
 \end{array}$$

CC IS CC

$$A_1^h = \frac{\sum_q e_q^2 \Delta q(x, Q^2) D_q^h(z, Q^2)}{\sum_q e_q^2 q(x, Q^2) D_q^h(z, Q^2)}$$

Fragmentation functions



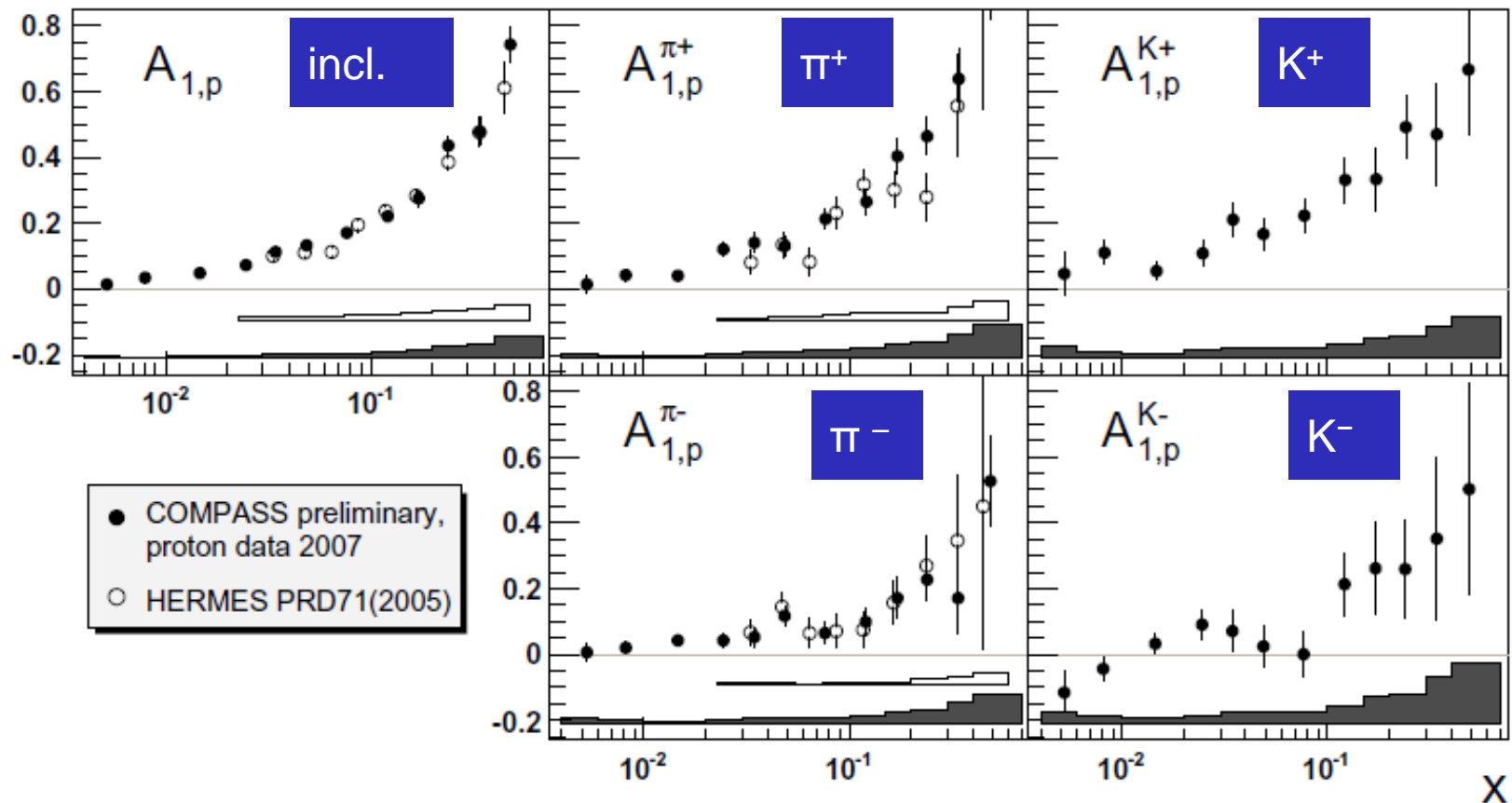
final hadron remembers
flavour of initially struck quark

Integrate over used z region

$$A_1^h(x, Q^2) = \frac{\int dz \sum_f e_f^2 \Delta q_f(x, Q^2) \cdot D_f^h(z, Q^2)}{\int dz \sum_f e_f^2 q_f(x, Q^2) \cdot D_f^h(z, Q^2)}$$

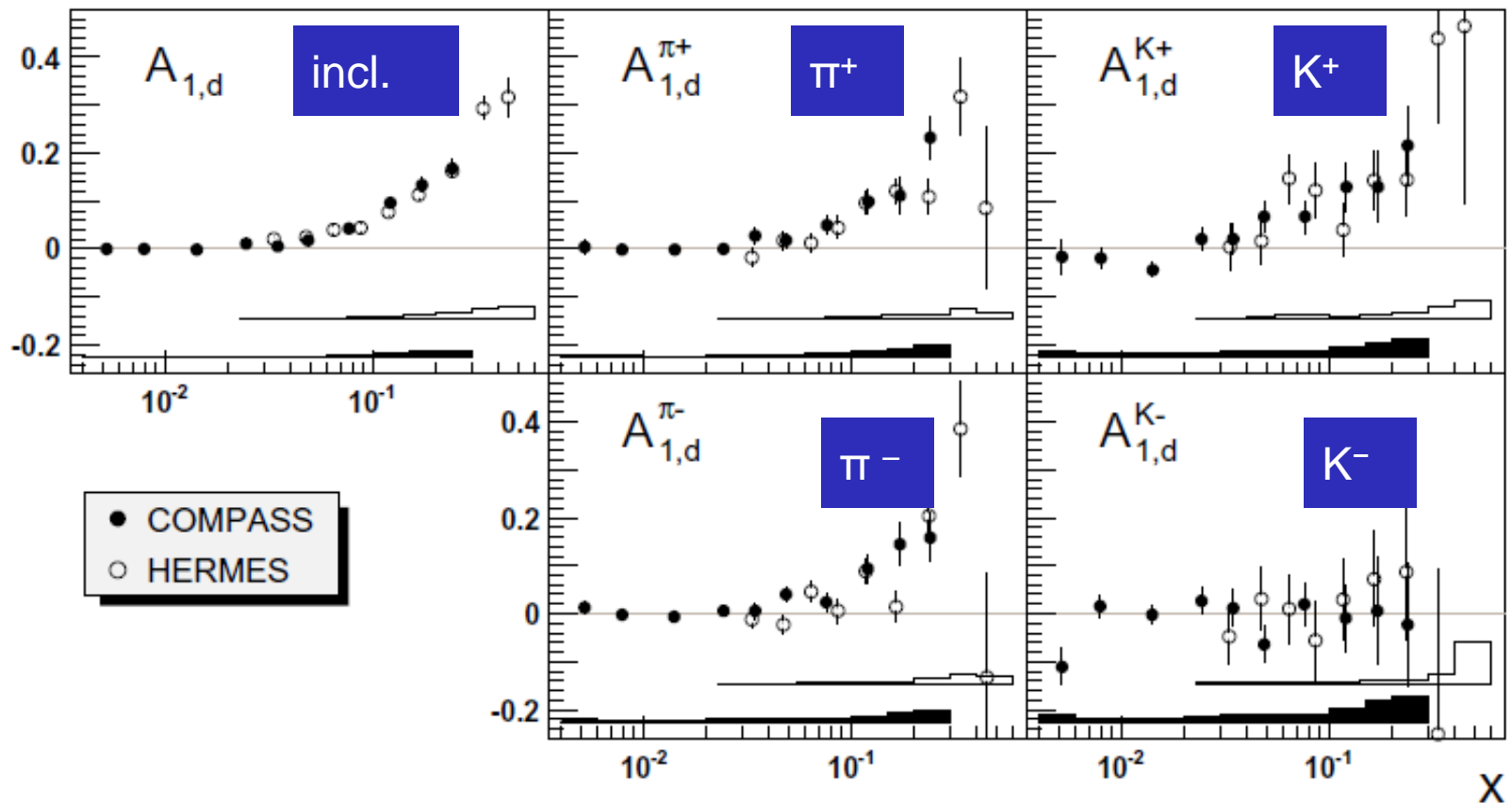
Incl. & semi-incl. A_1

- proton

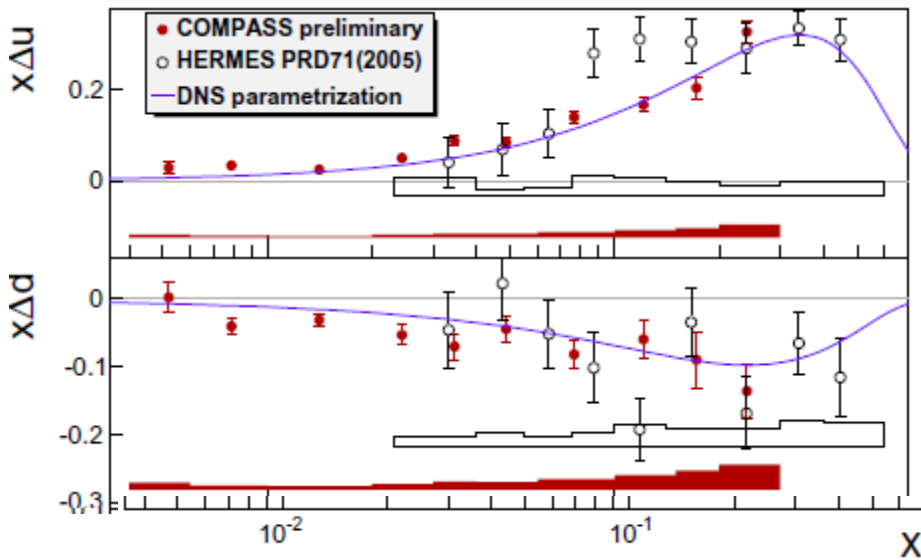
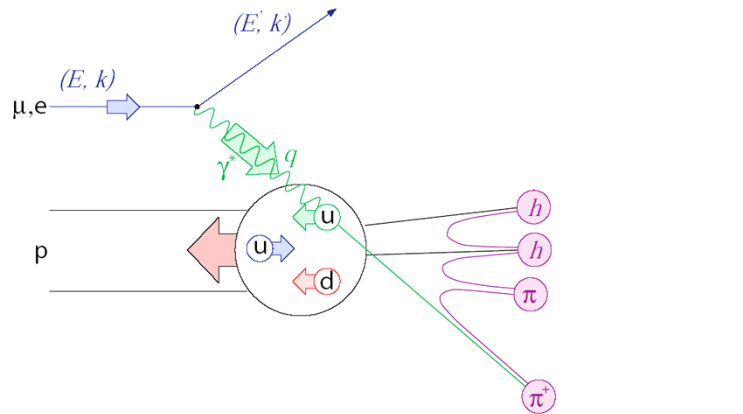


Incl. & semi-incl. A_1

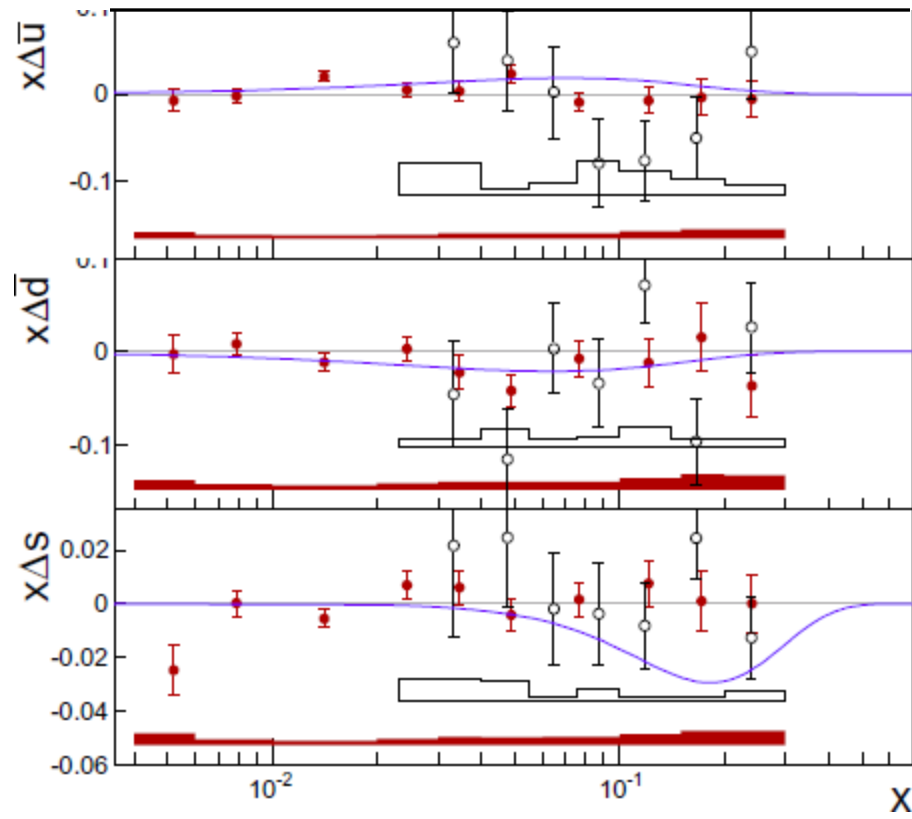
- deuteron



The role of quark flavours



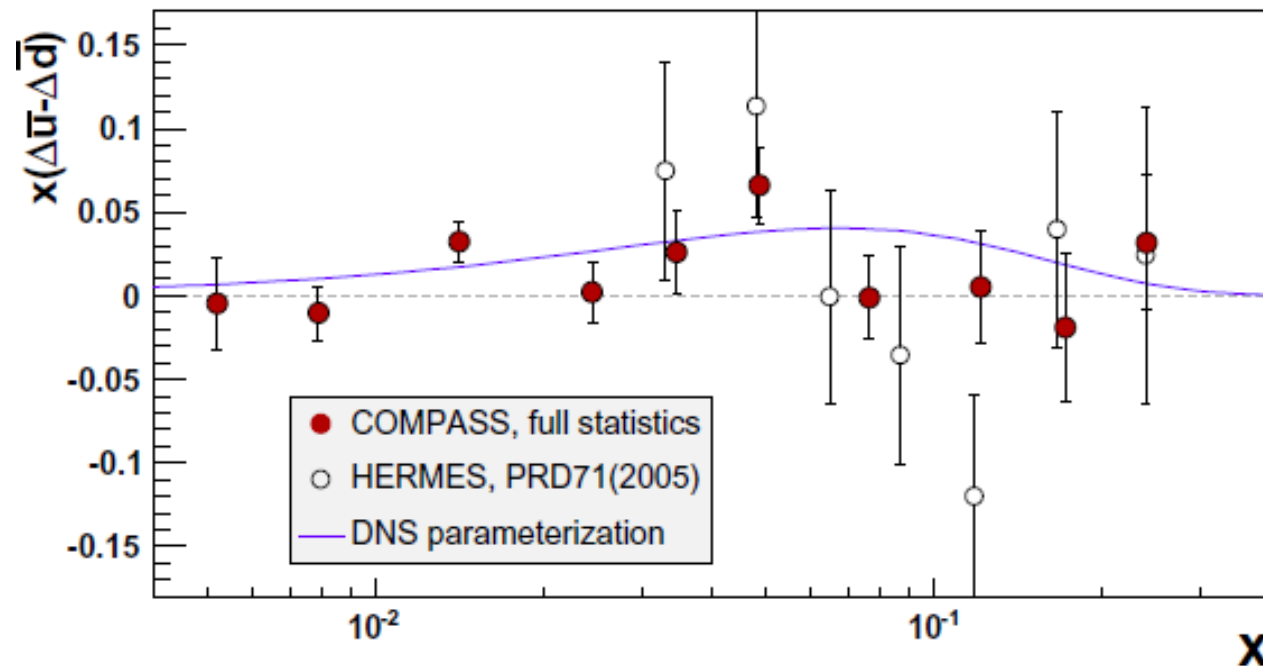
- LO analysis, preliminary



Flavour asymmetry?

$$\Delta\bar{u} - \Delta\bar{d}$$

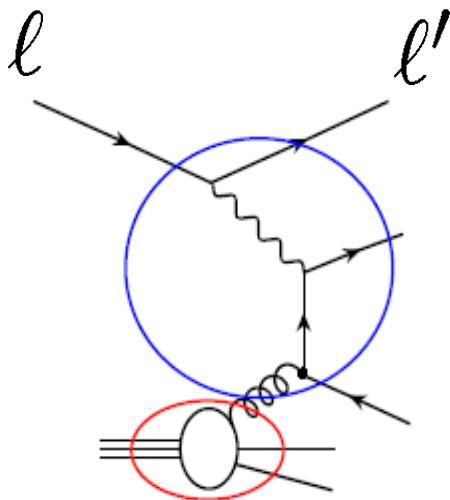
- considerable asymmetry in the unpolarised case
- model predicts naturally asymmetry for pol. case
- only small effect (if at all)



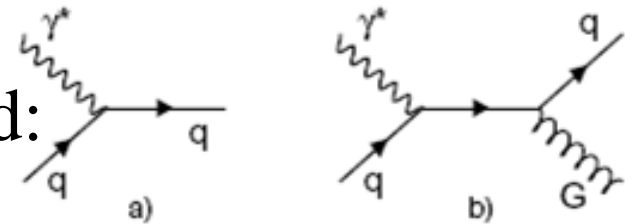
7. ΔG from photon-gluon fusion

Principle: Gluon polarisation enters via **photon-gluon fusion (PGF)**, use

- light quark with high p_T or
- charm quarks



q • Background:



\bar{q}

• measure

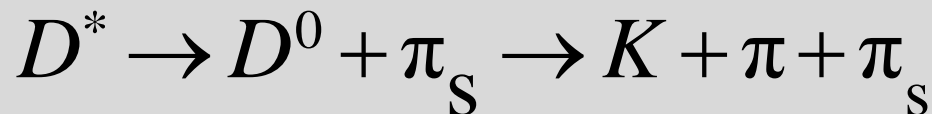
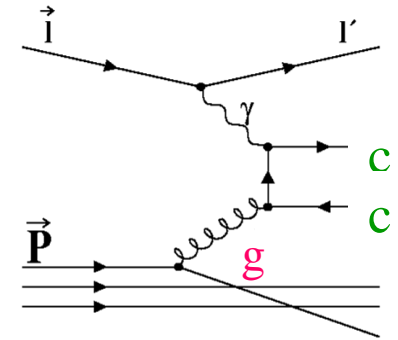
$$A_{||} = R_{pgf} \langle \hat{a}_{pdf} \rangle \left\langle \frac{\Delta g}{g} \right\rangle$$

- calculate R_{pgf} , $\langle \hat{a}_{pgf} \rangle$ and background by Monte Carlo



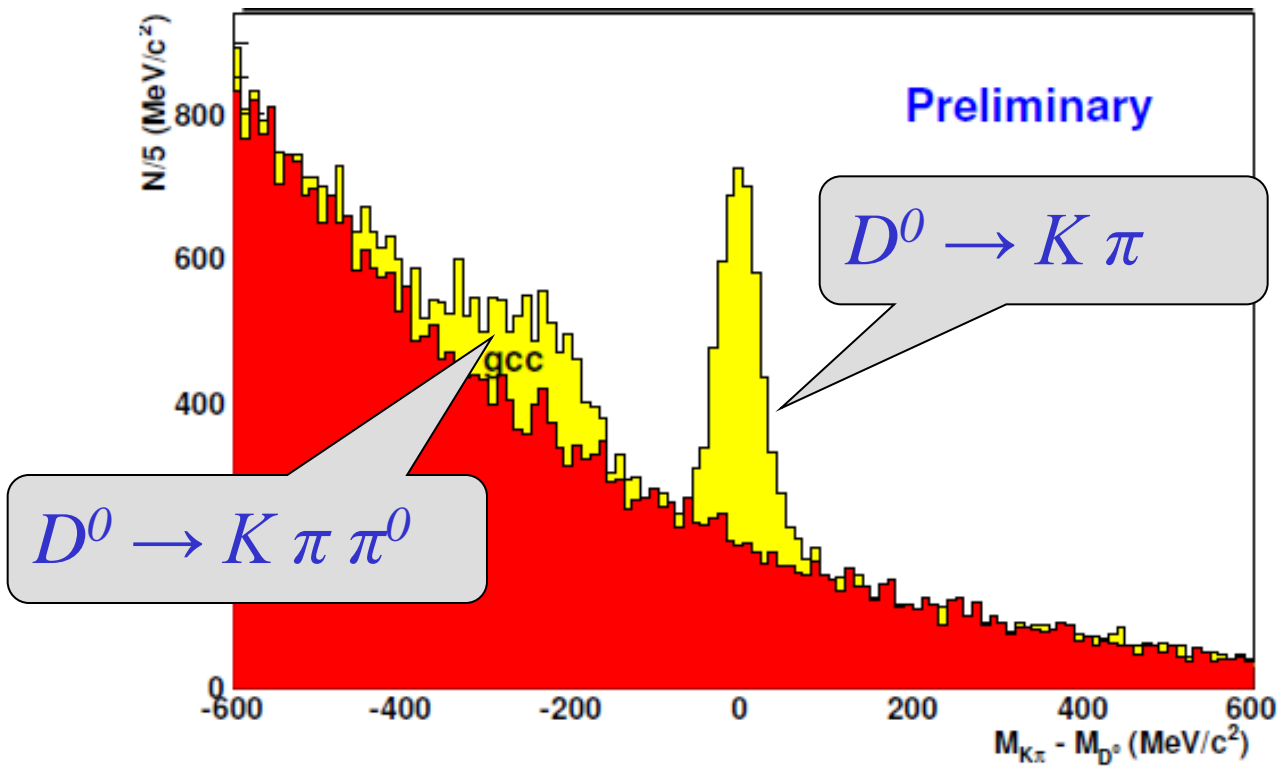
$\Delta g/g$ from open charm

- cleanest process
 - little physics background (LO, QCDC)
- observe asymmetry in D meson production
 - statistics limited
 - only one D meson via $D \rightarrow \pi K$ (BR $\sim 4\%$)
 - combinatorial background large
 - drastically reduced when looking to D^* decay in coincidence with slow pion



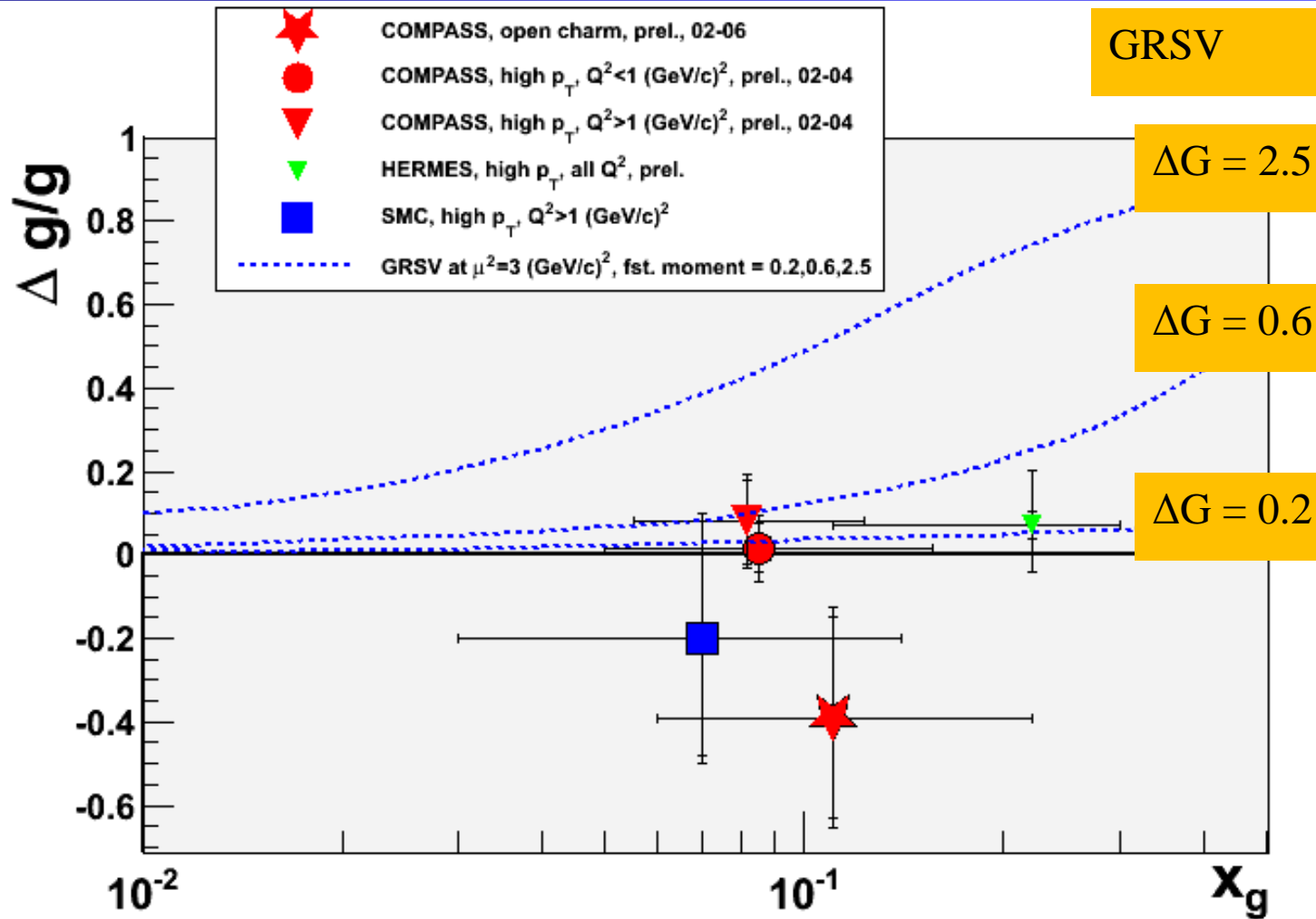


$\Delta g/g$ from open charm

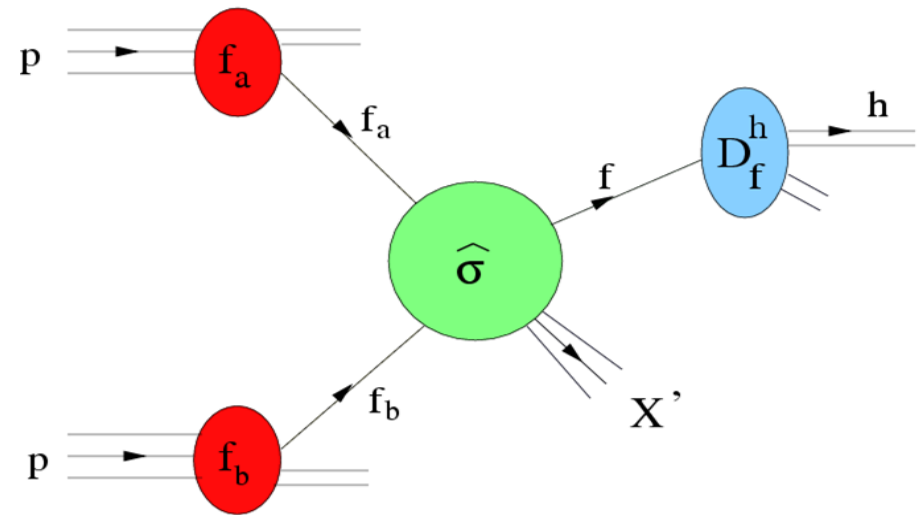
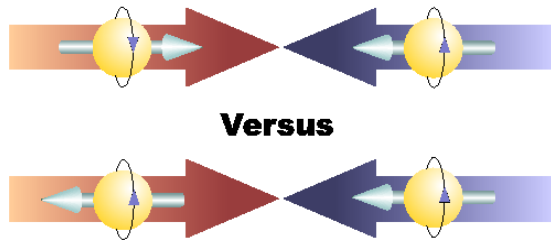


$$\langle \Delta g/g \rangle_x = -0.39 \pm 0.24 \text{ (stat.)}$$

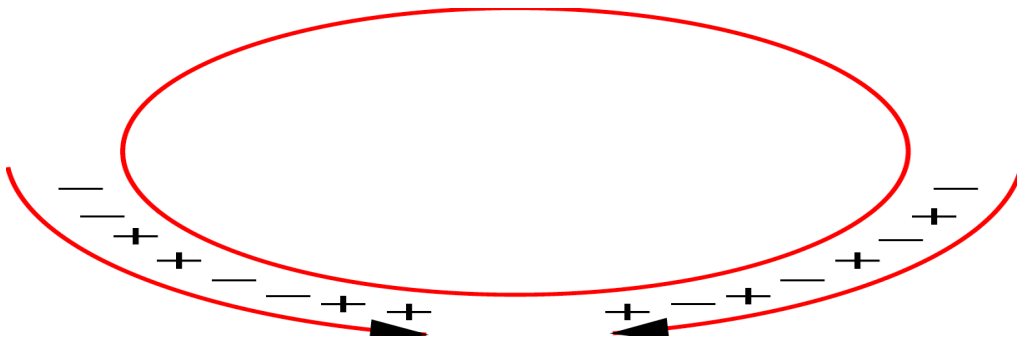
ΔG from PDF analyses



8. RHIC $\vec{p}\vec{p}$ collisions

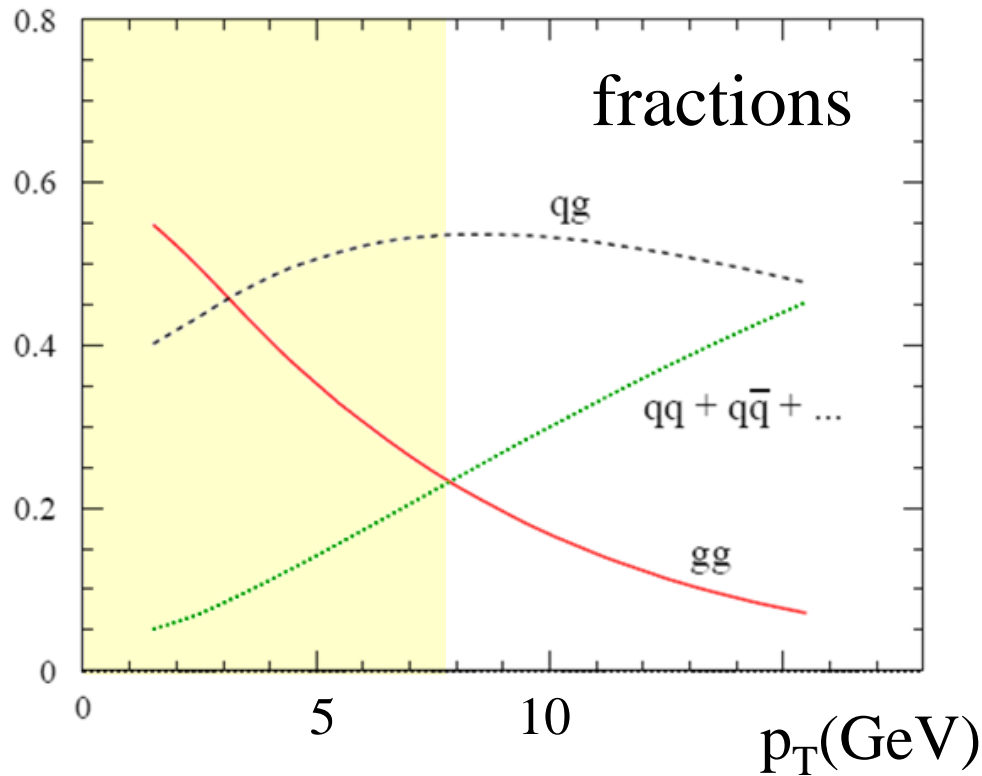
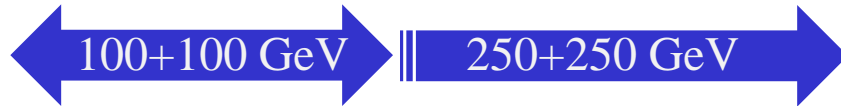


polarisation $\sim 45\%$ in 2005
 $\sim 60\% \geq 2006$



$$A_{LL} = \frac{\sigma_{++} - \sigma_{+-}}{\sigma_{++} + \sigma_{+-}}$$

qg - qq - gg processes



energy:

100 on 100 GeV

2009:

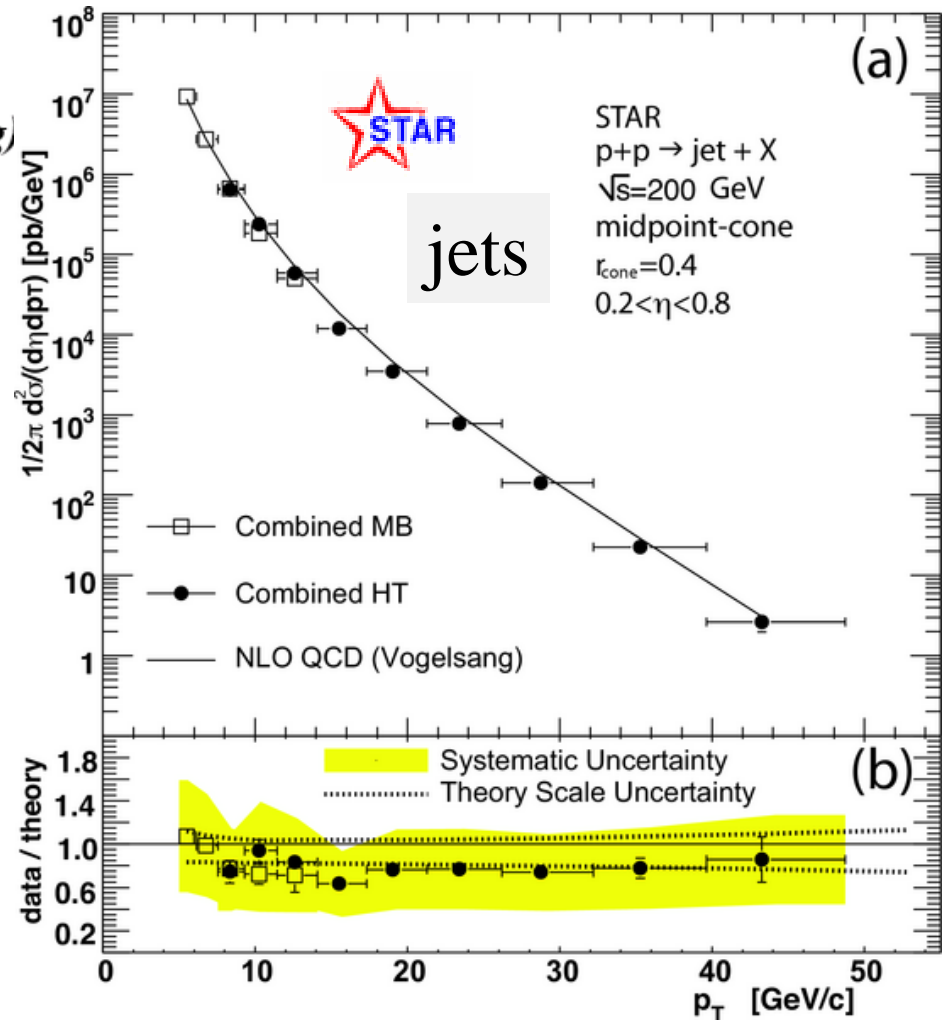
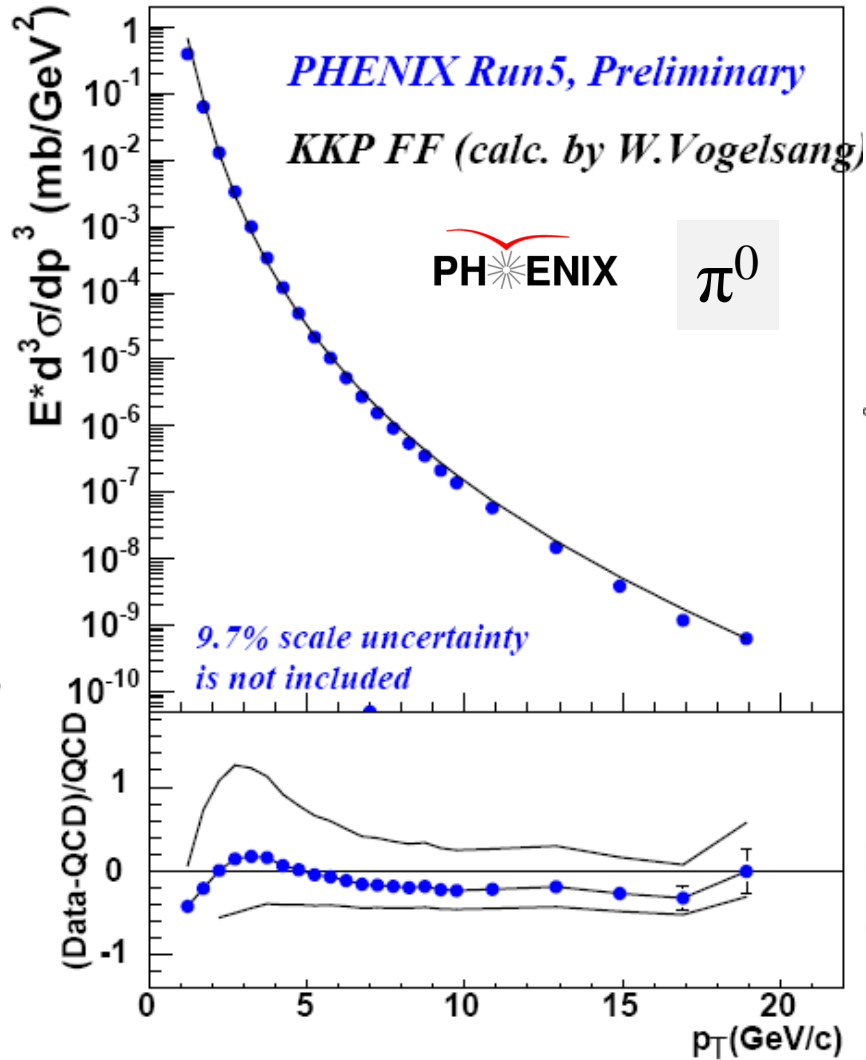
250 on 250 GeV

$$\propto \Delta g^2$$

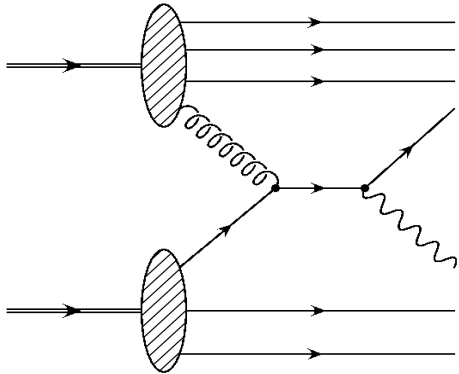
gg processes dominate
at 100 on 100 GeV

sign ambiguity

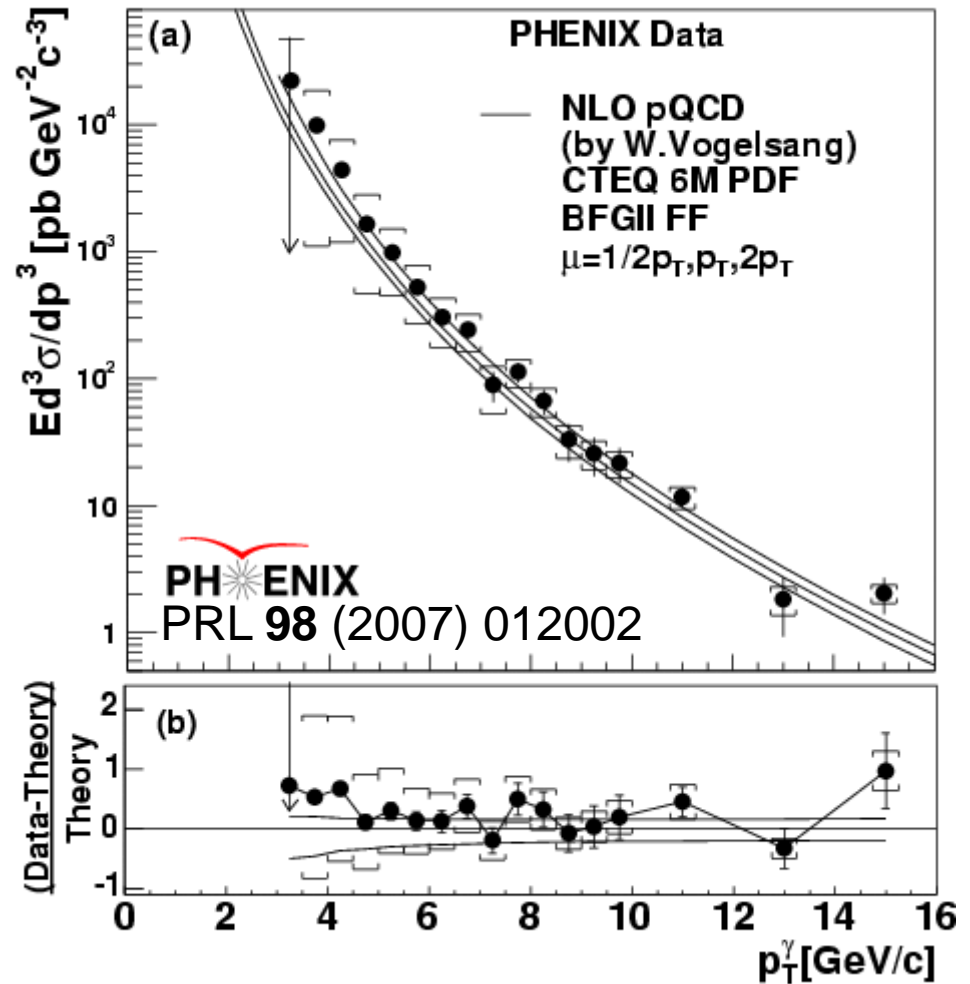
NLO vs data (unpol)



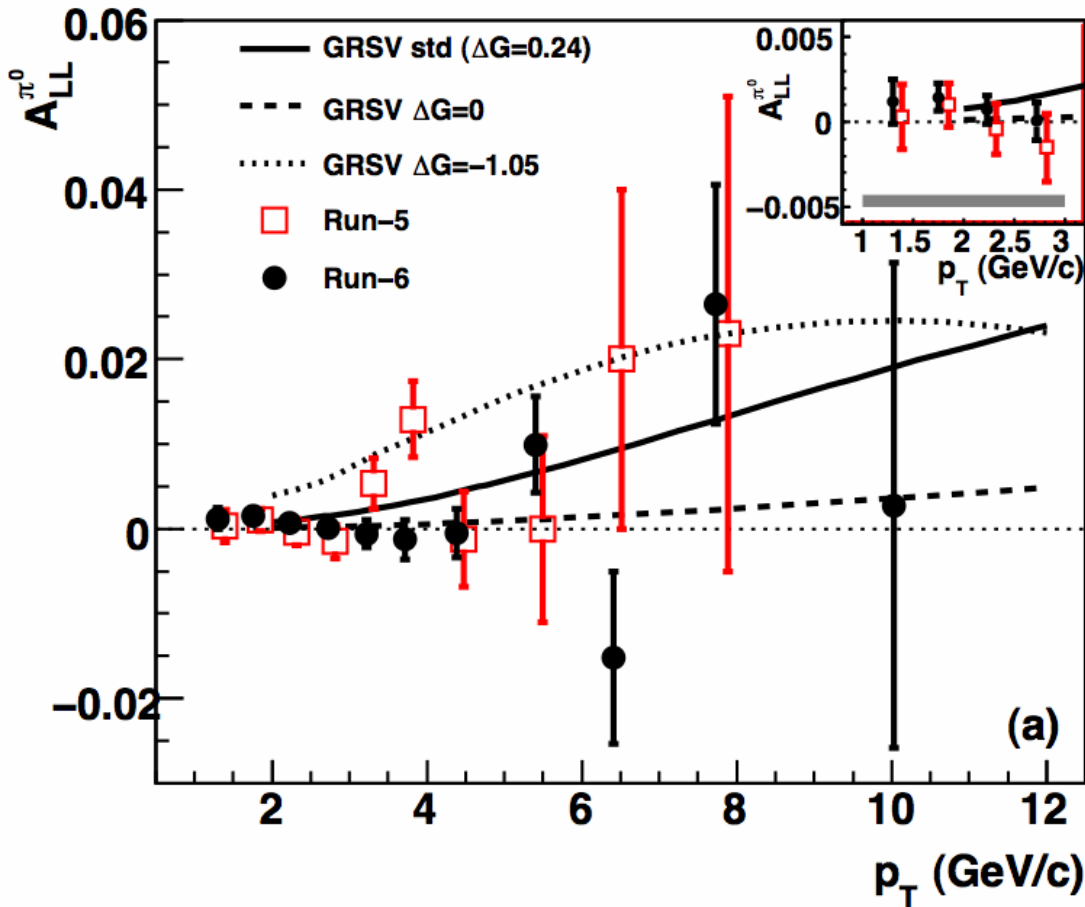
Direct photons



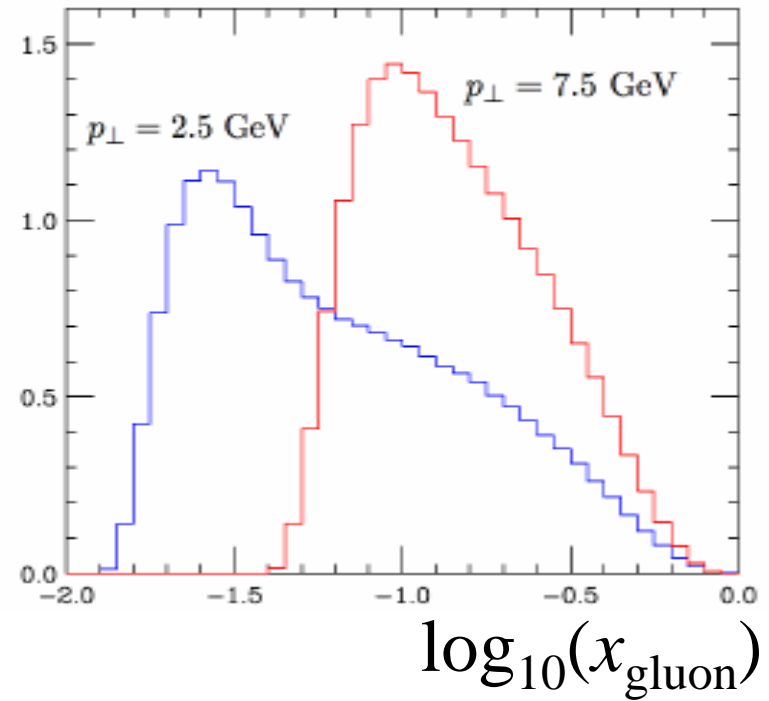
- good agreement of calc. and data at collider energies



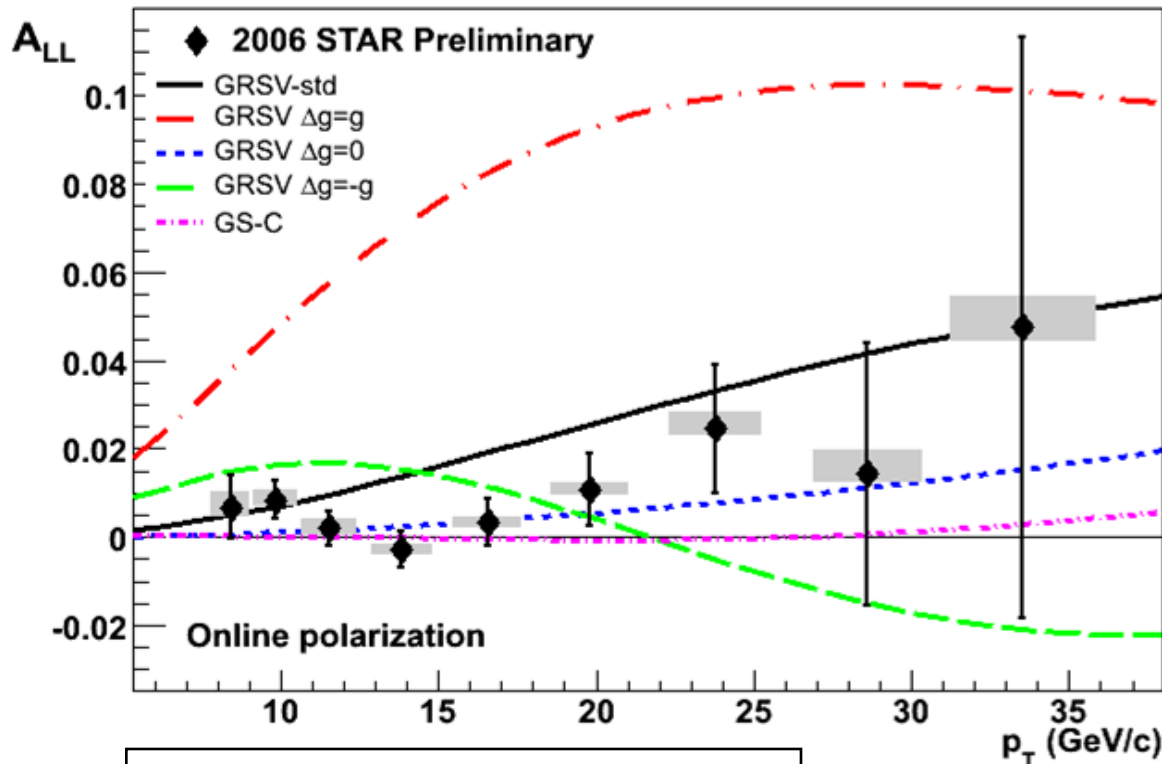
Phenix π^0 asymmetries



PHENIX



STAR incl. jet asymmetries



GRSV Models:

$\Delta G = G$:	$\Delta G(Q^2=1\text{GeV}^2) = 1.9$
$\Delta G = -G$:	$\Delta G(Q^2=1\text{GeV}^2) = -1.8$
$\Delta G = 0$:	$\Delta G(Q^2=1\text{GeV}^2) = 0.1$
$\Delta G = \text{std}$:	$\Delta G(Q^2=1\text{GeV}^2) = 0.4$

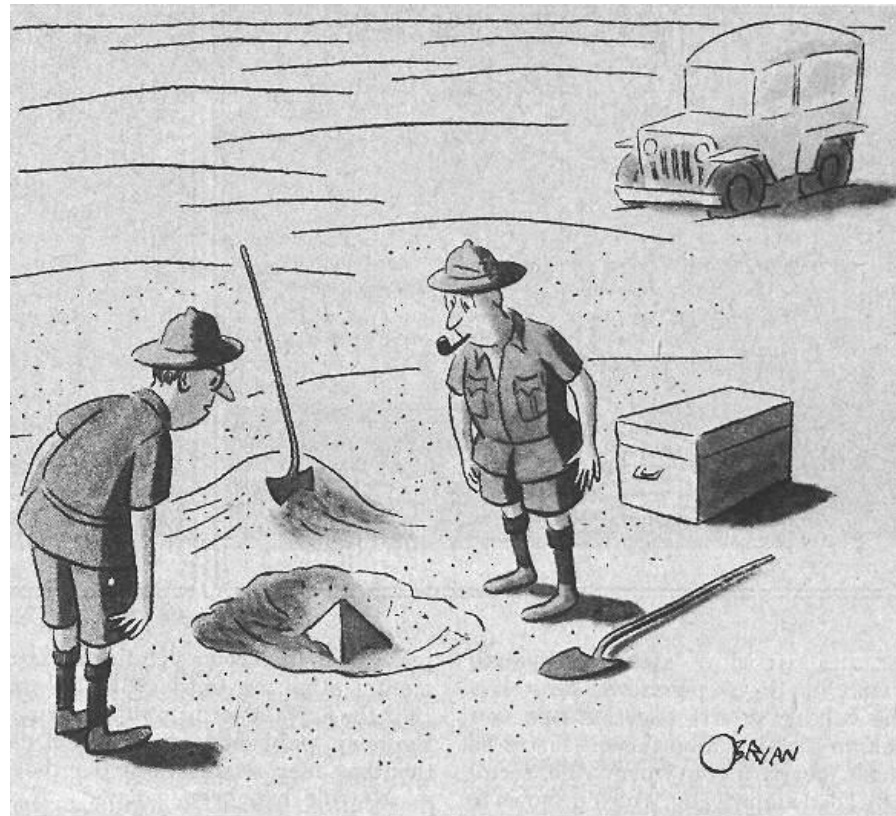
2-jet events will give information on the kinematics on the parton level event by event (x_g)

Remark

- More than two decades passed since the so-called spin-puzzle was discovered.
- Very fruitful investigations, both experimental and theoretical, led to a much deeper understanding.
- However, the spin structure of the nucleon and the role of orbital angular momentum remains to be understood.

- “You think you understand something...,
now add spin”

R. Jaffe



It seems, spin goes
pretty far down...

*“This could be the discovery of the century. Depending,
of course, on how far down it goes.”*