

# Open-Charm results on gluon polarisation from COMPASS

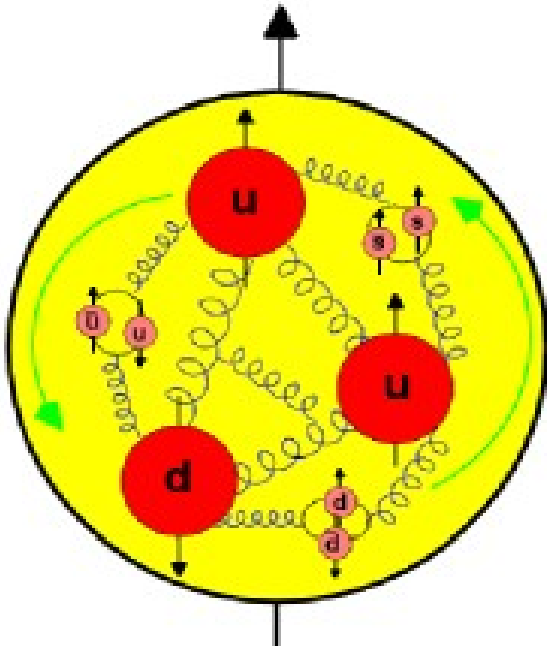
DIS 2009 - MADRID



**Celso Franco** (*LIP – Lisboa*)  
*on behalf of the COMPASS collaboration*

# Nucleon spin structure

- **Nucleon spin**  $\rightarrow$   $\frac{1}{2} = \frac{1}{2} \Delta\Sigma + \Delta G + L_q + L_g$   
quarks gluons orbital angular momentum (*quarks/gluons*)



- **Assuming the static quark model wave function:**

$$|p \uparrow\rangle = \frac{1}{\sqrt{18}} \left\{ 2|u \uparrow u \uparrow d \downarrow\rangle - |u \uparrow u \downarrow d \uparrow\rangle - |u \downarrow u \uparrow d \uparrow\rangle + (u \leftrightarrow d) \right\}$$

$$\Delta u = \langle p \uparrow | N_{u \uparrow} - N_{u \downarrow} | p \uparrow \rangle = \frac{3}{18} (10 - 2) = \frac{4}{3}$$

$$\Delta d = \langle p \uparrow | N_{d \uparrow} - N_{d \downarrow} | p \uparrow \rangle = \frac{3}{18} (2 - 4) = -\frac{1}{3}$$

- $\Delta\Sigma = \Delta u + \Delta d = 1$

$\Rightarrow$  Up and down quarks carry all the nucleon spin

# Spin crisis

- However, **applying relativistic corrections** (*and assuming SU(3) symmetry*):

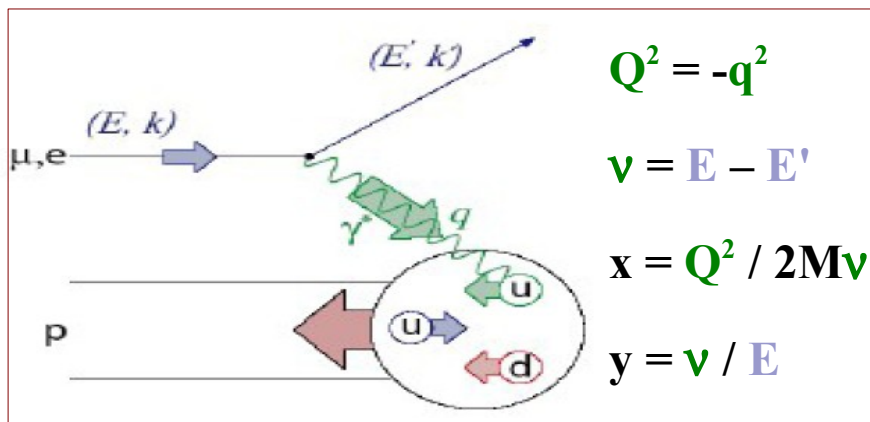
- $\Delta\Sigma \sim 0.60$

- **Where is the remaining part of the nucleon spin?** ( $\Delta G? L_{q(G)}?$ )

- Glucos solved the nucleon missing momentum problem:

- Will they be the solution too for this missing spin ?  $\Rightarrow$  **Measure  $\Delta G$**

- **Experimental  $\Delta\Sigma$**  (*from polarised DIS*):



Phys. Lett. B447, (2007) 8

$\Delta\Sigma = 0.30 \pm 0.01 \pm 0.02$  (*world data*)  
 @  $Q^2 = 3 (GeV/c)^2$

Much smaller than expected...



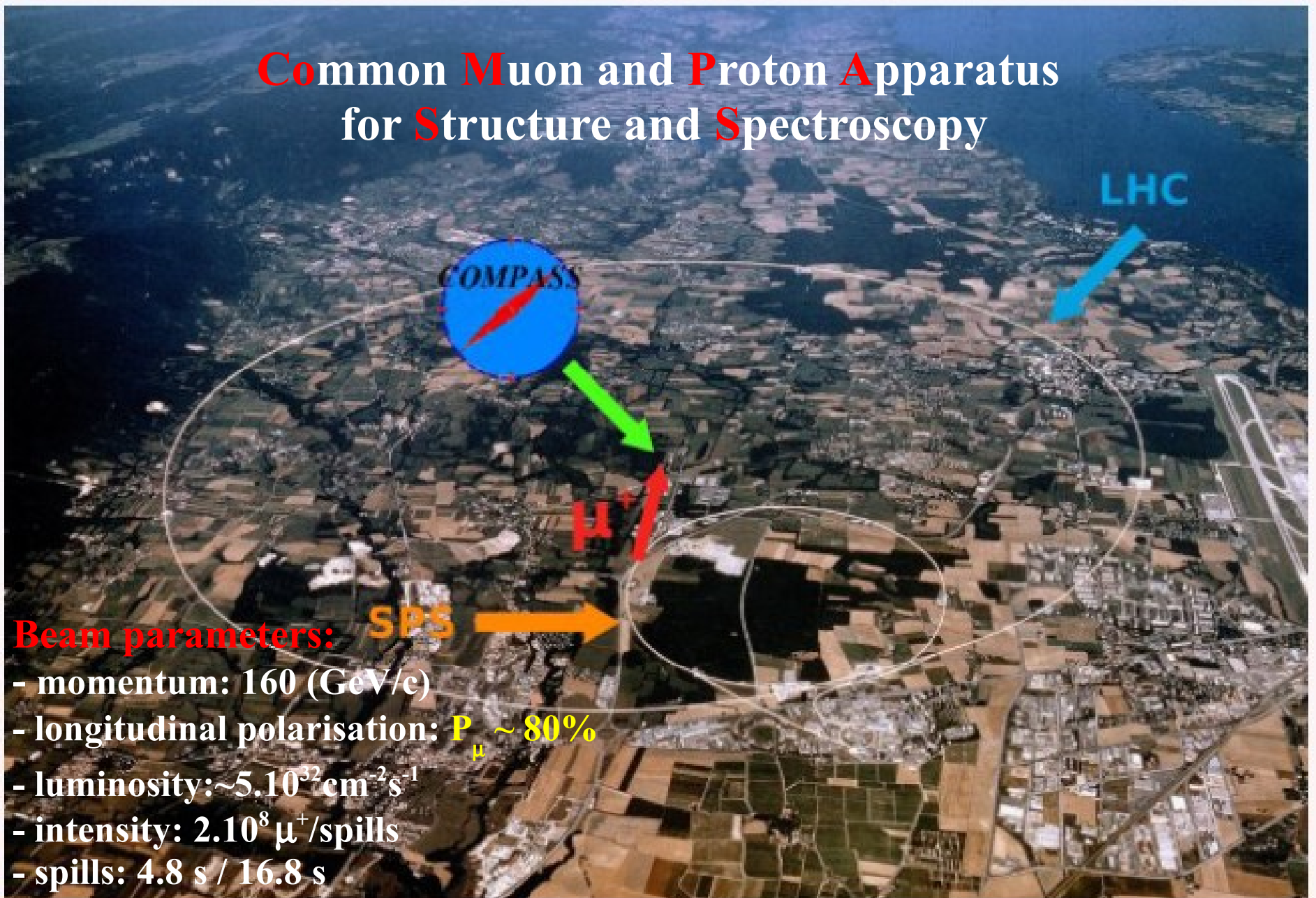
**SPIN CRISIS!!!**

- **Another reason for measuring the gluon spin contribution:**

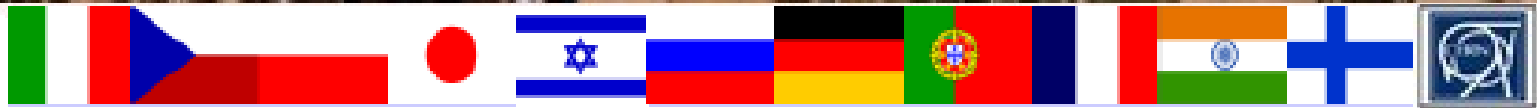
- Due to the gluon axial anomaly, if  $\Delta G$  is large ( $\sim 2.5$ ), it could explain why  $\Delta\Sigma$  was found so small

# The COMPASS experiment at CERN

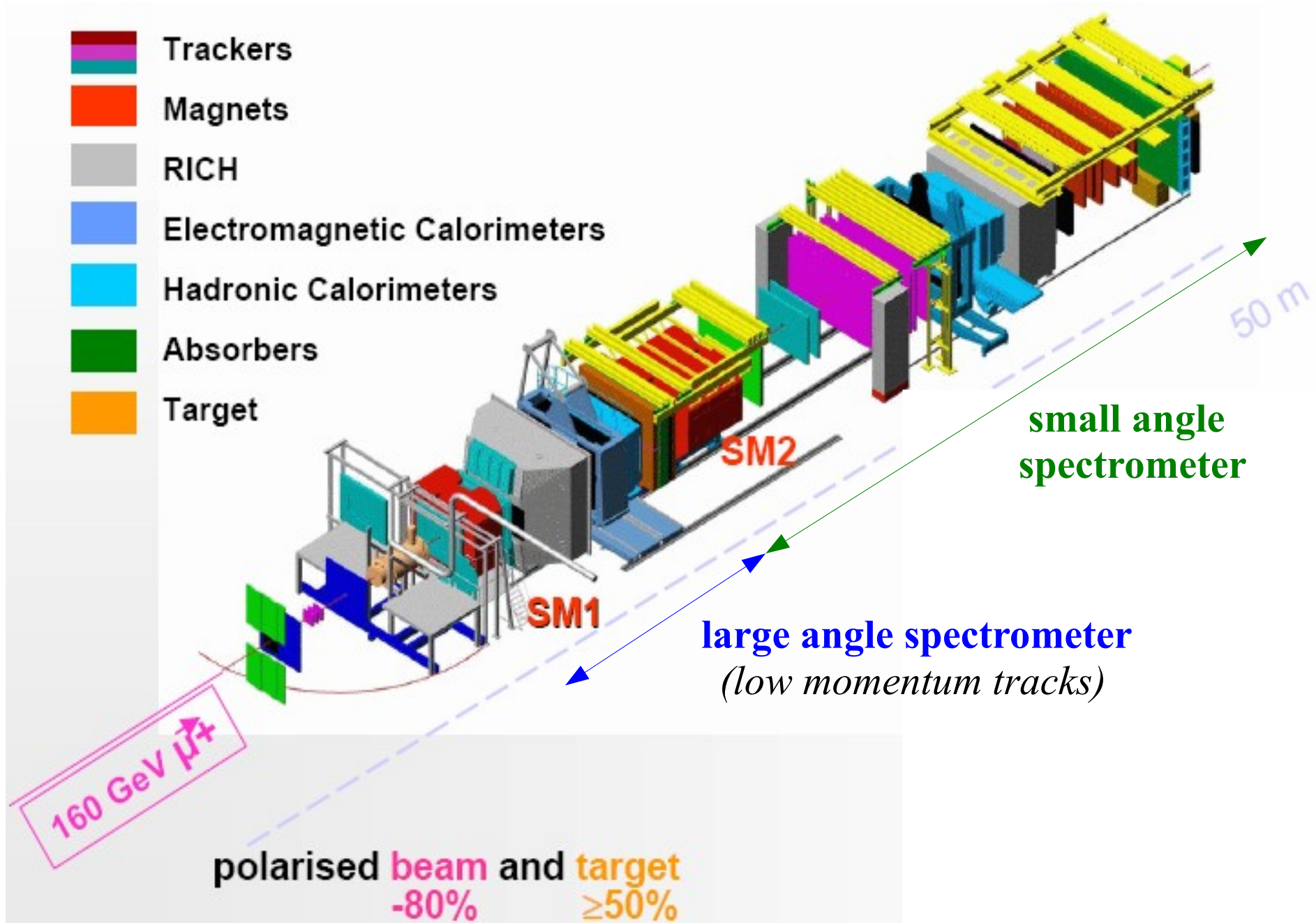
Common Muon and Proton Apparatus  
for Structure and Spectroscopy



- Beam parameters:**
- momentum: 160 (GeV/c)
  - longitudinal polarisation:  $P_{\mu} \sim 80\%$
  - luminosity:  $\sim 5 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$
  - intensity:  $2 \cdot 10^8 \mu^+ / \text{spills}$
  - spills: 4.8 s / 16.8 s

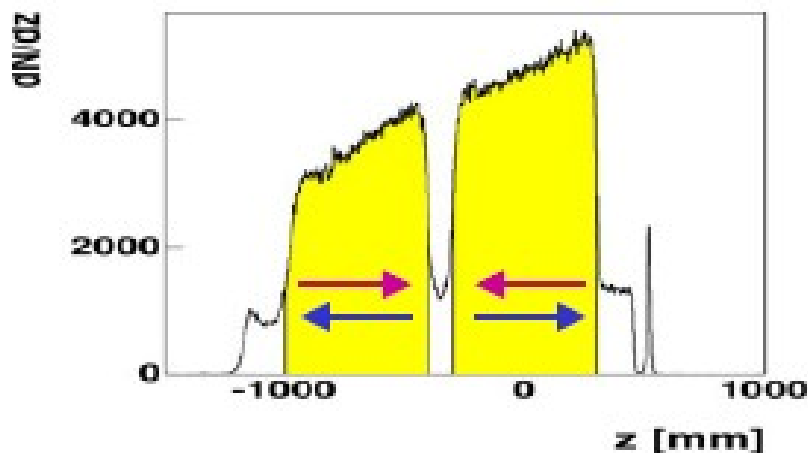
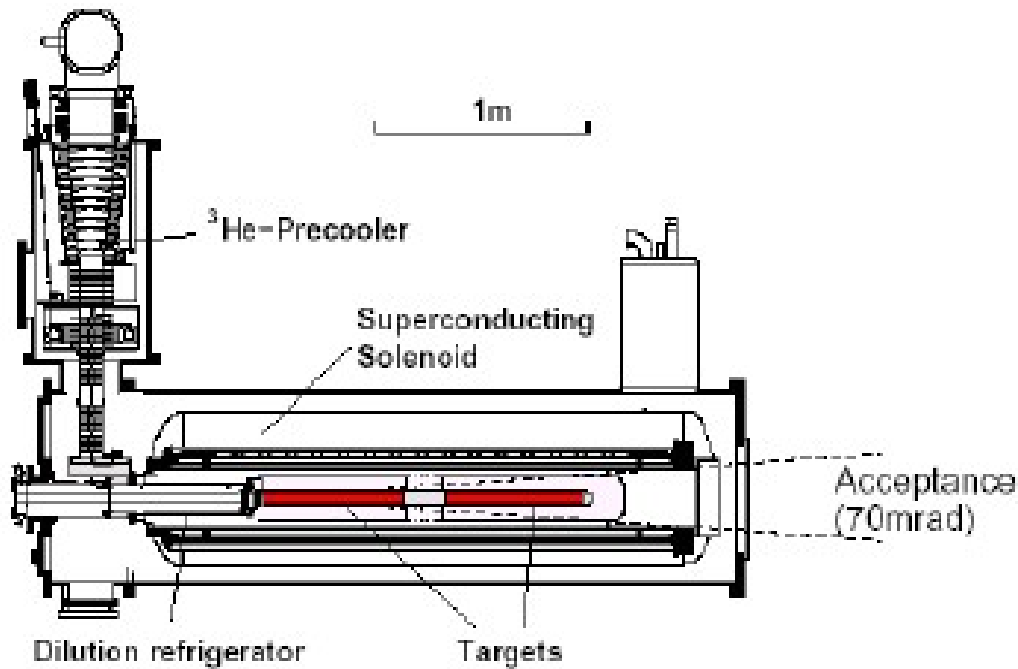


# The COMPASS spectrometer



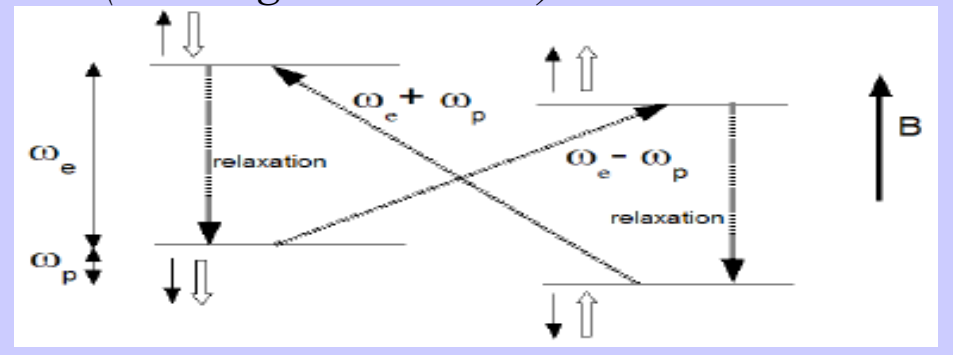
# Polarised target (2002-2004)

- Target material:  ${}^6\text{LiD}$
- Solenoid field: 2.5 T
- Dilution factor:  $f \sim 0.4$
- Polarisation:  $P_T > 50\%$
- ${}^3\text{He}/{}^4\text{He}$ :  $T_{\min} \sim 50 \text{ mK}$



## Dynamic nuclear polarisation:

- High electron polarisation (*high magnetic moment*)
- Microwave irradiation of material, for simultaneous flip of electron and nucleon spin
- After spin flip, electron relaxates to lower energy state
- Nucleon has long relaxation time (*low magnetic moment*)

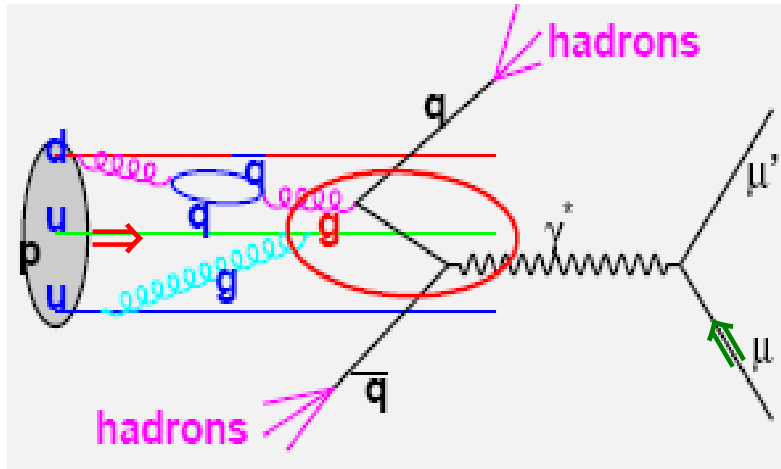


3 target cells were used in 2006!

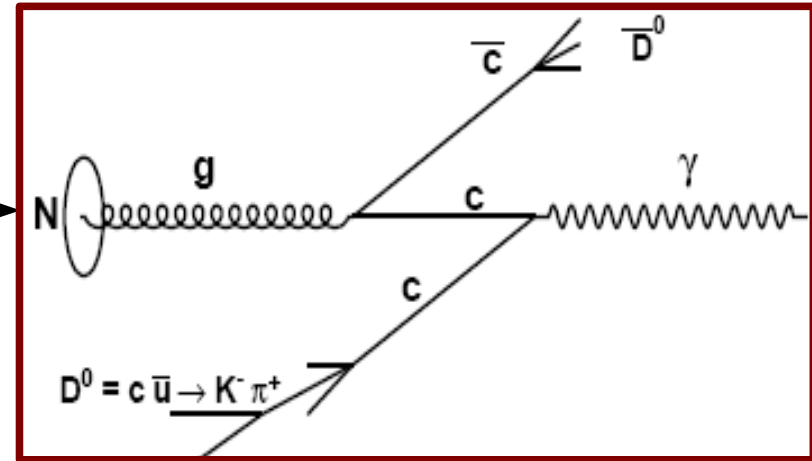
**Open-Charm DIS production**  
**The photon-gluon fusion process**  
***(PGF)***

# How to measure $\Delta G$ ?

- **Polarised collision in DIS** (*probing gluons through photon-gluon fusion*):



**tag  $\gamma^* g \rightarrow q\bar{q}$**   
**via Open-Charm production**



- **After reconstructing the invariant mass for charmed mesons** (*gluon tag*):
  - **Measure raw asymmetries for gluon spin information!**

$$A^{\text{exp}} = \frac{N^u - N^d}{N^u + N^d} = f \cdot P_\mu \cdot P_T \cdot A^{\mu, T} + A^{\text{bg}}$$

Number of events

Depolarization from lepton to virtual photon

$$A^{\mu, T} = D \cdot A_1 = D \cdot \frac{\sigma_{\gamma, T}^{\rightarrow\leftarrow} - \sigma_{\gamma, T}^{\rightarrow\rightarrow}}{\sigma_{\gamma, T}^{\rightarrow\leftarrow} + \sigma_{\gamma, T}^{\rightarrow\rightarrow}}$$

Photon-target asymmetry



**Why asymmetries for  $\Delta G$  ?**





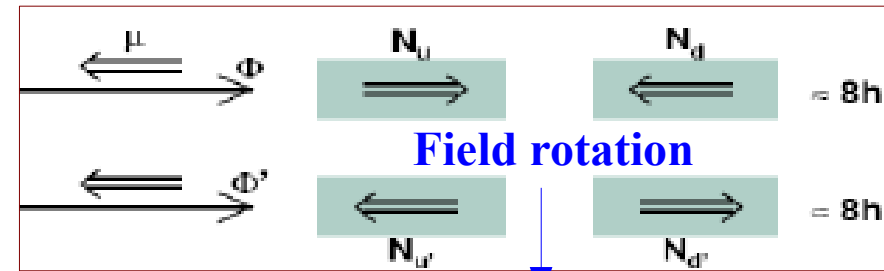
# Gluon polarisation from Open-Charm channel

- Using  $\rightarrow A_1^{\text{LO}} = \langle a_{LL} \rangle \langle \frac{\Delta G}{G} \rangle$  with  $a_{LL} = \frac{\Delta \sigma^{\text{PGF}}}{\sigma^{\text{PGF}}}$

Asymmetries are less sensitive to experimental changes than cross section differences

Considering  $A_B = 0$

$$\frac{\Delta G}{G} = \frac{1}{2P_T P_\mu f a_{LL} \frac{S}{S+B}} \times \left( \frac{N^u - N^d}{N^u + N^d} + \frac{N^{d'} - N^{u'}}{N^{u'} + N^{d'}} \right)$$



equal acceptance for both cells

$\omega$  = event weight

partonic asymmetry

signal strength of Open-Charm events

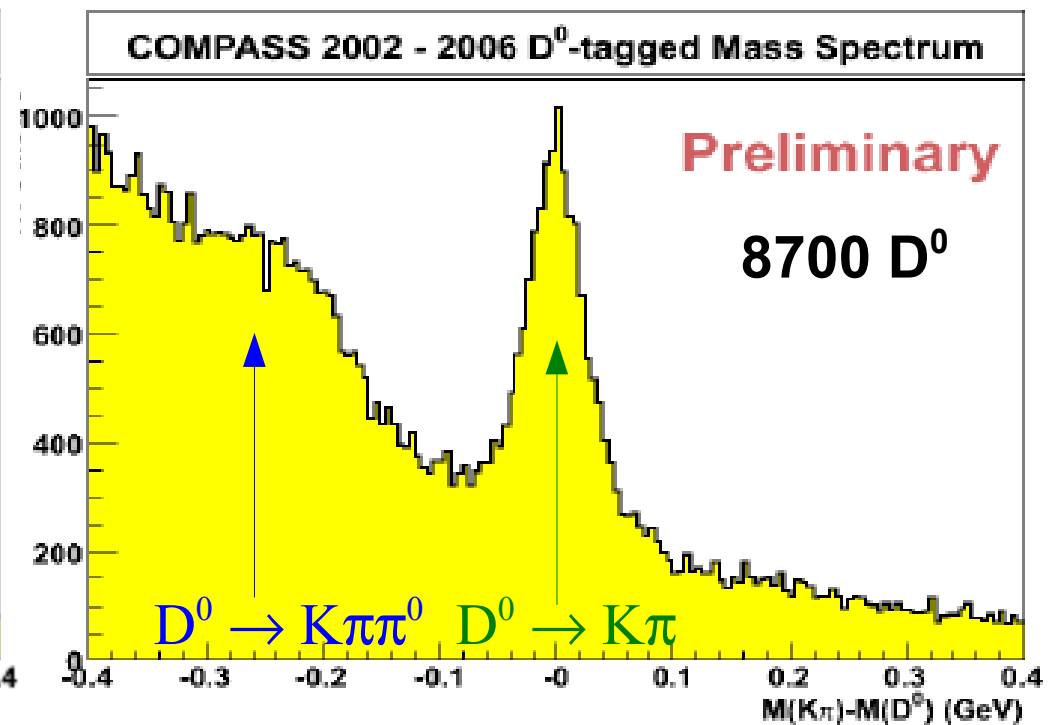
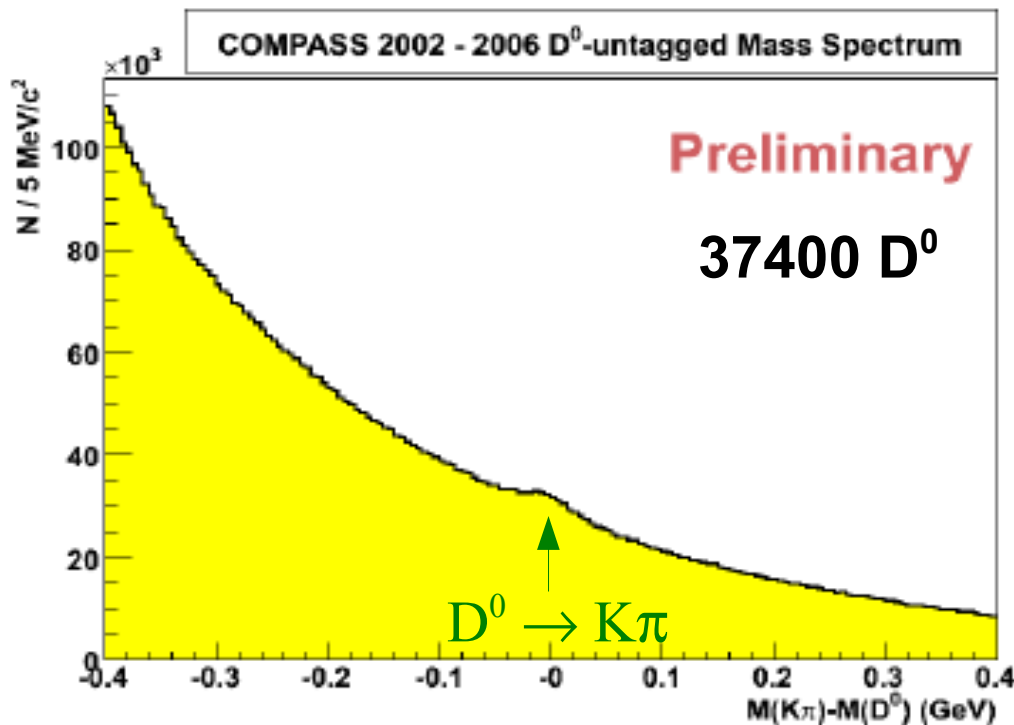
- Events with small factors  $(P_\mu \cdot P_T \cdot f \cdot a_{LL} \cdot S/(S+B))$  contain less information about the asymmetry:

- Weighting the events (*with  $\omega$* ) minimizes de statistical error !

$$\frac{\Delta G}{G} = \frac{1}{2P_T} \times \left( \frac{\omega_u - \omega_d}{\omega_u^2 + \omega_d^2} + \frac{\omega_{u'} - \omega_{d'}}{\omega_{u'}^2 + \omega_{d'}^2} \right) \text{ with a statistical gain: } \frac{\langle \omega^2 \rangle}{\langle \omega \rangle^2}$$

# Open-Charm mesons reconstruction

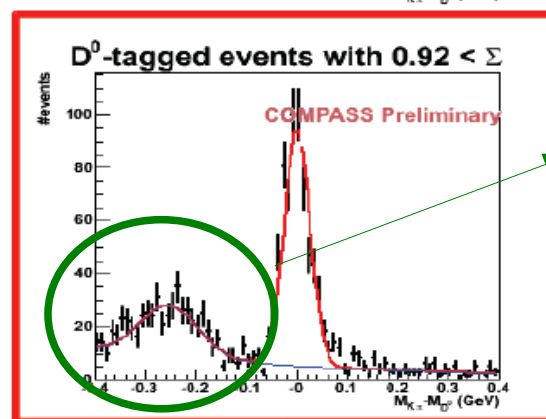
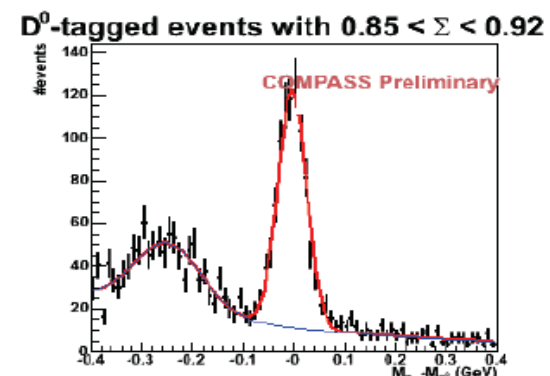
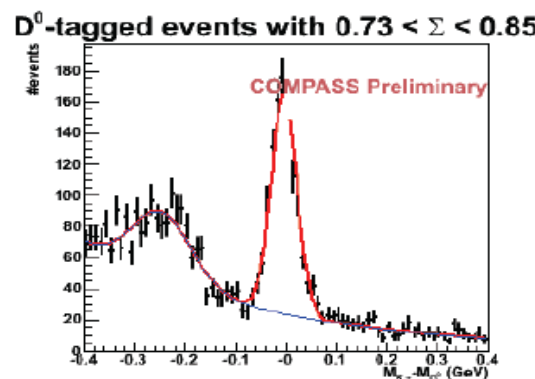
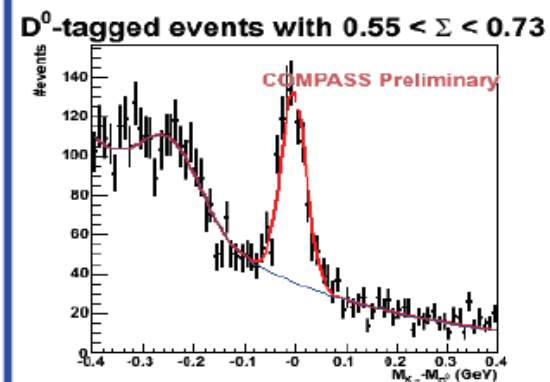
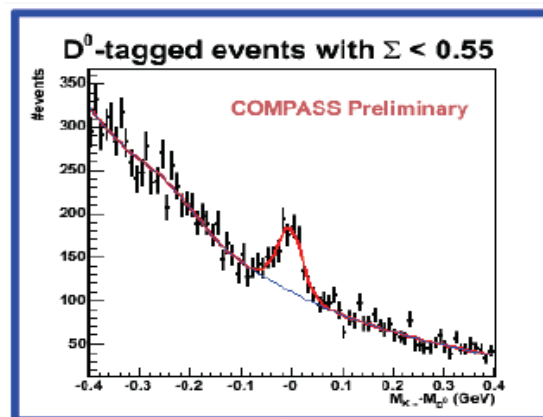
- **Events considered** (resulting from the  $c$  quarks fragmentation):
  - $D^0 \rightarrow K\pi$  (BR: 4%)
  - $D^* \rightarrow D^0\pi_s \rightarrow K\pi\pi_s$  (30%  $D^0$  tagged with  $D^*$ )
- **Selection to reduce the combinatorial background:**
  - Kinematical cuts:  $Z_D$ ,  $D^0$  decay angle, K and  $\pi$  momentum
  - **RICH identification**: K and  $\pi$  ID + electrons rejected from the  $\pi_s$  sample



# $\Sigma (=S/(S+B))$ as an Open-Charm event probability

Why is better to have  $S/(S+B)$  for every event?

- Events with small  $\Sigma \Rightarrow$  low weight
  - Mostly combinatorial background selected
- With  $\Sigma$  in the weight, the kinematical cuts can be loose:
  - More background events
  - Preserve signal events
- Events with large  $\Sigma \Rightarrow$  high weight
  - Mostly Open-Charm events selected



Possibility to include a new Open-Charm channel in the analysis for statistical error improvement

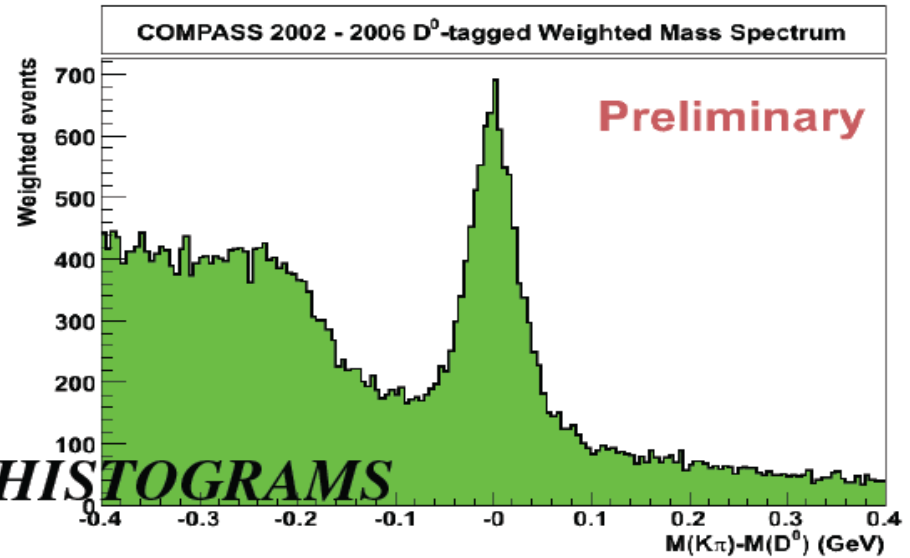
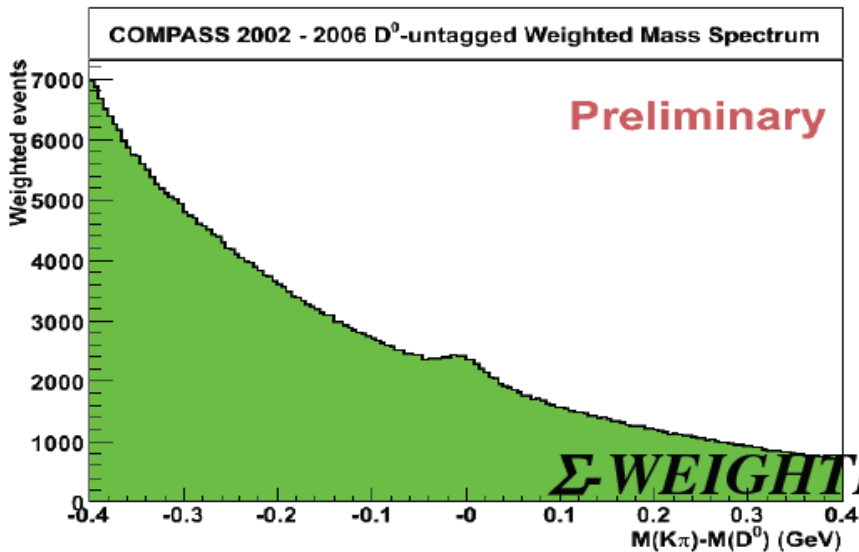
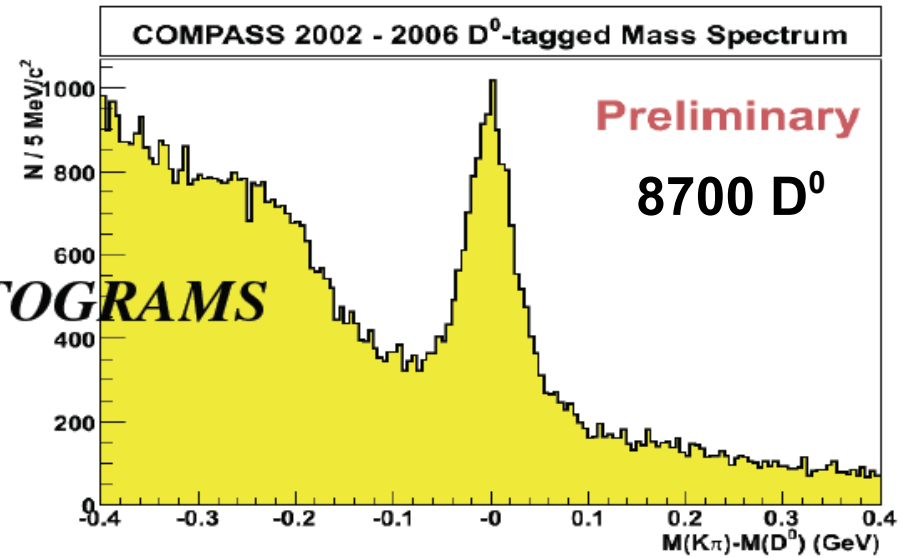
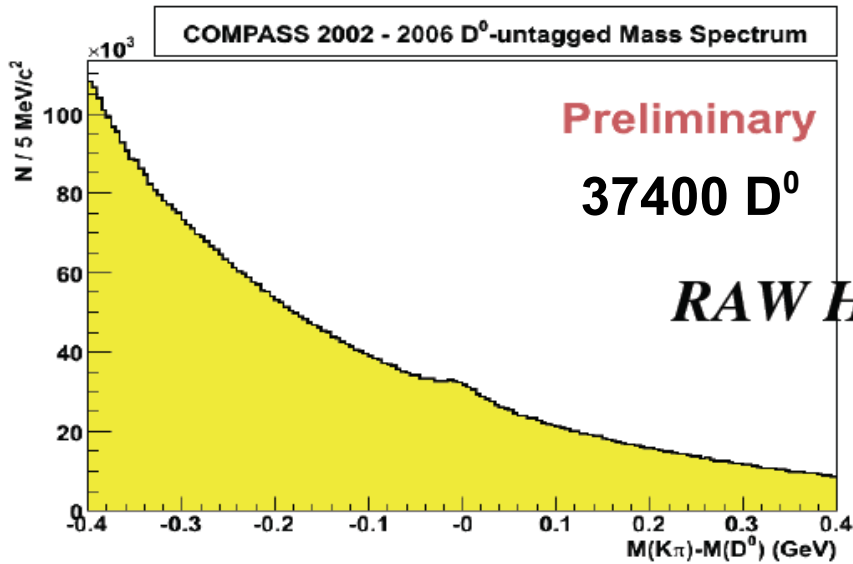
# How to parameterize $\Sigma$ ?

- A function to build  $\Sigma_p = S/B$  is defined, and parameterized for every event:
  - $\Sigma_p$  is built (*iteratively*) over some kinematic variables and RICH response:
    - $(\Sigma_p)_{\text{initial}} = 1$
    - Mass spectra is divided in bins of each variable (*binning needed for statistical gain*)
    - Fit all  $D^0$  and  $D^*$  mass spectra inside each bin of each variable
    - $\Sigma_p$  is adjusted (*for every event inside each bin*) to  $(S/B)_{\text{fit}}$
  - After convergence, parameterization is checked:
    - No artificial peak produced in wrong charge mass spectra
  - Mass dependence  $\Rightarrow$  Included in  $\Sigma$  after convergence of  $\Sigma_p$  (*in bins of  $\Sigma$* )

$$\Sigma = \Sigma_p / (\Sigma_p + 1) \text{ in the weight}$$

$\longrightarrow$  **probability for a given event to be Open-Charm**

# $\Sigma$ parameterization: S/B improvement

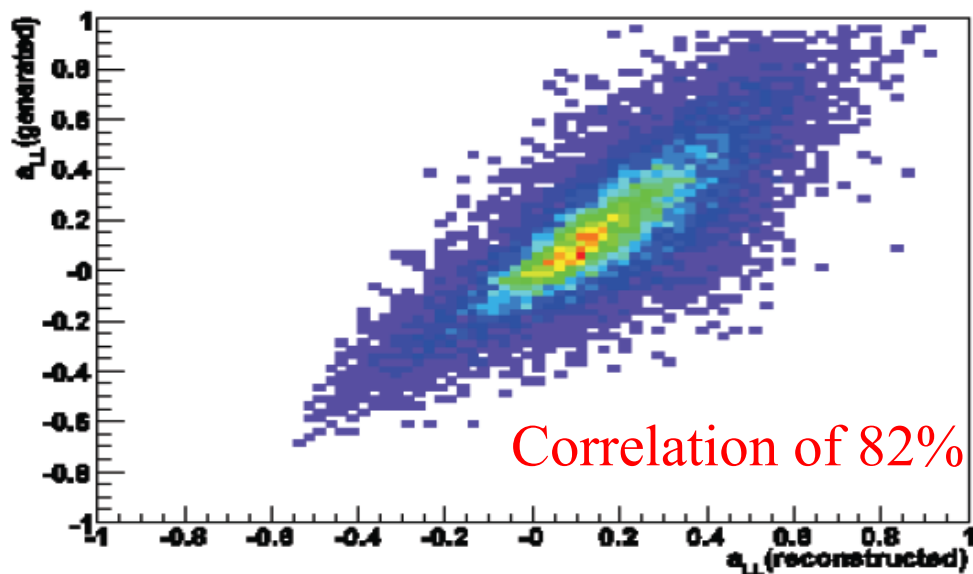


# Partonic (*muon-gluon*) asymmetry $a_{LL}$

- $a_{LL}$  is dependent on the full knowledge of the partonic kinematics:

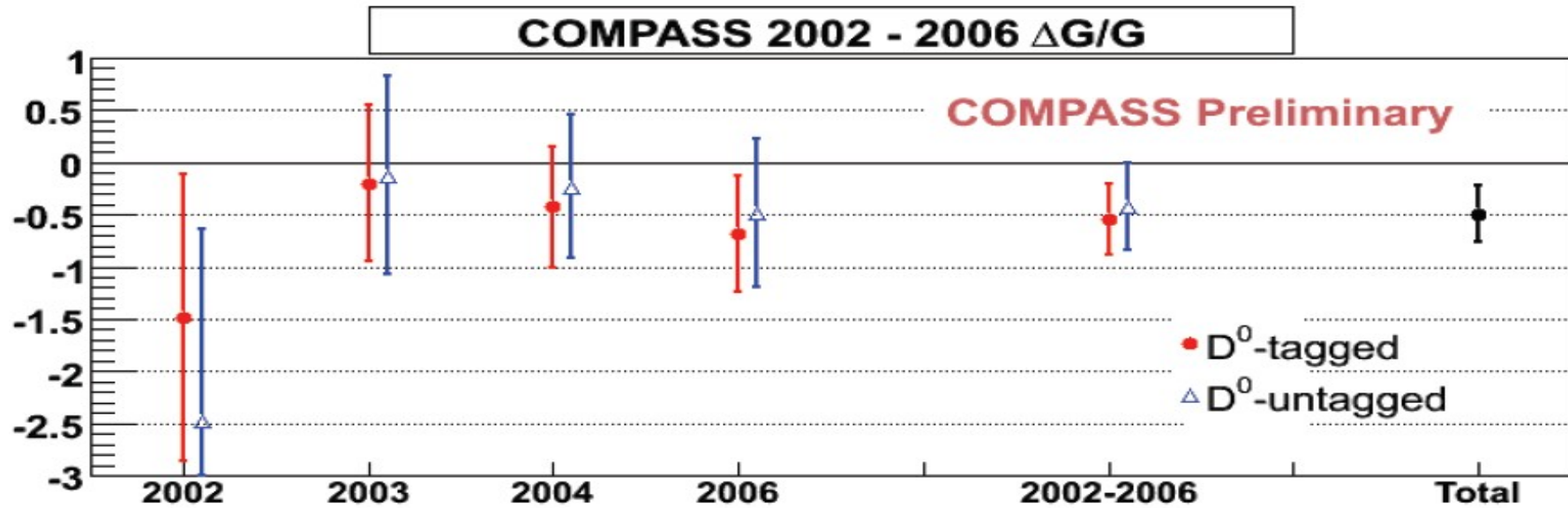
$$a_{LL} = \frac{\Delta \sigma^{PGF}}{\sigma_{PGF}} (y, Q^2, x_g, z_C, \phi)$$

- Can't be experimentally obtained!  $\Rightarrow$  Only one charmed meson is reconstructed
- $a_{LL}$  is obtained from Monte-Carlo (*in LO*), to serve as input for a Neural Network parameterization on reconstructed kinematical variables:  $y$ ,  $x_{Bj}$ ,  $Q^2$ ,  $z_D$  and  $p_{T,D}$
- With the help of **parameterised  $a_{LL}$  (*real data*)**,  $\Delta G/G$  can be estimated in LO!

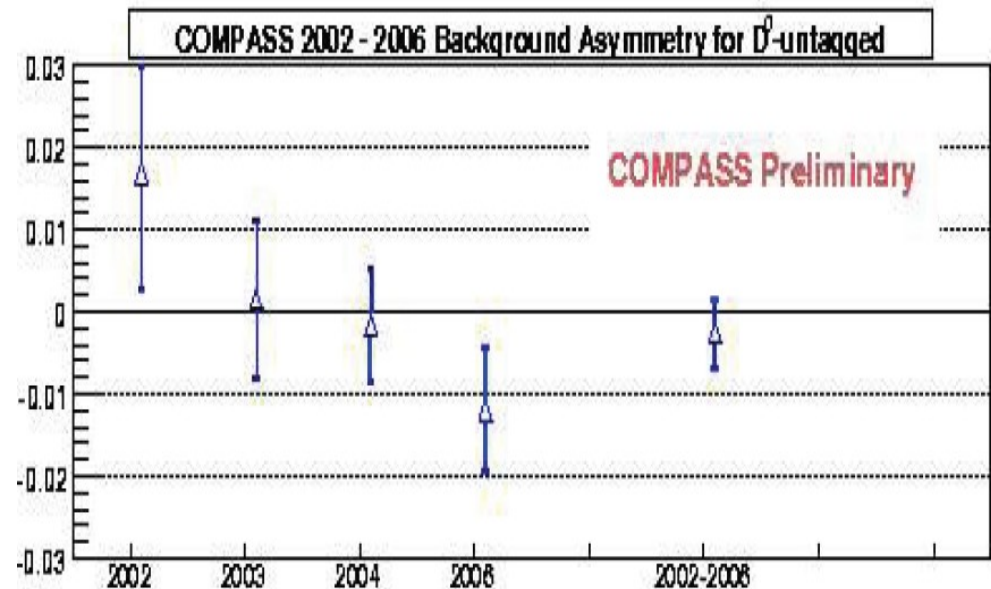
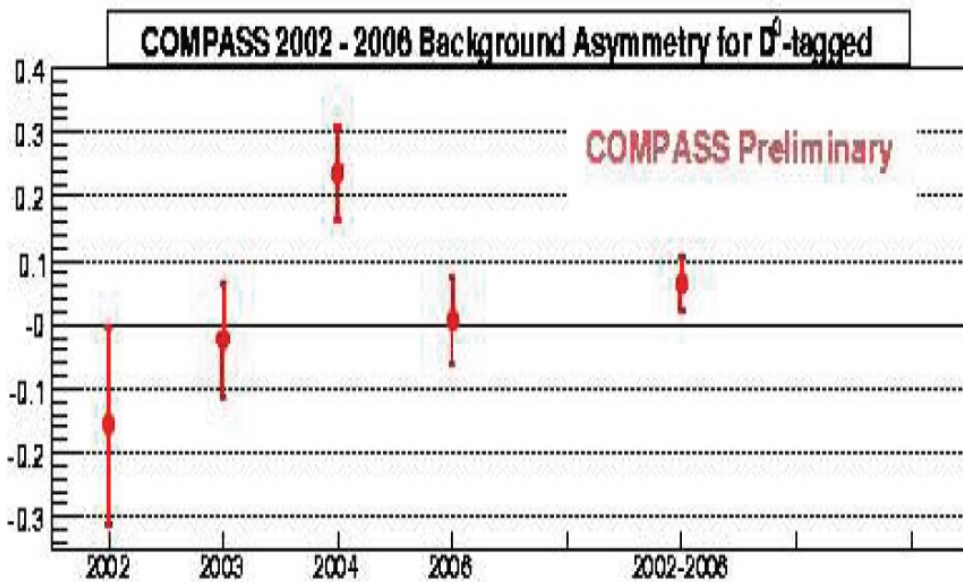


Parameterized  $a_{LL}$  (by NN), shows a strong correlation with the generated one (*comparison with generated  $a_{LL}$  using AROMA*)

# Preliminary results (2002-2006): PLB – in press



$$\frac{\Delta G}{G} = -0.49 \pm 0.27(stat) \pm 0.11(sys) \rightarrow @ \langle x_g \rangle = 0.11, \langle \mu^2 \rangle = 13 \text{ GeV}^2$$



# More contributions from the $D^*$ channel $\rightarrow$ NEW

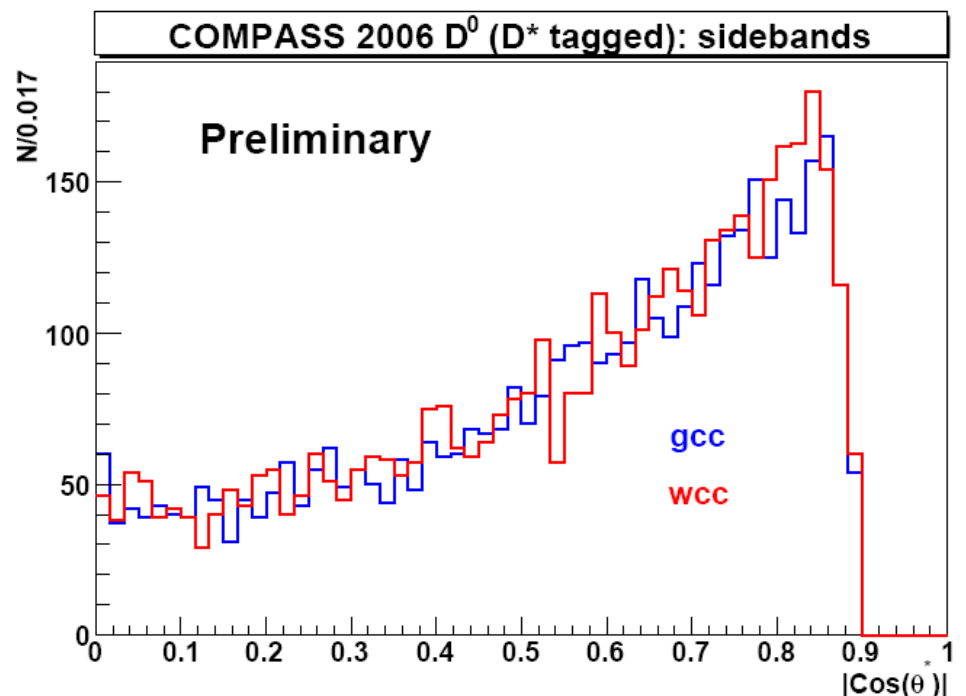
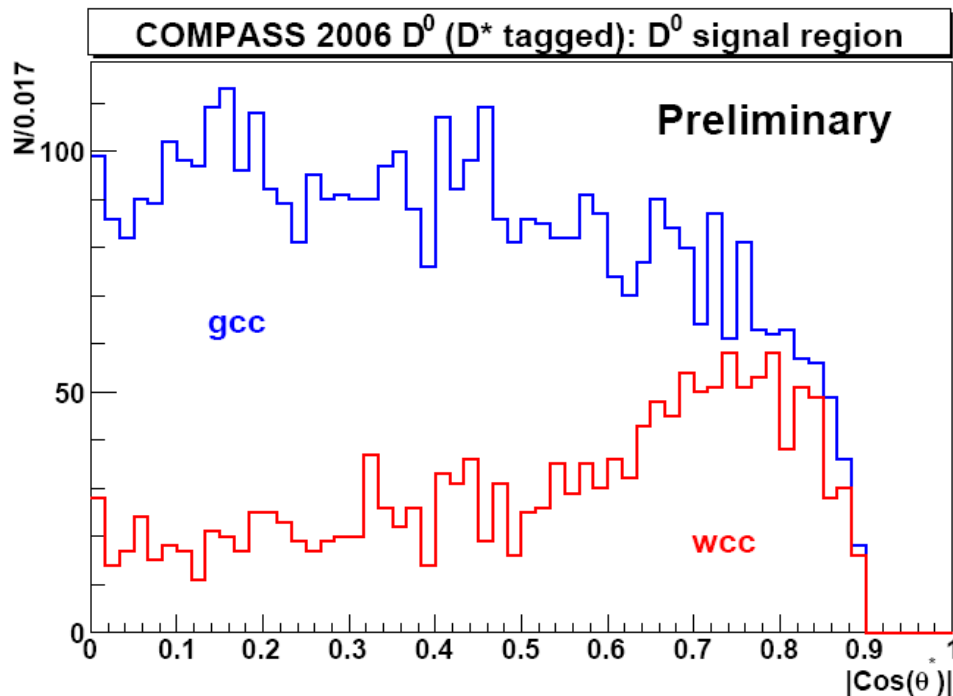
- **Because the channel is very clean from background contamination** (*due to a 3-body mass cut*), the following contributions can be added:
  - $\pi^0$  reflection “bump”:  $D^0 \rightarrow K\pi\pi^0$
  - **RICH sub-threshold Kaons events**: Candidates with  $p < 9$  GeV/c (*no RICH ID for Kaon mass*)  $\rightarrow$  Recover  $D^0$  if there is no positive pion or electron ID (*for the Kaon candidate*)
- **Signal strength parameterization** ( $\Sigma = S/(S+B)$ ):
  - **Problem:**
    - Low purity samples with low statistics  $\Rightarrow$  Very difficult to build  $\Sigma$  in several bins of several variables
  - **Solution:**
    - **Multi-dimensional parameterization using a Neural Network** (*all kinematic and RICH dependences are taken into account at same time*)



# Neural Network qualification of events

- **Two real data samples (with same cuts) are compared by the Neural Network (giving as input some kinematic variables as a learning vector):**
  - **Signal model**  $\rightarrow$  **gcc** =  $\mathbf{K}^+ \pi^- \pi_s^- + \mathbf{K}^- \pi^+ \pi_s^+$  ( $D^0$  spectrum: signal + bg.)
  - **Background model**  $\rightarrow$  **wcc** =  $\mathbf{K}^+ \pi^+ \pi_s^- + \mathbf{K}^- \pi^- \pi_s^+$  (no  $D^0$  is allowed)
- **If the background model is good enough: Net is able to distinguish the signal from the combinatorial background on a event by event basis (inside gcc)**

## Example of a good learning variable

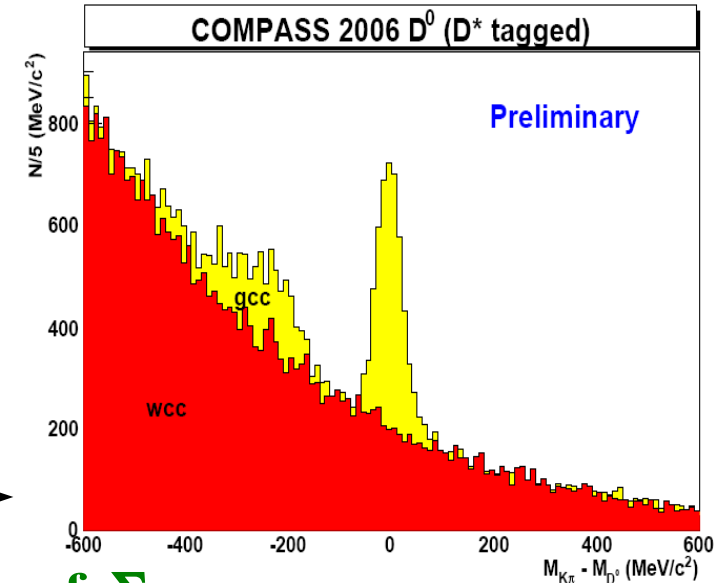


# $\pi^0$ reflection “bump”: Probability behaviour

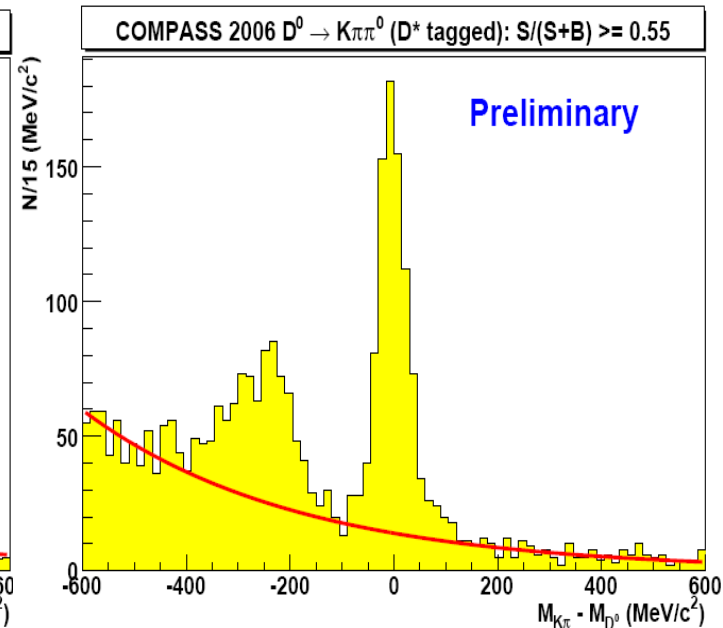
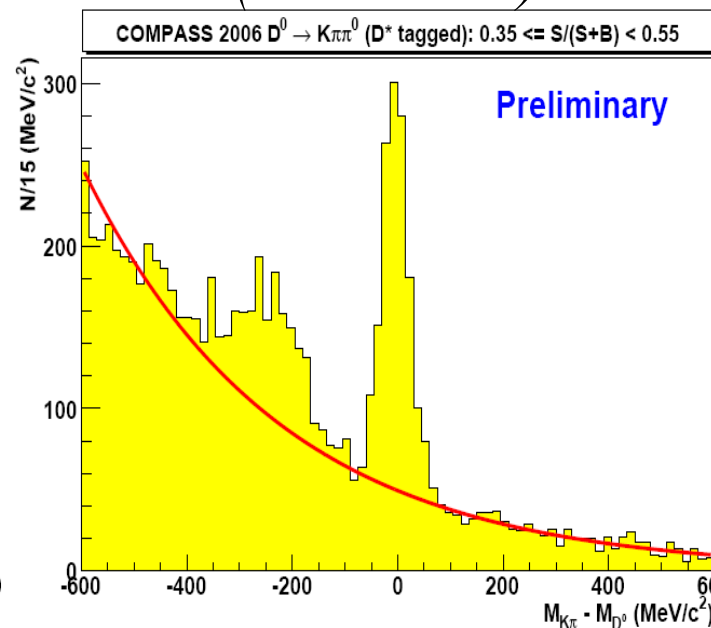
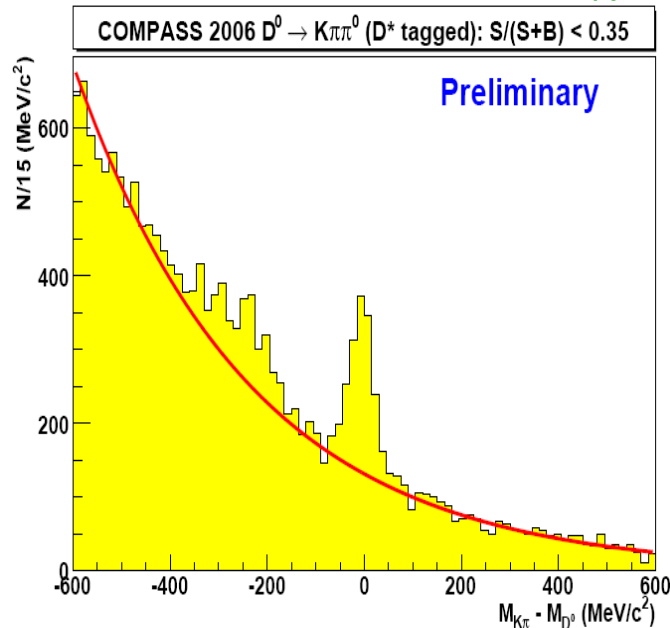
- $\Sigma$  is built in the same way as for main channels, **BUT**:

- Only 1 variable is used: Neural Network output

- Sorts the events according to similar kinematic dependences (*thus improving our statistical precision*)
- Results from 2 real data samples comparison, in a mass window around the meson mass

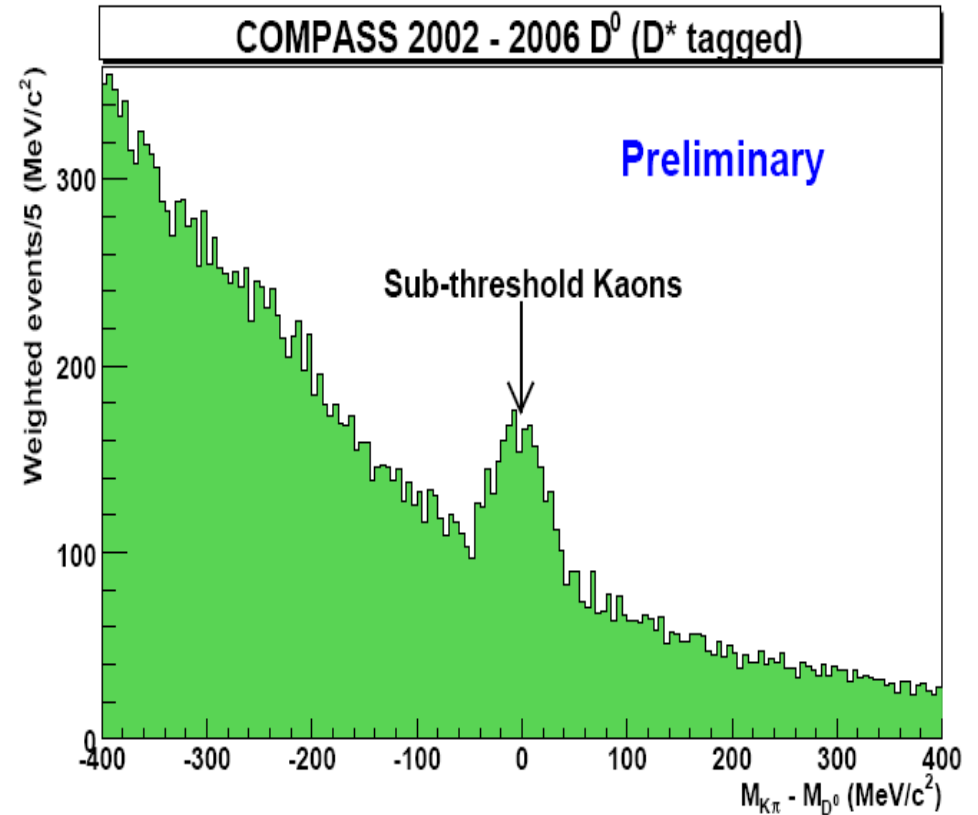
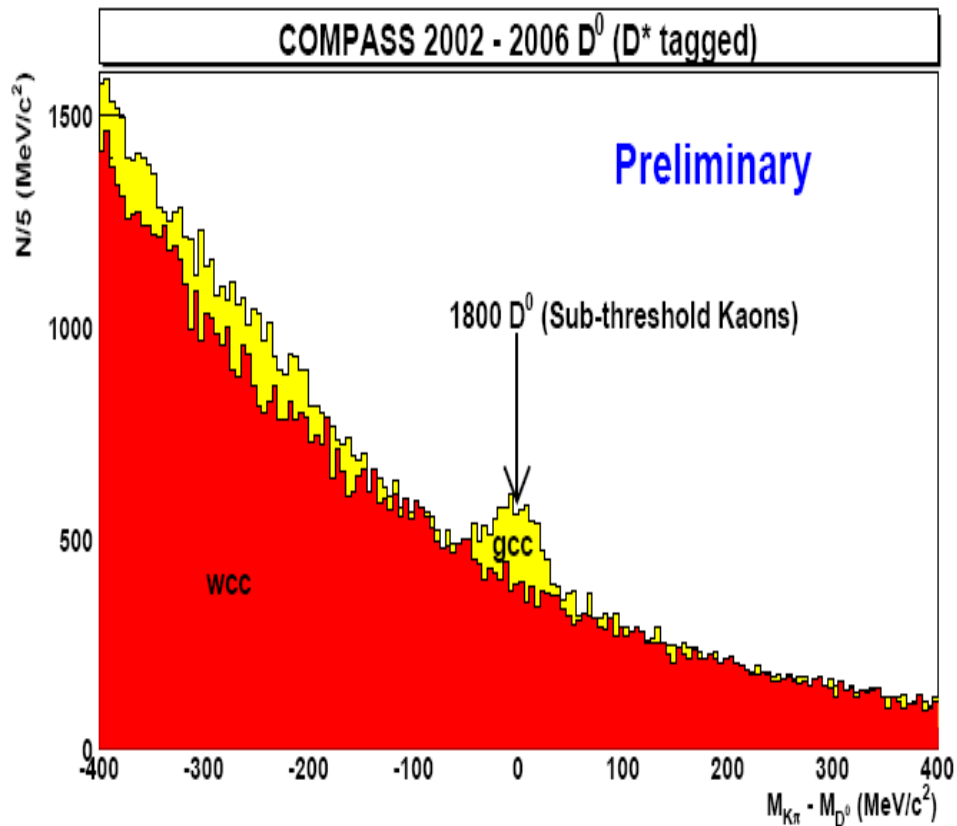


## $\pi^0$ reflection ( $D^0 \rightarrow K\pi\pi^0$ ) in bins of $\Sigma$



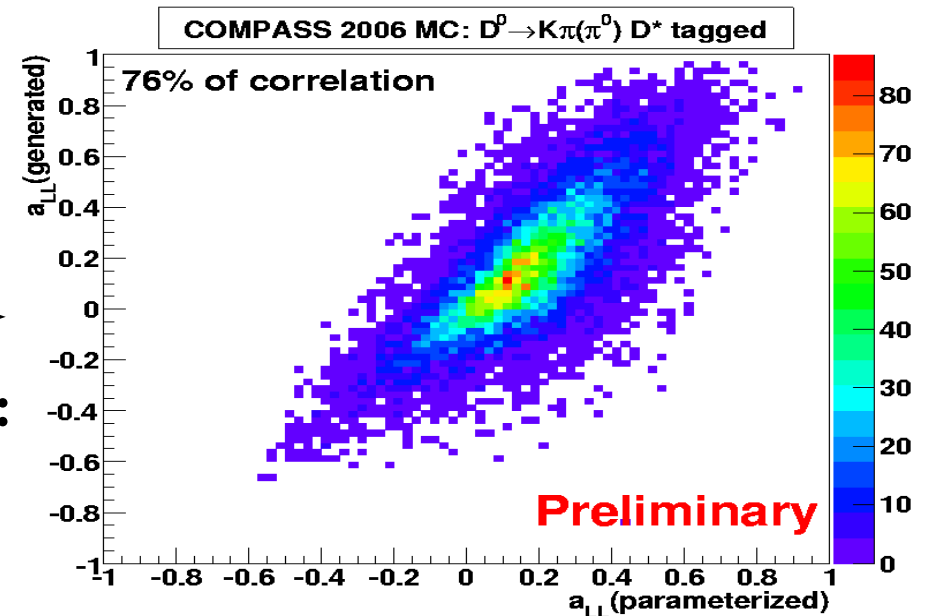
# Sub-threshold Kaons: S/B improvement

- **Events considered:**  $D^0 \rightarrow K\pi$  with  $p(K) < 9 \text{ GeV}/c$
- $\Sigma$  is built in the same way as for the  $\pi^0$  reflection channel:
  - The gain introduced by this parameterization can clearly be seen (*green spectrum*)



# Preliminary results including all channels

- For the  $\pi^0$  reflection channel, a specific parameterization for the partonic asymmetry ( $a_{LL}$ ) was used



- New channels contributions to  $\Delta G/G$ :

$\Delta G/G$ :  $-0.15 \pm 0.63$   
Bg. Asymmetry:  $0.02 \pm 0.03$

→ 2002–2006 data:  $\pi^0$  reflection “bump”

$\Delta G/G$ :  $0.57 \pm 1.02$   
Bg. Asymmetry:  $-0.04 \pm 0.05$

→ 2002–2006 data: **Sub-threshold Kaons**

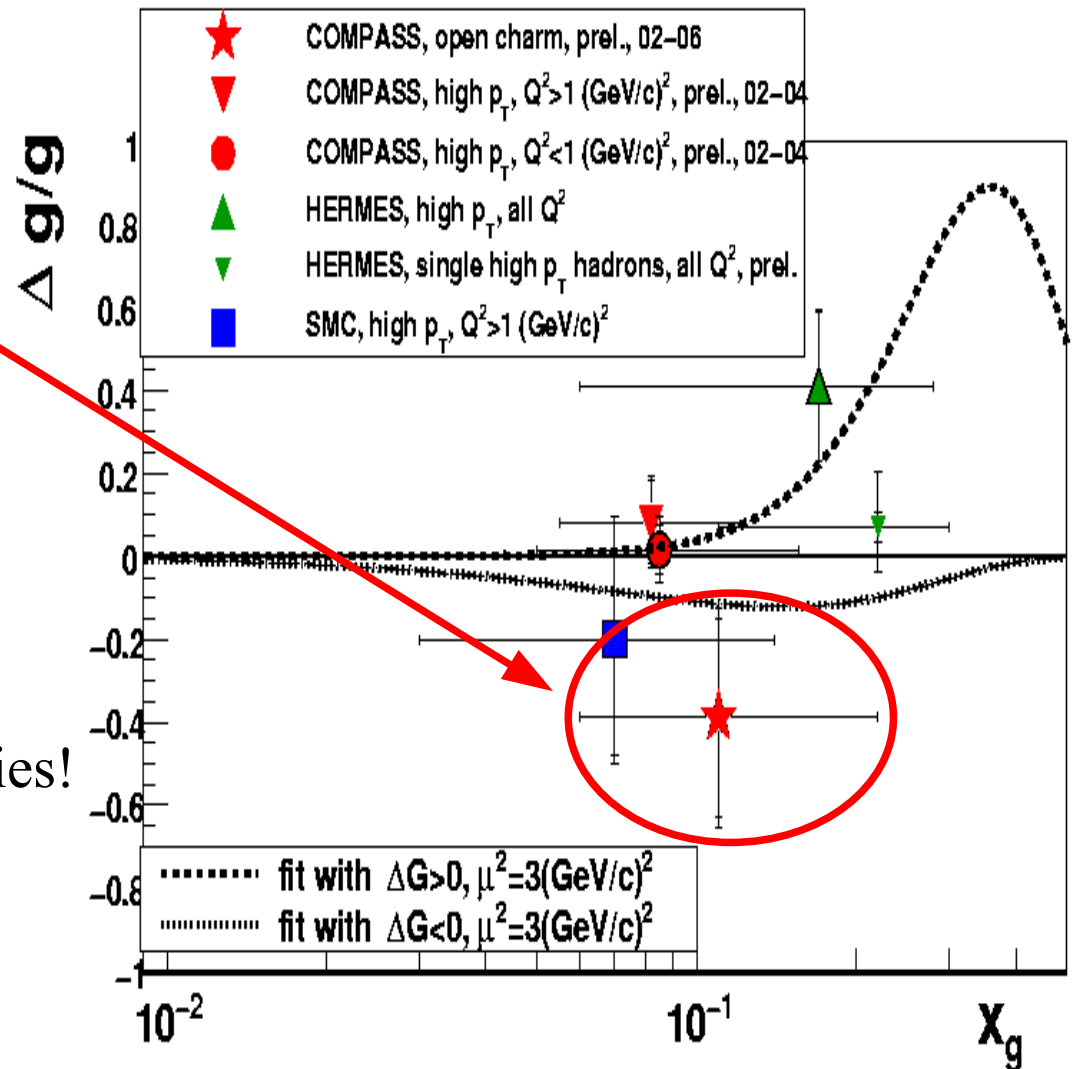
- Final result** (including also the main channels:  $D^0$  and  $D^0$  tagged with a  $D^*$ ):

$$\frac{\Delta G}{G} = -0.39 \pm 0.24(\text{stat}) \pm 0.11(\text{sys}) \rightarrow @ \langle x_g \rangle = 0.11, \langle \mu^2 \rangle = 13 \text{ GeV}^2$$

**10 % improvement in our statistical significance**

# Conclusions and prospects

- **Gluon polarisation was obtained directly from the data, in LO, and in a model independent way**
- **Small values of  $\Delta G$  are preferred:**
  - **Gluon polarisation compatible with zero within  $2\sigma$**
- **Under study:**
  - 2007 data
  - **Extended Neural Network approach to all channels, in a fit independent way:**
    - Low systematic uncertainties!
  - **NLO analysis is ongoing:**
    - First results expected soon



**SPARES**

# Why measure gluon spin from Open-Charm?

- $c\bar{c}$  production is dominated by the PGF process (*in LO*), and is free from physical background (*ideal for probing gluon polarisation*):

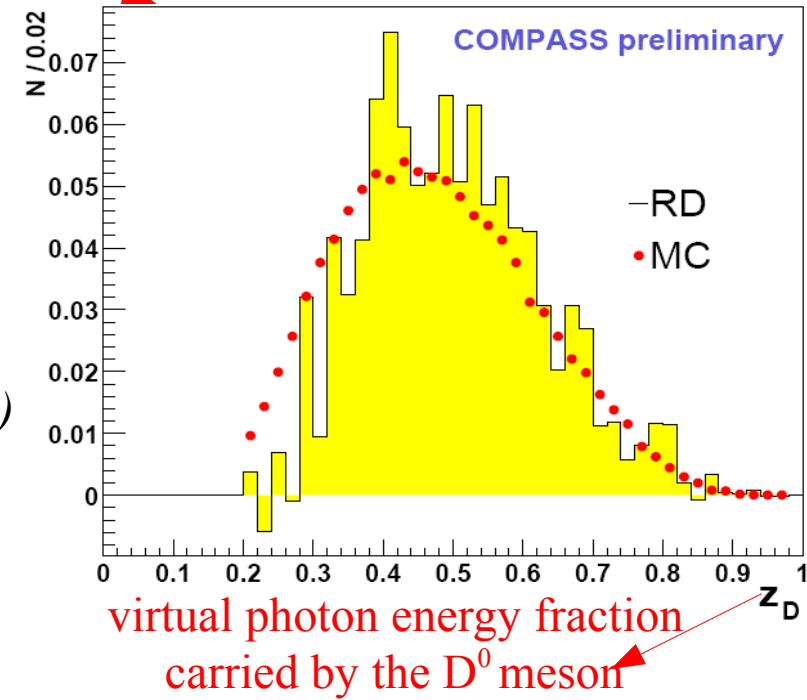
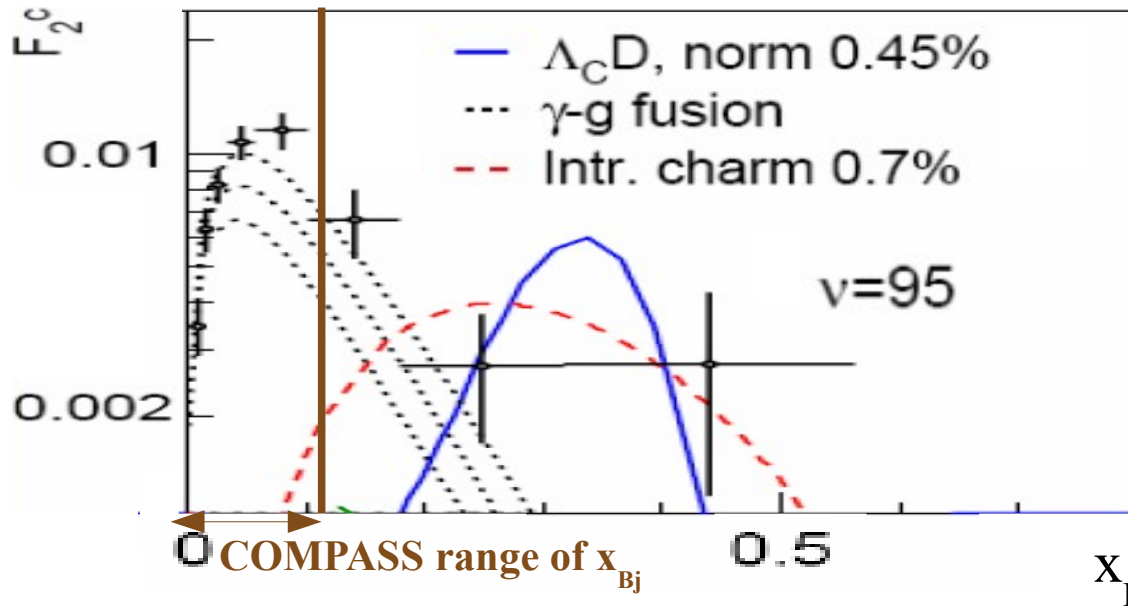
- In our center of mass energy, the contribution from intrinsic charm (*c quarks not coming from hard gluons*) in the nucleon is negligible

- Perturbative scale set by charm mass:  $4m_c^2$

- Nonperturbative sea models predict at most 0.7% for intrinsic charm contribution

- Expected at high  $x_{Bj}$  (*compass  $x_{Bj} < 0.1$* )

- $c\bar{c}$  suppressed during fragmentation (*at our energies*)



Ref. Hep-ph/0508126 and hep-ph/9508403  
 Phys. Lett. B93 (1980) 451  
 Data from EMC:Nucl.Phys.B213, 31(1983)

# Systematic errors: $D^0$ and $D^*$ channels

- Possible errors of experimental systematics (*false asymmetries*),  $\Sigma$  and  $a_{LL}$  in weights definitions:
  - Results in an error which is proportional to  $\Delta G/G$
- $\Sigma$  was obtained in different mass windows (*around the peak*), different fit functions were used, different order for the variables on which the parameterization is applied, and different number of iterations
- $a_{LL}$  was estimated with different values for the charm quark mass and different pdf
  - For a nominal analysis with weight  $w^0$ , and uncertainty in the weight  $w^i$ , the spread in  $\Delta G/G$  is given by the spread of:  $\langle w^0 w^i \rangle / \langle (w^0)^2 \rangle$

All systematic contributions  
for  $\Delta G/G$   $\longrightarrow$

Source	$D^0$	$D^*$
Beam polarisation	0.025	0.025
Target polarisation	0.025	0.025
Dilution factor	0.025	0.025
False asymmetry	0.05	0.05
$\Sigma$	0.07	0.01
$a_{LL}$	0.05	0.03
<b>Total</b>	<b>0.11</b>	0.07



# Method for $\Delta G/G$ and polarised $A_B$ extraction

- The number of events comes from the asymmetries in the following way:

$$N_{u,d} = a \phi n (S+B) \left( 1 + P_T P_\mu f \left( a_{LL} \frac{S}{S+B} \frac{\Delta G}{G} + a_{LL}^B \frac{B}{S+B} A_B \right) \right)$$

$a$  = acceptance,  $\phi$  = muon flux,  $n$  = number of target nucleons

- We have 4 cell configurations (2 cells oppositely polarised + field reversal for acceptance normalization):

- Weight the 4  $N_{u,d}$  equations by  $\omega_s$  and by  $\omega_B = P_\mu \cdot f \cdot D(y) \cdot (B/S+B)$ :

$$\langle \sum_{k=1}^{N_{\text{cell}}} \omega_i^k \rangle = \hat{a}_{\text{cell},i} \left( 1 + (\langle \beta_{\text{cell},S} \rangle \omega_i) A_S + (\langle \beta_{\text{cell},B} \rangle \omega_i) A_B \right) = f_{\text{cell},i}$$

(cell = u, d, u', d')

( $\Delta G/G$ )

(i = S, B)

$$\hat{a} = a \phi n \sigma = a \phi n (\sigma_{\text{PGF}} + \sigma_B) = a \phi n (S+B)$$

$$\beta_S = P_B P_T f a_{LL} \frac{S}{S+B} \quad \beta_B = P_B P_T f D \frac{B}{S+B}$$

**8 eq. with 10 unknowns**

# How to solve the equations for simultaneous $\Delta G/G$ and $A_B$ extraction?

- Possible acceptance changes with time are the same for both cells (*also the muon flux is the same for both cells*):

10  $\Rightarrow$  8 unknowns: 6  $\hat{a}$ ,  $A_S$  and  $A_B$

$$\frac{\hat{a}_{u,S} \hat{a}_{d',S}}{\hat{a}_{u',S} \hat{a}_{d,S}} = 1, \quad \frac{\hat{a}_{u,B} \hat{a}_{d',B}}{\hat{a}_{u',B} \hat{a}_{d,B}} = 1$$

- Signal and background events are affected in the same way before and after a field reversal:

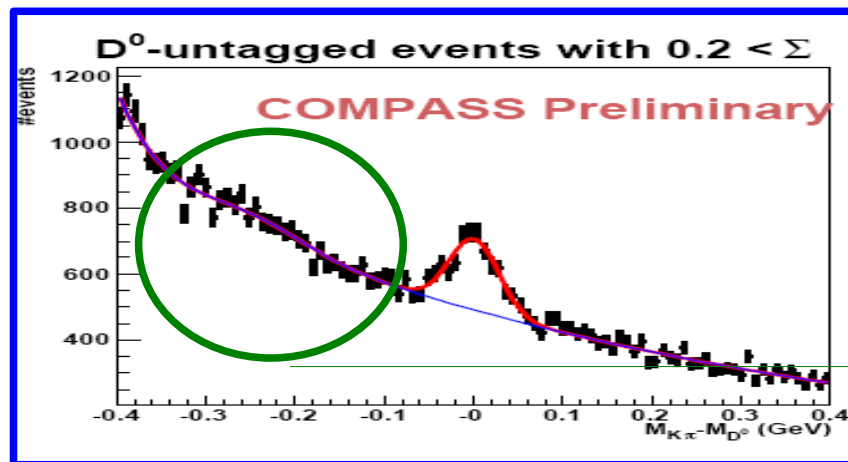
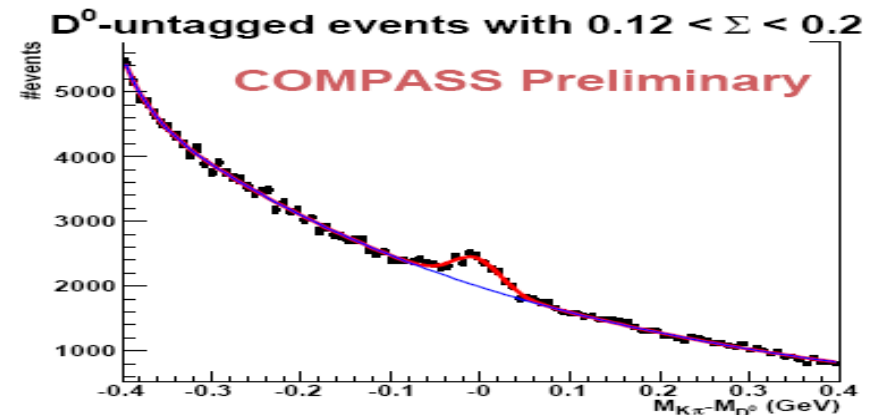
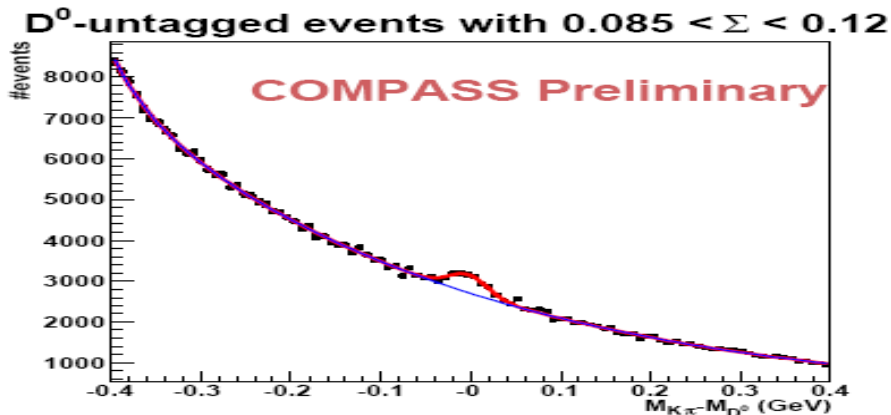
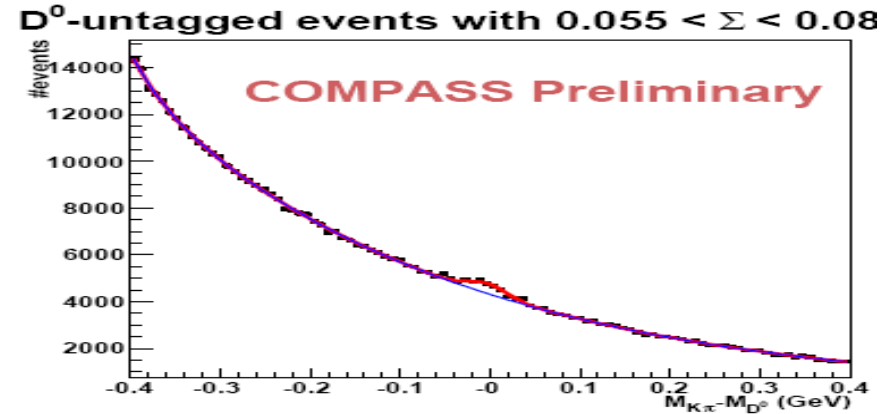
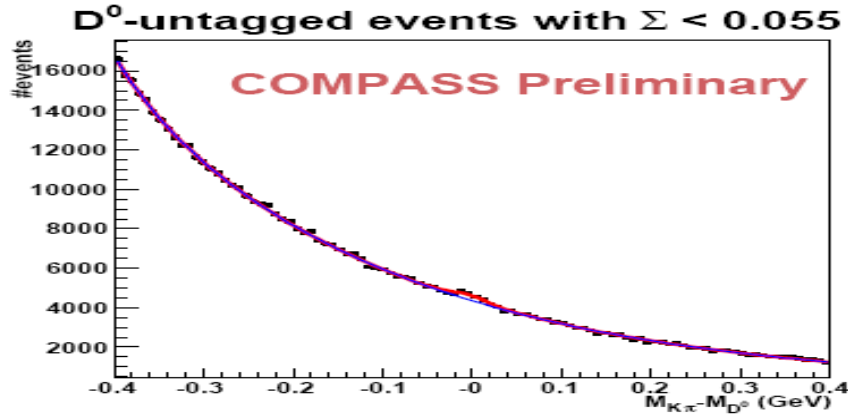
8  $\Rightarrow$  7 unknowns: 5  $\hat{a}$ ,  $A_S$  and  $A_B$

$$\frac{\hat{a}_{u,S}}{\hat{a}_{u,B}} = \frac{\hat{a}_{u',S}}{\hat{a}_{u',B}}, \quad \frac{\hat{a}_{d,S}}{\hat{a}_{d,B}} = \frac{\hat{a}_{d',S}}{\hat{a}_{d',B}}$$

- Unknowns are obtained by a  $\chi^2$  minimization:

$$\chi^2 = (\vec{N} - \vec{f})^T \text{Cov}^{-1} (\vec{N} - \vec{f})$$

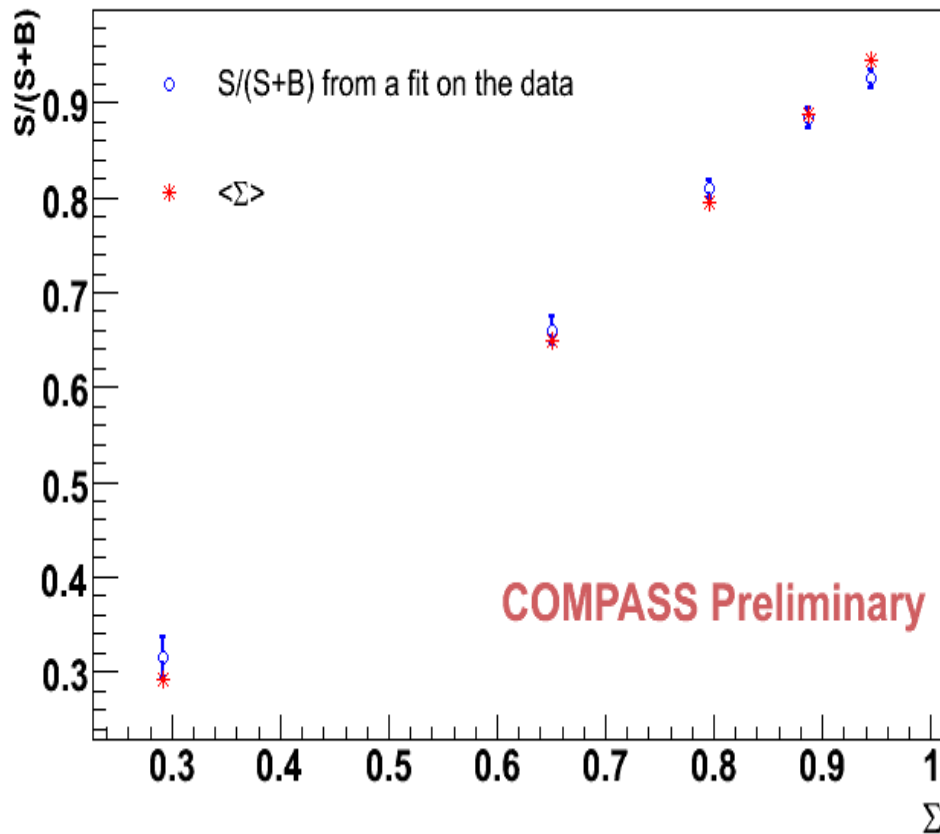
# $\Sigma (=S/(S+B))$ effect in $D^0$ mass spectra



- Improved S/B for  $D^0$  not tagged
  - For high  $\Sigma$  events, the combinatorial background is reduced significantly
  - $\pi^0$  reflection is seen for high  $\Sigma$

# Validation of parameterization (2006 example)

Data vs.  $\Sigma$ -Parameterization in  $\Sigma$  bins (2006  $D^0$ -tagged)



Data vs.  $\Sigma$ -Parameterization in weight bins (2006  $D^0$ -tagged)

