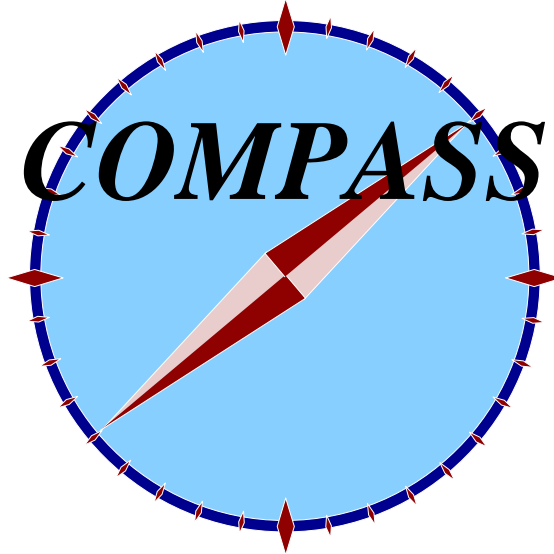


Generalized Parton Distributions

at COMPASS



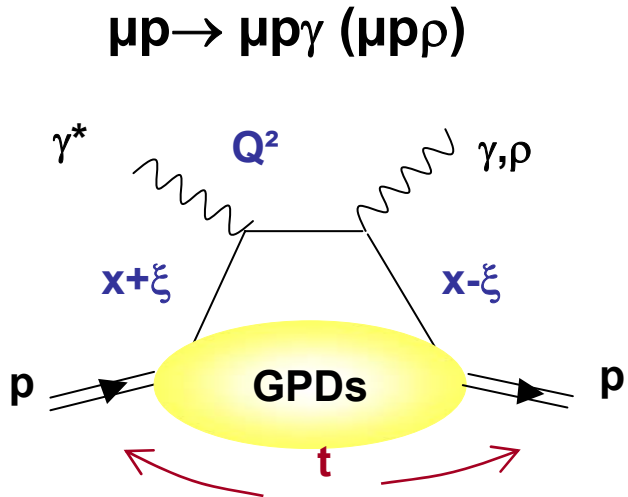
- *Prospects*
- *Experimental Setup
2010 - 2015*

F.-H. Heinsius (Ruhr-Universität Bochum)

on behalf of the COMPASS collaboration

DIS 2007, München, 18. April 2007

Generalized Parton Distributions: Coherent description of the nucleon



x : longitudinal quark momentum fraction $\neq x_{Bj}$
 2ξ : longitudinal momentum transfer: $\xi = x_{Bj}/(2-x_{Bj})$
 t : momentum transfer squared to the target nucleon (Fourier conjugate to the transverse impact parameter r)

$H, \tilde{H}, E, \tilde{E}(x, \xi, t)$

Elastic Form Factors

$\int H(x, \xi, t) dx = F(t)$

Ji's sum rule

$$2J_q = \int x(H^q + E^q)(x, \xi, 0) dx$$

$1/2 = 1/2 \Delta\Sigma + Lq + \Delta G + Lg$

"ordinary" parton density

$H(x, 0, 0) = q(x)$
 $\tilde{H}(x, 0, 0) = \Delta q(x)$

COMPASS: The QCD Facility to study GPDs



Timeline

- *now*: COMPASS with polarized target
 - Complete analysis of ρ production
 - Other channels: ϕ , 2π ...
 - GPD E/H investigation with the transverse polarized target
 - GPD E from Sivers
- 2010-2015: Generalized Parton Distributions
with recoil detector, calorimeter, liquid H_2 and D_2 target

Polarized beam: $E_\pi = 110$ GeV \rightarrow $E_\mu = 100$ GeV

$$P(\mu^+) = -0.8 \quad 2 \cdot 10^8/\text{spill}$$

$$P(\mu^-) = +0.8 \quad 2 \cdot 10^8/\text{spill}$$

Maximize
- muon flux
- interference \rightarrow

Advantage of $\vec{\mu}^+$ and $\vec{\mu}^-$ for DVCS (+BH)



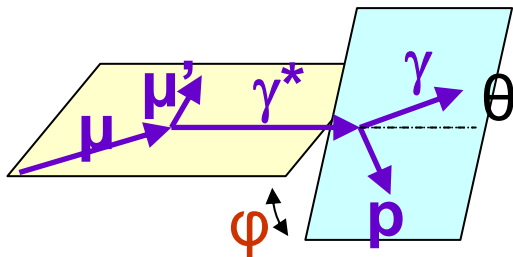
$$A_{(\mu p \rightarrow \mu p \gamma)}^{DVCS} = \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi + i\varepsilon} = \mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi} - i \pi H(x = \xi, \xi, t)$$

$t, \xi \sim x_{Bj}/2$ fixed

$$d\sigma_{(\mu p \rightarrow \mu p \gamma)} =$$

$$(d\sigma^{BH} + d\sigma^{DVCS}_{unpol}) + e_{\mu} a^{BH} \operatorname{Re} A^{DVCS} \quad \times \cos n\varphi$$

$$+ P_{\mu} d\sigma^{DVCS}_{pol} + e_{\mu} P_{\mu} a^{BH} \operatorname{Im} A^{DVCS} \quad \times \sin n\varphi$$



$$P_{\mu^+} = -0.8 \quad P_{\mu^-} = +0.8$$

Advantage of $\vec{\mu}^+$ and $\vec{\mu}^-$ for DVCS (+BH)



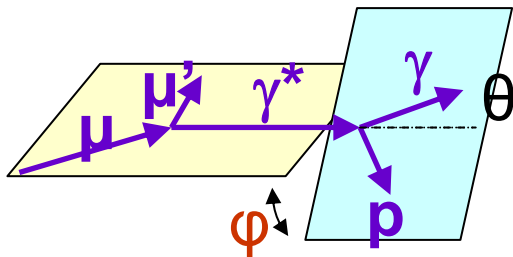
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$$+ P_{\mu} d\sigma^{DVCS}_{pol} + e_{\mu} P_{\mu} a^{BH} \text{Im } A^{DVCS} \quad \times \sin n\varphi$$



$$\sigma^{\vec{\mu}^+} + \sigma^{\vec{\mu}^-} \sim H(x = \xi, \xi, t)$$

$$P_{\mu^+} = -0.8 \quad P_{\mu^-} = +0.8$$

Advantage of $\vec{\mu}^+$ and $\vec{\mu}^-$ for DVCS (+BH)



$$A_{(\mu p \rightarrow \mu p \gamma)}^{DVCS} = \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi + i\varepsilon} = \mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi} - i \pi H(x = \xi, \xi, t)$$

$t, \xi \sim x_{Bj}/2$ fixed

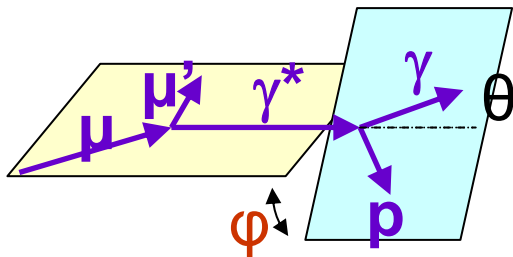
$$d\sigma_{(\mu p \rightarrow \mu p \gamma)} =$$

$$(d\sigma^{BH} + d\sigma_{unpol}^{DVCS}) + e_{\mu} a^{BH} \operatorname{Re} A^{DVCS}$$

$\times \cos n\varphi$

$$+ P_{\mu} d\sigma_{pol}^{DVCS} + e_{\mu} P_{\mu} a^{BH} \operatorname{Im} A^{DVCS}$$

$\times \sin n\varphi$



$$P_{\mu^+} = -0.8 \quad P_{\mu^-} = +0.8$$

$$\sigma^{\vec{\mu}^+} - \sigma^{\vec{\mu}^-} \sim \mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi}$$

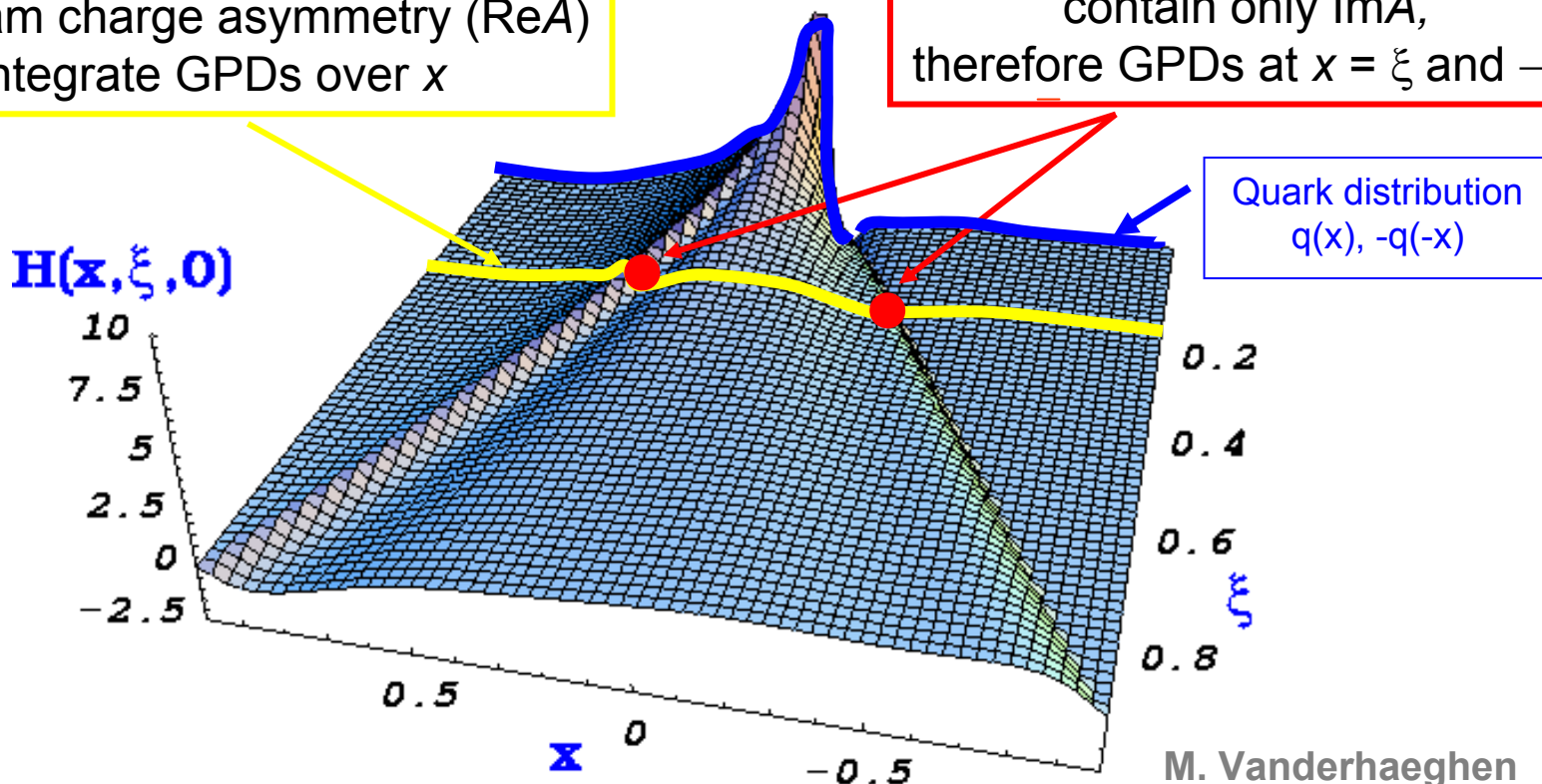
DVCS and Models of GPDs



$$A_{(\mu p \rightarrow \mu p \gamma)}^{DVCS} = \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi + i\varepsilon} = \mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi} - i \pi H(x = \xi, \xi, t)$$

Cross-section measurement and beam charge asymmetry ($\text{Re}A$) integrate GPDs over x

Beam or target spin asymmetry contain only $\text{Im}A$, therefore GPDs at $x = \xi$ and $-\xi$





Simulations with 2 Model Variations

Double Distribution Parametrizations of GPDs
(Vanderhaeghen, Guichon, Guidal)

Model 1: $H(x, \xi, t) \sim q(x) F(t)$

Vanderhaeghen *et al.*, PRD60 (1999) 094017

Model 2: includes correlation between x and t
considers fast partons in the small valence core
and slow partons at larger distance (wider meson cloud)

$$H(x, 0, t) = q(x) e^{-t \langle b_{\perp}^2 \rangle} = q(x) / x^{\alpha' t} \quad (\alpha' \text{ slope of Regge traject.})$$

$$\langle b_{\perp}^2 \rangle = \alpha' \ln 1/x \quad \text{transverse extension of partons in hadronic collisions}$$

This ansatz reproduces the

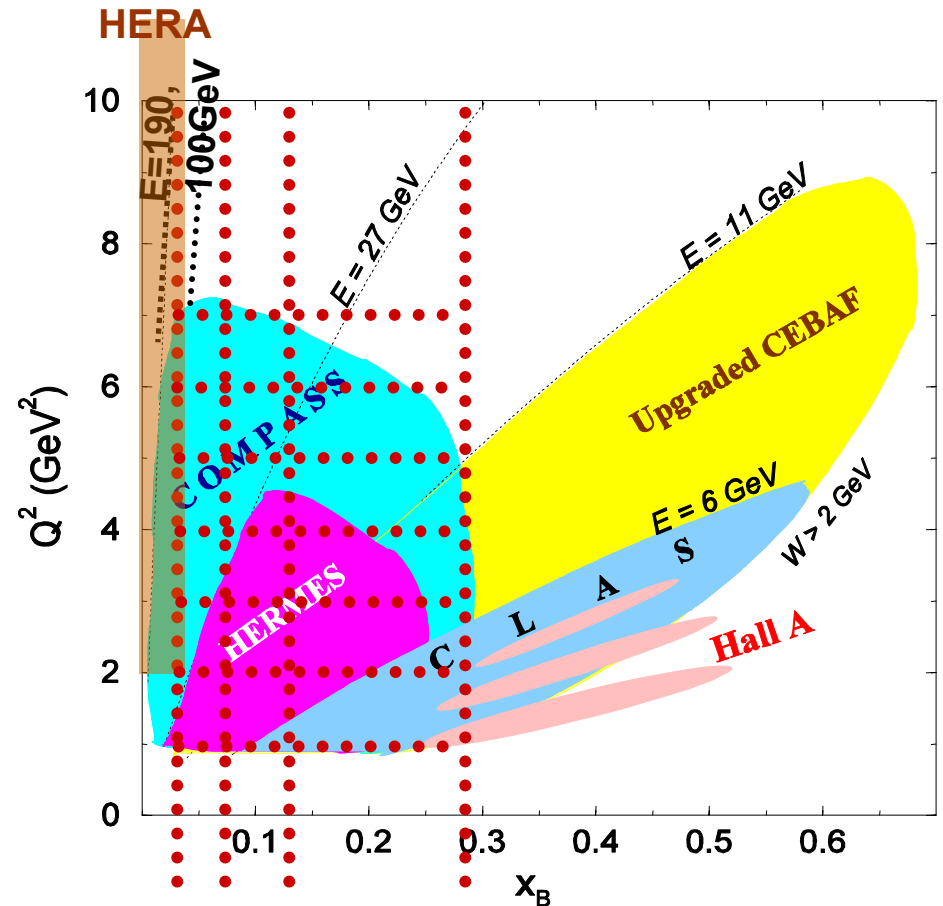
Chiral quark-soliton model: Goeke *et al.*, NP47 (2001) 401

DVCS Simulations for COMPASS at 100 GeV



Beam Charge Asymmetry

$$\sigma^{\bar{\mu}^+} - \sigma^{\bar{\mu}^-} \sim \mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi}$$



COMPASS: valence and sea quarks, gluons

- 6 bins in Q^2 from 1.5 to 7.5 GeV^2
- 3 bins in $x_{Bj}=0.05, 0.1, 0.2$
- Assumptions
 - $L=1.3 \cdot 10^{32} \text{ cm}^{-2}\text{s}^{-1}$
 - 150 days
 - efficiency=25%

DVCS Simulations for COMPASS at 100 GeV

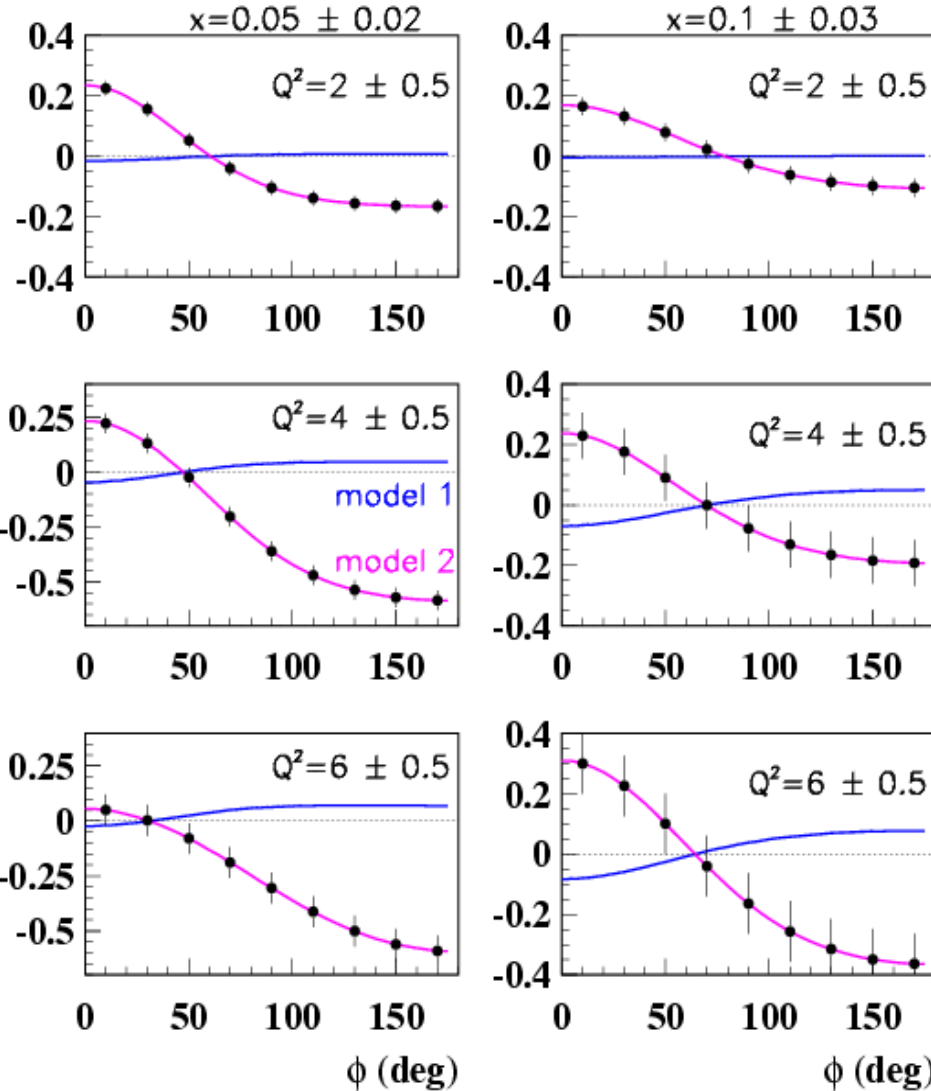


Beam Charge Asymmetry

$$\sigma^{\bar{\mu}^+} - \sigma^{\bar{\mu}^-} \sim \mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi}$$

Model 1: $H(x, \xi, t) \sim q(x) F(t)$

Model 2: $H(x, 0, t) = q(x) e^{t \langle b_{\perp}^2 \rangle}$
 $= q(x) / x^{\alpha' t}$



- 6 bins in Q^2 from 1.5 to 7.5 GeV^2 (3 shown)
- 3 bins in $x_{Bj}=0.05, 0.1, 0.2$ (2 shown)
- Assumptions
 - $L=1.3 \cdot 10^{32} \text{ cm}^{-2}\text{s}^{-1}$
 - 150 days
 - efficiency=25%

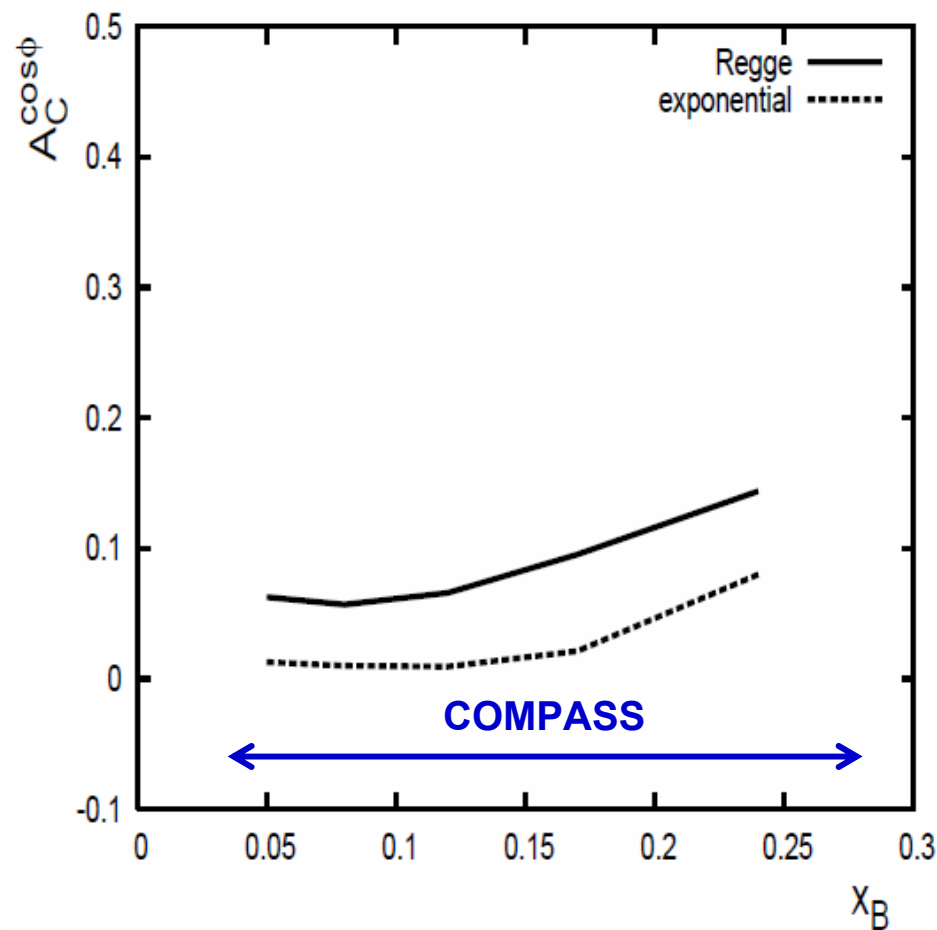
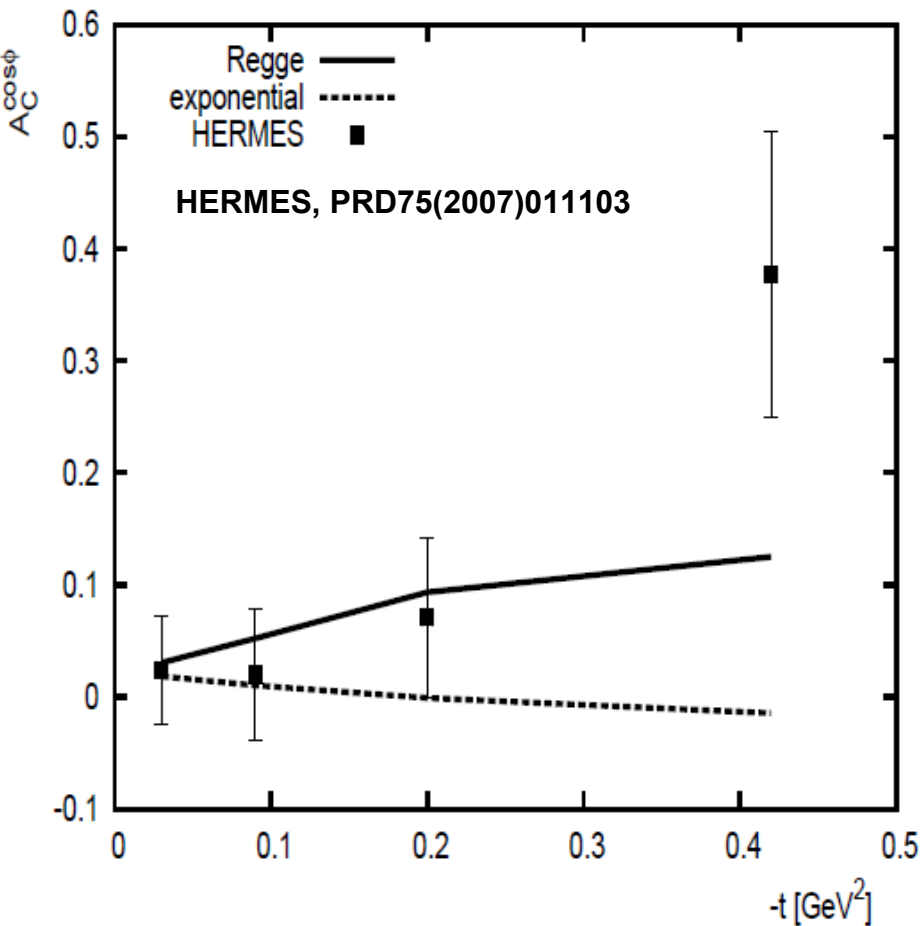
Beam Charge Asymmetry: Other Model and HERMES



- Dual parameterization
- Mellin moments decomposition, QCD evolution
- separation of x , ξ and ξ , t

Only $A^{\cos\phi}$
Dominant contribution
at twist-2

Guzey, Teckentrup PRD74(2006)054027

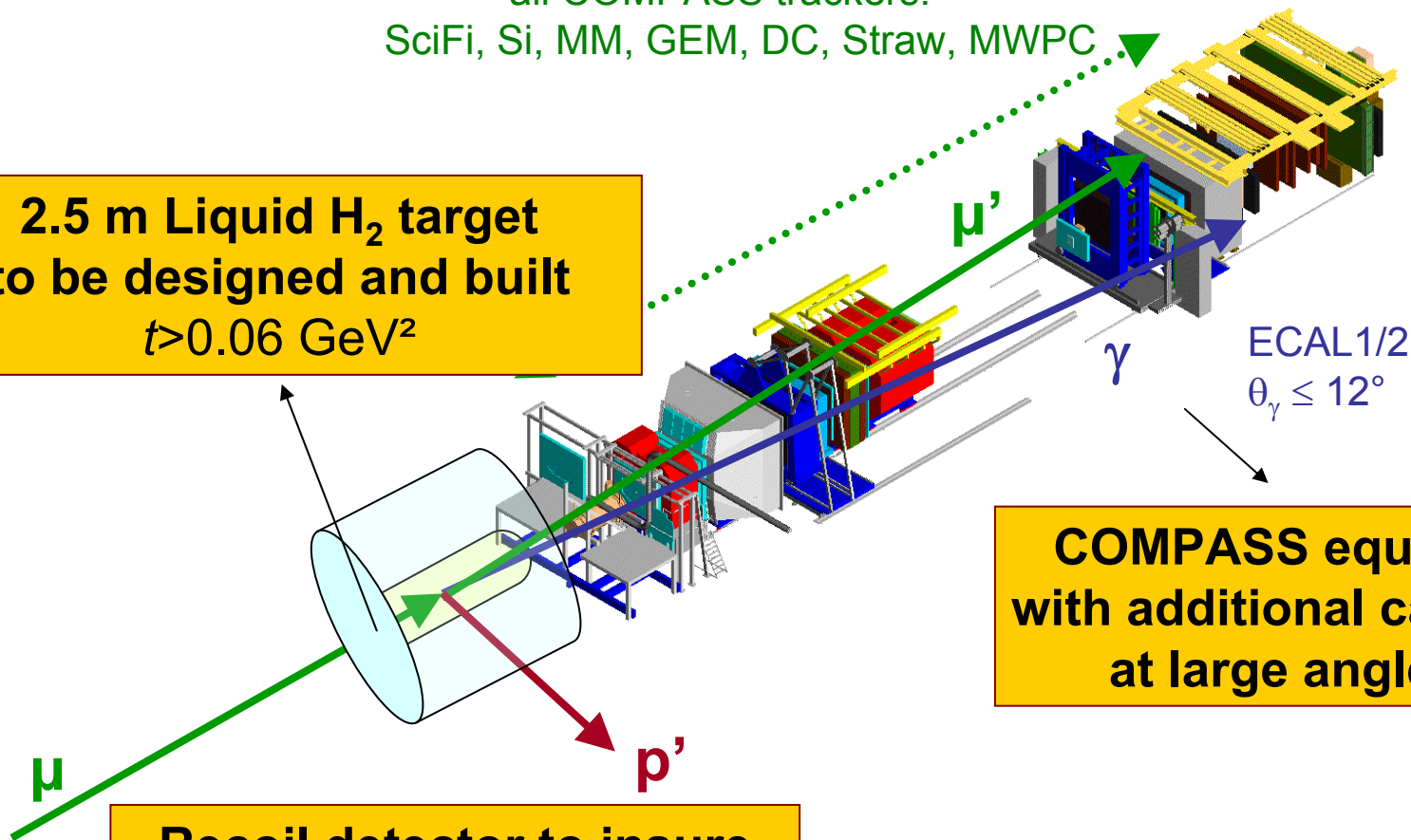


Experimental Setup: Target & Detektor



all COMPASS trackers:
SciFi, Si, MM, GEM, DC, Straw, MWPC

2.5 m Liquid H₂ target
to be designed and built
 $t > 0.06 \text{ GeV}^2$



ECAL1/2
 $\theta_\gamma \leq 12^\circ$

COMPASS equipment
with additional calorimetry
at large angle (π^0 bkg)

Recoil detector to insure
exclusivity
to be designed and built

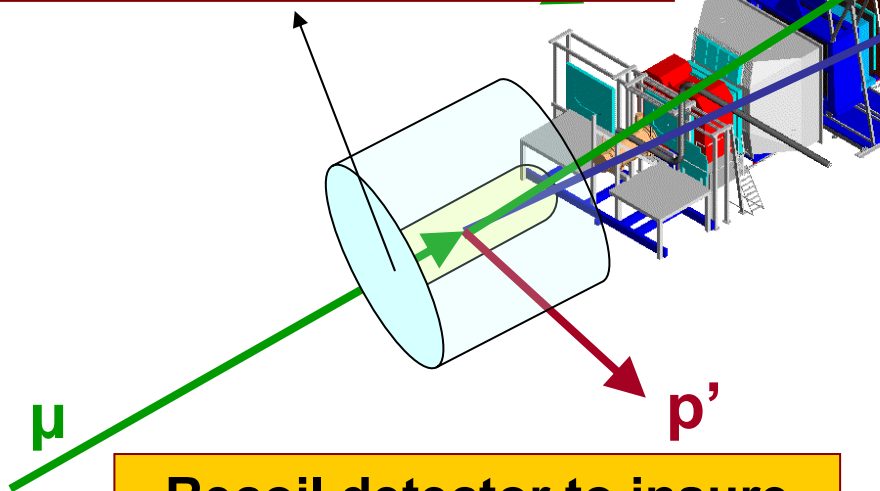
$$\mathcal{L} = 1.3 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$$

Experimental Setup: T



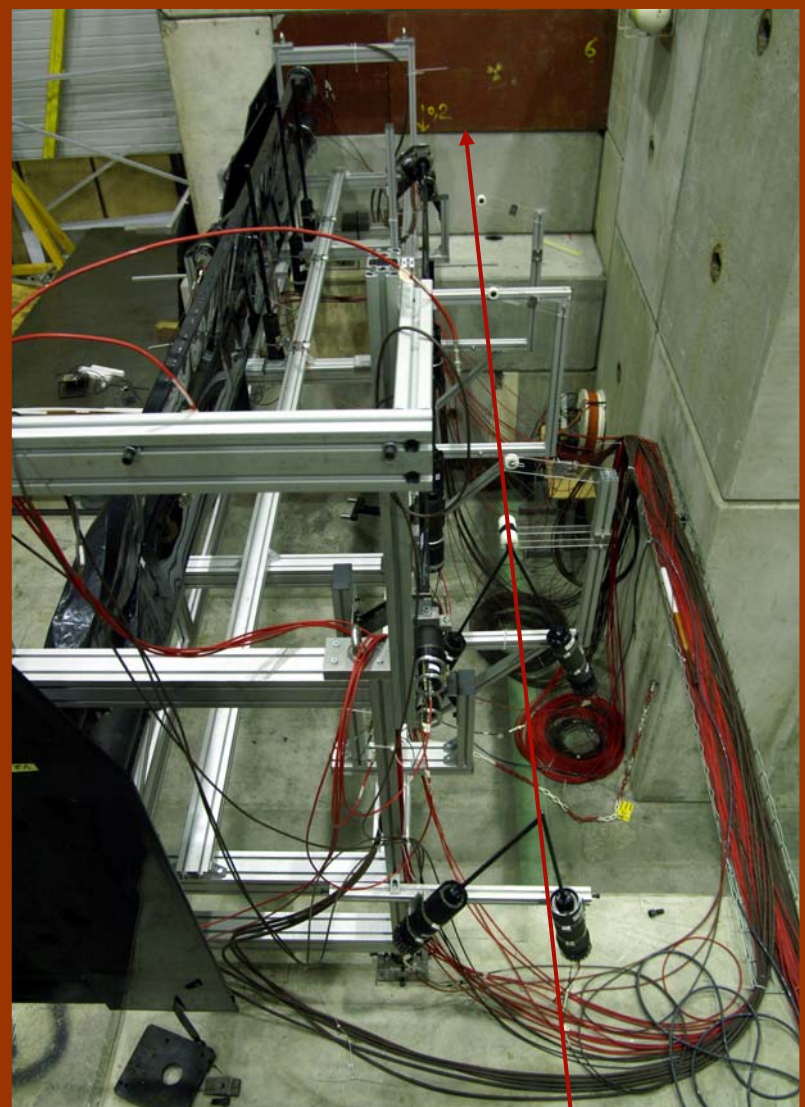
all COMPASS track
SciFi, Si, MM, GEM, DC,

2.5 m Liquid H₂ target
to be designed and built
 $t > 0.06 \text{ GeV}^2$



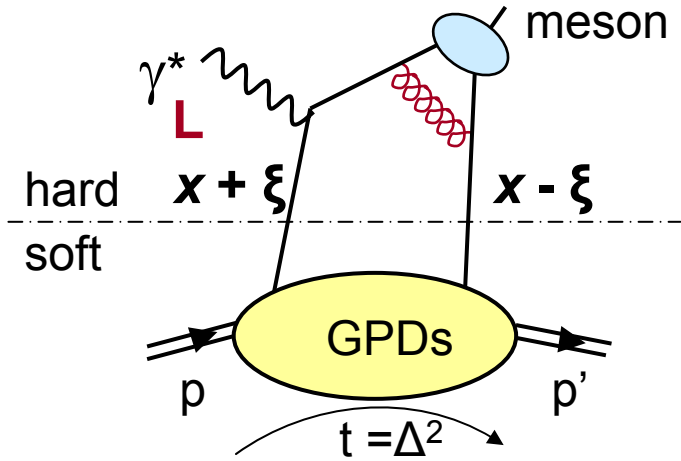
Recoil detector to insure
exclusivity
to be designed and built

$$\mathcal{L} = 1.3 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$$

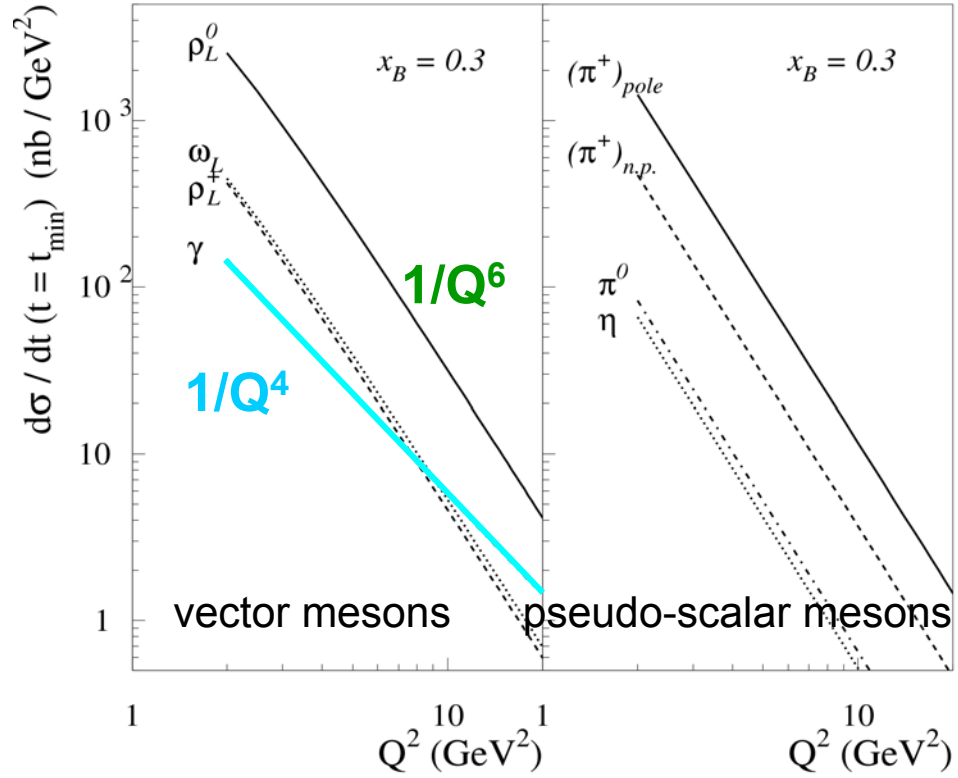


Fall 2006:
Test of recoil detector full size
prototype at COMPASS: $\sigma_t = 310 \text{ ps}$.
Goal: 300 ps for 10 bins in t

Hard Exclusive Meson Production ($\rho, \omega, \phi, \dots, \pi, \eta, \dots$)



Scaling predictions:



Collins et al. (PRD56 1997):

1. factorization applies only for $\gamma^*_{\lambda_L}$
2. $\sigma_T \ll \sigma_L$

ρ^0 largest production, presently studied with COMPASS

Outlook for GPDs at COMPASS



- Currently: Simulations and preparation of proposal
- 2007-2009: Construction of
 - recoil detector (prototype tested)
 - LH₂ target
 - ECAL0
- 2010-2015: Study of GPDs at COMPASS
- >2014: JLab12, FAIR, EIC

COMPASS advantage:

sensitivity in the valence quark – sea quark region of x_{Bj}

$$\sigma^{\bar{u}^+} - \sigma^{\bar{u}^-} \sim \mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi}$$

