

Measurement of polarized (quark) structure functions at COMPASS



T. Matsuda - Uni. of Miyazaki, Japan

on behalf of the COMPASS collaboration

1. The COMPASS experiment at CERN
2. Longitudinal quark helicity distributions
 A_1^d , DS, Dq flavour decomposition
3. Transversity
Collins & Sivers, 2 hadron correlation
4. Summary and outlook

第5回環太平洋
シンポジウム
高エネルギー
スピン物理」
東京、7月、2005

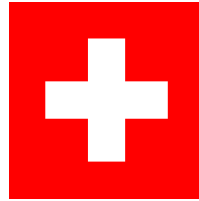


COMPASS Collaboration

More than 220 physicists from 30 Institutes



(LPP and
LNP),
(INR, LPI, State
University),

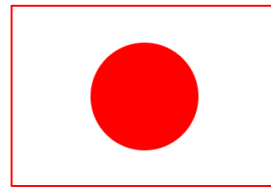


CERN

Bielefeld, Bochum,
Bonn (ISKP & PI),
Erlangen, Freiburg,
Heidelberg, Mainz,
München (LMU & TU)

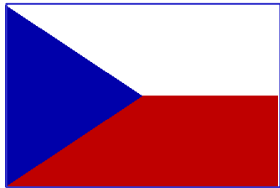


Warsawa (SINS),
Warsawa (TU)



Nagoya/Chubu/Yamagata
Miyazaki/KEK

Helsinki

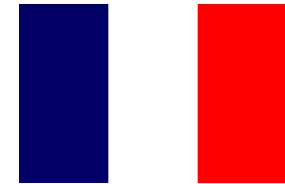


Praha



Lisboa

Saclay



Burdwan,
Calcutta



Tel Aviv

Torino
(University, INFN),
Trieste
(University, INFN)





1. The COMPASS experiment at CERN

The aim of COMPASS (muon program)

gluon polarization

→ Prof. F. Kunne on this Tuesday.

longitudinal quark polarizations
(g_1^d , ? q flavour decomposition)

Transversity

Longitudinal PT

Data are taken
simultaneously

Transverse PT

Data taking History

•2002 year muon run (L,T target)

•2003 year muon run (L,T target)

•2004 year muon run (L,T target) + Hadron run

(muon beam share:

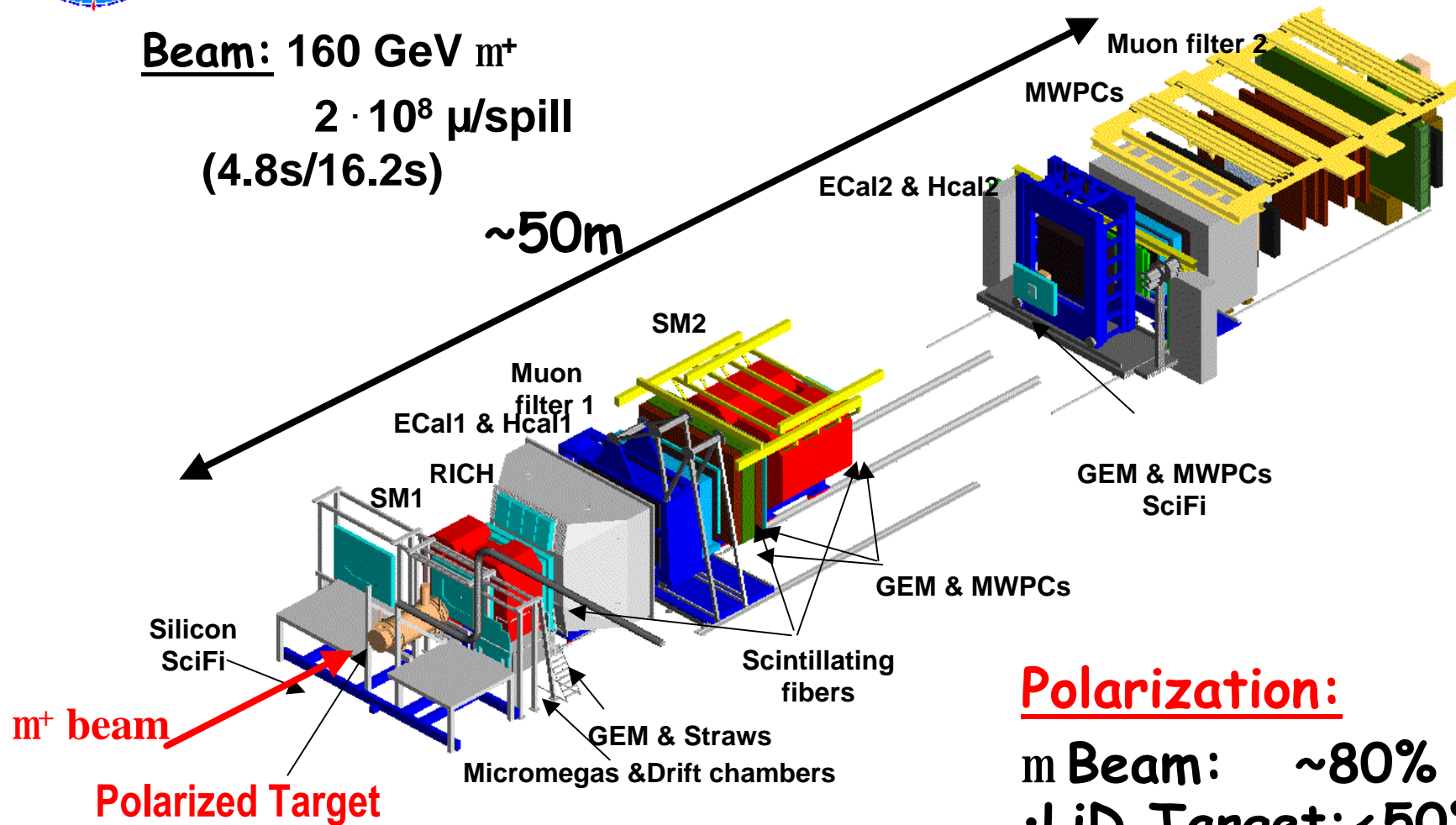
longitudinal PT ~80%, transeverse PT ~20%)



-- COMPASS spectrometer --

Beam: 160 GeV m^+
 $2 \cdot 10^8 \mu/\text{spill}$
(4.8s/16.2s)

~50m



Polarization:

m Beam: ~80%
•LiD Target: <50%>

Common Muon and Proton Apparatus for Structure and Spectroscopy

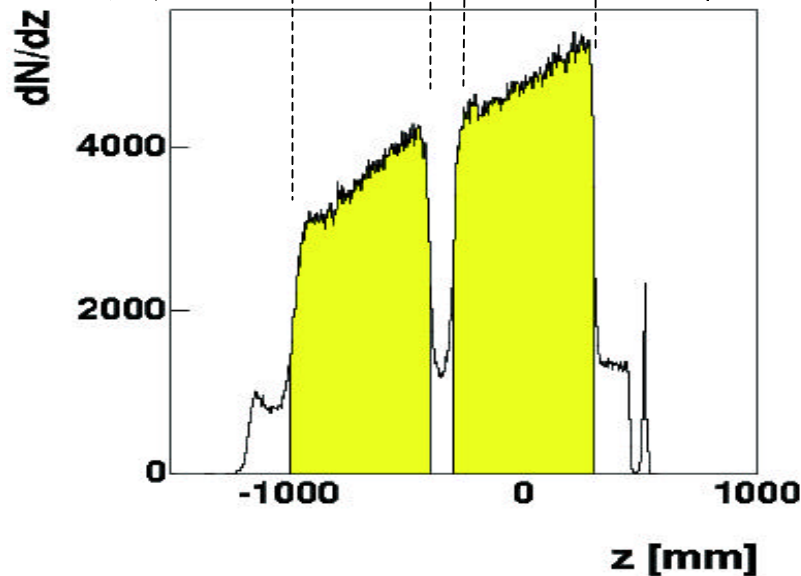
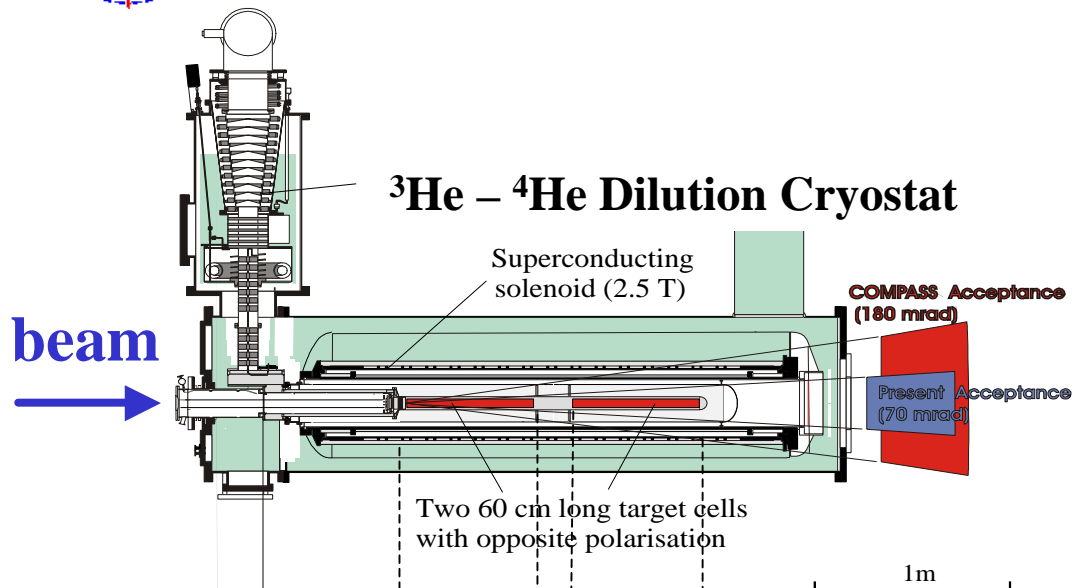


Compass ${}^6\text{LiD}$ Polarized target

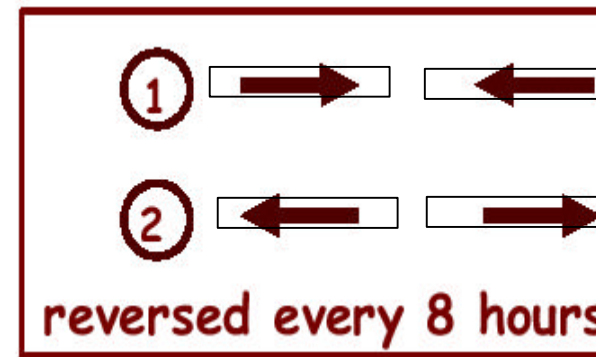
Dynamic Nuclear Polarization

Dilution factor: ~40%

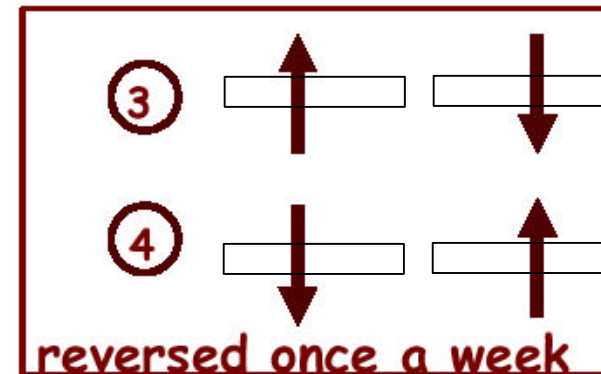
Maximum Polarization: +57%



Longitudinal orientation



Transverse orientation





2. Longitudinal target experiment

- A_1^d , (g_1^d)
- A QCD fit to world data
- Semi-inclusive asymmetries



The inclusive asymmetry A_1^d --2002 & 2003 data--

- g-nucleon asymmetry:

$$\frac{A_{\mu N}}{D} \approx A_1 = \frac{\sum e_q^2 (\Delta q + \Delta \bar{q})}{\sum e_q^2 (q + \bar{q})}$$

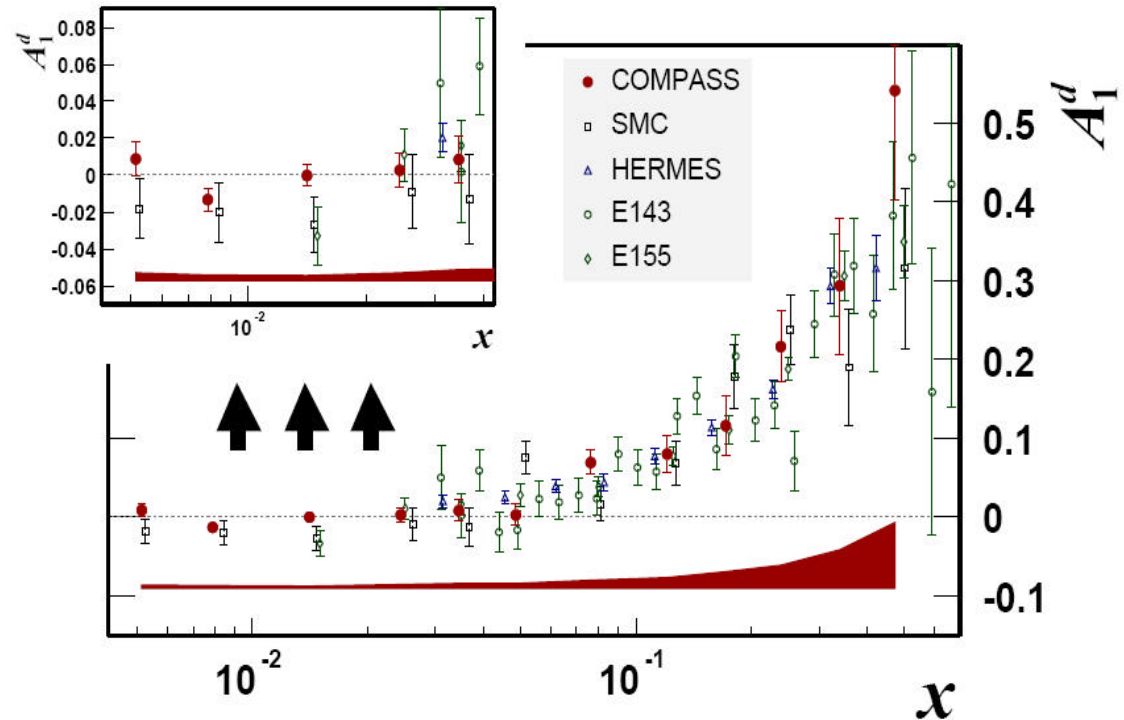
- COMPASS is:

- higher luminosity
(~ 5 times stronger)
- larger dilution factor
(~2 times larger)(LiD)
- more variety of trigger
than SMC.

-- almost the same kinematic
region covered as SMC

- $g_1 = A_1 F_1$ derived.

- Unique result **in the low x region**
important to test QCD sum rules



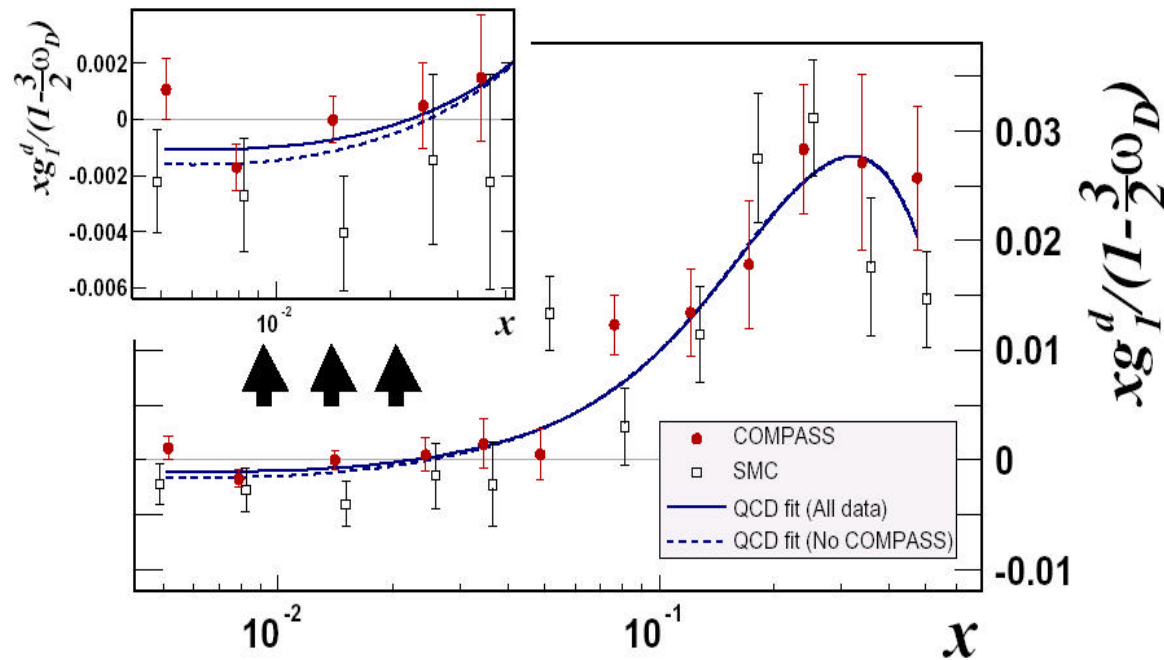
[Published in PLB 612 \(2005\) 154](#)

→ QCD evolution and fit →



A QCD fit to world data

low x accuracy has been much improved



ω_D : the deuterium D-wave state probability

Program by D. Fasching, hep-ph/9610261
(program “2” in SMC notation)



Results of QCD fit to world data

The COMPASS data change the $\int_0^1 \Delta\Sigma(x)dx$ Integral:

$$\begin{aligned} \text{DS} = \int_0^1 \Delta\Sigma(x)dx &= 0.237^{+0.024}_{-0.029} && \text{all data} \\ &= 0.202^{+0.042}_{-0.077} && \text{w/o COMPASS} \end{aligned}$$

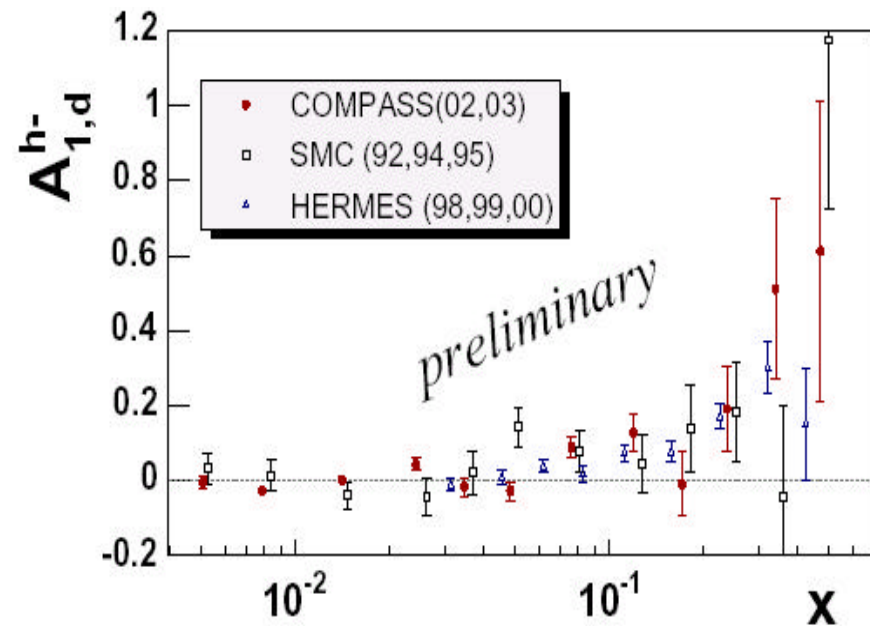
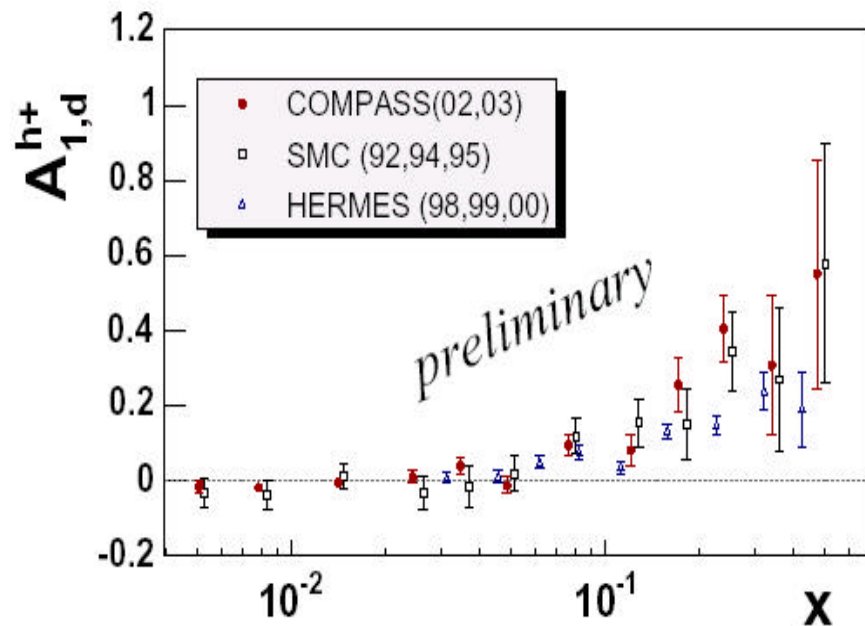
Taken at $Q^2 = 4\text{GeV}^2/c^2$.

Precision improved by a factor of 2



Semi-inclusive asymmetries $A_{1,d}^{h+}$, $A_{1,d}^{h-}$ extracted from 2002+2003 COMPASS data

- low x precision improved





3. Transverse target experiment

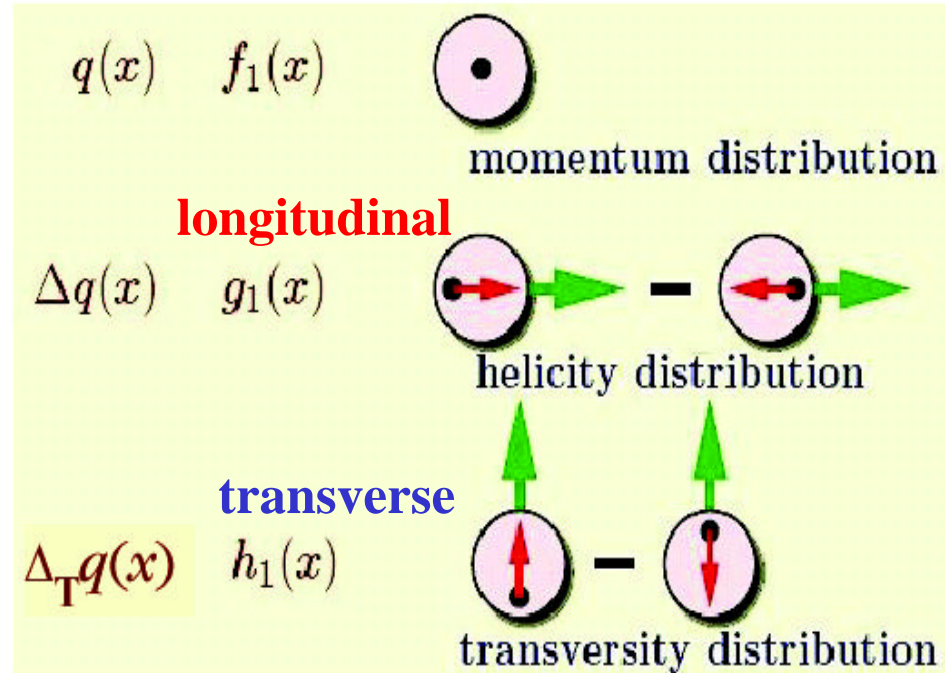
- Transversity - introduction
- Transversity - Collins & Sivers asymmetry
- Transversity - two hadron correlation



What is Transversity ?

• Nucleon structure functions are described with 3 functions at twist 2 and they are complete at twist level 2.

• $\Delta q(x)$ is different from $\Delta_T q(x)$ generally because rotation does not commute with Lorentz boost in relativity.
 ($\Delta q(x) = \Delta_T q(x)$ in non-relativity)



• $\Delta q(x)$ is a chiral even function, $\Delta_T q(x)$ is a chiral odd function.

• $\Delta_T q(x)$ does not couple with gluon structure function, then it evolves with Q^2 unlike $\Delta q(x)$.

$\Delta_T q(x) \leq \frac{1}{2} [q(x) + \Delta q(x)]$	$g_T = \int dx [\Delta_T q(x) - \Delta_T \bar{q}(x)]$	$\frac{1}{2} = \frac{1}{2} \sum_{q, \bar{q}} \int \Delta_T q(x) dx + \sum_{q, \bar{q}, g} \langle L_{S_T} \rangle$
---	---	--

(Soffer inequality)

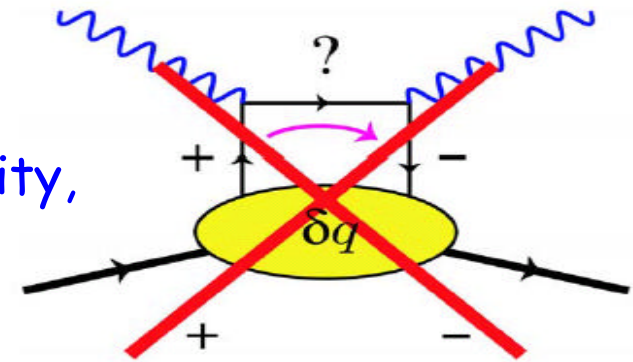
(Tensor charge)

(Transverse Spin SR)



How do we measure transversity?

• Quark helicity is conserved in totally Inclusive Deep Inelastic Scattering (DIS), so Inclusive DIS does not access transversity, because transversity needs quark helicity flip in helicity base.



• In case of Semi-Inclusive Deep Inelastic (SIDIS) it is possible to access transversity, because SIDIS allows both flip and non-flip cases.

Then we measure SIDIS events to study transversity.

• If we choose phenomena with chiral odd fragmentation functions, we can access chiral odd quark distribution functions.

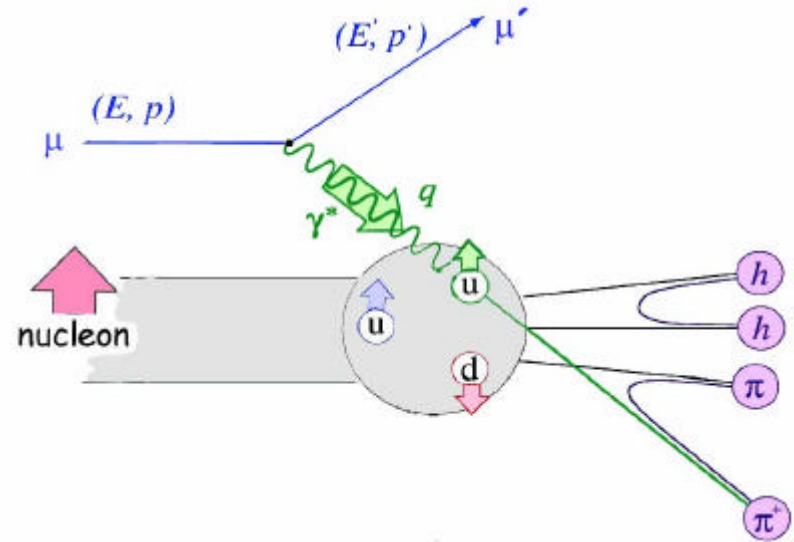
- We measure SIDIS including transversity in
 - (1) Collins asymmetry and Sivers asymmetry
 - (2) SSA in two hadron correlation.



(1) Collins and Sivers asymmetries

Collins angle & Sivers angle.

f_S = azim. angle of initial quark spin
 $f_{S'}$ = azim. angle of struck quark spin
 $f_S = \pi - f_{S'}$ (due to helicity conservation)
 f_h = azim. Angle of leading hadron



•Collins angle

(Azimuthal angle of a leading hadron around a struck quark spin)

$$F_C = f_h - f_{S'} (= f_h + f_S - \pi)$$

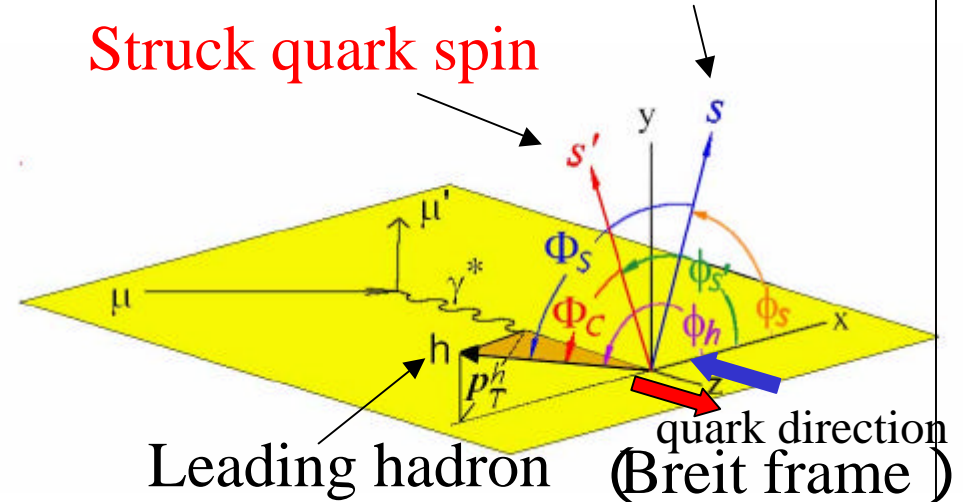
•Sivers angle

(Azimuthal angle of a leading hadron around an initial quark spin (=nucleon spin))

$$F_S = f_h - f_S$$

Initial quark spin (Target spin)

Struck quark spin





Collins asymmetry and Sivers asymmetry

spin independent part spin dependent part

$$\text{FF: } D_{Tq}^h(z, \vec{p}_T^h) = D_q^h(z, |\vec{p}_T^h|^2) + \Delta_T^0 D_q^h(z, |\vec{p}_T^h|^2) \cdot \sin \Phi_C$$

If the spin information of the struck quark propagates to the fragment function, we observe **Collins asymmetry**.

Collins asymmetry

$$A_{\text{Coll}} = \frac{e_{\text{Coll}}}{f \cdot |\mathbf{P}_T| \cdot D_{NN}} = \frac{\sum_q e_q^2 \cdot \Delta_T q(x) \cdot \Delta_T^0 D_q^h}{\sum_q e_q^2 \cdot q(x) \cdot D_q^h}$$

measure → e_{Coll} (transverse spin transfer coefficient)

Transversity → $\Delta_T q(x)$

Spin-dependent FF → $\Delta_T^0 D_q^h$

If quarks move asymmetrically around nucleon spin orientation, we observe **Sivers asymmetry**.

$$q_T(x, \vec{k}_T) = q_T(x, |\vec{k}_T|^2) + \Delta_0^T q(x, |\vec{k}_T|^2) \cdot \sin \Phi_S$$

Sivers asymmetry

$$A_{\text{Siv}} = \frac{e_{\text{Siv}}}{f \cdot |\mathbf{P}_T|} = \frac{\sum_q e_q^2 \cdot \Delta_0^T q(x) \cdot D_q^h}{\sum_q e_q^2 \cdot q(x) \cdot D_q^h}$$

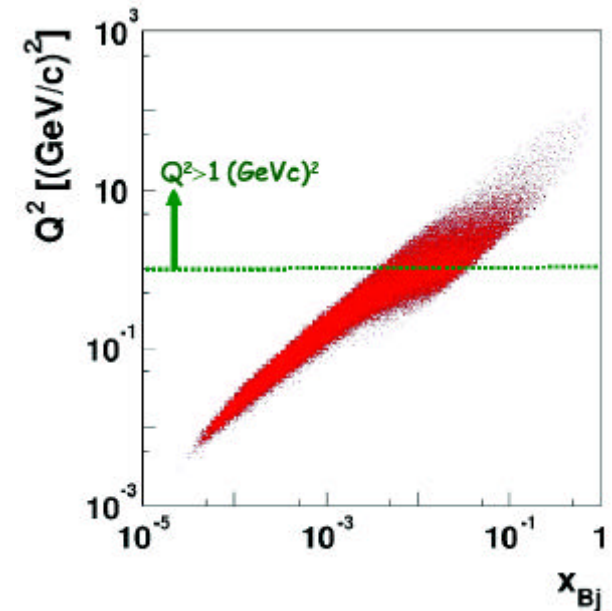
measure → e_{Siv}

the effect of quark orbital motion in nucleon → $\Delta_0^T q(x)$



Event selection for muons

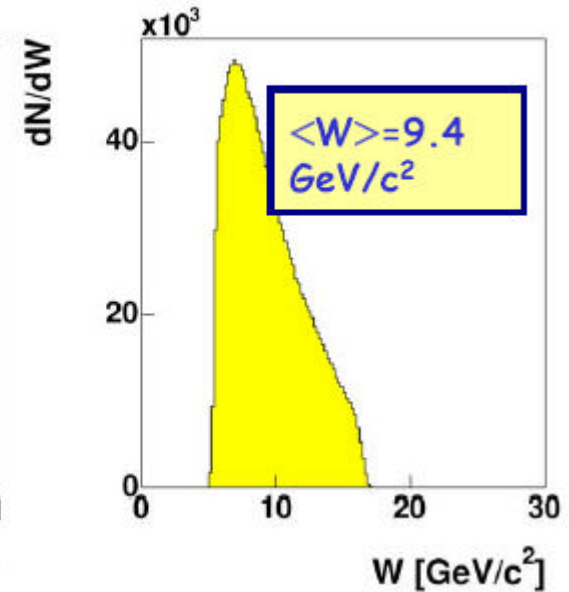
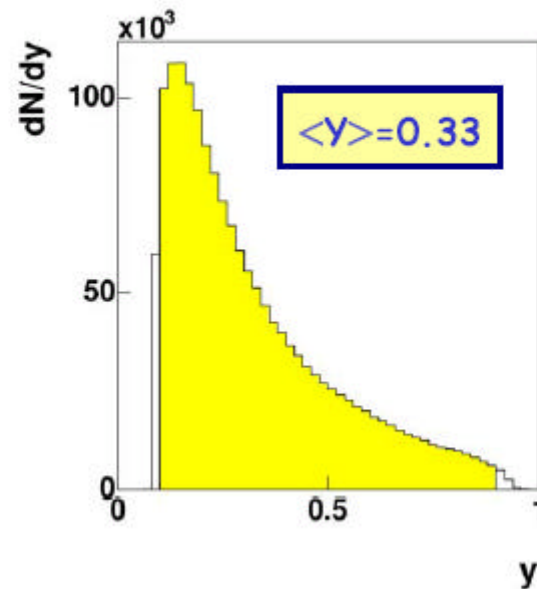
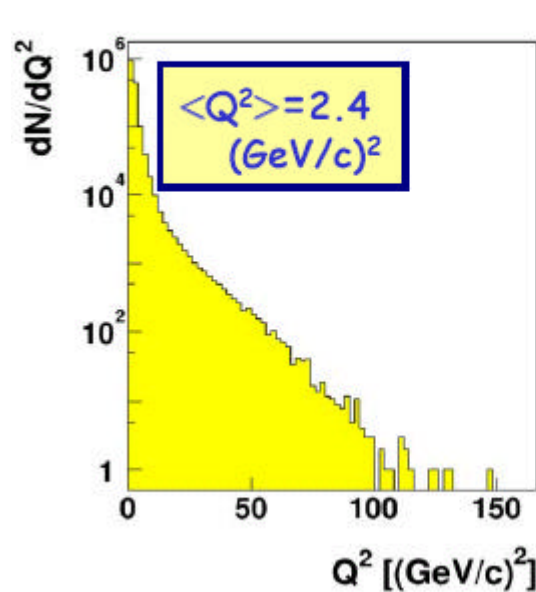
● Primary vertex with identified μ , μ' & hadron



● $Q^2 > 1$ (GeV/c)²

● $0.1 < y < 0.9$

● $W > 5$ GeV/c²

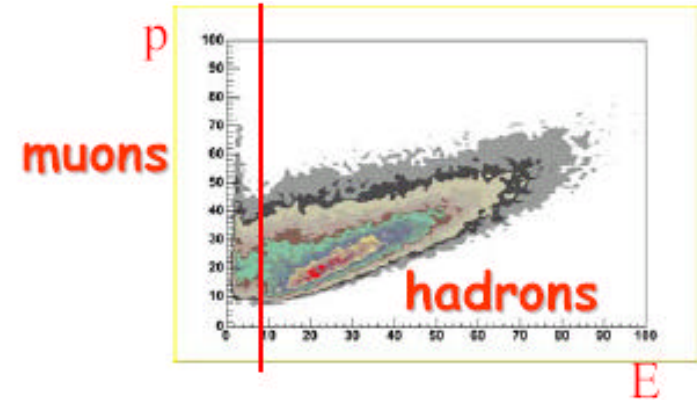




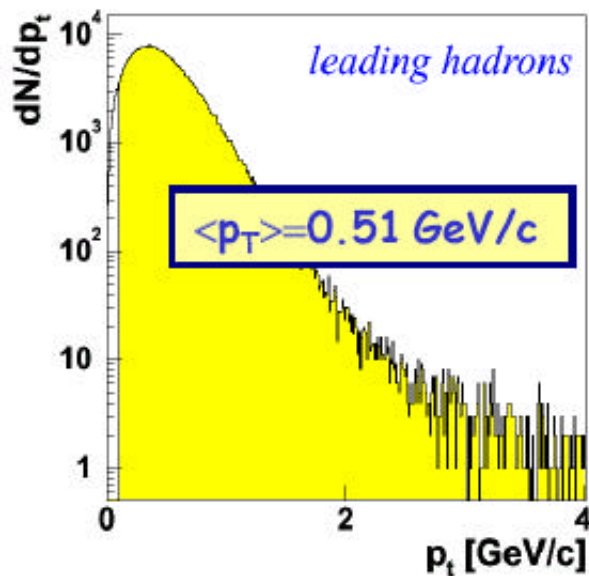
Event selection cont. for hadrons

Hadron selection:

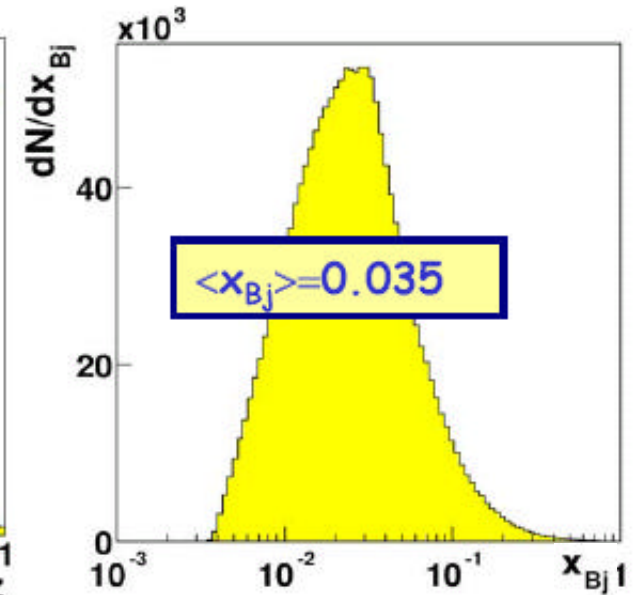
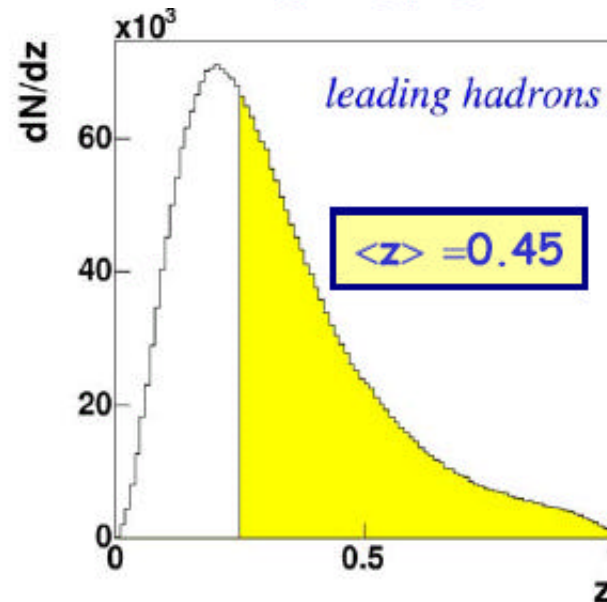
- energy deposit in hadron calorimeters
- Penetration $< 10 X_0$
- Presently no $\pi / K / p$ separation by RICH



➤ $p_T > 0.1 \text{ GeV}/c$



➤ $z > 0.25$





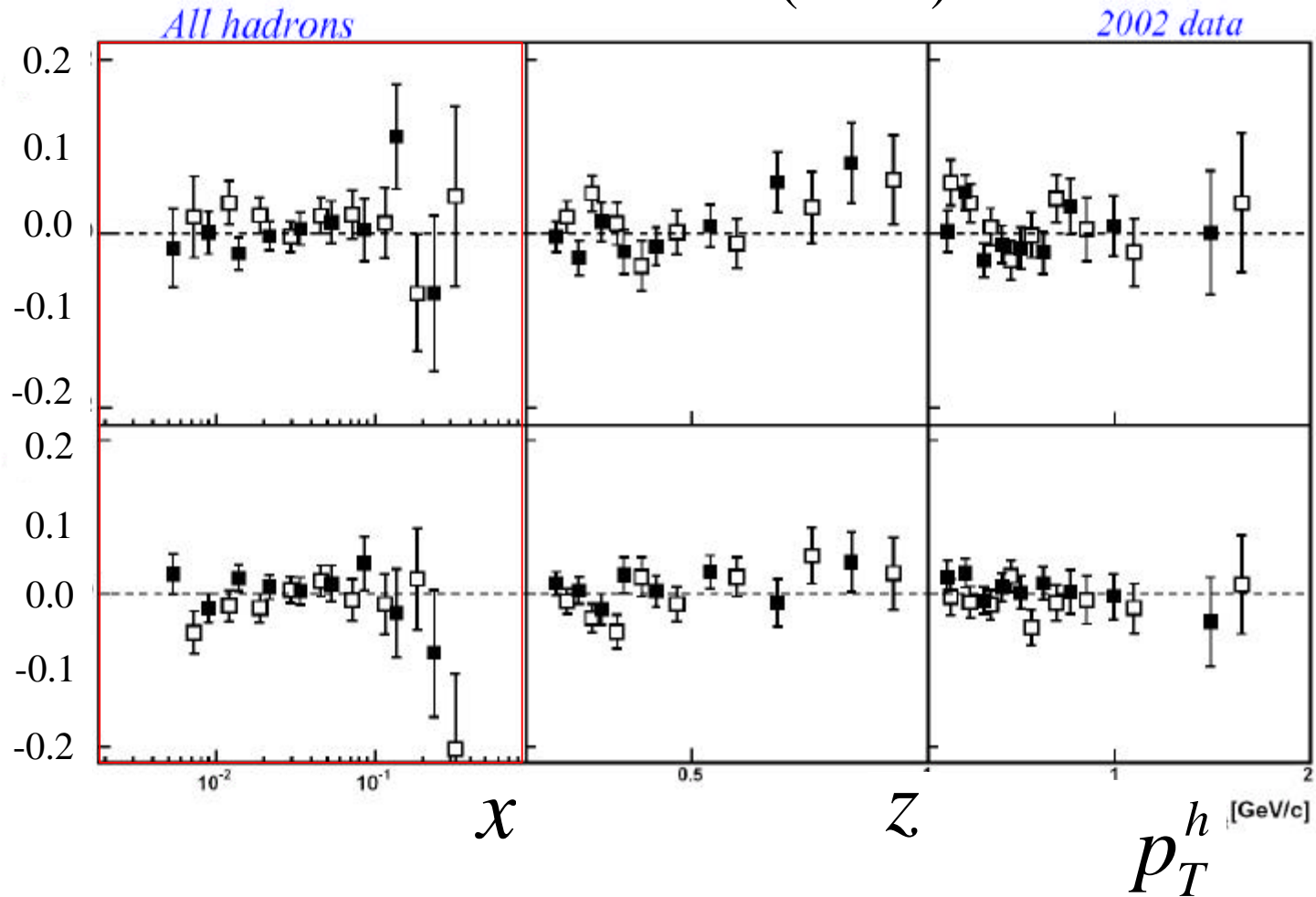
Collins and Sivers asymmetries for all hadrons (2002 final results)

PRL
94(2005)
202002

All hadrons ($z > 0.2$)

Collins
asymmetry

Sivers
asymmetry



Black: Positive hadrons

White: Negative hadrons



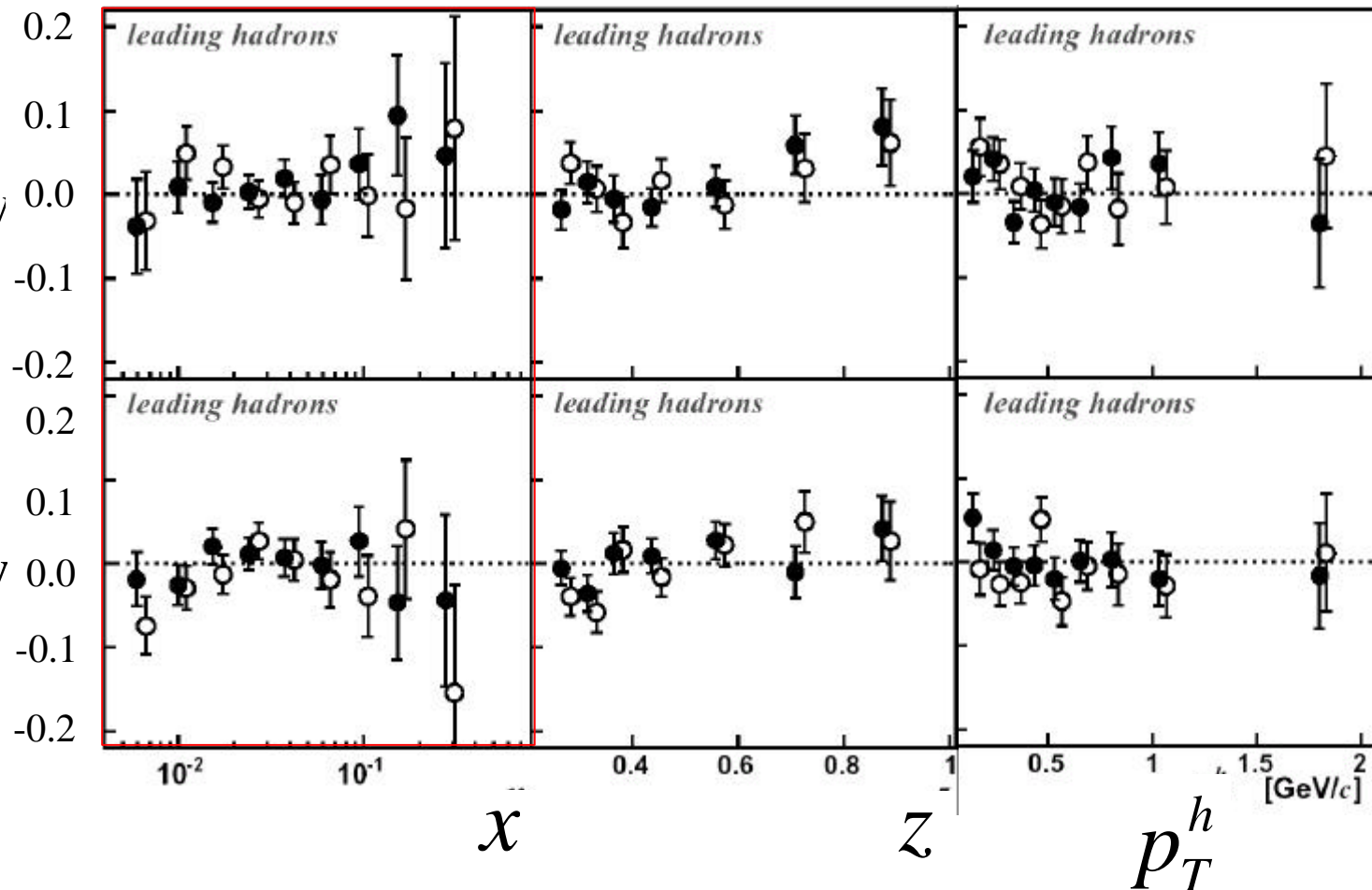
Collins and Sivers asymmetries for leading hadron (2002 final results)

PRL
94(2005)
202002

Leading hadrons ($z > 0.25$)

Collins
asymmetry

Sivers
asymmetry



Black: Positive hadrons

White: Negative hadrons

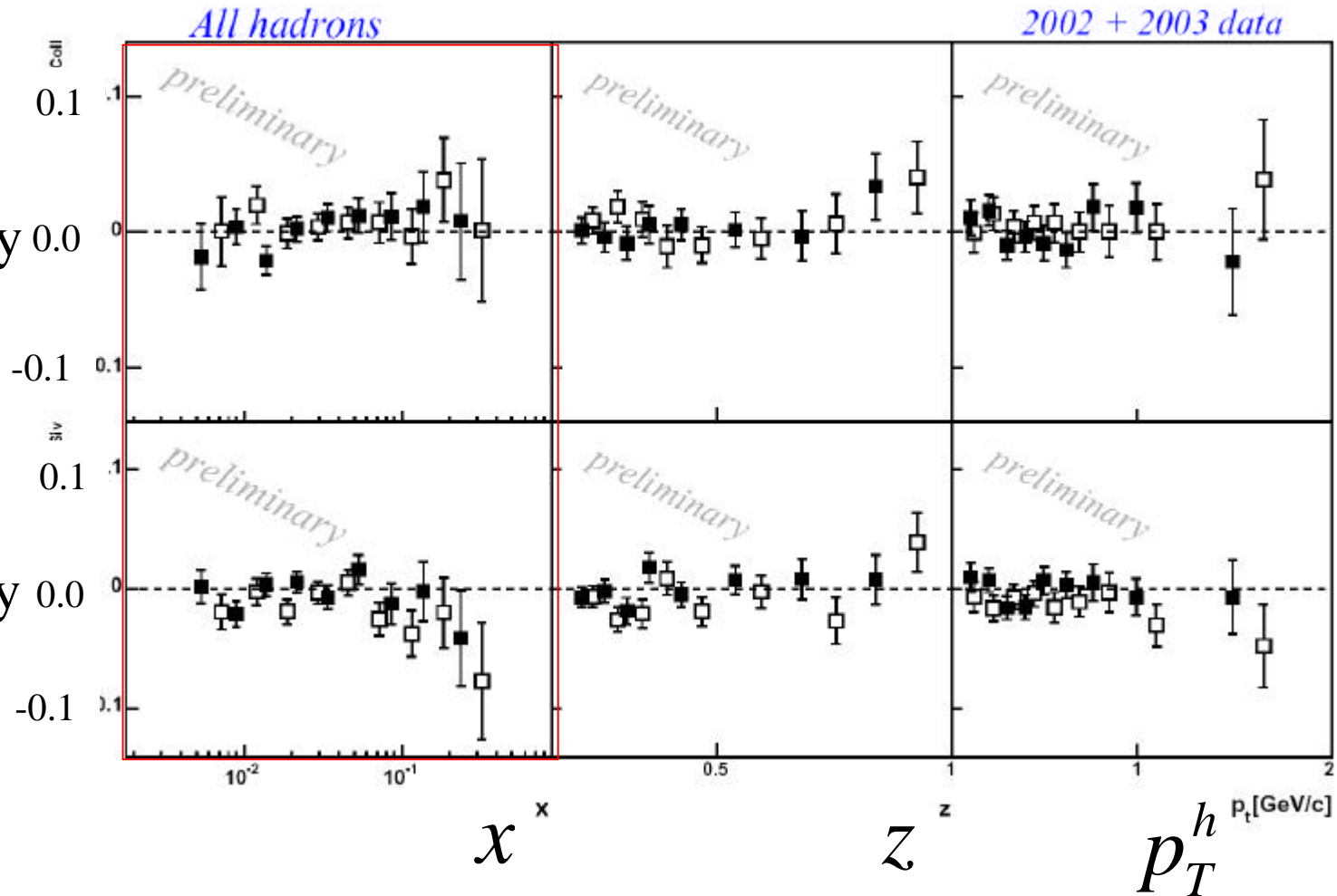


Collins and Sivers asymmetries for all hadrons (2002+2003 data)

preliminary

Collins
asymmetry

Sivers
asymmetry



Black: Positive hadrons

White: Negative hadrons

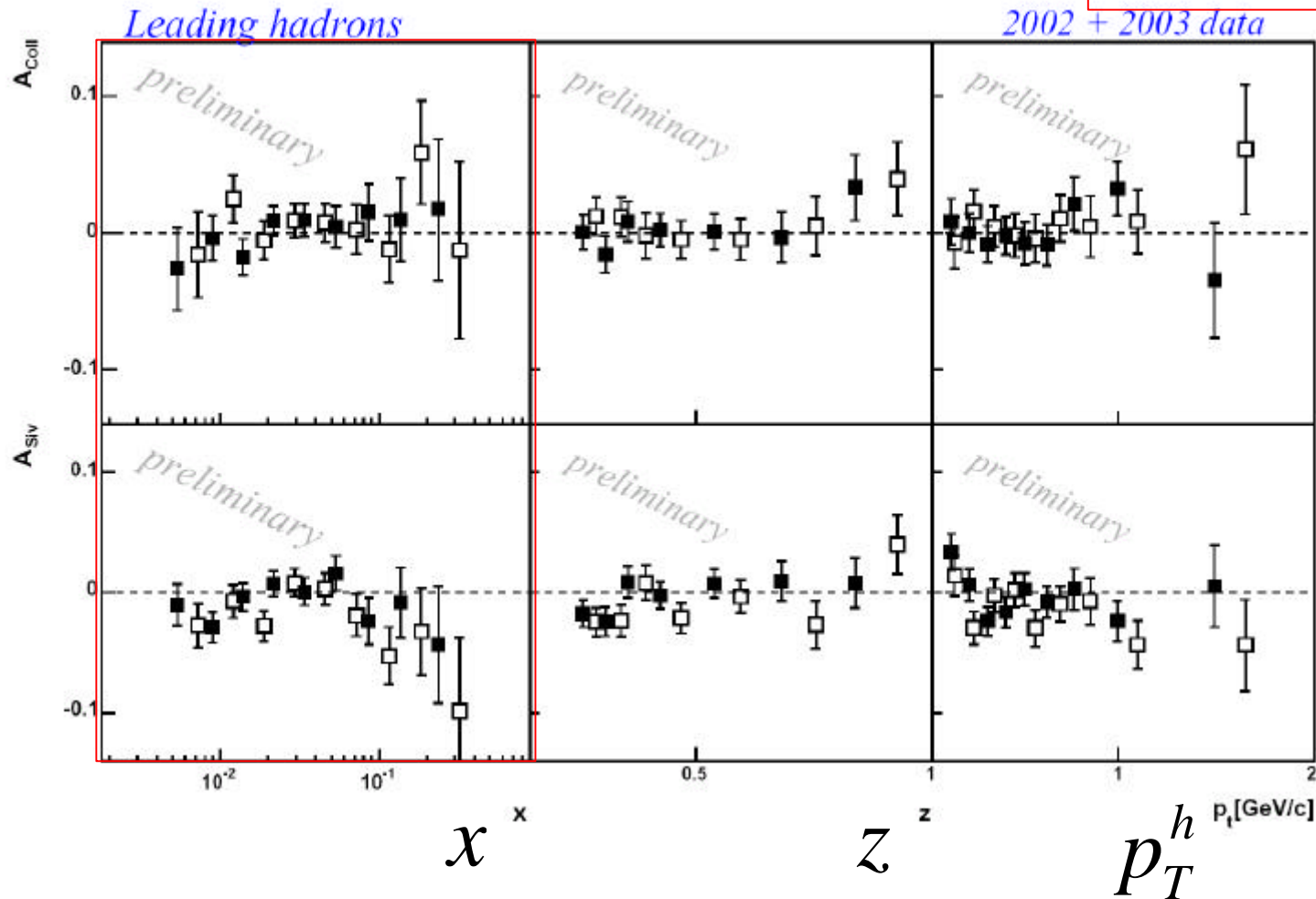


Collins and Sivers asymmetries for leading hadrons (2002+2003 data)

preliminary

Collins
asymmetry

Sivers
asymmetry



Black: Positive hadrons

White: Negative hadrons

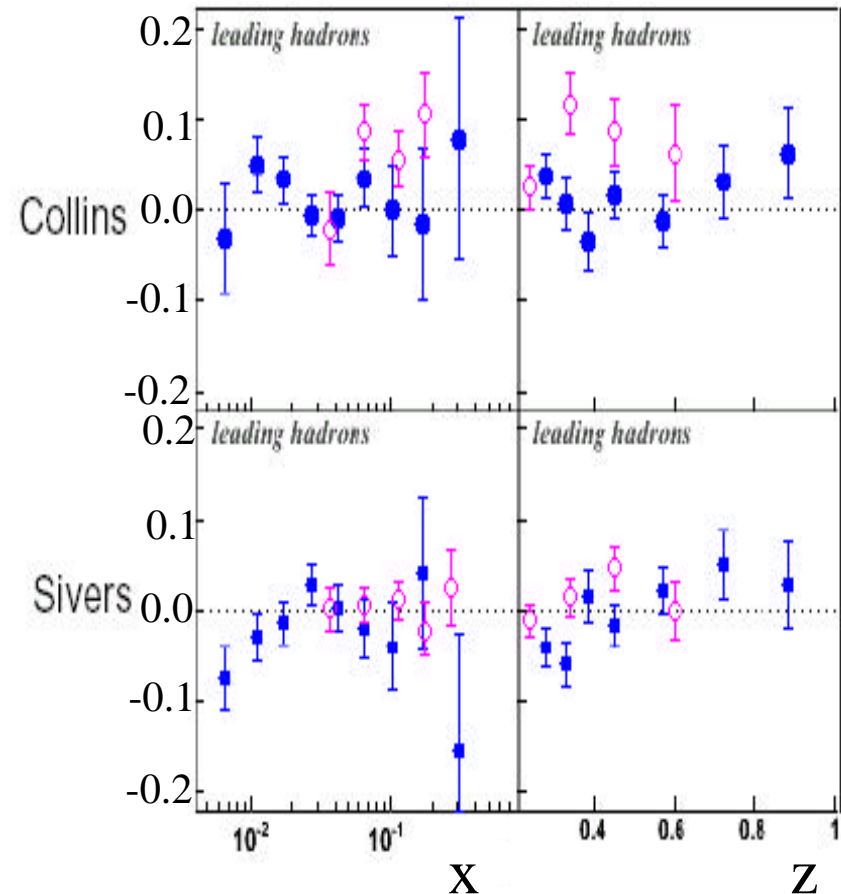
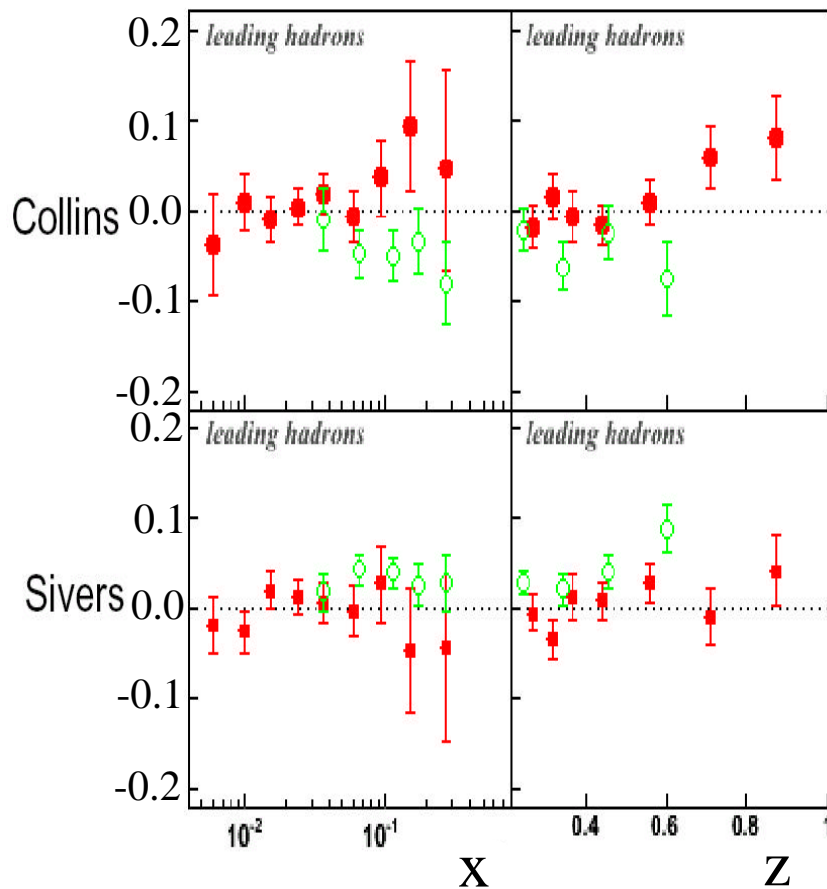


Comparison of COMPASS 2002 results with HERMES ones.

(COMPASS;deuteron, HERMES;proton)

POSITIVE HADRONS: COMPASS vs HERMES

NEGATIVE HADRONS: COMPASS vs HERMES



Note: The sign of the original definition of HERMES is opposite.



(2) SSA in two hadron correlation

Which angle we measure? → Trento conventions

see [hep-ph/0407345](https://arxiv.org/abs/hep-ph/0407345)

f_S = azim. angle of initial quark spin

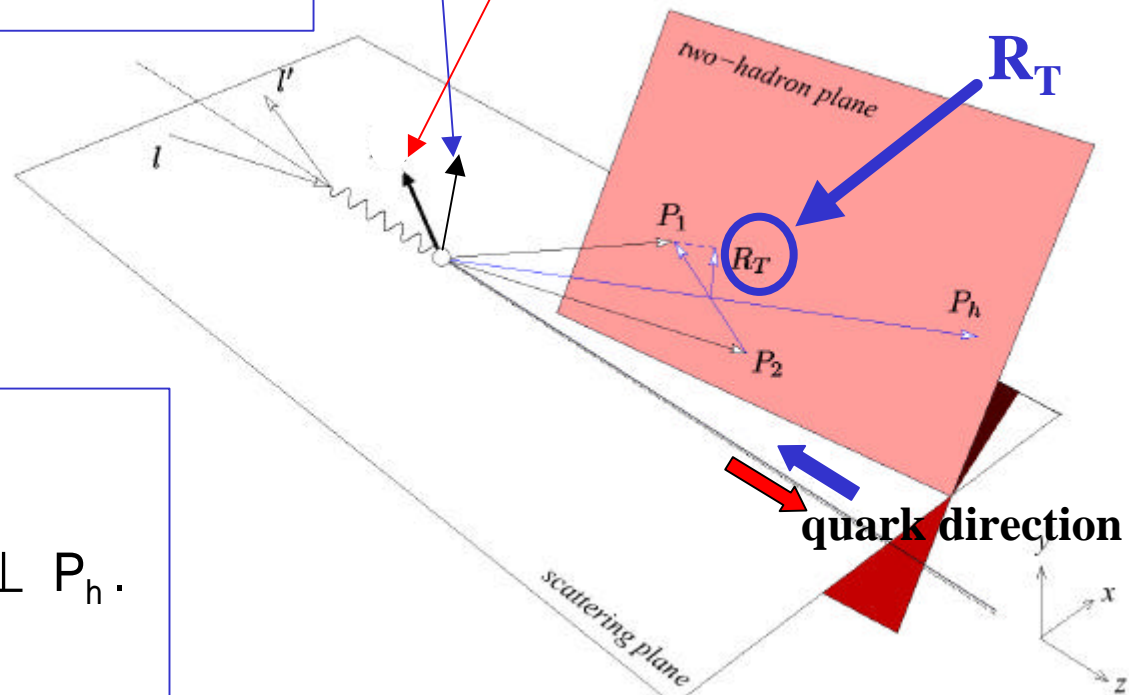
$f_{S'}$ = azim. angle of struck quark spin

$f_S = \pi - f_{S'}$ (due to helicity conservation)

$$\mathbf{R}_S = \mathbf{R} - \mathbf{S}' \quad (= \mathbf{R} + \mathbf{S} - \pi)$$

Initial quark spin (Target spin)

Struck quark spin



$$\mathbf{R} = (\mathbf{P}_1 - \mathbf{P}_2) / 2, \quad \mathbf{P}_h = \mathbf{P}_1 + \mathbf{P}_2$$

R_T is the component of $R \perp P_h$.

f_R = azimuthal angle of R_T

Breit frame



Two hadron correlation

--the interference fragmentation function--

spin independent part

spin dependent part

FF:

$$D_q^h(z, M_h^2) + H_1^{\triangleleft}(z, M_h^2) \cdot \sin \mathbf{j}_{RS}$$

If the spin information of the struck quark propagates to the interference fragmentation function, we observe **the following asymmetry**.

$$A_{RS} = \frac{\mathbf{e}_{RS}}{f \cdot |\mathbf{P}_T| \cdot D_{NN}} = \frac{\sum_q e_q^2 \cdot \Delta_T q(x) \cdot H_1^{\triangleleft h}(z, M_h^2)}{\sum_q e_q^2 \cdot q(x) \cdot D_q^h(z, M_h^2)}$$

measure → (points to the fraction)

transverse spin transfer coefficient → (points to D_{NN})

Transversity → (points to $\Delta_T q(x)$)

interference FF → (points to $H_1^{\triangleleft h}(z, M_h^2)$)



Event Selection-two hadron correlation-

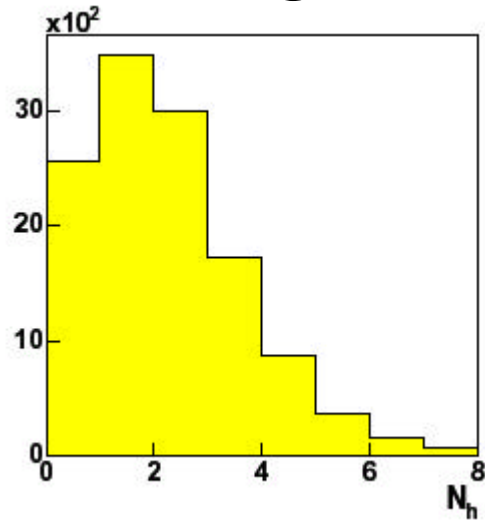
For m
same as
others.

For hadron in order to select the current fragmentation region

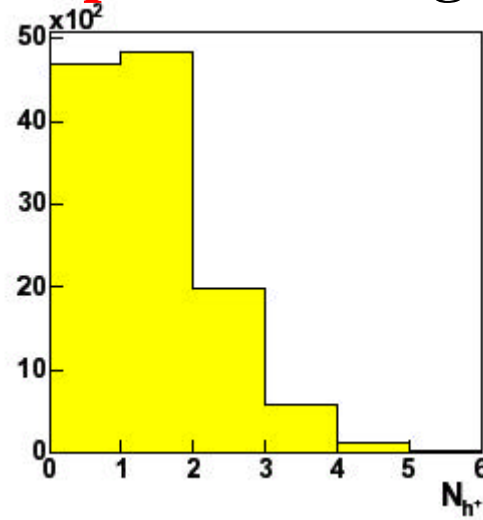
$$z_h > 0.1 \text{ (then } z_{h1} + z_{h2} > 0.2)$$

$$x_{fh} > 0.1$$

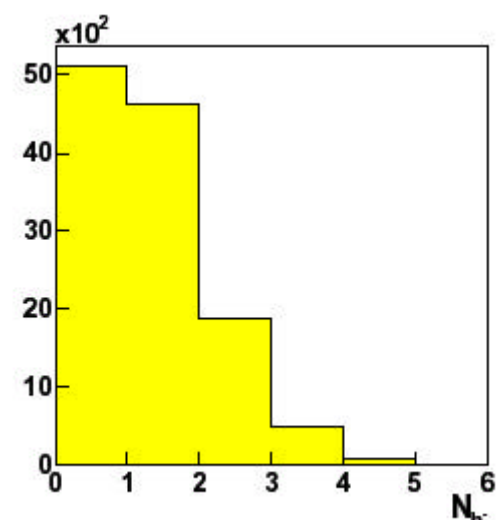
Hadron multiplicity
for all charges



Hadron multiplicity
for **positive** charges



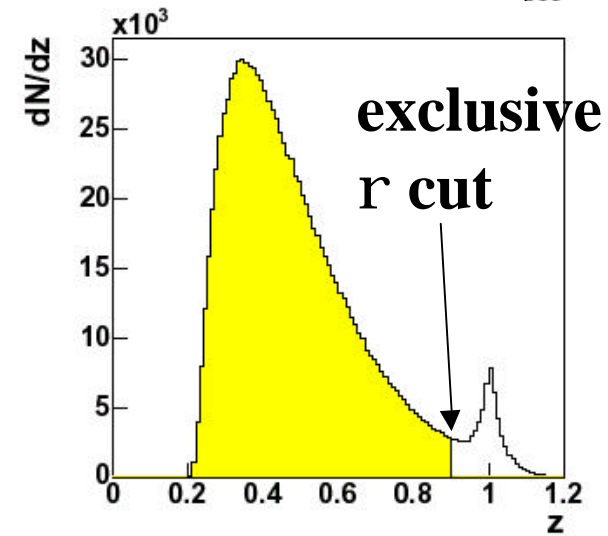
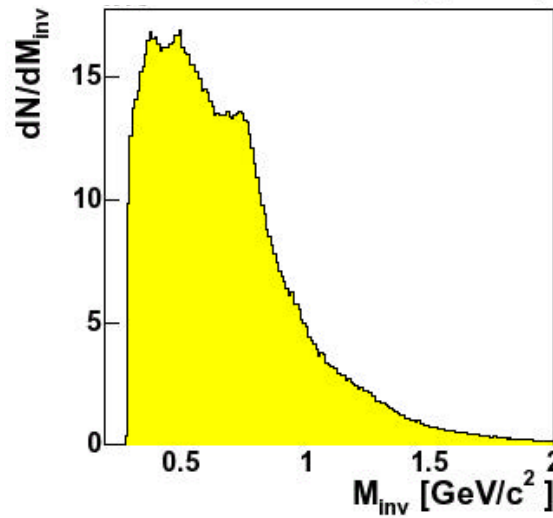
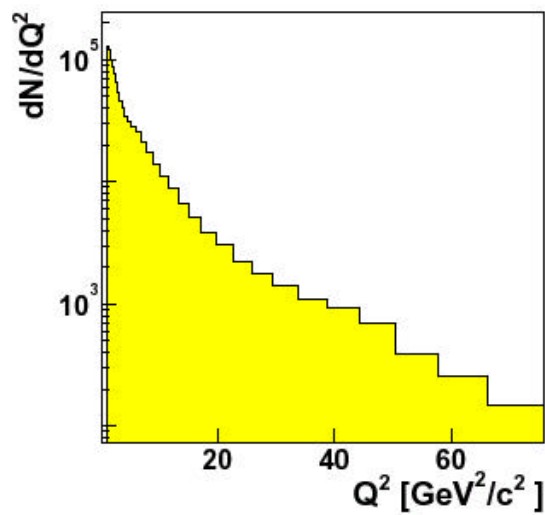
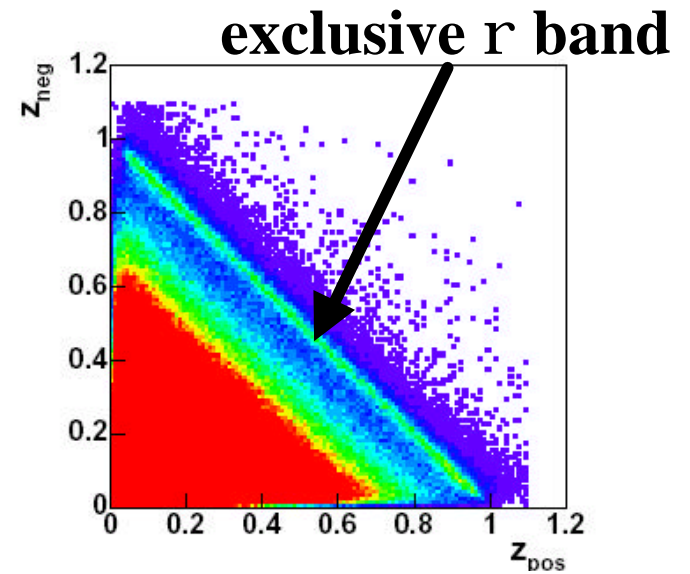
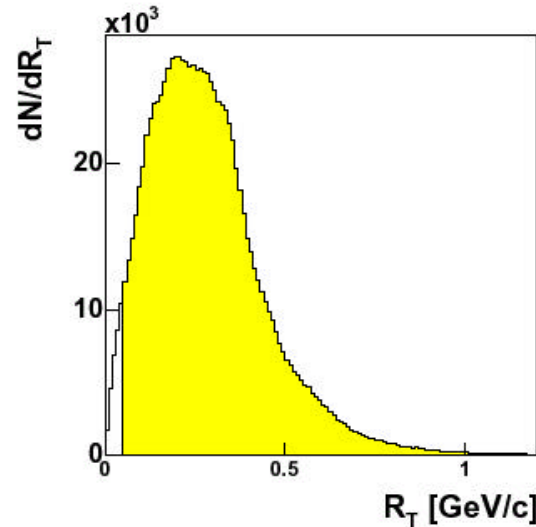
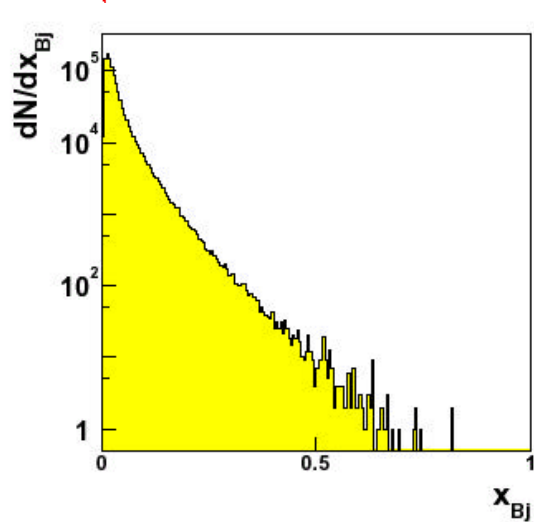
Hadron multiplicity
for **negative** charges



We choose one positive hadron and one negative hadron.



Distributions and cut for hadrons

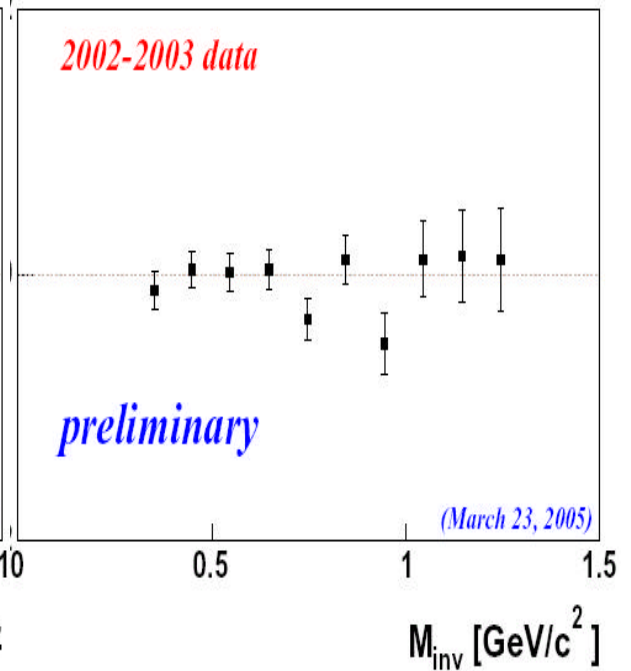
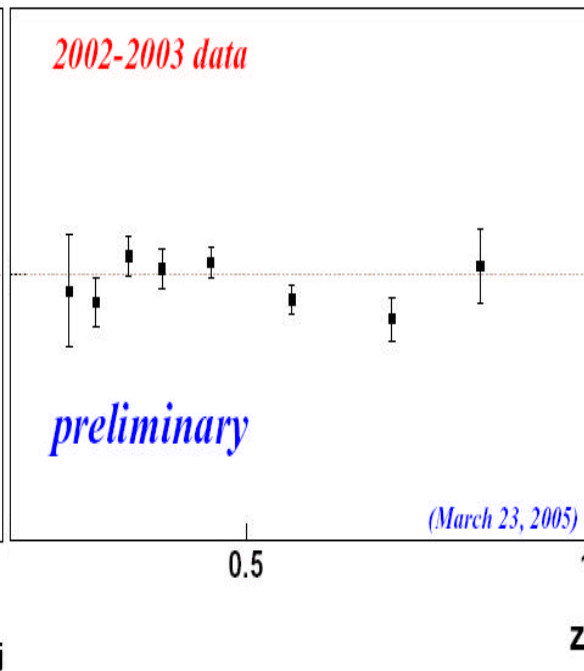
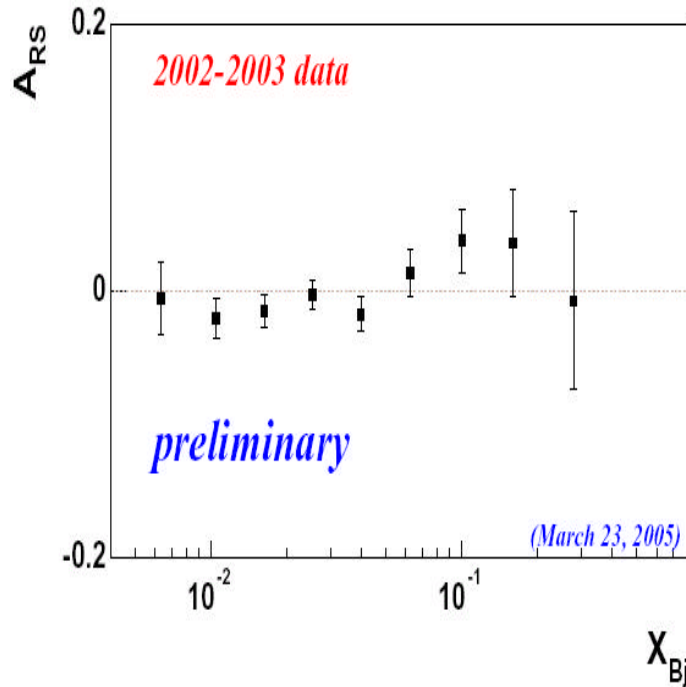
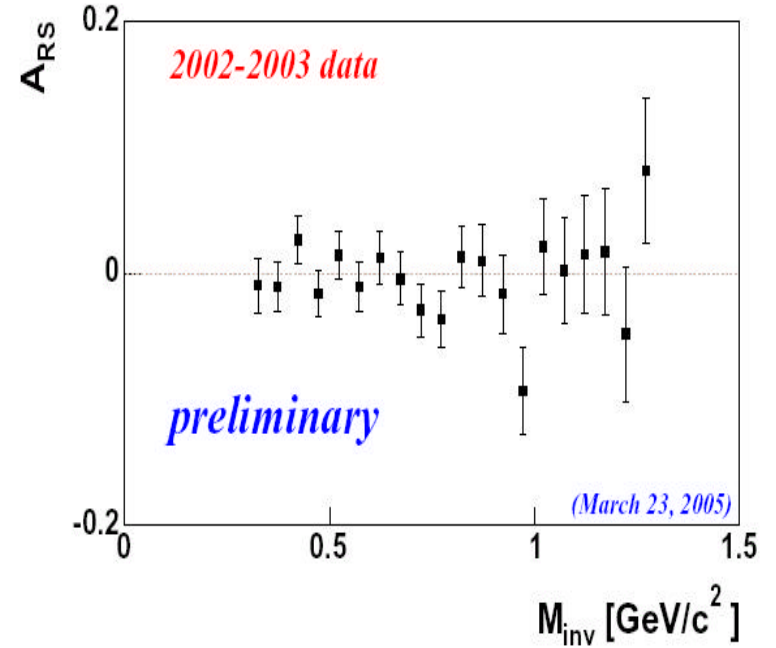




2-hadron asymmetries (2002+2003 data)

preliminary

very small or compatible to zero





4 Summary and ...

(longitudinal part)

- New data (2002+2003) for A_1^d and g_1^d were shown (published).
significant improvement at low x
- A QCD fit including new deuteron data was shown. $\Delta\Sigma$ obtained
- New data (2002+2003) for semi-inclusive asymmetries $A_{1,d}^{h+}$, $A_{1,d}^{h-}$ were shown (preliminary).

(transverse part)

- Collins and Sivers SSA calculated
2002 data (published) , 2003 data (preliminary)
- SSA in two hadron correlation were shown
2002 +2003 data (preliminary)
- In both cases asymmetries are small and compatible with zero.



... Outlook

(analysis)

- 2004 data (both longitudinal and transvers) under analysis

(experiment)

- muon program will be going on in 2006 and more data will be accumulated

--deuteron target(LiD) for longitudinal part

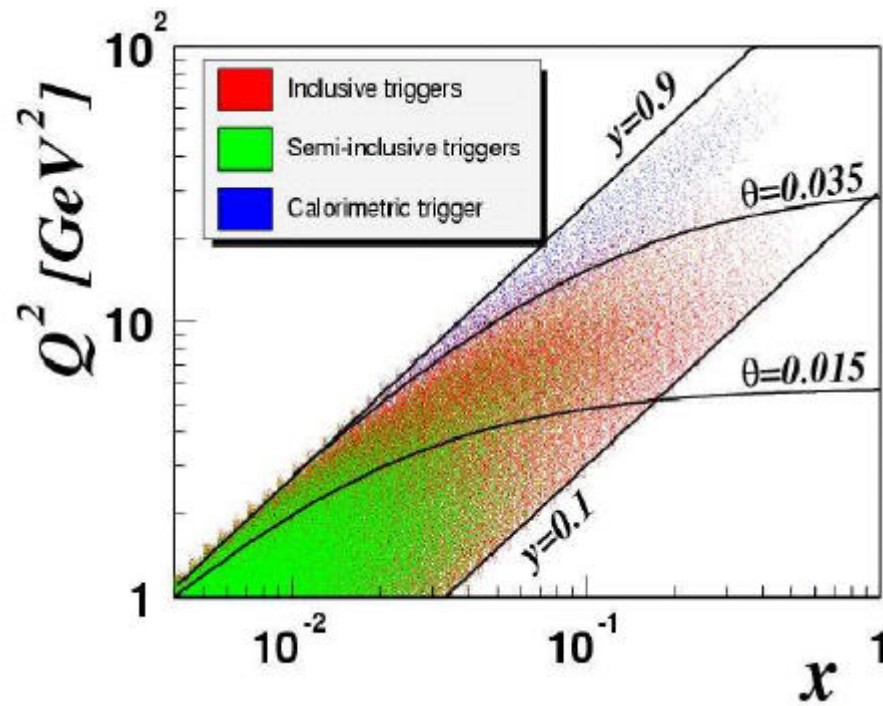
--proton target(NH₃) for transverse part

--> complementary and comparable accuracy to
deuteron data expected

Merci

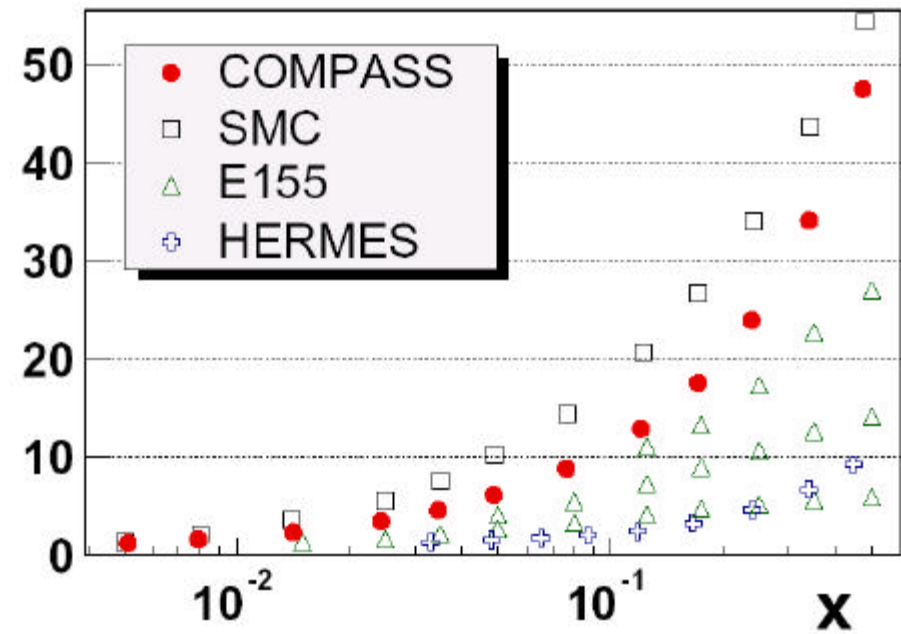
Addendum after my talk

x vs Q^2 distribution

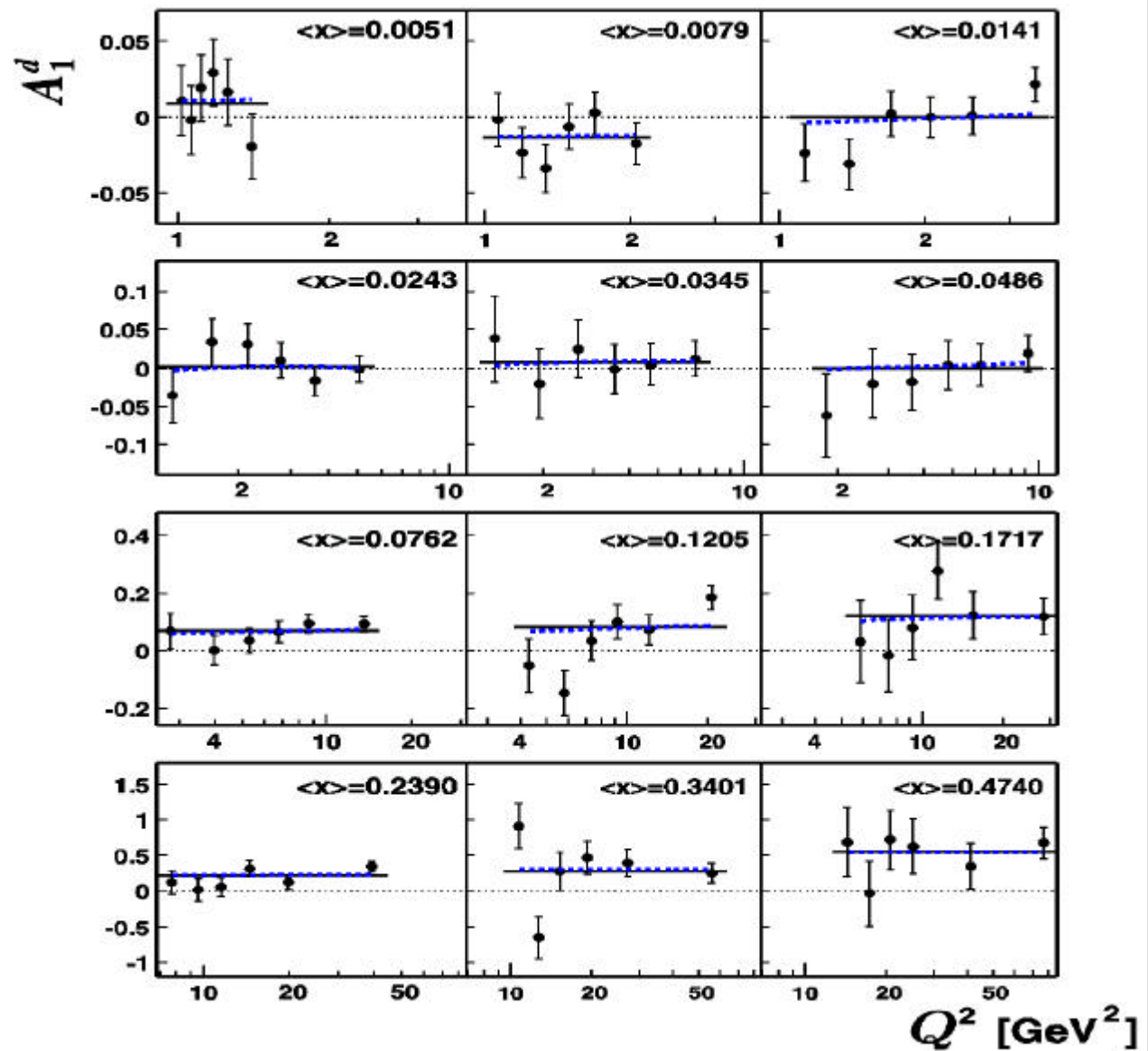


$\langle Q^2 \rangle$

Kinematics



Dependence of A_1^d on Q^2



QCD fit to world data

Table 3: Quark spin content ($\Delta\Sigma$ in $\overline{\text{MS}}$ scheme) and ΔG . The quoted errors are only statistical.

		Compass fit Comp. data incl.	Compass fit Comp.data excl.	AAC03	LSS05
$\Delta\Sigma$	$Q^2 = 1 \text{ GeV}^2$	0.239 $\begin{matrix} +0.024 \\ -0.025 \end{matrix}$	0.216 $\begin{matrix} +0.036 \\ -0.048 \end{matrix}$	0.213 ± 0.039	0.189 ± 0.054
	$Q^2 = 4 \text{ GeV}^2$	0.237 $\begin{matrix} +0.024 \\ -0.029 \end{matrix}$	0.202 $\begin{matrix} +0.042 \\ -0.077 \end{matrix}$		
ΔG	$Q^2 = 1 \text{ GeV}^2$	0.44 ± 0.19	0.44 ± 0.21	0.50 ± 0.35	0.20 ± 0.26
	$Q^2 = 4 \text{ GeV}^2$	0.47 $\begin{matrix} +0.21 \\ -0.20 \end{matrix}$	0.53 ± 0.23		