



Exclusive ρ^0 and ϕ meson production from COMPASS.

A.Korzenev

on behalf of the COMPASS collaboration

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Mainz Universität, on leave from JINR, Dubna





Outline of the talk

- COMPASS potentials for exclusive VM study.
- Experimental set-up.
- First preliminary results
 - Sample selection criteria.
 - Skewing of ρ^0 invariant mass distribution (Söding model).
 - Angular distributions.
- Outlook.



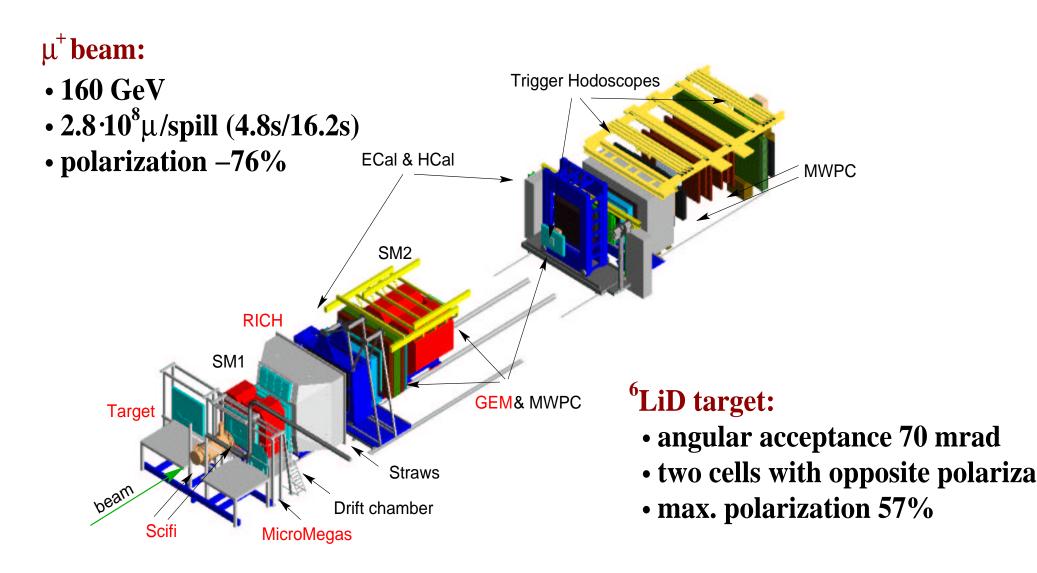


COMPASS potentials for exclusive VM study

- COMPASS initially designed for semi-inclusive asymmetry study.
- Trigger perfectly adopt exclusive reactions which are in addition
 - are easier from reconstruction point of view (3 tracks in final state)
 - better satisfy geometrical acceptance conditions due to the forward property of diffractive reactions
- Trigger allow the measurement in wide Q^2 region from soft diffraction $Q^2 > 10^{-3} (\text{GeV/c})^2$ to pQCD $Q^2 < 20 (\text{GeV/c})^2$.
- High luminosity results to the large statistics.











Trigger concept scattered Inclusive triggers ($Q^2 > 0.5 (GeV/c)^2$) background Trigger Signal • geometric property of scattered μ H5 **Coincidence Matrix** Hodoscopes $(T_c \sim 2ns)$ Semi–inclusive triggers ($Q^2 < 5 (GeV/c)^2$) H4 Thresh. • geometric property of scattered μ • minimal energy deposition in hadron calorimeter HCAL $\begin{array}{c} \rho^{0} \rightarrow \pi^{+}\pi^{-} \\ \varphi \rightarrow K^{+}K^{-} \end{array}$ Hadrons Target $J/\psi {\rightarrow} \mu^{\!\!+} \, \mu^{\!\!-}$ suppressed Beam

DIS2003, St.Petersburg



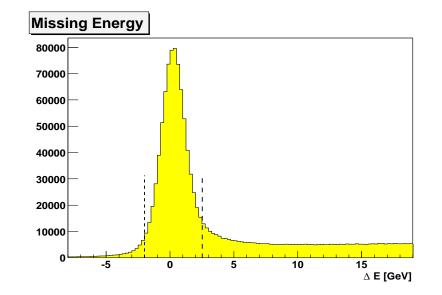


Selection criteria

- Four tracks in the primary vertex $\{\mu, \mu', h^+, h^-\}$
- To minimize distortions due to inefficiency for soft tracks: $\nu > 30 \text{ GeV}$
- To reduce contamination due to triggering by muons from decays of final state hadrons: $E_{\mu'} > 20 \text{ GeV}$
- To reduce the contribution from non-exclusive background: $|t'| < 0.5 \ (\text{GeV/c})^2$
- Cut on missing energy to suppress nonexclusive events which exhibit the same topology: $-2 < \Delta E < 2.5$ GeV

$$\Delta E = \frac{M_x^2 - M_{targ}^2}{2M_{targ}}$$

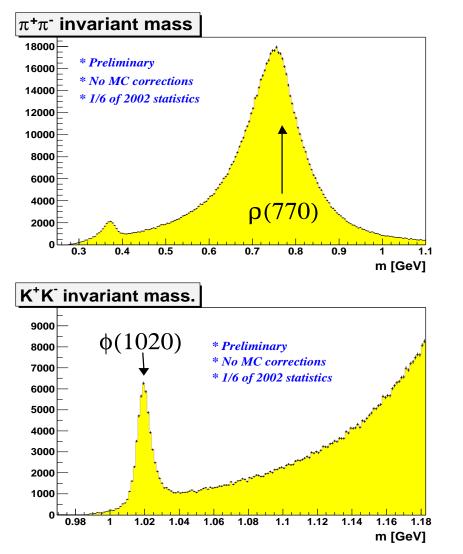
$$M_x = \sqrt{(p+q-p_V)^2}$$







Events after selection



- Skewing of ρ^0 invariant mass due to the interference with non-resonant background
- The small peak below 0.4 GeV is due to assignment of the pion mass to the kaons from φ decay.

• Clear ϕ peak on the reflection of the ρ^0 tail.



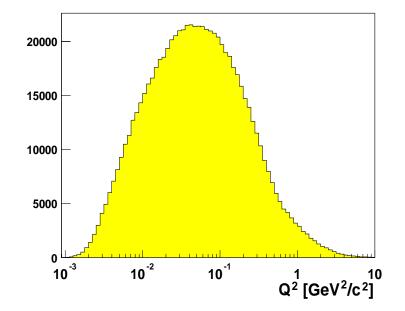


Statistics and kinematic interval

meson	mass cut	statistics $(1/6 \text{ of } 2002)$
$ ho^0$	$0.5 < m_{\pi\pi} < 1 \mathrm{GeV}$	$1.3\cdot 10^6$
ϕ	$ m_{KK} - m_{\phi} < 9 \mathrm{MeV}$	$42 \cdot 10^3$

$$7.5 < W < 16 \text{ GeV}$$

 $10^{-3} < Q^2 < 10 (\text{GeV/c})^2$
 $30 < \nu < 160 \text{ GeV}$
 $|t'| < 0.5 (\text{GeV/c})^2$







Interference between ρ^0 production and "Drell mechanism"

• The contribution from resonant and non-resonant terms are added coherently on the level of amplitudes

$$\frac{dN}{dm_{\pi\pi}} = \left| A \cdot \frac{\sqrt{m_{\pi\pi}m_{\rho}\Gamma(m_{\pi\pi})}}{m_{\pi\pi}^2 - m_{\rho}^2 + i m_{\rho}\Gamma(m_{\pi\pi})} + B \right|^2 + f_{PS} ,$$

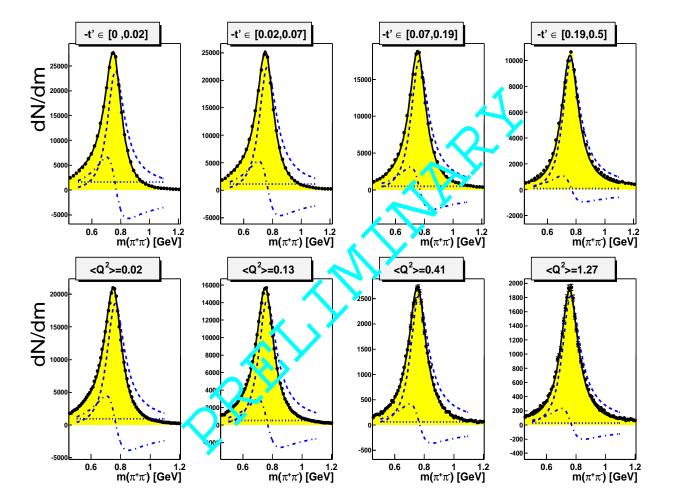
where

$$\Gamma(m_{\pi\pi}) = \Gamma_{\rho} \left(\frac{q}{q_0}\right)^3 \frac{m_{\rho}}{m_{\pi\pi}}$$

- $\bullet\,$ The fist term is the relativistic $p\mbox{-wave}$ Breit-Wigner resonant amplitude
- The second term is the non-resonant amplitude which is assumed to be real and constant
- The third term is contribution from non-exclusive background







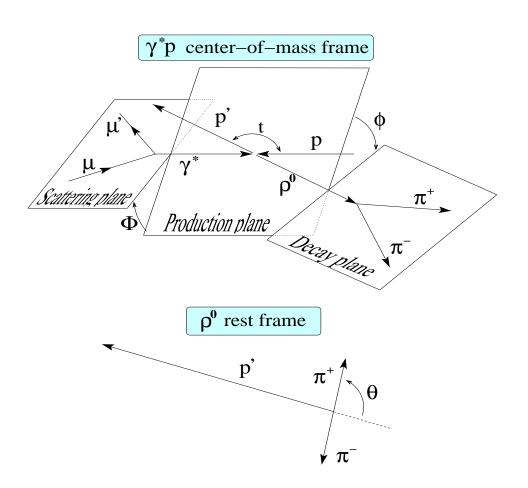
Fit with Söding parametrization

- No acceptance corrections
- Non-exclusive contribution is subtracted
- Non-resonant contribution decreases with increase of |t'| or increase of Q^2





Angular distributions



- The spin state of ρ^0 and ϕ will be reflected in angular distributions $W(\cos\theta, \phi, \Phi)$ of decay products
- Integrating over ϕ and Φ we get

$$W(\cos\theta) = \frac{3}{4} \left[(1 - r_{00}^{04}) + (3r_{00}^{04} - 1)\cos^2\theta \right],$$

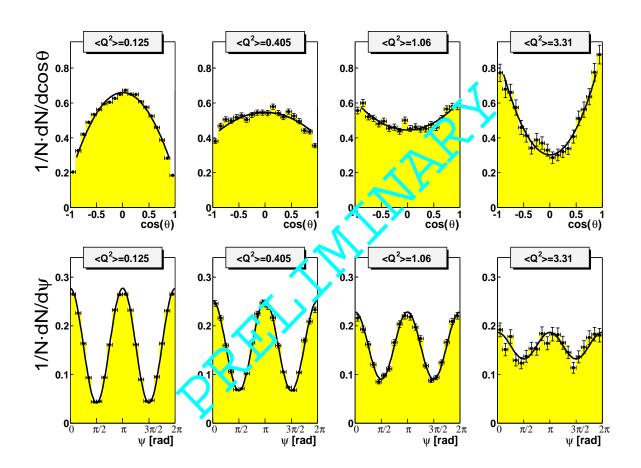
where r_{00}^{04} represents the probability that VM was longitudinally polarized (helicity 0)

Assuming the validity of SCHC the angular dependence on φ and Φ reduces to ψ dependence (ψ = φ - Φ). Integration over θ leads then to

$$W(\psi) = \frac{1}{2\pi} [1 + 2\epsilon \ r_{1-1}^1 \cos 2\psi].$$







Angular distributions

- No acceptance and smearing corrections
- To decrease angular smearing effect $p_t > 0.15 \text{ GeV/c}$
- For current analysis $Q^2 > 0.05 \ (\text{GeV/c})^2$





Outlook

- High luminosity allows to collect large statistics sample.
- Trigger conditions allow the measurement in transition region from soft diffraction to pQCD.
- Possibility to measure double spin asymmetries with high accuracy.
- Spin transfer mechanism can be studied (violation of SCHC).
- Study of GPD at large Q^2 .