
$q(x)$ : number density or unpolarized distribution

## First data from '70 (SLAC)

$\Delta q(x)=q^{\#}-q^{\ddagger}$ : longitudinal polarization or helicity distribution


Starting from the '80 (E80, EMC)
$\Delta_{T} q(x)=q^{\dagger t}-q^{\dagger t}$ : transverse polarization or transversity distribution

## Still unmeasured

Measurement is difficult and theoretically transverse spin effects have been neglected for long time (re-raised in the '90)

- Tensor charge ('91-'92):

$$
g_{T}=\int d x\left[\Delta_{T} q(x)-\Delta_{T} \bar{q}(x)\right]
$$

in analogy with:

$$
g_{A}=\int d x[\Delta q(x)+\Delta \bar{q}(x)]
$$

- Soffer inequality (95):

$$
\Delta_{T} q(x) \leq q^{+}(x)=\frac{1}{2}\left[\Delta_{T} q(x)+q(x)\right]
$$

- Leader sum rule (04):

$$
\frac{1}{2}=\frac{1}{2} \sum_{q, q} \int_{q, q, g} d x \cdot \Delta_{T} q(x)+\sum_{\overline{\bar{q}}}\left\langle L_{T}\right\rangle
$$

in analogy with:

$$
S_{z}=\frac{1}{2} \Delta \Sigma+\Delta G+\left\langle L_{z}\right\rangle
$$

How to access it？$\Rightarrow$

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## Measuring $\Delta_{T} q(x)$

## Chiral-odd: requires another chiral-odd partner



$$
e p^{\uparrow} \rightarrow e^{\prime} h_{\perp} X
$$



Convolution with fragmentation functions (measurements of ff ongoing at BELLE)

## How to access it:




More than 220 physicists from 30 Institutes and 12 Countries




## OMPs

## For transversity:

Relaxing time > 2000 hrs
${ }^{3} \mathrm{He}-{ }^{4} \mathrm{He}$ Dilution
refrigerator $(\mathrm{T} \sim 50 \mathrm{mK})$
superconductive Solenoid (2.5 T) Dipole (0.5 T)

two 60 cm long Target-Containers with opposite polarization
During data taking for transversity dipole field always $\uparrow$



(20.

## COMPASS acceptance



DIS variables
$\mathrm{W}^{2}=(p+q)^{2}=M^{2}+2 M v+q^{2}$
$\mathrm{Q}^{2}=-q^{2} \cong 2 l \cdot l^{\prime}=4 E E \cdot \sin ^{2} \frac{\theta}{2}$
$v=\frac{Q^{2}}{2 M}=E-E^{\prime}$
$x_{\mathrm{Bj}}=\frac{Q^{2}}{2 p \cdot q}=\frac{Q^{2}}{2 M v}$
$y=\frac{p \cdot q}{p \cdot k}=\frac{v}{E}$
$z=\frac{E_{h}}{v}$

Excellent for non-perturbative \& perturbative physics

- small $x_{B j}$ \& very small $Q^{2} \rightarrow Q^{2}>100(\mathrm{GeV} / \mathrm{c})^{2}$


## COMPASS data sample

## - In so far ( 3 years ) <br> - only DIS off 6LiD <br> - only runs with transverse polarized target being analyzed

|  |  | runs | good runs | used events in the analysis |
| :---: | :---: | :---: | :---: | :---: |
|  | 2002 | 475 | $\begin{gathered} 453 \\ \text { (100 SPS spills) } \end{gathered}$ | 1.6 - $10^{6}$ |
| RICH PID | 2003 | 479 | $\begin{gathered} 429 \\ \text { (100 SPS spills) } \end{gathered}$ | $\sim 4 \cdot(2002)$ |
| E-Calorimetry | $200 \uparrow$ | 496 | $\begin{gathered} 470 \\ \text { (200 SPS spills) } \end{gathered}$ | ~2•(2003) |

3 possible quark polarimeters are being explored in COMPASS:
$\Rightarrow$ Collins effects of (leading) $h^{ \pm}$
$\Rightarrow$ Part A: first analisys finalized on 2002 data (accepted for publication on PRL)

* Azimuthal dependence of the plane containing hadrons pairs
$\Rightarrow$ Part B: first test and preliminary results on 02-03 data
$\Rightarrow$ Measurement of transverse polarization of spin $\frac{1}{2}$ baryons
(e.g. $\Lambda$ hyperon)
- Analysis ongoing, no results yet

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$\phi_{S}=$ azimuthal angle of spin vector of fragmenting quark (before scattering)
$\phi_{S^{\prime}}=$ azimuthal angle of spin vector of fragmenting quark (after scattering)
$\phi_{h}=$ azimuthal angle of hadron

$$
\phi_{\text {Coll }}=\phi_{h}-\phi_{S^{\prime}}=\phi_{h}+\phi_{S}-\pi
$$

$$
N_{h}^{ \pm}=N_{h}^{0} \cdot\left[1 \pm A_{1} \cdot \sin \Phi_{\text {Coll }}\right]
$$

$$
A_{1}=f \cdot P_{T} \cdot D \cdot A_{\text {Coll }}
$$

$$
A_{\text {Coll }}=\frac{\sum_{a} e_{a}^{2} \cdot \Delta_{T} q_{a}(x) \cdot \Delta_{T}^{0} D_{a}^{h}\left(z, p_{T}^{n^{2}}\right)}{\sum_{a} e_{a}^{2} \cdot q_{a} \cdot D_{a}^{h} \text { Calculated }}
$$ $p_{t}$ and for "Leading Hadrons" and for "All Hadrons"

## $\phi_{S i v}=\phi_{h}-\phi_{S}$

- The quark intrinsic moment cannot be neglected $\rightarrow$ an azimuthal asymmetry not connected with PDF is introduced But

Azimuthal angular dependence different $\rightarrow \sin \left(\phi_{\text {siv }}\right)$

$$
\begin{aligned}
& A_{1}=f \cdot P_{\mathrm{T}} \cdot \mathrm{D} \cdot \mathrm{~A}_{\text {Siv }} \\
& \mathrm{N}_{\mathrm{h}}^{ \pm}=\mathrm{N}_{\mathrm{h}}^{0} \cdot\left[1 \pm \mathrm{A}_{1} \cdot \sin \Phi_{\text {Siv }}\right] \\
& A_{\text {Siv }}^{\sin \Phi_{\text {Siv }}}=\frac{\Sigma_{q} e_{q}^{2} \Delta_{0}^{T} q(x) \cdot D_{q}^{h}\left(z, p_{T}^{h_{T}^{2}}\right)}{\sum_{q} e_{q}^{2} \cdot q \cdot D_{q}^{h}}
\end{aligned}
$$

## Event Selection

- DIS cuts:
- $Q^{2}>1(\mathrm{GeV} / \mathrm{c})^{2}$
- 0.1 1y 0.9
- W $25 \mathrm{GeV} / \mathrm{c}^{2}$
- Hadrons
- Track Lengthर10 Xo
- Energy Deposit in ECALs < 5(8) GeV
- Leading Hadron
- $0.25<z<1$
- Pt>0.1 GeV/c
- z-missing cut
- All Hadrons
- z>0.2
- $P_{+}>0.1 \mathrm{GeV} / \mathrm{c}$


## Kinematical distributions





## Only statistical errors shown



Systematic errors are smaller than the quoted statistical errors.

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## COMPASS vs. HERMES Positive hadrons

Corrected for $\pi$ phase difference in the definition of $\Phi_{c}$ between HERMES and COMPASS

## Deuteron(COMPASS) vs. Proton(HERMES)

With present errors the 2 data sets are compatible

COMPASS higher energy $\Rightarrow$ lower $x$ (but with present statistics large errors at high $x$ )
also higher $z$
In Hermes:

- Negative Collins asymmetries:
- Positive Sivers asymmetries.

In COMPASS:

- No sizeable effect apart...
- Possible cancellations in isoscalar target?


HERMES data points from:
A. Airapetian et al, Phys. Rev. Lett. 94 (2005) 012002[DC53] (hep-ex/0408013)

## COMPASS vs. HERMES Negative hadrons

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## Deuteron(COMPASS) vs. <br> Proton(HERMES)

With present errors the 2 data sets are compatible

COMPASS higher energy $\Rightarrow$ lower $x$ (but with present statistics large errors at high $x$ )
also higher $z$
In Hermes:

- Large Positive Collins asymmetries:
- No Sivers effect.

In COMPASS:

- No sizeable effect apart...
- Possible cancellations in isoscalar target?



## HERMES data points from:

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## Expected accuracy for transversity

- Statistical accuracy increased in years 2003/4:
- trigger system upgraded;
- DAQ upgraded;
- 2004 longer run.
- 2003 data analyzed (systematics evaluation in progress)
- 2004 data production over (analysis in progress)

| Acoll statistical errrors: |  |
| :--- | :--- |
| Positive hadrons | Negative hadrons <br> (to the left): <br> $2002-$ Green: right): <br> $2002-2004$ Red. |

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First Measurement following Jaffe et al. (Phys. Rev. Lett. 80, 1166 (1998)) Using two hadrons (e.g. $\pi+\pi$-) the trasversity distribution can be accessed in conjunction with a interference fragmentation function
$\phi^{s^{\prime}}=$ azimuthal angle of spin vector of fragmenting quark with:
$\phi^{S^{\prime}}=\pi-\phi^{S}$ (spin flip)
$\phi_{R}$ definition:
$\cos \phi_{R}=\frac{\vec{q} \times \vec{l}}{|\vec{q} \times \vec{l}|} \cdot \frac{\vec{q} \times \vec{R}_{T}}{\left|\vec{q} \times \vec{R}_{T}\right|}$
$\sin \phi_{R}=\frac{\vec{q} \times \vec{R}_{T}}{\left|\vec{q} \times \vec{R}_{T}\right|} \cdot \frac{\vec{q}}{|\vec{q} \times \vec{l}|}$

$$
\begin{aligned}
& \phi_{R S}=\phi_{R}-\phi_{S^{\prime}}=\phi_{R}+\phi_{S}-\pi \\
& N_{h_{1}, h_{2}}^{ \pm}=N_{h_{1}, h_{2}}^{0} \cdot\left\lfloor 1 \pm \mathrm{A}_{U T}^{\sin \phi_{R S}} \cdot \sin \Phi_{R S}\right\rfloor
\end{aligned}
$$

$\frac{\mathrm{N}^{+}\left(\phi_{R S}\right)-r \mathrm{~N}^{-}\left(\phi_{R S}+\pi\right)}{\mathrm{N}^{+}\left(\phi_{R S}\right)-r \mathrm{~N}^{-}\left(\phi_{R S}+\pi\right)}=\mathrm{A}_{\mathrm{UT}}^{\sin \phi_{R S}} \cdot \sin \phi_{R S} \quad$ and $\mathrm{A}_{\mathrm{UT}}^{\sin \phi_{R S}}=D_{N N} \cdot f \cdot P_{T} \cdot A_{\phi_{R S}}$

$$
A_{\phi_{R S}}=\frac{\sum_{a} e_{a}^{2} \cdot \Delta_{T} q_{a}(x) \cdot H_{a}^{\varangle h}\left(z, M_{h}^{2}\right)}{\sum_{a} e_{a}^{2} \cdot q_{a} \cdot D_{a}^{h}}
$$

One model!


> R. L. Jaffe, X. Jin and J. Tang,
> Phys. Rev. Lett. 80, 1166 (1998)
$H^{\star}\left(z, M_{\pi^{+} \pi^{-}}^{2}\right) \sim \sin \delta_{0} \sin \delta_{1} \sin \left(\delta_{0}-\delta_{1}\right) H^{\star}\left(z, M_{\pi^{+} \pi^{-}}^{2}\right)$

## Another model !



Radici, Jakob, Bianconi, PRD 65, 074031
-DIS events and hadron identification as in the 1 hadron analysis

- No $\pi / \mathrm{K} / \mathrm{p}$ separation by using RICH information implemented yet


All combinations of positive $\left(h_{1}\right)$ and negative $\left(h_{2}\right)$ hadrons fulfilling:

- $z_{1}>0.1+z_{2}>0.1$
- $x_{F 1}>0.1+x_{F 2}>0.1$
$z_{h}=z_{1}+z_{2}<0.9$ (to cut exclusive $h$ production)
$1.02 \Rightarrow 0.22$ combinations/DISevent ( $2.8 \times 10^{6}$ events in $2002+2003$ only)




$$
A_{\phi_{R S}}=\frac{A_{U T}^{\sin \phi_{R S}}}{D_{N N} \cdot f \cdot P}
$$



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Andrea Bressan University -INFN Trieste

## Projections for 30 days of data taking with $\mathrm{NH}_{3}$ target (theoretical predictions by A. Efremov et al.(*) superimposed):

Taking into account:

- Variation of statistical errors: $\sigma\left(A_{N H_{3}}\right) \cong 1.34 \cdot \sigma\left(A_{\sigma_{L i D}}\right)$
- taking into account the variation of: $P_{T} \cdot f$

- COMPASS has a multi-purpose spectrometer which will take data at least until 2010;
- Collins and Sivers SSA calculated from 2002 data (first measurements on a deuteron target) accepted for publication (PRL);
- First results of the analysis concerning two opposite charge hadrons asymmetries were shown (2002+2003).
- In both cases the asymmetries are small and compatible with zero
- The total collected statistics allows to increase the presented accuracy on SSA (2002 data only) by a factor of 3 and $2 \mathrm{~h}(2002+2003)$ by 1.4
- Complementary data (of comparable statistics) will be collected in 2006 on a transversely polarized proton target $\left(\mathrm{NH}_{3}\right)$.
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