

# A complete experiment for GPDs Measurements using COMPASS at CERN after 2010

Hard exclusive production of mesons ( $\rho, \omega, \phi, \dots, \pi, \eta, \dots$ )

selection of  $\gamma_L^*$  (SCHC for  $\rho$ )

separation of

$\mathbf{H}, \mathbf{E}$  (with  $\rho, \omega, \phi, \dots$ ) and  $\tilde{\mathbf{H}}, \tilde{\mathbf{E}}$  (with  $\pi, \eta, \dots$ )  
quark flavor  $H^u, H^d, H^s, \dots$   
quark gluon contributions

Deeply virtual Compton scattering (+BH)

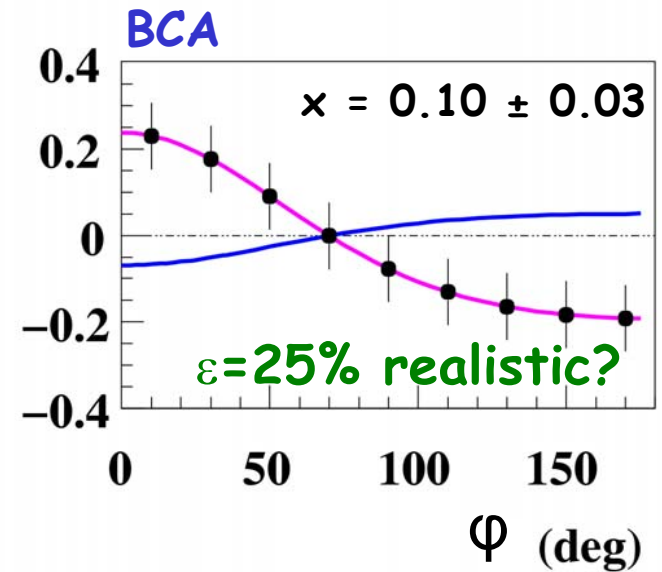
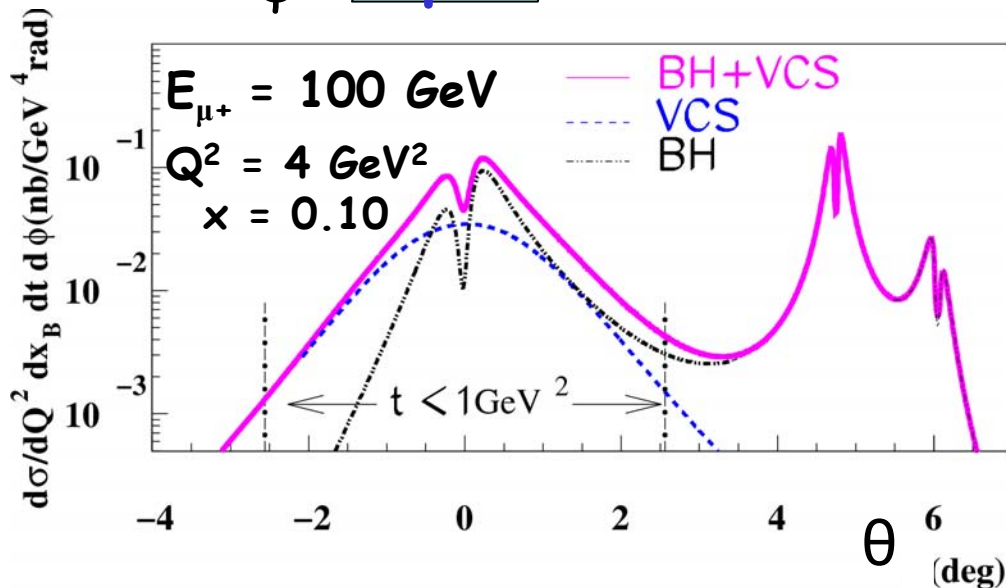
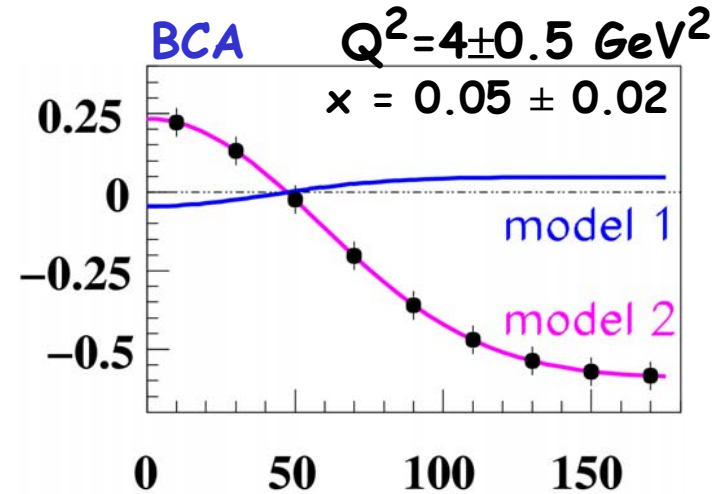
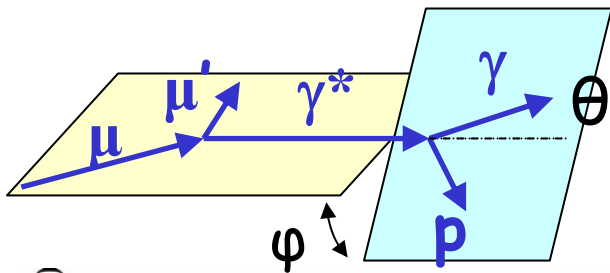
if  $E_\mu$  (or  $x_{bj}$ ) is large: DVCS  $\gg$  BH  $\Rightarrow \sigma_{\text{DVCS}}$

if not  $\Rightarrow$  interference DVCS.BH

$$\sigma^{\bar{\mu}^+} + \sigma^{\bar{\mu}^-} \sim \text{Im} H(x = \xi, \xi, t)$$
$$\sigma^{\bar{\mu}^+} - \sigma^{\bar{\mu}^-} \sim \mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi}$$

# Deeply Virtual Compton Scattering Beam Charge Asymmetry (BCA) measured with the 100 GeV muon beam at COMPASS

$$\sigma^{\bar{\mu}^+} - \sigma^{\bar{\mu}^-} \sim \mathcal{P} \int_{-1}^{+1} dx \frac{H(x, \xi, t)}{x - \xi}$$

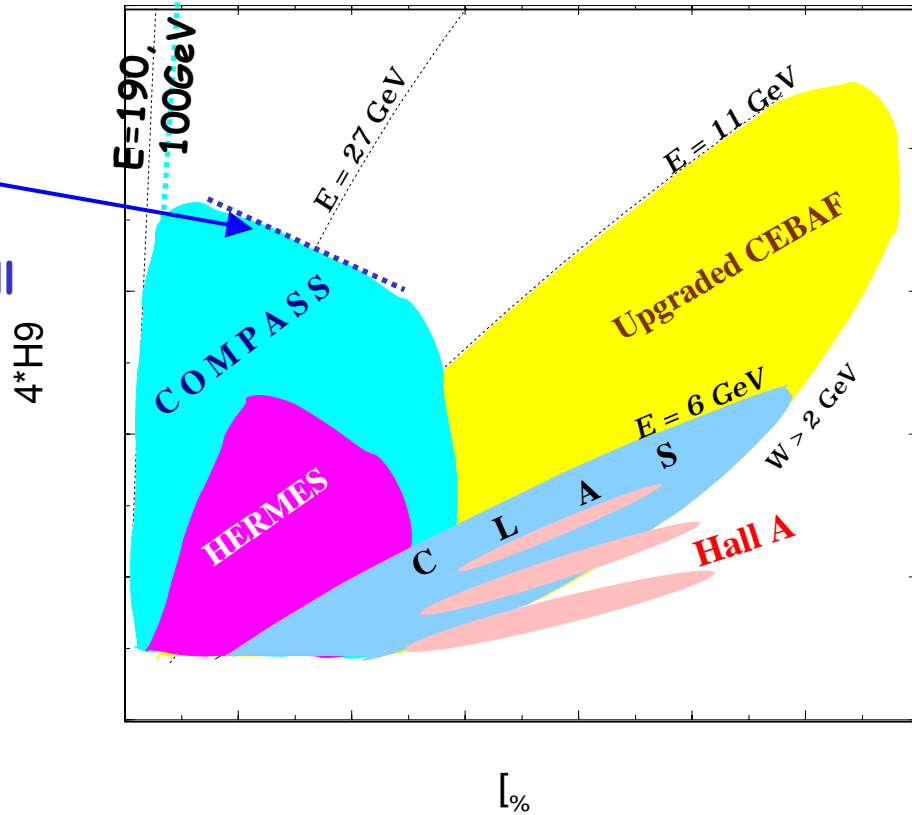


# Complementarity of the experiments in the world

Limitation by luminosity

now  $N_\mu = 2 \cdot 10^8 \mu$  per SPS spill  
 $\Rightarrow Q^2 < 7 \text{ GeV}^2$

if  $N_\mu \times 10$   
 $\Rightarrow Q^2 < 30 \text{ GeV}^2$



$0.0001 < x_{Bj} < 0.01$   
 Gluons

H1 and ZEUS

Valence and sea quarks  
 And Gluons

Hermes  
 COMPASS

Valence quarks

JLab

## General requirements

The highest luminosity

$N\mu=2 \cdot 10^8$  per SPS cycle (Radio Protection limit)  
duration 5.2s repetition each 16.8s

With a new 2.5m long liquid hydrogen target  
 $\Rightarrow L=1.3 \cdot 10^{32} \text{ cm}^{-2}\text{s}^{-1}$

In 2011, with the Linac4 what could be the limitation?

What is the impact of an increased intensity  
on the detectors?

## Precise absolute luminosity measurement

With NMC it has been achieved within a 1% accuracy

The integrated muon flux is measured continuously by 2 methods

- 1) By sampling the beam with a random trigger ( $\alpha$  emitter  $\text{Am}^{241}$ )
- 2) By sampling the counts recorded in 2 scintillator hodoscope planes used to determine incident beam tracks

The beam tracks are recorded off-line, in the same way as the scattered muon tracks to determine the integrated usable muon flux

To test again for meson production

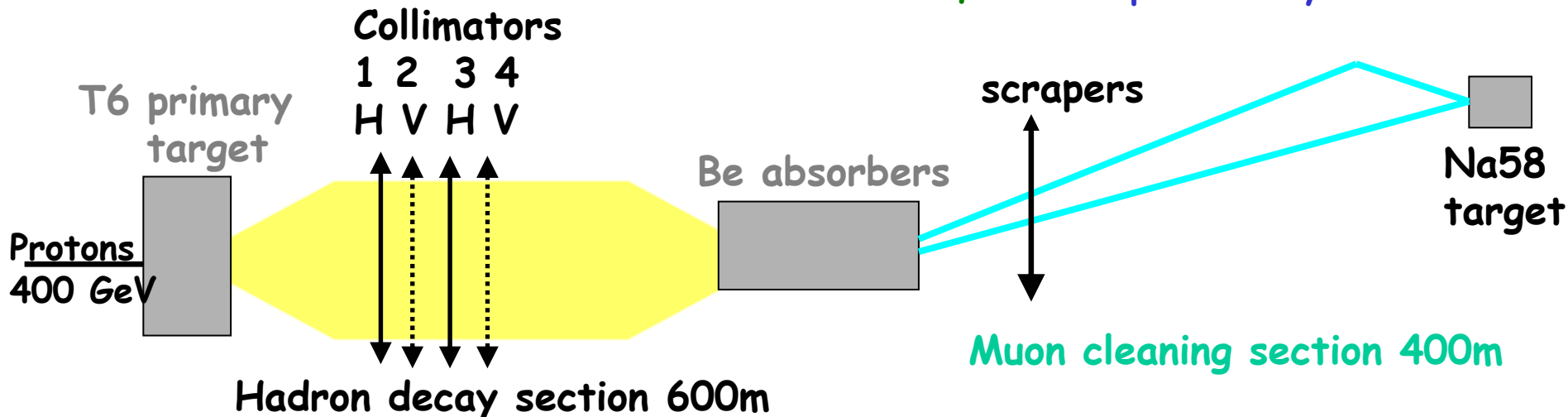
# $\mu^+$ and $\mu^-$ beams

## Requirements:

- same energy
- same and maximum intensity
- opposite polarisation to a few %

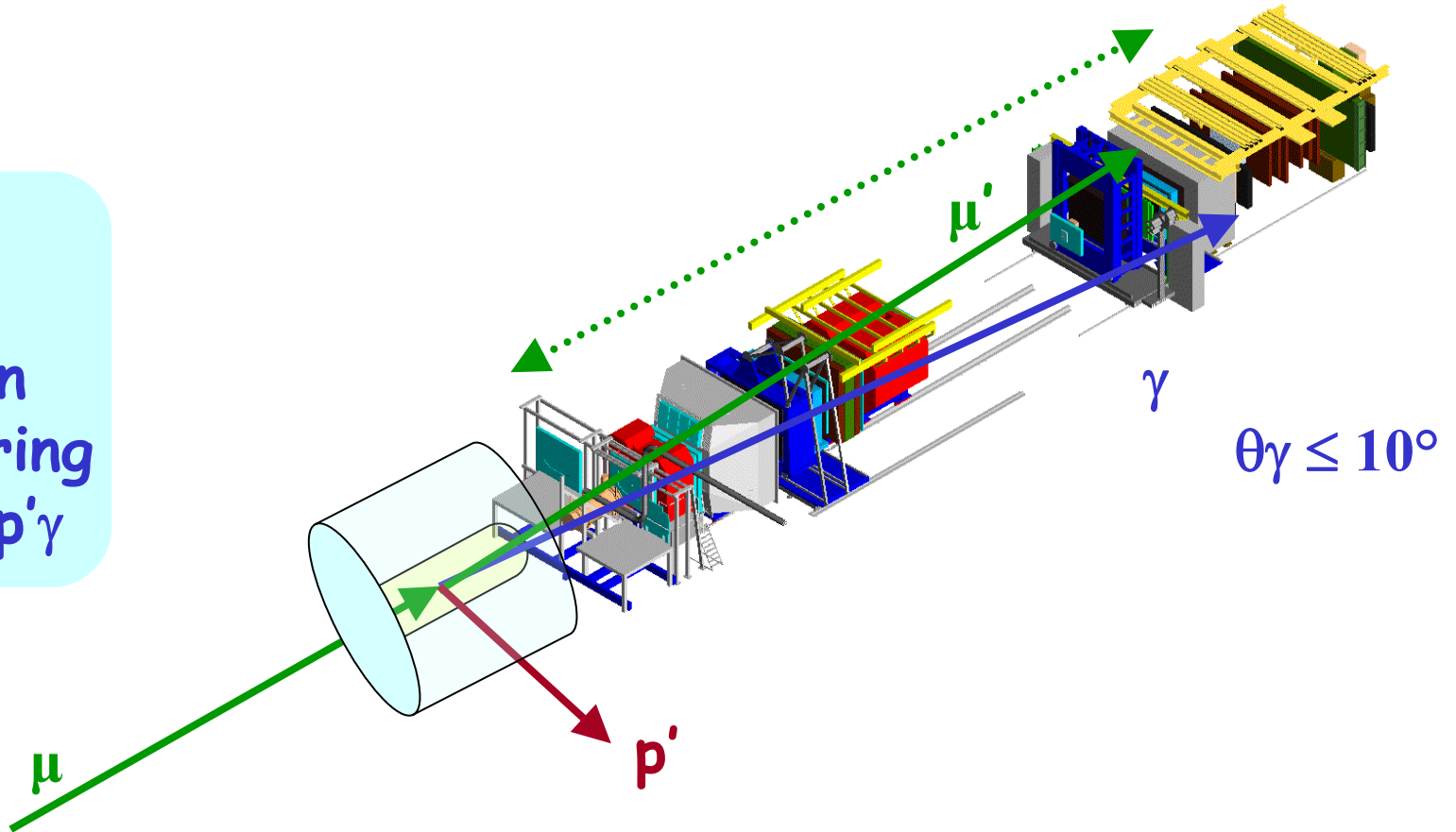
## Solution proposed by Lau Gatignon:

- 1) To select  $P_\pi=110\text{GeV}$  and  $P_\mu=100\text{GeV}$  to maximise the muon flux
- 2) To keep constant the collimator settings which define the  $\pi$  and  $\mu$  momentum spreads (fixed Collimators 1H and 3H and Scrapers 4V and 5V)  
 $\Rightarrow \text{Pol } \mu^+ = -0.8$  and  $\text{Pol } \mu^- = +0.8$
- 3) To fix  $N_{\mu^-} \sim 2 \cdot 10^8$  per SPS cycle with the 500mm Be T6 target
- 4) To use a shorter target to find also  $N_{\mu^+} \sim 2 \cdot 10^8$  per SPS cycle



# Necessity to complete at large angle the high resolution COMPASS spectrometer

Deeply  
Virtual  
Compton  
Scattering  
 $\mu p \rightarrow \mu' p' \gamma$



By a recoil detector to insure the  
exclusivity of the reaction

## Resolution needed

At these energies (for  $\mu$ ,  $\mu'$ , and  $\gamma$ )  
the missing mass technique is not adapted

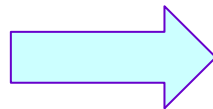
$$\Delta M^2_{\text{required}} = (m_p + m_\pi)^2 - m_p^2 = 0.25 \text{ GeV}^2$$

$$\Delta M^2_{\text{observed}} = \sum_i \partial M^2 / \partial i \times \Delta i \text{ with } i = P_\mu, P_{\mu'}, P_\gamma, \theta_\mu, \theta_{\mu'}, \theta_\gamma, \dots$$

ex:

	$\Delta M^2(P_\mu)$	$\sim 2$	$\times$	$4 \cdot 10^{-3}$	$\times 100$	$= 0.8 \text{ GeV}^2$
$Q^2=4 \quad x=0.1$	$\Delta M^2(P_\gamma)$	$\sim 1$	$\times$	$3 \cdot 10^{-2}$	$\times 20$	$= 0.6 \text{ GeV}^2$

$$\Rightarrow \Delta M^2_{\text{observed}} > 1 \text{ GeV}^2$$



Need of a recoil detector  
to insure the exclusivity



# Competing reactions to DVCS

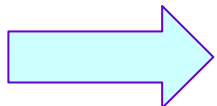
DVCS:  $\mu p \rightarrow \mu p \gamma$

HE $\pi^0$ P:  $\mu p \rightarrow \mu p \pi^0$   
 $\hookrightarrow \gamma\gamma$

Dissociation of the proton:  
 $\mu p \rightarrow \mu N^* \pi^0$   
 $\hookrightarrow N\pi$

DIS:  $\mu p \rightarrow \mu p X$   
with  $1\gamma, 1\pi^0, 2\pi^0, \eta\dots$

Beam halo  
with hadronic contamination  
Beam pile-up  
Secondary interactions  
External Bremsstrahlung



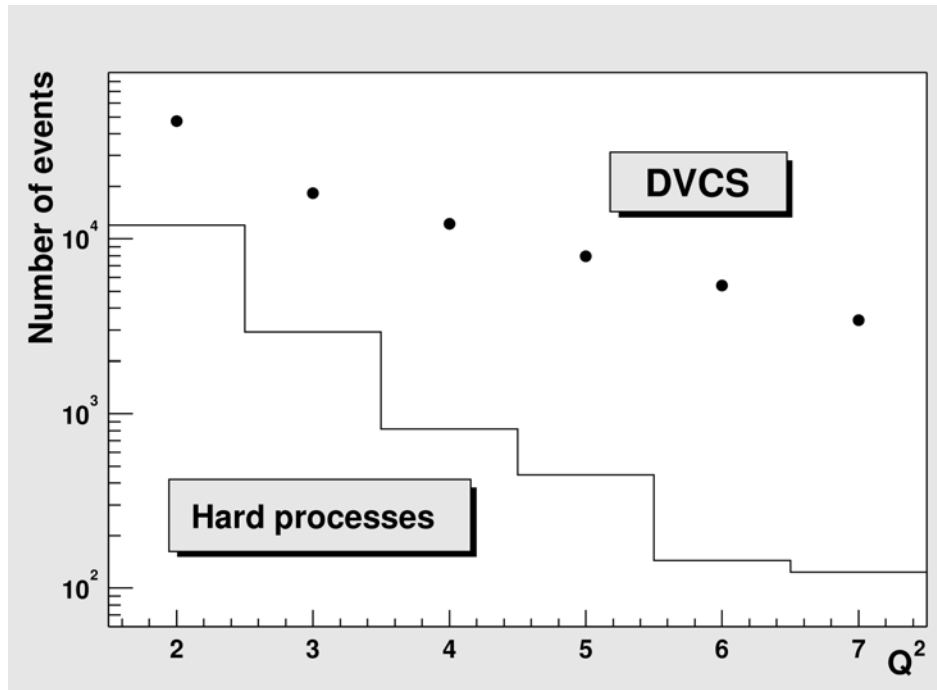
Simulation to improve

# Selection DVCS/DIS

with PYTHIA 6.1

Tune parameters:

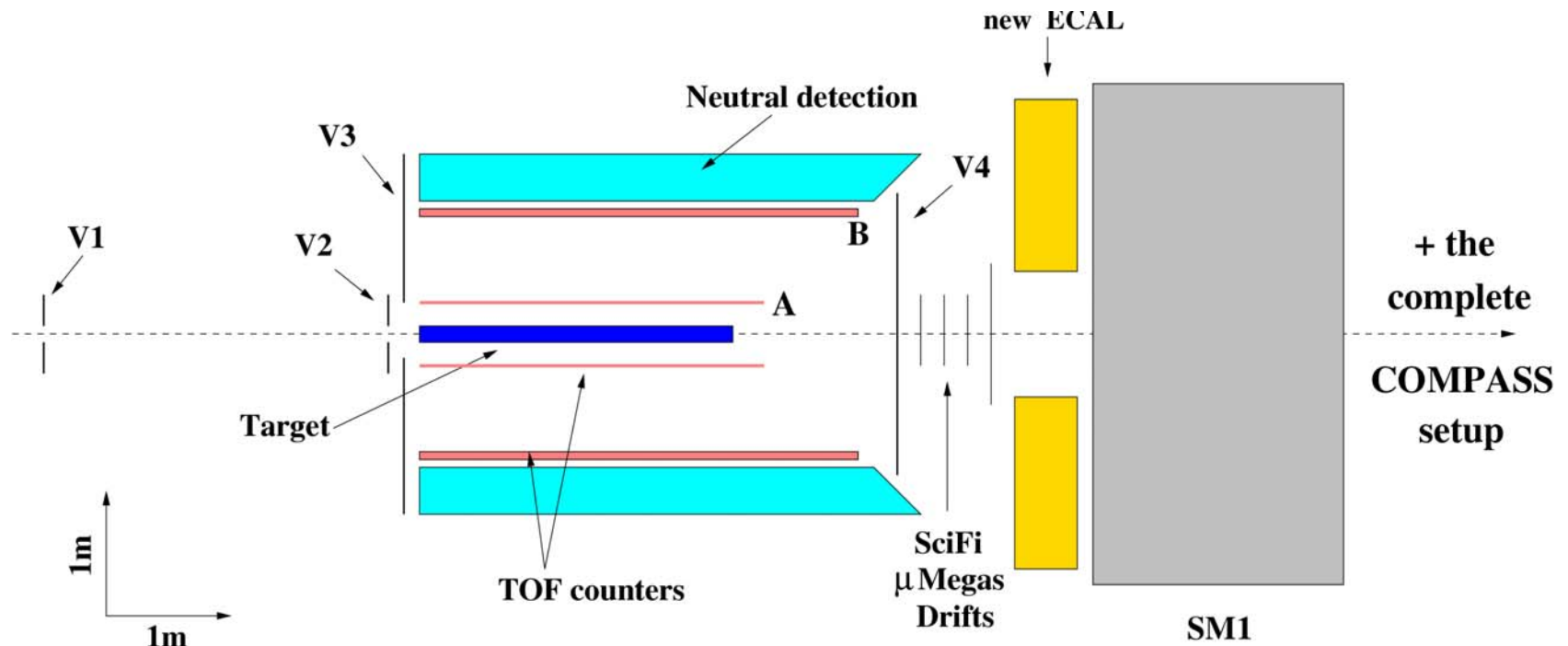
- maximum angle for photon detection  $24^\circ$
- threshold for photon detection  $50\text{MeV}$
- maximum angle for charged particle detection  $40^\circ$



# Additional equipment to the COMPASS setup

A possible solution:

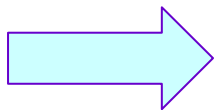
(proposed in the Workshop on the Future Physics at COMPASS 26 Sept 2002)



Goal of the JRA in the EU FP6:  
Realisation of a prototype detector  
consisting of a  $45^\circ$  sector

## Key role of the Calorimetry

- ECAL2 from  $0.4$  to  $2^\circ$  mainly lead glass GAMS
- ECAL1 from  $2$  to  $10^\circ$  good energy and position resolution for 2 photons separation in a high rate environment
- ECALO from  $10$  to  $24^\circ$  to be designed for background rejection



Intensive Study of photon and  $\pi^0$  production

# Requirements for a recoil detector @ COMPASS

- Requirements:
- ▶ be large and hermetic
  - ▶ identify protons and measure their low momentum

$$250 \text{ MeV}/c \leq P \leq 750 \text{ MeV}/c$$



limited by thickness of target

$$t_{\min} = 0.06 \text{ GeV}^2$$



ideal for proton/pion separation

$$t_{\max} = 0.60 \text{ GeV}^2$$

- ▶ momentum resolution from 2 to 5 %
- ▶ polar and azimuthal angle resolution from 1 to 2 degree
- ▶ longitudinal vertex reconstruction 1 to 2 cm

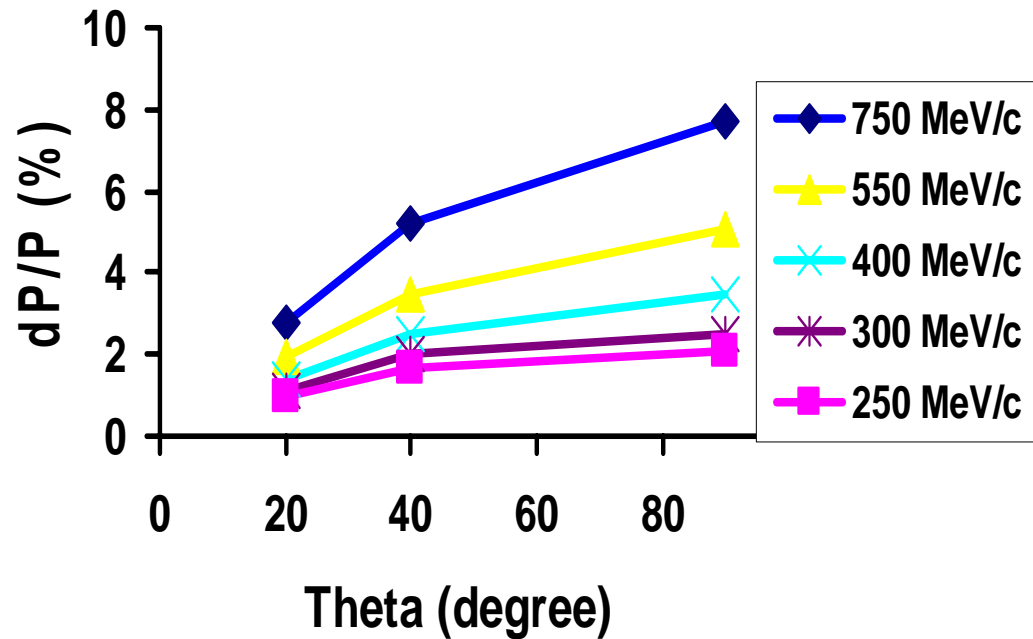
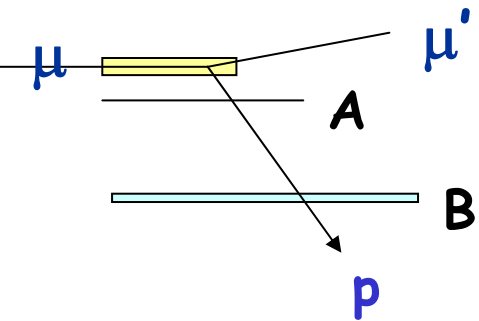
Economy  $\Rightarrow$  Time of Flight of large volume, of typical resolution of 200 ps



# Relation between ToF resolution and dP/P

If ToF resolution = 200ps

$$dt/t \sim 2 dP/P$$



$$\frac{dP}{P} = \frac{1}{1 - \beta^2} \frac{\sin \theta}{R_B - R_A} \sqrt{\cos^2 \theta (dz_B^2 + dz_A^2) + \beta^2 c^2 dt_{AB}^2}$$

# challenges for the JRA

## Tests in 2001

$$L_A=40, L_B=70\text{cm}$$

$$\Delta\Phi=2\pi/48$$

$$\sigma(\text{ToF})=300\text{ps}$$

$$\sigma T_{A(t=4\text{mm})}=290\pm 30\text{ps}$$



$$\sigma T_{B(t=5\text{cm})}=180\pm 30\text{ps}$$

$$v_A=13\text{cm/ns} \rightarrow dz_A=1.9\text{cm}$$

$$v_B=19\text{cm/ns} \rightarrow dz_B=1.7\text{cm}$$

→

## Goal of the prototype

$$L_A=280, L_B=400\text{cm}$$

$$\Delta\Phi=2\pi/24$$

→ 200ps

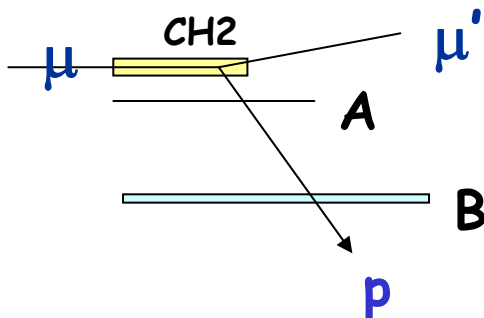
→ 140ps!

→ 140ps

→ 1.0cm

→ 1.3cm

Limitation obtained with  
CLAS: 190-250ps  
L= 3 to 4 m, t=5cm



with  $2 \cdot 10^8 \mu/\text{spills}$   
 $N_A= 1\text{MHz} (\delta\text{rays})$   
 $N_B=0.2\text{MHz}$

## 2 solutions to study:

B scintillator  $t=5\text{cm}$




A scintillator  $t=4\text{mm}$

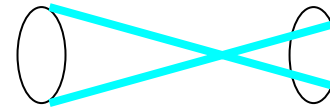


or

B

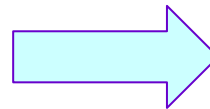


2 fibers wound helically



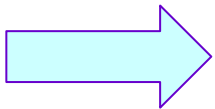
+extra start

Limitations in time resolution:  
number of photo-electrons  
dispersion of photon tracks  
dispersion in time of the PM



Simulation + tests

Limitations pour l'acquisition de l'information:  
high counting rates



Définition of the geometry and the electronics

- 1) Analyse of the pulse shape with an Analogue Ring Sampler (ARS)
- 2) Use of look-up table (extension of the COMPASS coincidence matrix)

A lot of work remain to be done ...

Improvement of the limits of the experiment  
large  $Q^2$  range  
 $t_{\min}$  and  $t_{\max}$ , good resolution in  $t$

Investigation of all the channels: DVCS, HEMP, DDVCS...

Simulation

Fast Monte Carlo

Complete GEANT + all backgrounds

→ efficiency determination

...

First draft for « Outline for GPDs measurement  
using COMPASS at CERN »

to be found in [dhose/public/villars\\_020704.ps](#)





